### R-work for Online Assessment

#### Instructions

You should work through the code below and complete it. Keep the completed code and all the resulting output. Next you should answer the questions in the online quiz. Every student will see a slightly different collection of questions (as we will randomly draw 10 questions from a pool of about 20 questions).

The questions are of four types.

- 1) Questions that merely ask you to report output from your analysis.
- 2) Some questions will ask you about R code. For example, you will see a lot of gaps (XXXX) in the code and questions may ask you how to complete the code to make the code work. Sometimes the XXXX will represent one word and on other occasions it will represent a full line (or two) of code. Other questions may ask you about the output to be produced by a particular bit of code. If you want to practice these sorts of questions you could practice on Datacamp.
- 3) The third type of questions will test your understanding of econometric issues. For example: "What is the meaning of an estimated coefficient?" "Is a particular coefficient statistically significant?"
- 4) The fourth type of question, if asked, will be on general programming issues. For example: what is the meaning of a particular error message, or, how would you search for a particular piece of information.

## Preparing your workfile

We add the basic libraries needed for this week's work:

```
library(tidyverse) # for almost all data handling tasks
library(ggplot2) # to produce nice graphiscs
library(stargazer) # to produce nice results tables
library(haven) # to import stata file
library(AER) # access to HS robust standard errors
source("stargazer_HC.r") # includes the robust regression display
```

#### Introduction

The data are an extract from the Understanding Society Survey (formerly the British Household Survey Panel).

## Data Upload - and understanding data structure

Upload the data, which are saved in a STATA datafile (extension .dta). There is a function which loads STATA file. It is called read\_dta and is supplied by the haven package.

```
data_USoc <- XXXX("20222_USoc_extract.dta")
data_USoc <- as.data.frame(XXXX)  # ensure data frame structure
names(XXXXX)

data_USoc <- read_dta("20222_USoc_extract.dta")
data_USoc <- as.data.frame(data_USoc)  # ensure data frame structure
names(data_USoc)</pre>
```

```
## [1] "pidp" "age" "jbhrs" "paygu" "wave" "cpi" "year" ## [8] "region" "urate" "male" "race" "educ" "degree" "mfsize9"
```

Let us ensure that categorical variables are stored as factor variables. It is easiest to work with these in R.

```
data_USoc$region <- XXXX
data_USoc$male <- XXXX
data_USoc$degree <- XXXX
data_USoc$race <- XXXX

data_USoc$region <- as_factor(data_USoc$region)
data_USoc$male <- as_factor(data_USoc$male)
data_USoc$degree <- as_factor(data_USoc$degree)
data_USoc$race <- as_factor(data_USoc$race)</pre>
```

As we defined the male variable as a factor it has levels male and female (check levels(data\_USoc\$male) to confirm). It would be better to relabel the variable to gender.

```
names(data_USoc)[names(data_USoc) == "male"] <- "gender"</pre>
```

The pay information (paygu) is provided as a measure of the (usual) gross pay per month. As workers work for varying numbers of hours per week (jbhrs) we divide the monthly pay by the approximate monthly hours (4\*jbhrs). We shall also adjust for increasing price levels (as measured by cpi). These two adjustments leave us with an inflation adjusted hourly wage. We call this variable hrpay and also calculate the natural log of this variable (lnhrpay).

As we wanted to save these additional variables we assign the result of the operation to data\_USoc.

We also want to use a measure of annual pay (paygu\*12/(cpi/100))) and add this variable (annualpay) to the dataframe (data USoc).

