

Language Models as Zero-Shot Planners: Extracting Actionable Knowledge for Embodied Agents

Wenlong Huang
UC Berkeley

Pieter Abbeel
UC Berkeley

Deepak Pathak*
Carnegie Mellon University

Igor Mordatch*
Google

Abstract

Can world knowledge learned by large language models (LLMs) be used to act in interactive environments? In this paper, we investigate the possibility of grounding high-level tasks, expressed in natural language (e.g. “make breakfast”), to a chosen set of actionable steps (e.g. “open fridge”). While prior work focused on learning from explicit step-by-step examples of how to act, we surprisingly find that



#gpt3 #embodied #planning

Language Models as Zero-Shot Planners: Extracting Actionable Knowledge for Embodied Agents (+Author)


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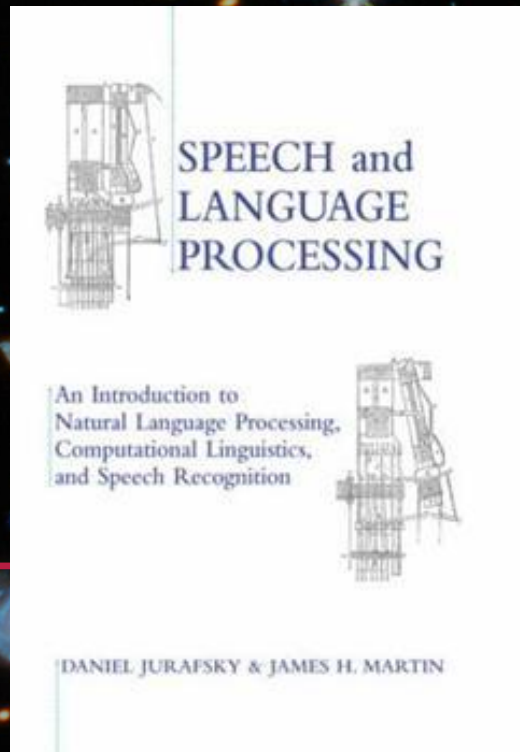
Yannic Kilcher
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Assign 2, Individual, Feb 28 AoE
Assign1 Marks are yet to be out!

$w' \rightarrow w \rightarrow SQK$

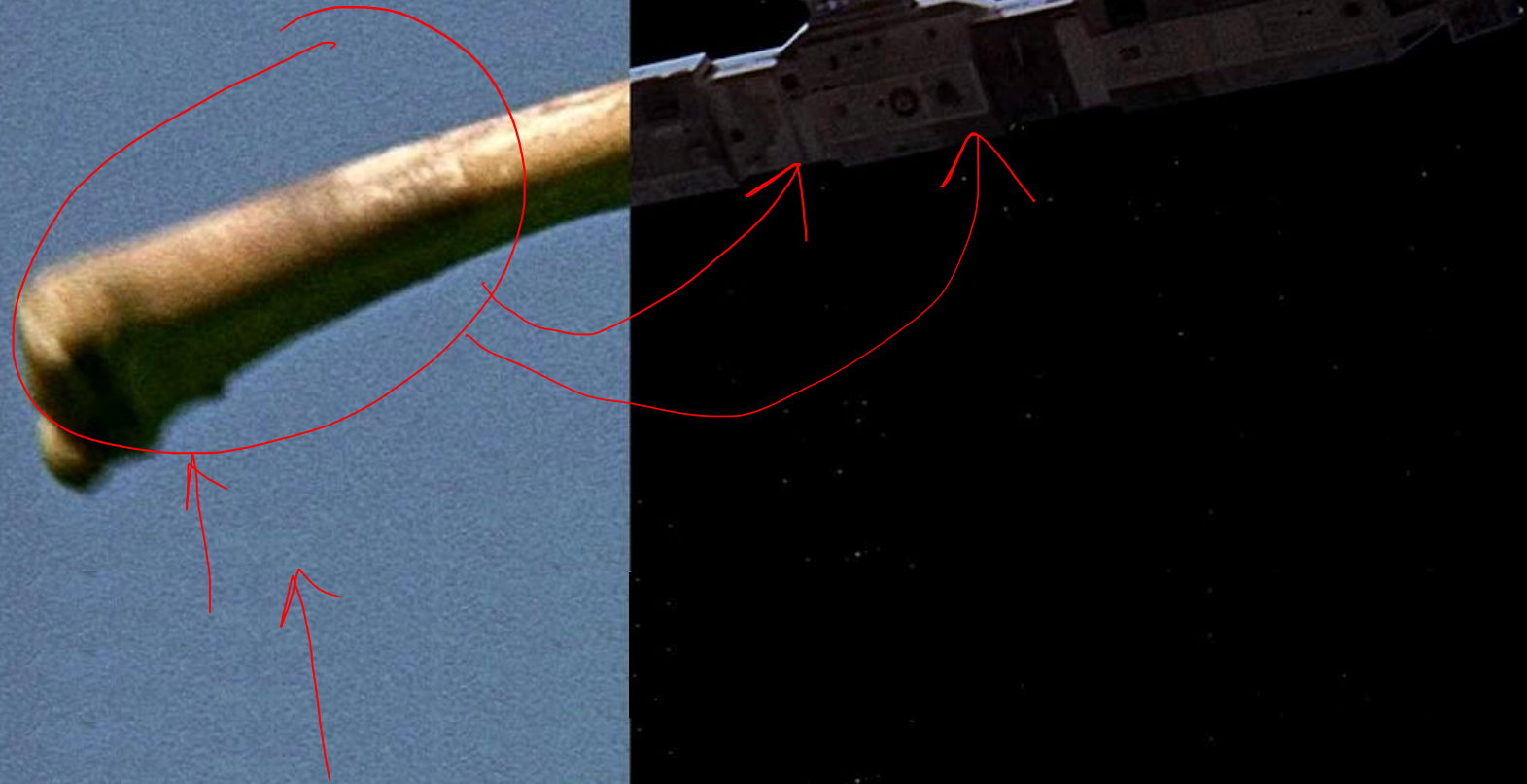


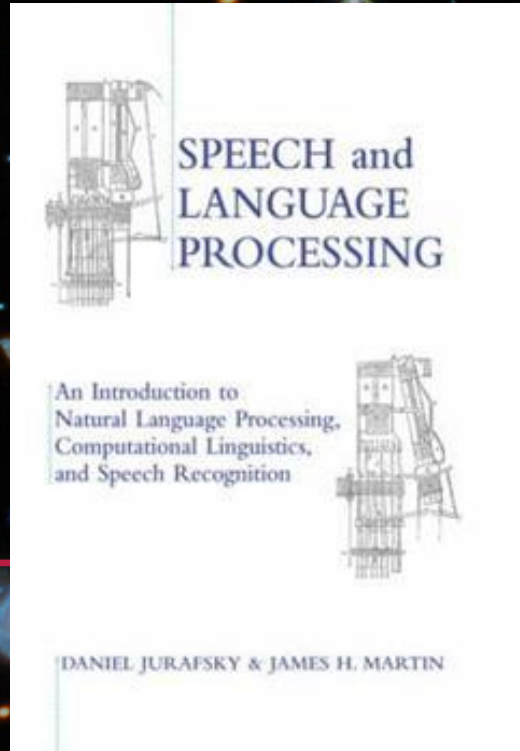
Neural Language Models

CH07

2001: A Space Odyssey, Stanley Kubrick
1968
Budget \$10.5 m
Box office \$146 m

The Ultimate Trip.





