Data C8, Final Exam

Summer 2023

Name:	
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Student ID:	
Name of the student	to your left:
Name of the student	to your right:
Instructions:	
	Do not open the examination until instructed to do so.
completed in the	sts of 80 points spread out over 4 questions on 14 pages and must be 110 minute time period on August 11, 2023, from 10:10 AM to 12:00 ave pre-approved accommodations otherwise.
should only selec	questions have circular bubbles to select a choice. This means that you et one choice. Other questions have boxes. This means you should select lease shade in the box/circle to mark your answer.
_	write your student ID number (SID) in the upper right-hand corner of exam. Make sure to write your SID on each page to ensure that your
	the UC Berkeley community, I act with honesty, integrity, and respect the person whose name is on the exam, and I completed this exam in
Signature:	

1 Barbenheimer Returns [18 Points]

Rotten Tomatoes, a movie review website, is measuring which of the two movies – Oppenheimer or Barbie – has higher reviews among Berkeley students. They believe that Berkeley students will give higher reviews to the Oppenheimer movie.

Researchers at Rotten Tomatoes randomly sample 1000 Berkeley students and show **each** student **both** movies under identical viewing conditions. Immediately after watching each movie, every student is asked to rate that movie on an integer scale from 1 (worst) up to, and including 10 (best). The reviews are collected in a table named reviews; shown below are the first few rows.

movie	review
Oppenheimer	8
Barbie	9
Oppenheimer	6
Barbie	8

... (1996 rows omitted)

- (a) [2 Pts] Which of the following is a correct **null** hypothesis that Rotten Tomatoes should use to assess their claim? **Select one**.
 - The Oppenheimer movie has a different distribution of reviews than the Barbie movie among the given sample of Berkeley students.
 - The Oppenheimer movie has the same distribution of reviews as the Barbie movie among the given sample of Berkeley students.
 - O The Oppenheimer movie has a different distribution of reviews than the Barbie movie among Berkeley students.
 - The Oppenheimer movie has the same distribution of reviews as the Barbie movie among Berkeley students.
- (b) [2 Pts] Please state a clear and complete **alternative** hypothesis that Rotten Tomatoes should use to assess their claim.

Solution:

The Oppenheimer movie has higher reviews than the Barbie movie among Berkeley students

(c) [3 Pts] Rotten Tomatoes uses the **difference of means** as their test statistic. Complete the function below so that it returns the difference of mean reviews between the two movies. Larger values of the test statistic should favor the alternative hypothesis.

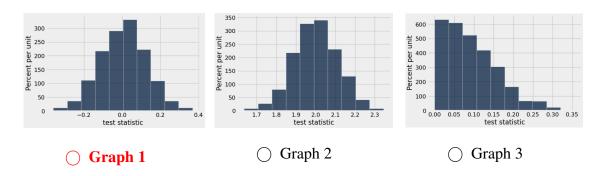
Note: Assume that the reviews_table argument resembles the reviews table above.

Hint: The group function will return a table that is sorted alphabetically based on the values in the column used for grouping.

(i) Fill in the blank (A)

Solution: reviews_table.group(0, np.mean).column(1)

- (ii) Which of the following options is most appropriate for blank (B)
 - means_col.item(0) means_col.item(1)
 - means_col.item(1) means_col.item(0)
- (d) [3 Pts] Which of the following may be used to create simulations under the null hypothesis? **Select all that apply.**
 - \square Shuffle the values of only the movie column.
 - $\hfill \square$ Shuffle the values of only the review column.
 - ☐ Shuffle the values of the movie column, then shuffle the values of the review column.
 - \square Randomly sample all of the rows of the reviews table with replacement.
 - \square Randomly sample all of the rows of the reviews table **without replacement**.
 - \square None of the above.
- (e) [2 Pts] Suppose we simulate 10,000 values of the test statistic under the null hypothesis. Which of the following will our distribution of simulated test statistics most closely resemble?



