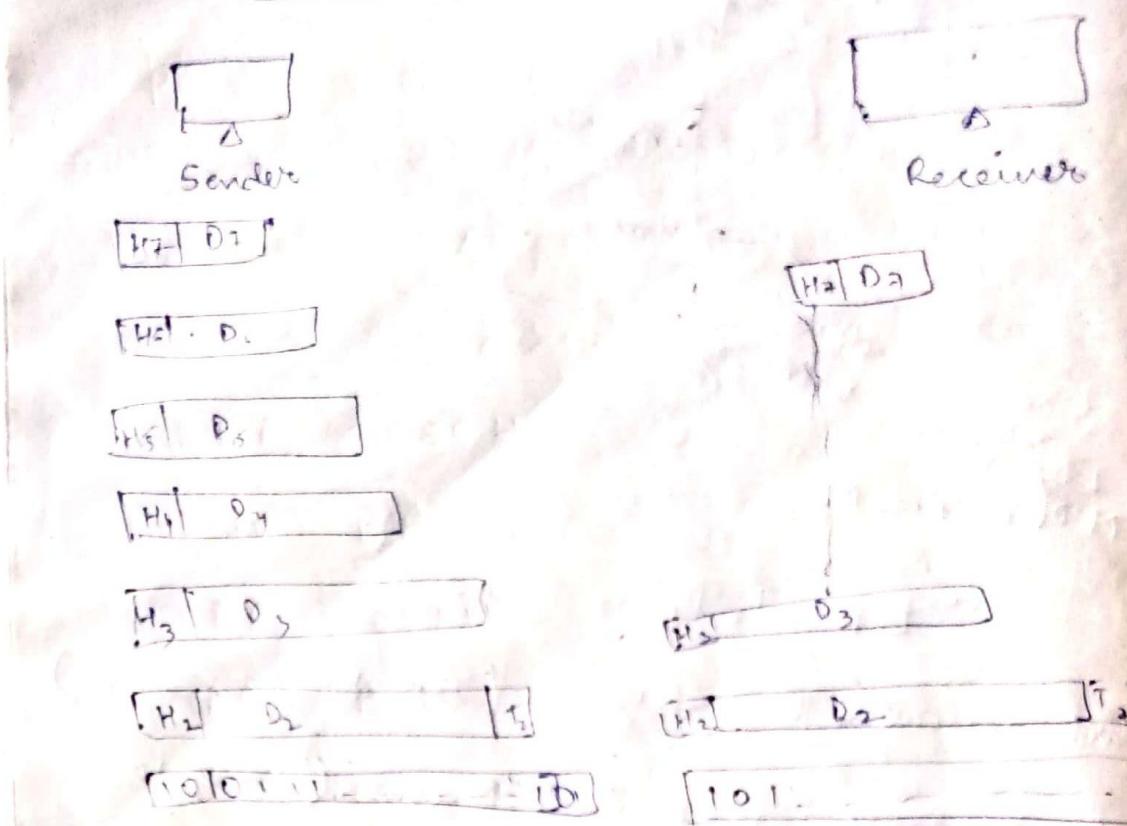


Computer Networks



=> 8 physical Layer

Main ① Transmission of raw bits.

- ② Physical characteristics of interface and medium.
③ Synchronization of bits
④ Line Configuration
⑤ Physical topology
⑥ Transmission mode.
⑦ Representation of bits
⑧ Data rate.

=> Data Link layer.

Main ~~aspects~~ ① It transforms physical layer from being a raw transmission of bits to a reliable ~~one~~ ~~link~~.

② Framing.

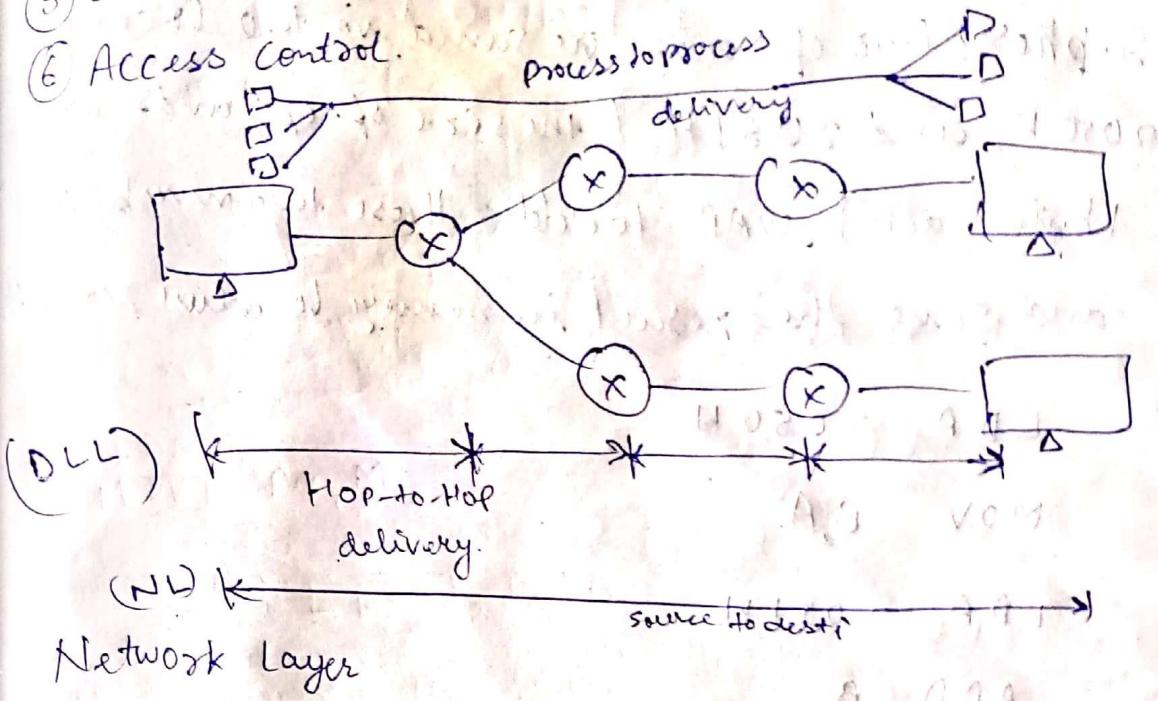
③ Physical addressing

- ① Within the network - add sender & receiver address
② outside the network - address of next node

(4) Flow control

(5) Error control.

(6) Access control.



① Transmitting the packets from source to destination.

② Routing

③ Logical addressing.

Transport layer

① Process to process delivery of segments.

② Service point addressing (port)

③ Segmentation and Reassembly

④ Connection control

⑤ Flow control.

⑥ Error control.

Session layer

① Dialog control and synchronization.

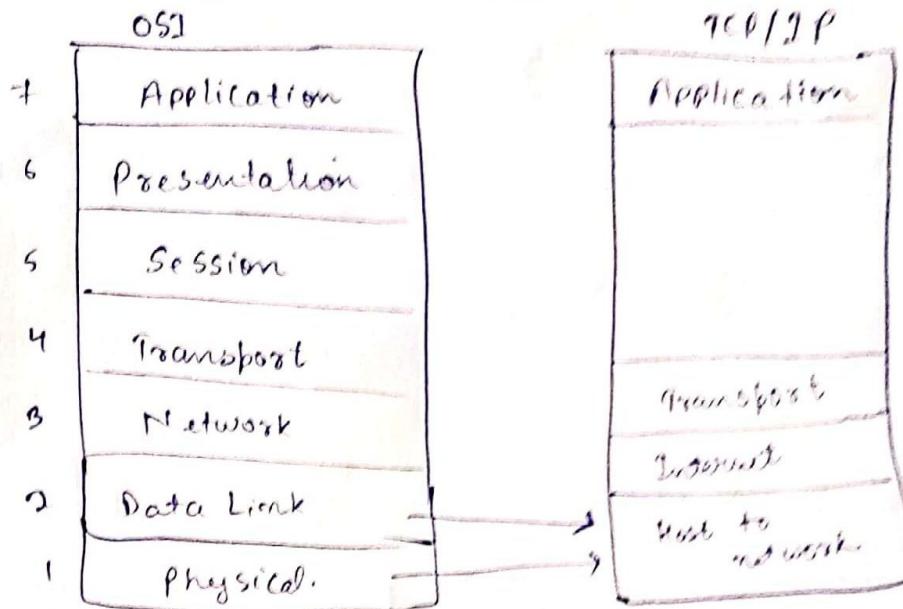
Presentation layer

① Translation, Encryption, compression.

Application layer

① Provides services to the user.

TCP/IP Protocol Suite



#1 TCP/IP VS OSI Model.

- 1.) Distinction of Services, interface and protocols.
- 2.) Flexibility to new technology.
- 3.) Order of protocol and model insertion.
- 4.) Numbers of layers.
- 5.) Way of communication.

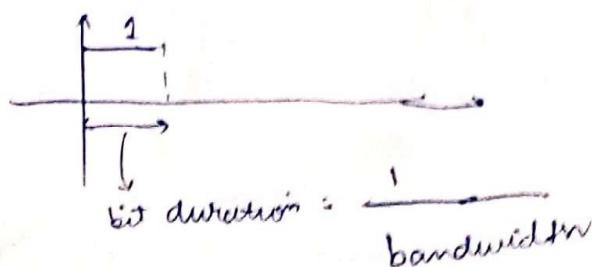
Physical Layer:

* ~~for~~ L layers can be represented using $\log_2 L$ bits.

* Bit rate

* Bit length - The distance one bit occupies on transmission medium

$$\text{Bit length} = \text{Propagation speed} \times \text{bit duration}$$

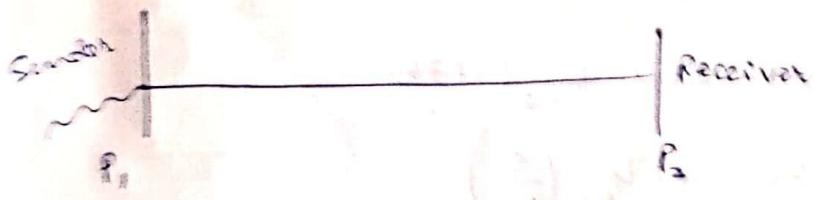


② Baseband \rightarrow low pass filter

③ Broadband \rightarrow band-pass

10-05-2019

Transmission Impairments



① Attenuation

② Distortion

③ Noise

Q3) Suppose the loss in a cable at beginning is -0.3 dB/km and the signal having power 2 mW . What is the power of the signal at 5 km .

$$\Rightarrow \frac{P_2}{P_1} = 10 \log_{10} \left(\frac{P_2}{2 \times 10^{-3}} \right) = (-0.3) \times 5$$
$$\Rightarrow \log_{10} (P_2 \times 500) = -0.15$$

$$\Rightarrow P_2 = 0.0197 \text{ mW}$$

$$\Rightarrow P_2 = 0.00197 = 1.97 \text{ mW}$$

= Signal to Noise Ratio

$$SNR_{dB} = 10 \log_{10} \left(\frac{S}{N} \right) \text{ dB}$$

① Noiseless - Nyquist

Max bit rate $= 2B \log_2 L$

$B \rightarrow$ bandwidth

$L \rightarrow$ no. of levels of the signals

② Noisy \rightarrow Shannon Capacity

$$\text{Max bit rate} = B \log_2 (1 + \text{SNR})$$

Assume

(i) that Signal to noise ratio = 36 dB and channel bandwidth is 2 MHz.

Compute the shannon capacity.

$$\text{Max bit rate} = 2 \times 10^6 \log_2 (1 + 36)$$

$$\text{SNR} = 36 = 10 \log_{10} \left(\frac{S}{N} \right)$$

$$\therefore \frac{S}{N} = 10^{3.6} = 3981.071$$

$$\therefore \text{Max bit rate} = 2 \times 10^6 \log_2 (3981.071)$$

$$= 23.918 \times 10^6 \text{ bits/sec.}$$

Performance Measures :-

1.) Bandwidth

2.) Throughput is a measure of how fast we can actually send data

3.) through a network.

3.) Latency (Delay)

(i) Propagation time (measures the time required for a bit to travel from source to destination).

(ii) Transmission time

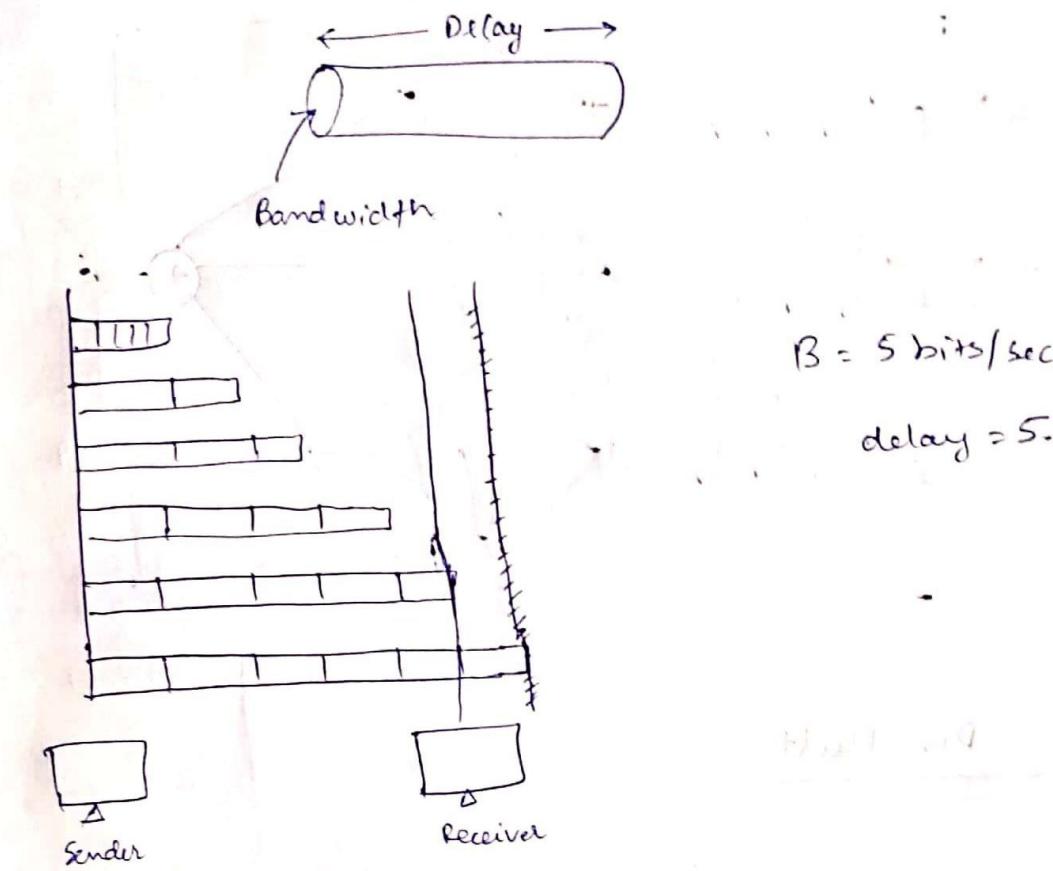
(iii) Propagation time = $\frac{\text{Distance}}{\text{Propagation speed}}$.

