

# 6. DATA TYPES

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# Review

## Functions

Function Definition

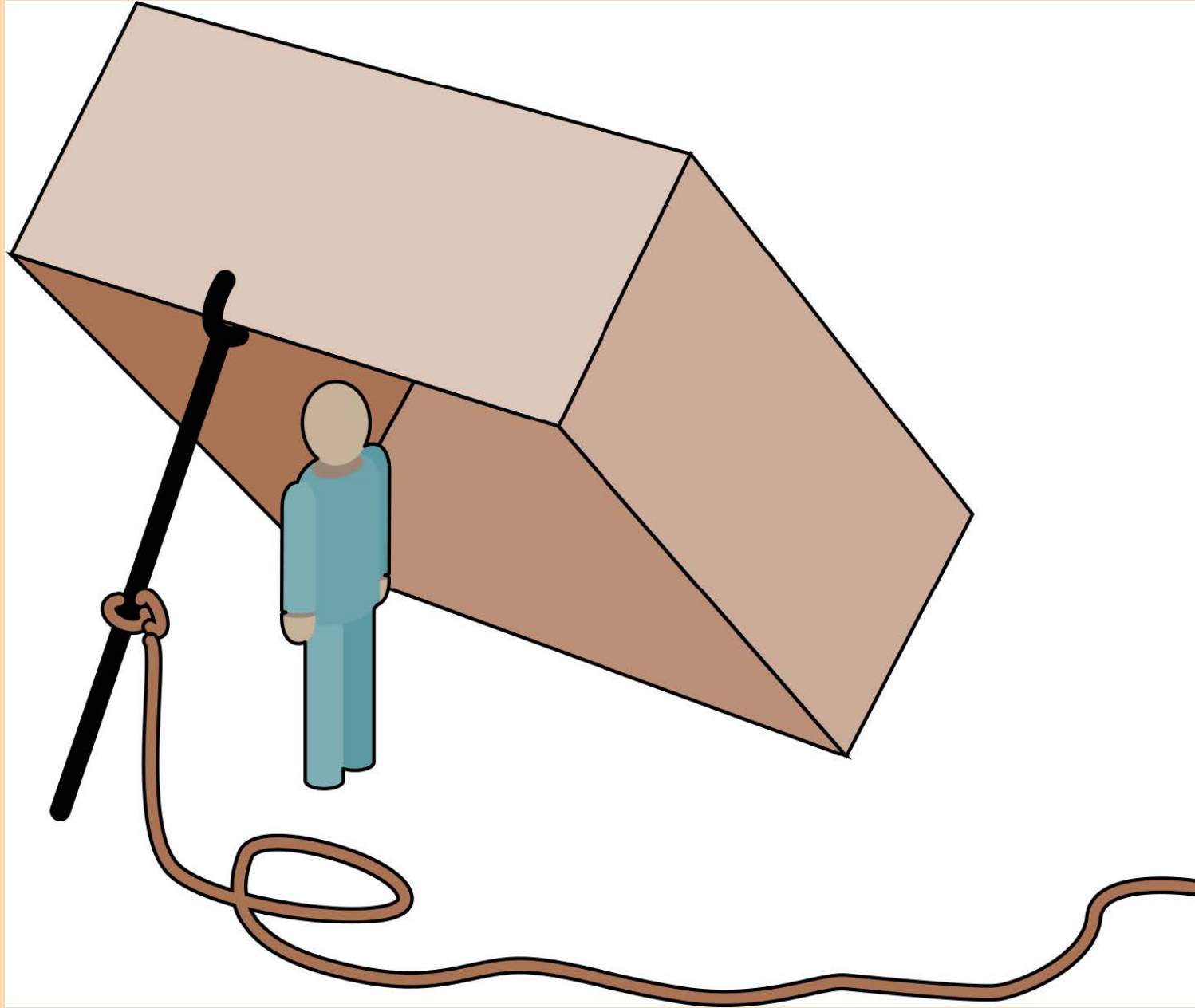
Function Declaration

Arrays as Parameters

Pass by Value

