# How Opening Schools Influence COVID Infections – Empirical Evidence from Czech Republic

May 14, 2021

## Main findings

- Opening of schools strongly increases the infection numbers of students
- The effect of ordering masks in classrooms is significant in primary schools and in secondary schools
- Data do not support the hypothesis that the increase of reported cases after opening schools is due to more intense testing in schools
- Neither, except for kindergartens, they support the hypothesis that, when being out of schools, children are infected elsewhere
- Simple indicator of safe opening schools can be constructed.
- We show, that hypothetical opening of schools in the middle of the pandemics would not overturn the subsequent decreasing yet increasing the infections significantly.

#### Introduction

Closing schools during the present pandemics is the one of the most controversial issues. According to epidemiological mainstream, schools are strong drivers of respiratory diseases [cit]; therefore, closing schools was one of the first governmental reactions to the outburst of the present pandemic. However, the price we pay for closing school is high. Online education is not an equivalent substitute for the in-person one; moreover, the isolation of students leaves deficit in their necessary social contacts. Thus, for the society, decision whether and when to close school means a painful trade-off, making any decision political rather then scientific; science, however, has irreplaceable role in giving the best possible (quantitative) basis for these decisions. Obvliously, the key questoin here is what effect on curbing the epidemic the school closures have.

Unfortunately, it is difficult to evaluate the effect of closing schools on the present pandemic. The virus was completely unexplored as it came and its knowledge increases only gradually, so we only gradually get tot know, whether and how different the virus affects children in comparison with the rest of the population. To estimate the effect from running epidemic data is also problematic, mainly because the various measures are usually being introduced (and released) together, so it is difficult to distinguish their effects, and even in cases when the measures are applied in different times, still they can be assessed only in the context of the other measures applied. [Kulweit 2020], for instance, regards school closure as a very effective means of curbing the present pandemics; however, it is necessary to take into account that school closures were usually the first measures applied, so their measured effect may be overestimated.

In our analysis, we exploit a "gap" in this puzzle: the fact that certain age cohorts of children nearly uniquely correspond to the degrees of schools and, except for kindergartens, the majority of children do attend their classes. Thus, it could be expected that closing (opening) of particular degrees will result in significant changes in infections in the corresponding cohorts. The other measures, on the other hand, are usually much less age specific (wearing masks, bans of gatherings) or are affecting different age cohorts (home office) so they can be expected not to obscure the effects of school closures. Later we show that actual data prove us right in both these assumptions – the effects of closures are strongly statistically significant and the data do not exhibit co-linearity.

In the Czech Republic, all kindergartens, primary— and secondary schools had been closed on March 12, 2020, shortly after the beginning of the first cases. While the kindergartens had been reopened without much restriction in the beginning of May, the primary and the secondary schools were opened during May in a very limited regime until the summer holiday, after which all the schools had been opened for two weeks nearly without any restriction. Next, as the overall incidences started to rise, wearing masks in classrooms had been imposed. In the end of October, after serious increases of new cases, all the schools had been closed until April 2021, except for kindergartens, which remained open until March 2021, the first two years of the elementary schools, which were opened from the half of November until February, and the final years of the secondary schools, which were opened one month before Christmas. In April 2021, kindergartens opened for the final year and the other schools gradually started to be opened under rotation schemes. See the following Table for the schedule.

Date	Kindergartens	First degree	Second degree	Secondary			
Mar-13		clos					
May-04	open	closed	$\operatorname{closed}$	closed			
May-11			last year				
May-25		max. 15 l.y.		max. 15 l.y.			
Jun-01		max. 15 l.y.					
Jun-26		end of the s	school year	•			
Sep-01		start of the	of the school year				
Oct-14	open		$\operatorname{closed}$				
Nov-16	open	open $1^{st}$ $2^{nd}$ open $1^{st}$ $2^{nd}$	$\operatorname{closed}$	closed			
Nov-23	open	open $1^{st} 2^{nd}$	$\operatorname{closed}$	last year			
Mar-01		'					

