R-work for Online Assessment

Instructions

You should work through the code below and complete it. Keep the completed code and all the resulting output. Next you should answer the questions in the online quiz. Every student will see a slightly different collection of questions (as we will randomly draw 10 questions from a pool of about 20 questions).

The questions are of four types.

- 1) Questions that merely ask you to report output from your analysis.
- 2) Some questions will ask you about R code. For example, you will see a lot of gaps (XXXX) in the code and questions may ask you how to complete the code to make the code work. Sometimes the XXXX will represent one word and on other occasions it will represent a full line (or two) of code. Other questions may ask you about the output to be produced by a particular bit of code.
- 3) The third type of questions will test your understanding of econometric issues. For example: "What is the meaning of an estimated coefficient?" "Is a particular coefficient statistically significant?"
- 4) The fourth type of question, if asked, will be on general programming issues. For example: what is the meaning of a particular error message, or, how would you search for a particular piece of information.

Preparing your workfile

We add the basic libraries needed for this week's work:

```
library(tidyverse) # for almost all data handling tasks
library(ggplot2) # to produce nice graphiscs
library(stargazer) # to produce nice results tables
library(AER) # access to HS robust standard errors
library(knitr)
source("stargazer_HC.r") # includes the robust regression display
```

Introduction

The data are a database listing of global power generation plants with a range of information (like location, fuel type). Do read through Sections 1 to 4 of the A_Global_Database_of_Power_Plants.pdf file which contains the database's documentation.

This is the data source: L. Byers, J. Friedrich, R. Hennig, A., Kressig, Li X., C. McCormick, and L. Malaguzzi Valeri. 2019. "A Global Database of Power Plants." Washington, DC: World Resources Institute. Available online at <www.wri.org/publication/globalpowerplantdatabase>.

There is no real need for you to access this original source. The datafile and the documentation is provided.

Data Upload - and understanding data structure

Upload the data, which are saved in a csv.

```
data_plants <- XXXX("global_power_plant_database.csv")
data_plants <- as.data.frame(XXXX)  # ensure data frame structure
names(XXXX)

data_plants <- read_csv("global_power_plant_database.csv")
data_plants <- as.data.frame(data_plants)  # ensure data frame structure
names(data_plants)</pre>
```

```
##
    [1] "country"
                                    "country_long"
    [3] "name"
                                     "gppd_idnr"
##
                                    "latitude"
##
    [5] "capacity_mw"
    [7] "longitude"
                                    "primary_fuel"
##
##
   [9] "other fuel1"
                                    "other fuel2"
## [11] "other_fuel3"
                                    "commissioning_year"
   [13] "owner"
                                    "source"
##
## [15] "url"
                                    "geolocation_source"
## [17] "wepp_id"
                                     "year_of_capacity_data"
## [19] "generation_gwh_2013"
                                     "generation gwh 2014"
  [21] "generation_gwh_2015"
                                     "generation_gwh_2016"
  [23] "generation_gwh_2017"
                                     "estimated_generation_gwh"
```

As you upload the data you may get some warning messages, in particular regarding "parsing failures". Please ignore these messages. Ensure that you have 29910 observations and 24 variables.

Let us look at a particular observation so we can understand the data

```
data_plants[7299,]
```

```
##
        country country_long
                                                gppd_idnr capacity_mw latitude
                                          name
##
  7299
                       China Three Gorges Dam WRI1000452
                                                                 22500
##
        longitude primary_fuel other_fuel1 other_fuel2 other_fuel3
  7299
        111.0032
                         Hydro
                                       <NA>
                                                   <NA>
                                                                  NA
##
        commissioning_year owner
                      2003 <NA> China Three Gorges Corporation
## 7299
##
                                                            url geolocation_source
## 7299 http://www.ctgpc.com.cn/sx/sxgczds.php?mClassId=015004
        wepp_id year_of_capacity_data generation_gwh_2013 generation_gwh_2014
##
## 7299 1012216
                                    NA
                                                        NΑ
        generation_gwh_2015 generation_gwh_2016 generation_gwh_2017
##
## 7299
                         NA
                                              NΑ
                                                                   NΑ
##
        estimated_generation_gwh
## 7299
                        92452.57
```

