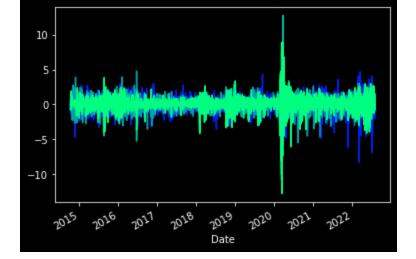
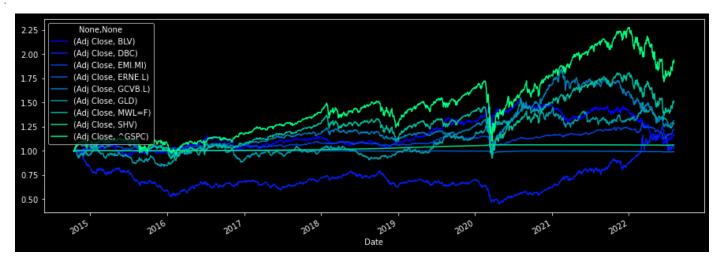
Setup

```
In [1]:
        import numpy as np
        import pandas as pd
        import matplotlib.pyplot as plt
        import scipy
        import seaborn as sns
        import yfinance as yf
        import arch
        import riskfolio as rp
        %matplotlib inline
        import warnings
        warnings.filterwarnings('ignore')
In [2]: tic=pd.read excel('TIC.xlsx')
In [3]:
        tic
Out[3]:
                   Nomi Pesi
                              Ticker
                 S&P 500 0.21
                              ^GSPC
              CONV BOND 0.07
                             GCVB.L
        2 EUR SHORT BOND 0.15
                             ERNE.L
              INFL LINKED 0.05
                              EMI.MI
                   GOLD 0.16
                               GLD
             MSCI WORLD 0.20 MWL=F
             US TREASURY 0.06
                               SHV
            COMMODITIES 0.06
                               DBC
         EUR LONG BOND 0.04
                                BLV
In [4]:
        tickers=list(tic['Ticker'])
        tickers.sort()
        tickers
In [5]:
        ['BLV', 'DBC', 'EMI.MI', 'ERNE.L', 'GCVB.L', 'GLD', 'MWL=F', 'SHV', '^GSPC']
Out[5]:
        data=yf.download(tickers,interval='1d')[['Adj Close']]
In [6]:
        [******** 9 of 9 completed
       data.dropna(inplace=True)
In [7]:
In [8]: plt.style.use('dark background')
        rets=((np.log(data) - np.log(data.shift(1))).dropna()*100)
        rets.plot(legend=False, cmap='winter')
        <AxesSubplot:xlabel='Date'>
Out[8]:
```



```
In [9]: (rets/100+1).cumprod().plot(figsize=(15,5),cmap='winter')
```

Out[9]: <AxesSubplot:xlabel='Date'>



Sample mean

Assumiamo che la sample mean sia informativa

```
In [10]: rets.columns=tickers
   model={}
   result={}
   for i in tickers:
        model[i]=arch.univariate.ConstantMean(rets.loc[:,i])
        result[i]=model[i].fit(disp="off")
```

Monte Carlo

Assumiamo che i rendimenti seguano una distribuzione multivariata con t di student (con 8 gradi di libertà)

i.e.
$$R_t \sim MVT(\mu, \Sigma)$$

Usiamo la fattorizzazione di Cholesky per trovare la matrice triangolare inferiore L tale che $LL'=\Sigma$

Quindi i rendimenti degli asset possono essere descritti come:

$$R_T = \mu + LZ_t$$

Dove $Z_t \sim student \ t_{n=8}$

Sample mean

```
In [13]: mu={}
    for i in tickers:
        mu[i]=result[i].params['mu']/100
    mu_df=pd.DataFrame.from_dict(mu,orient='index')
```

Var/Cov Matrix con denoising and detoning

```
In [14]: cov=rp.ParamsEstimation.covar_matrix(rets/100,method='fixed')
In [15]: from datetime import datetime, timedelta
```

Loop

```
In [16]: portf_returns = np.full((n_t,n_mc),0.)

for i in range(0,n_mc):
    Z = np.random.standard_t(12,size=len(tickers)*n_t)
    Z = Z.reshape((len(tickers),n_t))
    L = np.linalg.cholesky(cov)
    wkrets=np.inner(L,np.transpose(Z))+np.array(mu_df)
    portf_r = np.cumprod(np.inner(weights,np.transpose(wkrets)) + 1)
    future_dates = [rets.index[-1] + timedelta(weeks=x) for x in range(0,n_t+1)]
    portf_returns[:,i] = portf_r
```