To evaluate the effects of the closures, we used a simple epidemiological-like model, in which the infections in the children cohorts depend on the overall state of epidemic plus the effect of schools. The former is linearly dependent on the product of the current magnitude of the epidemic and the current reproduction number, the latter linearly depends on the the product the current school restrictions, number of infected in the cohort in question, and the current reproduction number up to current contact restriction. We find the school closures as a whole as a significant inhibitor of the epidemic, with masks being provably efficient in the second degree and in secondary schools

Within the Discussion, we also discuss possible alternative explanations of the data and we show, that the one considering the string effect of school closures is the only of the considered hypotheses giving significant results.

#### Methods

In the Czech Republic, each September first, children who completed their sixth year are obliged to enter the first year of elementary school. When the parents wish, a child who is six as late as by the end of the year can enter the first class, some children, on the other hand, start their school later for various, mostly developmental, reasons. If we neglect these exceptions, we can conclude that the first year students are six or seven; consequently the first degree (first five years) students belong to the age cohort 6-11, the second degree (the sixth to the ninth year) students to the cohort 11-15 and the students of a secondary school, which typically takes four year in the Czech Republic, to the cohort 15-19. The lowest age for admission to a kindergarten is three, so the the vast majority of children attending kindergartens falls into the cohort 3-6. For simplicity we assume that, of the frontier one-year cohorts, half of the children belong to each competing school category, and that infections happening in a frontier cohort split by two between each category. Thus, number of cases by pre-school children over week t will then be  $X_t^1 = Z_t^3 + Z_t^4 + Z_t^5 + \frac{1}{2}Z_t^6$ , the number by the first degree  $X_t^2 = \frac{1}{2}Z_t^6 + Z_t^7 + \dots + \frac{1}{2}Z_t^{11}$ , by the second degree  $X_t^3 = \frac{1}{2}Z_t^{11} + Z_t^{12} + \dots + \frac{1}{2}Z_t^{15}$  and by the secondary schools  $X_t^4 = \frac{1}{2}Z_t^{15} + Z_t^{16} + \dots + \frac{1}{2}Z_t^{19}$ , where  $Z_t^j$  is the number of cases by j-year old individuals.

In addition to these four cohorts, we studied the infections in the first two grades, which had been exclusively open during winter, taking  $X_t^{2*} = \frac{1}{2}Z_t^6 + Z_t^7 + \frac{1}{2}Z_t^8$  as number of cases therein.

In line with the mainstream epidemiological modeling we assume that the number of overall infections  $X_t$  is proportional to the previous number of infected and the overall contact reduction, where we take the last week incidence as a proxy for the former:

$$X_t \doteq r_t C_{t-1} X_{t-1};$$

here,  $C_{t-1}$  is the overall risk contact reduction within the overall population,  $r_t$  is the current growth rate given that no contact reduction takes place (including the effects of virus mutations, possible seasonal influences, natural immunization and vaccination). For the school children we assume that additional infections come from schools. In particular, for the *i*-th school category,

$$X_t^i \doteq \alpha^i r_t C_t X_{t-1} + \gamma^i r_t S_{t-1}^i X_{t-1}^i, \qquad S_{t-1}^i = D_{t-1}^i (1 - \mu^i M_{t-1}^i), \tag{1}$$

where  $\alpha^i$  and  $\gamma^i$  are constants,  $D_{\tau}^i$  is the contact restriction at the school,  $M_{\tau}^i$  is the indicator of wearing masks in classrooms and  $\mu^i$  is the (unknown) efficiency of masks.