	You obtain a p -value of 0.37 from your experiment above. Which of the following its are true? Select all that apply.
Note: Re	ecall that larger values of your test statistic should favor the alternative hypothesis.
	Your observed test statistic lies at the $63^{\rm rd}$ percentile of the distribution of test statistics simulated under the null hypothesis.
	37% of the test statistics simulated under the null hypothesis were as, or less extreme than the observed test statistic.
	The Barbie movie has higher reviews than the Oppenheimer movie among Berkeley students.
	With a p -value cutoff of 5% , our data are consistent with the null hypothesis.
	None of the above.
(g) [3 Pts] V	Which of the following statements are true? Select all that apply.
	If Rotten Tomatoes repeats the same experiment, but instead, they sample $10,000$ Berkeley students, the observed test statistic will more accurately reflect whether Oppenheimer is reviewed higher than Barbie among Berkeley students.
	If Rotten Tomatoes repeats the same experiment, but instead, they sample $10,000$ Berkeley students, the distribution of test statistics simulated under the null hypothesis will have a smaller standard deviation.
	If Rotten Tomatoes repeats the same experiment, but instead, they simulate 1000 values of the test statistic under the null hypothesis , the distribution of these simulated test statistics will have a larger standard deviation.
	None of the above.

2 California Loves Transit [22 Points]

You've just been hired as a data scientist for the City of San Francisco! Your team is interested in studying public transportation, so you begin analyzing data from the widely-used BART train system and the AC Transit bus services during 2022.

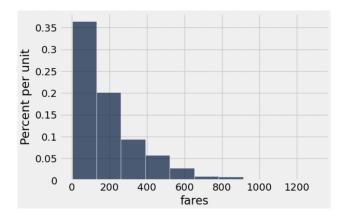
Unfortunately, there is so much data from 2022 that it will overwhelm your computer, so instead, your team gives you a large random sample of 1000 riders in a table called transport. Displayed below are the first few rows.

- id (integer): identification (id) of the rider.
- transfer (**boolean**): whether that particular rider transferred between a BART train and an AC Transit bus at least once during 2022.
- fares (float): total amount that particular rider spent on fares in 2022, measured in dollars.

id	transfer	fares
32849	True	12.5
29490	False	62
81305	False	131.75
70654	False	43

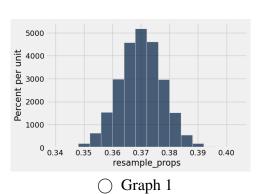
... (996 rows omitted)

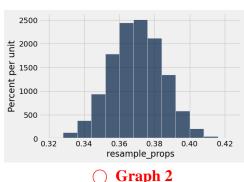
(a) [2 Pts] Given below is the distribution of the fares column from the transport table. Which of the following conclusions can you draw from the plot? **Select all that apply**.

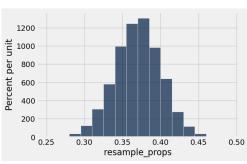


- ☐ The distribution of the fares column in transport is right-skewed.
- ☐ The distribution of the fares column in transport is left-skewed.
- ☐ The median of the fares column in transport is less than the mean.
- ☐ The median of the fares column in transport is **greater than** the mean.

(b) [2 Pts] Which of the following statements must be true? **Select all that apply**. ☐ The distribution of **fare spending** among all riders is approximately normal. ☐ The distribution of sample means of fare spending is approximately normal for large random samples of data. ☐ The distribution of sample sums of fare spending is approximately normal for large random samples of data. ☐ The distribution of **sample medians of fare spending** is approximately normal for large random samples of data. \square None of the above. Your team is interested in estimating the proportion of all riders who had transferred between a BART train and an AC Transit bus at least once. You decide to use your sample of 1000 riders to estimate this unknown population parameter. (c) [4 Pts] Fill in the blanks to generate a visualization of 10,000 bootstrapped proportions of riders who transferred between a BART train and an AC Transit bus at least once. resample_props = make_array() for i in np.arange(10000): resamp = ____(A)____ resamp_prop = _____(B)____ (C) Table().with_column("resample_props", resample_props).hist() Fill in the blank (A) **Solution:** transport.sample() Fill in the blank (B) **Solution:** np.mean(resamp.column("transfer")) Fill in the blank (C) **Solution:** resample_props = np.append(resample_props, resamp_prop) (d) [2 Pts] You find that the mean and standard deviation of your bootstrapped proportions, resample_props is 0.37 and 0.015, respectively. Which of the following most closely resembles the distribution of resample_props?