Funzioni

```
In [17]: def band(r,n_t=n_t):
    y2=r
    y1=1
    lt2=np.log(n_t)
    b=(y2-y1)/lt2
    a=y1

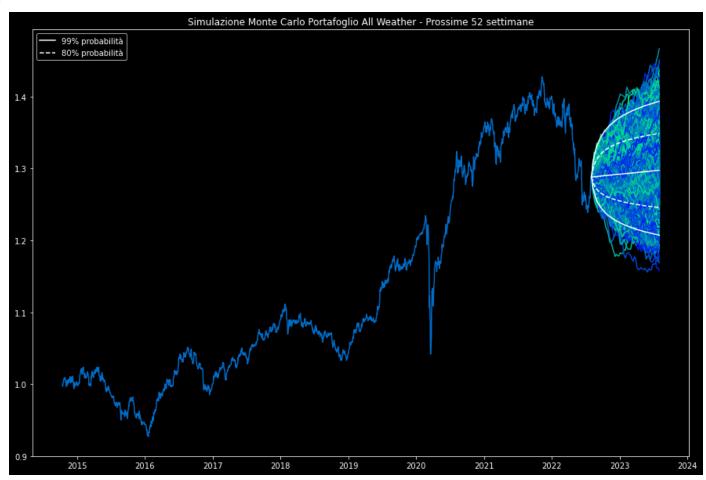
U= np.zeros([n_t + 1, 1])
    for t in range(0, int(n_t)+1):
        U[t] = a+b*np.log(t+1)
    U_df=pd.DataFrame(U,index=future_dates)
    return U_df
```

```
In [18]: def trend(r,n_t=n_t):
        L= np.zeros([n_t + 1, 1])
        L[0]=1
        for t in range(1, int(n_t)+1):
        L[t] = L[t-1]*(r**(1/n_t))
        L_df=pd.DataFrame(L,index=future_dates)
        return L_df
```

Grafico

```
ptf returns=np.insert(portf returns, 0, 1, axis=0)
In [19]:
         hist=((rets@weights)/100+1).cumprod()
In [20]:
In [21]: | f = plt.figure()
         f.set figwidth(15)
         f.set figheight(10)
         with sns.color palette("winter"):
             plt.plot(hist[-1]*pd.DataFrame(ptf returns,index=future dates))
         plt.plot(hist)
         plt.plot(hist[-1]*band(np.quantile(portf returns[-1],q=0.99)),color='white', label='99%
         plt.plot(hist[-1]*band(np.quantile(portf returns[-1],q=0.01)),color='white',)
         plt.plot(hist[-1]*band(np.quantile(portf returns[-1],q=0.9)),color='white', label='80% p
         plt.plot(hist[-1]*band(np.quantile(portf returns[-1],q=0.1)),color='white', linestyle='d
         plt.plot(hist[-1]*trend(np.quantile(portf returns[-1],q=0.5)),color='white')
         plt.title('Simulazione Monte Carlo Portafoglio All Weather - Prossime 52 settimane')
         plt.legend()
         plt.plot()
```

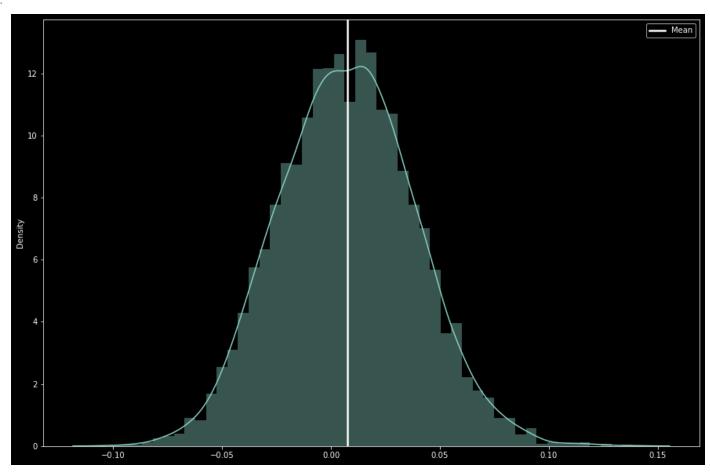
Out[21]: [



In [22]: print('Nel 99% dei casi non dovresti perdere più del: ' +str((np.quantile(portf_returns[
 print('Nel 99% dei casi non dovresti guadagnare più del: ' +str((np.quantile(portf_returns[))))

Nel 99% dei casi non dovresti perdere più del: -6.251346273772729 Nel 99% dei casi non dovresti guadagnare più del: 8.12534416325783

Out[23]: <matplotlib.legend.Legend at 0x253560c22e0>



Analisi storica All Weather

Sharpe ratio	0.55
Calmar ratio	0.22
Stability	0.86
Max drawdown	-15.616%
Omega ratio	1.11
Sortino ratio	0.75
Skew	-1.49
Kurtosis	23.00
Tail ratio	0.99
Daily value at risk	-0.801%
Alpha	0.02
Beta	0.17

Worst drawdown periods	Net drawdown in %	Peak date	Valley date	Recovery date	Duration
0	15.62	2020-02-21	2020-03-19	2020-07-01	94
1	13.24	2021-11-09	2022-07-14	NaT	NaN
2	9.45	2015-04-28	2016-01-20	2016-06-29	307
3	7.09	2018-01-26	2018-11-23	2019-06-18	363
4	6.31	2016-08-18	2016-12-15	2017-07-28	247

