

POWER CYCLE

Power cycle

- When any number is raised to the power n , where $n = 1, 2, 3, \dots$, its units digit follows a pattern or a cycle.
- The last digit of a number of the form ab falls in a particular sequence or order depending on the unit digit of the number “ a ” and the power the number is raised to “ b ”. Thus, the **power cycle** of a number depends on its’ unit digit.

Consider the power cycle of 2:

$$2^1 = 2 \quad 2^5 = 32$$

$$2^2 = 4 \quad 2^6 = 64$$

$$2^3 = 8 \quad 2^7 = 128$$

$$2^4 = 16 \quad 2^8 = 256$$

Power cycle

Numbers	Cycle	Pattern
1	1	1
2	4	2,4,8,6
3	4	3,9,7,1
4	2	4,6
5	1	5
6	1	6
7	4	7,9,3,1
8	4	8,4,2,6
9	2	9,1

Question: 01

Find the last digit of 4^{55} .

A. 6

B. 4

C. 2

D. 5

Answer: B

Question: 02

Find the last digit of 123457^{34}

- A. 7
- B. 8
- C. 9
- D. 6

Answer: C

Question: 03

What is the unit digit in $\{(6374)^{1793} \times (625)^{317} \times (341^{491})\}$?

A. 0

B. 2

C. 3

D. 5

Answer: A

Question: 04

Find the Unit digit of $(3547)^{153} * (251)^{72}$

- A. 7
- B. 3
- C. 9
- D. 8

Answer: A

Question: 06

Find last digit of the number 3^{2015}

A. 5

B. 6

C. 9

D. 7

Answer: D

Question: 07

Find last digit of the number 4444^{2015}

- A. 6
- B. 4
- C. 8
- D. 3

Answer: B

Explanation: 07

Here power value is **odd number**

So last digit of the given number is 4

Hint: The last digit of any number having “4” then power having even number then unit place comes 6 and power having odd number then unit place comes 4

question: 07

$2016^{2015} - 2015^{2016}$

THANK YOU