

# EE 605: Digital Image Processing - Assignment 1

Teacher: Prof. Nitin Khanna (nitinkhanna@iitgn.ac.in)

## Guidelines:

- There should be only one .zip file (containing all your .m files, figures/images corresponding to results and a .pdf and corresponding .tex/.doc file for the summary report). Filename shall be in the format as follows: DIP-A1-groupno.zip (For e.g. DIP-A1-G1.zip). Only one member of every group needs to submit this zip file on Google classroom.
- There shall be one report as .tex or .doc(x) file (with corresponding .pdf file) showing the input image, output image, discussion about results etc. corresponding to different questions. Also include the description of parameters chosen and any specific observations made. Filename for the report shall again be in format as follows: DIP-A1-report-groupno.tex and DIP-A1-report-groupno.pdf.
- Include a readme.txt file mentioning different steps for running your program and any other comments from your side.
- Make suitable assumptions as needed and clearly mention them at appropriate places in your code, readme file and report.
- In writing code for the following problems, you can use Matlab/Python's built in function for image reading and writing (imread and imwrite), apart from these, please do not use any other function from Matlab/Python's toolboxes related to image processing (except the functions mentioned as allowed function under a particular question). Write the code from scratch, using basic constructs like loops etc. Please confirm with me by posting a query in Google classroom if you think any other in-built function is unavoidable to use. *Note: Allowed in-built Matlab/Python functions/constructs: nargin, rand, find, imshow, imread, imwrite.*
- Matlab/Python code should be very well documented. The evaluation will also give consideration to your writing efficient code/algorithms, using dynamic and not-static declarations etc., code having proper indentation and self-explanatory comments etc.
- Unless you state otherwise, it is implicitly assumed that you wrote the code yourself without any help from your friends/online-resources. If you take some help, you must mention that explicitly in your report as well as in your Matlab/Python code comments. Plagiarism related policies as per Institute rules will be applicable and strictly enforced.

Note: Images given in the questions are just shown for reference purpose, they are not upto scale. Feel free to let me know if you need any further clarification.

### 1. (Digital Paths)

Write a generic Matlab/Python function

$$[paths\_info] = find\_paths(I, x1, y1, x2, y2, V, path\_type), \quad (1)$$

which will find all 4-, 8- and m-paths between two points (x1,y1) and (x2,y2) in an image.

Inputs:

I: An image as 2D matrix,

x1,y1,x2,y2: coordinates of the two points

V: set V as an array,

path\_type: type of path ( = 4, 8 or 10 (10 for m path))

Output: array of structures containing all the paths of desired type, their lengths and the shortest path (paths will be stored as cell array)

Test your code on the image segment shown in Figure 1 (write a separate test script to do so), for  $V = \{4,2\}$  and find all the 4, and m-paths between p and q.

1	0	3	2	4
4	3	4	0	2 (q)
2	2	1	3	0
2 (p)	4	0	2	3
3	2	4	1	0

Figure 1: Sample Image

2. Write a Matlab/Python function  $[cc] = Conncomp(I, connectivity, V)$  to find all the connected components in an Image using Sequential algorithm. The parameter *connectivity* may be either 4 or 8, while the parameter  $V$  contains the set of intensity values to define connectivity. Compare your results with Matlab/Python's inbuilt function `bwconncomp`.
3. Write a Matlab/Python function  $[cc] = Conncomp(I, connectivity, V)$  to find all the connected components in an Image using Recursive algorithm. The parameter *connectivity* may be either 4 or 8, while the parameter  $V$  contains the set of intensity values to define connectivity. Compare your results with Matlab/Python's inbuilt function `bwconncomp`.
4. (Digital Image Creation - Circles) Write a generic Matlab/Python function

$$[I] = create\_discs(M, N, border, n, r_1, r_2, V_f, V_b), \quad (2)$$

which will create a 8-bit grayscale image similar to Figure 2. This image is of size  $M \times N$ , additionally it has a black border around it of thickness  $border$ . Thus, the size of complete image is  $(M+2 \times border) \times (N+2 \times border)$ . This image contains  $n$  non-overlapping discs of radius uniformly distributed in  $[r_1, r_2]$ . Centers of each of these discs are obtained from a uniform distribution over all possible pixel locations in the image. The selected centers should be such that the discs are non-overlapping. For randomly selecting the centers of these non-overlapping discs, you might need to increase the size beyond  $M \times N$ . One possible way to handle this situation is that if for selecting  $n$  centers, you have tried  $2 \times n$  random points and still they don't satisfy the desired constraint of non-overlapping discs, then you can increase the image size to  $2M \times 2N$  and recursively do this till you get  $n$  centers with required properties. The parameters  $V_f$  and  $V_b$  are optional. If they are not provided then disc will be of black color (0) and background will be of white color (255). If they are provided, then the intensity values inside the disc should be uniformly distributed over all intensity values present in the array  $V_f$  and the intensity values outside the disc (background) should be uniformly distributed over all intensity values present in the array  $V_b$ . For example, we may specify  $V_f = [0 : 1 : 128]$  and the background intensities in the range  $V_b = [129 : 2 : 255]$ . Write a Matlab/Python script `test.m` which will call the earlier defined function with couple of settings of input parameters and save the output image after displaying it.

