http://gallais.org guillaume.allais @ens-lyon.org

### Education

2010–2011	Master of Science (2nd year) - Research in Computer Science Attending lectures on type theory, proof theory, category theory and models, linear logic, automata & monoid theory and philosophy of logic. Parisian Master of Research in Computer Science (http://mpri.master.univ-paris7.fr/)
2009–2010	Master of Science (1st year) - Research in Computer Science Attending lectures on proof theory, complexity theory, concurrent algo- rithms, markov chains and history of science. École Normale Supérieure de Lyon (http://www.ens-lyon.fr)
2008–2010	Bachelor of Science - Computer Science (with honors)  Attending lectures on the foundations of computer science, complexity & calculability theory, algorithmic, programming, operating systems and epistemology.  École Normale Supérieure de Lyon (http://www.ens-lyon.fr)
2008	Admitted to the ENS Lyon  Highly selective national competition.
2006–2008	Preparatory classes MPSI - MP*  French highly selective prep school that gives strong basis in mathematics & physics in order to prepare to enter prestigious universities.  Lycée Louis-Le-Grand, Paris
2006	A-level in Science (with honors) Lycée Notre-Dame de Boulogne

## Research interests

• Logic

Proof theory (especially constructivism); machine-checked proofs Lambda-calculus; type theory

 $\bullet\,$  To a lesser extent:

Calculability theory; complexity theory

Automata theory

Real & complex analysis

### Professional activities

#### 2010-?

### The Coqtail Project - Administrator & developper

Junior Laboratory funded by the ENS Lyon and open-source project dealing with computer-aided proof of mathematical theorems in Coq. We tackle results that are usually stated and proved during a Bachelor of Science in mathematics. My contributions are mainly about real and complex analysis (power series, function classes, etc.)

http://coqtail.sf.net

### 03-07 / 2010

## Research internship under T. Altenkirch's supervision: "Proof automatization: using reflection to implement decision procedures".

I worked on Agda and implemented a solver for propositional logic using reflection before tackling Presburger arithmetic.

The solver for propositional logic is based on the axiomatic system defined in Negri & Dickhoff's paper "Admissibility of Structural Rules for Contraction-Free Systems of Intuitionistic Logic" and the one for Presburger arithmetic is based on Cooper's decision procedure using a normalization process that is described in Chaieb & Nipkow's paper "Verifying and Reflecting Quantifier Elimination for Presburger Arithmetic"

Functional programming laboratory - The University of Nottingham

### 06-07 / 2009

# Research internship under Y. Bertot's supervision: "Minimalizing the reals' axiomatisation in Coq's standard library"

I worked on Coq and proved theorems dealing with real analysis in order to get rid off the axiom stating that " $\sin\left(\frac{\pi}{2}\right) = 1$ ". INRIA - Sophia Antipolis

### Languages

• English: fluent

• Spanish: intermediate level

• German: basis

### Computer skills

• Operating system: Linux

• Languages: Coq; Agda; Ocaml; C and (to a lesser extent) Python

• Web: php; XHTML; CSS

### Other interests

• Science related: epistemology; philosophy of logic

• Sports: tennis; cycling

• Reading: french, spanish & american litterature