Naive Bayes and Sentiment Classification

CH04



Learning to Classify: Classifier



Learning to Classify: Classifier

Bayesian Classifier

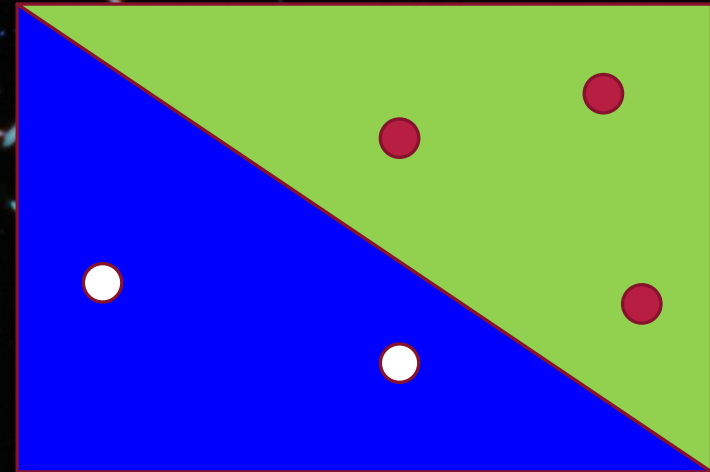
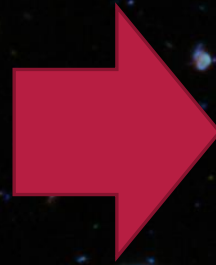
Naïve Bayes

Logistic Regression (Linear)

Neural Network (non-Linear)

Learning to Classify: Boolean Classifiers

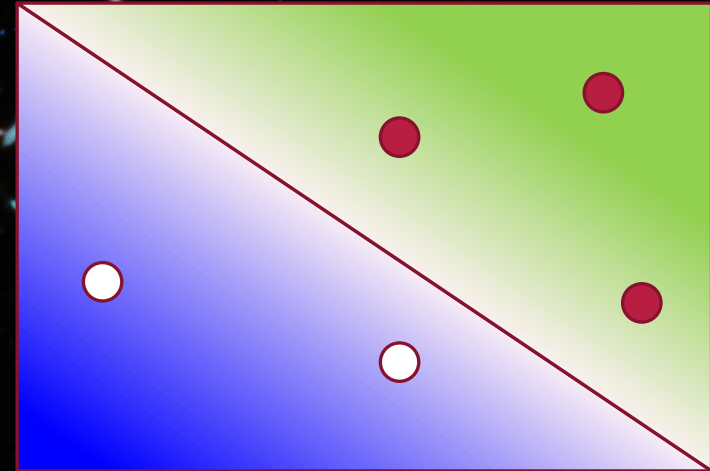
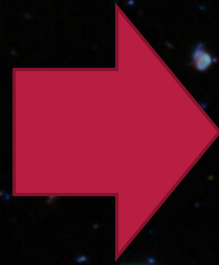
Tokens
Sentences
Documents
Objects
Data Point



$f: D \rightarrow \{0,1\}$: $f(x)$ a Boolean Function

Learning to Classify: Boolean Classifiers

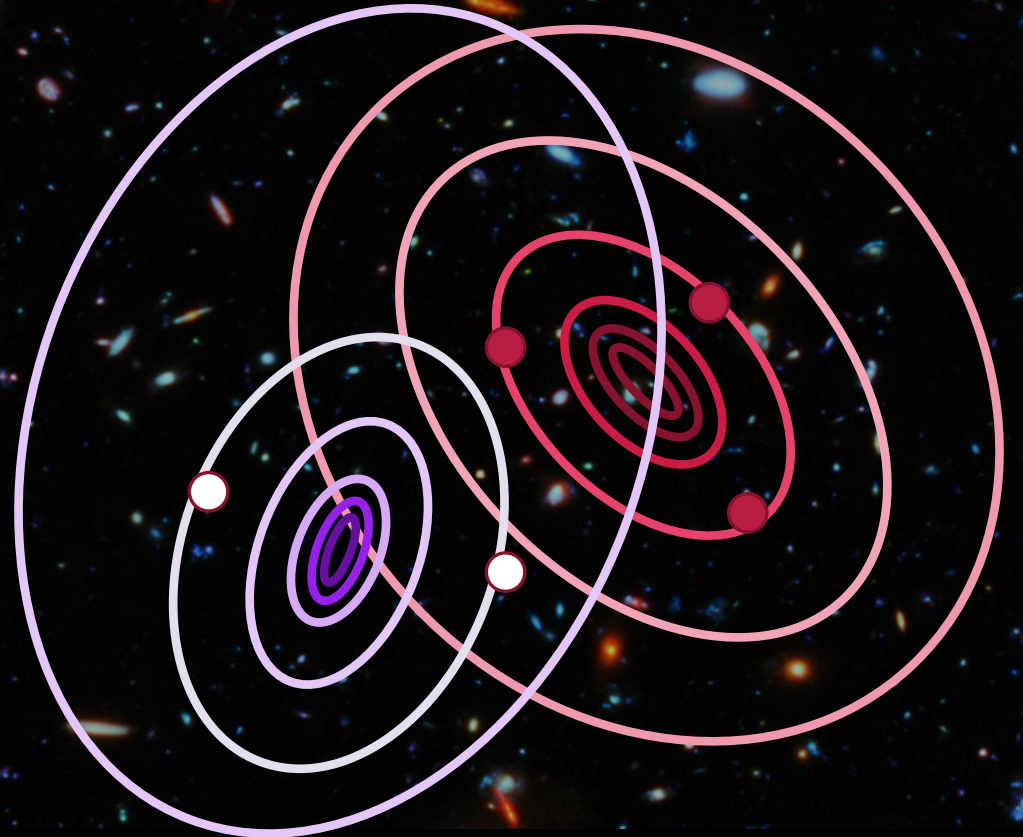
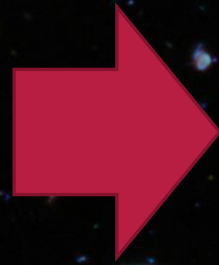
Tokens
Sentences
Documents
Objects
Data Point



$f: D \rightarrow \mathbb{R}^{[0,1]}$: $f(x)$ probability value
 $f: D \rightarrow \mathbb{R}^{[-1,1]}$: $f(x)$ confidence score

Learning to Classify: Boolean Classifiers

Tokens
Sentences
Documents
Objects
Data Point



$$f: D \rightarrow \{0,1\}^{R[0,1]}$$

Mixture or Overlapping Classification



Learning to Classify: Classifier

Bayesian Classifier

Naïve Bayes

Logistic Regression (Linear)

Neural Network (non-Linear)

Bayesian Inference

$$P(H|E) = \frac{P(E|H)P(H)}{P(E)} = \frac{P(E|H)P(H)}{\sum_{H \in \mathcal{H}} P(E|H) P(H)}$$

E: Event | Evidence

H: Hypothesis

Posterior

Evidence → Hypothesis

An event happened. Was it according to my belief?

$$\underline{P(H|E)} = \frac{P(E|H)P(H)}{P(E)} = \frac{P(E|H)P(H)}{\sum_{H \in \mathcal{H}} P(E|H)P(H)}$$

E: Event | Evidence

H: Hypothesis

Prior

$P(\text{Hypothesis})$

How much your belief is probable regardless of the event (before the event)?

$$P(H|E) = \frac{P(E|H)P(H)}{P(E)} = \frac{P(E|H)P(H)}{\sum_{H \in \mathcal{H}} P(E|H)P(H)}$$

E: Event | Evidence

H: Hypothesis

Likelihood!