Let's first summarise all numerical variables in our dataset, using the stargazer function.

```
XXXX
```

```
stargazer(data_USoc,type="latex")
```

% Table created by stargazer v.5.2.2 by Marek Hlavac, Harvard University. E-mail: hlavac at fas.harvard.edu

Table 1:

Statistic	N	Mean	St. Dev.	Min	Pctl(25)	Pctl(75)	Max
pidp	133,272	839,218,358.000	467,699,610.000	280,165	410,528,927	1,225,328,047	1,639,568,724
age	133,272	46.172	18.295	9	31	60	103
jbhrs	64,217	32.594	11.614	0.100	25.000	40.000	97.000
paygu	59,216	1,823.574	1,475.064	0.083	850.000	2,400.000	15,000.000
wave	133,272	1.912	0.818	1	1	3	3
cpi	133,272	116.790	4.199	110.800	114.500	119.600	126.100
year	133,272	2,010.453	0.991	2,009	2,010	2,011	2,013
urate	133,272	7.955	1.311	5.800	6.700	9.100	10.800
educ	133,041	12.838	2.316	11.000	11.000	15.000	17.000
mfsize9	58,989	303.135	484.430	1.000	17.000	350.000	1,500.000
hrpay	58,960	12.268	45.140	0.0004	6.612	14.518	7,104.150
lnhrpay	58,960	2.283	0.631	-7.816	1.889	2.675	8.868
annualpay	59,216	18,761.600	15,185.830	0.813	8,695.652	$24,\!665.560$	$162,\!454.900$

You should find, for instance, that the mean value of the unemployment rate (urate) is 7.955 and the standard deviation for the age variable is 18.295.

For later purposes we will also need variables  $age^2/100$  and log(age). We now need to create these variables (agesq and lnage) and add them to the data\_USoc dataframe.

[1] 3.744307

You should find the mean of lnage to be 3.744307.

Another variable needed later is a variable which indicates whether a respondent has a degree. We call this variable grad. It should be a factor variable with two levels, degree and no degree.

Google to understand what the ifelse() function does.

# Data cleaning

We now remove (or "drop") unusable (or "missing") observations from our data\_USoc dataframe. They are those observations which have missing (NA) data for lnhrpay (because the individual is not working) and we will remove observations for males who are 66 years or older and females who are 61 years or older.

```
data_USoc <- data_USoc %>%
XXXX
```

You should end up with 56778 observations.

## Estimate regression models - Version 1

We shall estimate the following regression models (mod1)

$$lnhrpay = \beta_0 + \beta_1 \ age + \beta_2 \ agesq + u$$

and (mod2)

$$lnhrpay = \alpha_0 + \alpha_1 \ lnage + u$$

```
mod1 <- lm(XXXX ~ XXXX+XXXX, data = data_USoc)
mod2 <- lm(XXXX)
stargazer_HC(mod1,mod2)

mod1 <- lm(lnhrpay ~ age+agesq, data = data_USoc)
mod2 <- lm(lnhrpay ~ lnage, data = data_USoc)
stargazer_HC(mod1,mod2,type_out="latex")</pre>
```

% Table created by stargazer v.5.2.2 by Marek Hlavac, Harvard University. E-mail: hlavac at fas.harvard.edu % Date and time: Fri, Feb 21, 2020 - 15:18:23

If you have done this correctly, you will find that that your estimated constant for mod1 is 0.485.

We suggest that there are two ways of modelling the relationship between age and lnhrpay in a so-called parametric way, either as a quadratic relationship or as a logarithmic one.

As we have lots of data, there is a third more flexible approach. We do this be generating a dummy variable for every integer age (ages are reported in full years only). To do this we will first have to create an age variable which treats age as a categorical, or in R terms, a factor variable. We shall call this age\_f.

```
data_USoc <- data_USoc %>% mutate(age_f = as.factor(age))
```

With age\_f being a factor variable, it is now straightforward to include this factor variable into a regresison. We can either include a constant (lnhrpay ~ age\_f) which will then use age = 16 as a base category, or we can estimate the model without a constant (lnhrpay ~ age\_f - 1) in which case all age categories enter separately.

```
mod3 <- lm(lnhrpay ~ age_f, data = data_USoc)
mod4 <- lm(lnhrpay ~ age_f -1, data = data_USoc)
stargazer_HC(mod3,mod4)

mod3 <- lm(lnhrpay ~ age_f, data = data_USoc)
mod4 <- lm(lnhrpay ~ age_f -1, data = data_USoc)
stargazer_HC(mod3,mod4,type_out="text")</pre>
```

