

# assignment2

2023-02-15

Running the file provided by Professor first and then starting with assignment 02

```
#HW02.R
#run a lasso and elastic net model
library(survival)
library(coxed)

## Loading required package: rms
## Loading required package: Hmisc
## Loading required package: lattice
## Loading required package: Formula
## Loading required package: ggplot2
##
## Attaching package: 'Hmisc'
## The following objects are masked from 'package:base':
##
##   format.pval, units
## Loading required package: SparseM
##
## Attaching package: 'SparseM'
## The following object is masked from 'package:base':
##
##   backsolve
## Loading required package: mgcv
## Loading required package: nlme
## This is mgcv 1.8-40. For overview type 'help("mgcv-package")'.
library(glmnet)

## Loading required package: Matrix
## Loaded glmnet 4.1-4
library(corrplot)

## corrplot 0.92 loaded
#Simulate time-to-event data
set.seed(123)
n <- 1000

x1 = matrix(rbinom(n * 10, size = 1, prob = 0.3), n, 10)
```

```

x2 = matrix(rnorm(n * 10,mean=0,sd=.4),n,10)

simdata <- sim.survdata(N=n,T=365, censor=0.15,
                      beta = c(0.4, 0.4, 0.5, 0.5, 0.5, 0, 0, 0, 0, 0,
                                0.4, 0.4, 0.5, 0.5, 0.5, 0, 0, 0, 0, 0),
                      X = cbind(x1,x2))

data <- simdata$data
attach(data)

setwd("~/StatisticalModelingandComputing/")
#save graphics output in pdf - saves graph(s) in working directory
pdf(file="HW02_out.pdf")

cormat <- round(cor(data[,1:20]),2)
cormat #the correlation coefficients among the predictors are small

```

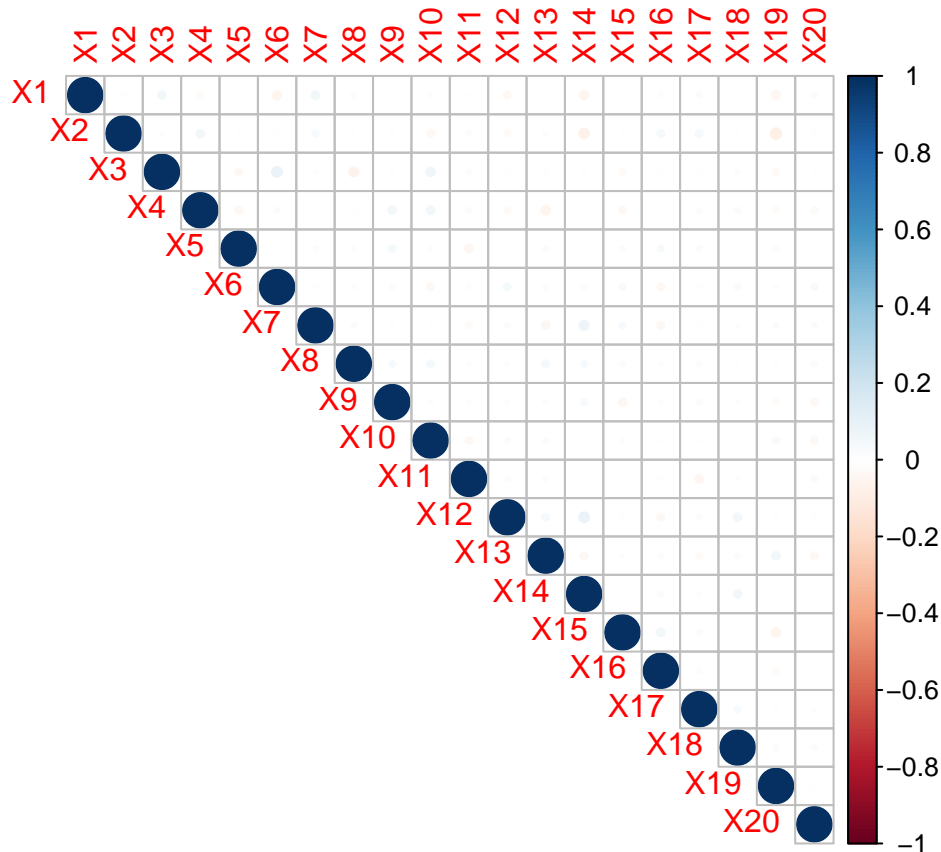
```

##      X1    X2    X3    X4    X5    X6    X7    X8    X9    X10   X11   X12
## X1   1.00  0.00  0.05 -0.03 -0.01 -0.06  0.05 -0.02  0.00  0.01  0.00 -0.04
## X2   0.00  1.00  0.01  0.05  0.00 -0.01  0.03 -0.01  0.00 -0.04 -0.02 -0.03
## X3   0.05  0.01  1.00 -0.01 -0.04  0.08  0.01 -0.07  0.00  0.06 -0.02  0.00
## X4  -0.03  0.05 -0.01  1.00 -0.04  0.02 -0.01  0.00  0.05  0.05  0.02 -0.03
## X5  -0.01  0.00 -0.04 -0.04  1.00 -0.01 -0.02  0.01  0.04  0.01 -0.05 -0.01
## X6  -0.06 -0.01  0.08  0.02 -0.01  1.00  0.00  0.01  0.02 -0.04  0.01  0.04
## X7   0.05  0.03  0.01 -0.01 -0.02  0.00  1.00  0.02  0.00 -0.01 -0.03  0.02
## X8  -0.02 -0.01 -0.07  0.00  0.01  0.01  0.02  1.00  0.03  0.04  0.01  0.01
## X9   0.00  0.00  0.00  0.05  0.04  0.02  0.00  0.03  1.00  0.01  0.01  0.01
## X10  0.01 -0.04  0.06  0.05  0.01 -0.04 -0.01  0.04  0.01  1.00 -0.04  0.02
## X11  0.00 -0.02 -0.02  0.02 -0.05  0.01 -0.03  0.01  0.01 -0.04  1.00 -0.02
## X12 -0.04 -0.03  0.00 -0.03 -0.01  0.04  0.02  0.01  0.01  0.02 -0.02  1.00
## X13  0.00 -0.02  0.00 -0.06  0.02 -0.02 -0.05  0.04 -0.02  0.02 -0.02  0.04
## X14 -0.06 -0.08  0.00 -0.01 -0.01 -0.02  0.07  0.03  0.03 -0.01  0.00  0.08
## X15  0.00 -0.01 -0.03 -0.04  0.02  0.03  0.03  0.02 -0.05  0.01 -0.01  0.00
## X16  0.01  0.04  0.00 -0.01  0.03 -0.04 -0.04  0.01  0.01  0.00  0.00 -0.04
## X17  0.02  0.04  0.00 -0.02  0.02  0.00  0.00 -0.02  0.02  0.00 -0.05  0.02
## X18 -0.01 -0.01 -0.02  0.02  0.00 -0.03  0.01 -0.01  0.01  0.00  0.01  0.05
## X19 -0.05 -0.09 -0.03 -0.03 -0.02  0.01  0.02  0.00  0.00 -0.03  0.03 -0.01
## X20  0.02  0.00 -0.01 -0.03  0.00  0.03  0.02  0.02 -0.04 -0.04 -0.03  0.00
##      X13   X14   X15   X16   X17   X18   X19   X20
## X1   0.00 -0.06  0.00  0.01  0.02 -0.01 -0.05  0.02
## X2  -0.02 -0.08 -0.01  0.04  0.04 -0.01 -0.09  0.00
## X3   0.00  0.00 -0.03  0.00  0.00 -0.02 -0.03 -0.01
## X4  -0.06 -0.01 -0.04 -0.01 -0.02  0.02 -0.03 -0.03
## X5   0.02 -0.01  0.02  0.03  0.02  0.00 -0.02  0.00
## X6  -0.02 -0.02  0.03 -0.04  0.00 -0.03  0.01  0.03
## X7  -0.05  0.07  0.03 -0.04  0.00  0.01  0.02  0.02
## X8   0.04  0.03  0.02  0.01 -0.02 -0.01  0.00  0.02
## X9  -0.02  0.03 -0.05  0.01  0.02  0.01 -0.03 -0.04
## X10  0.02 -0.01  0.01  0.00  0.00  0.00  0.03 -0.04
## X11 -0.02  0.00 -0.01  0.00 -0.05  0.01 -0.01 -0.03
## X12  0.04  0.08  0.00 -0.04  0.02  0.05  0.00  0.00
## X13  1.00 -0.04  0.01  0.02 -0.03  0.02  0.05 -0.04
## X14 -0.04  1.00 -0.01  0.02  0.01  0.05 -0.01 -0.01

```

```
## X15  0.01 -0.01  1.00  0.05  0.02 -0.01 -0.06 -0.01
## X16  0.02  0.02  0.05  1.00 -0.02  0.00 -0.03  0.00
## X17 -0.03  0.01  0.02 -0.02  1.00  0.03  0.00  0.01
## X18  0.02  0.05 -0.01  0.00  0.03  1.00 -0.02  0.02
## X19  0.05 -0.01 -0.06 -0.03  0.00 -0.02  1.00  0.00
## X20 -0.04 -0.01 -0.01  0.00  0.01  0.02  0.00  1.00
```

```
corrplot(cormat,type="upper")
```



```
model <- coxph(Surv(y, failed) ~ ., data=data)
model$coefficients ## model-estimated coefficients
```

```
##          X1          X2          X3          X4          X5          X6
##  0.38553508  0.27916537  0.57810539  0.43436549  0.50063956 -0.03073943
##          X7          X8          X9          X10         X11         X12
## -0.02313047 -0.01384174  0.09575907  0.06933871  0.42155723  0.28890993
##          X13         X14         X15         X16         X17         X18
##  0.55808911  0.40491251  0.29214823 -0.04087630  0.10750969  0.07324933
##          X19         X20
## -0.07680564  0.13702470
```

```
summary(model)
```

```
## Call:
## coxph(formula = Surv(y, failed) ~ ., data = data)
##
##      n= 1000, number of events= 842
##
##              coef exp(coef) se(coef)      z Pr(>|z|)
```

```

## X1  0.38554  1.47040  0.07768  4.963 6.94e-07 ***
## X2  0.27917  1.32203  0.07687  3.632 0.000281 ***
## X3  0.57811  1.78266  0.07716  7.492 6.79e-14 ***
## X4  0.43437  1.54398  0.07754  5.602 2.12e-08 ***
## X5  0.50064  1.64978  0.07956  6.293 3.12e-10 ***
## X6 -0.03074  0.96973  0.07680 -0.400 0.688981
## X7 -0.02313  0.97713  0.07762 -0.298 0.765693
## X8 -0.01384  0.98625  0.07679 -0.180 0.856960
## X9  0.09576  1.10049  0.07838  1.222 0.221807
## X10 0.06934  1.07180  0.07638  0.908 0.363981
## X11 0.42156  1.52433  0.09187  4.589 4.46e-06 ***
## X12 0.28891  1.33497  0.08811  3.279 0.001042 **
## X13 0.55809  1.74733  0.09007  6.196 5.80e-10 ***
## X14 0.40491  1.49917  0.08823  4.589 4.45e-06 ***
## X15 0.29215  1.33930  0.09136  3.198 0.001384 **
## X16 -0.04088  0.95995  0.08892 -0.460 0.645749
## X17 0.10751  1.11350  0.08645  1.244 0.213623
## X18 0.07325  1.07600  0.08728  0.839 0.401355
## X19 -0.07681  0.92607  0.09030 -0.851 0.395021
## X20 0.13702  1.14686  0.08709  1.573 0.115613
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
##      exp(coef) exp(-coef) lower .95 upper .95
## X1      1.4704      0.6801      1.2627      1.712
## X2      1.3220      0.7564      1.1371      1.537
## X3      1.7827      0.5610      1.5324      2.074
## X4      1.5440      0.6477      1.3263      1.797
## X5      1.6498      0.6061      1.4116      1.928
## X6      0.9697      1.0312      0.8342      1.127
## X7      0.9771      1.0234      0.8392      1.138
## X8      0.9863      1.0139      0.8484      1.146
## X9      1.1005      0.9087      0.9438      1.283
## X10     1.0718      0.9330      0.9228      1.245
## X11     1.5243      0.6560      1.2732      1.825
## X12     1.3350      0.7491      1.1232      1.587
## X13     1.7473      0.5723      1.4645      2.085
## X14     1.4992      0.6670      1.2611      1.782
## X15     1.3393      0.7467      1.1197      1.602
## X16     0.9599      1.0417      0.8064      1.143
## X17     1.1135      0.8981      0.9400      1.319
## X18     1.0760      0.9294      0.9068      1.277
## X19     0.9261      1.0798      0.7759      1.105
## X20     1.1469      0.8719      0.9669      1.360
##
## Concordance= 0.644 (se = 0.011 )
## Likelihood ratio test= 208.6 on 20 df,  p=<2e-16
## Wald test              = 208.8 on 20 df,  p=<2e-16
## Score (logrank) test = 211.3 on 20 df,  p=<2e-16

```

```
# Perform survival analysis using glmnet
```

```
# Perform survival analysis using glmnet
```

```

# assuming the predictors are in the first p columns and the response is in the last two columns
p <- ncol(data) - 2
p

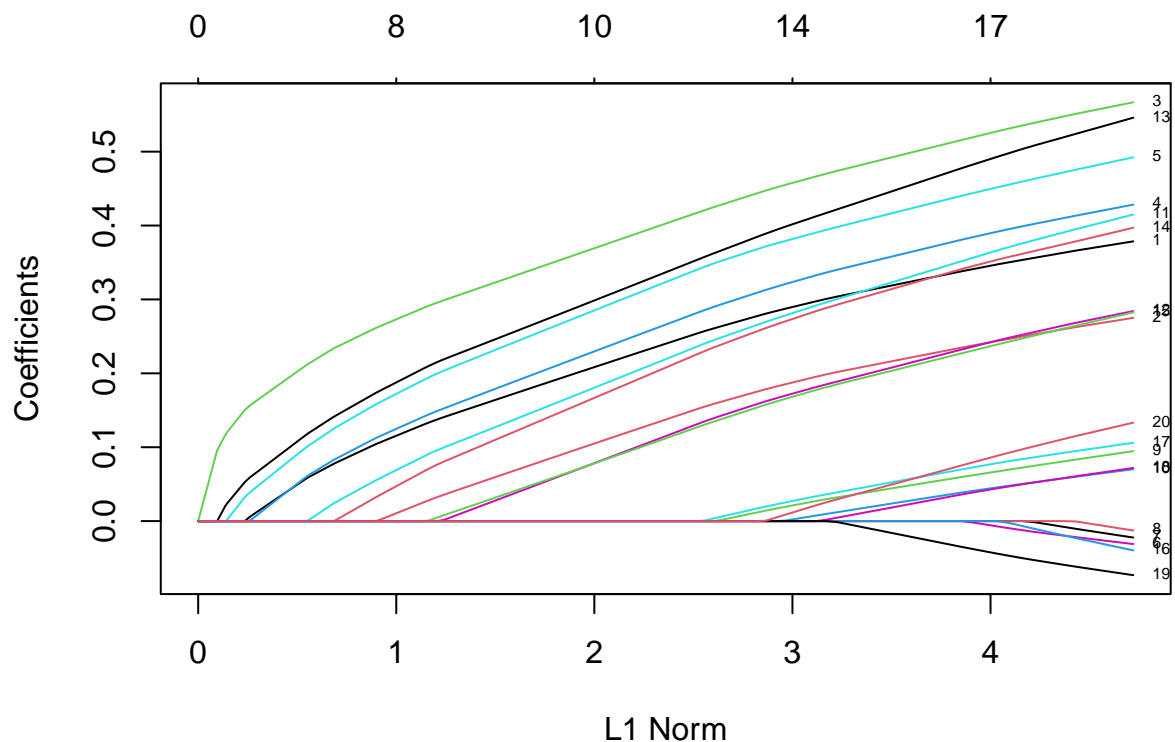
## [1] 20

xmatrix=as.matrix(data[,1:p])
show_fit=glmnet(xmatrix, Surv(y, failed), standardize=TRUE, lambda=seq(0, 0.25, .001), alpha=1, family = "cox")
#print(show_fit)

plot(show_fit, label=TRUE)

## Warning in regularize.values(x, y, ties, missing(ties), na.rm = na.rm):
## collapsing to unique 'x' values

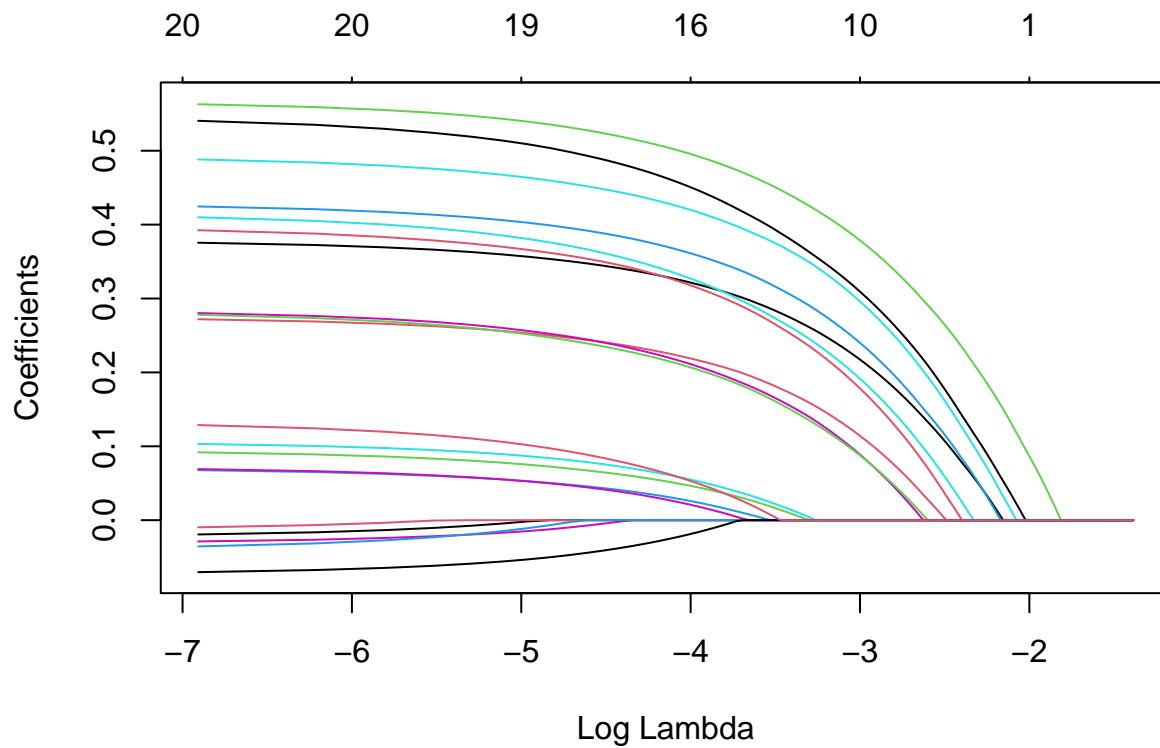
```



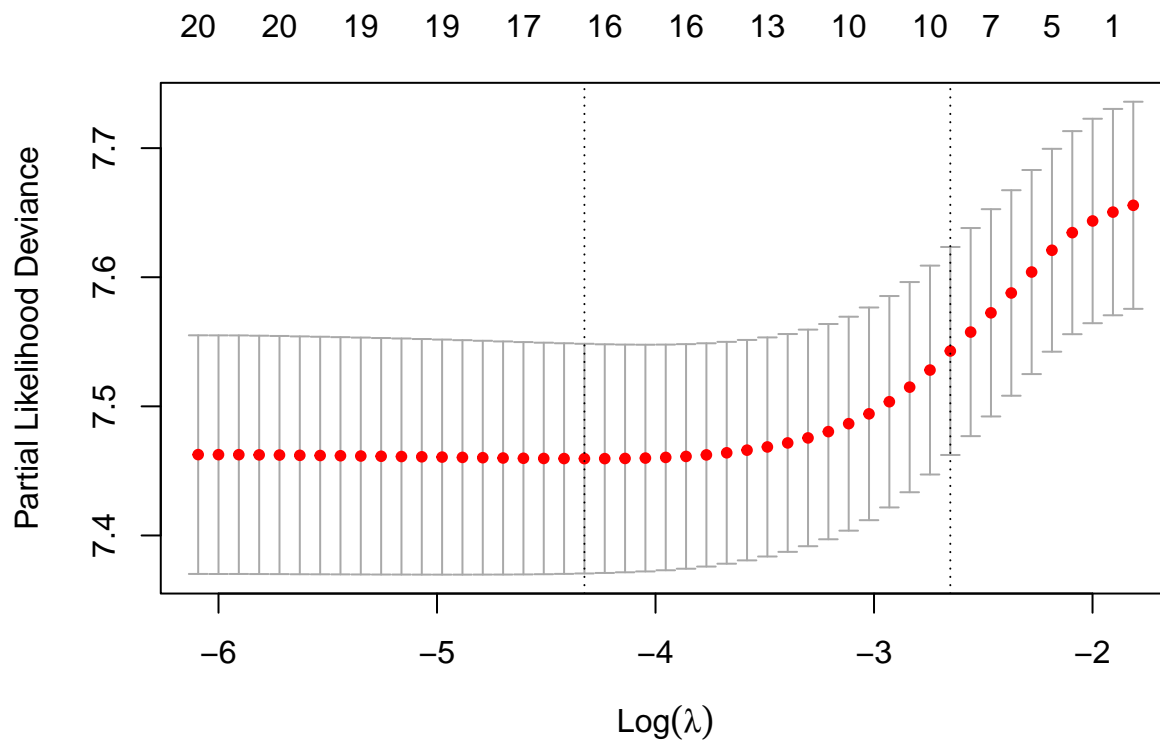
```

plot(show_fit, xvar = "lambda", label=TRUE)

```



```
#show the use of the CV metric "Partial Likelihood Deviance"
surv_model <- cv.glmnet(xmatrix, Surv(y, failed), family = "cox", type.measure = "deviance", alpha=1, nfolds=10)
plot(surv_model)
```



```
print(surv_model)
```

```
##
```

```

## Call:  cv.glmnet(x = xmatrix, y = Surv(y, failed), type.measure = "deviance",      nfolds = 10, fami
##
## Measure: Partial Likelihood Deviance
##
##      Lambda Index Measure      SE Nonzero
## min 0.01323    28    7.460 0.08895      16
## 1se 0.07060    10    7.543 0.08055      10

# Extract the optimal lambda value at lambda.1se
lambda_opt <- surv_model$lambda.1se

# Fit the model using the optimal lambda value
fit <- glmnet(xmatrix, Surv(y, failed), family = "cox", type.measure = "deviance", alpha=1, lambda = lambda
coef(fit)

## 20 x 1 sparse Matrix of class "dgCMatrix"
##              s0
## X1  0.145632493
## X2  0.040743048
## X3  0.303992347
## X4  0.158165765
## X5  0.209541491
## X6  .
## X7  .
## X8  .
## X9  .
## X10 .
## X11 0.105349378
## X12 0.007016571
## X13 0.224756848
## X14 0.086701559
## X15 0.012951787
## X16 .
## X17 .
## X18 .
## X19 .
## X20 .

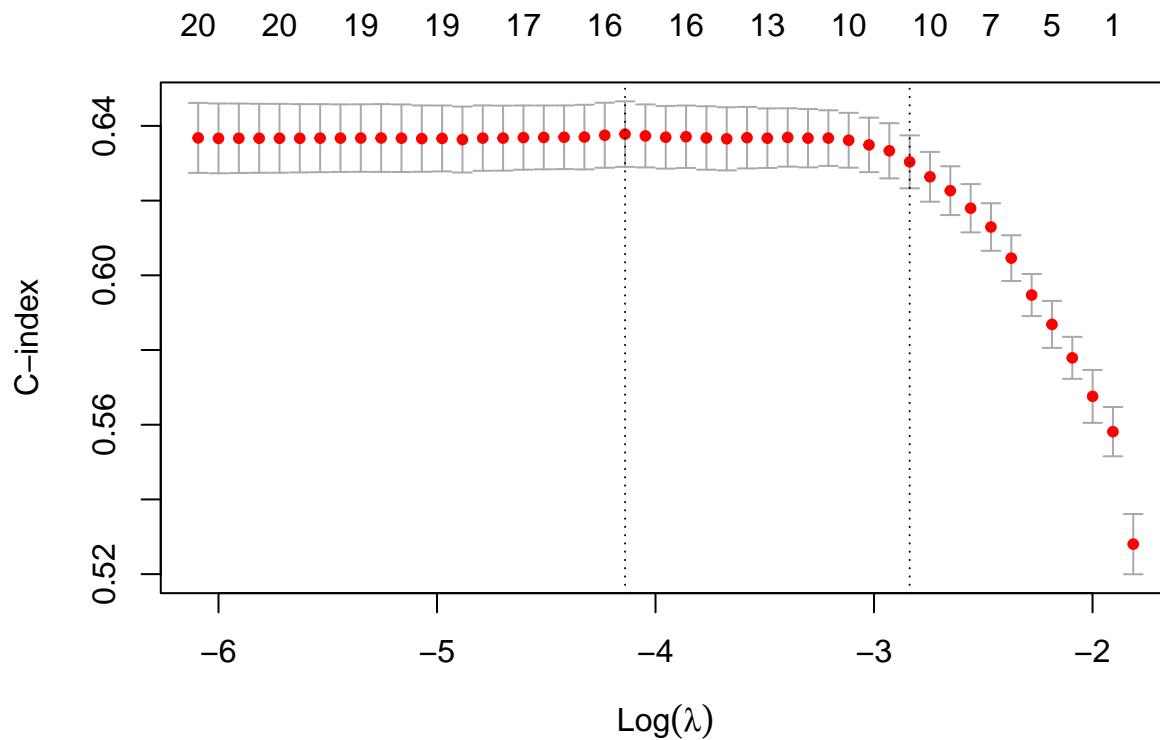
# Make predictions
predictions <- predict(fit, newx = xmatrix[,1:p], type = "response")

# Evaluate the model performance using concordance index (c-index)
c_index <- Cindex(predictions, Surv(y, failed))
c_index

## [1] 0.6351173

#show the use of CV metric "C"
surv_model_C = cv.glmnet(xmatrix, Surv(y, failed), family = "cox", type.measure = "C", alpha=1, nfolds =
plot(surv_model_C)

```



```
print(surv_model_C)
```

```
##
## Call: cv.glmnet(x = xmatrix, y = Surv(y, failed), type.measure = "C",      nfolds = 10, family = "c
##
## Measure: C-index
##
##      Lambda Index Measure      SE Nonzero
## min 0.01593    26  0.6378 0.008766      16
## 1se 0.05861    12  0.6304 0.007090      10
```

```
# Extract the optimal lambda value at lambda.1se
```

```
lambda_opt <- surv_model_C$lambda.1se
```

```
# Fit the model using the optimal lambda value
```

```
fit_C <- glmnet(xmatrix, Surv(y, failed), family = "cox", type.measure = "C", alpha=1, lambda = lambda_opt,
coef(fit_C)
```

```
## 20 x 1 sparse Matrix of class "dgCMatrix"
```

```
##          s0
```

```
## X1  0.18707001
```

```
## X2  0.08315443
```

```
## X3  0.34697746
```

```
## X4  0.20533298
```

```
## X5  0.25941205
```

```
## X6  .
```

```
## X7  .
```

```
## X8  .
```

```
## X9  .
```

```
## X10 .
```

```
## X11 0.15478563
```



```
## X12 0.05398264
## X13 0.27324345
## X14 0.13936475
## X15 0.05567932
## X16 .
## X17 .
## X18 .
## X19 .
## X20 .

# Make predictions
predictions <- predict(fit_C, newx = xmatrix[,1:p], type = "response")
# Evaluate the model performance using concordance index (c-index)
c_index <- Cindex(predictions, Surv(y, failed))
c_index
```

```
## [1] 0.6399806
```

## Assignment 2

- Redo the simulation where you select 5 of the X coefficients among the binary X's to be 0 and 5 of the X coefficients among the normally distributed X's to be 0.