Hypothesis \rightarrow Evidence

If I want to build the world according to belief, what events happen?

$$P(H|E) = \frac{P(E|H)P(H)}{P(E)} = \frac{P(E|H)P(H)}{\sum_{H \in \mathcal{H}} P(E|H)P(H)}$$

E : Event | Evidence | Language

H : Hypothesis | Model

Marginal Likelihood!

Normalized over all Hypothesis

The chance that the event happens considering all beliefs

$$P(H|E) = \frac{P(E|H)P(H)}{\underbrace{P(E)}} = \frac{P(E|H)P(H)}{\sum_{H \in \mathcal{H}} P(E|H)P(H)}$$

$H_0 + H_1$
 $H_2 + \dots$

E: Event | Evidence

H: Hypothesis

Example

Iran vs. Canada

$$P(H|E) = \frac{P(E|H)P(H)}{P(E)} = \frac{P(E|H)P(H)}{\sum_{H \in \mathcal{H}} P(E|H) P(H)}$$


E: Event | Evidence

H: Hypothesis

Hypothesis in Iran

$$\text{Priors} = P(H_i) = 1/4$$

Sunny Days

H0: Spring	H1: Summer	H2: Fall	H3: Winter
			
Likelihood <u>0.5</u>	Likelihood <u>0.7</u>	Likelihood <u>0.3</u>	Likelihood 0.1

Hypothesis in Canada

Priors = $P(H_i) \rightarrow$ Not uniform! $\rightarrow P(H_i) = [0.25, 0.3, 0.05, 0.4]$

Sunny Days

H0: Spring	H1: Summer	H2: Fall	H3: Winter
Likelihood 0.5	Likelihood 0.7	Likelihood 0.3	Likelihood 0.1

Evidence \rightarrow Hypothesis

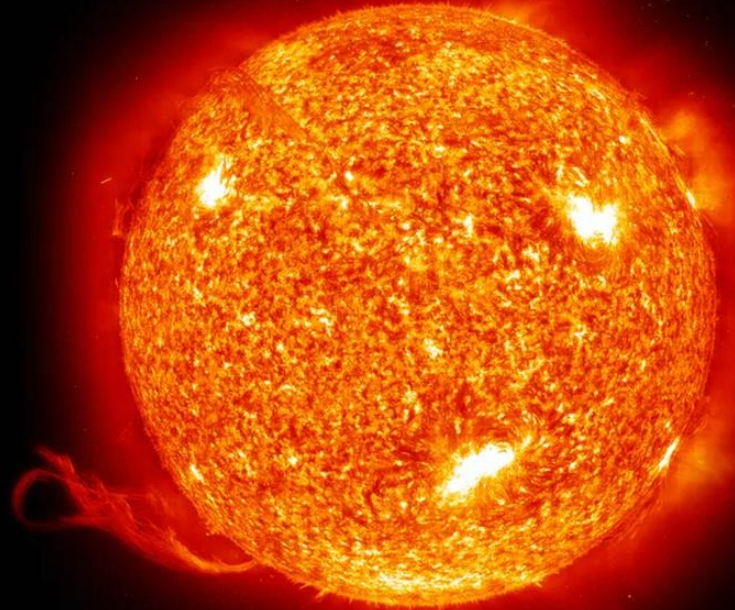
We see a sunny day in Iran! What is the season?

$P(\text{Spring} \mid \text{Sunny}) = ?$

$P(\text{Summer} \mid \text{Sunny}) = ?$

$P(\text{Fall} \mid \text{Sunny}) = ?$

$P(\text{Winter} \mid \text{Sunny}) = ?$



Evidence \rightarrow Hypothesis

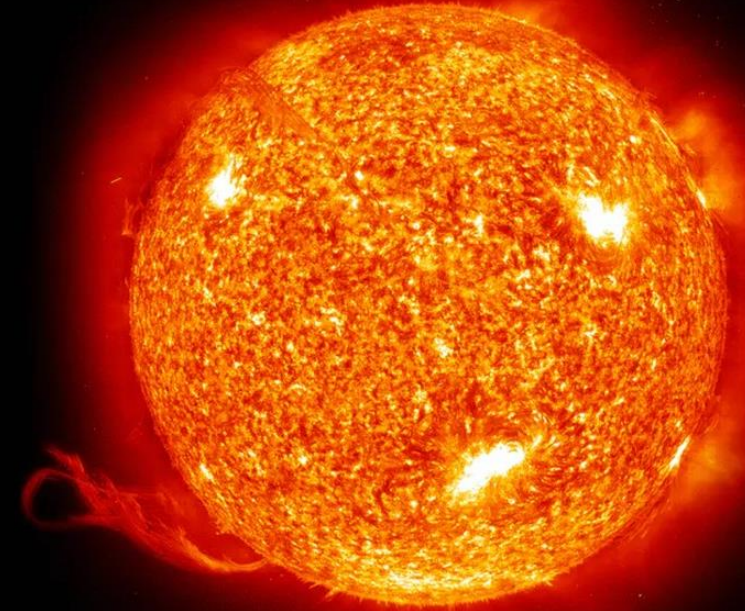
We see a sunny day in Iran! What is the season?

$$P(\text{Spring} \mid \text{Sunny}) = \frac{P(\text{Sunny} \mid H_0)P(H_0)}{P(\text{Sunny})} = \frac{P(H_0)}{P(\text{Sunny})} \times 0.5$$

$$P(\text{Summer} \mid \text{Sunny}) = \frac{P(\text{Sunny} \mid H_1)P(H_1)}{P(\text{Sunny})} = \frac{P(H_1)}{P(\text{Sunny})} \times 0.7$$

$$P(\text{Fall} \mid \text{Sunny}) = \frac{P(\text{Sunny} \mid H_2)P(H_2)}{P(\text{Sunny})} = \frac{P(H_2)}{P(\text{Sunny})} \times 0.3$$

$$P(\text{Winter} \mid \text{Sunny}) = \frac{P(\text{Sunny} \mid H_3)P(H_3)}{P(\text{Sunny})} = \frac{P(H_3)}{P(\text{Sunny})} \times 0.1$$



Maximum Posterior: $\text{Argmax}_i P(H_i \mid \text{Sunny})$

Evidence \rightarrow Hypothesis

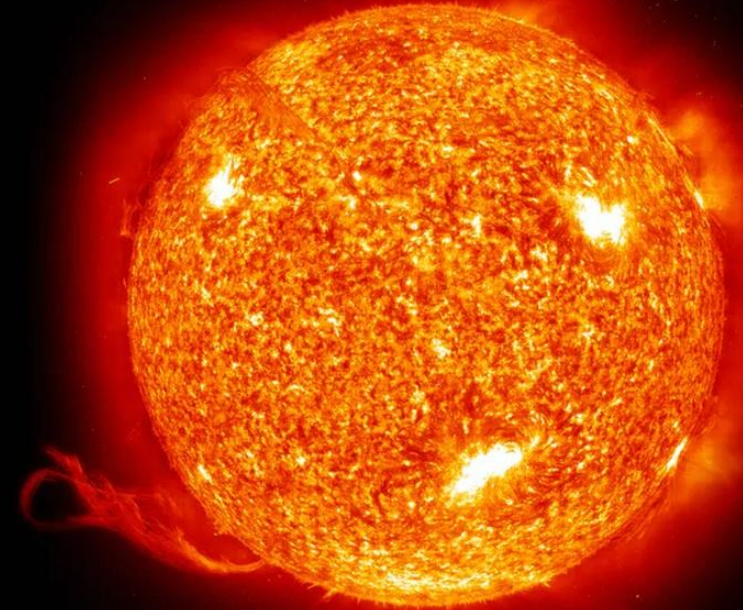
We see a sunny day in Canada! What is the season?