Dependent variable:

-- lnhrpay

(1)(2)

Table 2:

	10010 2.				
	Dependent variable:  Inhrpay				
	(1)	(2)			
age	0.087*** (0.001)				
agesq	$-0.096^{***}$ $(0.002)$				
lnage		0.485***			
		(0.008)			
Constant	0.485***	0.531***			
	(0.026)	(0.028)			
Observations	56,778	56,778			
$\mathbb{R}^2$	0.098	0.066			
Adjusted R <sup>2</sup>	0.098	0.066			
Residual Std. Error	0.594 (df = 56775)	0.605 (df = 56776)			
F Statistic	$3,101.185^{***} (df = 2; 56775)$	$3,984.399^{***} (df = 1; 56776)$			
Note:	-	*p<0.1; **p<0.05; ***p<0.01			

Robust standard errors in parenthesis

------ age\_f16 1.456\*\*\*

```
(0.033)
```

 $\begin{array}{l} age\_f17\ 0.040\ 1.496^{***}\\ (0.041)\ (0.024) \end{array}$ 

age\_f18 0.143\*\*\* 1.599\*\*\*

(0.038) (0.019)

age\_f19 0.234\*\*\* 1.690\*\*\* (0.039) (0.021)

age\_f20 0.328\*\*\* 1.783\*\*\* (0.038) (0.019)

 $\begin{array}{l} {\rm age\_f21~0.410^{***}~1.866^{***}} \\ {\rm (0.038)~(0.018)} \end{array}$ 

age\_f22 0.466\*\*\* 1.922\*\*\* (0.037) (0.017)

age\_f23 0.529\*\*\* 1.985\*\*\*

(0.036) (0.014)

age\_f24 0.605\*\*\* 2.061\*\*\* (0.036) (0.012)

 $\begin{array}{l} {\rm age\_f25\ 0.658^{***}\ 2.114^{***}} \\ (0.037)\ (0.015) \end{array}$ 

```
\begin{array}{l} {\rm age\_f26\ 0.701^{***}\ 2.156^{***}} \\ (0.036)\ (0.015) \end{array}
```

$$\begin{array}{l} age\_f27\ 0.749^{***}\ 2.205^{***}\\ (0.036)\ (0.014) \end{array}$$

