

#### Differentiable Rendering

3D Graphics Systems | Al Graphics - Theory and Practice

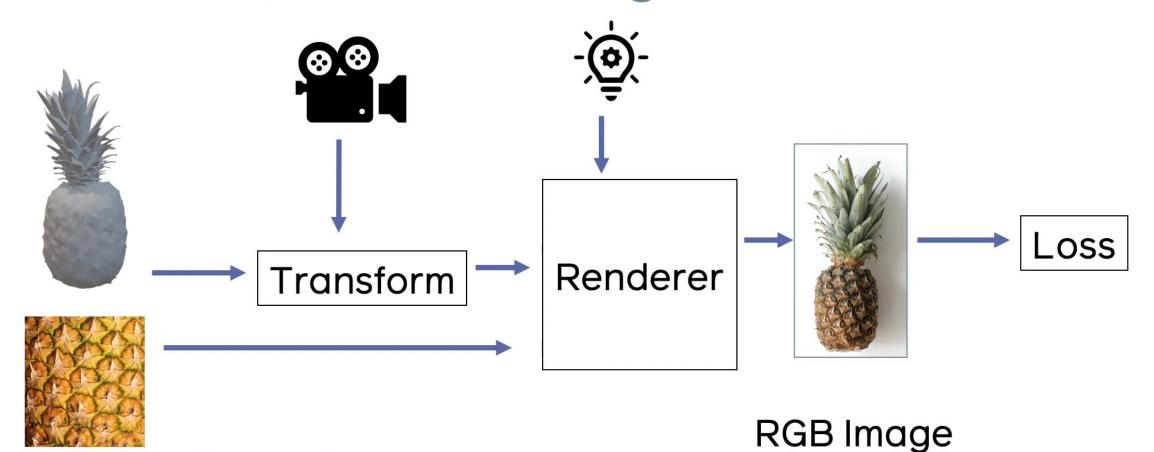
Hallison Paz

IMPA, June 7th, 2023

## Why Differentiable Rendering?

- Relate 2D pixels to 3D properties
- Image based 3D reasoning

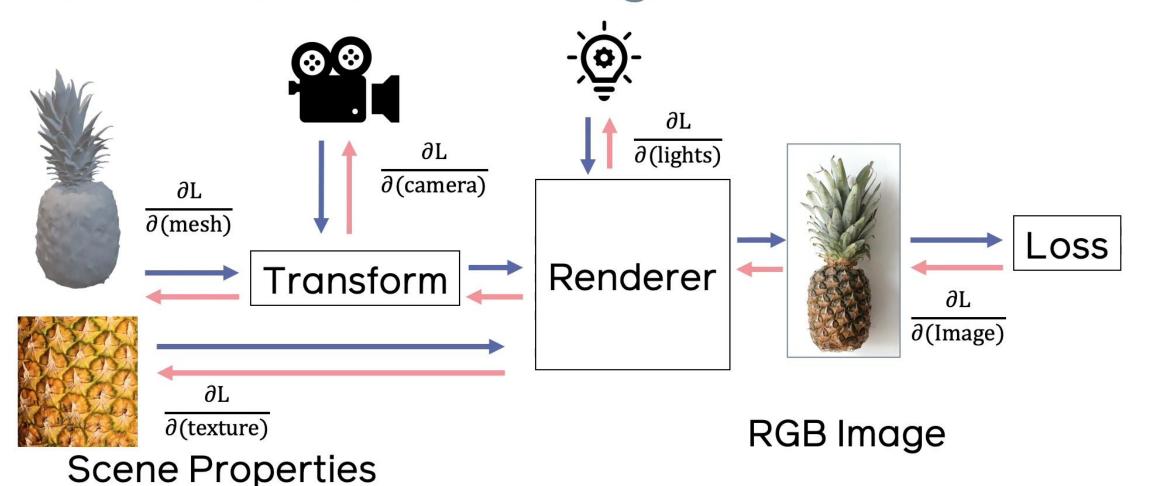
## **Differentiable Rendering**



**Scene Properties** 

-