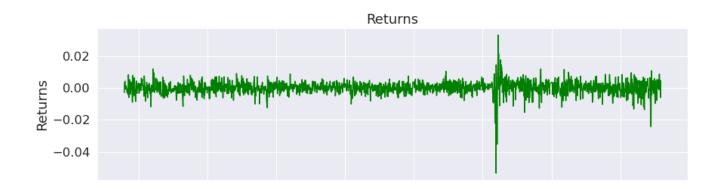
Stress Events	mean	min	max
Oct14	0.02%	-0.30%	0.43%
Fall2015	-0.06%	-1.16%	0.75%
New Normal	0.01%	-5.35%	3.33%

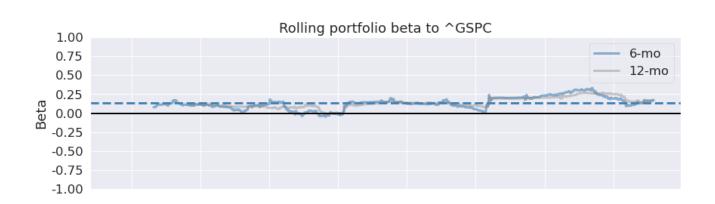


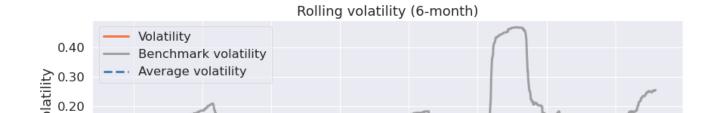


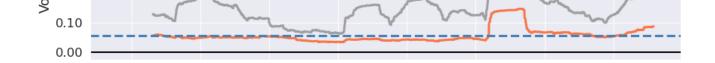


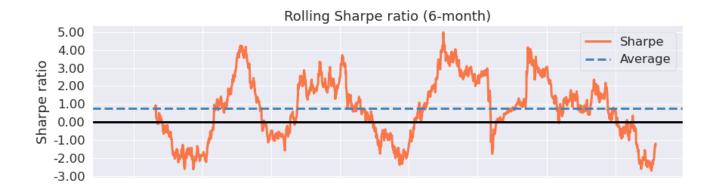




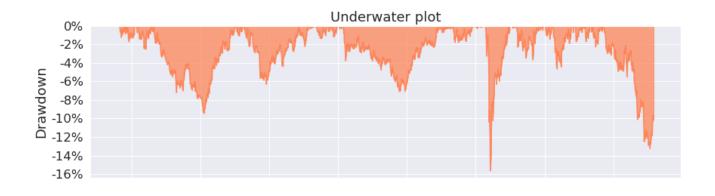


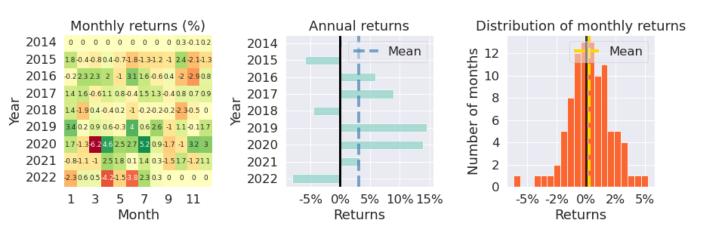




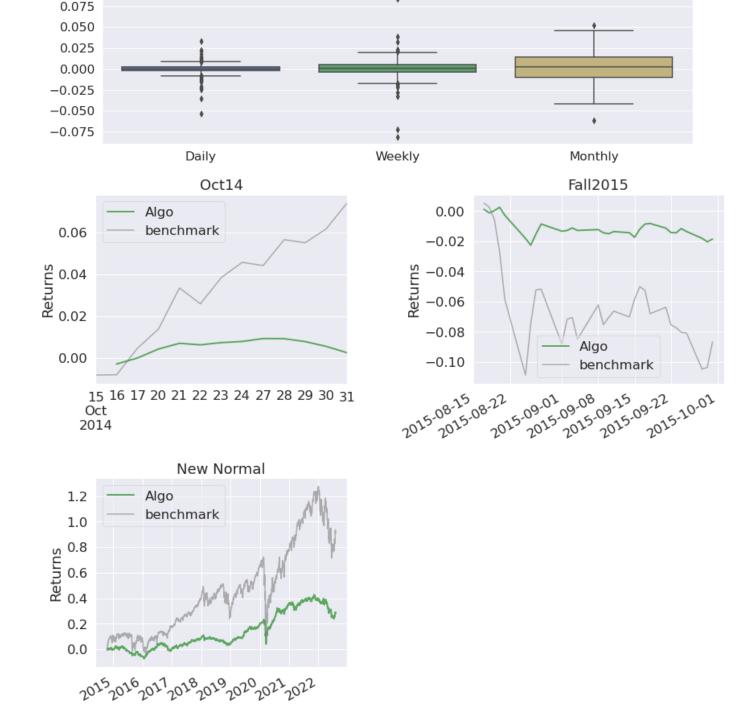








Return quantiles



In []: