

Elements of Machine Learning & Data Science

Introduction to Data Science

Lecture 6

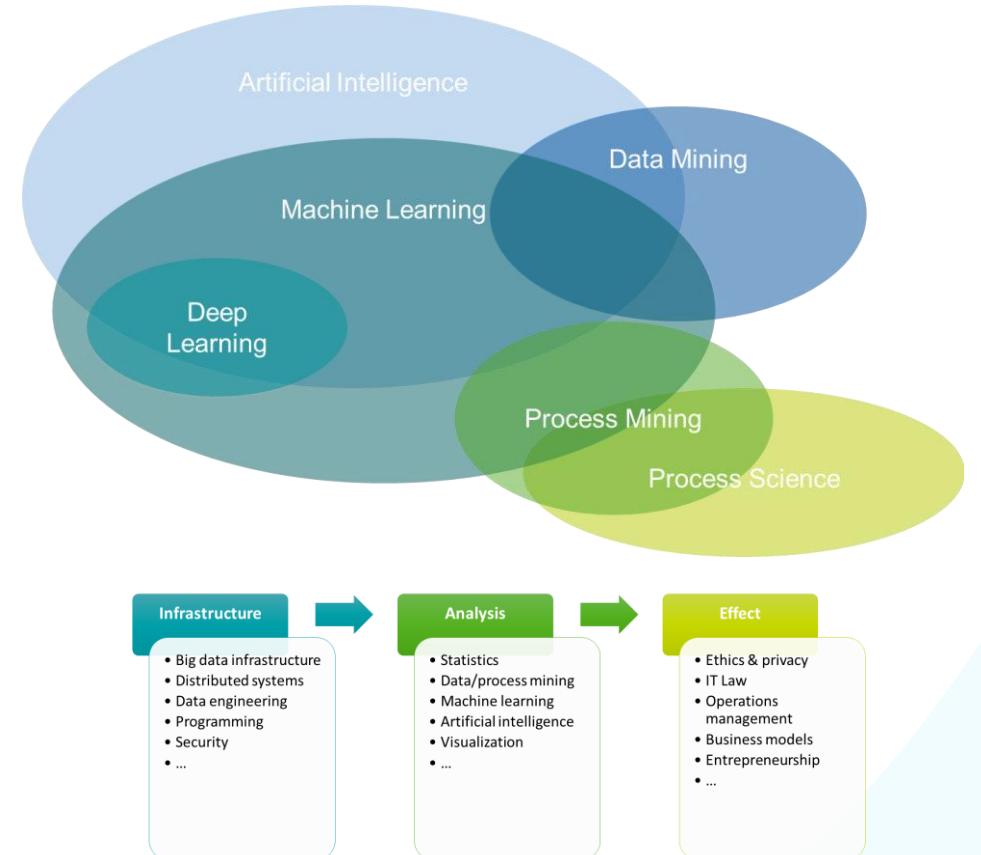
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Leah Tacke genannt Unterberg, M.Sc.

Outline

1. Introduction
2. Tabular Data
3. Data Science Process
4. Challenges
5. Data Types
6. Descriptive Statistics
7. Interpretative Pitfalls
8. Basic Visualizations
9. Feature Transformations
10. “How to lie with statistics”

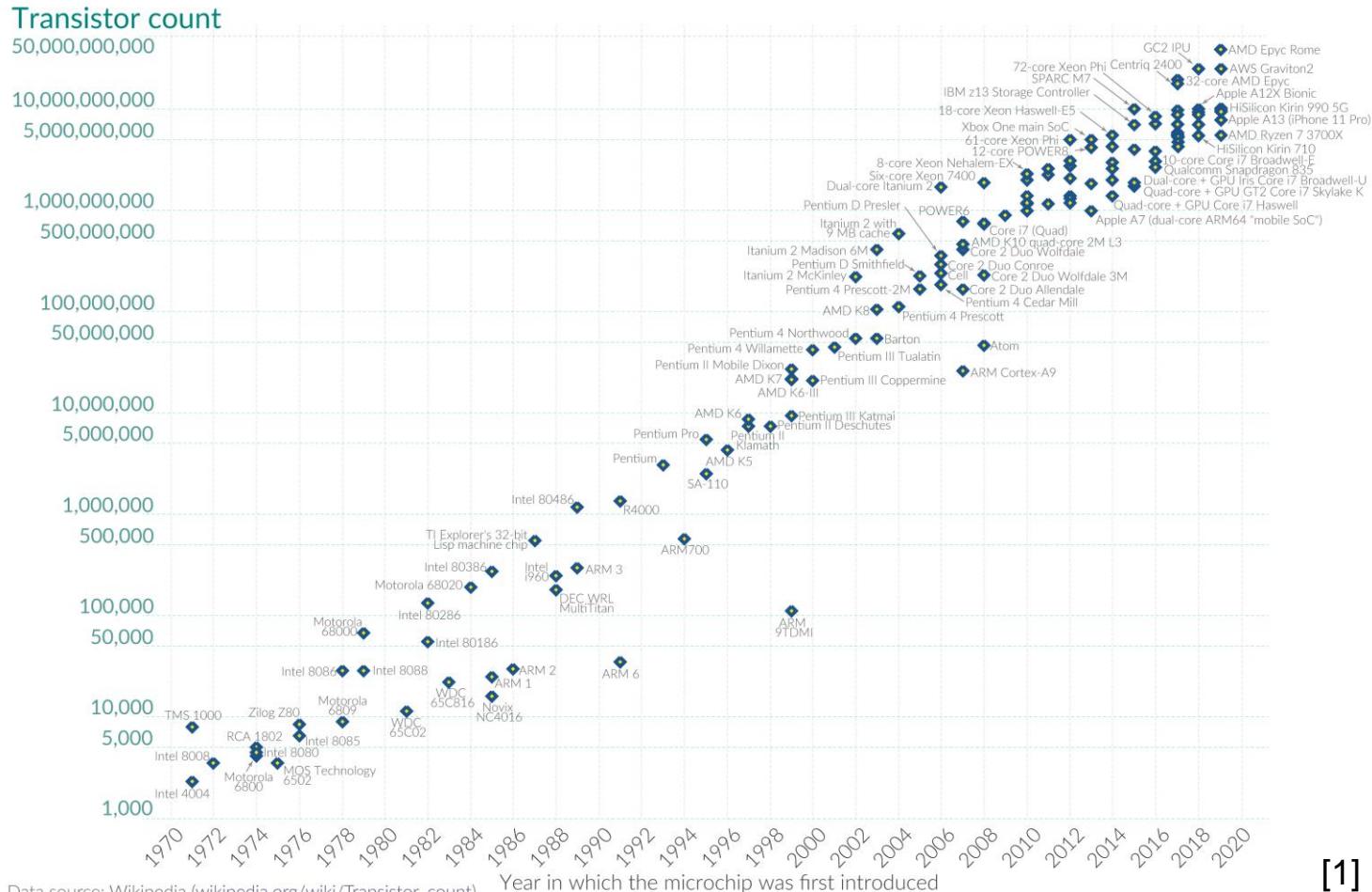


Motivation – Impact and Size of Data

Moore's Law: The number of transistors on microchips doubles every two years

Our World
in Data

Moore's law describes the empirical regularity that the number of transistors on integrated circuits doubles approximately every two years. This advancement is important for other aspects of technological progress in computing – such as processing speed or the price of computers.



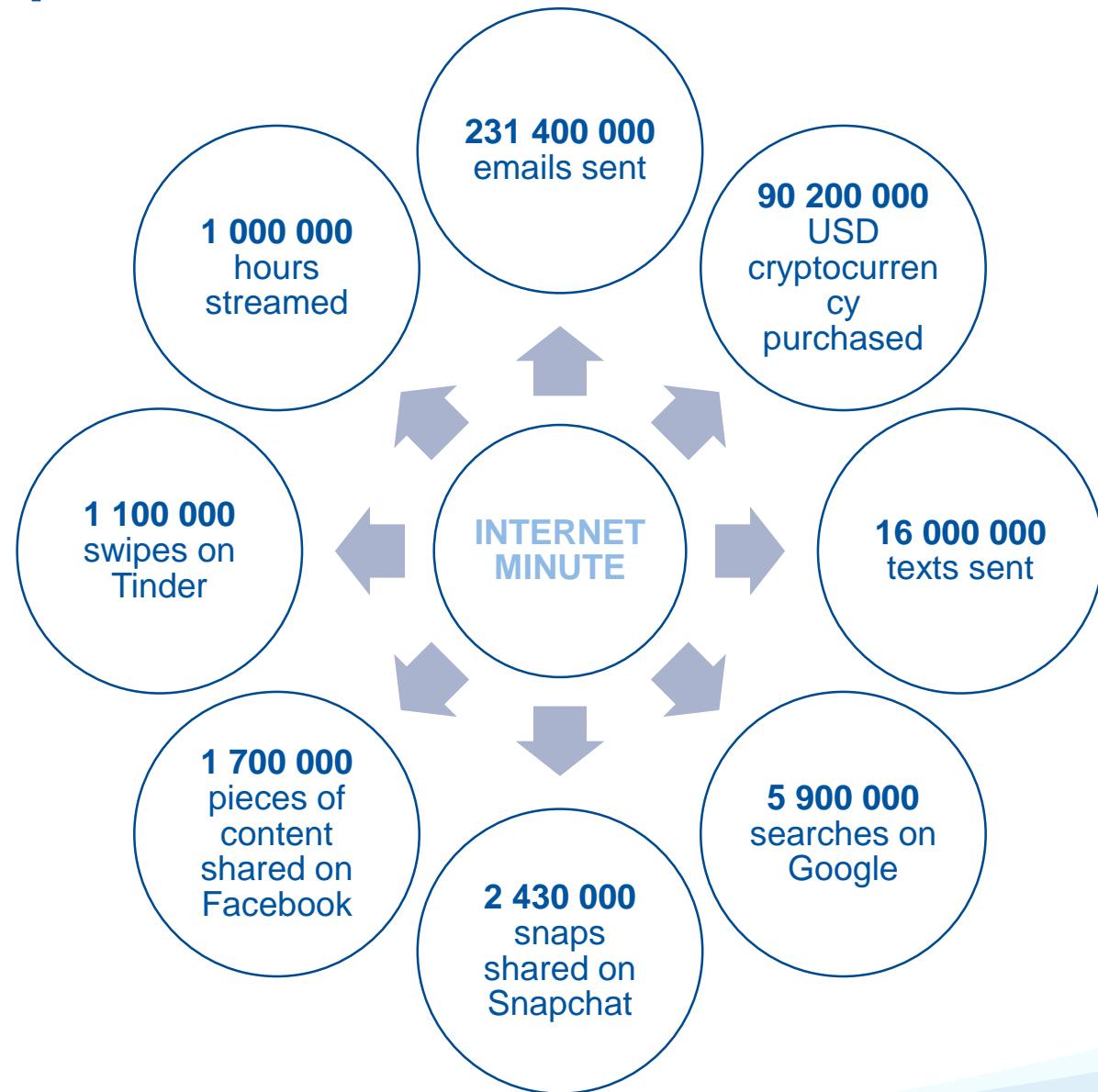
Data source: Wikipedia ([wikipedia.org/wiki/Transistor_count](https://en.wikipedia.org/wiki/Transistor_count))