$P(\text{Spring} \mid \text{Sunny}) = ?$

$P(\text{Summer} \mid \text{Sunny}) = ?$

$P(\text{Fall} \mid \text{Sunny}) = ?$

$P(\text{Winter} \mid \text{Sunny}) = ?$



Evidence \rightarrow Hypothesis

We see a sunny day in **Canada!** What is the season?

$$P(\text{Spring} \mid \text{Sunny}) = \frac{P(\text{Sunny} \mid H_0)P(H_0)}{P(\text{Sunny})} = \frac{0.25}{P(\text{Sunny})} \times 0.5$$

$$P(\text{Summer} \mid \text{Sunny}) = \frac{P(\text{Sunny} \mid H_1)P(H_1)}{P(\text{Sunny})} = \frac{0.3}{P(\text{Sunny})} \times 0.7$$

$$P(\text{Fall} \mid \text{Sunny}) = \frac{P(\text{Sunny} \mid H_2)P(H_2)}{P(\text{Sunny})} = \frac{0.05}{P(\text{Sunny})} \times 0.3$$

$$P(\text{Winter} \mid \text{Sunny}) = \frac{P(\text{Sunny} \mid H_3)P(H_3)}{P(\text{Sunny})} = \frac{0.4}{P(\text{Sunny})} \times 0.1$$

We see a sunny day in **Canada!** What is the season?

$$P(\text{Spring} \mid \text{Sunny}) = \frac{P(\text{Sunny} \mid H_0)P(H_0)}{P(\text{Sunny})} = \frac{0.25}{P(\text{Sunny})} \times 0.5$$

$$P(\text{Summer} \mid \text{Sunny}) = \frac{P(\text{Sunny} \mid H_1)P(H_1)}{P(\text{Sunny})} = \frac{0.3}{P(\text{Sunny})} \times 0.7$$

$$P(\text{Fall} \mid \text{Sunny}) = \frac{P(\text{Sunny} \mid H_2)P(H_2)}{P(\text{Sunny})} = \frac{0.05}{P(\text{Sunny})} \times 0.3$$

$$P(\text{Winter} \mid \text{Sunny}) = \frac{P(\text{Sunny} \mid H_3)P(H_3)}{P(\text{Sunny})} = \frac{0.4}{P(\text{Sunny})} \times 0.1$$

Maximum Posterior: $\text{Argmax } P(H_i \mid \text{Sunny})$

MAP vs. MLE

Maximum a Posteriori vs. Maximum Likelihood Estimation

/ˌpɒstəriˈɔːraɪ/

/ˌpəʊstəriˈɔːri/

$$\operatorname{argmax} P(H|E) = \frac{P(E|H)P(H)}{P(E)} = \frac{P(E|H)P(H)}{\sum_{H \in \mathcal{H}} P(E|H)P(H)}$$

E: Event | Evidence

H: Hypothesis

MAP = MLE

Priors are Uniformly Distributed

$$\operatorname{argmax} P(H|E) = \frac{P(E|H)P(H)}{P(E)} = \frac{P(E|H)P(H)}{\sum_{H \in \mathcal{H}} P(E|H) P(H)}$$

E: Event | Evidence

H: Hypothesis

MAP \ll MLE

MAP is more general optimization method!
Priors are not uniform, MLE is weighted by Prior

$$\operatorname{argmax} P(H|E) = \frac{P(E|H)P(H)}{P(E)} = \frac{P(E|H)P(H)}{\sum_{H \in \mathcal{H}} P(E|H) P(H)}$$

E: Event | Evidence

H: Hypothesis

MAP & MLE

Point estimates, i.e., give single real values as probabilities!

$$\operatorname{argmax} \underbrace{P(H|E)} = \frac{P(E|H)P(H)}{P(E)} = \frac{P(E|H)P(H)}{\sum_{H \in \mathcal{H}} P(E|H)P(H)}$$

E: Event | Evidence

H: Hypothesis

Bayesian Inference

Probability Density Function

$$P(a < x < b) = \int_a^b f(x) dx$$

$\rightarrow \text{MAP} \rightarrow \text{MLE}$

$$\text{argmax}_{H \in \mathcal{H}} P(H|E) = \frac{P(E|H)P(H)}{P(E)} = \frac{P(E|H)P(H)}{\sum_{H \in \mathcal{H}} P(E|H)P(H)}$$

the output is not a single value but a probability density function (when H is a continuous variable) or a probability mass function (when H is a discrete variable).

Learning to Classify: Classifier

Tokens
Sentences
Documents
Objects
Data Point

Events | Evidences

Learning to Classify: Classifier

Classes

Labels

} Hypotheses

Learning to Classify: Classifier



$$\operatorname{argmax} P(c|d) = \frac{P(d|c)P(c)}{P(d)} = \frac{P(d|c)P(c)}{\sum_{c \in \mathcal{C}} P(d|c) P(c)}$$



Document Classification

Sentiment (Review) Analysis (happy, sad, neutral)
Misinformation Analysis (fake-real, reliable-unreliable)
Language Modeling!

Bayes 4 Document Classification

Document (Event) \rightarrow Classes (Hypothesis)

$$\hat{c} = \underset{c \in C}{\operatorname{argmax}} P(c|d) = \underset{c \in C}{\operatorname{argmax}} \frac{P(d|c)P(c)}{P(d)} = \underset{c \in C}{\operatorname{argmax}} \underbrace{P(d|c)} \underbrace{P(c)}$$

Bayes 4 Document Classification

Document (Event) \rightarrow Classes (Hypothesis)

Document (Event): stream of tokens w_1, w_2, \dots, w_n

$$\hat{c} = \underset{c \in C}{\operatorname{argmax}} P(d|c)P(c)$$

$$= \underset{c \in C}{\operatorname{argmax}} P(w_1, w_2, \dots, w_n | c) P(c)$$

Bayes 4 Document Classification

Document (Event) \rightarrow Classes (Hypothesis)

Document (Event): stream of tokens w_1, w_2, \dots, w_n

$$\hat{c} = \underset{c \in C}{\operatorname{argmax}} P(d|c)P(c)$$

$$= \underset{c \in C}{\operatorname{argmax}} P(\underbrace{w_1, w_2, \dots, w_n}_{\text{tokens}} | c) P(c)$$

$$= \underset{c \in C}{\operatorname{argmax}} \begin{bmatrix} \text{unigram} \\ \text{bigram} \\ \text{trigram} \\ \vdots \end{bmatrix} P(c)$$

Handwritten notes:

$$P(w_i) =$$
$$P(w_2 | w_1)$$
$$P(w_3 | w_2)$$

Naïve Bayes 4 Document Classification

Document (Event) \rightarrow Classes (Hypothesis)

