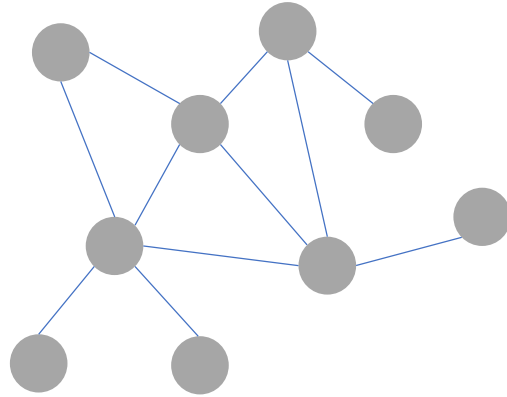
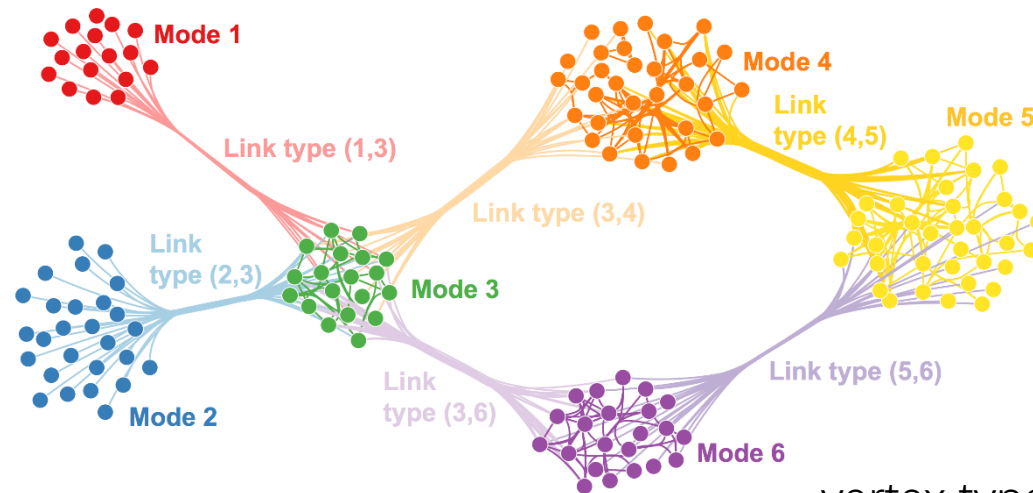