(iv) Transmission time (i) It measures the time required for entire message to leave from the source node.

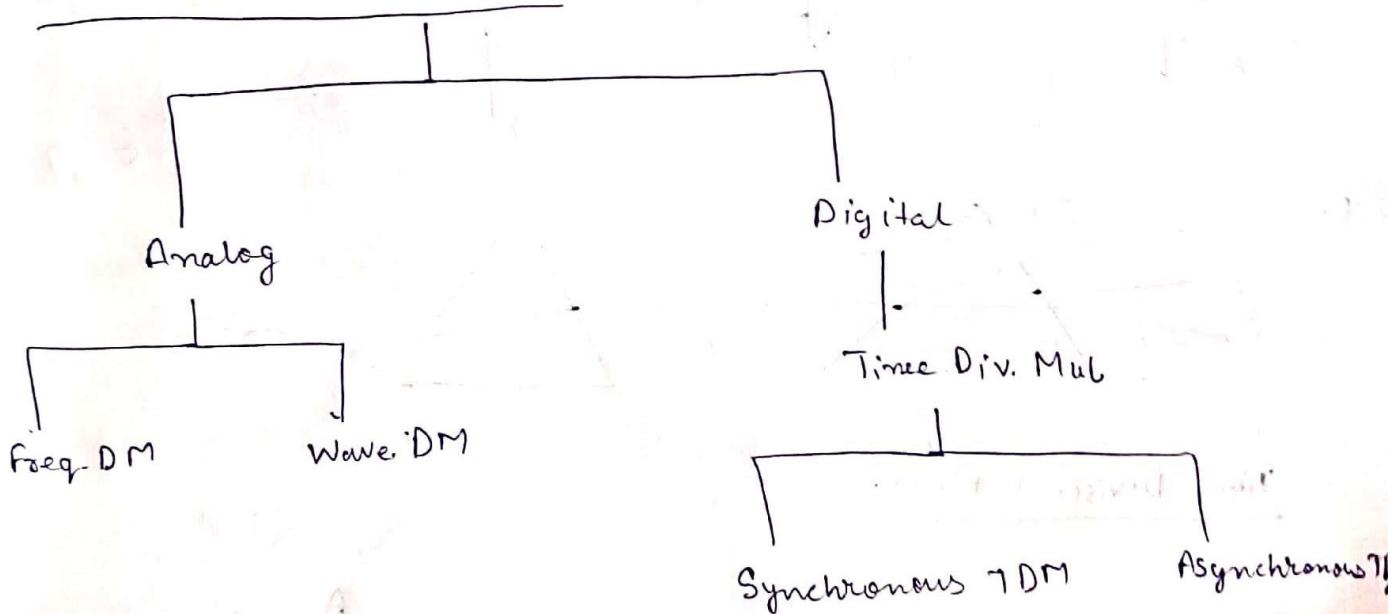
(v) Queuing time is the time needed for its intermediate or in device before it can be processed.

(vi) Processing time

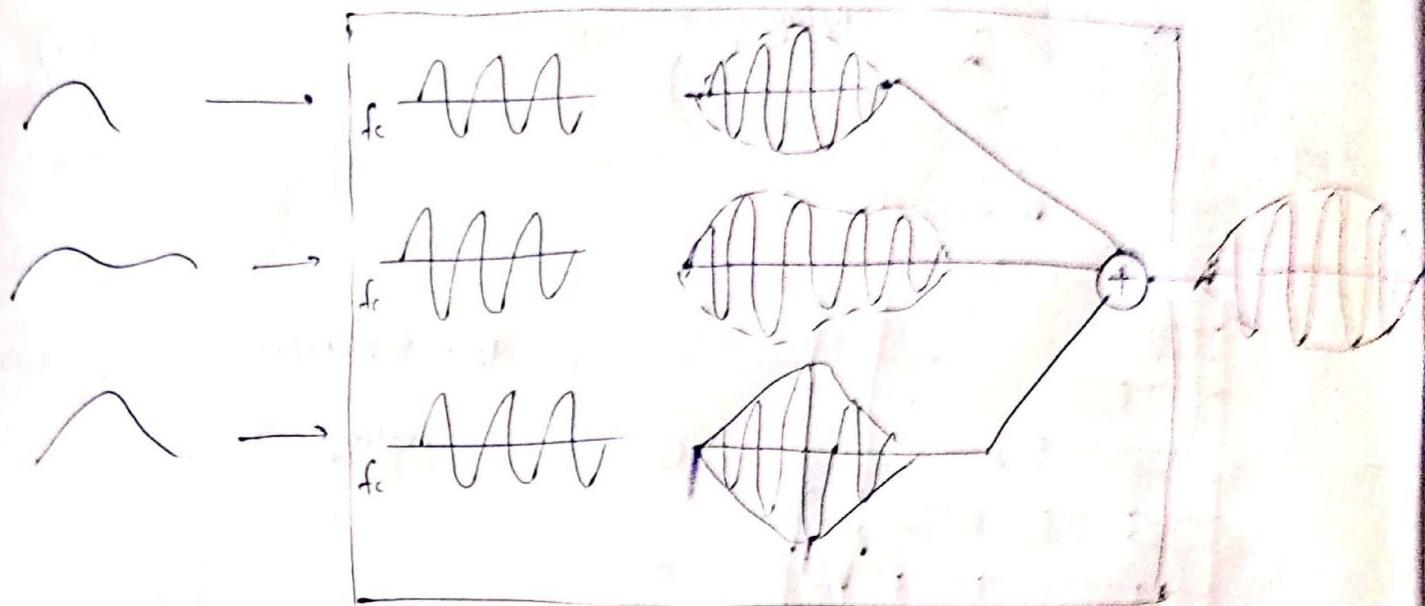
4.) Bandwidth Delay Product:



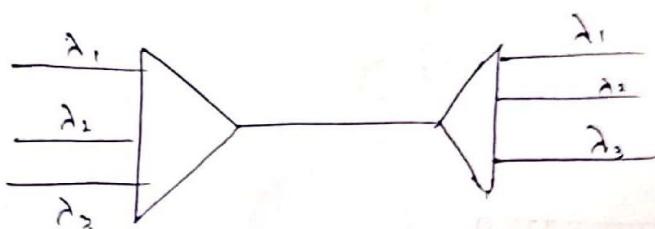
Bandwidth Utilization



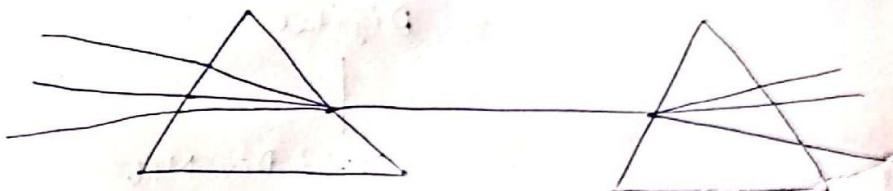
freq. Div. Mult.



