

COMP3411/9414/9814: Artificial Intelligence

Week 12: Course Review

Planned Topics

- AI, Tasks, Agents & Prolog
 - ▶ What is AI?
 - ▶ Classifying Tasks
 - ▶ Agent Types
 - ▶ Prolog Programming
- Solving Problems by Search
 - ▶ Path Search
 - ▶ Heuristic Path Search
 - ▶ Games
 - ▶ Constraint Satisfaction
- Logic, Learning & Uncertainty
 - ▶ Logical Agents
 - ▶ Learning and Decision Trees
 - ▶ Perceptrons & Neural Networks
 - ▶ Uncertainty
 - ▶ Game Learning
- Additional COMP3411/9814 topics:
 - ▶ Reactive Agents
 - ▶ Motion Planning
 - ▶ Evolutionary Computation
 - ▶ Reinforcement Learning
 - ▶ Deep Learning

Assessment

Assessable components of the course:

Assignment 1	12%
Assignment 2	10%
Assignment 3	18%
Written Exam	60%

- Exam Template is available on the course Web page
- Exam Questions will be similar in style to the Tutorial Questions

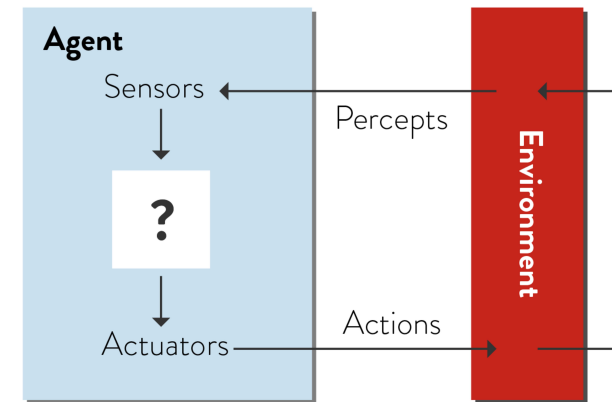
Topics Covered

1. Environment/Agent Types
 2. Prolog Programming
 3. Path Search
 4. Heuristic Path Search
 5. Game Playing
 6. Learning and Decision Trees
 7. Perceptrons & Neural Networks
 8. Constraint Satisfaction
 9. Logical Agents
 10. Reasoning under Uncertainty
- Additional Friday Topics:
- Reactive Agents
 - Evolutionary Computation
 - Reinforcement Learning

Not Examinable

- Motion Planning
- General Game Playing
- Variations on Backprop
- Deep Learning
- Learning Games
- Evolutionary Art

Agent Model

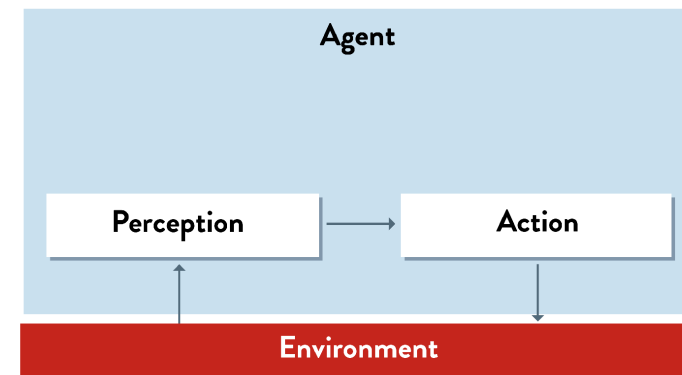


Environment types

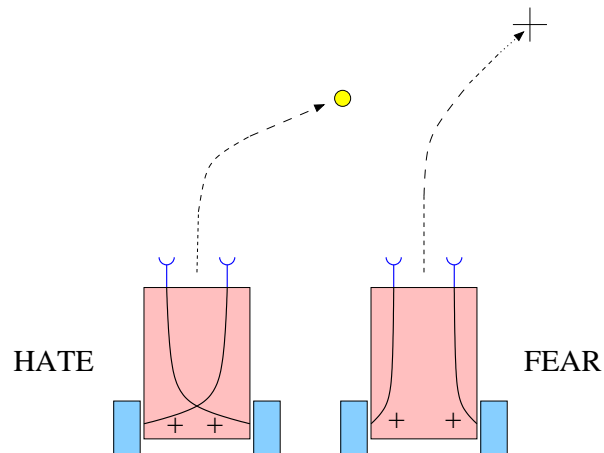
We can classify environments as:

- | | | |
|--------------------|-----|----------------------|
| - Simulated | vs. | Situated or Embodied |
| - Static | vs. | Dynamic |
| - Discrete | vs. | Continuous |
| - Fully Observable | vs. | Partially Observable |
| - Deterministic | vs. | Stochastic |
| - Episodic | vs. | Sequential |
| - Known | vs. | Unknown |
| - Single-Agent | vs. | Multi-Agent |

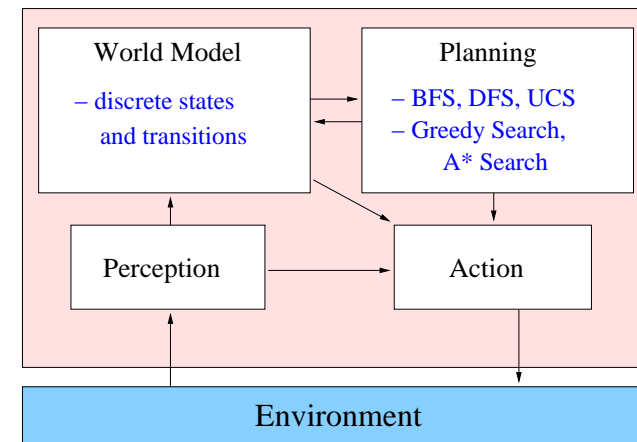
Reactive Agent



Braitenberg Vehicles (Friday only)



Path Search Agent



Path Search Algorithms

General Search algorithm:

- add initial state to queue
- repeat:
 - ▶ take node from front of queue
 - ▶ test if it is a goal state; if so, terminate
 - ▶ “expand” it, i.e. generate successor nodes and add them to the queue

Search strategies are distinguished by the order in which new nodes are added to the queue of nodes awaiting expansion.

Search Strategies

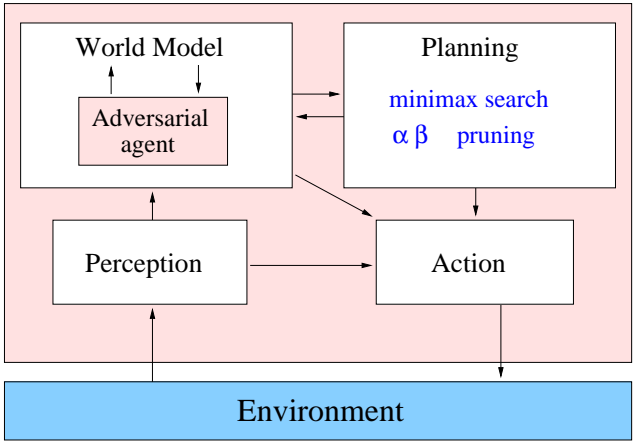
- BFS and DFS treat all new nodes the same way:
 - ▶ BFS add all new nodes to the **back** of the queue
 - ▶ DFS add all new nodes to the **front** of the queue
- (Seemingly) **Best First Search** uses an evaluation function $f()$ to order the nodes in the queue; we have seen one example of this:
 - ▶ UCS $f(n) = \text{cost } g(n) \text{ of path from root to node } n$
- **Informed** or **Heuristic** search strategies incorporate into $f()$ an estimate of distance to goal
 - ▶ Greedy Search $f(n) = \text{estimate } h(n) \text{ of cost from node } n \text{ to goal}$
 - ▶ A* Search $f(n) = g(n) + h(n)$