Heterogeneous Networks

Homogeneous networks

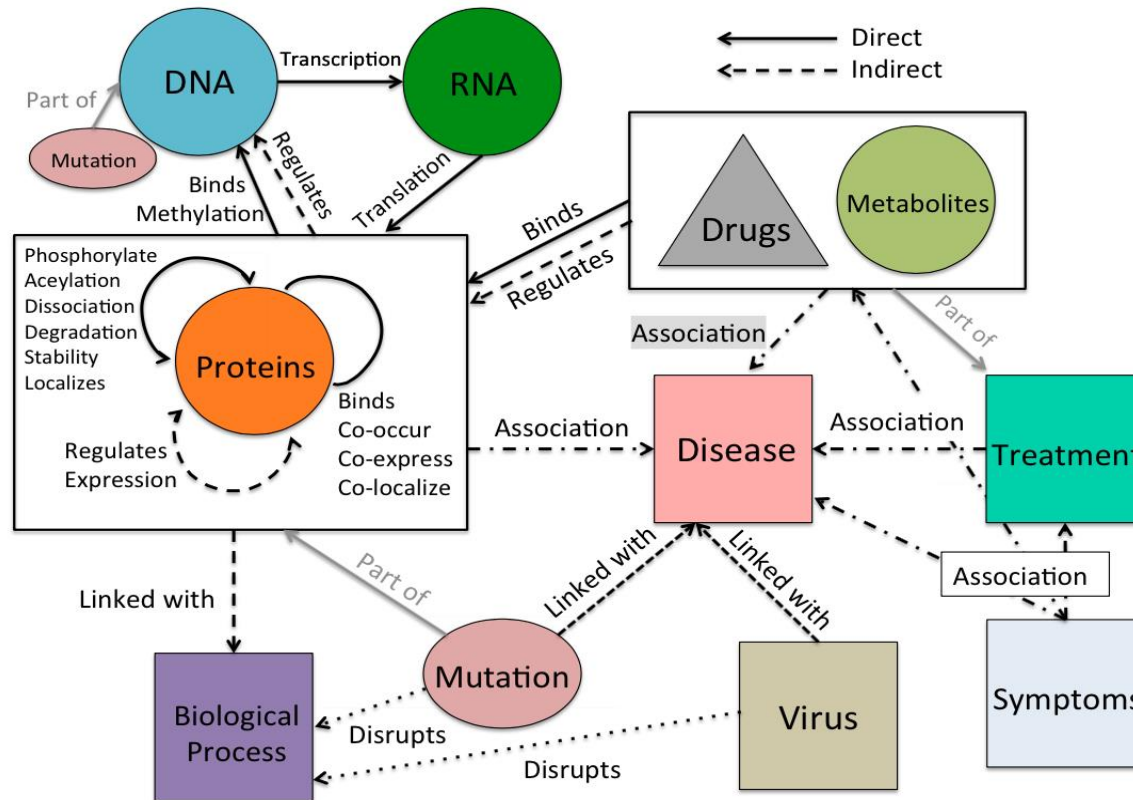


Heterogeneous networks



vertex type + edge type > 2

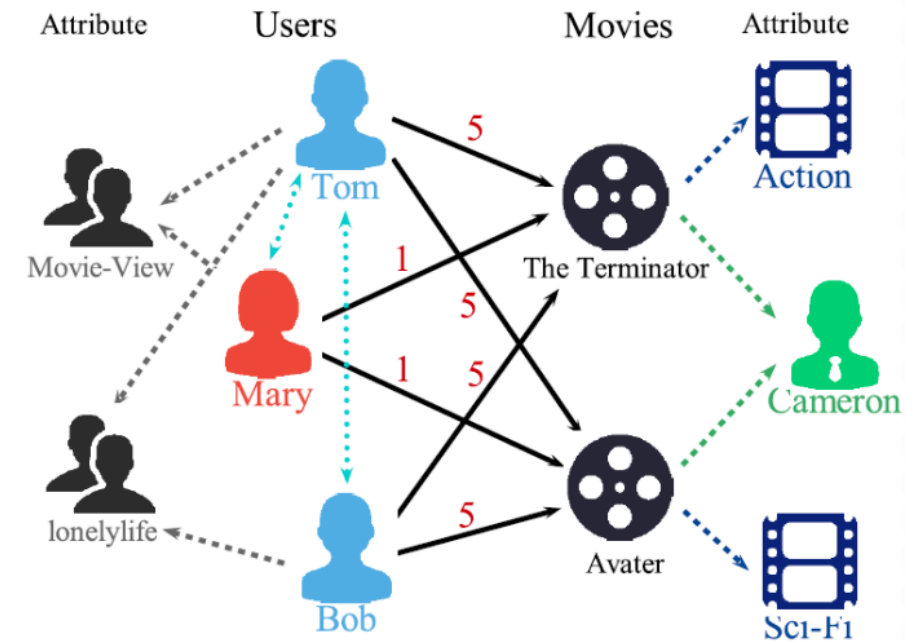
Heterogeneous Networks



Biology Regulatory Network

<http://snap.stanford.edu/mambo>

arXiv:1711.10730



Recommendation System

Hot Topic

<https://cseweb.ucsd.edu/~jmcauley/datasets.html>

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ISMB/ECCB 2017

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OXFORD

Predicting multicellular function through multi-layer tissue networks

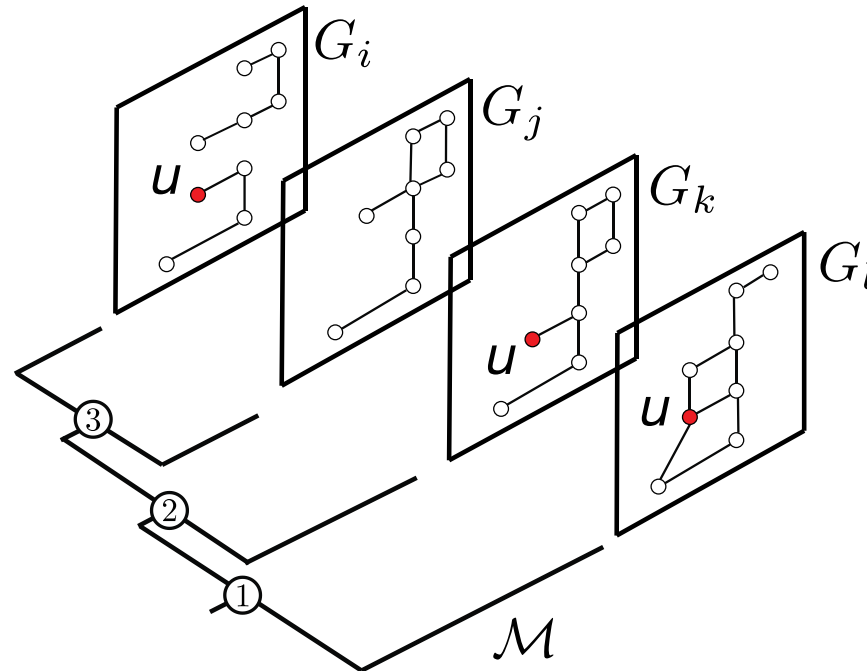
Marinka Zitnik and Jure Leskovec *

Department of Computer Science, Stanford University, Stanford, 94305, USA

*To whom correspondence should be addressed.

