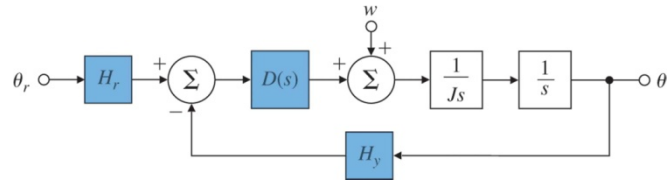


ESE 406/505 & MEAM 513 – 2011-Apr-04 – Quiz – Name: _____

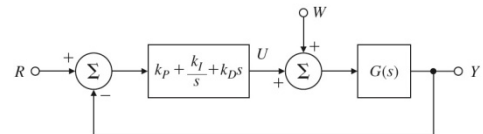
- Choose the one best answer for each question by circling the letter.
- A correct answer is worth 2 points.
- No answer is worth 0 points.
- An incorrect answer is worth -1 point. Random guessing will lower your score, on average.

1. In the block diagram shown at the right, if $H_r=H_y=1$ and $D(s)=K$, which of the following is MOST ACCURATE?



- There will be zero steady error for step command inputs.
- There will be zero steady error for step disturbance inputs.
- Both A & B are correct.
- Neither A nor B is correct.

2. In the figure shown at right, with $G(s) = \frac{16}{s^2 + s + 16}$, the primary effect of derivative feedback is that it...?

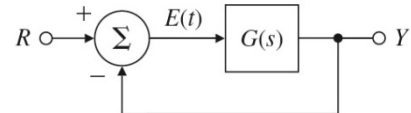


- ...ensures zero steady-state errors for step disturbance inputs, $W(s)$.
- ...ensures zero steady-state errors for step command inputs, $R(s)$.
- ...increases the natural frequency of the closed-loop poles.
- ...increases the damping ratio of the closed-loop poles.

3. For the system shown in previous problem, the primary effect proportional feedback is that it...

- ...ensures zero steady-state errors for step disturbance inputs, $W(s)$.
- ...ensures zero steady-state errors for step command inputs, $R(s)$.
- ...increases the natural frequency of the closed-loop poles.
- ...increases the damping ratio of the closed-loop poles.

4. Suppose that the system shown in the figure at right exhibits a constant steady-state error, $e_{ss} = \Delta$, in response to a *unit ramp* command input, $r(t)=t$. From this, we can infer that



- $\lim_{s \rightarrow 0} sG(s) = \frac{1}{\Delta}$
- $\lim_{s \rightarrow \infty} G(s) = \Delta$
- $G(j\omega) = -1$
- None of the above is a reasonable inference.

5. Which of the following is MOST ACCURATE concerning integral feedback?

- Because of the beneficial effects of integral feedback for reducing errors, it is always a “no-brainer” to use integral feedback in designing a control system.
- Integral feedback has no effect on stability, so the only limit on how high the integral gain can go is actuator bandwidth.
- Integral feedback is very useful for many applications, but has to be designed judiciously, with such issues as anti-windup protection and initialization given careful consideration.
- All of the above are accurate.