○ Graph 3

(e) [3 Pts] Write a mathematical expression that evaluates to the probability that the first row in transport is included at least once in a single bootstrap re-sample of size 1000. Please do not simplify.

Solution: P(the first row is included at least once in one bootstrap sample)

- 1 P(the first row is not chosen for any of the bootstrap's 1000 rows)
- $1 P(\text{the first row is not chosen})^{1000}$

 $1 - (\frac{999}{1000})^{1000}$

(f) [2 Pts] Fill in the blanks so that interval contains the left and right endpoints of a 95% confidence interval for the proportion of riders in the population who transferred at least once.

Note: You may used variable names defined from previous sub-parts in your code.

Fill in the blank (A)

Solution: percentile(2.5, resample_props)

Fill in the blank (B)

Solution: percentile(97.5, resample_props)

- (g) [3 Pts] Which of the following conclusions can you draw using your 95% confidence interval in part (f)? Select all that apply.
 - \Box If someone takes the BART train, there is a 95% chance that they transfer to an AC Transit bus.
 - \Box If you make confidence intervals from many large random samples from the population, you can expect that roughly 95% of the intervals you create will contain the true population proportion.
 - \square There is a 95% chance that the population's true transfer proportion is within the interval generated in **part** (f).
 - \square There is a 95% chance that the sample's true transfer proportion is within the interval generated in **part** (f).
 - \square None of the above.
- (h) [4 Pts] Your team has one last request. They want your 95% confidence interval to be no wider than 5%. Using the maximum standard deviation of a 0-1 population, what is the smallest sample size that satisfies this requirement? **Express your answer as an integer.**

Solution: Recall that the maximum standard deviation of a 0-1 population is 0.5.

$$0.05 = 4 * \frac{0.5}{\sqrt{sample size}}$$

 $\sqrt{sample size} = 4 * \frac{0.5}{0.05}$
 $\sqrt{sample size} = 4 * 10$
 $sample size = 1600$

3 Breaking Batter: Fried Chicken Edition [23 Points]

Walter and Jesse own a fried chicken restaurant, where they track various details about their food quality. They store this information in a table called data; displayed below are the first few rows. Every row corresponds to a distinct order of fried chicken, and the data was collected randomly. Assume that larger values on a 1-10 scale are considered better (and smaller values worse).

- chicken_quality (float): quality of the raw chicken (scale: [1.0 10.0])
- cooking_temp (integer): cooking temperature of the fried chicken, in degrees Fahrenheit
- seasoning_amount (integer): amount of seasoning in the fried chicken, in grams
- resting_time (float): resting time of the fried chicken before serving, in minutes
- customer_score (float): customer satisfaction rating of fried chicken (scale: [1.0-10.0])

è	customer_scor	resting_time	seasoning_amount	cooking_temp	chicken_quality
2	9.	10.5	22.5	160	8.5
3	7.	6.25	14.175	160	7.7
)	9.	15	18.25	165	9.6

- (a) [2 Pts] Walter calculates a correlation r=0.6 between the two variables <code>customer_score</code> and <code>chicken_quality</code>. Which of the following conclusions can be draw from this correlation? Select one.
 - Fried chicken made from higher quality chicken generally tends to have higher customer satisfaction scores than fried chicken made from lower quality chicken.
 - In the data table, the customer_score values generally deviate less from their average than the chicken_quality scores deviate from their average.
 - Fried chicken made from the highest quality chicken also has the highest customer satisfaction score.
 - The use of better quality chicken in the fried chicken recipe causes higher customer satisfaction scores.

- (b) [2 Pts] Given the correlation of 0.6 between chicken_quality and customer_score, mark the following as **True or False**.
 - (i) The correlation between chicken_quality in standard units and customer_score in standard units is 0.6.

