

# Special Relativity and Quaternion Gravity



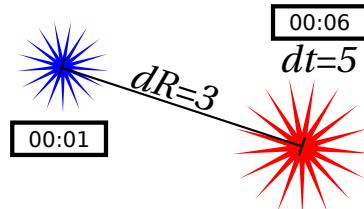
**Walk toward**

Signals arrive faster  
so less time, less distance  
is measured between events.

$$(dt_-, dR_-)^2 = (16, 29.9996)$$



Two events  
with gravity



A quaternion squared equals  
the **interval** and **space-times-time**.

*An invariant interval* is special relativity.

*An invariant space-times-time* is quaternion gravity.

$$\begin{aligned} (dt, dR)^2 &= (dt^2 - dR^2, 2 dt dR) \\ &= (5^2 - 3^2, 2 * 3 * 5) \\ &= (16, 30) \end{aligned}$$

**View from above**

A clock ticks faster, a ruler is bigger,  
so more time, less distance  
is measured between events.

$$(dt_+, dR_-)^2 = (16.0004, 30)$$



**Walk away**

Signals arrive slower,  
so more time, more distance  
is measured between events.

$$(dt_+, dR_+)^2 = (16, 30.0004)$$



**View from below**

A clock ticks slower, a ruler is smaller  
so less time, more distance  
is measured between events.

$$(dt_-, dR_+)^2 = (15.9996, 30)$$