Document (Event): stream of tokens w_1, w_2, \dots, w_n

$$\hat{c} = \underset{c \in C}{\operatorname{argmax}} P(d|c)P(c)$$

$$= \underset{c \in C}{\operatorname{argmax}} P(w_1, w_2, \dots, w_n | c) P(c)$$

$$= \underset{c \in C}{\operatorname{argmax}} [\text{unigram}] P(c)$$

iid
 $p(w_1)p(w_2)$

BoW

Naïve Bayes 4 Document Classification

Document (Event) \rightarrow Classes (Hypothesis)

Document (Event): stream of tokens w_1, w_2, \dots, w_n

$$\hat{c} = \underset{c \in C}{\operatorname{argmax}} P(d|c)P(c)$$

$$= \underset{c \in C}{\operatorname{argmax}} P(w_1, w_2, \dots, w_n | c) P(c)$$

$$= \underset{c \in C}{\operatorname{argmax}} [\text{unigram}] P(c)$$

$$= \underset{c \in C}{\operatorname{argmax}} \prod_{i=1}^n P(w_i | c) P(c)$$

Naïve Bayes 4 Document Classification

Document (Event) \rightarrow Classes (Hypothesis)

Document (Event): stream of tokens w_1, w_2, \dots, w_n

$$\hat{c} = \operatorname{argmax}_{c \in C} P(d|c)P(c)$$

$$= \operatorname{argmax}_{c \in C} P(w_1, w_2, \dots, w_n | c) P(c)$$

$$= \operatorname{argmax}_{c \in C} [\text{unigram}] P(c)$$

$$= \operatorname{argmax}_{c \in C} \prod_{i=1}^n P(w_i|c) P(c)$$

$$= \operatorname{argmax}_{c \in C} P(c) \prod_{i=1}^n P(w_i|c)$$

Naïve Bayes 4 Document Classification

Document (Event) \rightarrow Classes (Hypothesis)

Document (Event): stream of tokens w_1, w_2, \dots, w_n

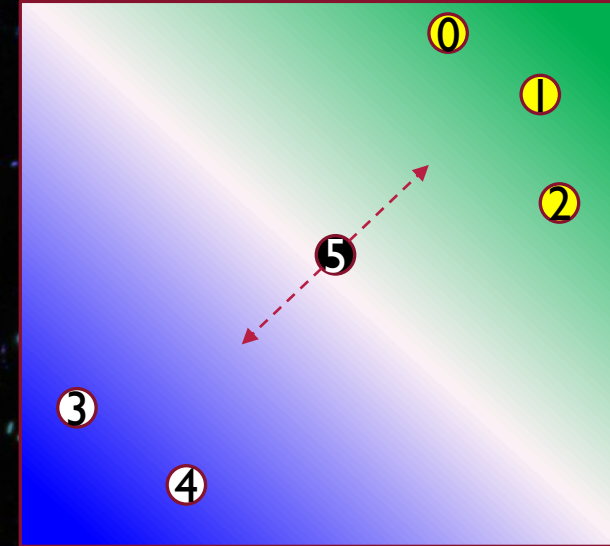
$$\begin{aligned}\hat{c} &= \underset{c \in C}{\operatorname{argmax}} P(d|c)P(c) \\ &= \underset{c \in C}{\operatorname{argmax}} P(w_1, w_2, \dots, w_n | c) P(c) \\ &= \underset{c \in C}{\operatorname{argmax}} [\text{unigram}] P(c) \\ &= \underset{c \in C}{\operatorname{argmax}} \log \sum_{i=1}^n P(w_i|c) P(c) \\ &= \underset{c \in C}{\operatorname{argmax}} P(c) \log \sum_{i=1}^n P(w_i|c)\end{aligned}$$

Naïve Bayes: Example

	Documents (Sentence)	Sentiment Class (Label)
Train	S_0 : just plain boring	Neg (-)
	S_1 : entirely predictable and lacks energy	Neg (-)
	S_2 : no surprises and very few laughs	Neg (-)
	S_3 : very powerful	Pos (+)
	S_4 : the most fun film of the summer	Pos (+)
Test	S_5 : predictable with no fun	?

Naïve Bayes: Example

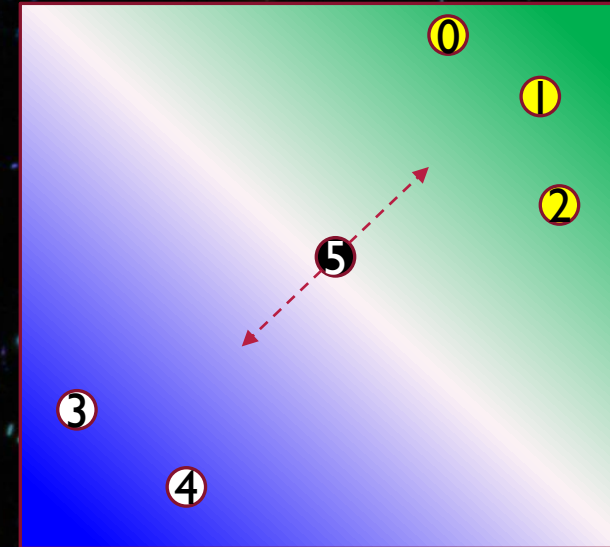
	Documents (Sentence)	Sentiment Class (Label)
Train	S_0 : just plain boring	Neg (-)
	S_1 : entirely predictable and lacks energy	Neg (-)
	S_2 : no surprises and very few laughs	Neg (-)
	S_3 : very powerful	Pos (+)
	S_4 : the most fun film of the summer	Pos (+)
Test	S_5 : predictable with no fun	?



$$\hat{c} = \underset{c \in C}{\operatorname{argmax}} P(S_5|c)P(c) = \underset{c \in C}{\operatorname{argmax}} \underbrace{[\text{unigram}]} P(c) = \underset{c \in \{+,-\}}{\operatorname{argmax}} P(c) \prod_{i=1}^n \underbrace{P(w_i|c)}$$

Naïve Bayes: Example

	Documents (Sentence)	Sentiment Class (Label)
Train	S_0 : just plain boring	Neg (-)
	S_1 : entirely predictable and lacks energy	Neg (-)
	S_2 : no surprises and very few laughs	Neg (-)
	S_3 : very powerful	Pos (+)
	S_4 : the most fun film of the summer	Pos (+)
Test	S_5 : predictable with no fun	?



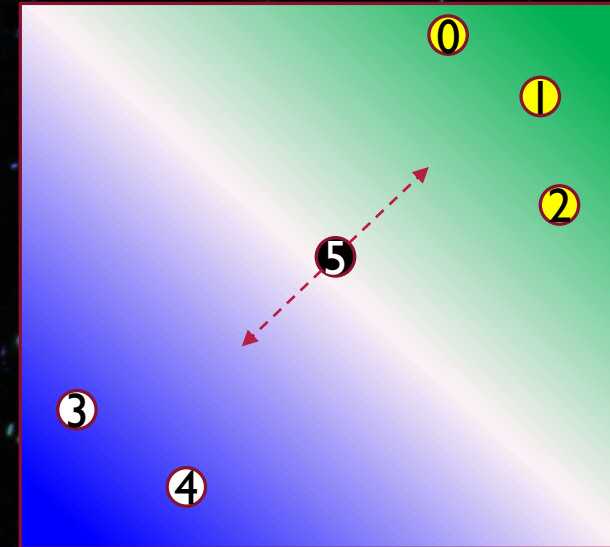
$$\hat{c} = \underset{c \in \mathcal{C}}{\operatorname{argmax}} P(S_5|c)P(c) = \underset{c \in \mathcal{C}}{\operatorname{argmax}} [\text{unigram}] P(c) = \underset{c \in \{+,-\}}{\operatorname{argmax}} P(c) \prod_{i=1}^n P(w_i|c)$$

$$P(-|S_5) = P(S_5|-) P(-) \propto P(-) [P(\text{predictable}|-) P(\text{with}|-) P(\text{no}|-) P(\text{fun}|-)] = ?$$

$$P(+|S_5) = P(S_5|+) P(+) \propto P(+)[P(\text{predictable} | +) P(\text{with} | +) P(\text{no} | +) P(\text{fun} | +)] = ?$$

Naïve Bayes: Example

	Documents (Sentence)	Sentiment Class (Label)
Train	S_0 : just plain boring	Neg (-)
	S_1 : entirely predictable and lacks energy	Neg (-)
	S_2 : no surprises and very few laughs	Neg (-)
	S_3 : very powerful	Pos (+)
	S_4 : the most fun film of the summer	Pos (+)
Test	S_5 : predictable with no fun	?



