Due: 15.03.2017 13:00

Submit the report as hard-copy before the lecture on Wednesday. Add the source code (with comments) to end of your report.

- 1. (4pt) Review bias/variance dilemma. Replicate the bias-variance-plot (bias, variance and error vs. model complexity) given in Figure 4.6 in the textbook or in lecture notes [W04.pdf, pg.21]. For this:
 - Generate 20 values $\{x^t\}$ from the range [0,5] from uniform distribution.
 - Generate 100 different samples X_s . Each sample contains 20 instances $\{x^t, y_s^t\}$ where $y_s^t = f(x^t) + \epsilon$, $f(x) = 2 \times \sin(1.5 \times x)$, and $\epsilon \sim \mathcal{N}(0, 1)$.
 - For each sample, fit polynomial models of order 1,2,3,4, and 5.
 - Plot bias, variance and error of these models.
- 2. (3pt) Review cross-validation. Replicate the cross-validation error plot (training and validation error vs. model complexity plot) given in Figure 4.7 in the textbook or in lecture notes [W04.pdf, pg22]. For this:
 - Use the same 100 samples generated above.
 - Split each sample to training and validation sets, fit polynomial models of order 1,2,3,4, and 5.
 - Plot mean training and validation error (mean square error) of each model.
- 3. (1pt) Use of real dataset. Download Iris Data Set from UCI Machine Learning Repository. Randomly split it into training and test sets.
 - Consider only two classes: Iris Setosa and Iris Versicolour.
 - Assuming Gaussian distribution, apply parametric classification, and find which particular feature (sepal length, sepal width, petal length, petal width) is most successful in classifying instances.
 - For this, treat each feature separately
 - find maximum likelihood estimate of the parameters (μ, σ^2) of different classes using training set,
 - using these parameters, predict the classes of the instances in the test set, and calculate the error
- 4. (1pt) First submission bonus.