This is the famous Three Gorges Hydro Power plant in China. You can see that for each power plant we have the country information (in fact we also have the exact latitude and longitude) and we know its capacity (capacity_mw) measured in mega watts (MW). It is 22,500 MW and it is the largest Hydro plant in the world. The primary_fuel variable indicates how electricity is being generated. This particular power plant generates electricity using hydro (water) power.

Let us ensure that categorical variables are stored as factor variables. It is easiest to work with these in R. In particular the primary_fuel variable should be defined as a factor variable.

```
data_plants$primary_fuel <- XXXX</pre>
```

```
data_plants$primary_fuel <- as_factor(data_plants$primary_fuel)</pre>
```

Task 1

Find out what the 10 largest hydro plants are named, in which countries they are and what their generation capacity are (i.e. create a Top 10 League Table).

You should find the Three Gorges Dam at the top of your table.

Create a similar table for the top 10 largest nuclear power plants.

Task 2

Create a new variable called **renewable**. This should take the value "renew" for any power plant which produces electricity using hydro, wind, solar, biomass, wave and tidal or geothermal. All other generation types should get a "non_renew" in the **renewables** variable.

We did something similar in Demo Class 1 (using the fct_recode function)

```
data_plants <- data_plants %>%
   mutate(renewable = fct_recode(primary_fuel,
    "renew" = "Hydro",
                       # new level = old level
    "non renew" = "Gas",
    "non_renew" = "Other",
    "non renew" = "Oil",
    "renew" = "Wind",
    "non renew" = "Nuclear",
    "non_renew" = "Coal",
    "renew" = "Solar",
    "non_renew" = "Waste",
    "renew" = "Biomass",
    "renew" = "Wave and Tidal",
    "non_renew" = "Petcoke",
    "renew" = "Geothermal",
    "non_renew" = "Cogeneration",
    "non_renew" = "Storage"))
```

You have done it right if you can replicate this output, meaning that there are 19867 generation unit entries which use renewable sources.

summary(data_plants\$renewable)

```
## renew non_renew
## 19867 10043
```

The generation capacity of a power plant is measured in megawatt (MW) (and included as the variable capacity_mw in the dataset). Sometimes capacity is also reported in gigawatt (GW). Add a new variable, capacity_gw, to data_plants which measures a generation unit's capacity in GW. You will have to find out how to translate MW to GW.

```
# either of the following
data_plants <- data_plants %>% mutate(capacity_gw = capacity_mw/1000)
data_plants$capacity_gw <- data_plants$capacity_mw/1000</pre>
```

After creating cpacity_gw use the summary function to create some summary statistics for this new variable. You should find the maximum capacity (in GW) to be 22.5 and the mean capacity to be 0.1863 GW.

```
summary(data_plants$capacity_gw)
```

```
## Min. 1st Qu. Median Mean 3rd Qu. Max.
## 0.001000 0.004774 0.018900 0.186295 0.100000 22.500000
```

Task 3

Let's calculate the capacity of nuclear power stations in the USA (in GW)?

```
data_plants %>% filter(primary_fuel == "Nuclear", country == "USA") %>%
  summarise(sum(capacity_gw))
```

```
## sum(capacity_gw)
## 1 106.1482
```