○ True
○ False

(ii) The correlation between chicken_quality in standard units and customer_score in original units is 0.6.

○ True
○ False

Walter wants to predict the customer_score from chicken_quality. For the following parts, you may assume that:

- The chicken_quality column has a mean of 8.4 and a standard deviation of 0.7
- The customer_score column has a mean of 8.6 and a standard deviation of 0.5
- The correlation between chicken_quality and customer_score is 0.6
- (c) [4 Pts] What are the **slope** and **intercept** of the regression line in **original units**? You do not need to simplify; you may write your answer as a mathematical expression.

Note: In your expression for the intercept in **part** (ii), you may use the word "slope" to represent the value of the slope in **part** (i).

(i) Slope:

(ii) Intercept:

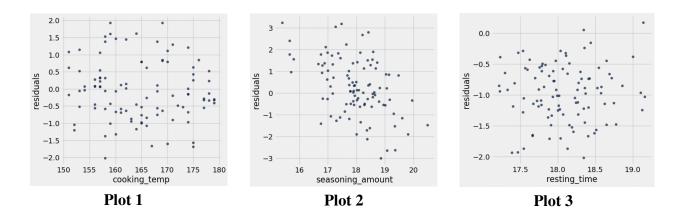
(d) [2 Pts] The restaurant receives an exceptional shipment of raw chicken. This shipment has a chicken_quality that is 2 standard deviations above the mean. What is the predicted satisfaction score in standard units that customers will give the fried chicken made from this new shipment? Please simplify your answer.

Solution: 1.2 y_su = r * x_su y_su = 0.6 * 2 = 1.2

leading to a below average customer_sc	from the shipment in part (d) was cooked poorly, ore. If Walter adds this order to his data table ers in data, will the slope of the line increase or in part (c)? Select one.
○ Increase	
Decrease	
Not enough information	
squares line that predicts customer_scor	the uses an optimization approach to find the least the from chicken_quality. Fill in the blanks of the slope and intercept of the least squares line
<pre>def rmse(slope, intercept):</pre>	
<pre>y_predicted =</pre>	(A)
return	(B)
parameters =	(C)
Fill in the blank (A) Solution: slope * data.column("	chicken_quality") + intercept
Fill in the blank (B)	
Solution:	
np.mean((data.column("custom	er_score") - y_predicted)**2)**0.5
Fill in the blank (C)	
Solution: minimize(rmse)	
	ntercept that Jesse finds from his optimization ap- nd intercept values from his regression approach.
ogreater than	o equal to
○ less than	 Not enough information

Walter now attempts to predict customer_score from each of the other variables in the data table: cooking_temp, seasoning_amount, and resting_time.

Jesse hands him three scatter plots and claims that these are the residual plots from the regression line that predicts <code>customer_score</code> from each of the three variables above.



Do each of the plots indicate that Jesse used the **regression line** to predict customer_score? If you answer **No**, explain in **one sentence** how you know that Jesse did not use the regression line. Please do not write anything if you answer **Yes**.

(i) [2 Pts] Plot 1: cooking_temp vs customer_score

Yes No

Solution: N/A

(j) [2 Pts] Plot 2: seasoning_amount vs customer_score

Yes

No

Solution: Walter should not see association in the residual plot.

(k) [2 Pts] Plot 3: resting_time vs customer_score

○ Yes ○ No

Solution: Walter should not see residuals centered at the value of -1 – rather they should be centered at 0.