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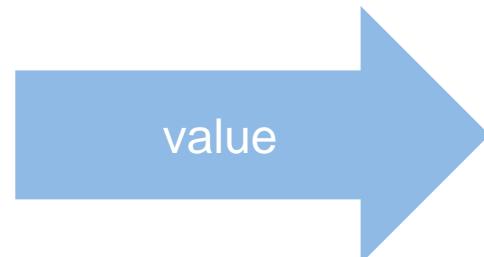
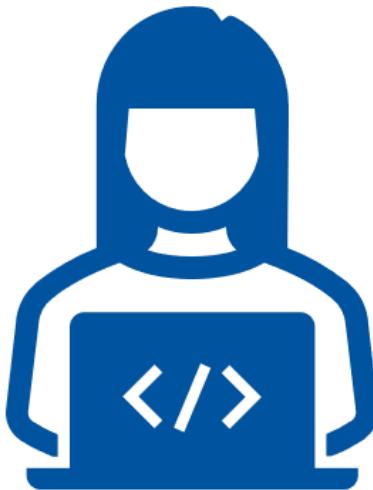
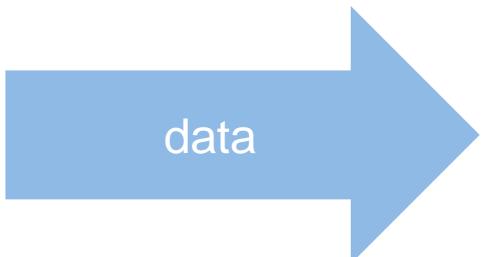
[1]