*Note: Allowed in-built Matlab/Python functions: `rand`, `imshow`, `imwrite`.*

5. (Digital Image Creation - Triangles) Write a generic Matlab/Python function

$$[I] = create\_triangles(M, N, border, n, b_1, b_2, alpha, orientation, V_f, V_b), \quad (3)$$

which will create a 8-bit grayscale image similar to Figure 3. This image is of size  $M \times N$ , additionally it has a black border around it of thickness  $border$ . Thus, the size of complete image is  $(M+2 \times border) \times (N+2 \times border)$ . This image contains  $n$  non-overlapping right angled triangles with perpendicular to base ratio fixed as  $alpha$ , with length of base uniformly distributed in  $[b_1, b_2]$ . Right-angled corner of each of these triangles are obtained from a uniform distribution over all possible pixel locations in the image. The selected corners should be such that the triangles are non-overlapping. For randomly selecting the corners of these non-overlapping triangles,

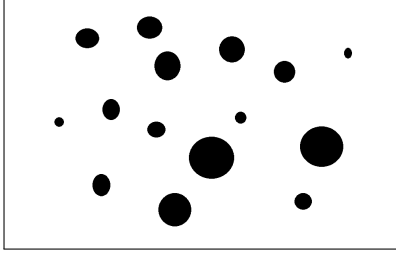


Figure 2: Sample Disc Image

you might need to increase the size beyond  $M \times N$ . One possible way to handle this situation is that if for selecting  $n$  corners, you have tried  $2 \times n$  random points and still they don't satisfy the desired constraint of non-overlapping triangles, then you can increase the image size to  $2M \times 2N$  and recursively do this till you get  $n$  corners with required properties. The parameter *orientation* will be subset of  $\{1,2,3,4\}$  indicating the four possible orientations of these triangles. The orientations of the triangles should be uniformly distributed over the orientations listed in the parameter *orientation*. The parameters  $V_f$  and  $V_b$  are optional. If they are not provided then triangles will be of black color (0) and background will be of white color (255). If they are provided, then the intensity values inside the triangles should be uniformly distributed over all intensity values present in the array  $V_f$  and the intensity values outside the triangles (background) should be uniformly distributed over all intensity values present in the array  $V_b$ . For example, we may specify  $V_f = [0 : 1 : 128]$  and the background intensities in the range  $V_b = [129 : 2 : 255]$ . Write a Matlab/Python script test.m which will call the earlier defined function with couple of settings of input parameters and save the output image after displaying it.

*Note: Allowed in-built Matlab/Python functions: rand, imshow, imwrite.*

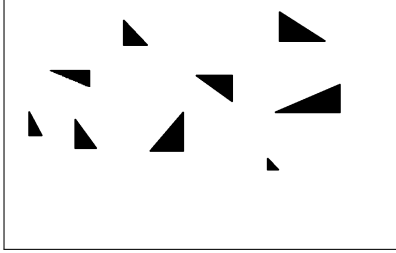


Figure 3: Sample Triangles Image

6. (Digital Image Creation - Rectangles) Write a generic Matlab/Python function

$$[I] = \text{create\_rectangles}(M, N, \text{border}, n, w_1, w_2, \text{alpha}, \text{orientation}, V_f, V_b), \quad (4)$$

which will create a 8-bit grayscale image similar to Figure 4. This image is of size  $M \times N$ , additionally it has a black border around it of thickness *border*. Thus, the size of complete image is  $(M+2 \times \text{border}) \times (N+2 \times \text{border})$ . This image contains  $n$  non-overlapping rectangles with height to width ratio fixed as *alpha*, with width uniformly distributed in  $[w_1, w_2]$ . One of the corners of each of these rectangles are obtained from a uniform distribution over all possible pixel locations in the image. The selected corners should be such that the rectangles are non-overlapping. For randomly selecting the corners of these non-overlapping rectangles, you might need to increase the size beyond  $M \times N$ . One possible way to handle this situation is that if for selecting  $n$  corners, you have tried  $2 \times n$  random points and still they don't satisfy the desired constraint of non-overlapping rectangles, then you can increase the image size to  $2M \times 2N$  and recursively do this till you get  $n$  corners with required properties. The parameter *orientation* will be subset of  $\{1,2\}$  indicating the two possible orientations of these rectangles. The orientations of the rectangles should be uniformly distributed over the orientations listed in the parameter *orientation*. The parameters  $V_f$  and  $V_b$  are optional. If they are not provided then rectangles will be of black color (0) and background will be of white color (255). If they are provided, then the intensity values inside the rectangles should be uniformly distributed over all intensity values present in the array  $V_f$  and the intensity values outside the triangles (background) should be uniformly distributed over all intensity values present in the array  $V_b$ . For example, we may specify  $V_f = [0 : 1 : 128]$  and the background intensities in

the range  $V_f = [129 : 2 : 255]$ . Write a Matlab/Python script `test.m` which will call the earlier defined function with couple of settings of input parameters and save the output image after displaying it.

*Note: Allowed in-built Matlab/Python functions: `rand`, `imshow`, `imwrite`.*

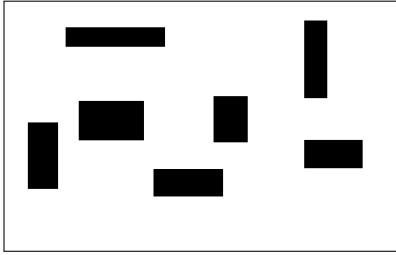


Figure 4: Sample Rectangles Image

7. There are three major classes of applications of Digital Image Processing: 1) Improvement of pictorial information for human perception, 2) Autonomous machine vision and 3) Efficient storage and transmission. Write a short note on one application from one of these three classes with real life case studies and images. Note that we are looking for a description of potential usage of image processing to solve a specific real life problem and not the technical details of how to solve that problem. Don't list some very broad areas such as security and medical image processing. You may want to add few lines about limitations of existing solutions for your particular application.