

## Formal Design Considerations

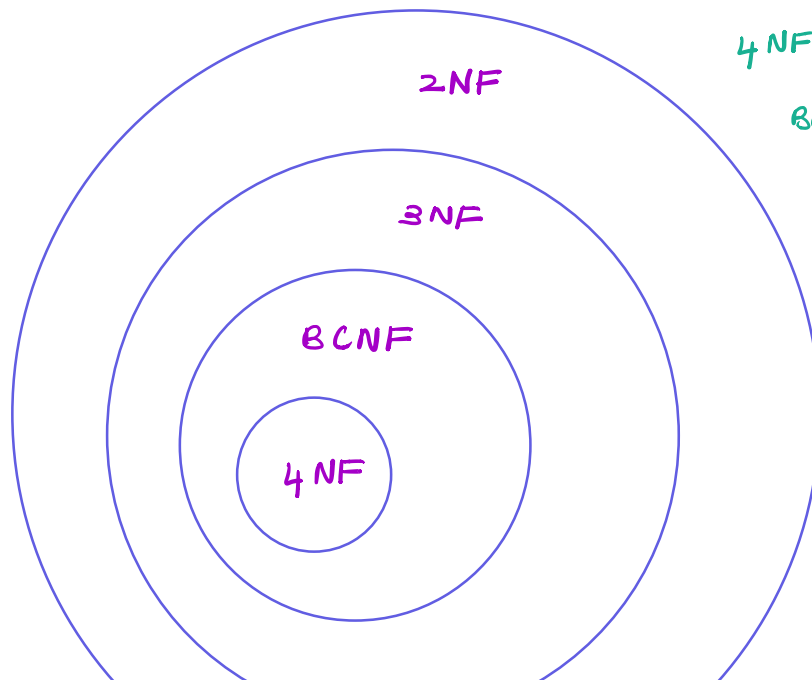
- 1) Start with a relation that has all the attributes.
- 2) Specify the functional dependencies (f.d.s) and the multivalued dependencies (m.v.d.s)
- 3) decompose the table with all the attributes into relations (i.e., tables) that are in normal form. (NF)

\* a set of tables in NF does not suffer from insert, delete, update, join anomalies.

if  $R_1 \bowtie R_2$  are in NF, then  $R = R_1 \bowtie R_2$

1NF, 2NF, 3NF, BCNF, 4NF

↓  
Boyce Codd Normal Form



$4NF \Rightarrow BCNF$

$BCNF \not\Rightarrow 4NF$

$BCNF \Rightarrow 3NF$

$3NF \not\Rightarrow BCNF$

- \* BCNF is the set of relations that satisfy FDs.  
 \* 4NF satisfy both FDs & MVDs.

### Functional Dependencies (FDs)

$$a \rightarrow b \quad \neg b \rightarrow \neg a$$

$$dno \rightarrow mgr$$

a) Can 2 emp in the same dept have different managers?  
 No

b) Can 2 emp in different depts have the same manager?  
 Yes

c) Can same person manage 2 department? Yes

dno	mgr
1	Smith
2	John
3	Smith
4	Smith

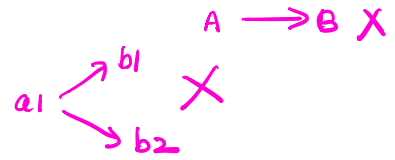
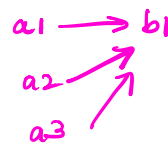
∀ tuples  $t_1, t_2 \in Emp,$

$$t_1[dno] = t_2[dno] \Rightarrow t_1[mgr] = t_2[mgr]$$

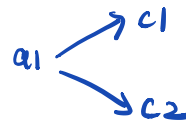
### Example

A	B	C
a1	b1	c1
a1	b1	c2
a2	b1	c3
a3	b1	c4

①  $A \xrightarrow{?} B \checkmark$



②  $A \xrightarrow{?} C \times$



③  $C \xrightarrow{?} A \checkmark$

$C \xrightarrow{?} B \checkmark$

C is a key for  $R(A, B, C)$

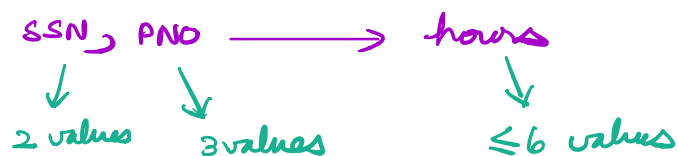
④  $B \xrightarrow{?} A \times$

$B \xrightarrow{?} C \times$

Does  $A \rightarrow B$ ?

\* if there are 3 unique values for A  $\Rightarrow \leq 3$  values for B

\* if there are 3 unique values for B  $\Rightarrow \geq 3$  values for A



### Emp - Proj Example

$SSN \rightarrow Ename$

$Pno \rightarrow Pname, Plocation$

$SSN, Pno \rightarrow Hrs$

$R1': (SSN, Ename)$

$R2': (Pno, Pname, Plocation)$

$R3': (SSN, Pno, Hrs)$

$$R = R1' \bowtie R2' \bowtie R3'$$

### Example:

A B C

a1 b1 c1

a1 b2 c2

a1 b3 c3

a2 b1 c4

a2 b2 c5

a2 b3 c5

Find the FDs & the key

$A \xrightarrow{?} B$  X

$B \xrightarrow{?} A$  X

$C \xrightarrow{?} A$  ✓

$C \xrightarrow{?} B$  X