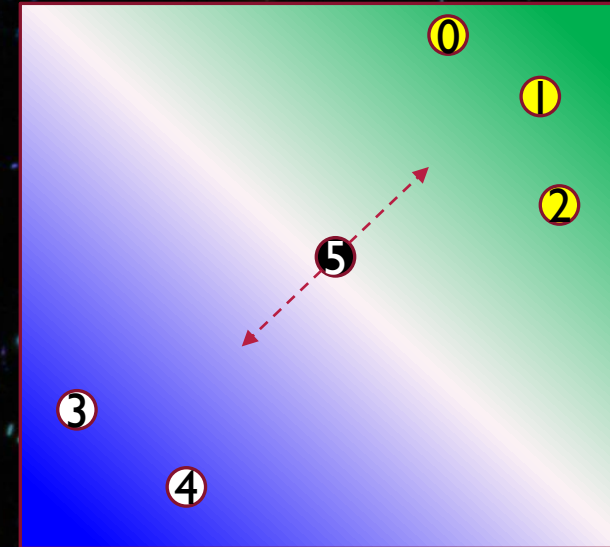
$$\hat{c} = \underset{c \in \mathcal{C}}{\operatorname{argmax}} P(S_5|c)P(c) = \underset{c \in \mathcal{C}}{\operatorname{argmax}} [\text{unigram}] P(c) = \underset{c \in \{+,-\}}{\operatorname{argmax}} P(c) \prod_{i=1}^n P(w_i|c)$$

$$P(-|S_5) = P(S_5|-) P(-) \propto P(-) [P(\text{predictable}|-) P(\text{with}|-) P(\text{no}|-) P(\text{fun}|-)] = ?$$

$$P(+|S_5) = P(S_5|+) P(+) \propto P(+)[P(\text{predictable}+) P(\text{with}+) P(\text{no}+) P(\text{fun}+)] = ?$$

Naïve Bayes: Example

	Documents (Sentence)	Sentiment Class (Label)
Train	S ₀ : just plain boring	Neg (-)
	S ₁ : entirely predictable and lacks energy	Neg (-)
	S ₂ : no surprises and very few laughs	Neg (-)
	S ₃ : very powerful	Pos (+)
	S ₄ : the most fun film of the summer	Pos (+)
Test	S ₅ : predictable with no fun	?



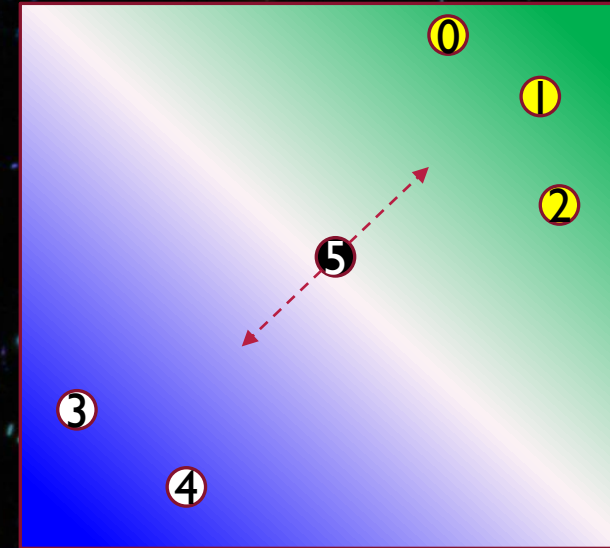
$$\hat{c} = \underset{c \in \mathcal{C}}{\operatorname{argmax}} P(S_5|c)P(c) = \underset{c \in \mathcal{C}}{\operatorname{argmax}} [\text{unigram}] P(c) = \underset{c \in \{+,-\}}{\operatorname{argmax}} P(c) \prod_{i=1}^n P(w_i|c)$$

$$P(-|S_5) = P(S_5|-) P(-) \propto \underbrace{P(-)}_{\text{prior}} [P(\text{predictable}|-) P(\text{with}|-) P(\text{no}|-) P(\text{fun}|-)] = \frac{3}{51251}$$

$$P(+|S_5) = P(S_5|+) P(+) \propto \underbrace{P(+)}_{\text{prior}} [P(\text{predictable}|+) P(\text{with}|+) P(\text{no}|+) P(\text{fun}|+)] = \frac{5}{2151}$$

Naïve Bayes: Example

	Documents (Sentence)	Sentiment Class (Label)
Train	S ₀ : just plain boring	Neg (-)
	S ₁ : entirely predictable and lacks energy	Neg (-)
	S ₂ : no surprises and very few laughs	Neg (-)
	S ₃ : very powerful	Pos (+)
	S ₄ : the most fun film of the summer	Pos (+)
Test	S ₅ : <u>predictable</u> with no fun	?



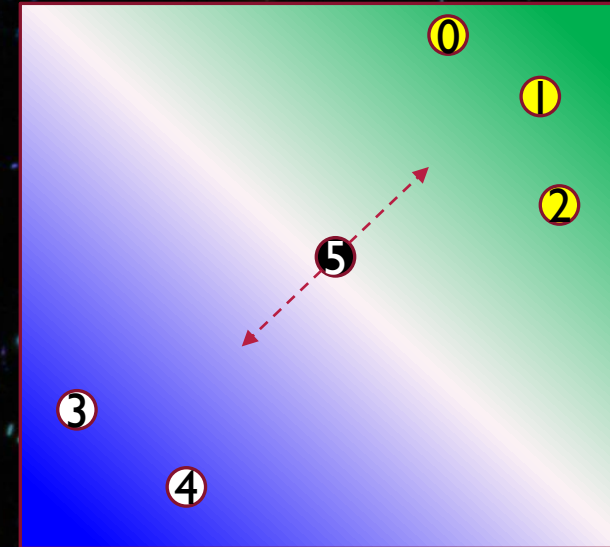
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$$P(-|S_5) = P(S_5|-) P(-) \propto P(-) [P(\text{predictable}|-) P(\text{with}|-) P(\text{no}|-) P(\text{fun}|-)] = ?$$

$$P(+|S_5) = P(S_5|+) P(+) \propto P(+)[P(\text{predictable} | +) P(\text{with} | +) P(\text{no} | +) P(\text{fun} | +)] = ?$$

Naïve Bayes: Example

	Documents (Sentence)	Sentiment Class (Label)
Train	S ₀ : just plain boring	Neg (-)
	S ₁ : entirely predictable and lacks energy	Neg (-)
	S ₂ : no surprises and very few laughs	Neg (-)
	S ₃ : very powerful	Pos (+)
	S ₄ : the most fun film of the summer	Pos (+)
Test	S ₅ : predictable with no fun	?