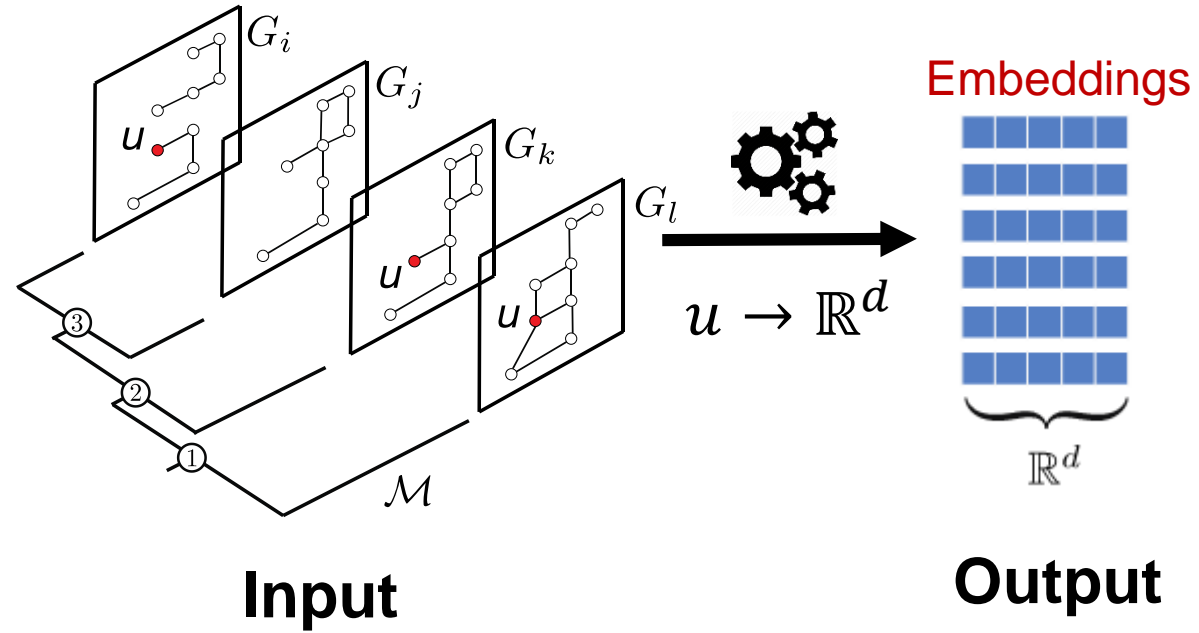
OhmNet: Multi-Layer Graphs

Extending node2vec to **multi-layer graphs**



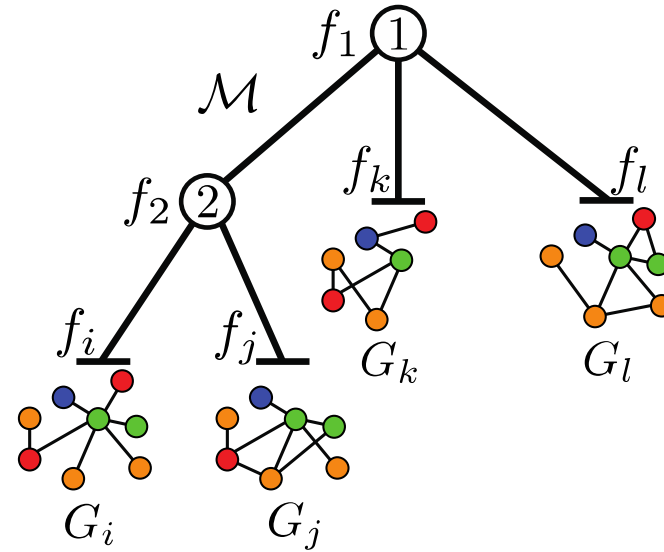
- Zitnik et al., 2017. [Predicting multicellular function through multi-layer tissue networks](#). *ISMB & Bioinformatics*.
- [\(56条消息\) PPI数据集示例项目学习图神经网络_KPer_Yang的博客-CSDN博客](#)

OhmNet: Multi-Layer Graphs



OhmNet: Multi-Layer Graphs

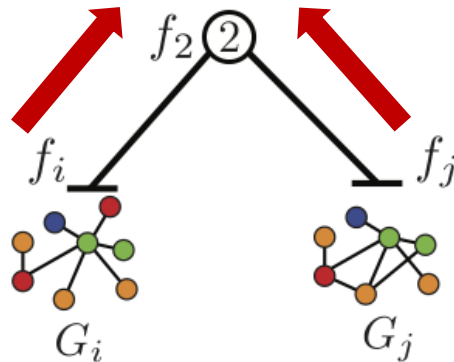
- **Input:** Given graphs G_i and hierarchy M
- **Output:** Embeddings for:
 - Nodes in **each graph**
 - Nodes in **each sub-hierarchy**



- Capture **hierarchical structure** of M

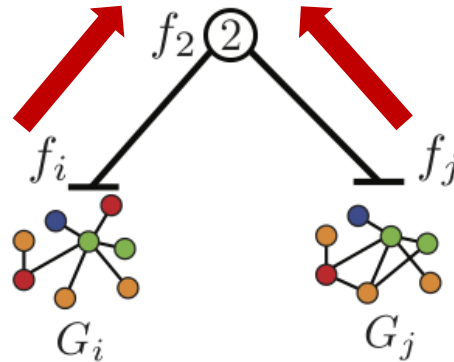
OhmNet: Multi-Layer Graphs

- For graphs G_i :
 - Use node2vec's biased walks
- For hierarchy M :
 - Encode dependencies between graphs
 - **Recursive regularization:** embeddings at level i are encouraged to be similar to embeddings in i 's parent in the hierarchy

