

The doBy package – yet another utility package

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Abstract The doBy is one of several general utility packages on CRAN. We illustrate two main features of the package. The ability to making groupwise computations and the ability to compute linear estimates, contrasts and least-squares means.

Introduction

The doBy package (Højsgaard and Halekoh, 2020) appeared on CRAN in 2006 and, much to our surprise, the package is still being used. The package originally grew out of a need to calculate groupwise summary statistics (much in the spirit of PROC SUMMARY of the SAS system, (SAS Institute Inc., 2020)). The name comes from the need to **do** some computations on data which is stratified **By** the value of some variables. Today the package contains many different utilities. When it comes to data handling, doBy is nowhere nearly as powerful as more contemporary packages, e.g. those in the tidyverse eco system, (Wickham et al., 2019). On the other hand, it can be hypothesized that the data handling functions in doBy remain appealing group of users because of their simplicity in use. In this paper we focus 1) on the “doing by” functions and 2) on functions related to linear estimates and contrasts.

Functions related to groupwise computations

A working dataset

The C02 data frame comes from an experiment on the cold tolerance of the grass species *Echinochloa crus-galli*. To limit the amount of output we modify names and levels of variables as follows

```
data(C02)
C02 <- within(C02, {
  Treat <- Treatment
  Treatment <- NULL
  levels(Treat) <- c("nchil", "chil")
  levels(Type) <- c("Que", "Mis")
})
C02 <- subset(C02, Plant %in% c("Qn1", "Qc1", "Mn1", "Mc1"))
dim(C02)

#> [1] 28 5

head(C02, 4)

#>   Plant Type conc uptake Treat
#> 1   Qn1  Que   95   16.0 nchil
#> 2   Qn1  Que  175   30.4 nchil
#> 3   Qn1  Que  250   34.8 nchil
#> 4   Qn1  Que  350   37.2 nchil
```

The summaryBy function

The summaryBy function is used for calculating quantities like *the mean and variance of numerical variables x and y for each combination of two factors A and B\$*. Notice: A functionality similar to summaryBy is provided by aggregate from base R, but summaryBy offers additional features.

```
myfun1 <- function(x){c(m=mean(x), s=sd(x))}
summaryBy(cbind(conc, uptake, lu=log(uptake)) ~ Plant, data=C02, FUN=myfun1)

#>   Plant conc.m conc.s uptake.m uptake.s lu.m lu.s
#> 1   Qn1   435  317.7   33.23   8.215 3.467 0.3189
#> 2   Qc1   435  317.7   29.97   8.335 3.356 0.3446
#> 3   Mn1   435  317.7   26.40   8.694 3.209 0.4234
#> 4   Mc1   435  317.7   18.00   4.119 2.864 0.2622
```

```
## same as
## aggregate(cbind(conc, uptake, log(uptake)) ~ Plant, data=C02, FUN=myfun1)
```

The convention is that variables that do not appear in the dataframe (e.g. `log(uptake)`) must be named (here as `lu`). Various convenient abbreviations are available, e.g. the following, where left hand side dot refers to “all numeric variables” while the right hand side dot refers to “all factor variables”. Writing 1 on the right hand side leads to computing over the entire dataset:

```
summaryBy(. ~ ., data=C02, FUN=myfun1)

#>   Plant Type Treat conc.m conc.s uptake.m uptake.s
#> 1   Qn1  Que nchil   435  317.7   33.23   8.215
#> 2   Qc1  Que  chil   435  317.7   29.97   8.335
#> 3   Mn1 Mis nchil   435  317.7   26.40   8.694
#> 4   Mc1 Mis  chil   435  317.7   18.00   4.119

summaryBy(. ~ 1, data=C02, FUN=myfun1)

#>   conc.m conc.s uptake.m uptake.s
#> 1    435  299.6    26.9    9.189
```

Formulas and lists

It is generally the case for the “By”-functions that a two sided formula like can be written in two ways:

```
cbind(x, y) ~ A + B
list(c("x", "y"), c("A", "B"))
```

Some “By”-functions only take a right hand sided formula as input. Such a formula can also be written in two ways:

```
~ A + B
c("A", "B")
```