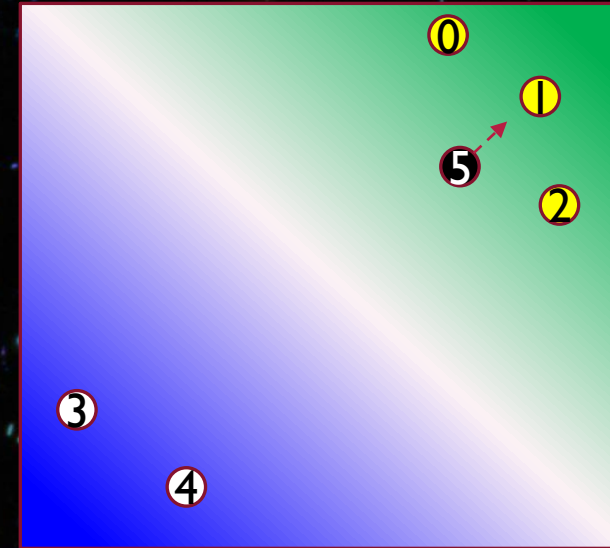
Neg (-) : just plain boring entirely predictable and lacks energy no surprises and very few laughs
 Pos (+) : very powerful the most fun film of the summer

$$P(\text{predictable}|-) = \frac{\# \text{predictable}}{\# \text{total tokens in } (-)} = \frac{1}{14}; P(\text{with}|-) = \frac{\# \text{with}}{\# \text{total tokens in } (-)} = \frac{0}{14}; P(\text{no}|-) = \frac{\# \text{no}}{\# \text{total tokens in } (-)} = \frac{1}{14}; P(\text{fun}|-) = \frac{\# \text{fun}}{\# \text{total tokens in } (-)} = \frac{0}{14}$$

$$P(\text{predictable}+) = \frac{\# \text{predictable}}{\# \text{total tokens in } (+)} = \frac{0}{9}; P(\text{with}+) = \frac{\# \text{with}}{\# \text{total tokens in } (+)} = \frac{0}{9}; P(\text{no}+) = \frac{\# \text{no}}{\# \text{total tokens in } (+)} = \frac{0}{9}; P(\text{fun}+) = \frac{\# \text{fun}}{\# \text{total tokens in } (+)} = \frac{1}{9}$$

Naïve Bayes + Smoothing: Example

	Documents (Sentence)	Sentiment Class (Label)
Train	S ₀ : just plain boring	Neg (-)
	S ₁ : entirely predictable and lacks energy	Neg (-)
	S ₂ : no surprises and very few laughs	Neg (-)
	S ₃ : very powerful	Pos (+)
	S ₄ : the most fun film of the summer	Pos (+)
Test	S ₅ : predictable with no fun	Neg (-)



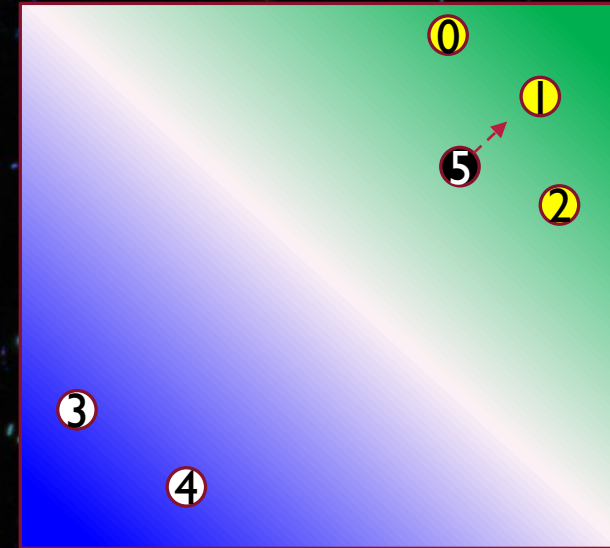
Neg (-) : just plain boring entirely predictable and lacks energy no surprises and very few laughs

Pos (+) : very powerful the most fun film of the summer

$$\begin{aligned}
 P(\text{predictable}|-) &= \frac{\# \text{predictable}}{\# \text{total tokens in } (-)} = \frac{1 + 1}{14 + 23}; & P(\text{with}|-) &= \frac{\# \text{with}}{\# \text{total tokens in } (-)} = \frac{0 + 1}{14 + 23}; & P(\text{no}|-) &= \frac{\# \text{no}}{\# \text{total tokens in } (-)} = \frac{1 + 1}{14 + 23}; & P(\text{fun}|-) &= \frac{\# \text{fun}}{\# \text{total tokens in } (-)} = \frac{0 + 1}{14 + 23} \\
 P(\text{predictable}|+) &= \frac{\# \text{predictable}}{\# \text{total tokens in } (+)} = \frac{0 + 1}{9 + 23}; & P(\text{with}|+) &= \frac{\# \text{with}}{\# \text{total tokens in } (+)} = \frac{0 + 1}{9 + 23}; & P(\text{no}|+) &= \frac{\# \text{no}}{\# \text{total tokens in } (+)} = \frac{0 + 1}{9 + 23}; & P(\text{fun}|+) &= \frac{\# \text{fun}}{\# \text{total tokens in } (+)} = \frac{1 + 1}{9 + 23}
 \end{aligned}$$

Naïve Bayes + Smoothing: Example

	Documents (Sentence)	Sentiment Class (Label)
Train	S ₀ : just plain boring	Neg (-)
	S ₁ : entirely predictable and lacks energy	Neg (-)
	S ₂ : no surprises and very few laughs	Neg (-)
	S ₃ : very powerful	Pos (+)
	S ₄ : the most fun film of the summer	Pos (+)
Test	S ₅ : predictable with no fun	Neg (-)