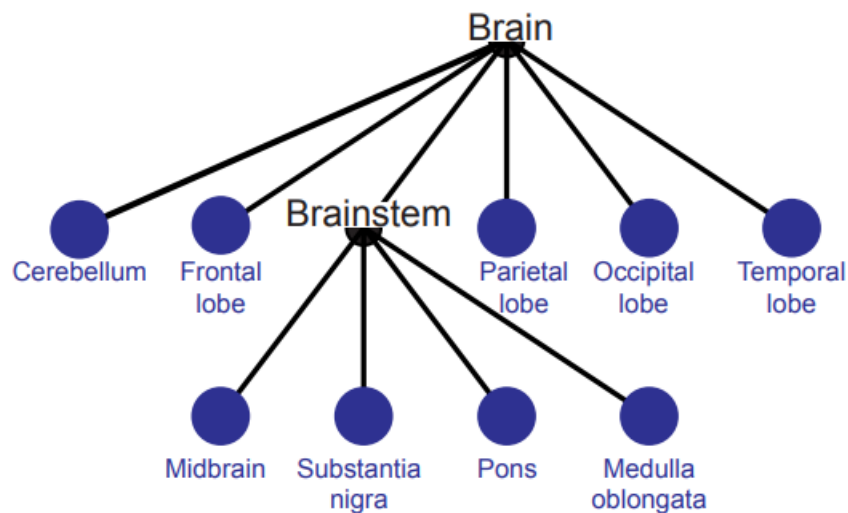


Random Walk Optimization

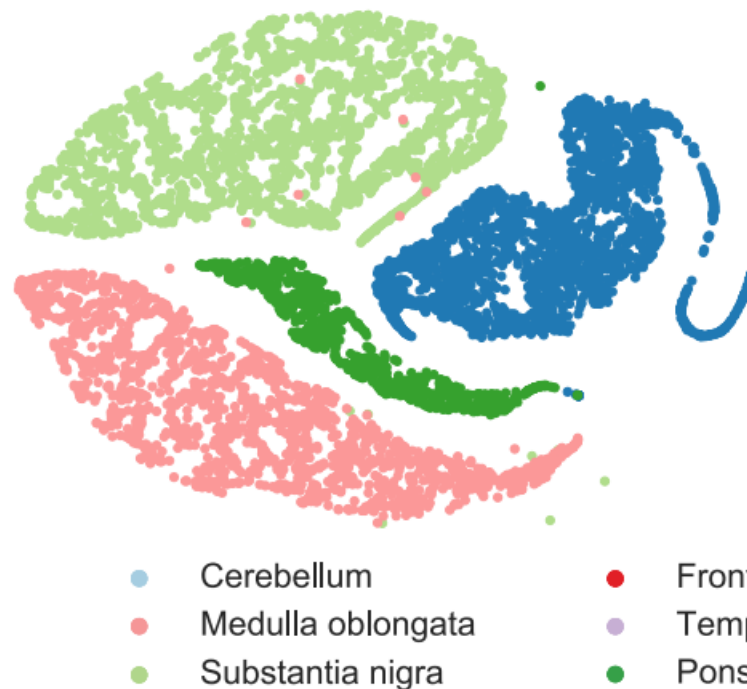
- Given simulated random walks for each graph:
 - Optimize node embeddings as described in previous.
 - **Extra:** Include terms for **recursive regularization** in the loss function



A Brain tissue hierarchy



B Brainstem tissues



C Brain tissues

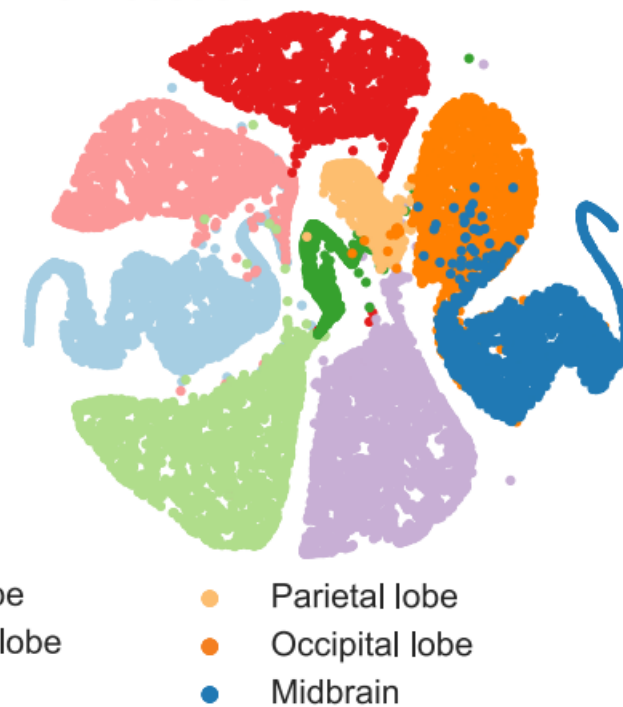
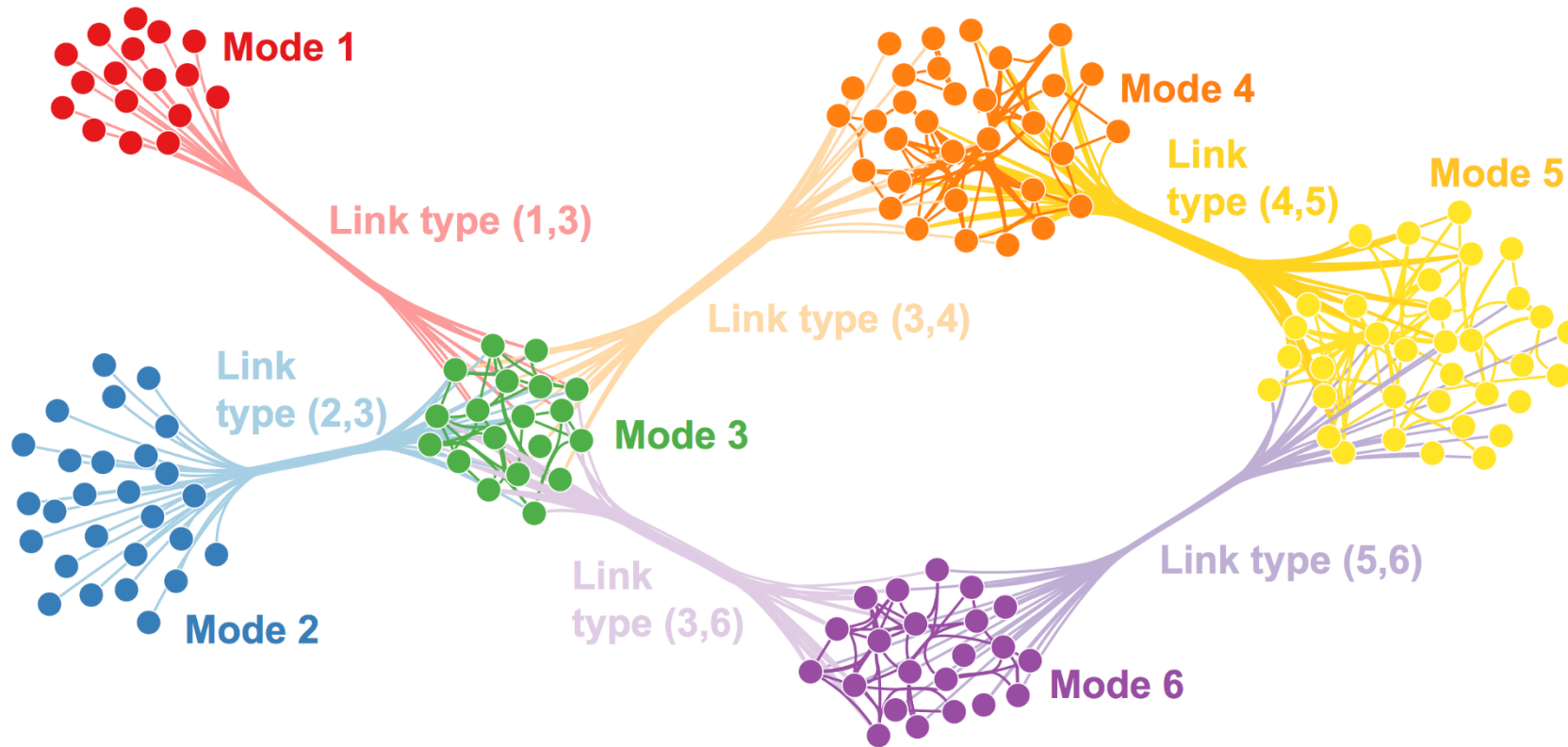


Fig. 5: Visualization of the brain tissue-specific protein interaction networks. **A.** The two-level brain tissue hierarchy as specified by the BRENDA Tissue Ontology ([Chang et al., 2014](#)) and used in the case study in Section 5.3. Leaves of the hierarchy (in blue) represent nine brain tissues each of which is associated with a tissue-specific protein interaction network. **B.** Visualization of the brainstem-specific networks. The proteins are mapped to the 2-D space using the t-SNE package with learned features as input. Color of a node indicates the tissue of the protein. **C.** Visualization of the brain-specific networks. The proteins are mapped and colored using the same procedure as in B.

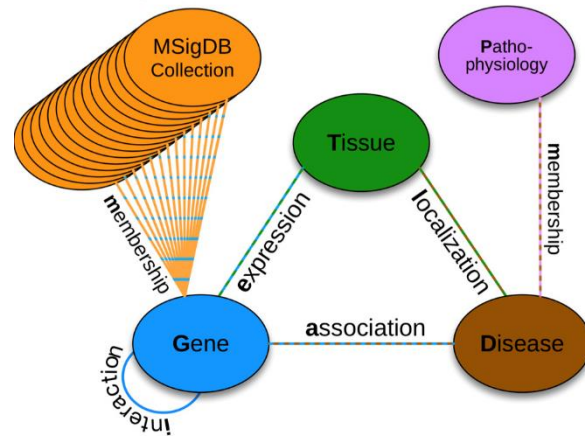
Metapath2vec



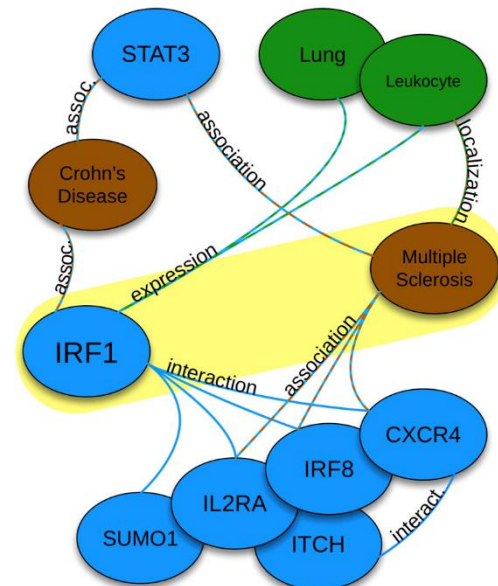
Dong et al., 2017. [metapath2vec: Scalable representation learning for heterogeneous networks](#). *KDD*.