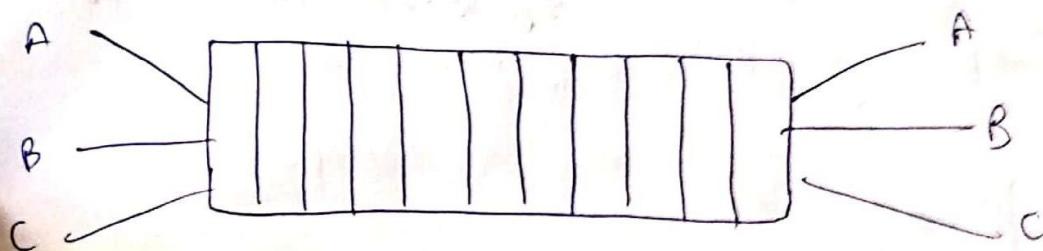
Wavelength Div. Mult.

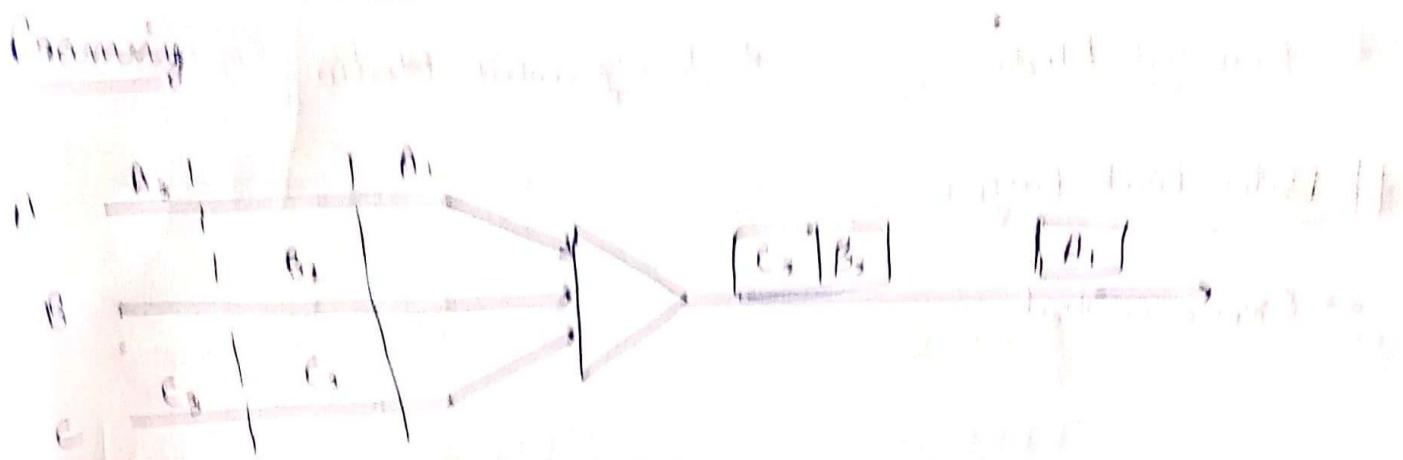


Ex:



Time Division Mult.





- Interleaving = Time allotted for each of the individual signal to send the data.

Code Division Multiplexing (CDM)

$$A \rightarrow 1011001 \rightarrow A = A \oplus A = A$$

$$B \rightarrow 0110110 \rightarrow B = B \oplus B = B$$

$$C \rightarrow 1100110 \rightarrow C = C \oplus C = C$$

$$A = 1, B = 0, C = 1 \quad A^3 = 1, -1, +1, -1, +1, -3, +3$$

$\rightarrow \text{XNOR}$

$$\rightarrow \text{For } A: \quad A^3 = 1, -1, +1, -1, +1, -1, +3$$

$$\times \frac{+1, -1, +1, -1, +1, -1, +1}{+1, -1, +1, -1, +1, -1, +1}$$

$$= 1, +1, -1, +1, -1, +1, +3, +3$$

Adding $\Rightarrow +12$

$+12$ is greater than $+8$, hence its a 1 bit signal.

$$\rightarrow \text{For } B: \quad A^3 = 1, -1, +1, -1, +1, -1, +3$$

$$\times \frac{+1, -1, +1, -1, +1, -1, +1}{+1, -1, +1, -1, +1, -1, +1}$$

$$= 1, +1, -1, +1, -1, +1, +3, +3$$

Adding $\Rightarrow +12 \Rightarrow 0$ bit signal. (greater than $+4$)

* Guided Media

* Unguided Media

Outer Link Layer

→ Error control



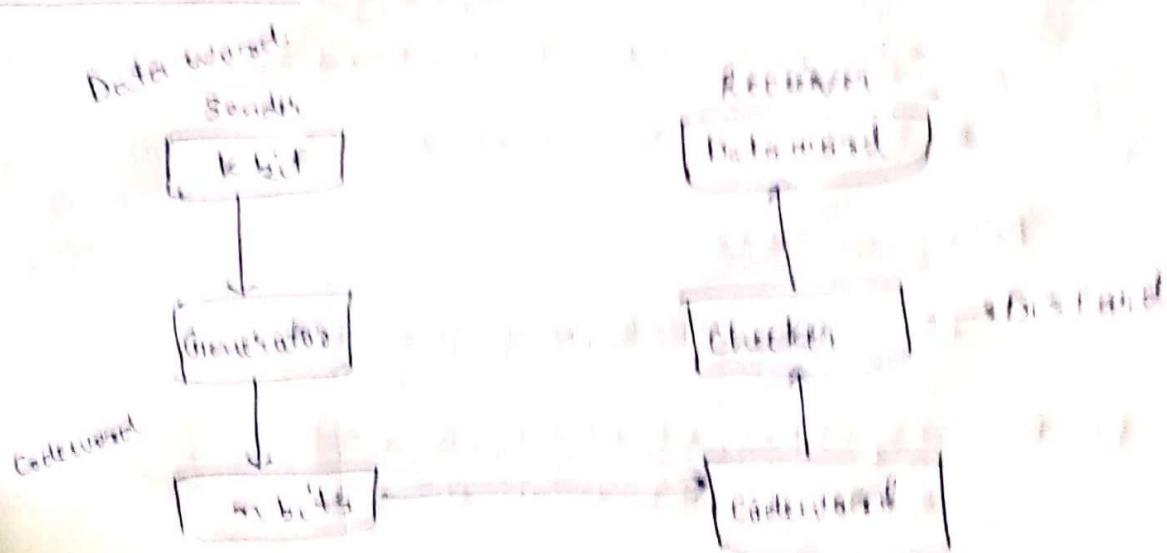
→ Error control

Error detection

→ Error detection

|
| Forward error correction
|
| Retransmission

→ Error detection



2B/3B

→ Can only detect single bit errors

DW	CW
00	000
01	011
10	101
11	110

2B/5B

Data word.	Codeword.
00	00000
01	01011
10	10101
11	11110

e.g.: Ass 01111

Assuming there is only 1 bit error we can detect the dataword

as 01111

ii) Hamming Distance.