Further, assuming that, only a ratio c of cases is reported, we may divide (1) by c to get

$$Y_t \doteq r_t C_{t-1} Y_{t-1}, \qquad Y_t^i \doteq \alpha^i r_t C_{t-1} Y_{t-1} + \gamma^i r_t S_{t-1}^i Y_{t-1}^i, \qquad 1 \le i \le 4, \quad (2)$$

where  $Y_t \doteq cX_t$  is the overall reported number of infections and  $Y_t^i \doteq cX_t^i$  is reported infections number in the *i*-th cohort. By dividing by the size of the cohort *i*, we get

$$P_{t}^{i} \doteq \beta^{i} r_{t} C_{t-1} P_{t-1} + \gamma^{i} r_{t} S_{t-1}^{i} P_{t-1}^{i}, \qquad P_{t}^{i} = \frac{Y_{t}^{i}}{s^{i}}, \qquad P_{t} = \frac{Y_{t}}{s}, \qquad \beta^{i} = \frac{s}{s^{i}}, \tag{3}$$

where  $s_i$  is the size of the *i*-th cohort and s is the whole population size.

Equations (2) and (3) may serve for understanding of infection spread in schools and consequently for policy recommendations. Say that our goal is to keep new cases in the cohort less than some  $y_0$  (for instance, corresponding to 50 cases per 100 thousand) and, when the numbers are higher, to decrease it by a ratio  $\rho_0$ . From (2) we get that, for it to happen at t, it has to be

$$\alpha^{i} r_{t} C_{t-1} Y_{t-1} + \gamma^{i} r_{t} S_{t-1}^{i} Y_{t-1}^{i} \le \max(\rho_{0} Y_{t-1}^{i}, y_{0})$$

which happens if

$$\rho_t := \rho_t^{\alpha} + \rho_t^{\gamma} < \rho_0, \qquad \rho_t^{\alpha} = \alpha^i r_t C_{t-1} \frac{Y_{t-1}}{\max(Y_{t-1}^i, y_0)}, \qquad \rho_t^{\gamma} = \gamma^i r_t S_{t-1}^i \min\left(1, \frac{Y_{t-1}^i}{y_0}\right)$$

The equivalent formulation (3), on the other hand, allows comparisons between cohorts, as it sepak in the language of infection probabilities: here the first/second summand evaluates probability of infection outside/inside the school.

For the purpose of estimation, we may impose for  $S_{t-1}^i$  in (3) to get a linear model

$$P_{t}^{i} \doteq \beta^{i} Q_{t} + \gamma^{i} U_{t} + \delta^{i} V_{t} + \epsilon_{t},$$

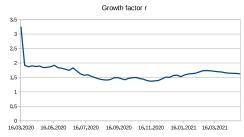
$$Q_{t} = R_{t} P_{t}, \qquad U_{t} = r_{t} D_{t-1}^{i} P_{t-1}^{i}, \qquad V_{t} = r_{t} D_{t-1} M_{t-1} P_{t-1}, \qquad \delta^{i} = -\mu \gamma^{i}.$$
(4)

Here,  $\epsilon_t$  is centered error term for which we assume  $\operatorname{var}(\epsilon_t) \sim Q_t^2$  – see Appendix for further details and more rigorous treatment.

#### Data

Our data came from public sources. The series values  $Y^1, \ldots, Y^5$  are taken from the public dataset by the Czech Ministry of Health, namely the anonymized person-level list of reported infections (cit osoby.htm) including, among other things, the date of reporting the infection and the age.

The growth rate  $r_t$  is computed by exponential smoothing of series  $\frac{Y_t/Y_{t-1}}{C_{t-1}}$  with parameter  $\alpha = 0.1$ , see the following chart.



The values of S and M are estimated from publicly available sources, mostly from resolutions of the Czech government concerning school attendance, which have been put into effect through decrees of the Ministry of Education (see the electronic supplement TBD for details). Only weeks starting from April 6th, 2020 are taken into account, as we regard the previous epidemic data as noisy, unreliable and suffering from small sample properties. The last values correspond to the first week staring on April 5th, 2021. The values of S were set to 1 if the school was open without restrictions other than mask, and to 0 if it was closed. We estimated values of S only from weeks, when we could relatively reliably estimate value of S. Thus, we excluded observations corresponding to holidays, weeks with no more than two possible school days, and the weeks with non-standard regime, such as rotations or limited numbers of students in a room. We also excluded the weeks where only first two classes had been open which we study separately.