- age\_f28 0.791\*\*\* 2.247\*\*\* (0.036) (0.015)
- $\begin{array}{l} age\_f29\ 0.828^{***}\ 2.283^{***}\\ (0.037)\ (0.016) \end{array}$
- age\_f30 0.881\*\*\* 2.336\*\*\* (0.036) (0.014)
- age\_f31 0.898\*\*\* 2.354\*\*\* (0.037) (0.015)
- age\_f32 0.915\*\*\* 2.370\*\*\* (0.036) (0.014)
- age\_f33 0.939\*\*\* 2.395\*\*\* (0.037) (0.015)
- $\begin{array}{l} {\rm age\_f34~0.880^{***}~2.336^{***}} \\ (0.037)~(0.016) \end{array}$
- age\_f35 0.945\*\*\* 2.400\*\*\* (0.037) (0.015)
- $age\_f36\ 0.950***\ 2.406***\ (0.038)\ (0.017)$
- age\_f37 0.952\*\*\* 2.408\*\*\* (0.038) (0.017)
- age\_f38 0.968\*\*\* 2.424\*\*\* (0.037) (0.015)
- age\_f39 0.973\*\*\* 2.428\*\*\* (0.036) (0.015)
- age\_f40 0.949\*\*\* 2.405\*\*\* (0.036) (0.014)
- $\begin{array}{l} age\_f41\ 0.921^{***}\ 2.376^{***}\\ (0.036)\ (0.014) \end{array}$
- age\_f42 0.938\*\*\* 2.394\*\*\* (0.036) (0.014)
- age\_f43 0.952\*\*\* 2.408\*\*\* (0.037) (0.016)
- age\_f44 0.982\*\*\* 2.437\*\*\* (0.036) (0.014)
- age\_f45 0.960\*\*\* 2.416\*\*\* (0.037) (0.017)
- age\_f46 0.946\*\*\* 2.402\*\*\* (0.037) (0.016)

```
age f47 0.940*** 2.396***
(0.037) (0.016)
age_f48 0.956*** 2.411***
(0.038) (0.018)
age_f49 0.945*** 2.400***
(0.037) (0.016)
age_f50 0.929*** 2.385***
(0.037) (0.016)
age_f51 0.896*** 2.352***
(0.038) (0.019)
age_f52 0.918*** 2.374***
(0.038) (0.019)
age f53 0.926*** 2.381***
(0.037) (0.016)
age_f54 0.901*** 2.356***
(0.037) (0.017)
age_f55 0.898*** 2.353***
(0.039) (0.020)
age_f56 0.898*** 2.353***
(0.038) (0.019)
age_{f57} 0.883*** 2.339***
(0.039) (0.021)
age f58 0.901*** 2.357***
(0.039) (0.020)
age f59 0.869*** 2.325***
(0.041) (0.023)
age_f60 0.827*** 2.282***
(0.042) (0.026)
age_f61 0.900*** 2.355***
(0.052) (0.040)
age_f62 0.879*** 2.334***
(0.051) (0.039)
age_f63 0.846*** 2.302***
(0.050) (0.037)
age_f64 0.909*** 2.365***
(0.050) (0.037)
age f65 0.925*** 2.380***
(0.075) (0.068)
Constant 1.456***
(0.033)
```

Observations 56,778 56,778 R2 0.110 0.938 Adjusted R2 0.109 0.938 Residual Std. Error (df = 56728) 0.591 0.591 F Statistic 142.369\*\*\* (df = 49; 56728) 17,206.210\*\*\* (df = 50; 56728)

\_\_\_\_\_\_

Note: p < 0.1; p < 0.05; p < 0.01 Robust standard errors in parenthesis

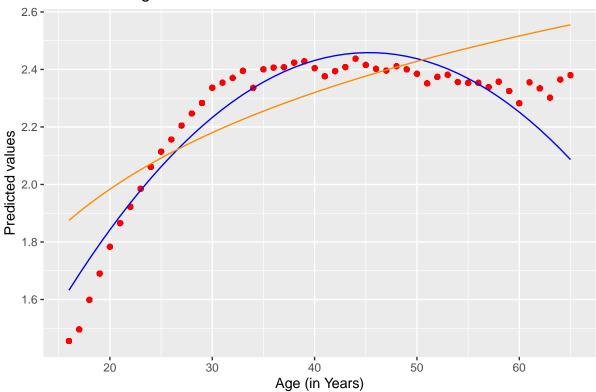
We now compare the fitted values for mod1, mod2 and mod4. First we add the predicted values to the dataframe. There are several ways to achieve this and I recommend you ask Dr. Google. (Think carefully about the search terms.)

r data\_USoc\$pred\_mod1 <- XXXX data\_USoc\$pred\_mod2 <- XXXX data\_USoc\$pred\_mod4 <- XXXX r data\_USoc\$pred\_mod1 <- mod1\$fitted.values data\_USoc\$pred\_mod2 <- mod2\$fitted.values data\_USoc\$pred\_mod4 <- mod4\$fitted.values

Now we plot the predicted values for the three specifications. You should also change the Axis labels to "Predicted values" for the vertical axis, "Age (in Years)" for the horizontal axis and add a title ("Predicted Regression Model") to your picture. If you google you should find the appropriate commands. (Again, think carefully about the search terms.)