Motivation – Impact and Size of Data



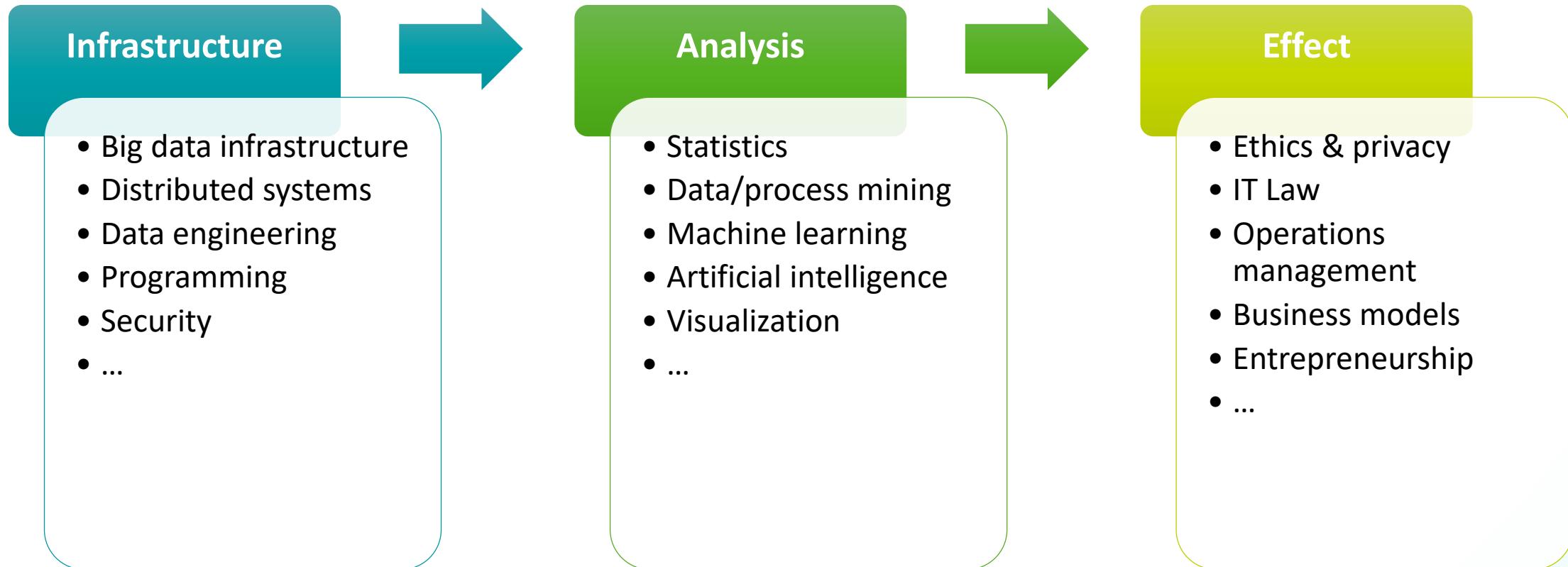
[2] Statista, as of 27.03.2023

Motivation – Data Scientist

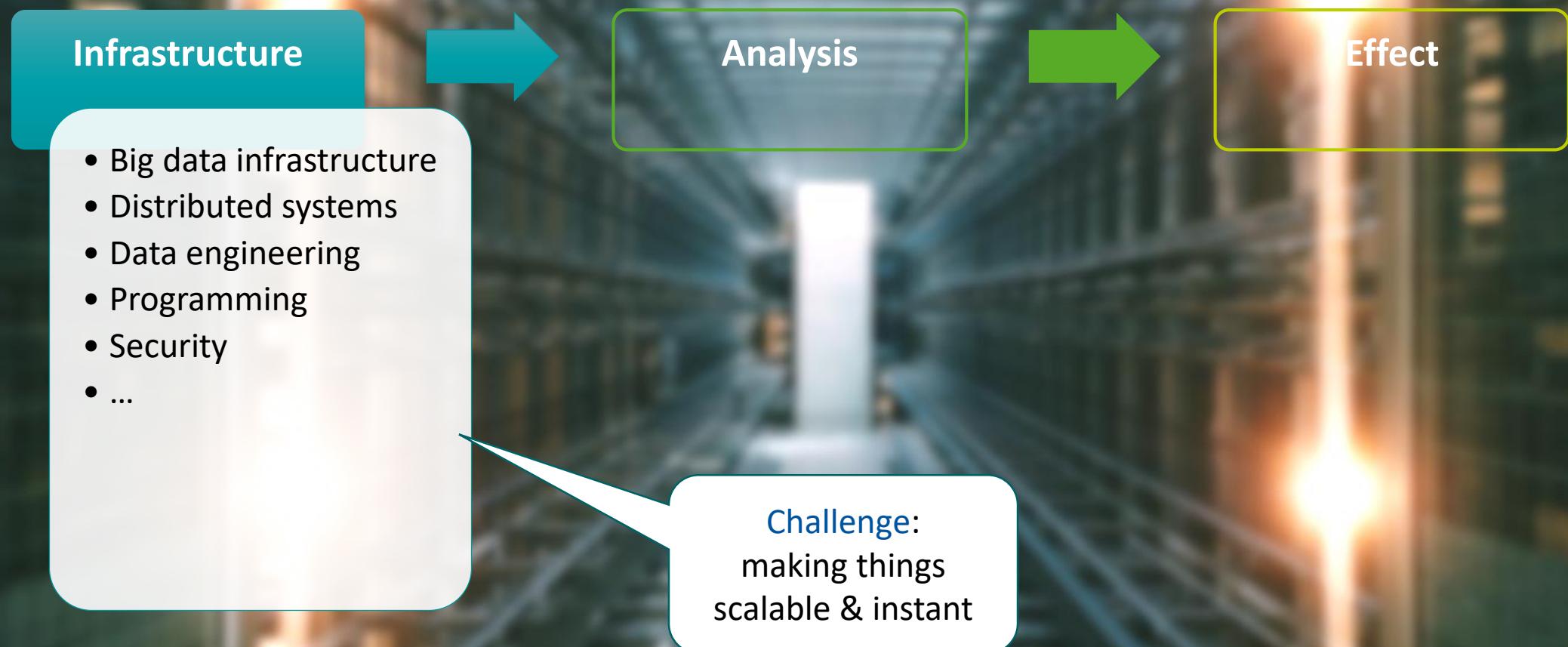


data scientist

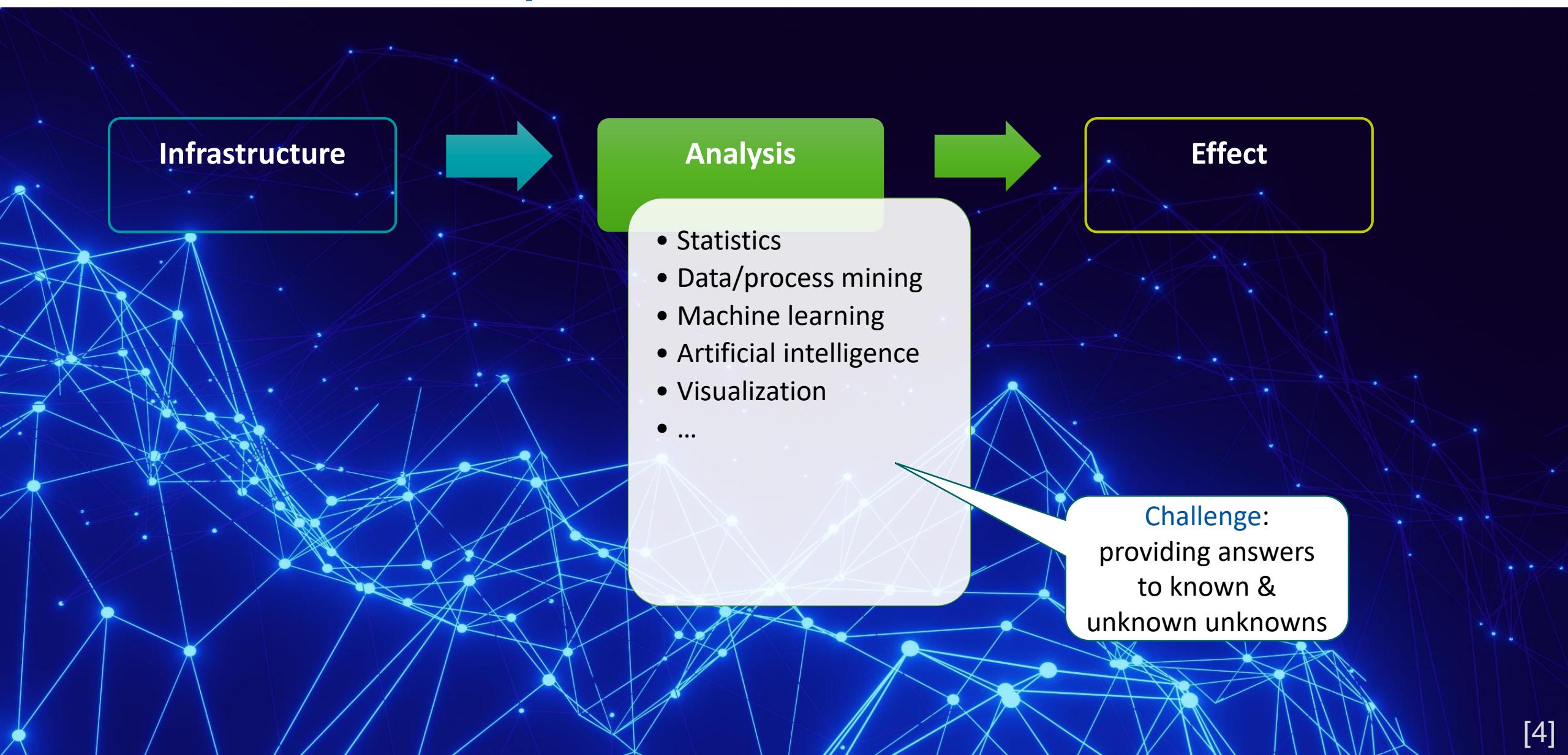
The Data Science Pipeline



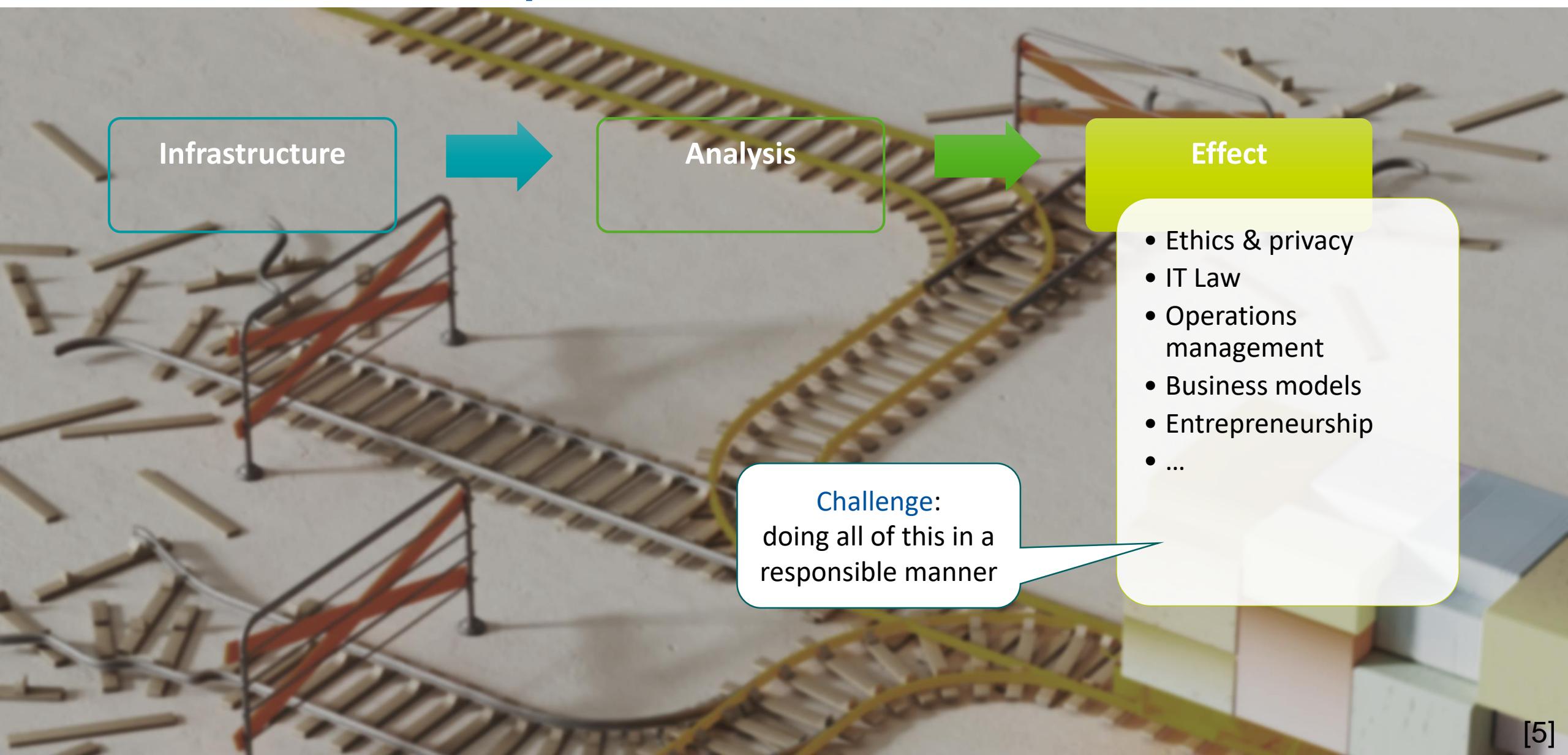
The Data Science Pipeline



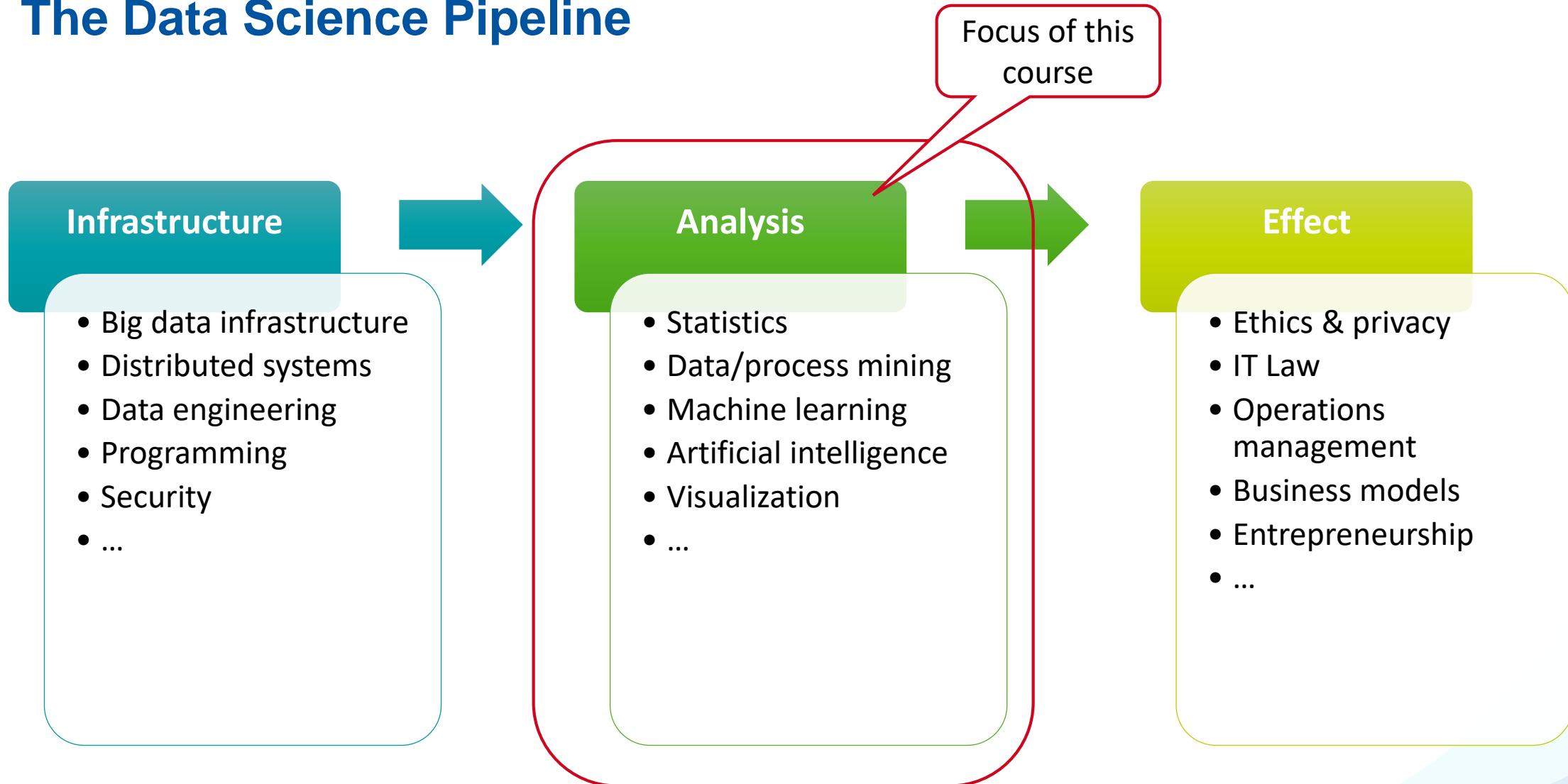
The Data Science Pipeline



The Data Science Pipeline



The Data Science Pipeline

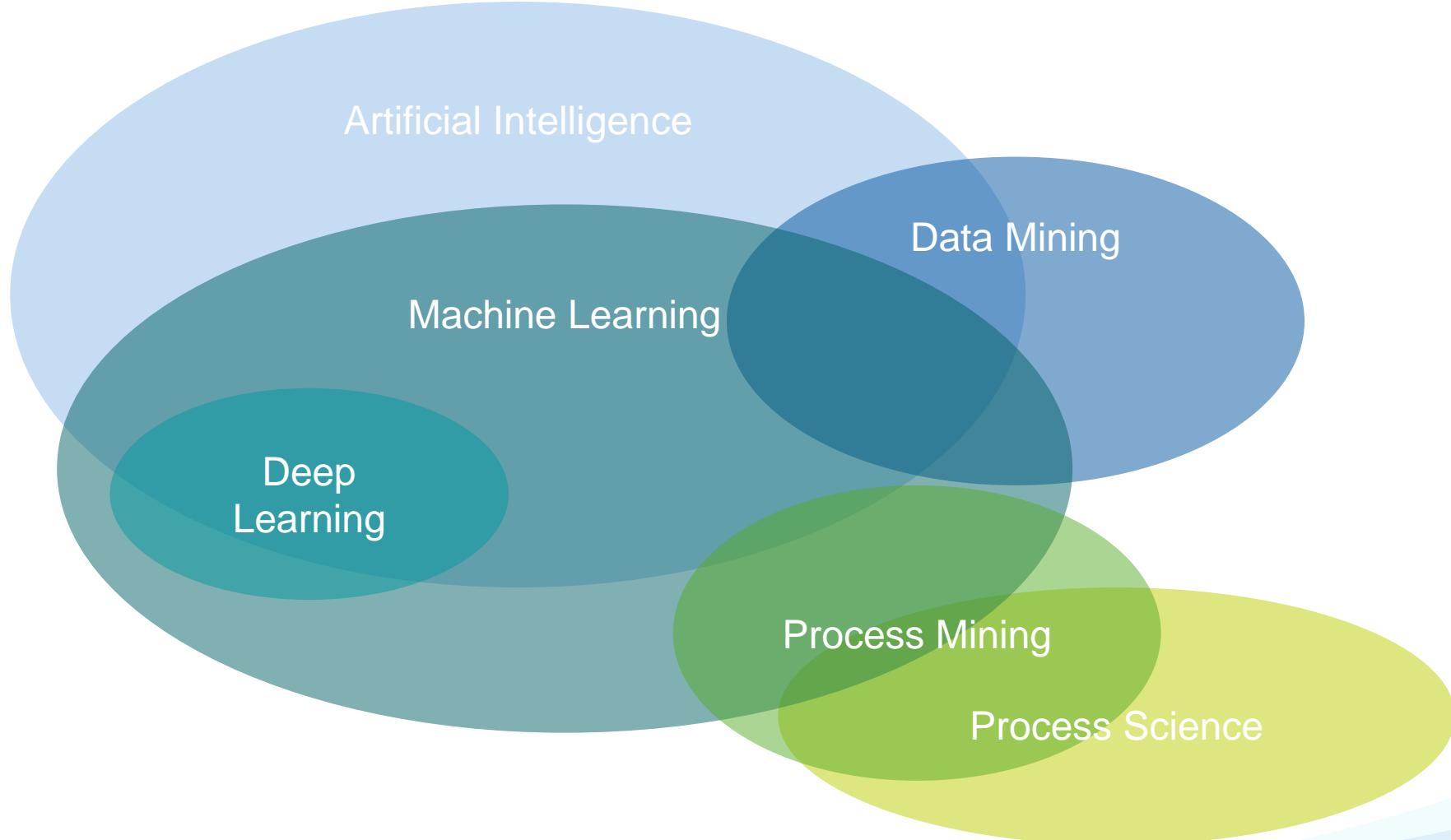


Terminology

- Many different names (statistics, data analytics, data mining, machine learning, artificial intelligence, predictive analytics, process mining, etc.) are used to refer to the key disciplines that contribute to data science
- Unfortunately, the areas these names describe are heavily overlapping and context dependent



Terminology



Data Science: A Definition

“Data science is an interdisciplinary field aiming to turn data into real value. Data may be structured or unstructured, big or small, static or streaming. Value may be provided in the form of predictions, automated decisions, models learned from data, or any type of data visualization delivering insights. Data science includes data extraction, data preparation, data exploration, data transformation, storage and retrieval, computing infrastructures, various types of mining and learning, presentation of explanations and predictions, and the exploitation of results taking into account ethical, social, legal, and business aspects.”