The corresponding values of S and M are listed in the Table TBD (appendix) together with notes on how we determined fractional values S and reasons of observation exclusions. The additional column contains values for the first two degrees. The following table summarizes our data-set.

	Kindergartens	$\operatorname{First}$	$\mathbf{Second}$	Secondary	First two
		$_{ m degree}$	$_{ m degree}$	$_{ m grades}$	
Observaions	42	23	34	35	26
Opened	32	7	7	9	12
$\dots$ with masks	0	5	5	7	12
$\dots$ without masks	32	2	2	2	0

#### Results

For all the cohorts with observations both with and without masks, masks, i.e. for the primary school– and the secondary school cohorts estimated  $\beta, \gamma$  and  $\delta$  in (4). In all the three cases, the coefficients came out "reasonably":  $\beta$  came out undoubtedly significant (overall epidemics influences the infections),  $\gamma>0$  (schools add the infections) and  $0 \le -\delta \le \gamma$  (masks reduce infection in schools); however, yet  $\gamma$  is always significant, the estimate of  $\delta$  (the influence of masks) is insignificant for the first degree ,and, yet these estimates are significant for the second degree and strongly significant for the secondary schools, these results have to be interpreted with caution, as there are only two observations without masks in both cases; moreover, as it is indicated by the Variance Inflation factors, the first– and second degree estimates possibly suffer from co-linearity of U and V.

For kindergartens, where masks were never worn in classes, and for the first two classes, where masks were always worn when open, we subsequently estimated (4) with  $\delta^1 = 0$ . In both the cases, the coefficient  $\gamma$  (the influence of opening) came out undoubtedly significant.

The results of estimation may be found in the following Table.

	Kindergartens	First degree	Second degree	$\mathbf{Secondary}$	1.  and  2.
β	$0.369^{***}(0.0578)$	$0.55^{***}(0.0405)$	$0.83^{***}(0.0397)$	$0.57^{***}(0.048)$	$0.503^{***}(0.0419)$
$\gamma$	$0.41^{***}(0.055)$	$0.61^{**}(0.262)$	0.62***(0.208)	$1.11^{***}(0.154)$	0.36***(0.042)
$\delta$		-0.49*(0.251)	-0.6**(0.222)	-0.85***(0.177)	

The results strongly indicate the influence of opening corresponding school categories and they also indicate that wearing masks reduces infections significantly. Unfortunately, due to small numbers of observations, the estimates of  $\gamma$  and  $\delta$  are rather unprecise. The values of the variance inflation factors below 5 in each case, however, suggest that the models do not suffer from colinearity, so they should be capable to distinguish sharply the effect of wearing masks

When comparing the results of the individual cohorts, the values of  $\beta$ , indicating the rate pf infection outside schools, interestingly increase with the age up to the secondary schools, where  $\beta$  is again less. The values  $\gamma$  (the influence of school opening without masks) increase with age. The estimated effect of wearing masks (coefficients  $\delta$ ) to increase with age, yet the effect of the attendance masks is for the first two grades and in secondary schools. All in all we can conclude that opening all the types of schools contributes to the pandemics, but additional measures, such as wearing masks, can decrease it.

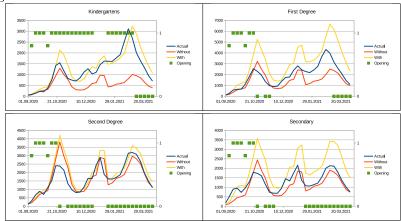
Further we focused focused on the prevailing modus operandi of the individ-

ual school categories, namely not wearing masks in kindergartens and wearing masks elsewhere. To this end, we re-estimated (4) with  $\delta=0$  using only records where either schools were closed or the usual modus operandi took place (i.e. without masks in kindergartens, with masks otherwise). The results are in the following table