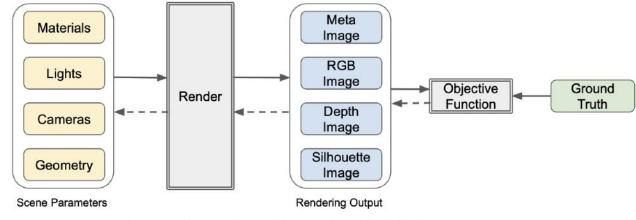
## **Differentiable Rendering**



## Bridging the Gap: Graphics <> Vision

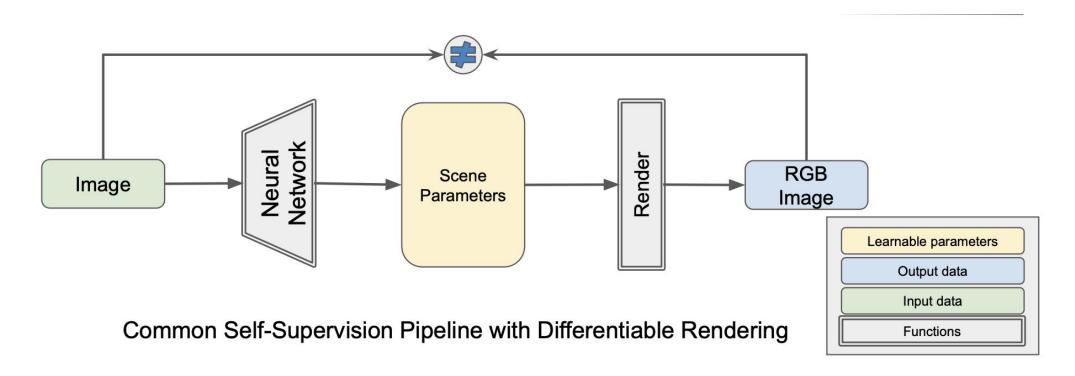
Scene parameters:  $\theta$ 

$$f( heta) = I$$
  $E( heta) = ||f( heta) - I||^2$ 



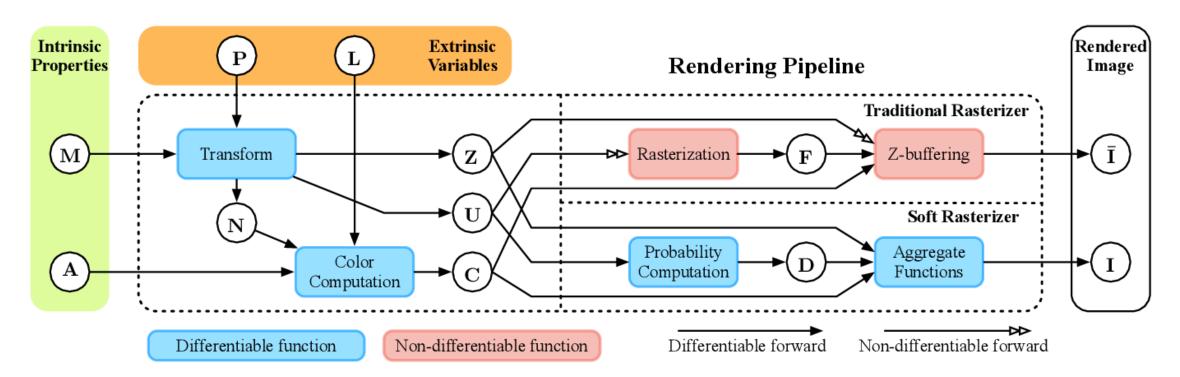
Optimization using a Differentiable Renderer