# Overview

## **(Basic) Data Types**

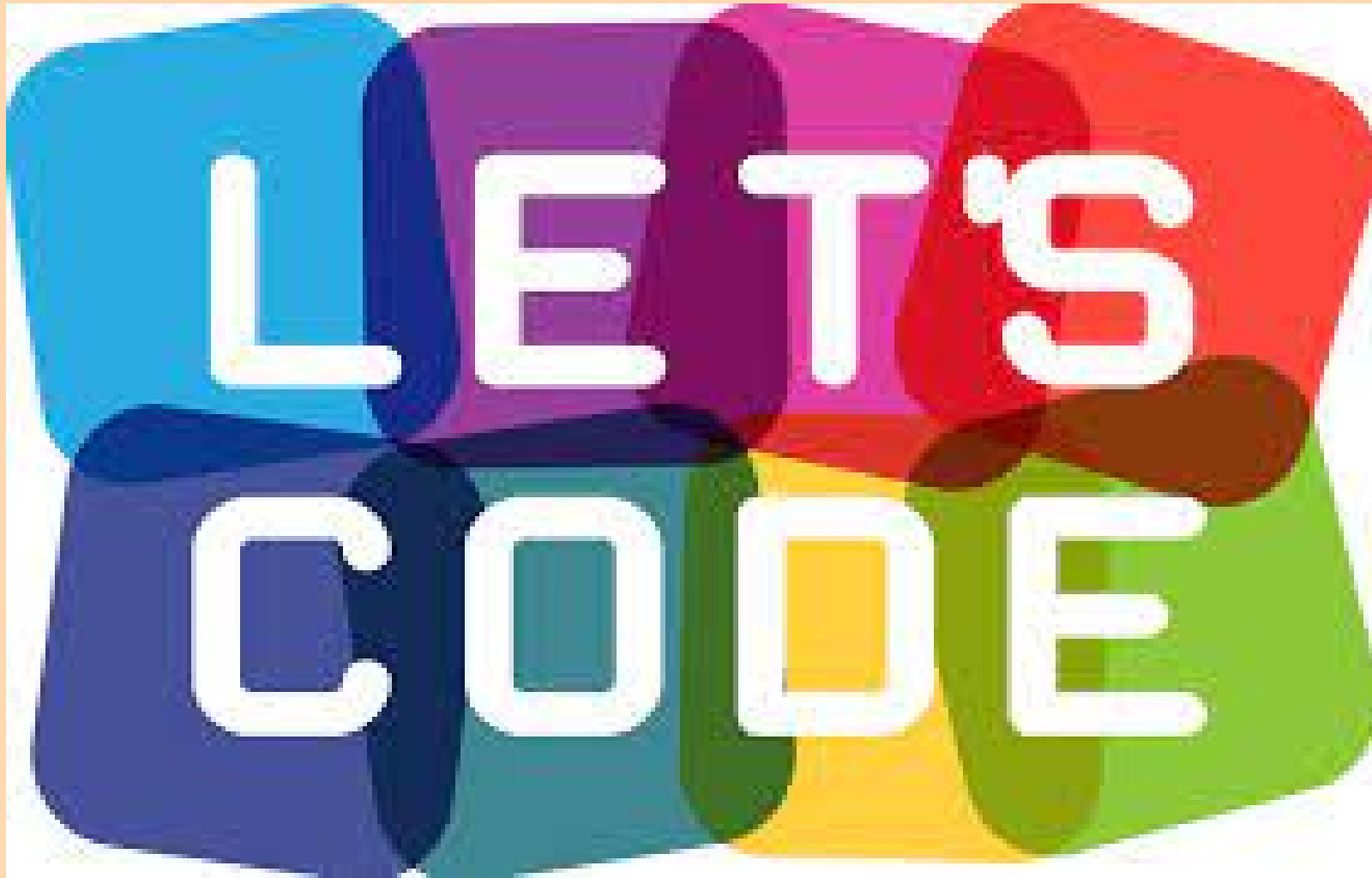


# **Two Major Reasons**

**Architectures May Vary**

**Finite vs. Infinite**





# Object

3.15

1

**object**

region of data storage in the execution environment, the contents of which can represent value