What actually is the *Data* in Data Science?

Example

- A restaurant owner wants to analyze the performance of their menu items ...
- You have collected the following data:

price	calories	vegetarian	spicy	bestseller
12.99	800	Yes	No	Yes
9.99	600	Yes	Yes	No
14.99	1000	No	Yes	No
11.99	700	No	No	Yes
8.99	500	Yes	No	No

Features

- Features are **raw** or **derived** (mean, median, max, min, rank, etc.)
- **Time** is a special feature:
 - It cannot decrease
 - We often want to predict the future based on the past
 - Vital in temporal data analysis (time series data, event data, sequential data, ...)

Example – Unlabeled Data

Unlabeled – no target feature selected

instances	features				
	price	calories	vegetarian	spicy	bestseller
	12.99	800	Yes	No	Yes
	9.99	600	Yes	Yes	No
	14.99	1000	No	Yes	No
	11.99	700	No	No	Yes
	8.99	500	Yes	No	No

Example – Labeled Data

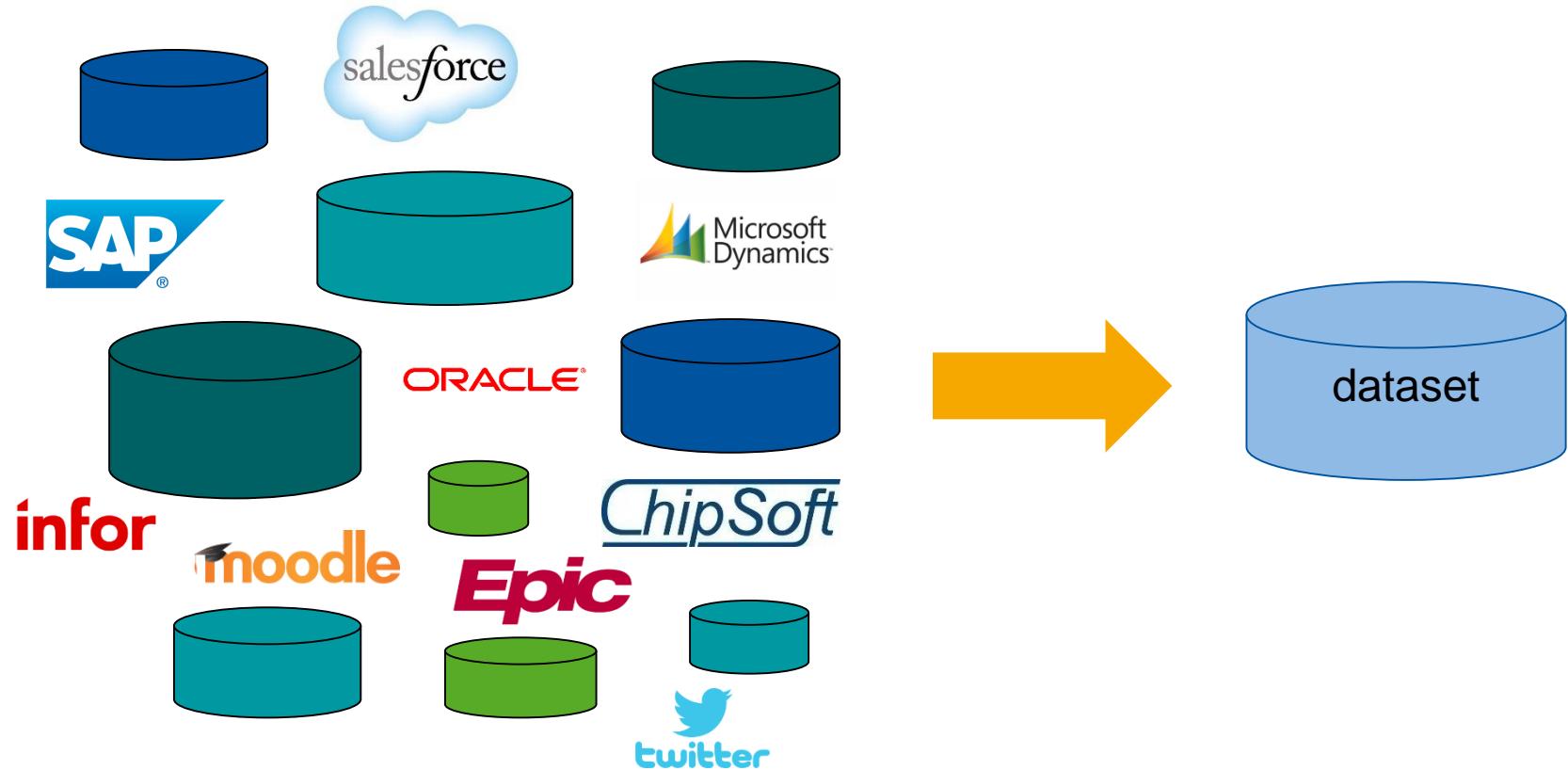
Labeled – designated target feature

The diagram illustrates a labeled dataset. A large callout bubble at the top right points to the last column, labeled "target feature (class label)". Another callout bubble points to the first four columns, labeled "descriptive features". The table itself has a vertical label "instances" on its left and a horizontal label "features" at the bottom.