Complexity Results for Uninformed Search

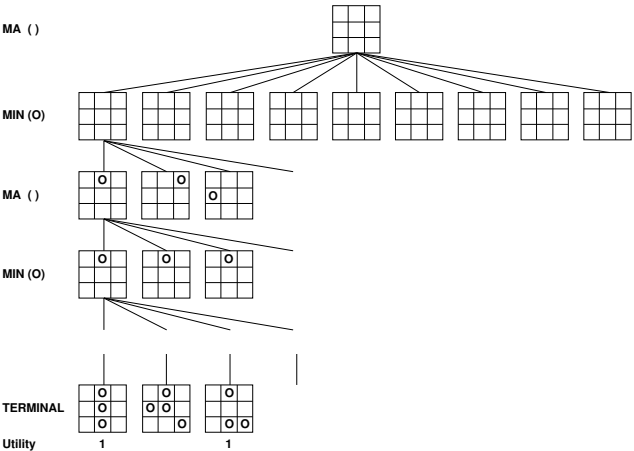
Criterion	Breadth-First	Uniform-Cost	Depth-First	Depth-Limited	Iterative Deepening
Time	$O(b^d)$	$O(b^{\lceil C^*/\epsilon \rceil})$	$O(b^m)$	$O(b^k)$	$O(b^d)$
Space	$O(b^d)$	$O(b^{\lceil C^*/\epsilon \rceil})$	$O(bm)$	$O(bk)$	$O(bd)$
Complete?	Yes ¹	Yes ²	No	No	Yes ¹
Optimal ?	Yes ³	Yes	No	No	Yes ³

b = branching factor, d = depth of the shallowest solution,
 m = maximum depth of the search tree, l = depth limit.
1 = complete if b is finite.
2 = complete if b is finite and step costs $\geq \epsilon$ with $\epsilon > 0$.
3 = optimal if actions all have the same cost.

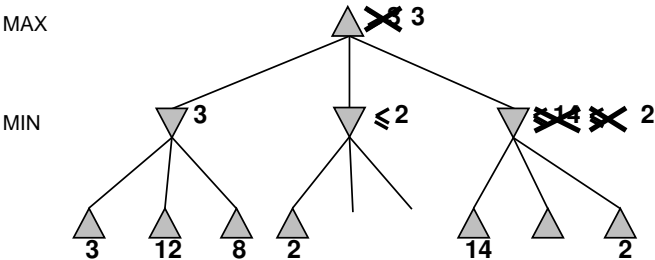
Game Search Agent



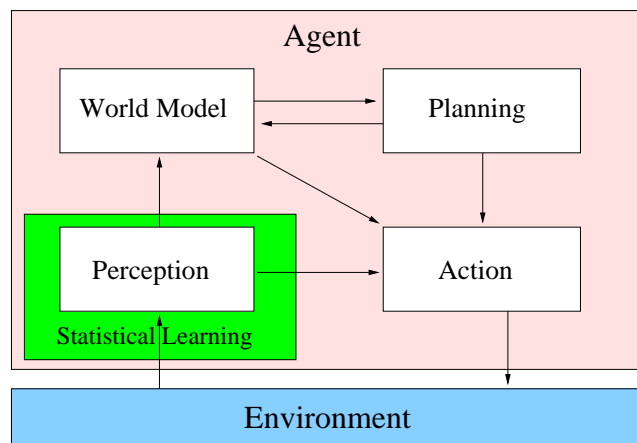
Minimax Search



α - β pruning

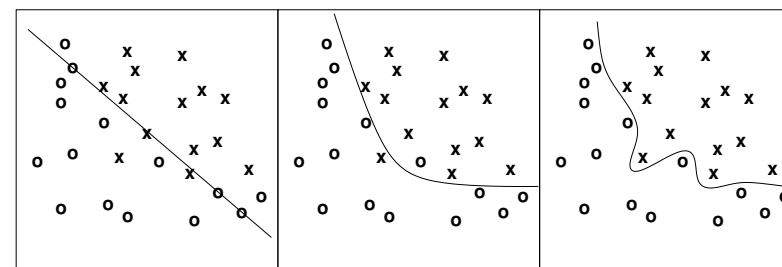


Statistical Learning Agent



Ockham's Razor

“The most likely hypothesis is the **simplest** one consistent with the data.”