Metapaths

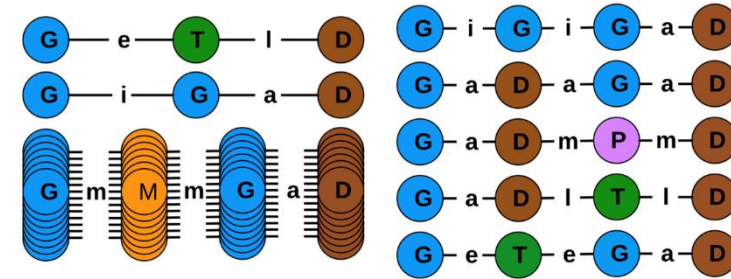
A. Metagraph:



C. Hypothetical graph:



B. Metapaths for $G \text{---} a \text{---} D$:



D. Calculating and weighting path counts:

metapath	paths	PDP	DWPC
$G \text{---} e \text{---} T \text{---} l \text{---} D$		0.707	0.707
$G \text{---} i \text{---} G \text{---} a \text{---} D$		0.25	
$G \text{---} i \text{---} G \text{---} a \text{---} D$		0.25	0.677
$G \text{---} i \text{---} G \text{---} a \text{---} D$		0.177	

$PDP(path) = \frac{1}{\text{number of paths}}$
 $DWPC(metapath) = \frac{1}{\text{number of metapaths}}$

Metapath2vec: Two Main Steps

Extending node2vec to **het nets**:

1. **Metapath-based random walks**

- Specify a metapath of interest
- Run random walks that capture structural correlations between different node types

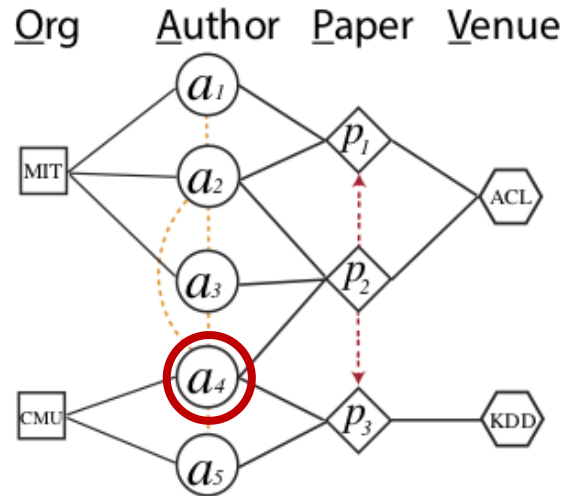
2. **Random walk optimization**

- Given the random walks, optimize node embeddings

Step 1: Run Random Walks

- Given a metapath:

- E.g., **OAP**VPAO
- Generally, it is **symmetrical**



meta paths



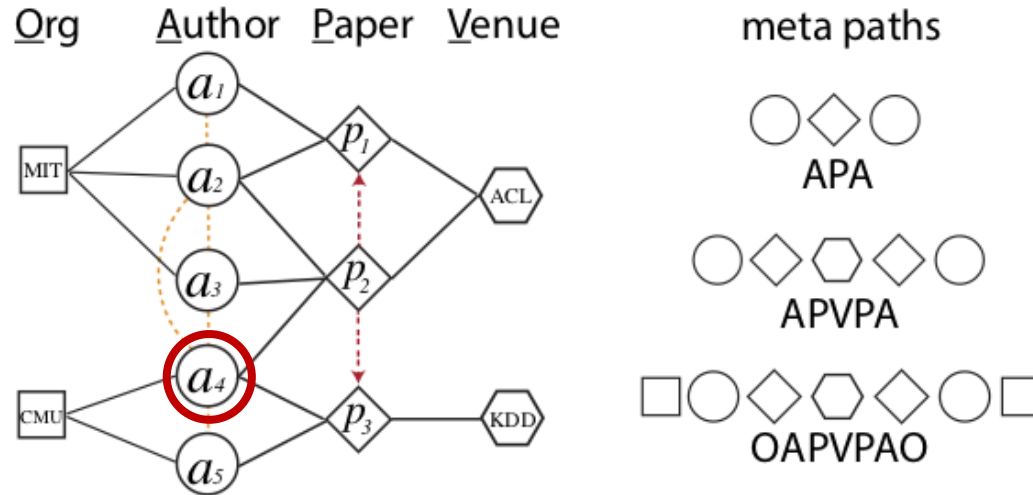
$$V_1 \xrightarrow{R_1} V_2 \xrightarrow{R_2} \dots V_t \xrightarrow{R_t} V_{t+1} \dots \xrightarrow{R_{l-1}} V_l$$

$$p(v^{i+1}|v_t^i, \mathcal{P}) = \begin{cases} \frac{1}{|N_{t+1}(v_t^i)|} & (v^{i+1}, v_t^i) \in E, \phi(v^{i+1}) = t+1 \\ 0 & (v^{i+1}, v_t^i) \in E, \phi(v^{i+1}) \neq t+1 \\ 0 & (v^{i+1}, v_t^i) \notin E \end{cases}$$

Step 1: Run Random Walks

- Given a metapath:

- E.g., **OAP**VPAO
- Generally, it is **symmetrical**



- What is the next step of a walker on node a_4 that transitioned from node CMU?