· · O								
	Kindergartens		First degree	Second degree	$\operatorname{Secondary}$	Primary		
		${ m no~masks}$	$_{ m masks}$	$_{ m masks}$	$_{ m masks}$	masks		
	β	$0.369^{***}(0.0578)$	$0.55^{***}(0.0429)$	0.829***(0.0419)	$0.57^{***}(0.0425)$	0.503***(0.0419)		
	$\gamma$	$0.41^{***}(0.055)$	0.19(0.133)	0.12(0.103)	$0.44^{***}(0.08)$	$0.36^{***}(0.039)$		
	$\alpha$	$0.012^{***}(0.0018)$	$0.029^{***}(0.0023)$	$0.035^{***}(0.0017)$	$0.022^{***}(0.0016)$	$0.011^{***}(0.0009)$		

The values and errors of  $\beta$  are identical for the kindergartens and the first grades (the same observations were used) and are nearly identical in the remaining cases. The values of  $\gamma$  are consistent with the previous results, roughly corresponding to  $\gamma - \delta$  of the previous model (in the previous model,  $\gamma$  measured the influence of not wearing masks, here of wearing masks). For the first and the second degrees, the values are insignificant, which is non surprising, as their "true" values are close to zero. The (insignificant) result at the second degree indicates less contribution than the first degree. In the secondary schools, the contribution is again higher. What is however little surprising is the (significantly) greater impact of school attendance in secondary schools than in the primary ones. A clue may be the previous model, where the same phenomenon appears, yet not so sharply; there, the values suggest that there is more risk contacts in the secondary schools, perhaps outside classes where the students do not protect themselves; however, this explanation is far from being unambiguous.

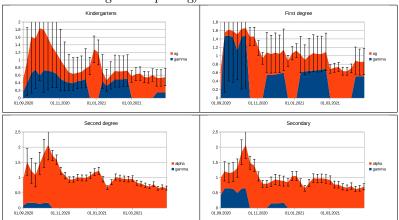
To give the reader an idea about quantities in question, we further plotted predictions of the latter "as usual" model for all the cohorts, see the following Figure



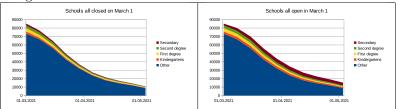
The graphs show one-week predictions of  $Y_t^i$  with— and without schools (fully) open, i.e. with  $S_{t-1} = 1$ ,  $S_{t-1} = 0$ , respectively, and with M set according to the usual manner. In addition, actual (observed) numbers and the degree of opening schools one week before (values of  $S_{t-1}^i$ ) are depicted. It can be seen that, according to the model, full opening of schools (in a usual manner)

at least doubles the new cases in corresponding except for the second degrees; however, it is important to keep in mind the insignificance of results for the primary schools.

Finally, we evaluated index  $\rho_t$  for all the types during the school year 2020/21. Recall that  $\rho_t$  is an indicator of safe opening of schools, whose value below 1 indicate that the cases in the corresponding cohort will not rise. Recall also that the indicator is a sum of a part dependent on the outside epidemic (indexed by  $\alpha$ ) and the part dependent on the degree of opening of schools (indexed by  $\gamma$ ). The following graphs show the values of the index through time (with the true degree of opening)



Here we see that, while the closure of all types of schools was necessary in Autumn, their closure (not opening at least in some restricted mode) in March seems strict. However, these indicators speak only about the growth at a given time; if the schools were open, however, the numbers of infected students would rise, possibly amplifying the effect. To examine this, we modeled the hypothetical situation in which all the schools were all open (in a usual manner, i.e. with masks wherever except for kindergartens), on March 1, when all the schools had been closed. In our model, we assumed the numbers of cases outside the examined cohorts to be as in reality while the numbers in the cohorts were computed according to the "as usual" model. The results can be seen in the following charts.



We see in the chart, that the contribution of such opening is quite significant and, yet it does not overturn decreasing trend of the epidemic, it probably would, if the other areas of life would have been opened too. The result however shows that, in the case that opening schools were politically prioritized, it would not make much harm if it was isolated.