instances	price	calories	vegetarian	spicy	bestseller
	12.99	800	Yes	No	Yes
	9.99	600	Yes	Yes	No
	14.99	1000	No	Yes	No
	11.99	700	No	No	Yes
	8.99	500	Yes	No	No

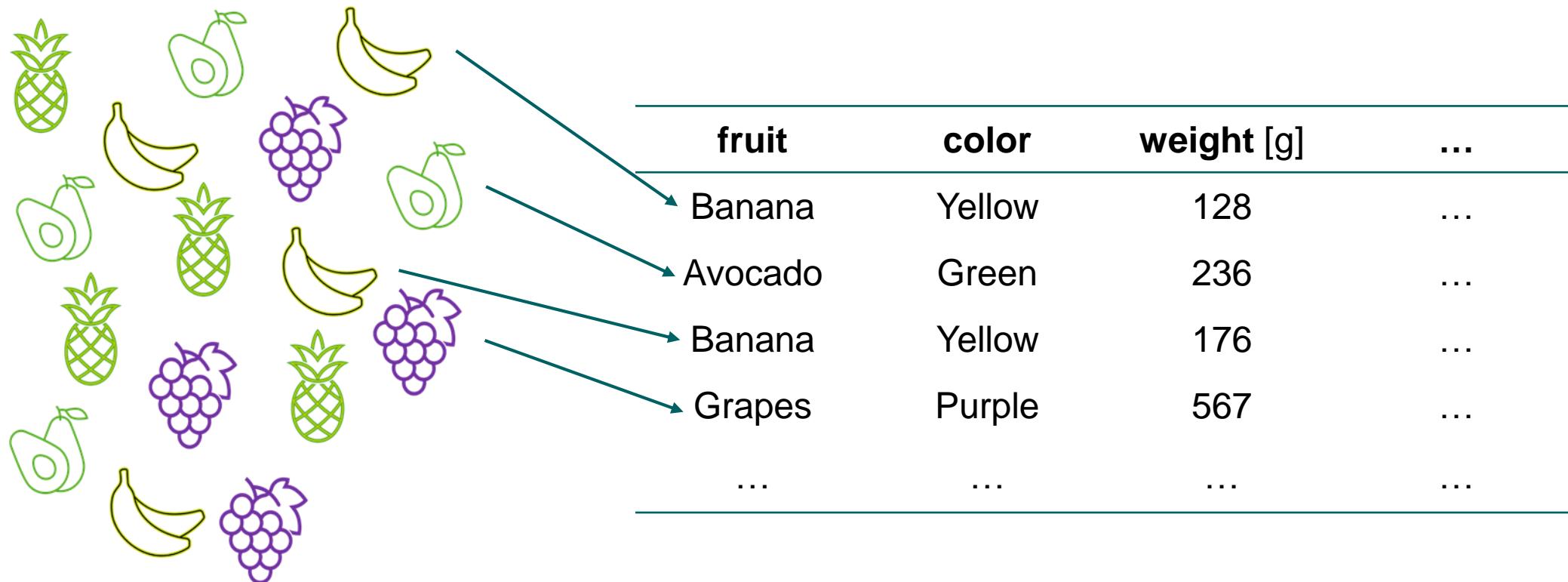
features

Extracting Data



80/20

Feature Extraction



Example – Instances and Features

- Rows – instances
- Columns – features

instances	features				
	price	calories	vegetarian	spicy	bestseller
	12.99	800	Yes	No	Yes
	9.99	600	Yes	Yes	No
	14.99	1000	No	Yes	No
	11.99	700	No	No	Yes
8.99	500	Yes	No	No	

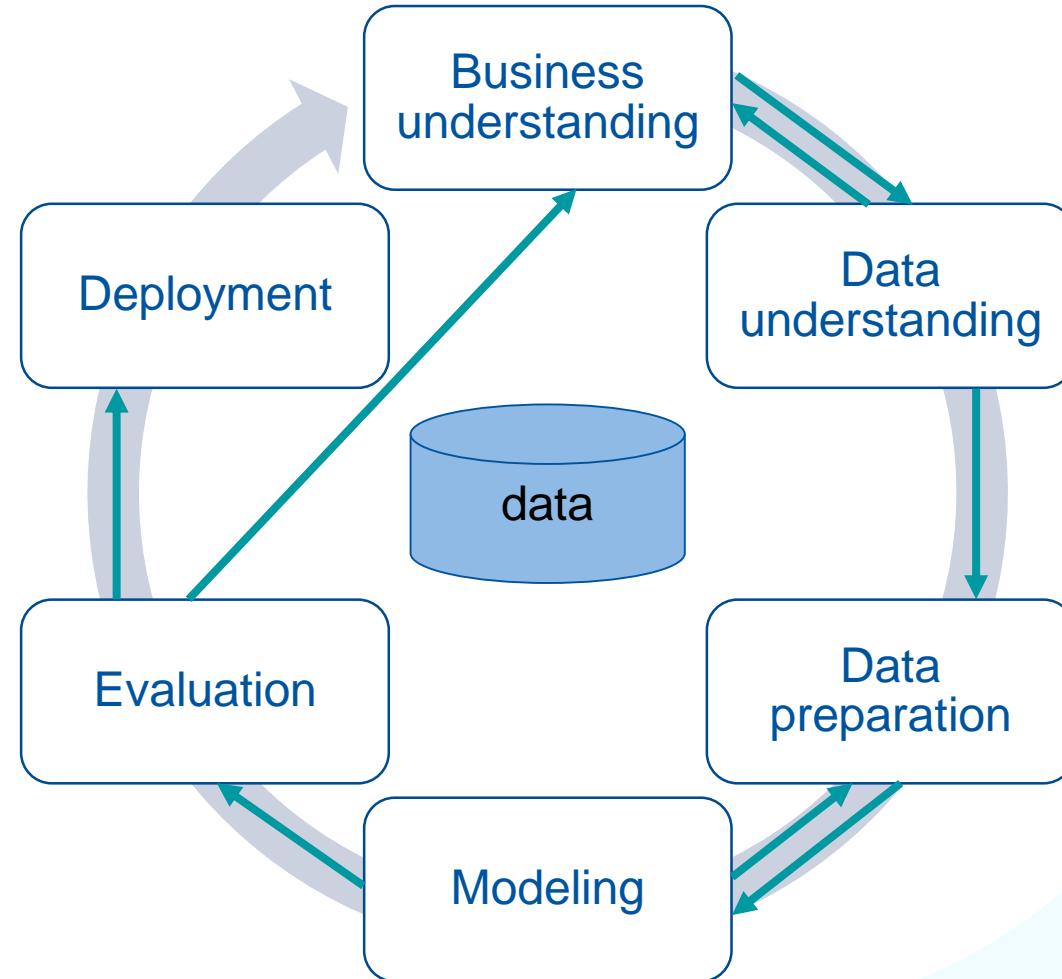
Data Science Is Complex and Requires a Structured Approach

“Data science is an interdisciplinary field aiming to turn data into real value. Data may be structured or unstructured, big or small, static or streaming. Value may be provided in the form of predictions, automated decisions, models learned from data, or any type of data visualization delivering insights. Data science includes data extraction, data preparation, data exploration, data transformation, storage and retrieval, computing infrastructures, various types of mining and learning, presentation of explanations and predictions, and the exploitation of results taking into account ethical, social, legal, and business aspects.”

Wil van der Aalst. Process Mining: Data Science in Action. Springer-Verlag, Berlin, 2016.