Note: just modify the line in the program: `beta = c(0.4, 0.4, 0.5, 0.5, 0.5, 0, 0, 0, 0, 0, 0.4, 0.4, 0.5, 0.5, 0.5, 0, 0, 0, 0, 0)`,

Generate the text output and the graphical output to answer parts b - f below.

```
#Simulate time-to-event data
set.seed(123)
n <- 1000

x1 = matrix(rbinom(n * 10, size = 1, prob = 0.3), n, 10)

x2 = matrix(rnorm(n * 10, mean=0, sd=.4), n, 10)

simdata <- sim.survdata(N=n, T=365, censor=0.15,
  beta = c(0, 0.4, 0.5, 0, 0.5, 0, 0.4, 0.4, 0, 0.5,
    0.5, 0, 0, 0, 0.4, 0, 0.5, 0.5, 0, 0),
  X = cbind(x1, x2))

data <- simdata$data

cormat <- round(cor(data[,1:20]), 2)
cormat #the correlation coefficients among the predictors are small
```

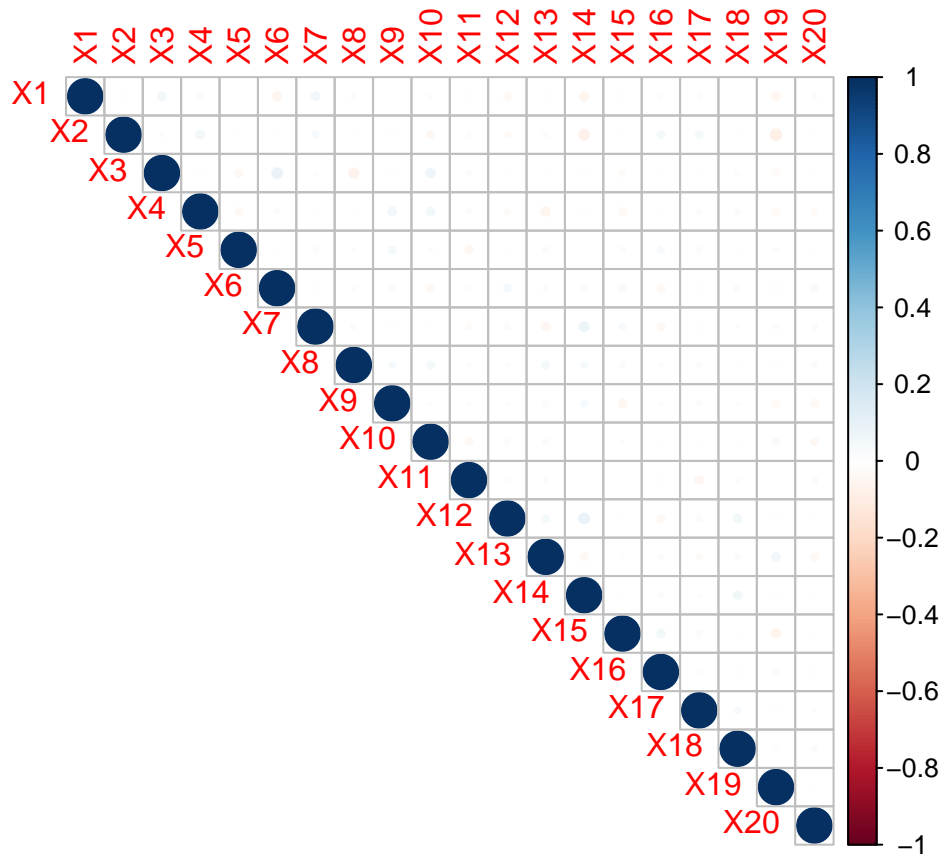
```
##      X1    X2    X3    X4    X5    X6    X7    X8    X9    X10   X11   X12
## X1   1.00   0.00   0.05  -0.03 -0.01 -0.06   0.05  -0.02   0.00   0.01   0.00  -0.04
## X2   0.00   1.00   0.01   0.05   0.00 -0.01   0.03  -0.01   0.00  -0.04  -0.02  -0.03
## X3   0.05   0.01   1.00  -0.01 -0.04   0.08   0.01  -0.07   0.00   0.06  -0.02   0.00
## X4  -0.03   0.05  -0.01   1.00  -0.04   0.02  -0.01   0.00   0.05   0.05   0.02  -0.03
## X5  -0.01   0.00  -0.04  -0.04   1.00  -0.01  -0.02   0.01   0.04   0.01  -0.05  -0.01
## X6  -0.06  -0.01   0.08   0.02  -0.01   1.00   0.00   0.01   0.02  -0.04   0.01   0.04
## X7   0.05   0.03   0.01  -0.01  -0.02   0.00   1.00   0.02   0.00  -0.01  -0.03   0.02
## X8  -0.02  -0.01  -0.07   0.00   0.01   0.01   0.02   1.00   0.03   0.04   0.01   0.01
## X9   0.00   0.00   0.00   0.05   0.04   0.02   0.00   0.03   1.00   0.01   0.01   0.01
## X10  0.01  -0.04   0.06   0.05   0.01  -0.04  -0.01   0.04   0.01   1.00  -0.04   0.02
## X11  0.00  -0.02  -0.02   0.02  -0.05   0.01  -0.03   0.01   0.01  -0.04   1.00  -0.02
```

```

## X12 -0.04 -0.03  0.00 -0.03 -0.01  0.04  0.02  0.01  0.01  0.02 -0.02  1.00
## X13  0.00 -0.02  0.00 -0.06  0.02 -0.02 -0.05  0.04 -0.02  0.02 -0.02  0.04
## X14 -0.06 -0.08  0.00 -0.01 -0.01 -0.02  0.07  0.03  0.03 -0.01  0.00  0.08
## X15  0.00 -0.01 -0.03 -0.04  0.02  0.03  0.03  0.02 -0.05  0.01 -0.01  0.00
## X16  0.01  0.04  0.00 -0.01  0.03 -0.04 -0.04  0.01  0.01  0.00  0.00 -0.04
## X17  0.02  0.04  0.00 -0.02  0.02  0.00  0.00 -0.02  0.02  0.00 -0.05  0.02
## X18 -0.01 -0.01 -0.02  0.02  0.00 -0.03  0.01 -0.01  0.01  0.00  0.01  0.05
## X19 -0.05 -0.09 -0.03 -0.03 -0.02  0.01  0.02  0.00 -0.03  0.03 -0.01  0.00
## X20  0.02  0.00 -0.01 -0.03  0.00  0.03  0.02  0.02 -0.04 -0.04 -0.03  0.00
##      X13  X14  X15  X16  X17  X18  X19  X20
## X1   0.00 -0.06  0.00  0.01  0.02 -0.01 -0.05  0.02
## X2  -0.02 -0.08 -0.01  0.04  0.04 -0.01 -0.09  0.00
## X3   0.00  0.00 -0.03  0.00  0.00 -0.02 -0.03 -0.01
## X4  -0.06 -0.01 -0.04 -0.01 -0.02  0.02 -0.03 -0.03
## X5   0.02 -0.01  0.02  0.03  0.02  0.00 -0.02  0.00
## X6  -0.02 -0.02  0.03 -0.04  0.00 -0.03  0.01  0.03
## X7  -0.05  0.07  0.03 -0.04  0.00  0.01  0.02  0.02
## X8   0.04  0.03  0.02  0.01 -0.02 -0.01  0.00  0.02
## X9  -0.02  0.03 -0.05  0.01  0.02  0.01 -0.03 -0.04
## X10  0.02 -0.01  0.01  0.00  0.00  0.00  0.03 -0.04
## X11 -0.02  0.00 -0.01  0.00 -0.05  0.01 -0.01 -0.03
## X12  0.04  0.08  0.00 -0.04  0.02  0.05  0.00  0.00
## X13  1.00 -0.04  0.01  0.02 -0.03  0.02  0.05 -0.04
## X14 -0.04  1.00 -0.01  0.02  0.01  0.05 -0.01 -0.01
## X15  0.01 -0.01  1.00  0.05  0.02 -0.01 -0.06 -0.01
## X16  0.02  0.02  0.05  1.00 -0.02  0.00 -0.03  0.00
## X17 -0.03  0.01  0.02 -0.02  1.00  0.03  0.00  0.01
## X18  0.02  0.05 -0.01  0.00  0.03  1.00 -0.02  0.02
## X19  0.05 -0.01 -0.06 -0.03  0.00 -0.02  1.00  0.00
## X20 -0.04 -0.01 -0.01  0.00  0.01  0.02  0.00  1.00