2

**Note 1 to entry:** When referenced, an object may be interpreted as having a particular type; see 6.3.2.1.

**Object Types**

**Function Types**



# Data Types

The **type** of a variable determines

- the set of **values** it may take on and
- what **operations** can be performed on them.

**int**   **char**   **bool**   **(\_Bool)**   **double**

**[ ]**

# Integral Types (**size.c**)

- (unsigned) short (int)
- unsigned int
- unsigned long (int)
- unsigned long long (int)

When **sizeof** is applied to an operand that has type **char, unsigned char, or signed char**, (or a qualified version thereof) the result is **1**. When applied to an operand that has **array type**, the result is the total number of bytes in the array.<sup>105)</sup> When applied to an operand that has structure or union type, the result is the total number of bytes in such an object, including internal and trailing padding.

The value of the result of both operators is implementation-defined, and its type (an unsigned integer type) is **size\_t** defined in `<stddef.h>` (and other headers).

# Integral Types

- (unsigned) short (int)
- (unsigned) int
- (unsigned) long (int)
- (unsigned) long long (int)

The *precision* of an integer type is the number of bits it uses to represent values, excluding any sign and padding bits. The *width* of an integer type is the same but including any sign bit; thus for unsigned integer types the two values are the same, while for signed integer types the width is one greater than the precision.

# Integral Types (**int-limits.c**)

- (unsigned) short (int)
- (unsigned) int
- (unsigned) long (int)
- (unsigned) long long (int)

# Integral Types (**exact-width.c**)

**int8\_t   int16\_t   int32\_t   int64\_t**

## 7.20.1.1 Exact-width integer types

The typedef name **intN\_t** designates a signed integer type with width *N*, no padding bits, and a two's complement representation. Thus, **int8\_t** denotes such a signed integer type with a width of exactly 8 bits.

The typedef name **uintN\_t** designates an unsigned integer type with width *N* and no padding bits. Thus, **uint24\_t** denotes such an unsigned integer type with a width of exactly 24 bits.

These types are optional. However, if an implementation provides integer types with widths of 8, 16, 32, or 64 bits, no padding bits, and (for the signed types) that have a two's complement representation, it shall define the corresponding typedef names.

**stdint.h**

# Signed and Unsigned (**unsigned.c**)

Be careful when **MIXING** signed and unsigned types.



# typedef

```
typedef unsigned __int64 size_t
```

```
#define __int64 long long
```

```
typedef long long time_t
```



# char (char.c)

Use `char` only for representing characters.

Do **NOT** assume `signed char` or `unsigned char`.

# Overflow

(unsigned-wrap.c for-unsigned.c  
unsigned-wrap-fix.c)

无符号整数运算中没有溢出, 取而代之的是**回绕 (wrap)**现象

# Overflow

## (signed-overflow-fix.c)

有符号整数运算中发生溢出, 程序的行为是**未定义的**

# Implicit Conversion

(implicit-conversion.c)

- 算术表达式、逻辑表达式 (先做整值提升)
- 定义初始化、赋值 (类型转换)
- 函数调用时 (类型转换)
- 函数返回时 (类型转换)

**Be careful about narrowing conversions!!!**

# Implicit Conversion

Integer promotions (integer-promotion.c).

Integer conversion rank (Section 7.4.3).

Usual arithmetic conversions (Section 7.4.1).