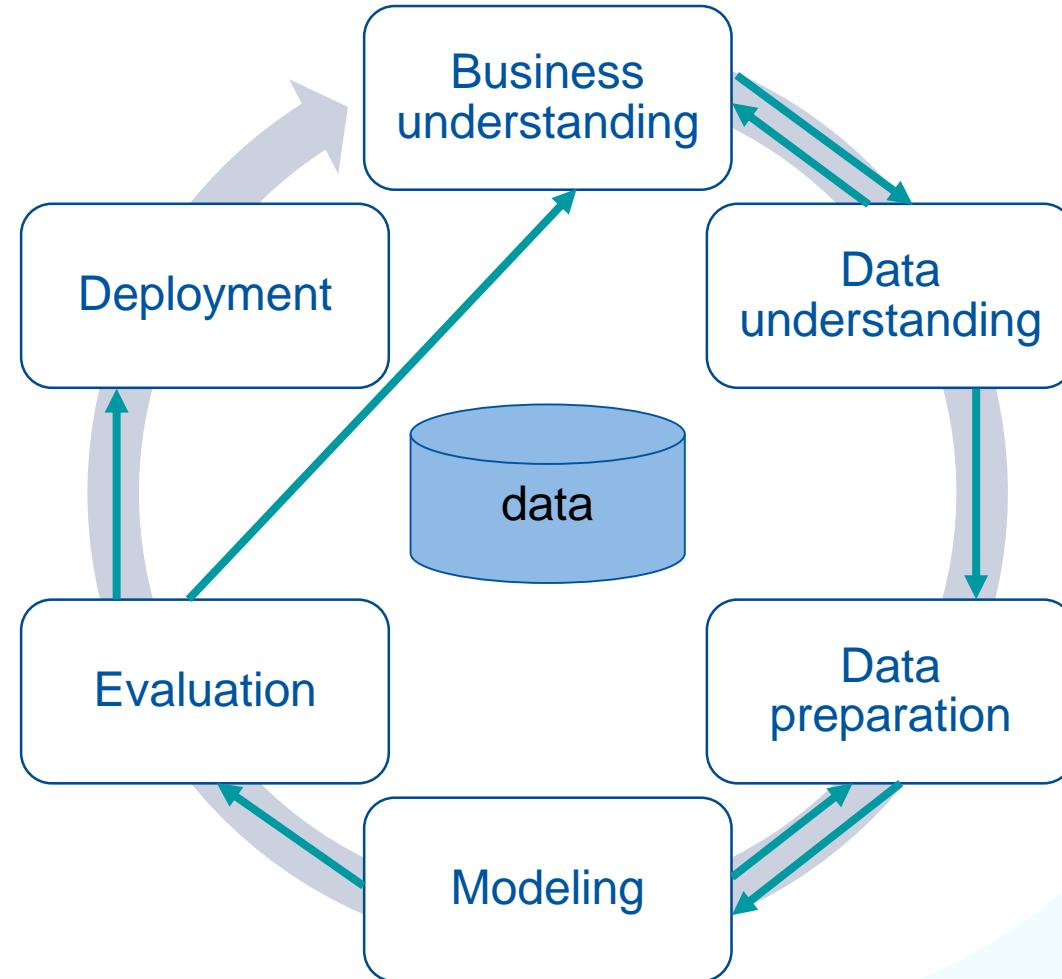
Cross-Industry Standard Process for Data Mining (CRISP-DM)

- Developed in the late 90s
- Its structure is quite obvious
- Details: Pete Chapman (1999)
‘The CRISP-DM User Guide’
- Any similar life-cycle models

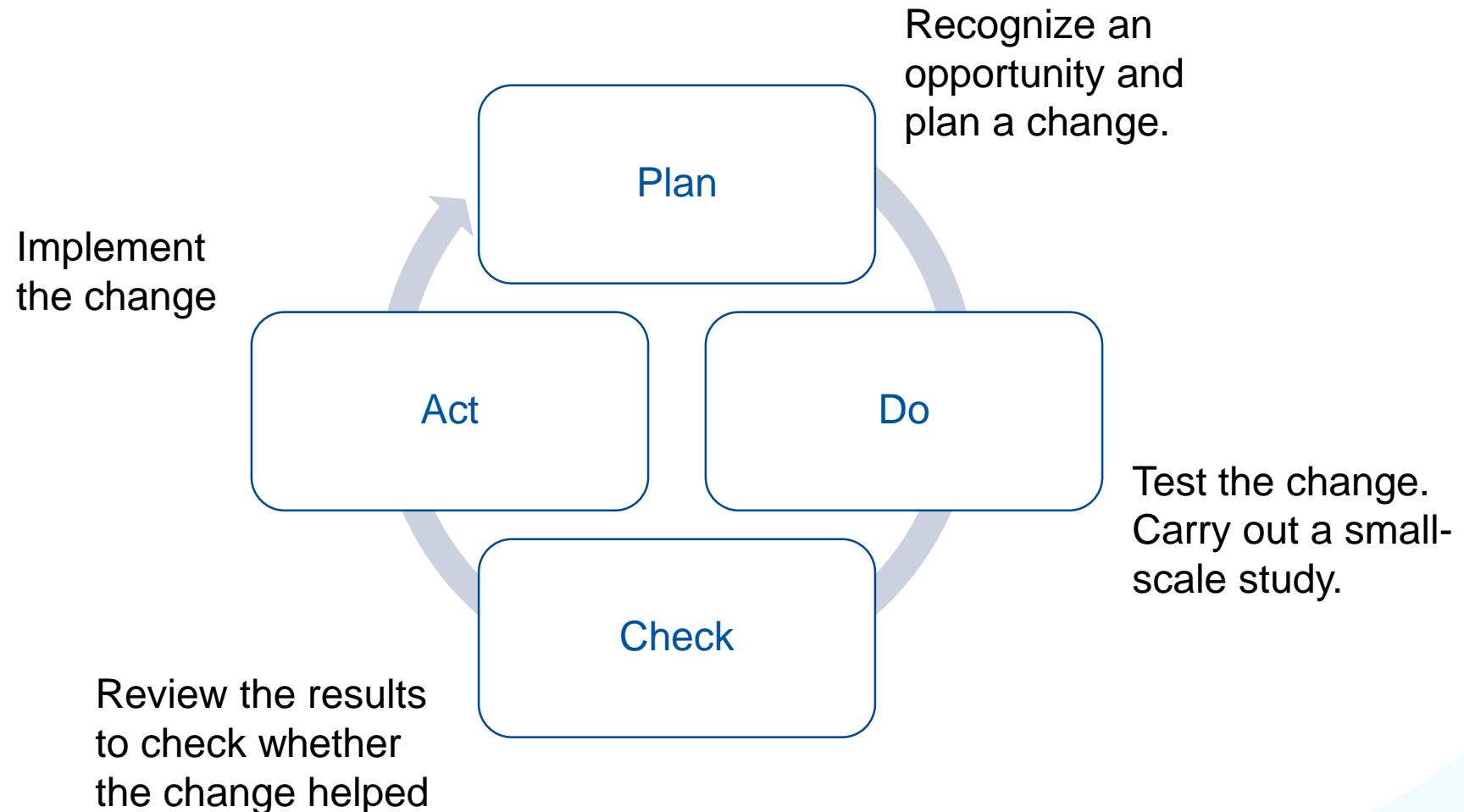


Cross-Industry Standard Process for Data Mining (CRISP-DM)

1. Business understanding – What does the organization need?
2. Data understanding – What data do we have?
3. Data preparation – How do we prepare the data for analysis?
4. Modeling – What modeling techniques should we apply?
5. Evaluation – Which model best meets the business objectives?
6. Deployment – How do stakeholders access and use the results?



Plan-Do-Check-Act (PDCA)



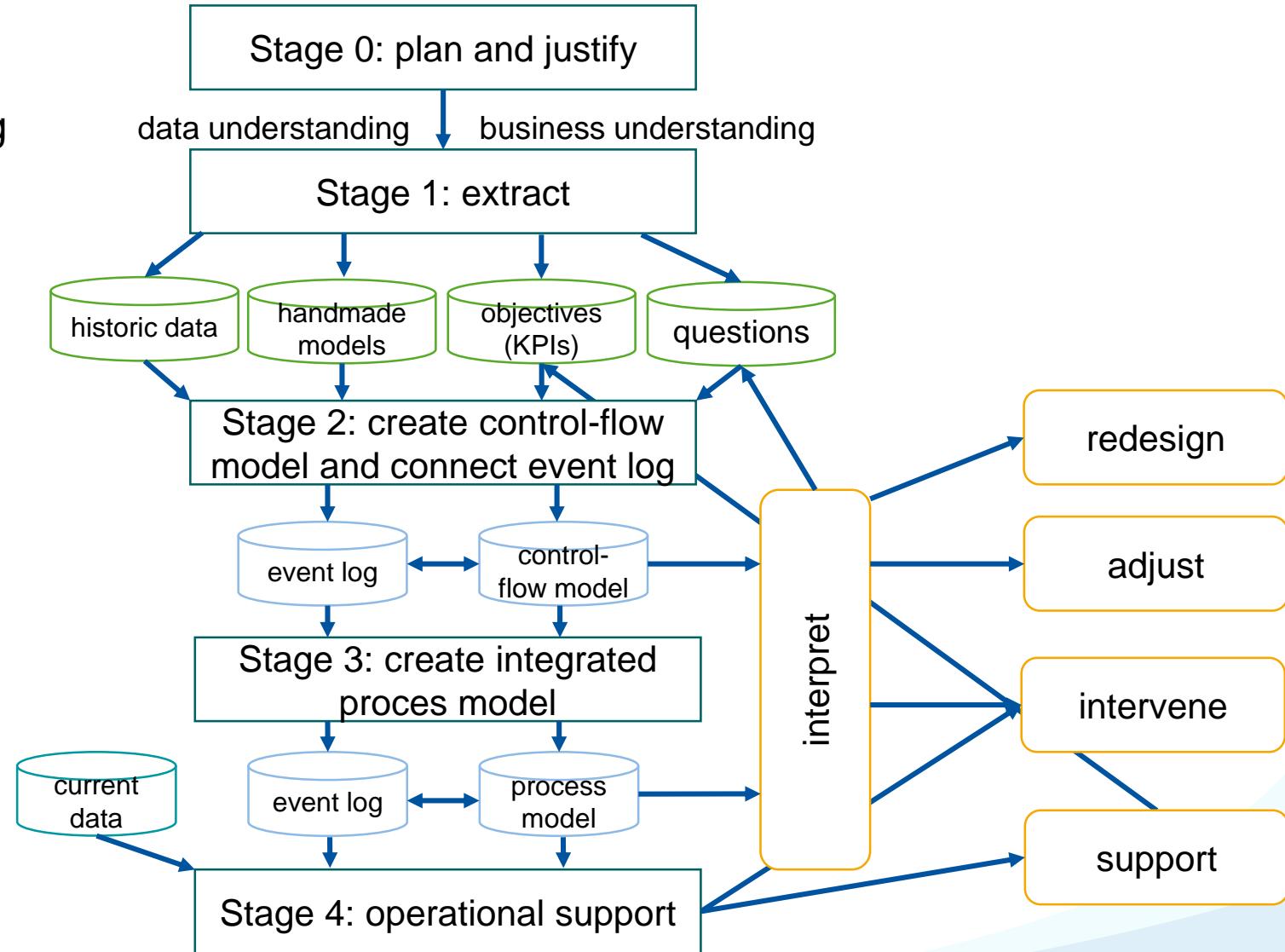
Define-Measure-Analyze-Improve-Control (DMAIC)