Now produce a table which calculates the capacity of nuclear, coal, hydro, wind, solar and gas powered electricity generation for the following countries (Brazil, USA, UK, China). Meaning for each of these countries you want a capacity for nuclear power generation capacity, another for hydro, another for wind, etc. As usual there are several ways to achieve the same but if you use piping in combination with filter, group_by and summarise you can use techniques which

```
sel_countries <- c("BRA",XXXX)
sel_fuel <- c("Nuclear",XXXX)
Table2 <- data_plants %>%
    XXXX(XXXX %in% XXXX, XXXX %in% XXXX) %>%
    group_by(country,primary_fuel) %>%
    XXXX(cap = XXXX(XXXX)) %>%
    spread(country,cap) %>% print() # the spread(country,cap) part is optional but nice
```

```
sel_countries <- c("BRA", "USA", "GBR", "CHN")
sel_fuel <- c("Nuclear", "Coal", "Hydro", "Wind", "Solar", "Gas")
Table2 <- data_plants %>%
  filter(country %in% sel_countries, primary_fuel %in% sel_fuel) %>%
  group_by(country,primary_fuel) %>%
  summarise(cap = sum(capacity_gw)) %>%
  spread(country,cap) %>% print()
```

```
## # A tibble: 6 x 5
## primary_fuel BRA CHN GBR USA
## <fct> <dbl> <dbl> <dbl> <dbl> <dbl>
```

```
## 1 Hydro
                  98.0
                           259.
                                   4.12 101.
## 2 Gas
                            59.8 29.9 526.
                  11.3
## 3 Wind
                  10.3
                            51.0 17.6
                                         88.5
## 4 Nuclear
                   1.99
                            33.4
                                   8.92 106.
## 5 Coal
                   2.79
                           956.
                                  12.3 283.
## 6 Solar
                   0.00657
                             3.02 8.10 27.4
```

You have it correct if you find that the capacity of gas fired electricity generation in Brazil is approximately 11.286 GW.

Merge with other data

Let's load a few country indicators:

```
country_ind <- read_csv("CountryIndicators.csv", na = "#N/A")</pre>
```

Check out the names of the variables.

```
names(country_ind)
```

The country indicator in this file, geoID is a two letter code, but the country indicator in data_plants, the variable country is a three letter code. We need a common country code so that we can match up the two data files. You should always try to use some such code rather than the actual country names as there are too many variations in country names which may prevent the merging function from merging data. We have learned in a previous project, when dealing with Covid-19 data, that we can use a little function to translate between the two different country codes.

```
library(countrycode)
country_ind$country <- countrycode(country_ind$geoID, origin = "iso2c", destination = "iso3c")</pre>
```

Now we are in a position to merge to data as data_plants\$country and country_ind\$country both contain the three letter country codes.

Task 4

Merge the two data files data_plants and country_ind using the three letter country codes. Bring the data together in a new data file called data combined.

```
data_combined <- XXXX(data_plants, XXXX,all.x = TRUE)

data_combined <- merge(data_plants, country_ind,all.x = TRUE)</pre>
```

Use the stargazer function to calculate summary statistics for the following variables: capacity_gw, commissioning_year. Here is an example of how to use the stargazer function to calculate summary statistics.

```
stargazer(data_combined[,c("capacity_mw","estimated_generation_gwh")],type = "text")
```

```
## estimated_generation_gwh 21,791 847.036 4,067.435 0.000 10.083 339.874 450,562.700
stargazer(data_combined[,c("capacity_gw","commissioning_year")],type = "text")
## Statistic
                N
                          St. Dev.
                                       Pct1(25) Pct1(75)
                    Mean
                                  Min
## ------
                                        0.005
                                 0.001
## capacity_gw
              29,910
                    0.186
                           0.526
                                               0.100
                                                     22.500
## commissioning_year 16,303 1,995.486 23.526 1,896.000 1,986.000 2,012.064 2,018.000
```

You should find, for instance, that the mean value of the capacity_gw is 0.186 and that there are 16,303 observations (N) for the variable commissioning_year.

Clearly information about the commissioning year is missing for many generation units. Furthermore, when you investigate the values that most values are given as full year values, e.g. 2012, but for some observations you get values like 1966.808. What this means is that this particular power plant was commissioned some time in autumn of 1966. For now we are only interested in the full year information. For that purpose we will only use the full number information.