- Standard random walk:** The next step can be all types of nodes surrounding it:
 - a_2, a_3, a_5, p_2, p_3 , and CMU
- Metapath-based random walk:** The next step can only be a **paper node (P)**, given that its current node is an **author node a_4 (A)** and its previous step was an **organization node CMU (O)**:
 - Follow the semantics of this metapath

Step 2: Optimize

1. Simulate many **metapath-based random walks** starting from each node
2. For each node u , get $N_t(u)$ as a **nodes of type t that are visited by random walks starting at u**
3. **For each node u** , learn its embedding by **predicting which nodes are in $N_t(u)$** :

$$\mathcal{L} = \sum_{u \in V} \sum_{t \in V_t} \sum_{v \in N_t(u)} -\log(P(v|\mathbf{z}_u))$$

V_t is the vertex set for **node type t**

Step 2: Optimize

$$\mathcal{L} = \sum_{u \in V} \sum_{t \in V_t} \sum_{v \in N_t(u)} -\log(P(v|\mathbf{z}_u))$$

V_t is the vertex set for node type t

$$\arg \max_{\theta} \sum_{v \in V} \sum_{t \in T_V} \sum_{c_t \in N_t(v)} \log p(c_t|v; \theta)$$

$$p(c_t|v; \theta) = \frac{e^{X_{c_t} \cdot X_v}}{\sum_{u \in V} e^{X_u \cdot X_v}}$$

Heterogeneous Graph Attention Network

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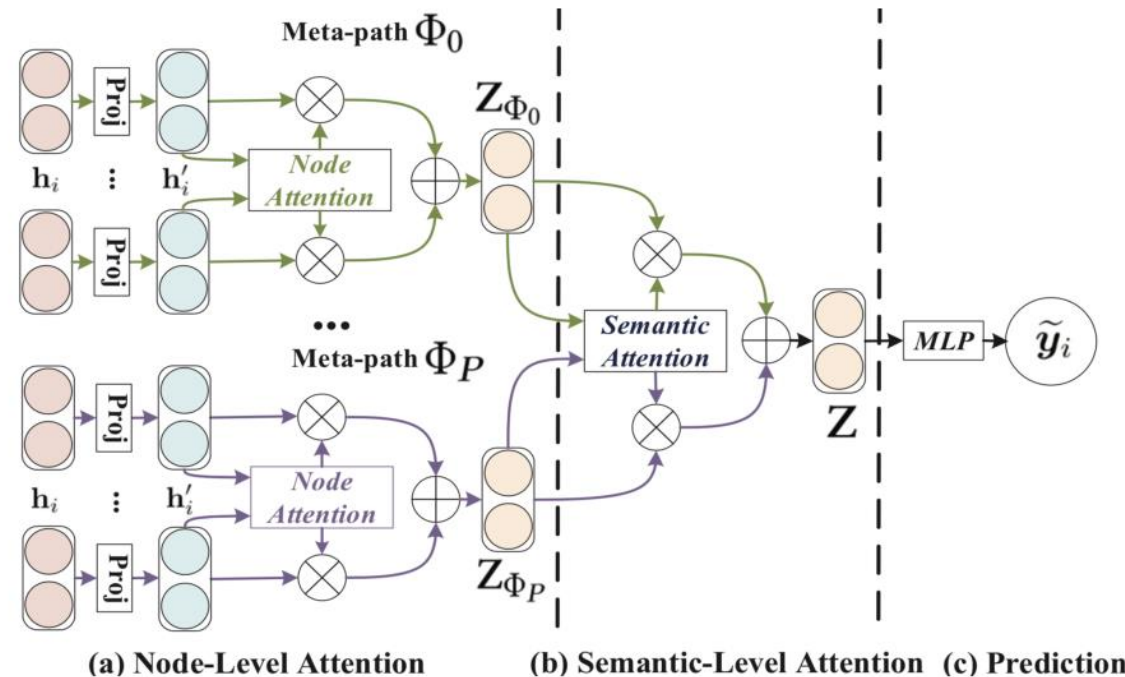
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Notation	Explanation
Φ	Meta-path
\mathbf{h}	Initial node feature
\mathbf{M}_ϕ	Type-specific transformation matrix
\mathbf{h}'	Projected node feature
e_{ij}^Φ	Importance of meta-path based node pair (i,j)
\mathbf{a}_Φ	Node-level attention vector for meta-path Φ
α_{ij}^Φ	Weight of meta-path based node pair (i,j)
\mathcal{N}^Φ	Meta-path based neighbors
\mathbf{Z}_Φ	Semantic-specific node embedding
\mathbf{q}	Semantic-level attention vector
w_Φ	Importance of meta-path Φ
β_Φ	Weight of meta-path Φ
\mathbf{Z}	The final embedding



Heterogeneous Graph Attention Network

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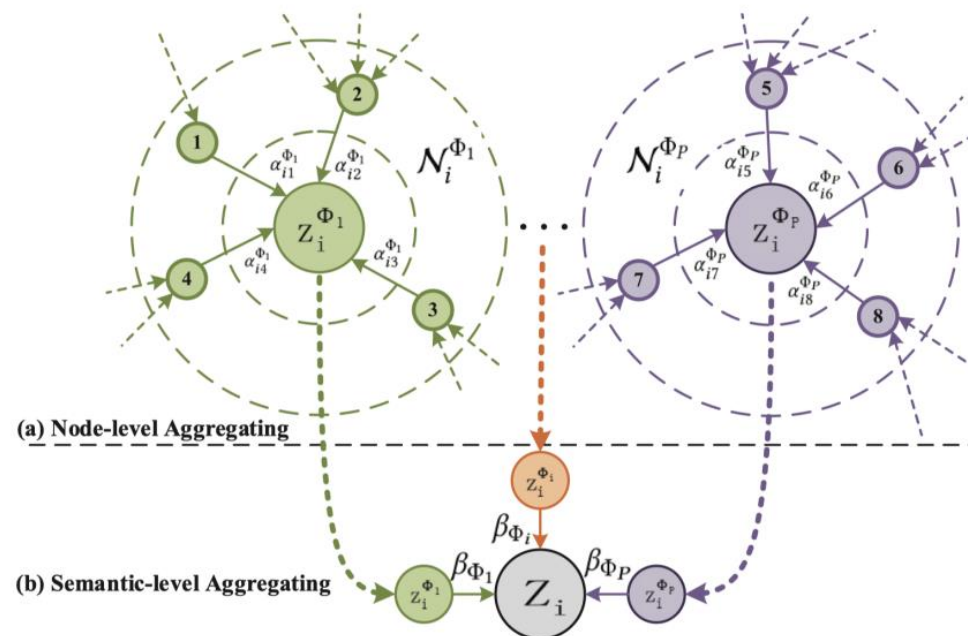