# Explicit Conversion

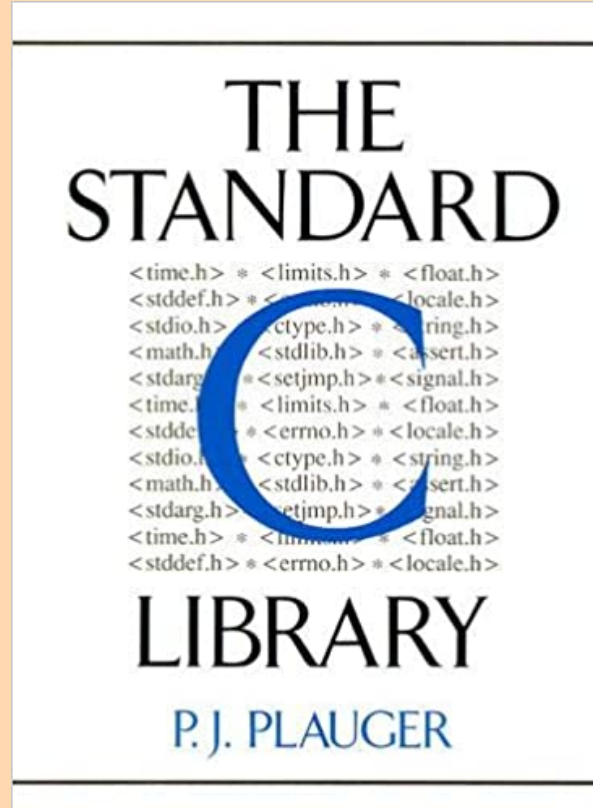
**(explicit-conversion.c)**

**(type) expression**

# Floating-point Numbers

(**float-limits.c**)

- float (F)
- double
- long double (L)

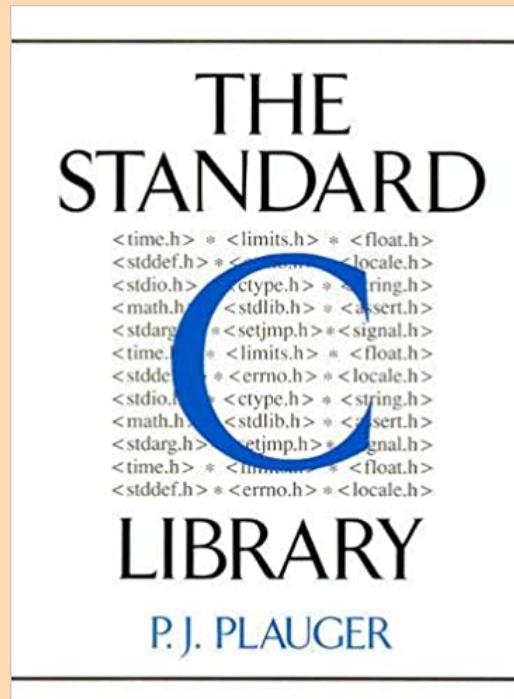


**"Floating-point Arithmetic is Hard."**

**(Section 23.1 `float.h`)**



"Many applications **don't** need floating-point arithmetic at all."

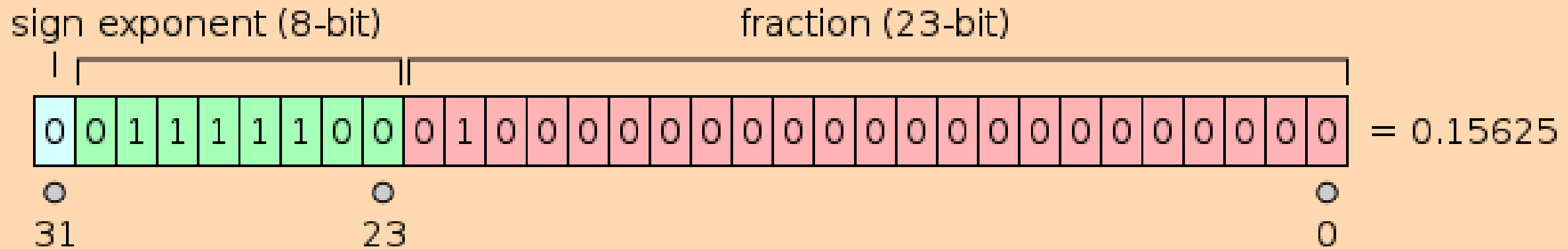


Use **math.h** (Section 23.3) whenever possible.