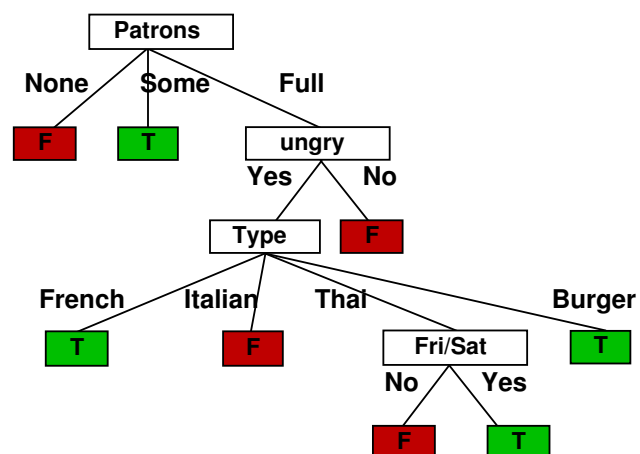
inadequate

good compromise

over-fitting

Since there can be **noise** in the measurements, in practice need to make a tradeoff between simplicity of the hypothesis and how well it fits the data.

Decision Tree



Choosing an Attribute



Patrons is a “more informative” attribute than **Type**, because it splits the examples more nearly into sets that are “all positive” or “all negative”.

This notion of “informativeness” can be quantified using the mathematical concept of “entropy”.

A parsimonious tree can be built by minimizing the entropy at each step.

Minimal Error Pruning

Should the children of this node be pruned or not?

Left child has class frequencies [2,4]

$$E = 1 - \frac{n+1}{N+k} = 1 - \frac{4+1}{6+2} = 0.375$$

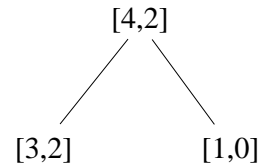
Right child has $E = 0.333$

Parent node has $E = 0.444$

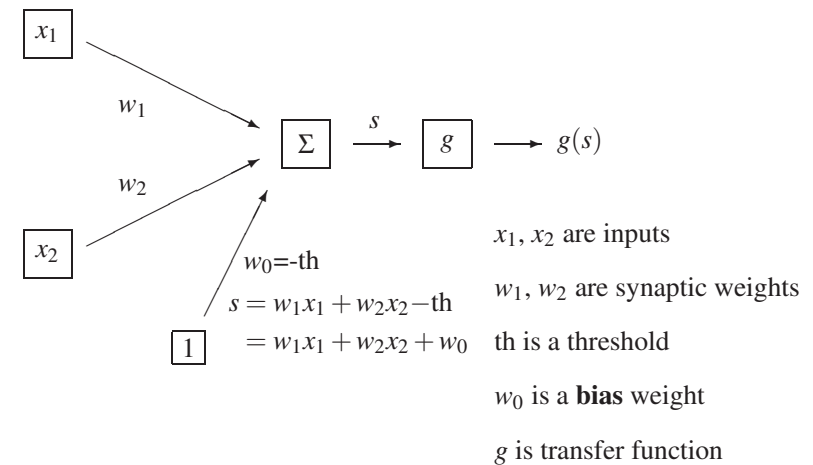
Average for Left and Right child is

$$E = \frac{6}{7}(0.375) + \frac{1}{6}(0.333) = 0.413$$

Since $0.413 > 0.375$, children should be pruned.



Rosenblatt Perceptron



Perceptron Learning Rule

Adjust the weights as each input is presented.