Table 3: Quantitative results (%) on the node classification task.

Datasets	Metrics	Training	DeepWalk	ESim	metapath2vec	HERec	GCN	GAT	HAN _{nd}	HAN _{sem}	HAN
ACM	Macro-F1	20%	77.25	77.32	65.09	66.17	86.81	86.23	88.15	89.04	89.40
		40%	80.47	80.12	69.93	70.89	87.68	87.04	88.41	89.41	89.79
		60%	82.55	82.44	71.47	72.38	88.10	87.56	87.91	90.00	89.51
		80%	84.17	83.00	73.81	73.92	88.29	87.33	88.48	90.17	90.63
	Micro-F1	20%	76.92	76.89	65.00	66.03	86.77	86.01	87.99	88.85	89.22
		40%	79.99	79.70	69.75	70.73	87.64	86.79	88.31	89.27	89.64
		60%	82.11	82.02	71.29	72.24	88.12	87.40	87.68	89.85	89.33
		80%	83.88	82.89	73.69	73.84	88.35	87.11	88.26	89.95	90.54
DBLP	Macro-F1	20%	77.43	91.64	90.16	91.68	90.79	90.97	91.17	92.03	92.24
		40%	81.02	92.04	90.82	92.16	91.48	91.20	91.46	92.08	92.40
		60%	83.67	92.44	91.32	92.80	91.89	90.80	91.78	92.38	92.80
		80%	84.81	92.53	91.89	92.34	92.38	91.73	91.80	92.53	93.08
	Micro-F1	20%	79.37	92.73	91.53	92.69	91.71	91.96	92.05	92.99	93.11
		40%	82.73	93.07	92.03	93.18	92.31	92.16	92.38	93.00	93.30
		60%	85.27	93.39	92.48	93.70	92.62	91.84	92.69	93.31	93.70
		80%	86.26	93.44	92.80	93.27	93.09	92.55	92.69	93.29	93.99
IMDB	Macro-F1	20%	40.72	32.10	41.16	41.65	45.73	49.44	49.78	50.87	50.00
		40%	45.19	31.94	44.22	43.86	48.01	50.64	52.11	50.85	52.71
		60%	48.13	31.68	45.11	46.27	49.15	51.90	51.73	52.09	54.24
		80%	50.35	32.06	45.15	47.64	51.81	52.99	52.66	51.60	54.38
	Micro-F1	20%	46.38	35.28	45.65	45.81	49.78	55.28	54.17	55.01	55.73
		40%	49.99	35.47	48.24	47.59	51.71	55.91	56.39	55.15	57.97
		60%	52.21	35.64	49.09	49.88	52.29	56.44	56.09	56.66	58.32
		80%	54.33	35.59	48.81	50.99	54.61	56.97	56.38	56.49	58.51

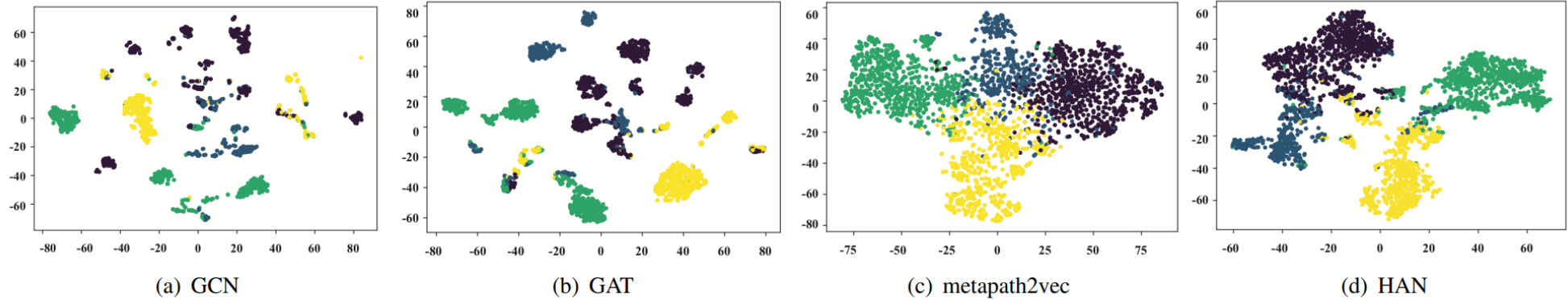


Figure 6: Visualization embedding on DBLP. Each point indicates one author and its color indicates the research area.