```

```
corrplot(cormat,type="upper")
```



```
model <- coxph(Surv(y, failed) ~ ., data=data)
model$coefficients ## model-estimated coefficients
```

```
##           X1           X2           X3           X4           X5           X6
## -0.02761794  0.28551803  0.58264648 -0.06756285  0.49590014 -0.04703972
##           X7           X8           X9           X10          X11          X12
##  0.38352880  0.40301909  0.08843731  0.56915107  0.51425466 -0.12223634
##           X13          X14          X15          X16          X17          X18
##  0.04293680 -0.10845914  0.19784765 -0.03132104  0.62660513  0.58952345
##           X19          X20
## -0.07229006  0.14748694
```

```
summary(model)
```

```
## Call:
## coxph(formula = Surv(y, failed) ~ ., data = data)
##
##    n= 1000, number of events= 842
##
##           coef exp(coef) se(coef)      z Pr(>|z|)
## X1 -0.02762   0.97276  0.07672 -0.360 0.718849
## X2  0.28552   1.33045  0.07694  3.711 0.000206 ***
## X3  0.58265   1.79077  0.07714  7.553 4.27e-14 ***
## X4 -0.06756   0.93467  0.07629 -0.886 0.375857
## X5  0.49590   1.64198  0.07956  6.233 4.58e-10 ***
## X6 -0.04704   0.95405  0.07709 -0.610 0.541741
## X7  0.38353   1.46745  0.07834  4.896 9.80e-07 ***
## X8  0.40302   1.49634  0.07767  5.189 2.11e-07 ***
```

```

## X9  0.08844  1.09247  0.07836  1.129 0.259037
## X10 0.56915  1.76677  0.07801  7.296 2.97e-13 ***
## X11 0.51425  1.67239  0.09230  5.572 2.52e-08 ***
## X12 -0.12224 0.88494  0.08817 -1.386 0.165635
## X13 0.04294  1.04387  0.08778  0.489 0.624736
## X14 -0.10846 0.89722  0.08734 -1.242 0.214301
## X15 0.19785  1.21878  0.09071  2.181 0.029178 *
## X16 -0.03132 0.96916  0.08918 -0.351 0.725427
## X17 0.62661  1.87125  0.08843  7.086 1.38e-12 ***
## X18 0.58952  1.80313  0.08929  6.603 4.04e-11 ***
## X19 -0.07229 0.93026  0.09038 -0.800 0.423807
## X20 0.14749  1.15892  0.08721  1.691 0.090807 .
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
##      exp(coef) exp(-coef) lower .95 upper .95
## X1      0.9728      1.0280      0.8370      1.131
## X2      1.3305      0.7516      1.1442      1.547
## X3      1.7908      0.5584      1.5395      2.083
## X4      0.9347      1.0699      0.8049      1.085
## X5      1.6420      0.6090      1.4049      1.919
## X6      0.9540      1.0482      0.8203      1.110
## X7      1.4675      0.6815      1.2586      1.711
## X8      1.4963      0.6683      1.2851      1.742
## X9      1.0925      0.9154      0.9369      1.274
## X10     1.7668      0.5660      1.5163      2.059
## X11     1.6724      0.5979      1.3956      2.004
## X12     0.8849      1.1300      0.7445      1.052
## X13     1.0439      0.9580      0.8789      1.240
## X14     0.8972      1.1146      0.7561      1.065
## X15     1.2188      0.8205      1.0203      1.456
## X16     0.9692      1.0318      0.8137      1.154
## X17     1.8712      0.5344      1.5735      2.225
## X18     1.8031      0.5546      1.5137      2.148
## X19     0.9303      1.0750      0.7792      1.111
## X20     1.1589      0.8629      0.9768      1.375
##
## Concordance= 0.676 (se = 0.01 )
## Likelihood ratio test= 281.2 on 20 df,  p=<2e-16
## Wald test              = 284.6 on 20 df,  p=<2e-16
## Score (logrank) test = 287.7 on 20 df,  p=<2e-16
# Perform survival analysis using glmnet

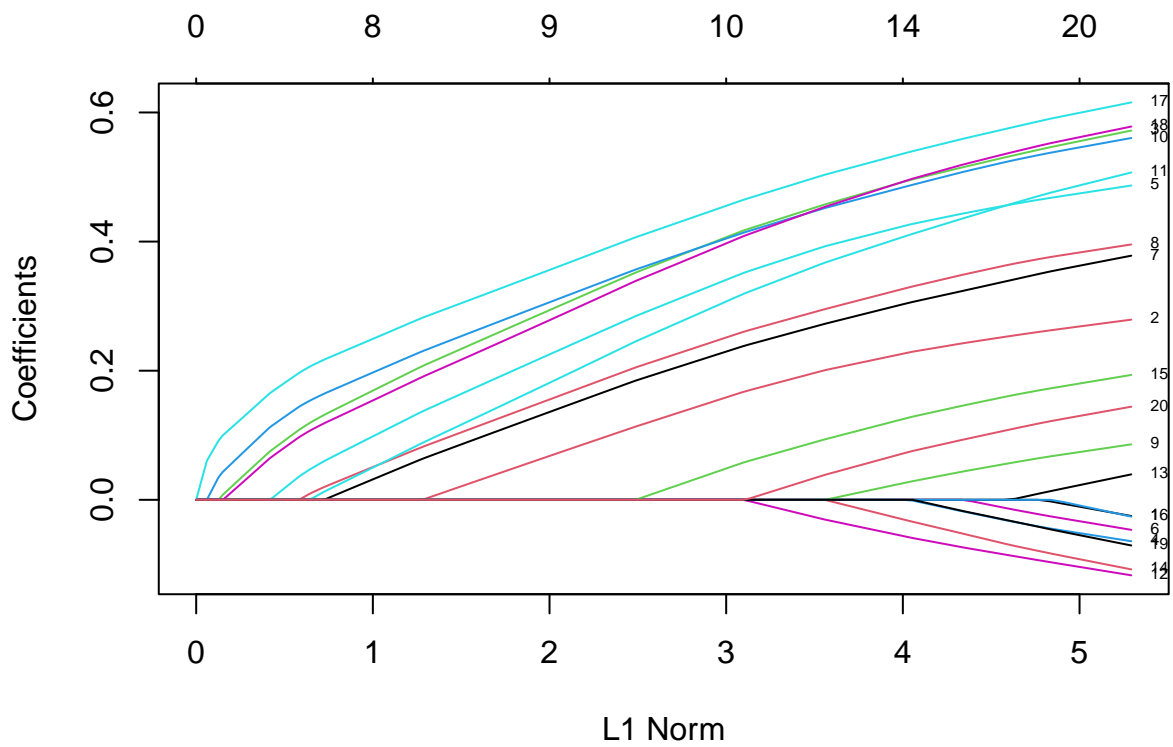
# Perform survival analysis using glmnet
# assuming the predictors are in the first p columns and the response is in the last two columns
p <- ncol(data) - 2
xmatrix=as.matrix(data[,1:p])
show_fit=glmnet(xmatrix, Surv(data$y, data$failed), standardize=TRUE, lambda=seq(0, 0.25, .001), alpha=1, family="cox")
#print(show_fit)

plot(show_fit, label=TRUE)

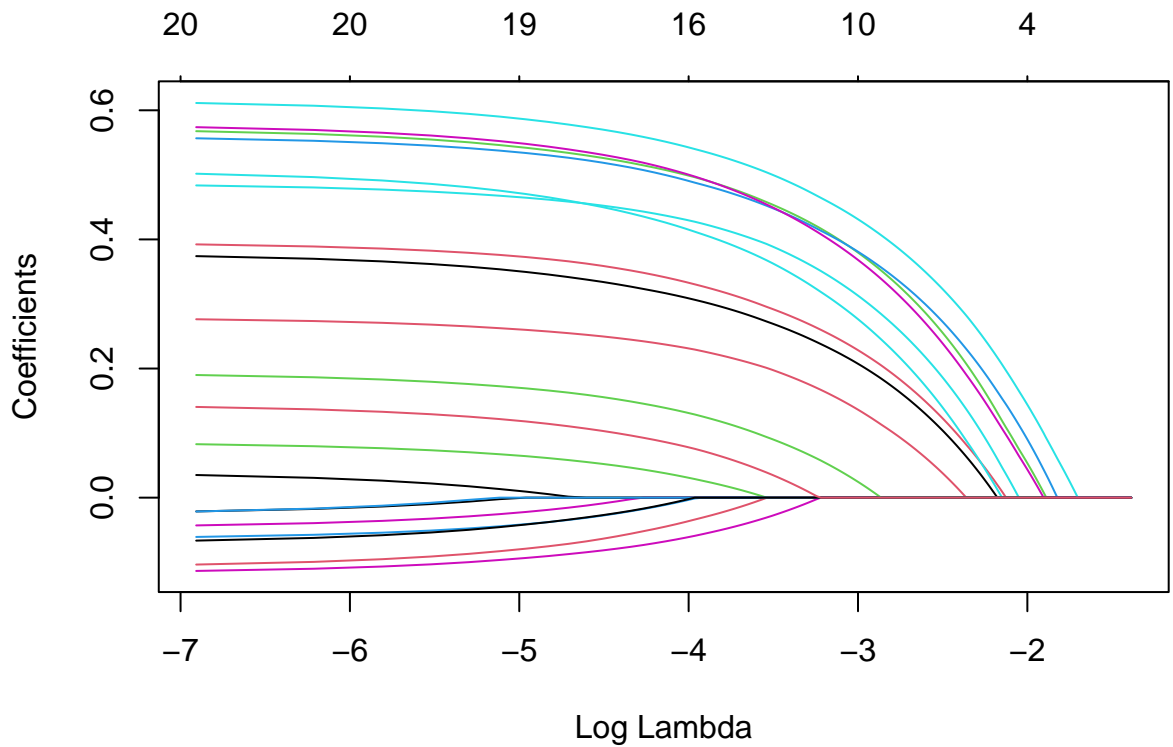
## Warning in regularize.values(x, y, ties, missing(ties), na.rm = na.rm):

