
MODULE *HopProtocol*

EXTENDS *Integers, Naturals, TLC, Sequences, FiniteSets*

VARIABLES

l1Chain,
l2Chain,
pendingTransfers,
commitThreshold,
bondedWithdrawals,
roots

$Pick(S) \triangleq \text{CHOOSE } s \in S : \text{TRUE}$

RECURSIVE $SetReduce(-, -, -)$

$SetReduce(Op(-, -), S, value) \triangleq$

IF $S = \{\}$ THEN $value$
ELSE LET $s \triangleq Pick(S)$
IN IF $Op(s, value) = Op(value, s)$
THEN $SetReduce(Op, S \setminus \{s\}, Op(s, value))$
ELSE $Assert(\text{FALSE}, \text{"Err"})$

$SumSeq(S) \triangleq$

LET $seq \triangleq S$
 $Sum[i \in 1 \dots Len(seq)] \triangleq \text{IF } i = 1 \text{ THEN } seq[i] \text{ ELSE } seq[i] + Sum[i - 1]$
IN IF $seq = \langle \rangle$ THEN 0 ELSE $Sum[Len(seq)]$

RECURSIVE $SeqFromSet(-)$

$SeqFromSet(S) \triangleq$

IF $S = \{\}$ THEN $\langle \rangle$
ELSE LET $x \triangleq \text{CHOOSE } x \in S : \text{TRUE}$
IN $\langle x \rangle \circ SeqFromSet(S \setminus \{x\})$

$Hash(v) \triangleq \text{CHOOSE } n \in \{Int\} : \text{TRUE}$

ASSUME $(Hash(\langle 1 \rangle) = Hash(\langle 1 \rangle))$

ASSUME $(Hash(\langle \{1, 2, 3\} \rangle) = Hash(\langle \{2, 1, 3, 1\} \rangle))$

$TypeOK \triangleq \text{TRUE}$

$Init \triangleq$

$\wedge l1Chain = 1$
 $\wedge l2Chain = 2 \dots 3$
 $\wedge pendingTransfers = [c \in 2 \dots 3 \mapsto \langle \rangle]$
 $\wedge commitThreshold = 2$
 $\wedge roots = [c \in 1 \dots 3 \mapsto \langle \rangle]$

$$\wedge \text{bondedWithdrawals} = [c \in 1 \dots 3 \mapsto \{\}]$$

$$\begin{aligned} \text{SendTransfer}(c) &\triangleq \\ &\wedge \text{Len}(\text{pendingTransfers}[c]) < 3 \\ &\wedge \text{pendingTransfers}' = [\text{pendingTransfers} \text{ EXCEPT } ![c] = \text{pendingTransfers}[c] \circ \langle [\\ &\quad \text{target} \mapsto \text{RandomElement}(2 \dots 3), \text{amount} \mapsto \text{RandomElement}(1 \dots 2), \text{id} \mapsto \text{RandomElement}(1 \dots 2) \\ &\quad \rangle \rangle] \\ &\wedge \text{Print}(\langle \text{"send"} \rangle, \text{TRUE}) \\ &\wedge \text{UNCHANGED } \langle l1Chain, l2Chain, roots, \text{commitThreshold}, \text{bondedWithdrawals} \rangle \end{aligned}$$

$$\begin{aligned} \text{CommitTransfers}(c) &\triangleq \\ &\wedge \text{SumSeq}([x \in \text{DOMAIN } \text{pendingTransfers}[c] \mapsto \text{pendingTransfers}[c][x].\text{amount}]) > \text{commitThreshold} \\ &\wedge \text{Print}(\langle \text{"commit"} \rangle, \text{TRUE}) \\ &\wedge \text{pendingTransfers}' = [\text{pendingTransfers} \text{ EXCEPT } ![c] = \langle \rangle] \\ &\wedge \text{roots}' = [\text{roots} \text{ EXCEPT } ![c] = \text{roots}[c] \circ \langle \text{Hash}(\text{pendingTransfers}[c]) \rangle] \\ &\wedge \text{roots}' = [\text{roots} \text{ EXCEPT } ![l1Chain] = \text{roots}[l1Chain] \circ \langle \text{Hash}(\text{pendingTransfers}[c]) \rangle] \\ &\wedge \text{UNCHANGED } \langle l1Chain, l2Chain, \text{commitThreshold}, \text{bondedWithdrawals} \rangle \end{aligned}$$

$$\begin{aligned} \text{BondWithdrawal}(c) &\triangleq \\ &\wedge \text{Len}(\text{pendingTransfers}[c]) > 0 \\ &\wedge \exists x \in \text{DOMAIN } \text{pendingTransfers}[c] : \\ &\quad \wedge \text{pendingTransfers}[c][x].\text{id} \notin \text{bondedWithdrawals}[c] \\ &\quad \wedge \text{Print}(\langle \text{"bondWithdrawal"} \rangle, \text{TRUE}) \\ &\quad \wedge \text{bondedWithdrawals}' = [\text{bondedWithdrawals} \text{ EXCEPT } ![c] = \text{bondedWithdrawals}[c] \cup \{\text{pendingTransfers}[c][x].\text{id}\}] \\ &\wedge \text{UNCHANGED } \langle l1Chain, l2Chain, \text{commitThreshold}, \text{pendingTransfers}, \text{roots} \rangle \end{aligned}$$

$$\begin{aligned} \text{Next} &\triangleq \\ &\wedge \exists i \in 1 \dots 2 : \\ &\quad \wedge \exists c \in l2Chain : \\ &\quad \quad \wedge \vee \text{SendTransfer}(c) \\ &\quad \quad \vee \text{CommitTransfers}(c) \\ &\quad \quad \vee \text{BondWithdrawal}(c) \end{aligned}$$

$$\text{Spec} \triangleq \text{Init} \wedge \Box[\text{Next}]_{\langle l1Chain, l2Chain, \text{pendingTransfers}, \text{commitThreshold}, \text{roots}, \text{bondedWithdrawals} \rangle}$$

$$\text{pendingTransfers}[\text{chainid}] = \langle 1, 2 \rangle$$