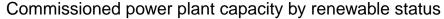
```
data_combined$commissioning_year <- floor(data_combined$commissioning_year)
```

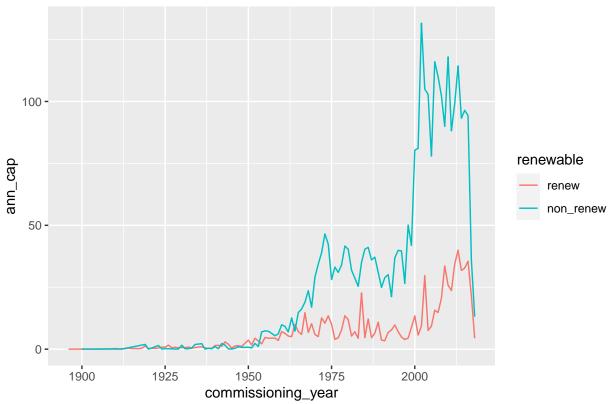
Use the help or a search engine to figure out what the floor function and its sister function ceil do.

Task 5

We want to investigate whether, in more recent years, more renewable capacity is being installed. The commissioning_year variable indicates in what year a particular generator has been installed. Let's create annual data representing the freshly commissioned capacity in a particular year.

Let's plot the result

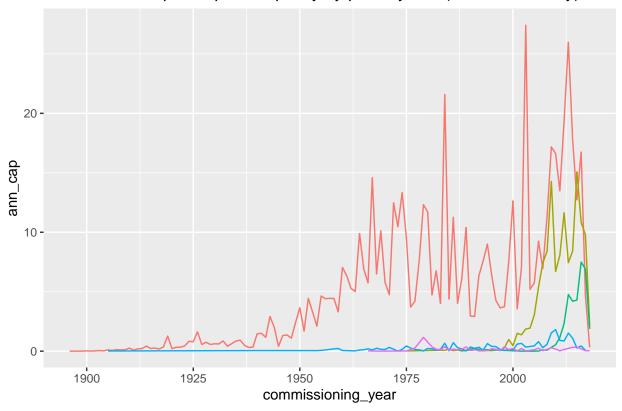




The last year in the dataset is 2018. But it is likely that the information for that year is incomplete. Recall also that a large proportion of power plants do not have a commissioning year information. It may well be that certain patterns (like the huge rise of commissioning capacity around the year 2000) is not really a reflection of the actual commissioning pattern but rather a result of changing reporting patterns. Also, in the document the authors argue that some capacity may not be well captured by their database. Which type of generation is likely to be less accurately recorded?

Repeat the above exercise only for renewable fuel power plants and create a plot which shows the development of the commissioned capacity by primary_fuel type. You should be able to replicate the plot below (but you should include a legend as in the previous plot).





Preparing some data

In this section we shall run some regressions. Let us first prepare some data.

Let's look at the data for a few large countries:

```
reg_data %>% filter(country %in% c("CHN","IND","PAK","RUS","USA"))
```

```
## # A tibble: 5 x 7
## # Groups:
              country [5]
     country gdp_pc
                          pop renew non_renew gen_pc prop_ren
                                          <dbl> <dbl>
                         <dbl>
##
     <chr>
              <dbl>
                               <dbl>
                                                          <dbl>
## 1 CHN
             9364. 1397715000 122.
                                         828.
                                                0.679
                                                           12.8
             2055. 1366417754 20.3
                                         168.
                                                0.138
## 2 IND
                                                           10.8
## 3 PAK
             1339. 216565318
                               2.62
                                           4.94 0.0349
                                                           34.6
            11456. 144373535
## 4 RUS
                                3.34
                                          11.6 0.104
                                                           22.3
```

5 USA 62918. 328239523 117. 300. 1.27 28.1

Task 6

Figure out what the entries in the above table mean, i.e. what the newly calculated variables represent.