- r ggplot(data\_USoc, aes(x=age,y=pred\_mod4)) + geom\_point(color = "red") +
  geom\_line(aes(y=pred\_mod1),color = "blue") + geom\_line(aes(y=pred\_mod2),color =
  "darkorange") + XXXX + # add code to give your plot a title XXXX # add code to
  change the axis labels
- r ggplot(data\_USoc, aes(x=age,y=pred\_mod4)) + geom\_point(color = "red") +
  geom\_line(aes(y=pred\_mod1),color = "blue") + geom\_line(aes(y=pred\_mod2),color =
  "darkorange") + ggtitle("Predicted Regression Model") + ylab("Predicted values") +
  xlab("Age (in Years)")

### Predicted Regression Model



The fit of mod4 is the most flexible specification as it uses a coefficient for each year. Specifications mod1 and mod2 models model the relationship between age and lnhrpay with one and two parameters respectively.

# Estimate regression models 2

Now we will estimate a quadratic model for annualpay (annualpay ~ age + agesq) on a subsets of data in order to compare these. When you know that you will be working with different subsets of data, the best way of doing that in R is to create a new factor variale (here subset\_ind) which allows you to separate the data accordingly.

```
data_USoc$subset_ind[data_USoc$gender == "male" & data_USoc$grad == "degree"] <- "Male</pre>
 with degree" data_USoc$subset_ind[XXXX] <- "Male without degree" # select all males
 with no degree data USoc$subset ind <- as.factor(data USoc$subset ind) data USoc %>%
 count(subset ind)
 r data USoc$subset ind <- "none"
                                    # default group
 data_USoc$subset_ind[data_USoc$gender == "male" & data_USoc$grad == "degree"] <- "Male</pre>
 with degree" data_USoc$subset_ind[data_USoc$gender == "male" & data_USoc$grad == "no
 degree"] <- "Male without degree" data_USoc$subset_ind <-</pre>
 as.factor(data_USoc$subset_ind) data_USoc %>% count(subset_ind)
 # A tibble: 3 x 2 subset ind n 1 Male with degree 8200 2 Male without degree 17626 3 none 30952
 We will want to save the model predictions and for this purpose we pre-define a variable in which we will
 save the predictions.
 r data_USoc$pred_mod5 <- 0
                               # set the prediction to 0 by default
 Now we estimate the model for the male with degree subgroup. Note that the 1m function accepts a
 subset argument which allows you to select a subset of observations, such as the group of all males with
 first degree.
 r mod5_md <- lm(XXXX ~ XXXX + XXXX, data = XXXX, subset = (subset_ind == XXXX))
 stargazer_HC(XXXX) data_USoc$pred_mod5[data_USoc$subset_ind==XXXX] <-</pre>
 mod5 md$fitted.values
 r mod5_md <- lm(annualpay ~ age + agesq, data = data_USoc, subset = (subset_ind ==
 "Male with degree")) stargazer HC(mod5 md, type out="text")
 ______
 Dependent variable: -
                                          - annualpay
age 3,931.180***
(147.672)
agesq -4,170.646***
(176.901)
Constant -53,842.930****
(2,928.535)
Observations 8,200
R2 \ 0.120
Adjusted R2 0.120
Residual Std. Error 20,124.820 \text{ (df} = 8197)
F Statistic 559.414^{***} (df = 2; 8197)
p < 0.1; p < 0.05; p < 0.01 Robust standard errors in parenthesis
data_USoc$pred_mod5[data_USoc$subset_ind=="Male with degree"] <- mod5_md$fitted.values
Now we repeat the same just for the group of males with no degree
mod5_mnd <- XXXX
stargazer_HC(XXXX)
data_USoc$pred_mod5[XXXX] <- mod5_mnd$fitted.values</pre>
mod5_mnd <- lm(annualpay ~ age + agesq, data = data_USoc, subset = (subset_ind == "Male without degree"
stargazer_HC(mod5_mnd,type_out="latex")
```