Min^m hamming distance -

Modular n-Arithmetic

Add. $0+0=0$ $0+1=1$ $1+0=1$ $1+1=0$

Sub. $0-0=0$ $0-1=1$ $1-0=1$ $1-1=0$

Linear Block Encoding

0 0	0 0 0
0 1	0 1 1
1 0	1 0 1
1 1	1 1 0

$d_{\min} = s+1$, $s \rightarrow$ no. of errors it can detect

$d_{\min} = 2t+1$, no. of errors it can correct.

Parity checking

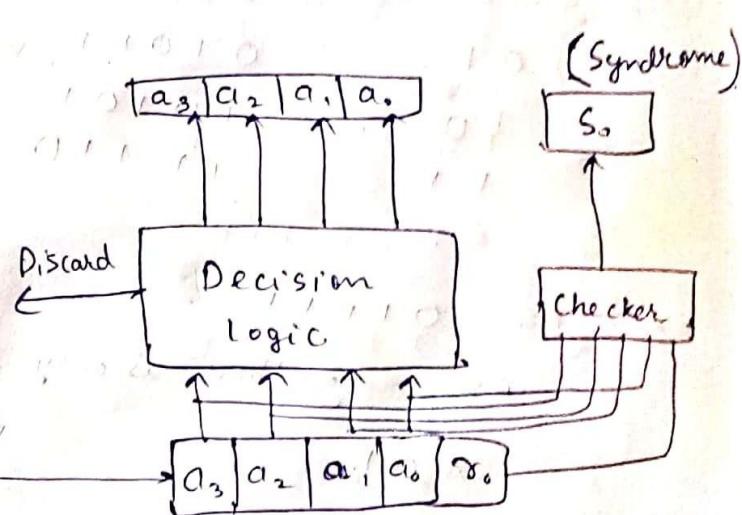
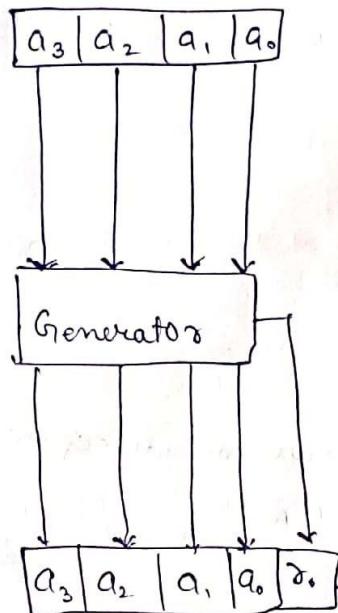
Even parity

Ex:

10100

11101

=>



=> If $S_0 = 0 \rightarrow$ it does not discard the data.

If $S_0 = 1 \rightarrow$ it can detect an error in the data.

=> ~~If the error is even bit error then~~ N

=> It can only detect odd no. of bit errors.

Two Dimensional Parity Checking.

1101 1100 1001 0101

1101	1
1100	0
1001	0
0101	0
11011	

Hamming Code

$2^r > k+r+1$ i.e. $k+r+1 \leq 2^r$

$r \rightarrow$ no. of redundant bits

$k \rightarrow$ no. of bits of information

∴ The positions that are power of 2 are considered for parity bit.

1 0 0 1 1 0 1 0

$k=8$ $r=4$

P_1	P_2	1	P_4	0	0	1	P_8	1	0	1	0	1	0	
1	2	3	4	5	6	7	8	9	10	11	12	13	14	

Position 1: $P_1, 1, 5, 7, 9, 11$

$$P_1 = 0$$

Position 2: $P_2, 1, 6, 7, 10, 11$

$$P_2 = 1$$

Position 4: $4, 5, 6, 7, 12$

$$P_4 = 1$$

Position 8: $8, 9, 10, 11, 12$

$$P_8 = 0$$

0	1	1	1	0	0	1	0	1	0	1	0	1	0	
1	2	3	4	5	6	7	8	9	10	11	12	13	14	

even parity bits

\Rightarrow Considering an error.

0	1	1	1	1	1	0	0	1	0	1	1	0	1
,	2	3	4	5	6	7	8	9	10	11	12	13	14

$$P_1 \rightarrow 1, 3, 5, 7, 9, 11$$

$$\rightarrow (0+1+1+1+1+1) \bmod 2 = 01$$

$$P_2 \rightarrow 2, 3, 6, 7, 10, 11$$

$$\rightarrow (1+1+0+1+0+1) \bmod 2 = 0$$

$$P_4 \rightarrow 4, 5, 6, 7, 12$$

$$\rightarrow (1+1+0+1+0) \bmod 2 = 1$$

Error at $4+1 = 5$, \therefore

\Rightarrow It can only detect and correct a single bit error.

For detecting ^{upto} 4 bit errors.

1101

d_1

1110

d_2

1010

d_3

1011

d_4

cd ₁	a ₀	a ₅	a ₆	1	1	1	1
-----------------	----------------	----------------	----------------	---	---	---	---

c ₁	a ₅	1	1	1	1	1	1
----------------	----------------	---	---	---	---	---	---

cd ₂	a ₂	a ₃	a ₉	1	1	1	1
-----------------	----------------	----------------	----------------	---	---	---	---

c ₂	a ₆	1	1	1	1	1	1
----------------	----------------	---	---	---	---	---	---

cd ₃	a ₃	a ₇	1	1	1	1	1
-----------------	----------------	----------------	---	---	---	---	---

c ₃	a ₇	1	1	1	1	1	1
----------------	----------------	---	---	---	---	---	---

cd ₄	a ₀	a ₅	1	1	1	1	1
-----------------	----------------	----------------	---	---	---	---	---

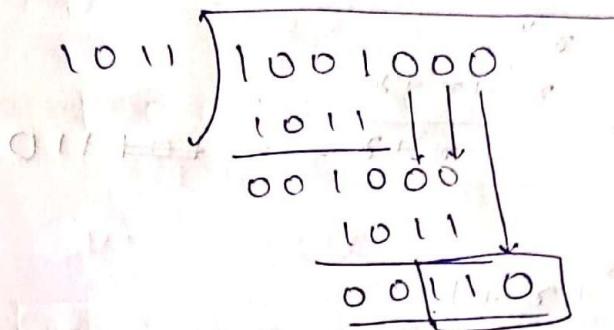
c ₄	a ₈	1	1	1	1	1	1
----------------	----------------	---	---	---	---	---	---

Cycle Redundancy Check (CRC)

⇒ Dataword = 1001

Divisor = 1011

- There are 4 bits in the divisor so we add (4-1) 0 bits to the dataword.