The list-form / vector-form is especially useful if a function is invoked programmatically. Hence the calls to `summaryBy` above can also be made as

```
summaryBy(list(c("conc", "uptake", "lu=log(uptake)"), "Plant"), data=C02, FUN=myfun1)
summaryBy(list(c("."), c(".")), data=C02, FUN=myfun1)
summaryBy(list(c("."), c("1")), data=C02, FUN=myfun1)
```

The orderBy function

Ordering (or sorting) a data frame is possible with the `orderBy` function. Suppose we want to order the rows of the the C02 data by increasing values of `conc` and decreasing value of `uptake` (within code):

```
x1 <- orderBy(~ conc - uptake, data=C02)
head(x1, 4)

#>   Plant Type conc uptake Treat
#> 1   Qn1  Que  95  16.0 nchil
#> 22  Qc1  Que  95  14.2  chil
#> 43  Mn1 Mis  95  10.6 nchil
#> 64  Mc1 Mis  95  10.5  chil
```

Following the remarks on specification in “By”-functions, an equivalent form is:

```
orderBy(c("conc", "-uptake"), data=C02)
```

The splitBy function

Suppose we want to split C02 into a list of dataframes:

```
x1 <- splitBy(~ Plant + Type, data=C02)
x1
```

```
#> listentry Plant Type
#> 1 Qn1|Que Qn1 Que
#> 2 Qc1|Que Qc1 Que
#> 3 Mn1|Mis Mn1 Mis
#> 4 Mc1|Mis Mc1 Mis
```

The result is a list (with a few additional attributes):

```
lapply(x1, head, 2)

#> $`Qn1|Que`
#> Plant Type conc uptake Treat
#> 1 Qn1 Que 95 16.0 nchil
#> 2 Qn1 Que 175 30.4 nchil
#>
#> $`Qc1|Que`
#> Plant Type conc uptake Treat
#> 22 Qc1 Que 95 14.2 chil
#> 23 Qc1 Que 175 24.1 chil
#>
#> $`Mn1|Mis`
#> Plant Type conc uptake Treat
#> 43 Mn1 Mis 95 10.6 nchil
#> 44 Mn1 Mis 175 19.2 nchil
#>
#> $`Mc1|Mis`
#> Plant Type conc uptake Treat
#> 64 Mc1 Mis 95 10.5 chil
#> 65 Mc1 Mis 175 14.9 chil
```

The subsetBy function

Suppose we want to select those rows within each treatment for which the uptake is larger than 75% quantile of uptake (within the treatment). This is achieved by:

```
x2 <- subsetBy(~ Treat, subset=uptake > quantile(uptake, prob=0.75), data=C02)
head(x2, 4)
```

```
#> Plant Type conc uptake Treat
#> nchil.4 Qn1 Que 350 37.2 nchil
#> nchil.6 Qn1 Que 675 39.2 nchil
#> nchil.7 Qn1 Que 1000 39.7 nchil
#> nchil.49 Mn1 Mis 1000 35.5 nchil
```

The transformBy function

The transformBy function is analogous to the transform function except that it works within groups. For example:

```
x3 <- transformBy(~ Treat, data=C02,
                  minU=min(uptake), maxU=max(uptake),
                  range=diff(range(uptake)))
head(x3, 4)
```

```
#> Plant Type conc uptake Treat minU maxU range
#> nchil.1 Qn1 Que 95 16.0 nchil 10.6 39.7 29.1
#> nchil.2 Qn1 Que 175 30.4 nchil 10.6 39.7 29.1
#> nchil.3 Qn1 Que 250 34.8 nchil 10.6 39.7 29.1
#> nchil.4 Qn1 Que 350 37.2 nchil 10.6 39.7 29.1
```

The lmBy function

The lmBy function allows for fitting linear models to different strata of data:

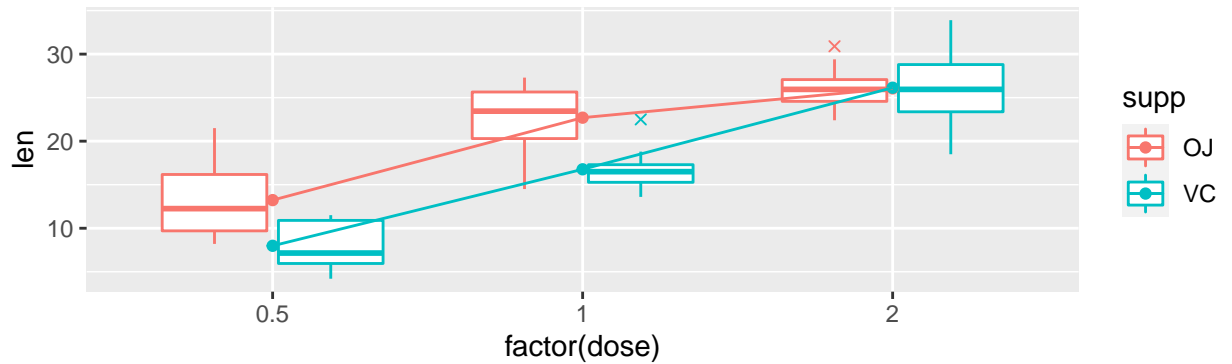


Figure 1: Interaction plot for the ToothGrowth data. The average 'len' for each group is a dot. Boxplot outliers are crosses.

```
m <- lmBy(uptake ~ conc | Treat, data=C02)
coef(m)
```

```
#>      (Intercept)      conc
#> nchil      20.82 0.02067
#> chil       17.02 0.01602
```

The result is a list with a few additional attributes and the list can be processed further as e.g.

```
lapply(m, function(z) coef(summary(z)))

#> $nchil
#>      Estimate Std. Error t value Pr(>|t|)
#> (Intercept) 20.82342    3.092430   6.734 2.092e-05
#> conc         0.02067    0.005889   3.510 4.304e-03
#>
#> $chil
#>      Estimate Std. Error t value Pr(>|t|)
#> (Intercept) 17.01814    3.668315   4.639 0.0005709
#> conc         0.01602    0.006986   2.293 0.0407168
```

Functions related linear estimates and contrasts

A linear function of a p -dimensional parameter vector β has the form

$$C = L\beta$$

where L is a $q \times p$ matrix which we call the Linear Estimate Matrix or simply LE-matrix. The corresponding linear estimate is $\hat{C} = L\hat{\beta}$. A linear hypothesis has the form $H_0: L\beta = m$ for some q dimensional vector m .

A working dataset

The response is the length of odontoblasts cells (cells responsible for tooth growth) in 60 guinea pigs. Each animal received one of three dose levels of vitamin C (0.5, 1, and 2 mg/day) by one of two delivery methods, (orange juice (coded as OJ) or ascorbic acid (a form of vitamin C and (coded as VC)).

```
ToothGrowth$dose <- factor(ToothGrowth$dose)
head(ToothGrowth, 4)
```

```
#>   len supp dose
#> 1  4.2   VC  0.5
#> 2 11.5   VC  0.5
#> 3  7.3   VC  0.5
#> 4  5.8   VC  0.5
```

The interaction plot indicates some interaction between dose and supp. This is also supported by a formal test:

```
tooth1 <- lm(len ~ dose + supp, data=ToothGrowth)
tooth2 <- lm(len ~ dose * supp, data=ToothGrowth)
anova(tooth1, tooth2)

#> Analysis of Variance Table
#>
#> Model 1: len ~ dose + supp
#> Model 2: len ~ dose * supp
#>   Res.Df RSS Df Sum of Sq    F Pr(>F)
#> 1      56 820
#> 2      54 712  2      108 4.11  0.022 *
#> ---
#> Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

Computing linear estimates

For now, we focus on the additive model. Consider computing the estimated length for each dose of orange juice (OJ): One option: Construct the LE-matrix L directly and then invoke `linest`:

```
L <- matrix(c(1, 0, 0, 0,
              1, 1, 0, 0,
              1, 0, 1, 0), nrow=3, byrow=T)
c1 <- linest(tooth1, L)
c1

#> Coefficients:
#>      estimate std.error statistic    df p.value
#> [1,]   12.455    0.988   12.603 56.000      0
#> [2,]   21.585    0.988   21.841 56.000      0
#> [3,]   27.950    0.988   28.281 56.000      0
```

We can do:

```
summary(c1)