_	α
l lata	1 'V
Data	. (1)

○ None of the above

4 It's Always Meme Friday [16 Points]

Linear Regression

Bootstrapping

As you may know, Kevin likes to share memes before the start of lecture, but he is concerned that students don't appreciate them. He presents 200 randomly selected lecture memes to all Data 8 students in hopes of understanding whether they like each meme or not. He records the data in a table called meme_data. Each row represents a meme, and the columns are as follows:

able called meme_data. Each row repr	•	
• category (string): the category	of the meme, which is either	er an "image" or a "video".
• insta_num (integer): the numbe	er of times that meme has be	en shared on Instagram.
• time (integer): the duration of th	e meme, in seconds. Images	s will have a time value of 0.
• nontext_percentage (float): (scale: $[0.0 - 100.0]$).	the percentage of the men	ne that is non-textual content
• rating (float): the percentage of	Data 8 students who liked th	te meme (scale: $[0.0-100.0]$).
(a) [4 Pts] Choose which single techni Select one answer choice for each	1 1 1	for answering each scenario.
Note: Please select the "None of the meme_data table alone.	ae above" option if the scena	ario cannot be answered from
(i) Kevin wants to estimate the mean	n rating for all his meme	s among all Data 8 students.
Linear Regression	○ A/B Testing	None of the above
Bootstrapping	Classification	None of the above
(ii) Kevin wants to create a model t times it has been shared on Instagra	_	a meme from the number of
Linear Regression	○ A/B Testing	None of the above
Bootstrapping	Classification	O None of the above
(iii) Kevin wants to use the time co	olumn to predict what cate	gory a meme belongs to.
Linear Regression	○ A/B Testing	○ None of the above
Bootstrapping	Classification	None of the above
(iv) Kevin wants to use the number predict whether or not some particular		

○ A/B Testing

Classification

Kevin is interested in building a classification model that uses the numerical features in the meme_data table to predict whether a meme will be "popular" or not. Here, a "popular" meme is one that is liked by more than 50% of the Data 8 students.

(b) [2 Pts] Please complete the code below so that meme_popular is a copy of meme_data with an additional column called "popular". The "popular" column should include boolean values that indicate whether a meme is popular (True) or not (False).

```
pop_arr = _____(A) _____
meme_popular = _____(B) ____
```

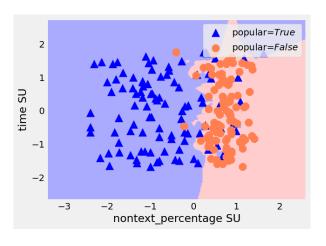
Fill in the blank (A)

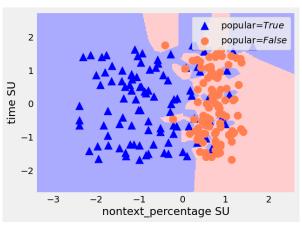
```
Solution: meme_data.column('rating') > 50
```

Fill in the blank (B)

```
Solution: meme_data.with_column('popular', pop_arr)
```

(c) [2 Pts] Kevin converts the time and nontext_percentage columns to **standard units** and creates two k-NN classifiers, each with a different value of k: k=3 and k=1 Which of the following plots corresponds to the 3-NN classifier?





○ Visualization A

Visualization B

(d) [4 Pts] Kevin divides his data into a training and testing data set. After training a 1-NN classifier, he notices that only 10% of the memes in the training data are popular, compared to 50% of memes in the testing data. He finds that this imbalance is due to an error in his code.

After correcting the error and re-distributing the data to restore the balance of popular memes, Kevin re-trains a 1-NN classifier. How would you expect the training and testing performance to change after re-balancing the data?

Training Accuracy

Testing Accuracy

O Increases

Increases

Remains the same

Remains the same

Decreases

Decreases

(e) [4 Pts] Before using Kevin's classifier, a GSI guesses whether a meme from the test set is popular among Data 8 students. The GSI is accurate 75% of the time. For memes that the GSI predicts correctly, Kevin's model's accuracy is 82%; otherwise, Kevin's model's accuracy is 45%. Suppose we randomly sample a meme from the test set and Kevin's model predicts its class correctly. What is the probability that the GSI's prediction is right? Write your answer as a mathematical expression.

Solution:
$$\frac{0.75*0.82}{0.75*0.82+0.25*0.45}$$

5 Congratulations [0 Pts]

Congratulations! You have completed the Final Exam.

- Make sure that you have written your student ID number on *each page* of the exam. You may lose points on pages where you have not done so.
- Also ensure that you have **signed the Honor Code** on the cover page of the exam for 1 point.

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