### Selection between lists

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## 1 Finding Kth recursively

Finds the k/2 th smallest element in both arrays and then finds the smaller one. It then looks at elements to the right of the array with smaller k/2 th and left of the other. This is done recursively till the kth smallest is found.

```
int find_k_func(int arr1[], int arr2[], int n1, int n2, int k)
2
     int k2 = max(1, (k-1) / 2);
3
     int b = sendKthSmallest(arr2, 0, n2 - 1, min(k2, n2));
     if (k < 2)
         return min(a, b);
     int last1 = min(n1, n1);
     if (arr1[last1] == -10000
                            || arr1 [last1] >(1 << 15));
9
     int last2 = min(n2, n2);
10
     if (arr2[last2] = -10000 \mid | arr2[last2] > (1 << 15));
     if (b == a)
         return find_k-func(arr1 + min(k2, n1), arr2 + min(k2, n2),
13
     n1 - \min(k2, n1), n2 - \min(k2, n2), k - k2 * 2);
     else if (b < a)
14
         \min(k2, n2), k - k2);
16
        return find_k_func(arr1+min(k2, n1), arr2, n1-min(k2, n1),
      last2, k - k2);
18
```

Listing 1: K recursive

#### 2 Kth Smallest

The following is the code which calculates the kth smallest element in an array and returns it, without sorting the array. In lenier time.

```
for (i=0; i< n/5; i++)
               median[i] = giveMedian(arr+l+i*5, 5);
              (i*5 < n)
9
           {
10
               median[i] = giveMedian(arr+l+i*5, n\%5);
12
13
           int mainMed = (i = 1)? median [i-1]:
14
           sendKthSmallest(median, 0, i-1, i/2);
15
16
           int pos = partition(arr, l, r, mainMed);
           if (pos-l == k-1)
17
               return arr[pos];
18
             (pos-l > k-1)
19
               return sendKthSmallest(arr, l, pos-1, k);
20
           return sendKthSmallest(arr, pos+1, r, k-pos+l-1);
21
22
23
       return 10000;
24
```

Listing 2: Kth smallest

## 3 Partitioning

The following is the code which partitions an array according to a given pivot. The array separates elements smaller than the pivot to its left and the elements larger to its right.

```
int partition (int arr [], int l, int r, int x)
2
3
       for (i=l; i<r; i++)
           if (arr[i] = x)
5
              break;
      swap(&arr[i], &arr[r]);
       for (j = l; j < r; j++)
9
10
              (arr[j] <= x)
11
               swap(&arr[i], &arr[j]);
13
14
               i++;
15
16
      swap(&arr[i], &arr[r]);
17
18
      return i;
19 }
```

Listing 3: Partitioning

# 4 Complexity

The time complexity of the code is  $\in O(nlogk)$ .