#> Coefficients:
#>      estimate std.error statistic    df p.value
#> [1,]   12.455    0.988   12.603 56.000      0
#> [2,]   21.585    0.988   21.841 56.000      0
#> [3,]   27.950    0.988   28.281 56.000      0
#>
#> Grid:
#> NULL
#>
#> L:
#>      [,1] [,2] [,3] [,4]
#> [1,]    1    0    0    0
#> [2,]    1    1    0    0
#> [3,]    1    0    1    0

coef(c1)

#>      estimate std.error statistic df    p.value
#> 1    12.45    0.9883    12.60 56 5.490e-18
#> 2    21.58    0.9883    21.84 56 4.461e-29
#> 3    27.95    0.9883    28.28 56 7.627e-35

confint(c1)

#>      0.025 0.975
#> 1 10.48 14.43
#> 2 19.61 23.56
#> 3 25.97 29.93
```

The matrix L can be generated as follows:

```
L <- LE_matrix(tooth1, effect="dose", at=list(supp="OJ"))
L

#>      (Intercept) dose1 dose2 suppVC
#> [1,]          1      0      0      0
#> [2,]          1      1      0      0
#> [3,]          1      0      1      0
```

There are various alternatives:

```
c1 <- esticon(tooth1, L)
c1

#>      estimate std.error statistic p.value beta0 df
#> [1,]   12.455    0.988   12.603   0.000 0.000 56
#> [2,]   21.585    0.988   21.841   0.000 0.000 56
#> [3,]   27.950    0.988   28.281   0.000 0.000 56
```

Yet another alternative in this case is to generate a new data frame and then invoke predict (but this approach is not generally applicable, see later):

```
nd <- data.frame(dose=c('0.5', '1', '2'), supp='OJ')
nd

#>   dose supp
#> 1  0.5  OJ
#> 2    1  OJ
#> 3    2  OJ

predict(tooth1, newdata=nd)

#>      1      2      3
#> 12.45 21.58 27.95
```

Least-squares means (LS-means)

A related question could be: What is the estimated length for each dose if we ignore the source of vitamin C (i.e. whether it is OJ or VC). One approach would be to fit a model in which source does not appear:

```
tooth0 <- update(tooth1, . ~ . - supp)
L0 <- LE_matrix(tooth0, effect="dose")
L0

#>      (Intercept) dose1 dose2
#> [1,]          1      0      0
#> [2,]          1      1      0
#> [3,]          1      0      1

linest(tooth0, L=L0)

#> Coefficients:
#>      estimate std.error statistic    df p.value
#> [1,]   10.605    0.949   11.180 57.000      0
#> [2,]   19.735    0.949   20.805 57.000      0
#> [3,]   26.100    0.949   27.515 57.000      0
```

An alternative would be to stick to the original model but compute the estimate for an “average vitamin C source”. That would correspond to giving weight 1/2 to each of the two vitamin C source parameters. However, as one of the parameters is already set to zero to obtain identifiability, we obtain the LE-matrix L as

```
L1 <- matrix(c(1, 0, 0, 0.5,
               1, 1, 0, 0.5,
               1, 0, 1, 0.5), nrow=3, byrow=T)
linest(tooth1, L=L1)
```

```
#> Coefficients:
#>      estimate std.error statistic    df p.value
#> [1,]  10.605    0.856   12.391 56.000      0
#> [2,]  19.735    0.856   23.058 56.000      0
#> [3,]  26.100    0.856   30.495 56.000      0
```

Such a particular linear estimate is sometimes called a least-squares mean or an LSmean or a marginal mean. Notice that the parameter estimates under the two approaches are identical. This is because data is balanced: There are 10 observations per supplementation type. Had data not been balanced, the estimates would in general have been different.

Notice: One may generate L automatically with

```
L1 <- LE_matrix(tooth1, effect="dose")
L1

#>      (Intercept) dose1 dose2 suppVC
#> [1,]           1     0     0     0.5
#> [2,]           1     1     0     0.5
#> [3,]           1     0     1     0.5
```

Notice: One may obtain the LSmean directly as:

```
LSmeans(tooth1, effect="dose")

#> Coefficients:
#>      estimate std.error statistic    df p.value
#> [1,]  10.605    0.856   12.391 56.000      0
#> [2,]  19.735    0.856   23.058 56.000      0
#> [3,]  26.100    0.856   30.495 56.000      0
```

which is the same as