## 7.12 Mathematics <math.h>

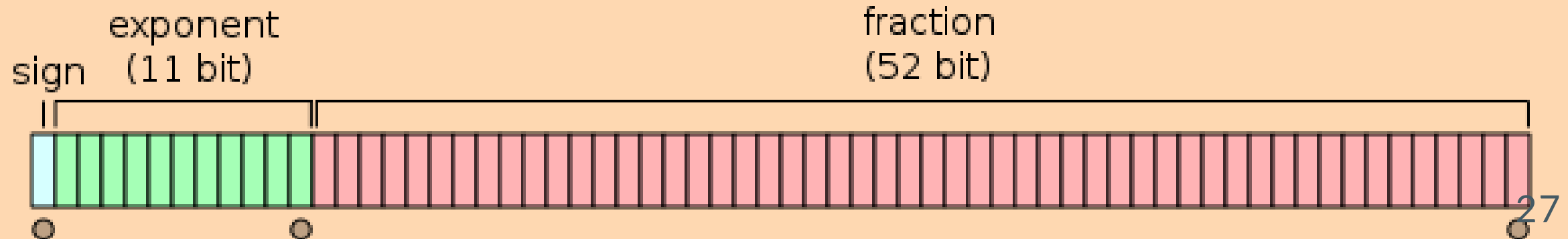
- 7.12.1 Treatment of error conditions
- 7.12.2 The FP\_CONTRACT pragma
- 7.12.3 Classification macros
- 7.12.4 Trigonometric functions
- 7.12.5 Hyperbolic functions
- 7.12.6 Exponential and logarithmic functions
- 7.12.7 Power and absolute-value functions
- 7.12.8 Error and gamma functions
- 7.12.9 Nearest integer functions
- 7.12.10 Remainder functions
- 7.12.11 Manipulation functions
- 7.12.12 Maximum, minimum, and positive difference functions
- 7.12.13 Floating multiply-add
- 7.12.14 Comparison macros

# IEEE 754



24 ( $\approx 6$ )

53 ( $\approx 16$ )



#### 5.2.4.2.2 Characteristics of floating types <float.h>

The characteristics of floating types are defined in terms of a model that describes a representation of floating-point numbers and values that provide information about an implementation's floating-point arithmetic.<sup>21)</sup> The following parameters are used to define the model for each floating-point type:

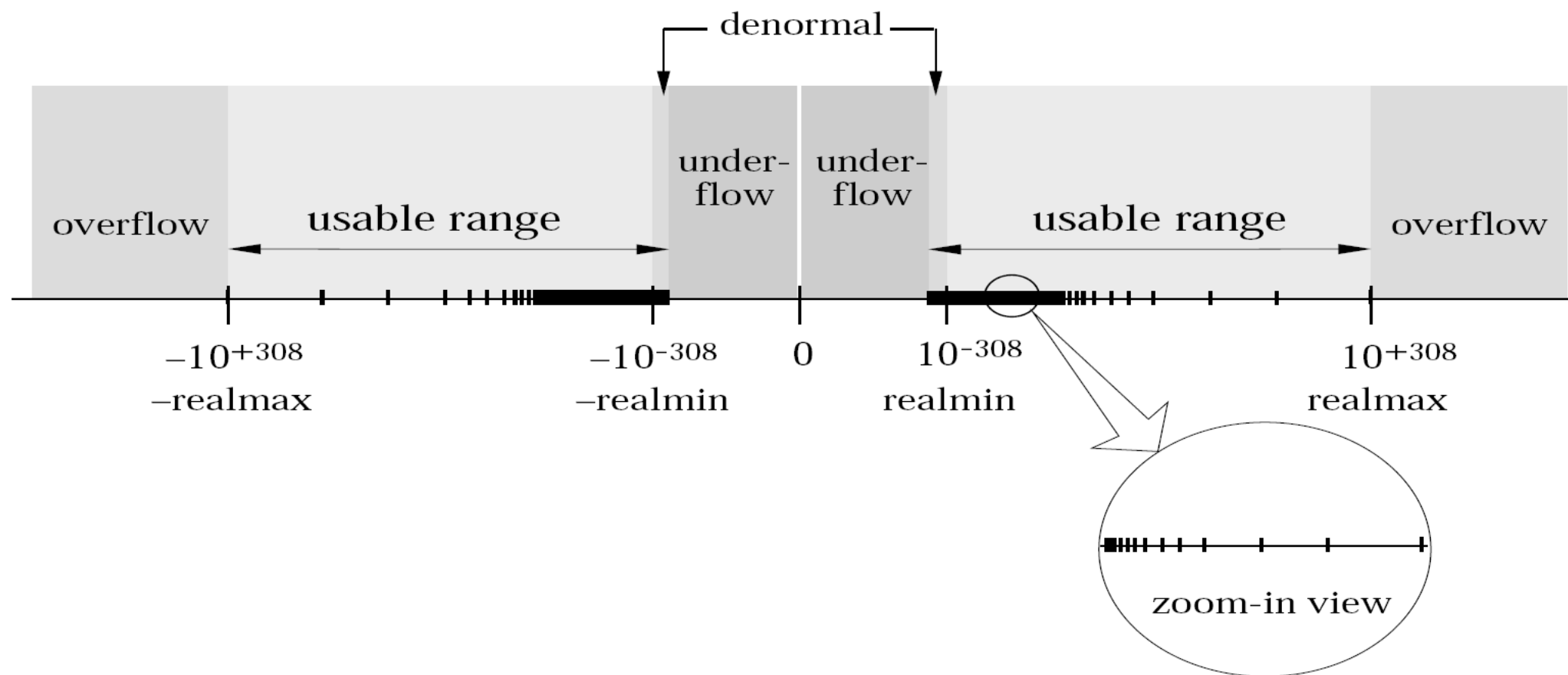
- $s$  sign ( $\pm 1$ )
- $b$  base or radix of exponent representation (an integer  $> 1$ )
- $e$  exponent (an integer between a minimum  $e_{\min}$  and a maximum  $e_{\max}$ )
- $p$  precision (the number of base- $b$  digits in the significand)
- $f_k$  nonnegative integers less than  $b$  (the significand digits)

A *floating-point number* ( $x$ ) is defined by the following model:

$$x = sb^e \sum_{k=1}^p f_k b^{-k}, \quad e_{\min} \leq e \leq e_{\max}$$

In addition to **normalized floating-point numbers** ( $f_1 > 0$  if  $x \neq 0$ ), floating types may be able to contain other kinds of floating-point numbers, such as **subnormal floating-point numbers** ( $x \neq 0$ ,  $e = e_{\min}$ ,  $f_1 = 0$ ) and *unnormalized floating-point numbers* ( $x \neq 0$ ,  $e > e_{\min}$ ,  $f_1 = 0$ ), and values that are not floating-point numbers, such as infinities and NaNs. A NaN is an encoding signifying Not-a-Number. A *quiet NaN* propagates through almost every arithmetic operation without raising a floating-point exception; a *signaling NaN* generally raises a floating-point exception when occurring as an arithmetic operand.<sup>22)</sup>

# Floating Point Number Line



**What is a subnormal floating point  
number? @\_stackoverflow**

**implicit-conversion.c**

**sum-product.c   loop.c   compare.c**