We will create two subgroups: 1) Males with a degree and 2) Males with no degree. You may want to

# default group

check the values of the grad variable in order to define these correctly.

r data\_USoc\$subset\_ind <- "none"

% Table created by stargazer v.5.2.2 by Marek Hlavac, Harvard University. E-mail: hlavac at fas.harvard.edu % Date and time: Fri, Feb 21, 2020 - 15:18:32

Table 4:

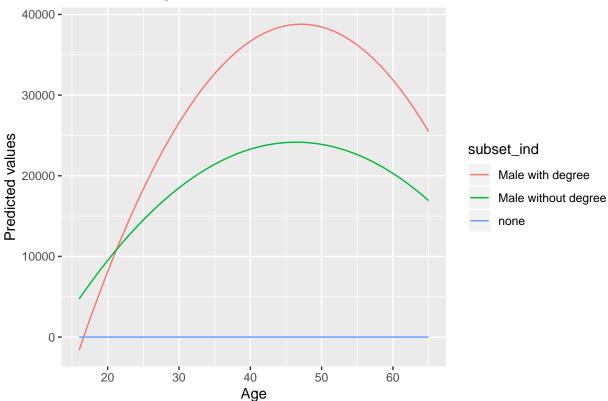
	10010 11
	Dependent variable:
	annualpay
age	1,949.206***
	(45.437)
agesq	-2,099.132***
	(56.181)
Constant	$-21,087.680^{***}$
	(858.212)
Observations	17,626
$\mathbb{R}^2$	0.137
Adjusted R <sup>2</sup>	0.137
Residual Std. Error	12,592.500 (df = 17623)
F Statistic	1,397.954*** (df = 2; 17623)
Note:	*p<0.1; **p<0.05; ***p<0.01
	Robust standard errors in parenthesis

data\_USoc\$pred\_mod5[data\_USoc\$subset\_ind=="Male without degree"] <- mod5\_mnd\$fitted.values

Now we plot the predicted values for the two specifications.

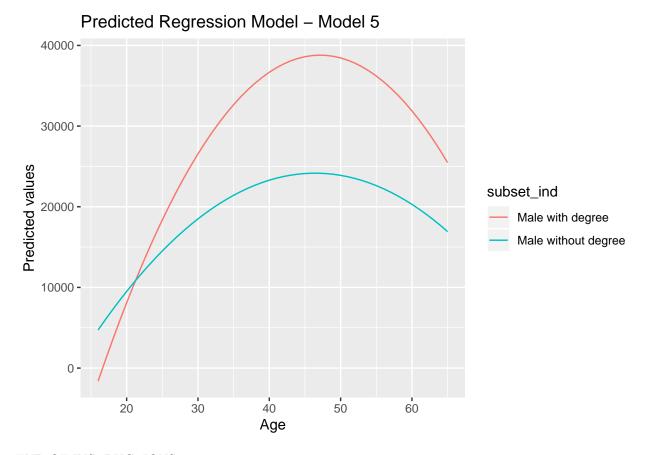
```
ggplot(data_USoc, aes(x=age,y=pred_mod5,color = subset_ind)) +
geom_line() +
ggtitle("Predicted Regression Model - Model 5") +
ylab("Predicted values") +
xlab("Age")
```





You will see that we have the "none" category plotted as well (of course we didn't estimate this). You could remove these data before plotting

```
# remove observations with subset_ind == "none"
data_temp <- data_USoc %>% filter(subset_ind != "none")
ggplot(data_temp, aes(x=age,y=pred_mod5,color = subset_ind)) +
   geom_line() +
   ggtitle("Predicted Regression Model - Model 5") +
   ylab("Predicted values") +
   xlab("Age")
```



END OF INSTRUCTIONS