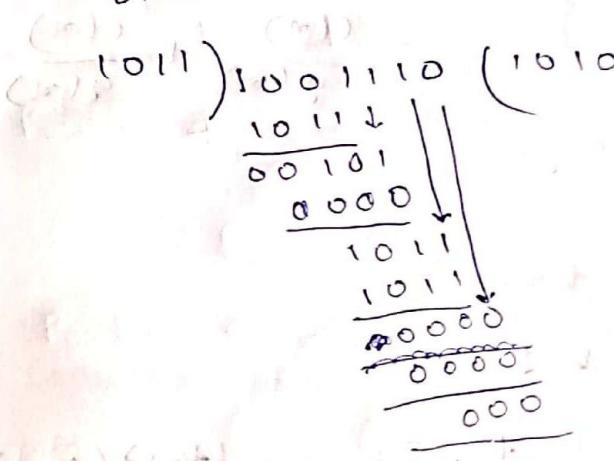


∴ 1001000 / 1011 = Quotient

1001110 → Codeword

Receiver side CRC checking

Divisor = 1011



$$\# \quad x^3 + x^3 = 0$$

$$x^3/x^2 = x$$

$$x^3 - x^3 = 0$$

$$x^3 \cdot x^2 = x^5$$

$$\text{Ex: } (x^3 + x^2 + x)(x^2 + x + 1) = x^5 + x^4 + x^3 + x^4 + x^3 + x^2 + x^2 + x \\ = x^5 + x^3 + x$$

三

• Divisor

1011

$$x^3 + x + 1$$

daba

1001

七

$$(x^3 + 1) \rightarrow x^3$$

$$\begin{array}{r} x^3 + x + 1 \\ \overline{x^6 + x^3} \\ x^3 + x^2 + x^4 \\ \hline x^4 \\ x^3 + x^2 + x \\ \hline x^2 + x \end{array}$$

$$\Rightarrow \text{Codeword} \rightarrow x^6 + x^3 + x^2 + 1$$

1001101

) Dataword $d(x)$

Cadeword (x)

generator $g(s)$

syndrome $s(n)$

error $\epsilon(n)$

$$\frac{C(\omega) + \cancel{\epsilon(\omega)}}{g_1(\omega)}$$

$$g(-x)$$

$$\frac{c(\pi)}{g(\pi)} + \frac{e(\pi)}{g(\pi)}$$

\Rightarrow Generator design

→ It should have at least two terms

The coefficient of x^0 should be 1

It should not divide $x^t + 1$, $t = 2, \dots, -\cancel{(n-1)}$

It should have factors of $21 + 1$.

Check Sum

4 bits

Dataword $\rightarrow (7, 11, 12, 0, 6)$

Codeword $\rightarrow (7, 11, 12, 0, 6, \underline{26})$

1's Complement Arithmetic

wrapping

$$\begin{array}{r} 1 | 0101 \\ 110 \\ \hline 0110 \end{array} \rightarrow 6$$

Theory:

Sender

$$\begin{array}{r} 7 \\ 11 \\ 12 \\ 0 \\ 6 \\ 0 \\ \hline 36 \end{array}$$

$$\begin{array}{r} 100100 \\ 10 \\ \hline 0110 \end{array} \rightarrow \text{wrapping}$$

1001 \rightarrow 1's complement.
 0110 \rightarrow 0000

\Rightarrow Codeword $\rightarrow (7, 11, 12, 0, 6, \underline{26})$

Receiver:

$$\begin{array}{r} 7 \\ 11 \\ 12 \\ 0 \\ 6 \\ 9 \\ \hline 45 \end{array} \rightarrow 101101$$

wrapping

1's complement
0000

6.1. 00100100

0

1

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Bit stuffing

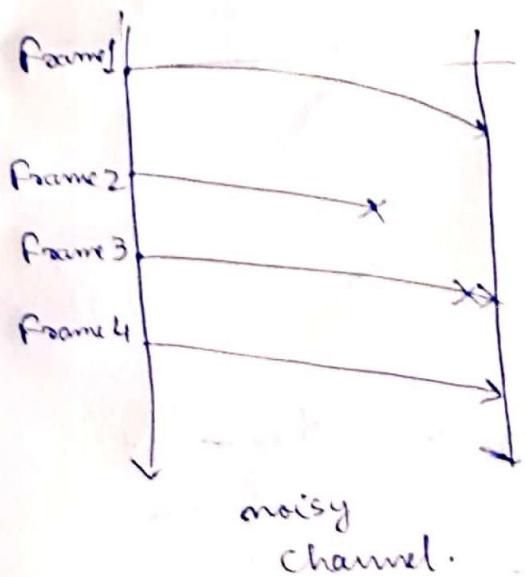
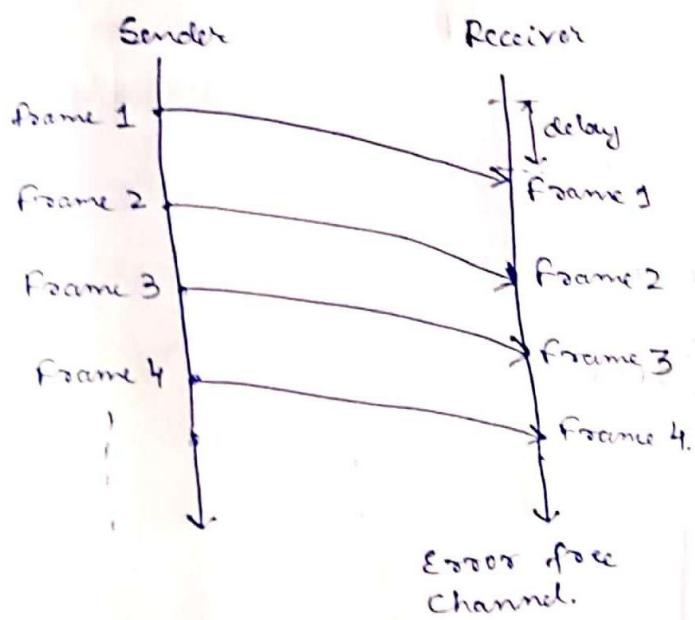
Flag 0111110

5 consecutive 1's stuff 0.