```

## collapsing to unique 'x' values



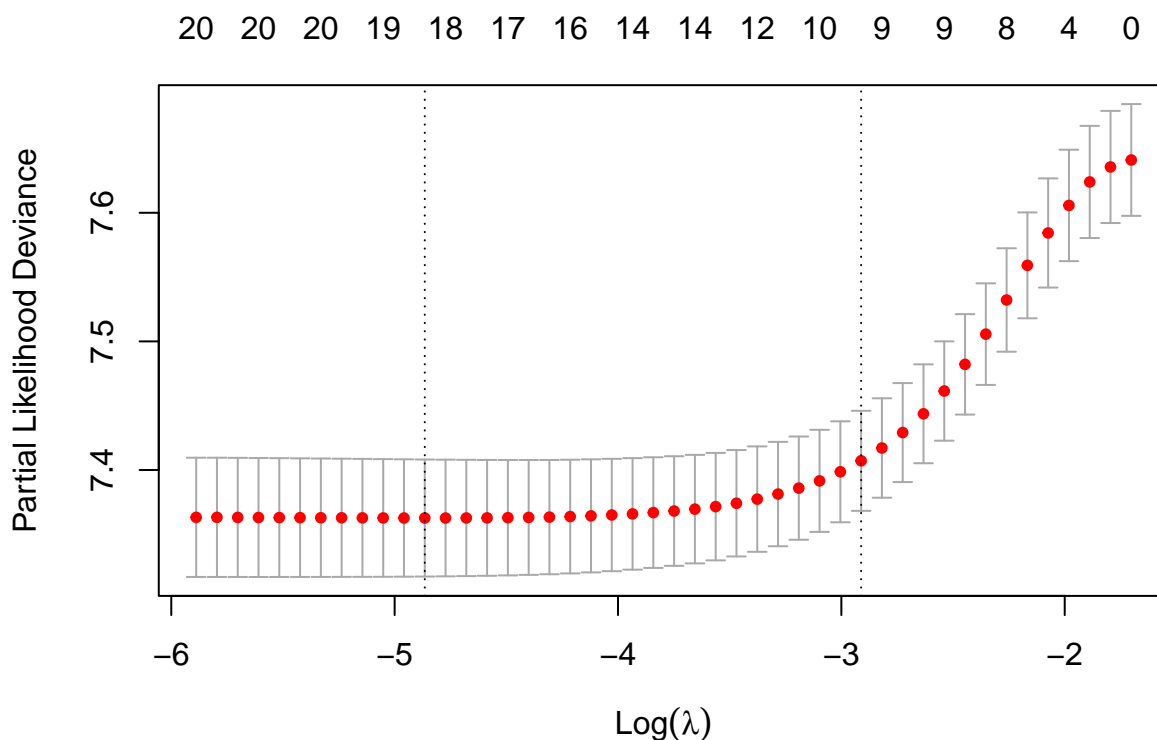
`plot(show_fit, xvar = "lambda", label=TRUE)`