recall: $s = w_1x_1 + w_2x_2 + w_0$

if $g(s) = 0$ but should be 1, if $g(s) = 1$ but should be 0,

$$w_k \leftarrow w_k + \eta x_k$$

$$w_k \leftarrow w_k - \eta x_k$$

$$w_0 \leftarrow w_0 + \eta$$

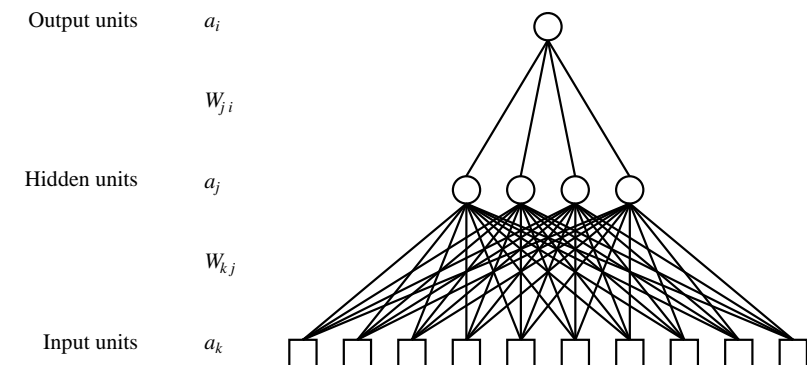
$$w_0 \leftarrow w_0 - \eta$$

$$\text{so } s \leftarrow s + \eta \left(1 + \sum_k x_k^2\right) \quad \text{so } s \leftarrow s - \eta \left(1 + \sum_k x_k^2\right)$$

otherwise, weights are unchanged. ($\eta > 0$ is called the **learning rate**)

Theorem: This will eventually learn to classify the data correctly, as long as they are **linearly separable**.

Multi-Layer Neural Networks



Gradient Descent

We define an **error function** E to be (half) the sum over all input patterns of the square of the difference between actual output and desired output

$$E = \frac{1}{2} \sum (z - t)^2$$

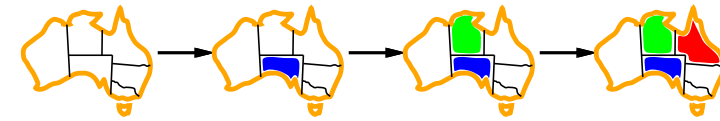
If we think of E as height, it defines an error **landscape** on the weight space. The aim is to find a set of weights for which E is very low.

This is done by moving in the steepest downhill direction.

$$w \leftarrow w - \eta \frac{\partial E}{\partial w}$$

Parameter η is called the **learning rate**.

Constraint Satisfaction Problems

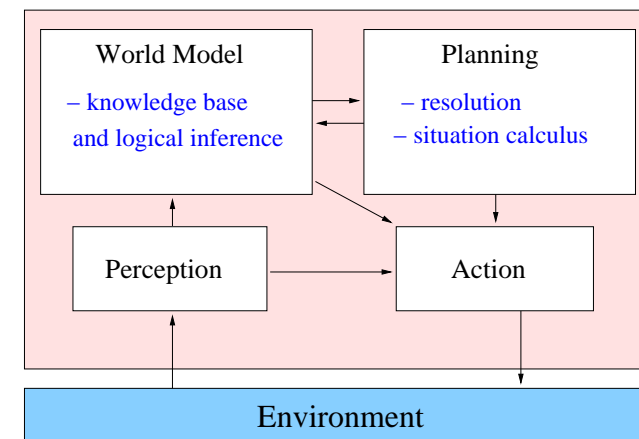


- backtracking search
- enhancements to backtracking search
- local search
 - ▶ hill climbing
 - ▶ simulated annealing

Evolutionary Computation (Friday only)

- use principles of natural selection to evolve a computational mechanism which performs well at a specified task.
- start with randomly initialized population
- repeated cycles of:
 - ▶ evaluation
 - ▶ selection
 - ▶ reproduction + mutation
- any computational paradigm can be used, with appropriately defined reproduction and mutation operators

Logical Agent



Sentences

Brothers are siblings

$$\forall x, y \text{ Brother}(x, y) \Rightarrow \text{Sibling}(x, y)$$

“Sibling” is symmetric

$$\forall x, y \text{ Sibling}(x, y) \Leftrightarrow \text{Sibling}(y, x)$$

One’s mother is one’s female parent

$$\forall x, y \text{ Mother}(x, y) \Leftrightarrow (\text{Female}(x) \wedge \text{Parent}(x, y))$$

A first cousin is a child of a parent’s sibling

$$\forall x, y \text{ FirstCousin}(x, y) \Leftrightarrow \exists p, ps \text{ Parent}(p, x) \wedge \text{Sibling}(ps, p) \wedge \text{Parent}(ps, y)$$