#### Discussion

In our honest opinion, our results convincingly prove the strong influence of inclass education over various types of schools and the influence of wearing masks in rooms. However, our study has several limitations. First of all it is a shortage of data. Most of the weeks we examine, the schools have been closes, and when they were opened, mostly with masks, which clearly complicates quantification of their influences. Therefore, the quantitative results should be taken with slight caution.

Further, there is a determinant of children infections not taken into account in our analysis: encounters with teachers, which can be significant (TBD cite Neruda et al). This influence could be taken into account by adding another coefficient into (4); however, due to lack of data, there would be little chance for significant results.

Further, in discussions on influence of schools, two arguments are often heard: that children, not going to schools, are infected more in other environments, and that this influence of schools is spurious due to more extensive testing of students when they attend school in person, yet, in the examined period, no preventive testing in schools took place. In our model, the former hypothesis would mean that, in addition to fraction  $\alpha^i Q_t$ , infected outside schools,  $k^i(1-S^i_{t-1})Q_t$  for some  $k^i$  would be infected. The latter hypothesis, on the other hand, could be expressed as  $Y^i_t = (c + S^i_{t-1}d^i)X^i_t$  for some  $d^i$ . Both the hypotheses can thus be examined by estimating a variant of the "as usual" model

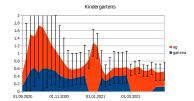
$$P_t^i \doteq \beta^i Q_t + \gamma^i U_t + \phi^i W_t^i + \eta_t, \qquad W_t^i = Q_t S_{t-1}^i;$$

values of  $\phi^i < 0$  then speak for the first hypothesis (children are infected anyway), the values  $\phi > 0$  for the second one (there is higher chance to be tested at school). The results of this estimation can be found in the following Table

	Kindergartens	First degree	Second degree	$\operatorname{Secondary}$	Primary
	no masks	${ m masks}$	${ m masks}$	${ m masks}$	$_{ m masks}$
$\beta$	$0.535^{***}(0.075)$	$0.557^{***}(0.0385)$	$0.846^{***}(0.0454)$	0.578***(0.0484)	$0.49^{***}(0.0466)$
$\gamma$	$0.49^{***}(0.058)$	-0.74(0.467)	-0.17(0.339)	0.4*(0.22)	$0.35^{***}(0.047)$
$\phi$	-0.29***(0.098)	$0.64^{**}(0.322)$	0.3(0.357)	0.04(0.305)	0.04(0.093)

We can see from the table, that, for the two oldest cohorts,  $\phi$  is insignificant, while, for the kindergarten cohort, results support the hypothesis "infected instead" while, for the first degree cohort, data suggest the "over-tested" hypothesis. In the latter case, however, the result is unintuitive ( $\gamma < 0$ ), which is probably due co-linearity (VIR is nearing 20). Thus, only "infected instead" alternative in kindergartens should be taken into account. However, the results are comparable. The next charts show the "safety criterion"  $\rho_t$ , which is now changed to

$$\rho_t := \rho_t^{\alpha \psi} + \rho_t^{\gamma} < \rho_0, \qquad \rho_t^{\alpha \psi} = r_t (\alpha^i C_{t-1} + \psi^i S_{t-1}^i) \frac{Y_{t-1}}{\max(Y_{t-1}^i, y_0)}, \qquad \psi^i = \frac{s^i}{s} \phi^i$$



# Questions/Ideas

• Not split primary schools (and present degrees only as secondary results)?