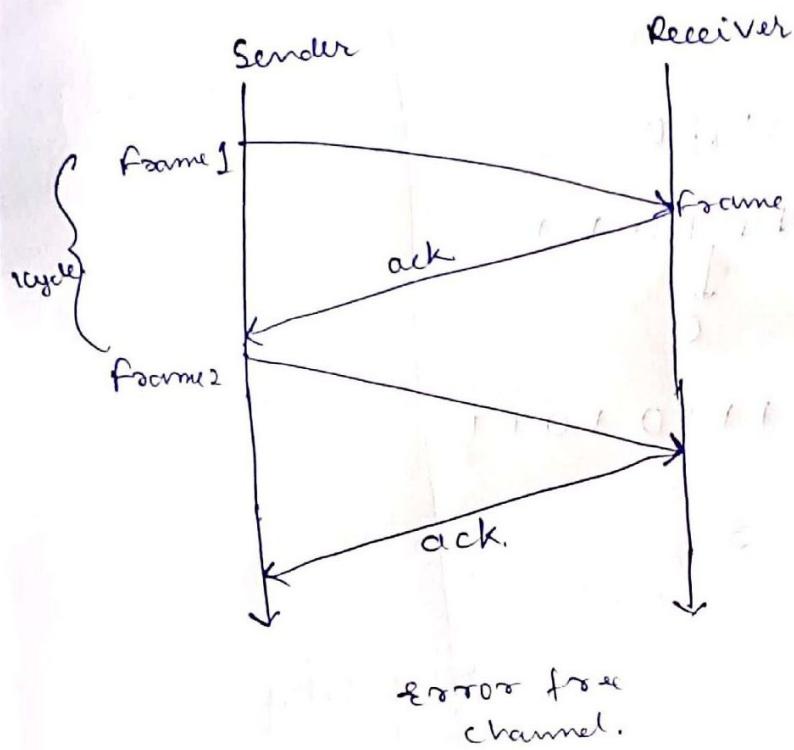
1010 1111111111111011
 ↓ ↓
 0 0

1010 111101111101011

a) Flow Control



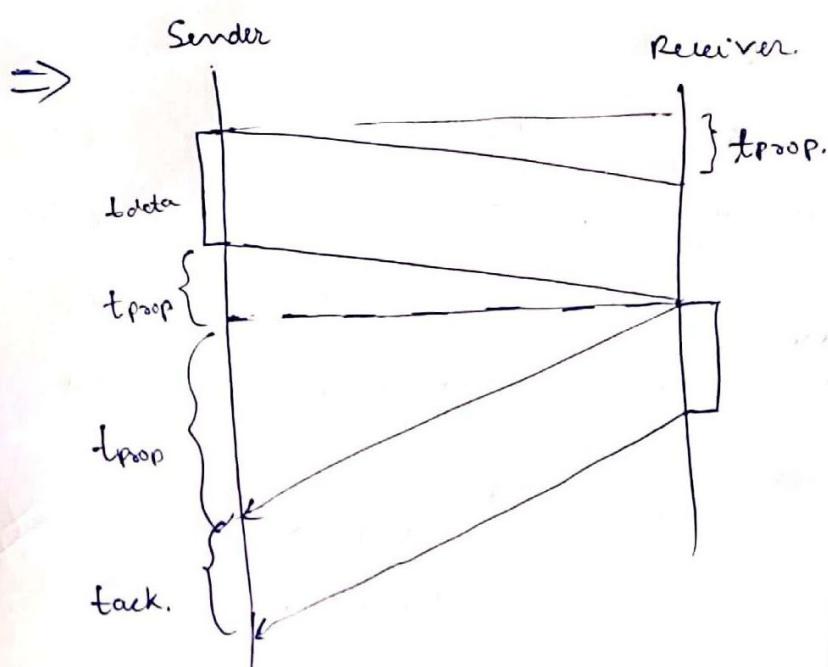
Stop and Wait Flow Control.



Ack → acknowledgement

① Receiver will send an acknowledgement

② Sender will wait for acknowledgement



$$1 \text{ cycle} = t_{\text{data}} + 2t_{\text{prop}} + t_{\text{ack.}}$$

Sender was busy during 1 cycle = t_{data}

* Channel utilization = $\frac{t_{\text{data}}}{t_{\text{data}} + 2t_{\text{prop}} + t_{\text{ack.}}}$; $t_{\text{ack.}}$ is generally quite less.

i) transmission time = 1 unit

(i) propagation time = a.

$$CU = \frac{1}{a+2a} ; a \geq 1$$
$$CU = \frac{1}{1+2a} ; a < 1$$

} remains same,

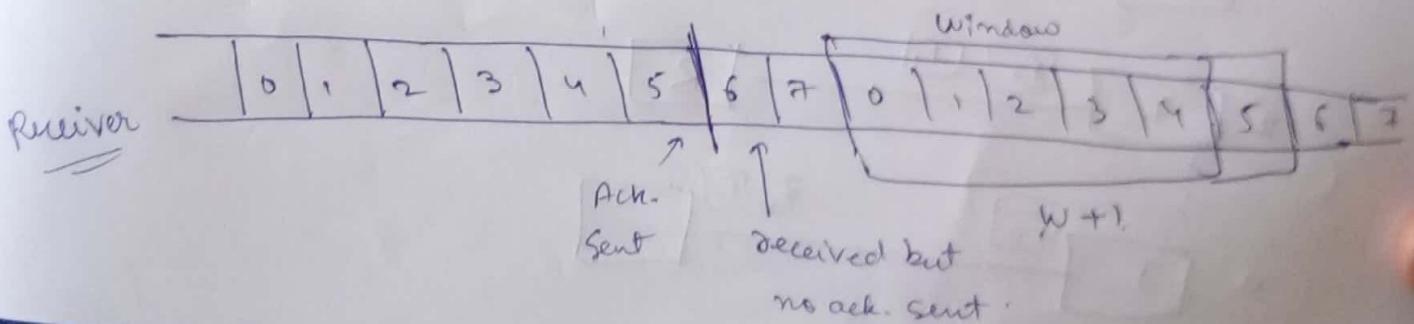
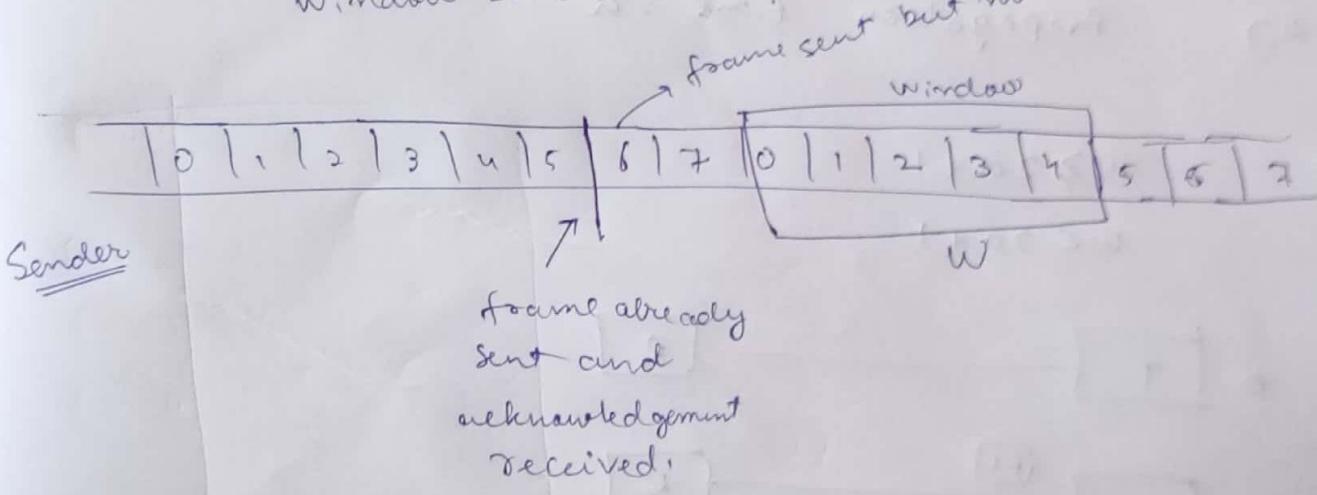
Sliding Window Flow Control

- 1.) Window of size, W.
- 2.) Sender can transmit W frames without receiving Acknowledgment.
- 3.) Receiver sends cumulative acknowledgement.
- 4.) Frame sequence numbers to identify frames

X-bit sequence.