Probability and Uncertainty

	toothache		\neg toothache	
	catch	\neg catch	catch	\neg catch
ca ity	18	12	2	8
\neg ca ity	1	4	144	

$$\begin{aligned}
 P(\neg \text{cavity} | \text{toothache}) &= \frac{P(\neg \text{cavity} \wedge \text{toothache})}{P(\text{toothache})} \\
 &= \frac{0.016 + 0.064}{0.108 + 0.012 + 0.016 + 0.064} = 0.4
 \end{aligned}$$

Bayes’ Rule

Product rule $P(a \wedge b) = P(a|b)P(b) = P(b|a)P(a)$

$$\rightarrow \text{Bayes' rule } P(a|b) = \frac{P(b|a)P(a)}{P(b)}$$

Useful for assessing **diagnostic** probability from **causal** probability:

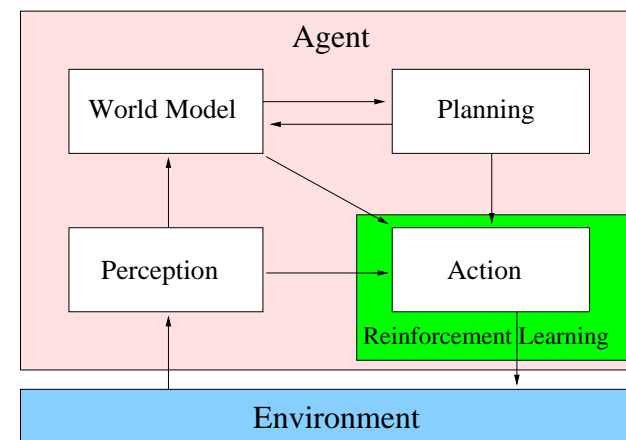
$$P(\text{Cause} | \text{Effect}) = \frac{P(\text{Effect} | \text{Cause})P(\text{Cause})}{P(\text{Effect})}$$

e.g., let M be meningitis, S be stiff neck:

$$P(m|s) = \frac{P(s|m)P(m)}{P(s)} = \frac{0.8 \times 0.0001}{0.1} = 0.0008$$

Note: posterior probability of meningitis still very small!

Reinforcement Learning Agent



Q-Learning (Friday only)

For each $s \in S$, let $V^*(s)$ be the maximum discounted reward obtainable from s , and let $Q(s, a)$ be the discounted reward available by first doing action a and then acting optimally.

Then the optimal policy is

$$\pi^*(s) = \operatorname{argmax}_a Q(s, a)$$

where $Q(s, a) = r(s, a) + \gamma V^*(\delta(s, a))$

then $V^*(s) = \max_a Q(s, a),$

so $Q(s, a) = r(s, a) + \gamma \max_b Q(\delta(s, a), b)$

which allows us to iteratively approximate Q by

$$\hat{Q}(s, a) \leftarrow r + \gamma \max_b \hat{Q}(\delta(s, a), b)$$

Beyond COMP9414/9814/3411

- COMP9444 Neural Networks and Deep Learning
- COMP9417 Machine Learning and Data Mining
- COMP4418 Knowledge Representation and Reasoning
- COMP3431 Robotic Software Architecture
- COMP9517 Machine Vision
- 4th Year Thesis topics

Possible 4th Year Projects

- Evolutionary Automatic Programming, with HERCL
 - ▶ combination of Linear Genetic Programming with stack-based GP
 - ▶ evolving benchmark programs, unix tools, program synthesis
 - ▶ multiple tasks, transfer learning, evolving modularity
- other topics in Evolution, Deep Learning or Games
 - ▶ evolutionary art, drawings, images, music
 - ▶ applying TreeStrap to new games
 - ▶ deep CNN models, training, symmetries
 - ▶ deep learning for games

UNSW myExperience Survey

Please remember to fill in the UNSW myExperience Survey.

COMP3411/9414/9814 Artificial Intelligence

QUESTIONS?

COMP3411/9414/9814 Artificial Intelligence

GOOD LUCK!