# Appendix

### The Statistical Model

TBD

Date		$_{ m ergartens}$		$_{ m degree}$	Secon	d degree	Second		Prir	nary
	$S^1$	$M^1$	$D^2$	$M^2$	$D^3$	$M^3$	$D^4$	$M^4$	$D^{2*}$	$M^{2*}$
06-Apr-20	0		0		0		0		0	
13-Apr- $20$	0		0		0		0		0	
20-Apr- $20$	0		0		0		0		0	
27-Apr- $20$	0		0		0		0		0	
04 -May -20	1	N	0		0		0		0	
11-May-20	1	N	0		$\times^{ad}$		$0.25^{d}$	Y	×	
18-May- $20$	1	N	0		$\times^{ad}$		$0.25^{d}$	Y	×	
25-May- $20$	1	N	$\times^a$		$\times^{ad}$		$\times^{ad}$		×	
01-Jun-20	1	N	$\times^a$		$\times^{ad}$		$\times^{ad}$		×	
08-Jun- $20$	1	N	$\times^a$		$\times^{ad}$		0		×	
15-Jun- $20$	1	N	$\times^a$		$\times^{ad}$		0		×	
22-Jun-20	1	N	$\times^a$		$\times^{ad}$		0		×	
29-Jun- $20$	$\times^e$		$\times^e$		$\times^e$		$\times^e$		×	
	:		:		:		:		×	
24-Aug-20	$\times^e$		$\times^e$		$\times^e$		$\times^e$		×	
31-Aug-20	$0.8^a$	N	$0.8^{b}$	N	$0.8^{b}$	N	$0.8^{b}$	N	×	
07-Sep-20	1	N	1	N	1	N	1	N	×	
14-Sep-20	1	N	1	Y	1	Y	1	Y	×	
21-Sep-20	1	N	1	Y	1	Y	1	Y	×	
28-Sep-20	$0.8^{a}$	N	$0.8^{b}$	Y	$0.8^{b}$	Y	$0.8^{b}$	Y	×	
05-Oct-20	1	N	1	Y	1	Y	1	Y	×	
12-Oct-20	1	N	1	Y	1	Y	1	Y	×	
19-Oct-20	1	N	0		0		0		0	
26-Oct-20	1	N	$\times^g$		$\times^g$		$\times^g$		×	
02-Nov-20	1	N	0		0		0		0	
09-Nov-20	1	N	0		0		0		0	
16-Nov-20	1	N	$\times^c$		0		0		1	Y
23-Nov-20	1	N	$\times^c$		0		$\times^d$		1	Y
30-Nov-20	1	N	$\times^c$		0		$\times^d$		1	Y
07-Dec-20	1	N	$\times^c$		0		$\times^d$		1	Y
14-Dec-20	1	N	$\times^c$		0		$\times^d$		1	Y
21-Dec-20	$\times^f$	- '	$\times^f$		$\times^f$		$\times^f$		×	-
28-Dec-20	$\times^f$		$\times^f$		$\times^f$		$\times^f$		×	
04-Jan- $21$	$\times^f$		$\times^f$		$\times^f$		$\times^f$		×	
11-Jan-21	1	N	$\times^c$		0		0		1	Y
18-Jan-21	1	N	$\times^c$		0		0		1	Ÿ
25-Jan- $21$	1	N	$\times^c$		0		0		1	Y
$01 ext{-Feb-}21$	1	N	$\times^c$		0		0		1	Ÿ
$08 ext{-} ext{Feb-}21$	1	N	$\times^c$		0		0		1	Ÿ
15-Feb-21	1	N	$\times^c$		0		0		1	Y
22-Feb-21	1	N	$\times^c$		0		0		1	Y
01-Mar-21	0	•	0		0		0		0	
08-Mar-21	0		0		0		0		0	
15-Mar-21	0		0		0		0		0	
22-Mar-21	0		0		0		0		0	
29-Mar-21	0		0	11	0		0		0	
05-Apr-21	0		0		0		0		0	
1 -	1		-				•		1	

Table 1: Notes:  $a-only\ 15$  pupils in the classroom (approx. half),  $b-only\ 4$  days from week,  $c-only\ 1st$  and 2nd calsses are open,  $d-only\ the$  last year open,  $e-summer\ vacation$ ,  $f-Christmas\ vacation$ ,  $g-autumn\ vacation$