



End Term (EVEN) Semester Examination June 2025

Roll no.

Name of the Course and Semester: M.Tech. CSE & IV

Name of the Paper: Soft Computing

Paper Code: MCS 401

Maximum Marks: 100

Note:

- (i) All the questions are compulsory.
- (ii) Answer any two sub questions from a, b and c in each main question.
- (iii) Total marks for each question is 20 (twenty).
- (iv) Each sub-question carries 10 marks.

- Q1. (2X10=20 Marks)
- a. Explain how Hebbian learning is used in modern AI applications. Discuss its advantages and limitations with real-life examples. CO1
 - b. Design an ANN using McCulloch-Pitts neurons to implement a 3-bit majority function. Show all steps and logic. CO1
 - c. Critically analyze the delta learning rule and its convergence behavior in non-linearly separable datasets. CO1

- Q2. (2X10=20 Marks)
- a. Compare and contrast Back Propagation Networks and Radial Basis Function Networks in terms of architecture and learning speed. CO2
 - b. Describe the architecture and functioning of Self Organizing Maps (SOM). How can SOM be used for high-dimensional data clustering? CO2
 - c. Design a feedback neural network using Hopfield architecture to solve the Travelling Salesman Problem. Illustrate your approach. CO2

- Q3. (2X10=20 Marks)
- a. Derive fuzzy union, intersection, and complement operations using Zadeh's operators. Use graphical representation for clarity. CO3
 - b. Design a fuzzy rule base for controlling a smart home lighting system based on time of day and ambient brightness. CO3
 - c. Compare fuzzy cardinality with classical cardinality. How does it affect decision-making in real-world applications? CO3

- Q4. (2X10=20 Marks)
- a. Differentiate between Mamdani and Takagi-Sugeno fuzzy inference systems. Give an industrial application for each. CO4
 - b. Explain fuzzification and defuzzification in detail using an example of a fuzzy controller for temperature regulation. CO4
 - c. Construct a fuzzy system for medical diagnosis with a minimum of 3 fuzzy variables. Explain rules, inference mechanism, and output. CO4

- Q5. (2X10=20 Marks)
- a. Explain schema theorem and building block hypothesis with a numerical example. CO5
 - b. Simulate a genetic algorithm for optimizing the function $f(x) = x^2$ in the range $[0,31]$. Perform at least 2 generations with crossover and mutation. CO5
 - c. Discuss the theoretical foundation of genetic algorithms and compare them with traditional optimization techniques. CO5