Estimating a regression model

We shall estimate the following regression models (mod1)

$$prop_ren = \beta_0 + \beta_1 \ gdp_pc + \beta_2 \ ln(pop) + u$$

and (mod2)

$$gdp_pc = \alpha_0 + \alpha_1 \ gen_pc + \alpha_2 \ prop_ren + u$$

Task 7

Estimate the models above using the following skeleton code:

```
mod1 <- lm(XXXX ~ XXXX+log(pop), data = reg_data)
mod2 <- lm(XXXX)
stargazer_HC(mod1,mod2)

mod1 <- lm(prop_ren ~ gdp_pc+log(pop), data = reg_data)
mod2 <- lm(gdp_pc ~ gen_pc+prop_ren, data = reg_data)
stargazer_HC(mod1,mod2,type_out="text")</pre>
```

```
##
##
  ______
##
                                    Dependent variable:
##
##
                                 prop_ren
                                                   gdp_pc
##
                                   (1)
                                                   (2)
                                 -0.0005**
##
  gdp_pc
##
                                 (0.0002)
##
## log(pop)
                                 -2.746
                                  (2.469)
##
##
                                                16,703.610***
## gen_pc
                                                 (6,241.402)
##
##
## prop_ren
                                                 -104.817**
                                                  (53.146)
##
##
                                                14,646.640***
## Constant
                                 89.447**
##
                                 (43.509)
                                                (3,652.218)
```

```
## Observations
                           48
                                         48
                                      0.256
## R.2
                          0.097
                                       0.223
## Adjusted R2
                          0.057
                                    15,642.950
                        28.495
## Residual Std. Error (df = 45)
## F Statistic (df = 2; 45)
                          2.427*
                                      7.756***
## Note:
                             *p<0.1; **p<0.05; ***p<0.01
##
                      Robust standard errors in parenthesis
stargazer_HC(mod1,type_out="text")
## (Intercept) gdp_pc
                      log(pop)
## 4.350931e+01 1.966712e-04 2.469083e+00
##
                     Dependent variable:
               -----
##
                        prop_ren
## -----
                        -0.0005**
## gdp_pc
##
                         (0.0002)
##
## log(pop)
                         -2.746
##
                         (2.469)
## Constant
                         89.447**
##
                         (43.509)
##
## -----
## Observations
## R2
                          0.097
## Adjusted R2
                          0.057
                     28.495 (df = 45)
## Residual Std. Error
                    2.427* (df = 2; 45)
## F Statistic
## Note:
                     *p<0.1; **p<0.05; ***p<0.01
##
              Robust standard errors in parenthesis
stargazer_HC(mod2,type_out="text")
## (Intercept)
             gen_pc prop_ren
## 3652.21778 6241.40214 53.14571
##
                     Dependent variable:
##
               -----
                        gdp_pc
## gen_pc
                       16,703.610***
##
                        (6,241.402)
##
## prop_ren
                        -104.817**
##
                        (53.146)
## Constant
                       14,646.640***
```

```
##
                          (3,652.218)
##
  _____
##
                             48
## Observations
## R2
                            0.256
## Adjusted R2
                            0.223
## Residual Std. Error
                      15,642.950 (df = 45)
                      7.756*** (df = 2; 45)
## F Statistic
## -----
## Note:
                        *p<0.1; **p<0.05; ***p<0.01
##
                Robust standard errors in parenthesis
```

If you have done this correctly, you will find that that your estimated constant for mod1 is 89.447.

Think about the interpretation of the results. In particular, does any of the above allow a causal interpretation? Also think about how you would perform inference (t-tests) on any of the estimated coefficients. For instance, how would you test $H_0: \alpha_1 = 0$ against $H_A: \alpha_1 \neq 0$. Or how would you test $H_0: \alpha_1 = 10,000$ against $H_A: \alpha_1 \neq 10,000$. Be prepared to be asked to do this during the test.

END OF INSTRUCTIONS

Do you want to read more? Energy economics is an important applied field of economics. Here is a link to the World Energy Outlook 2020 Report by the International Energy Agency https://www.iea.org/reports/world-energy-outlook-2020.