Define	Measure	Analyze	Improve	Control
<ul style="list-style-type: none">• Launch team• Establish charter• Plan project• Gather VOC/VOB• Plan for change	<ul style="list-style-type: none">• Document the process• Collect baseline data• Narrow project focus	<ul style="list-style-type: none">• Analyze data• Identify root causes• Identify and remove waste	<ul style="list-style-type: none">• Generate solutions• Evaluate solutions• Optimize solutions• Pilot• Plan and implement	<ul style="list-style-type: none">• Control the process• Validate project benefits

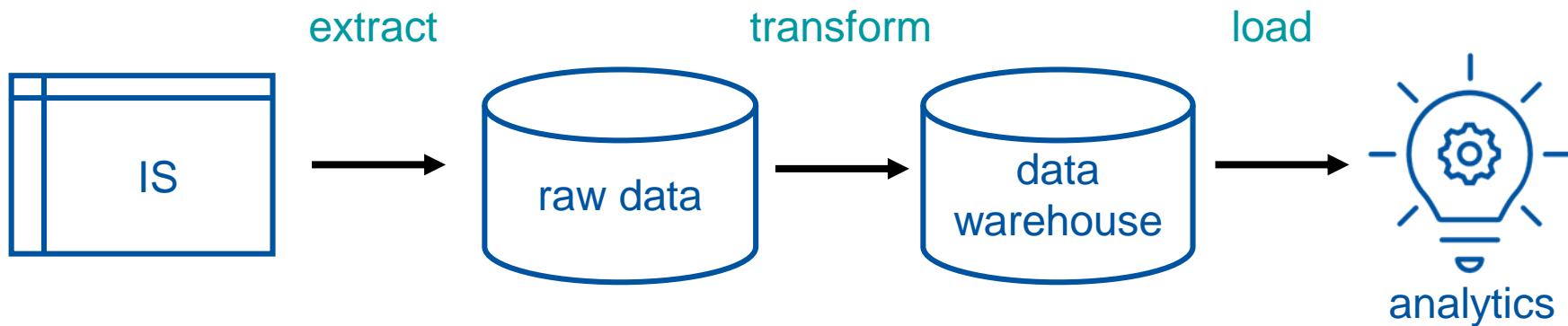
Often used as part of the Six Sigma methodology

L* Lifecycle Model

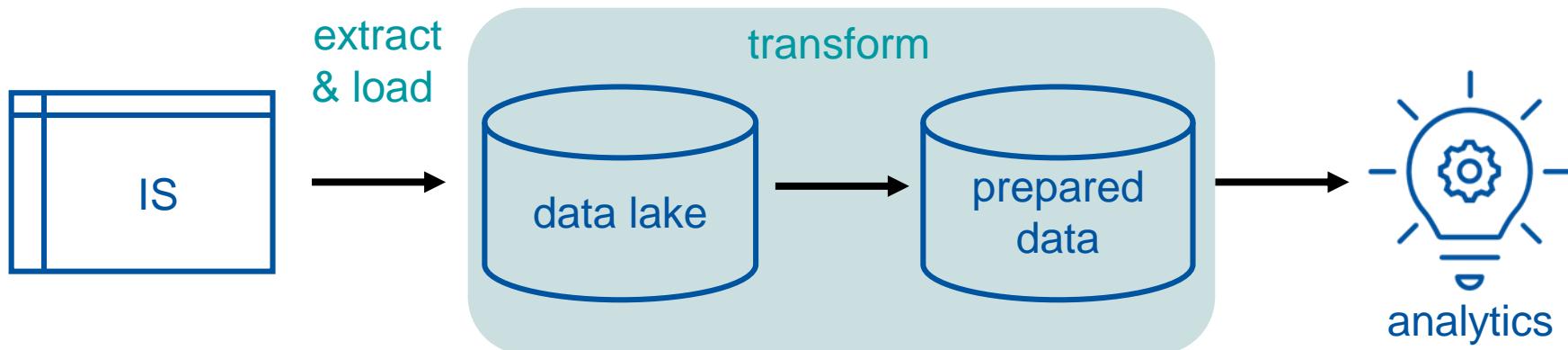
Specific for process mining



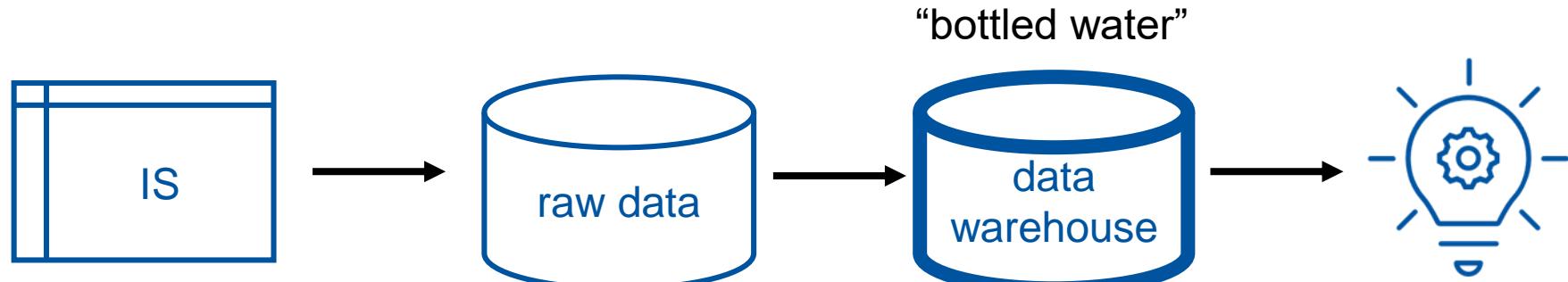
Extract-Transform-Load (ETL)



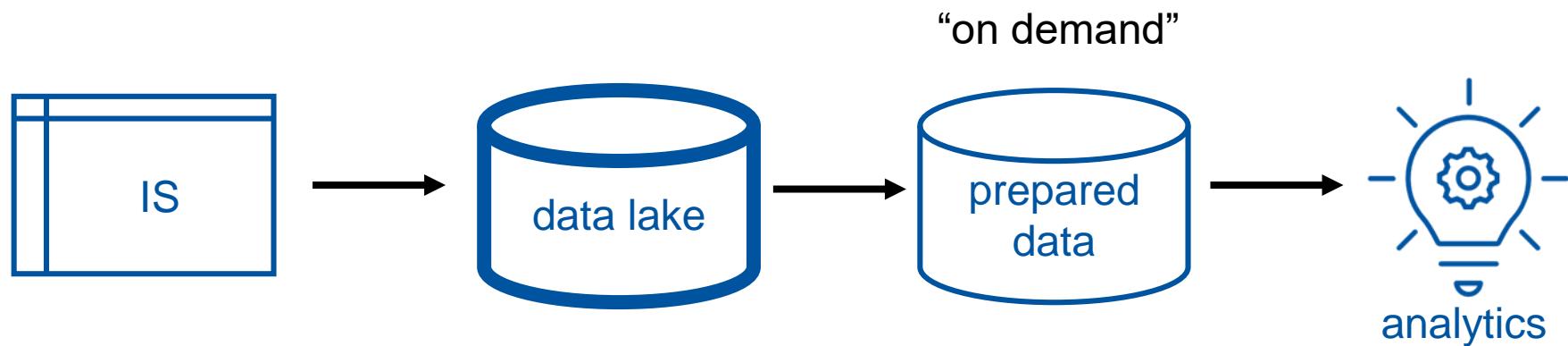
Extract-Load-Transform (ELT)



Differences



Extract-Transform-Load (ETL)



Extract-Load-Transform (ELT)

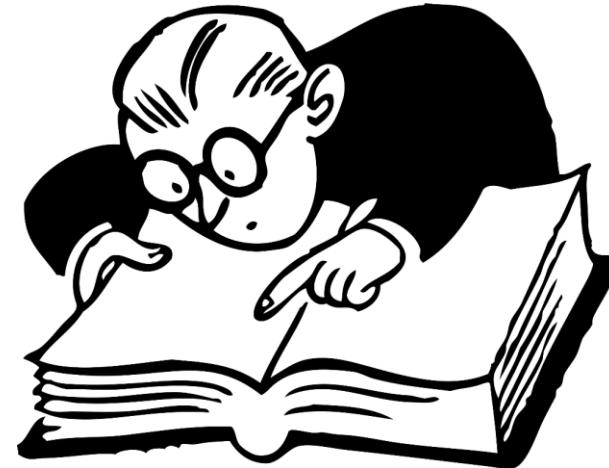
Organizational Issues

- Project or a continuous effort?
- Involve all stakeholders (users, customers, process owners, managers, board level, etc.)
- Positive Return-on-Investment (ROI) requires actionable insights
- Prepare for resistance (privacy concerns, data quality excuses, fear of transparency, etc.)
- Requires change management

Important, but ... our focus will be on data science techniques

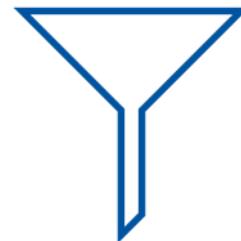
Finding Data

- There may be hundreds or thousands of tables
- There may exist many different entities that are less or not at all relevant