b. Did the Lasso proportional hazards model correctly select the 10 significant predictors using the partial likelihood deviance metric? Comment.

```
#show the use of the CV metric "Partial Likelihood Deviance"
```

```
surv_model <- cv.glmnet(xmatrix, Surv(data$y, data$failed), family = "cox", type.measure = "deviance", alpha=1, nfolds = 10)
plot(surv_model)
```



```
print(surv_model)
```

```
##
## Call: cv.glmnet(x = xmatrix, y = Surv(data$y, data$failed), type.measure = "deviance", nfolds = 10, alpha = 1)
##
## Measure: Partial Likelihood Deviance
##
```

```
##      Lambda Index Measure      SE Nonzero
## min 0.00771    35   7.363 0.0455        18
## 1se 0.05440    14   7.407 0.0389        10
```

```
# Extract the optimal lambda value at lambda.1se
```

```
lambda_opt <- surv_model$lambda.1se
```

```
# Fit the model using the optimal lambda value
```

```
fit <- glmnet(xmatrix, Surv(data$y, data$failed), family = "cox", type.measure = "deviance", alpha=1, lambda=lambda_opt)
coef(fit)
```

```
## 20 x 1 sparse Matrix of class "dgCMatrix"
```

```
##              s0
```

```
## X1      .
## X2 0.121750947
## X3 0.362140703
## X4      .
## X5 0.294950075
## X6      .
## X7 0.192964532
```

```
## X8 0.213611383
## X9 .
## X10 0.365617547
## X11 0.256698713
## X12 .
## X13 .
## X14 .
## X15 0.008988588
## X16 .
## X17 0.415643416
## X18 0.349694016
## X19 .
## X20 .
```

All the 10 significant predictors were selected by using partial likelihood deviance without penalizing any coefficient to 0.

- c. What is the C-index for the optimal lambda chosen to be  $\lambda_{1se}$  using the partial likelihood deviance metric?

```
# Make predictions
predictions <- predict(fit, newx = xmatrix[,1:p], type = "response")

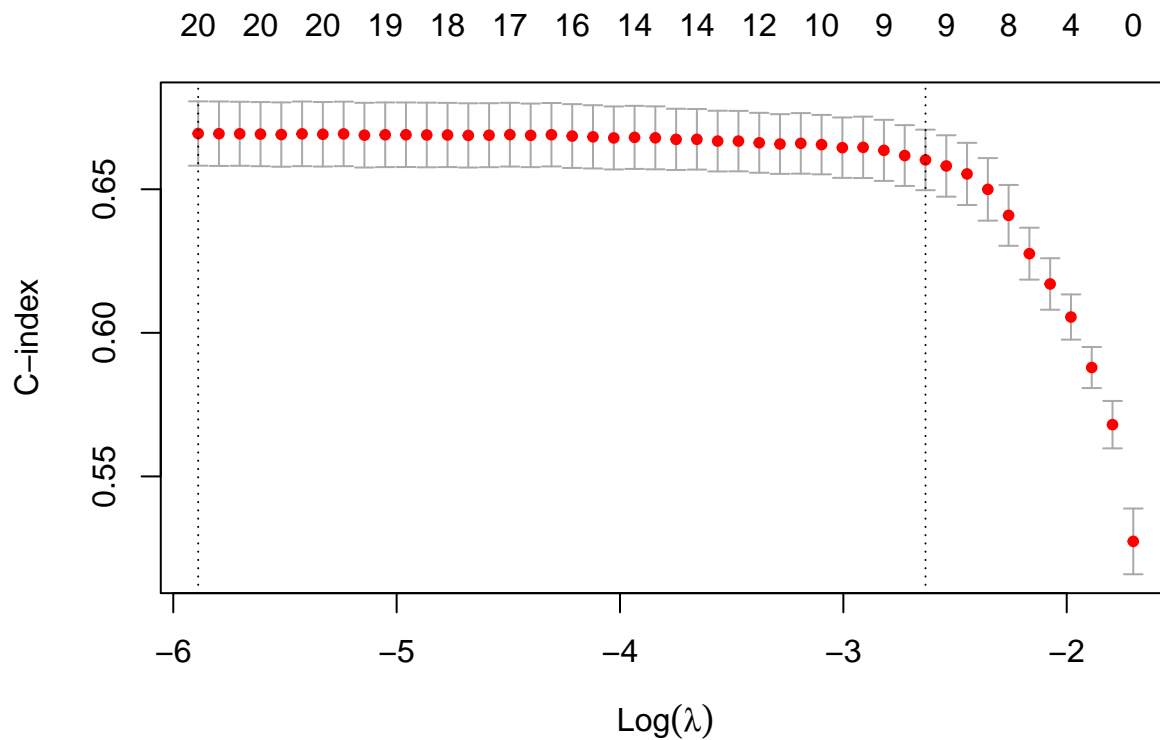
# Evaluate the model performance using concordance index (c-index)
c_index <- Cindex(predictions, Surv(data$y, data$failed))
c_index
```

```
## [1] 0.6697602
```

The C-index using likelihood deviance metric is 0.6697602

- d. Did the Lasso proportional hazards model correctly select the 10 significant predictors using Cross Validation with the C-index metric? Comment.

```
#show the use of CV metric "C"
surv_model_C = cv.glmnet(xmatrix, Surv(data$y, data$failed), family = "cox", type.measure = "C", alpha=1)
plot(surv_model_C)
```



```
print(surv_model_C)
```

```
##
## Call: cv.glmnet(x = xmatrix, y = Surv(data$y, data$failed), type.measure = "C", nolds = 10, f
##
## Measure: C-index
##
##      Lambda Index Measure      SE Nonzero
## min 0.00277   46  0.6694 0.01120      20
## 1se 0.07191   11  0.6602 0.01054       9
```

```
# Extract the optimal lambda value at lambda.1se
```

```
lambda_opt <- surv_model_C$lambda.1se
```

```
# Fit the model using the optimal lambda value
```

```
fit_C <- glmnet(xmatrix, Surv(data$y, data$failed), family = "cox", type.measure = "C", alpha=1, lambda =
coef(fit_C)
```

```
## 20 x 1 sparse Matrix of class "dgCMatrix"
```

```
##          s0
```

```
## X1      .
```

```
## X2 0.06869792
```

```
## X3 0.29469540
```

```
## X4      .
```

```
## X5 0.22618656
```

```
## X6      .
```

```
## X7 0.13685449
```

```
## X8 0.15623710
```

```
## X9      .
```

```
## X10 0.30678742
```

```
## X11 0.18229053
```



```
## X12 .
## X13 .
## X14 .
## X15 .
## X16 .
## X17 0.35684786
## X18 0.27916891
## X19 .
## X20 .
```

Using CV all 10 significant predictors were selected without penalizing any coefficient to 0.

e. What is the C-index for the optimal lambda chosen to be Lambda.1se using the C-index metric?

```
# Make predictions
predictions <- predict(fit_C, newx = xmatrix[,1:p], type = "response")
# Evaluate the model performance using concordance index (c-index)
c_index <- Cindex(predictions, Surv(data$y, data$failed))
c_index
```

```
## [1] 0.6673913
```

The C-index using C-index metric is 0.6673913

f. Comment using just 1 sentence on the size of the correlations between pairs of the predictors.

Correlation between the pairs of predictors is small as its smaller than 1 and not very different than 0.6

```
detach(data)
##-----##
```