Leuture 10: Diac (boot	constitution L:5.2,5.3)
Previous episode: Next episode: Or	Eigenvalues and Eigenvectors. thogonality and Symmetric Matrices.
	2 tux nxn matrices. similar <=> Jinvertible matrix P st A= PBP-1 or B=PAP.
Proof: (B-1) =	Base similar, then they have the same eigenvalues $ P'AP-JI  =  P'AP-JP'P  =  P'(AP-JP) $ $ P'(AP-JI)  =  P'(A-JI)P  =  P'(A-JI)P $ $ A-JI  \cdot  P  =  A-JI $
	De the same characteristic equation =) same eigenvalues IT
Ak = A.A.A	
For a diagonal of $D = \begin{bmatrix} 2 & 0 \\ 0 & 3 \end{bmatrix}$ $D^3 = D^2 \cdot D = \begin{bmatrix} 2 & 0 \\ 0 & 3 \end{bmatrix}$	natrix this is easy. $D^{2} = \begin{bmatrix} 2 & 0 \\ 0 & 3 \end{bmatrix} \begin{bmatrix} 2 & 0 \\ 0 & 3 \end{bmatrix} = \begin{bmatrix} 2^{2} & 0 \\ 0 & 3^{2} \end{bmatrix}$ $\begin{bmatrix} 2^{2} & 0 \\ 0 & 3^{2} \end{bmatrix} \begin{bmatrix} 2 & 0 \\ 0 & 3 \end{bmatrix} = \begin{bmatrix} 2^{3} & 0 \\ 0 & 3^{4} \end{bmatrix}$ $\begin{bmatrix} 2^{k} & 0 \\ 0 & 3^{k} \end{bmatrix}$
U 4> A=	a diagonal matrix, then it's also easy.  - A.A. = PDP'. PDP'. PDP'. PDP'.