## Self supervised learning

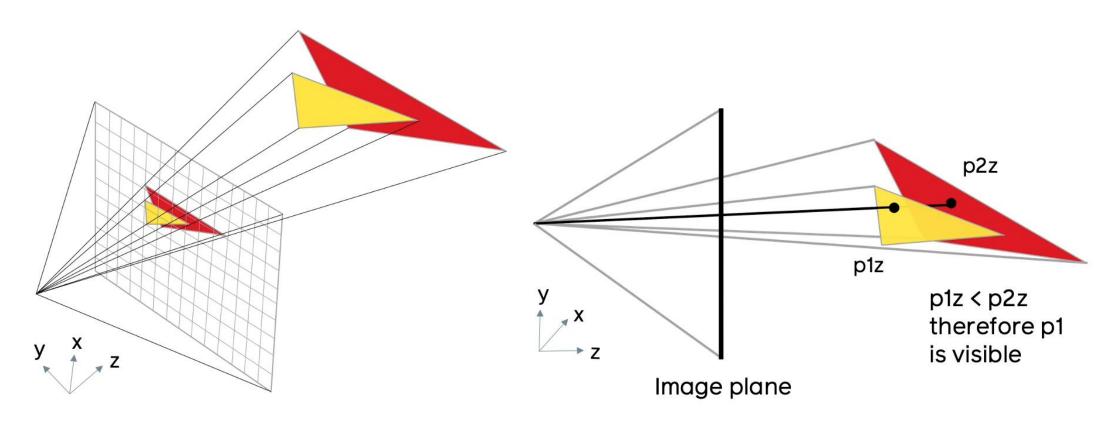


# Challenges

## **Rasterization Pipeline**



## Rendering = rasterization + shading



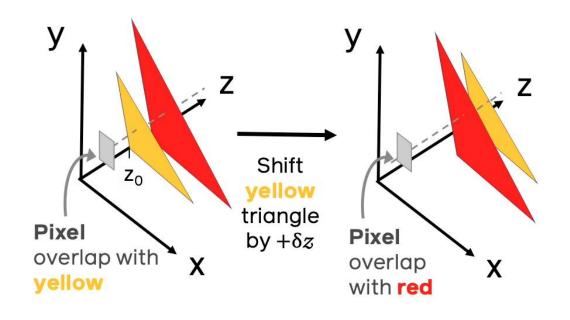
Rasterization

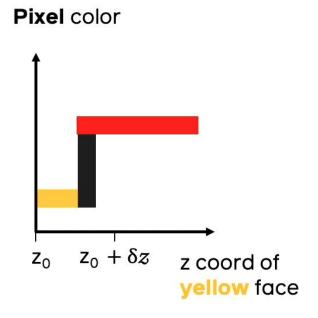
Z buffering

## **Traditional rasterization problem 1**

#### **Z** discontinuity

## Step change in pixel color

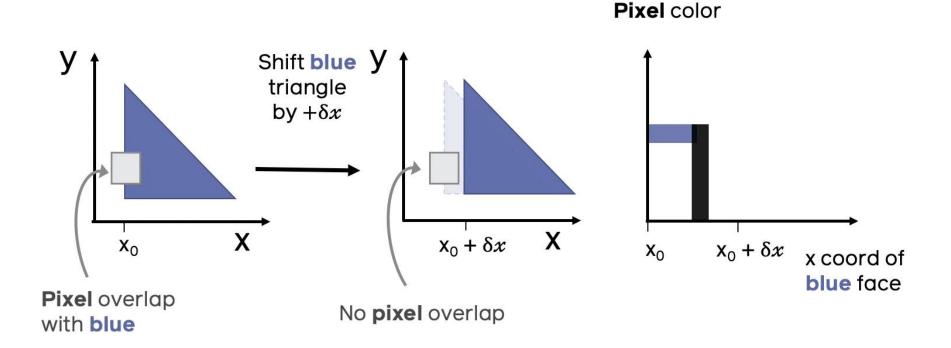




## Traditional rasterization problem 2

#### XY discontinuity

## Step change in pixel color



## **Commom approaches**

#### **Approximated gradients**

- Open DR
- Neural 3D Mesh renderer

#### **Approximated rendering**

Soft Rasterizer

## **Open DR**

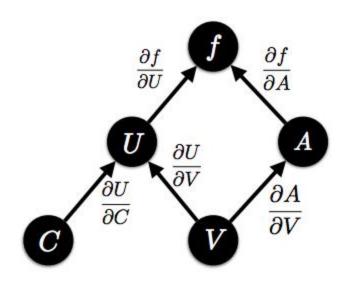
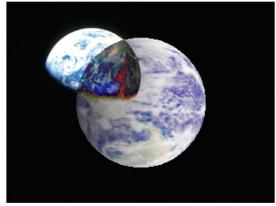


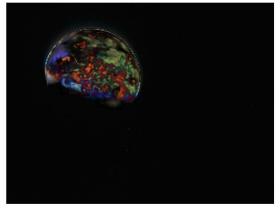
Fig. 1. Partial derivative structure of the renderer.

### Open DR

```
# Minimize the energy
light_parms = A.components
ch.minimize(E, x0=[translation])
ch.minimize(E, x0=[translation, rotation, light_parms])
```









#### **Neural 3D Mesh Renderer**

(a) Example of mesh & pixels

(b) Standard rasterization Forward pass of proposed method

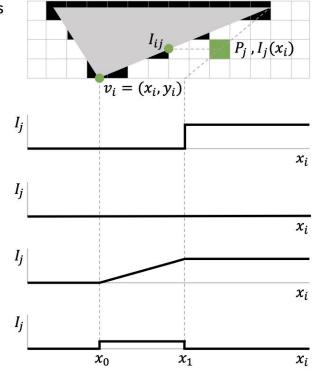
(c) Derivative of (b)

No gradient flow

- (d) Modification of (b)

  Blurred image
- (e) Derivative of (d)

  Backward pass of proposed method



(a) Example of mesh & pixels

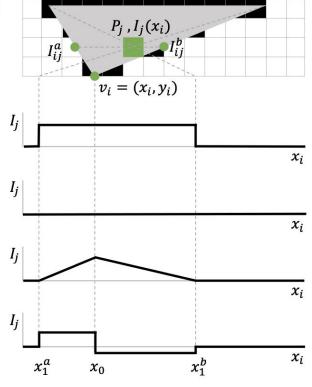


- (c) Derivative of (b)

