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1  ┌────────────────── MODULE AbsJupiter ───────────────────┐
  Abstract Jupiter, inspired by the COT algorithm proposed by Sun and Sun; see TPDS'2009.
5  EXTENDS JupiterSerial, SetStateSpace
6  ┌──────────────────┐
7  VARIABLES
8  copss  copss[r]: the state space (i.e., a set) of Cop maintained at replia  $r \in \text{Replica}$ 
10 vars  $\triangleq \langle \text{intVars}, \text{ctxVars}, \text{serialVars}, \text{copss} \rangle$ 
11 ┌──────────────────┐
12 TypeOK  $\triangleq$ 
13    $\wedge$  TypeOKInt
14    $\wedge$  TypeOKCtx
15    $\wedge$  TypeOKSerial
16    $\wedge$  copss  $\in [\text{Replica} \rightarrow \text{SUBSET } \text{Cop}]$ 
17 ┌──────────────────┐
18 Init  $\triangleq$ 
19    $\wedge$  InitInt
20    $\wedge$  InitCtx
21    $\wedge$  InitSerial
22    $\wedge$  copss =  $[r \in \text{Replica} \mapsto \{\}]$ 
23 ┌──────────────────┐
24 NextCop( $r, \text{cop}, \text{ss}, \text{ctx}$ )  $\triangleq$  Return the next  $\text{fcop} \in \text{Cop}$  against which  $\text{cop}$  is to be transformed.
25   LET  $\text{foid} \triangleq$  CHOOSE  $\text{oid} \in \text{ctx} :$  the first  $\text{oid}$  in  $\text{ctx}$  according to  $\text{serial}[r]$ 
26    $\forall \text{id} \in \text{ctx} \setminus \{\text{oid}\} : \text{tb}(\text{oid}, \text{id}, \text{serial}[r])$ 
27   IN CHOOSE  $\text{fcop} \in \text{ss} :$  THEOREM : Existence of  $\text{fcop}$ 
28    $\text{fcop.oid} = \text{foid} \wedge \text{fcop.ctx} = \text{cop.ctx}$ 
30 Perform( $r, \text{cop}$ )  $\triangleq$ 
31   LET  $\text{xform} \triangleq$   $\text{xForm}(\text{NextCop}, r, \text{cop}, \text{copss}[r])$   $[\text{xcop}, \text{xss}]$ 
32   IN  $\wedge$  copss' =  $[\text{copss} \text{ EXCEPT } ![r] = \text{xform.xss}]$ 
33    $\wedge$  SetNewAop( $r, \text{xform.xcop.op}$ )
35 ClientPerform( $c, \text{cop}$ )  $\triangleq$  Perform( $c, \text{cop}$ )
37 ServerPerform( $\text{cop}$ )  $\triangleq$ 
38    $\wedge$  Perform(Server,  $\text{cop}$ )
39    $\wedge$  Comm!SSendSame(ClientOf( $\text{cop}$ ),  $\text{cop}$ )
40 ┌──────────────────┐
41 DoOp( $c, \text{op}$ )  $\triangleq$ 
42   LET  $\text{cop} \triangleq$   $[\text{op} \mapsto \text{op}, \text{oid} \mapsto [c \mapsto c, \text{seq} \mapsto \text{cseq}[c]], \text{ctx} \mapsto \text{ds}[c]]$ 
43   IN  $\wedge$  ClientPerform( $c, \text{cop}$ )
44    $\wedge$  Comm!CSend( $\text{cop}$ )
46 Do( $c$ )  $\triangleq$ 
47    $\wedge$  DoInt(DoOp,  $c$ )
48    $\wedge$  DoCtx( $c$ )

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49       $\wedge DoSerial(c)$ 

51   $Rev(c) \triangleq$ 
52       $\wedge RevInt(ClientPerform, c)$ 
53       $\wedge RevCtx(c)$ 
54       $\wedge RevSerial(c)$ 

56   $SRev \triangleq$ 
57       $\wedge SRevInt(ServerPerform)$ 
58       $\wedge SRevCtx$ 
59       $\wedge SRevSerial$ 

60  |-----|
61   $Next \triangleq$ 
62       $\vee \exists c \in Client : Do(c) \vee Rev(c)$ 
63       $\vee SRev$ 

65   $Fairness \triangleq$ 
66       $WF_{vars}(SRev \vee \exists c \in Client : Rev(c))$ 

68   $Spec \triangleq Init \wedge \Box[Next]_{vars} \wedge Fairness$ 
69  |-----|

70   $QC \triangleq$  Quiescent Consistency
71       $Comm!EmptyChannel \Rightarrow Cardinality(Range(state)) = 1$ 
72  THEOREM  $Spec \Rightarrow \Box QC$ 

74   $SEC \triangleq$  Strong Eventual Consistency
75       $\forall r1, r2 \in Replica :$ 
76       $ds[r1] = ds[r2] \Rightarrow state[r1] = state[r2]$ 
77  THEOREM  $Spec \Rightarrow \Box SEC$ 

79   $Compactness \triangleq$  Compactness of state space
80       $Comm!EmptyChannel \Rightarrow Cardinality(Range(copss)) = 1$ 
81  THEOREM  $Spec \Rightarrow \Box Compactness$ 

83   $ClientConstraint \triangleq$  Each client generates at most 2 operations.
84       $\forall c \in Client : cseq[c] \leq 3$ 
85  |-----|

  \ * Modification History
  \ * Last modified Tue Jan 29 09:36:46 CST 2019 by hengxin
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