## EE-3220-11 - Dr. Durant - Quiz 3 Winter 2014-'15, Week 3

1. (2 points) Let  $f_s = 1000$  Hz,  $f_1 = 0$  Hz,  $f_2 = 300$  Hz, and  $f_3 = 600$  Hz. Calculate the digital frequencies,  $\omega_n$ , for each frequency,  $f_n$ . for  $f_1$  through  $f_3$ . Recall that the digital frequency is how many radians a sinusoid moves through between samples. For example, if a signal is sampled 10 times per period, its digital frequency is  $2\pi/10$ . Do **not** make any adjustments for aliasing.

$$W_1 = \frac{f_1}{f_5} \cdot 2\pi = 0$$

$$W_2 = \frac{f_2}{f_5} \cdot 2\pi = \frac{300}{1000} \cdot 2\pi = \frac{3\pi}{5} = 0.6\pi$$

$$W_3 = \frac{f_3}{f_5} \cdot 2\pi = \frac{600}{1000} \cdot 2\pi = \frac{6\pi}{5} = 1.2\pi$$

2. (2 points) Explain whether any of the 3 sinusoids above are aliased. For each frequency that is aliased, assuming it was not stopped by a suitable antialias filter, calculate what frequency would be observed at the output of the system due to aliasing.

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$$w_3$$
| >TT: it alwaes try k=1  
Method |  $\Rightarrow \frac{677}{5} - k271 = \frac{417}{5} = \frac{630}{5} \cdot 271 \Rightarrow \frac{630}{5} = \frac{-2}{5} \Rightarrow 630 = -400 Hz = 1400 Hz |$ 

Method |  $\Rightarrow \frac{677}{5} - k271 = \frac{-417}{5} = \frac{630}{5} \cdot 271 \Rightarrow \frac{630}{5} = \frac{-2}{5} \Rightarrow 630 = -400 Hz = 1400 Hz |$ 

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3. (4 points) Calculate the first 4 samples of the unit step response of y(n) - 0.3 y(n-1) = x(n) + 5x(n-1)

4. (2 points) What is the vector of "a" or autoregressive or IIR (infinite impulse response) coefficients in the above equation? (Recall that the "b" or FIR coefficients correspond to a weighted sum of inputs.)

$$\alpha = \begin{bmatrix} 1 & -0.3 \end{bmatrix} = \begin{bmatrix} a_0 & a_1 \end{bmatrix}$$