  No gradient flow
- (d) Modification of (b)

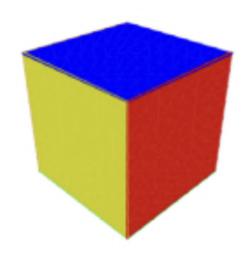
  Blurred image
- (e) Derivative of (d)

  Backward pass of proposed method

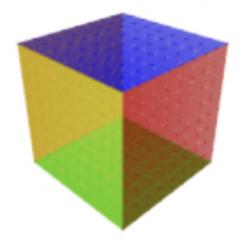


#### **Soft Rasterizer**

#### **Approximated rendering**



Standard rendering



Rendered w/ larger  $\gamma$ 



Rendered w/ larger  $\gamma$  and  $\sigma$ 

## **Traditional rasterization problem 1**

**Z** discontinuity

yellow

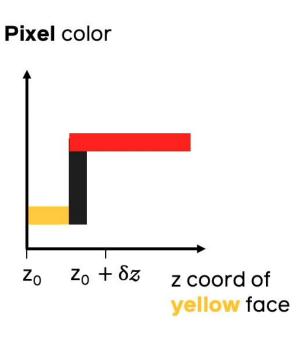
 $\begin{array}{c} y \\ z \\ \hline \\ \text{Shift} \\ \text{yellow} \\ \text{triangle} \\ \text{by } + \delta z \\ \text{overlap} \end{array}$ 

with red

Step change in pixel color

Solution using soft aggregation

Blend closest



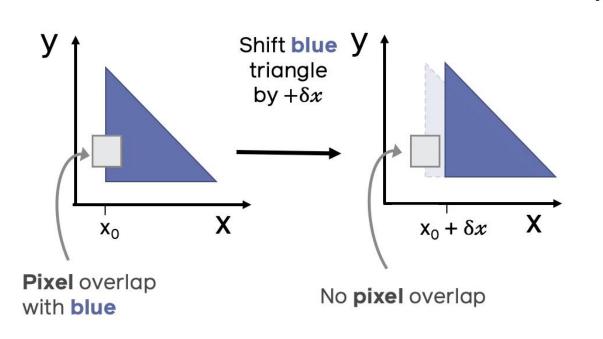


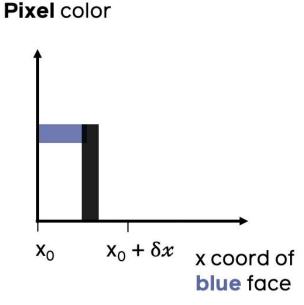
## Traditional rasterization problem 2

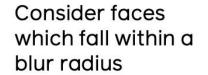
#### XY discontinuity

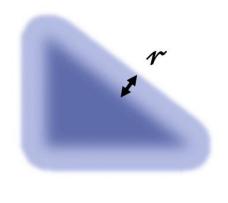
## Step change in pixel color

# Solution using soft aggregation







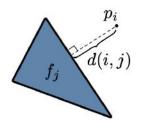


### **Fuzzy geometry**

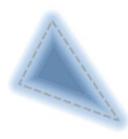
Probability map  $D_i$  at pixel  $p_i$ :

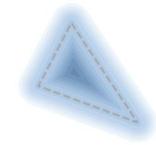
$$D^i_j = sigmoid(\delta^i_j * rac{d^2(i,j)}{\sigma})$$

$$\delta^i_j = \{+1, ext{if } p_i \in f_j; -1, ext{otherwise}\}$$









(a) ground truth (b) 
$$\sigma = 0.003$$
 (c)  $\sigma = 0.01$ 

(c) 
$$\sigma = 0.01$$

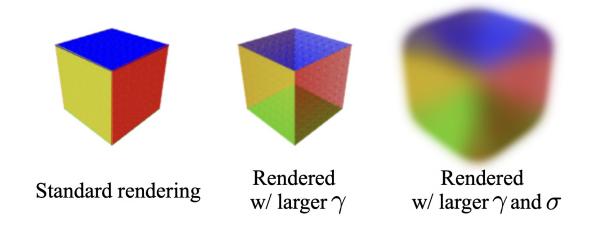
(d) 
$$\sigma = 0.03$$

## Aggregation

$$I^i = A_S(\{C_j\}) = \sum_j w^i_j C^i_j + w^i_b C_b$$

$$w^i_j = rac{D^i_j exp(z^i_j/\gamma)}{\sum_k D^i_k exp(z^i_k/\gamma) + exp(\epsilon/\gamma)}$$

- $ullet z^i_j$  normalized inverse depth
- $\epsilon$  (for background)
- $\gamma$  sharpness of the aggregate function.



# PyTorch3D