```
L <- LE_matrix(tooth1, effect="dose")
le <- linest(tooth1, L=L)
coef(le)

#>      estimate std.error statistic df    p.value
#> 1    10.60    0.8559    12.39 56 1.109e-17
#> 2    19.73    0.8559    23.06 56 2.885e-30
#> 3    26.10    0.8559    30.50 56 1.444e-36
```

Interaction model

For a model with interactions, the LSmeans are

```
LSmeans(tooth2, effect="dose")

#> Coefficients:
#>      estimate std.error statistic    df p.value
#> [1,]  10.605    0.812   13.060 54.000      0
#> [2,]  19.735    0.812   24.304 54.000      0
#> [3,]  26.100    0.812   32.143 54.000      0
```

In this case, the LE-matrix is

```
L <- LE_matrix(tooth2, effect="dose")
t(L)

#>      [,1] [,2] [,3]
#> (Intercept)  1.0  1.0  1.0
#> dose1        0.0  1.0  0.0
#> dose2        0.0  0.0  1.0
#> suppVC       0.5  0.5  0.5
#> dose1:suppVC  0.0  0.5  0.0
#> dose2:suppVC  0.0  0.0  0.5
```

Using (transformed) covariates

Below, the covariate conc is fixed at the average value:

```
co2.lm1 <- lm(uptake ~ conc + Type + Treat, data=C02)
LSmeans(co2.lm1, effect="Treat")
```

```
#> Coefficients:
#>      estimate std.error statistic    df p.value
#> [1,]    29.81     1.35     22.16 24.00      0
#> [2,]    23.99     1.35     17.83 24.00      0
```

If we use $\log(\text{conc})$ instead we will get an error when calculating LS-means because $\log(\text{conc})$ is not a variable in the dataframe. Instead one can do:

```
co2.lm2 <- lm(uptake ~ log.conc + Type + Treat,
              data=transform(C02, log.conc=log(conc)))
LSmeans(co2.lm2, effect="Treat")
```

```
#> Coefficients:
#>      estimate std.error statistic    df p.value
#> [1,]    29.814     0.934     31.938 24.000      0
#> [2,]    23.986     0.934     25.694 24.000      0
```

This also highlights what is computed: The average of the log of conc; not the log of the average of conc. In a similar spirit consider

```
co2.lm3 <- lm(uptake ~ conc + I(conc^2) + Type + Treat, data=C02)
LSmeans(co2.lm3, effect="Treat")
```

```
#> Coefficients:
#>      estimate std.error statistic    df p.value
#> [1,]    33.24     1.29     25.81 23.00      0
#> [2,]    27.41     1.29     21.29 23.00      0
```

Above $I(\text{conc}^2)$ is the average of the squared values of conc; not the square of the average of conc, cfr. the following.

```
co2.lm4 <- lm(uptake ~ conc + conc2 + Type + Treat, data=
              transform(C02, conc2=conc^2))
LSmeans(co2.lm4, effect="Treat")
```

```
#> Coefficients:
#>      estimate std.error statistic    df p.value
#> [1,]    29.81     1.02     29.27 23.00      0
#> [2,]    23.99     1.02     23.55 23.00      0
```

If we want to evaluate the LS-means at $\text{conc}=10$ then we can do:

```
LSmeans(co2.lm4, effect="Treat", at=list(conc=10, conc2=100))
```

```
#> Coefficients:
#>      estimate std.error statistic    df p.value
#> [1,]    14.67     2.23     6.58 23.00      0
#> [2,]     8.84     2.23     3.96 23.00      0
```

Alternative models

Generalized linear models

We can calculate LS-means for e.g. a Poisson or a gamma model. Default is that the calculation is calculated on the scale of the linear predictor. However, if we think of LS-means as a prediction on the linear scale one may argue that it can also make sense to transform this prediction to the response scale:

```
tooth.gam <- glm(len ~ dose + supp, family=Gamma, data=ToothGrowth)
LSmeans(tooth.gam, effect="dose", type="link")
```



```
#> Coefficients:
#>      estimate std.error statistic p.value
#> [1,]  0.09453   0.00579  16.33340      0
#> [2,]  0.05111   0.00312  16.39673      0
#> [3,]  0.03889   0.00238  16.36460      0
```