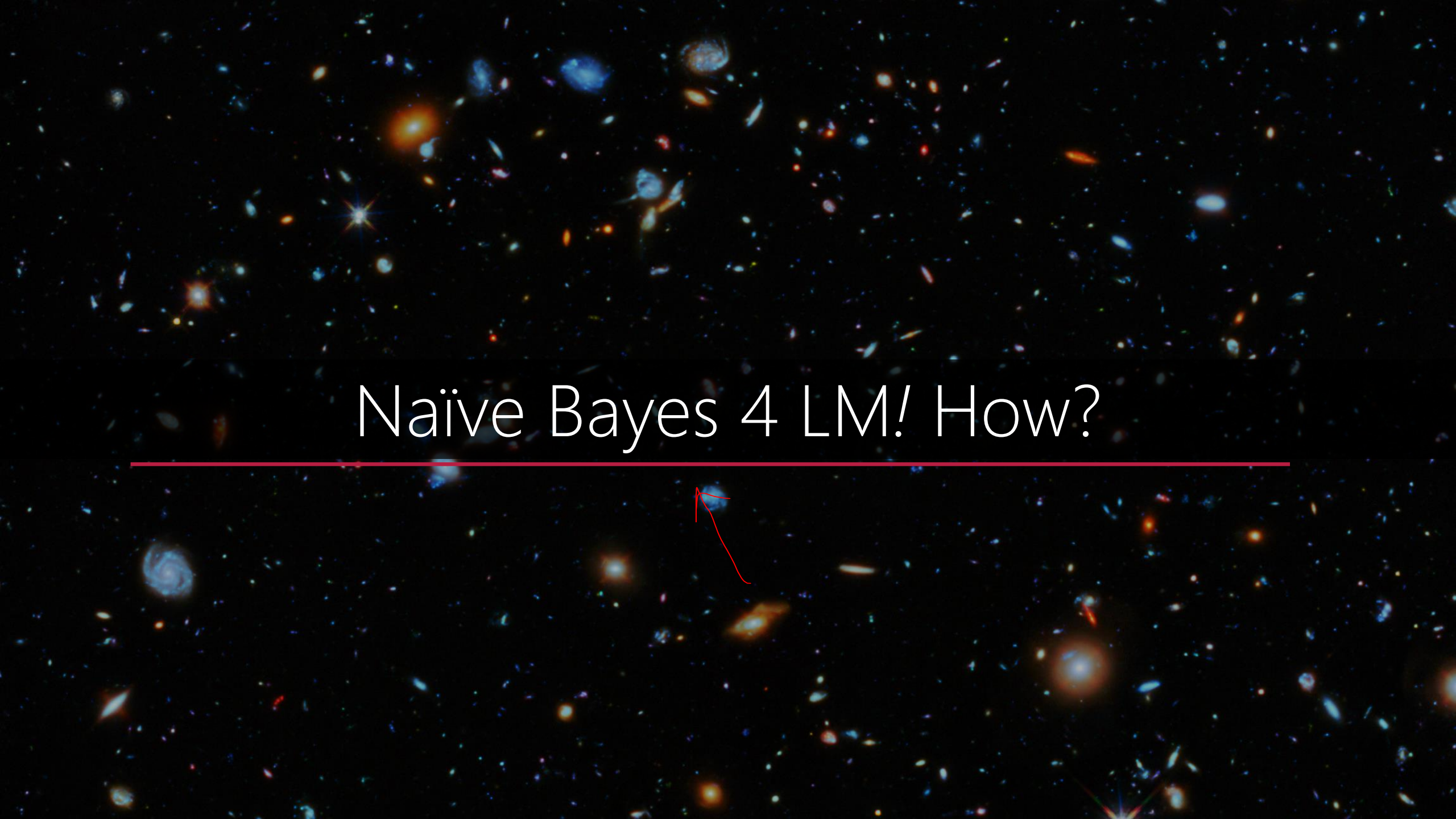
Neg (-) : just plain boring entirely predictable and lacks energy no surprises and very few laughs

Pos (+) : very powerful the most fun film of the summer

$$P(-|S_5) = P(S_5|-) P(-) \propto P(-) [P(\text{predictable}|-) P(\text{with}|-) P(\text{no}|-) P(\text{fun}|-)] = \frac{3}{5} \times \frac{2}{37} \times \frac{1}{37} \times \frac{2}{37} \times \frac{1}{37} = 0.00000128057$$

$$P(+|S_5) = P(S_5|+) P(+) \propto P(+) [P(\text{predictable}|+) P(\text{with}|+) P(\text{no}|+) P(\text{fun}|+)] = \frac{2}{5} \times \frac{1}{32} \times \frac{1}{32} \times \frac{1}{32} \times \frac{2}{32} = 0.000000762939453$$





Naïve Bayes 4 LM! How?

Naïve Bayes 4 LM

classify the context into the class of next token!

$$P(W_n | W_1, W_2, \dots, W_{n-1})$$

	Documents (Sentence)	Next Word Class (Label)
Train	S ₀ : just plain	boring
	S ₁ : entirely predictable and lacks	energy
	S ₂ : no surprises and very few	laughs
	S ₃ : very	powerful
	S ₄ : the most fun film of the	summer
Test	S ₅ : predictable with no	?

Emotion Analysis & Opinion Mining

Motivation

Online Marketing
Customer Feedback

Age and geographic differences in the levels of happiness!

Dodds and Danforth. Measuring the happiness of large-scale written expression: Songs, blogs, and presidents. *Journal of Happiness Studies*, 2010

Emotion Analysis & Opinion Mining

Definition

Document \rightarrow \langle aspect, opinion, sentiment \rangle

Aspect, Property, Feature, ...

Opinion, Believe, ...

Sentiment, Feeling, ...

What

Why?

How?

Emotion Analysis & Opinion Mining

Example

Document \rightarrow <aspect, opinion, sentiment>

"food was great but the service was poor." \rightarrow <food, great, pos>
 \rightarrow <service, poor, neg>

Sentiment Classification

Example

Document → ~~<aspect, opinion>~~ <sentiment>

"food was great but the service was poor." → <Pos>
→ <Neg>

Sentiment Classification

Literature

Lexicon-based: avoids statistical learning altogether!

Classify documents by counting words against positive and negative sentiment word lists (Taboada et al., 2011).

General Inquirer (Stone et al., 1966)

LIWC (Pennebaker et al., 2007)

MPQA Subjectivity Lexicon (Wilson et al., 2005).

E.g., the MPQA has 6885 words: 2718 positive, 4912 negative

+ : admirable, beautiful, confident, dazzling, ecstatic, favor, glee, great

— : awful, bad, bias, catastrophe, cheat, deny, envious, foul, harsh, hate

Sentiment Classification

Literature

Lexicon-based falls short

Irrrealis mood (https://en.wikipedia.org/wiki/Irrrealis_mood)

"It would be nice if you acted like you understood."

Negation

"That's not bad for the first day."

"This is not the worst thing that can happen."

"Disturbingly good"

Sarcasm & Irony

"That's just what I needed today!"

"Nice perfume. How long did you marinate in it?"

Sentiment Classification

Literature

Machine Learning-based: statistical learning!

Naïve Bayes

Binary Naïve Bayes

Per document, occurrence matters more than frequency
word counts → word occurrence

Sentiment Classification

Literature

Binary Naïve Bayes

Per document, occurrence matters more than frequency
word counts → word occurrence

Four original documents:		NB Counts		Binary Counts		
		+	-	+	-	
-	it was pathetic the worst part was the boxing scenes	and	2	0	1	0
-	no plot twists or great scenes	boxing	0	1	0	1
+	and satire and great plot twists	film	1	0	1	0
+	great scenes great film	great	3	1	2	1
		it	0	1	0	1
		no	0	1	0	1
		or	0	1	0	1
		part	0	1	0	1
		pathetic	0	1	0	1
		plot	1	1	1	1
		satire	1	0	1	0
		scenes	1	2	1	2
		the	0	2	0	1
		twists	1	1	1	1
		was	0	2	0	1
		worst	0	1	0	1

Figure 4.3 An example of binarization for the binary naive Bayes algorithm.

Bagging Model for Product Title Quality with Noise

CIKM AnalyticCup 2017

Tam T. Nguyen

Ryerson University

nthanhtam@gmail.com

Hossein Fani

University of New Brunswick

hossein.fani@gmail.com

Ebrahim Bagheri

Ryerson University

ebrahim.bageri@gmail.com

Gilbero Titericz

Airbnb, Inc.

giba1978@gmail.com

P R O B L E M

is_clear ✓

"hot sexy red clutch rug sack travel backpack unisex cheap with free gift"

LAZADA
Effortless Shopping



is_concise ✓

"Hot Sexy Tom Clovers Womens Mens Classy Look Cool Simple Style Casual Canvas Crossbody Messenger Bag Handbag Fashion Bag Tote Handbag Gray"