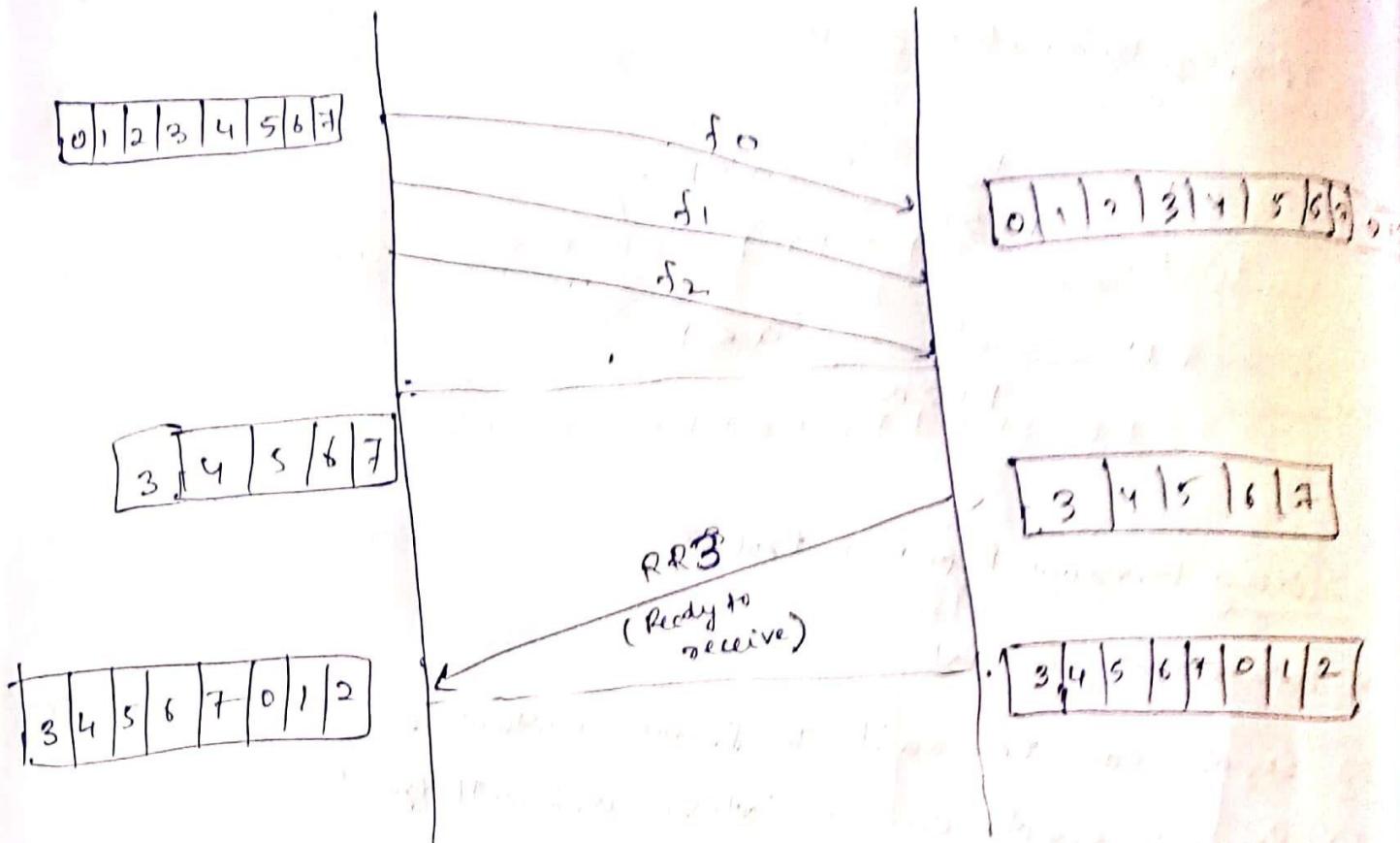
frame will be modulo 2^X .

Window size = $2^X - 1$.



Sender

Receiver

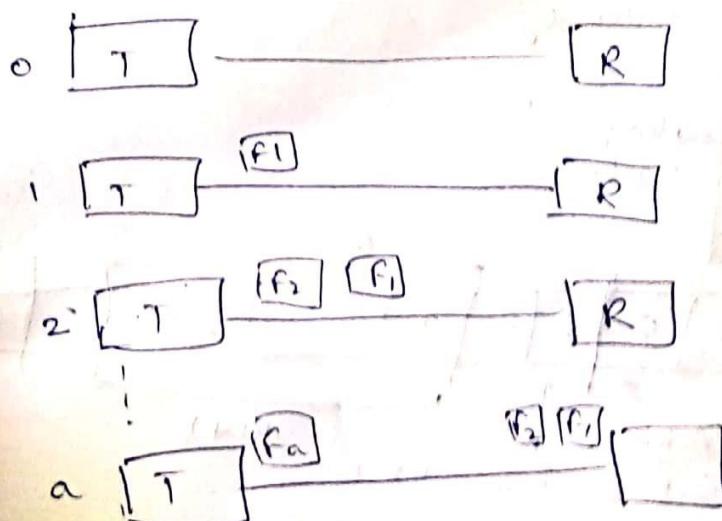


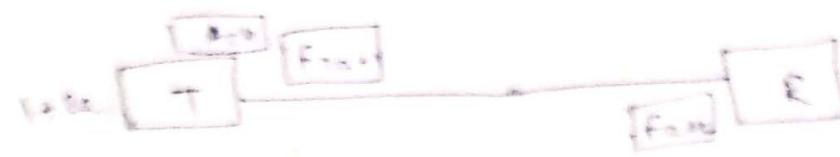
- 1.) Window size - w
- 2.) Transmission time of frame 3
- 3.) Acknowledgment " " ack = 0
- 4.) Propagation time = a

*

$$w \geq 2a + 1 \text{ (for reliable delivery)}$$

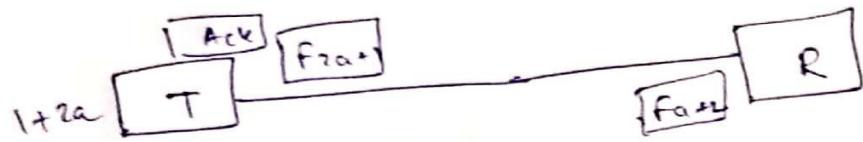
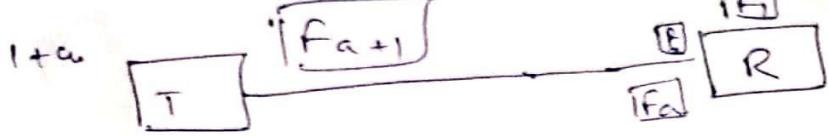
$$w < 2a + 1$$





3) $CU = \frac{1470}{1470} = 1 ; w > 200!$

$CU = \frac{w}{1470} ; w < 200!$



$$\Rightarrow CU = \frac{1+2a}{1+2a} = 1; \quad w \geq 2a + 1.$$

$$CU = \frac{w}{1+2a}; \quad w < 2a + 1$$