```
LSmeans(tooth.gam, effect="dose", type="response")
```

```
#> Coefficients:
#>      estimate std.error statistic p.value
#> [1,]  0.09453   0.00579  16.33340      0
#> [2,]  0.05111   0.00312  16.39673      0
#> [3,]  0.03889   0.00238  16.36460      0
```

Linear mixed effects model

For the sake of illustration we treat supp as a random effect:

```
library(lme4)
```

```
#> Loading required package: Matrix
```

```
tooth.mix <- lmer( len ~ dose + (1|supp), data=ToothGrowth)
LSmeans(tooth1, effect="dose")
```

```
#> Coefficients:
#>      estimate std.error statistic    df p.value
#> [1,]   10.605    0.856   12.391 56.000      0
#> [2,]   19.735    0.856   23.058 56.000      0
#> [3,]   26.100    0.856   30.495 56.000      0
```

```
LSmeans(tooth.mix, effect="dose")
```

```
#> Coefficients:
#>      estimate std.error statistic    df p.value
#> [1,]    10.61     1.98     5.36  1.31  0.08
#> [2,]    19.74     1.98     9.98  1.31  0.03
#> [3,]    26.10     1.98    13.20  1.31  0.02
```

Notice here that the estimates themselves identical to those of a linear model (that is not generally the case, but it is so here because data is balanced). In general the estimates are will be very similar but the standard errors are much larger under the mixed model. This comes from that there that supp is treated as a random effect.

```
VarCorr(tooth.mix)
```

```
#> Groups   Name          Std.Dev.
#> supp      (Intercept)  2.52
#> Residual                                3.83
```

Notice that the degrees of freedom by default are adjusted using a Kenward–Roger approximation (provided that pbkrtest is installed). Unadjusted degrees of freedom are obtained by setting `adjust.df=FALSE`.

```
LSmeans(tooth.mix, effect="dose", adjust.df=FALSE)
```

```
#> Coefficients:
#>      estimate std.error statistic    df p.value
#> [1,]    10.61     1.98     5.36 55.00      0
#> [2,]    19.74     1.98     9.98 55.00      0
#> [3,]    26.10     1.98    13.20 55.00      0
```

Generalized estimating equations

Lastly, for gee-type “models” we get

```
library(geepack)
tooth.gee <- geeglm(len ~ dose, id=supp, family=Gamma, data=ToothGrowth)
LSmeans(tooth.gee, effect="dose")

#> Coefficients:
#>      estimate std.error statistic p.value
#> [1,] 9.43e-02  1.65e-02  5.71e+00      0
#> [2,] 5.07e-02  5.38e-03  9.41e+00      0
#> [3,] 3.83e-02  4.15e-05  9.23e+02      0

LSmeans(tooth.gee, effect="dose", type="response")

#> Coefficients:
#>      estimate std.error statistic p.value
#> [1,] 9.43e-02  1.65e-02  5.71e+00      0
#> [2,] 5.07e-02  5.38e-03  9.41e+00      0
#> [3,] 3.83e-02  4.15e-05  9.23e+02      0
```

Acknowledgements

Credit is due to Dennis Chabot, Gabor Grothendieck, Paul Murrell, Jim Robison-Cox and Erik Jørgensen for reporting various bugs and making various suggestions to the functionality in the doBy package.

Bibliography

- S. Højsgaard and U. Halekoh. *doBy: Groupwise Statistics, LSmeans, Linear Contrasts, Utilities*, 2020. URL <http://people.math.aau.dk/~sorenh/software/doBy/>. R package version 4.6.6. [p1]
- SAS Institute Inc. *Base SAS 9.4 Procedures Guide, Seventh Edition*, April 2020. [p1]
- H. Wickham, M. Averick, J. Bryan, W. Chang, L. D. McGowan, R. François, G. Golemund, A. Hayes, L. Henry, J. Hester, M. Kuhn, T. L. Pedersen, E. Miller, S. M. Bache, K. Müller, J. Ooms, D. Robinson, D. P. Seidel, V. Spinu, K. Takahashi, D. Vaughan, C. Wilke, K. Woo, and H. Yutani. Welcome to the tidyverse. *Journal of Open Source Software*, 4(43):1686, 2019. doi: 10.21105/joss.01686. [p1]

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