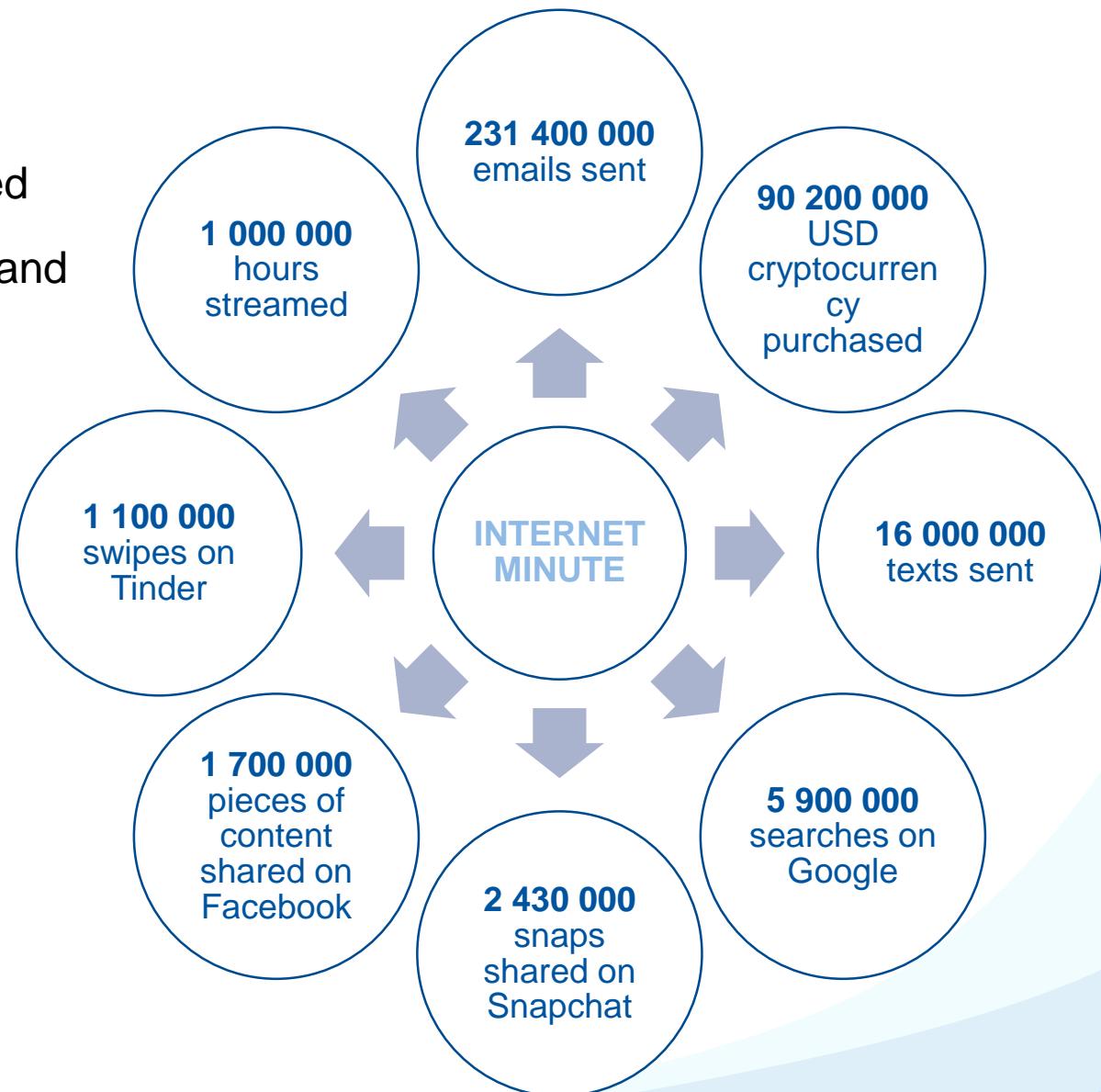
Preparing the Data

- Reorganizing data, filtering data, etc.
- Extracting relevant features
- **Normalization** (elimination of the effects of varying scales and units in different features, allowing for more accurate comparisons)
- **Sampling** (making data smaller or removing/changing a sample bias)



Big Data

- Lots of data (e.g. transactions) are recorded
- Need to have the ability to save, compare and analyze the collected data
- Requires distribution and concurrency



Streaming Data

- Data is generated continuously and processed in real-time
- Data is not stored in a database for later analysis
- Challenge: processing the data in real-time, need to handle the volume and velocity



Streaming Data

- Data is generated continuously and processed in real-time
- Data is not stored in a database for later analysis
- Challenge: processing the data in real-time, need to handle the **volume** and **velocity**



Source: De Agostini Editorial/Getty Images



Source: NatGeo

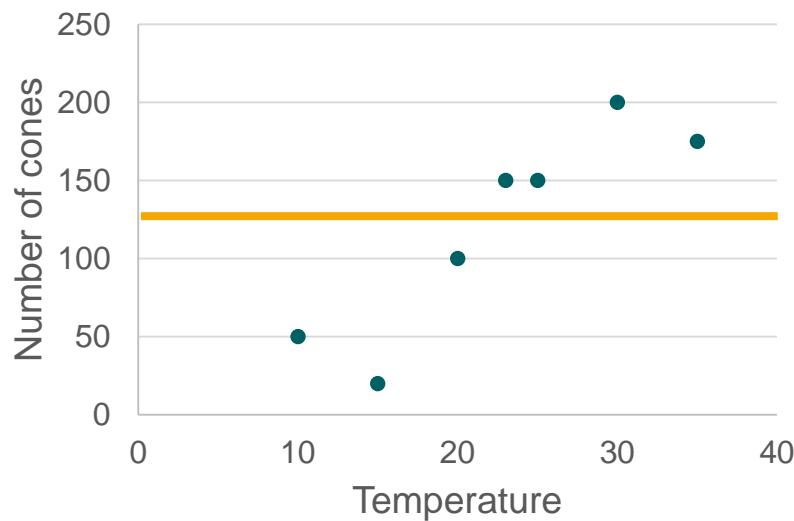
Data Quality

- Data may be:
 - Incomplete
 - Invalid
 - Inconsistent
 - Imprecise
 - Outdated
- Challenge: detecting and handling such issues

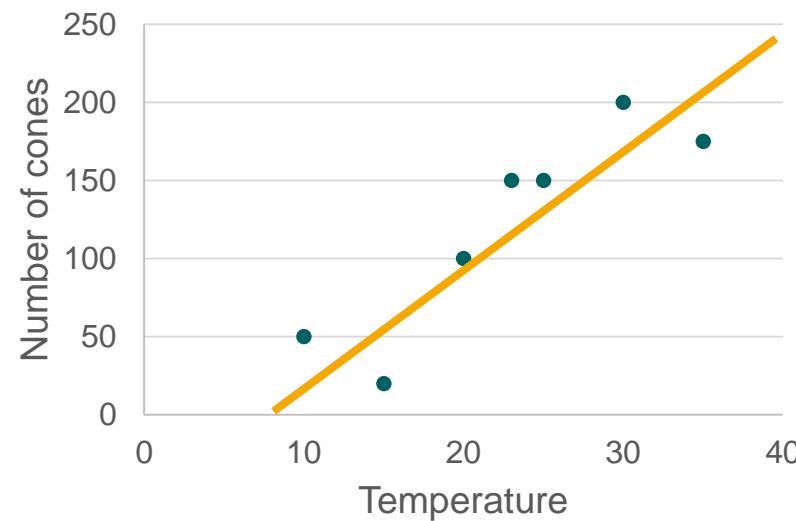


Overfitting and Underfitting

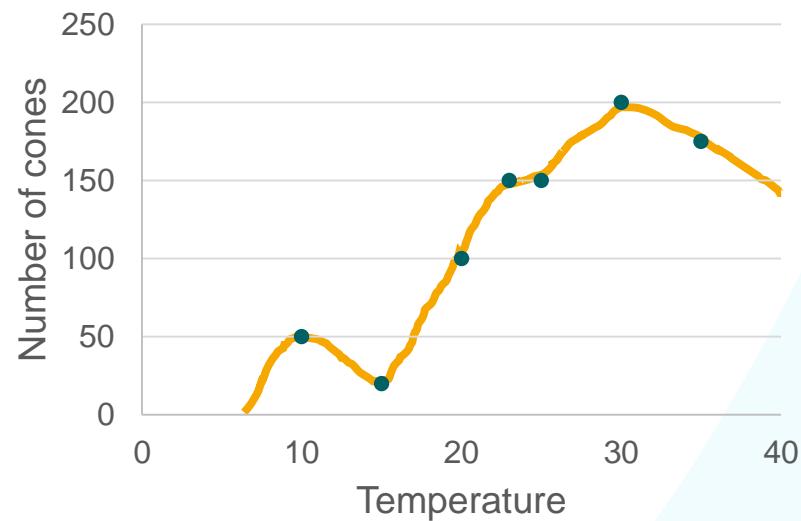
Underfitting



Optimal



Overfitting



Concept Drift

- Properties of the data change over time and thus the performance of a model decreases
- The data that the model is trained on no longer represents the real-world data
- Challenge: when to update the model with new data



Turning Insights into Action



- Predicting the inevitable does not help much
- What can be influenced?
- Is there still time?

Concerns – Responsible Data Science

- Responsible Data Science advocates the development of techniques, algorithms, tools, laws, ethical/social principles for ensuring **fairness**, **accuracy**, **confidentiality** and **transparency** covering the whole data science pipeline



Concerns – Responsible Data Science

- Responsible Data Science advocates the development of techniques, algorithms, tools, laws, and ethical/social principles for ensuring **fairness**, **accuracy**, **confidentiality** and **transparency** covering the whole data science pipeline
- **Fairness**: How to avoid unfair conclusions even if they are true?
- **Accuracy**: How to answer questions with a guaranteed level of accuracy?
- **Confidentiality**: How to answer questions without revealing secrets?
- **Transparency**: How to clarify answers such that they become indisputable?



III-posed Problems

- A problem is **well-posed** if
 - A solution **exists**
 - The solution is **unique**
- Problems in data science are often **ill-posed**:
 - **Many possible models** explaining observed phenomena
 - Data set is just a **sample** and does not represent the whole population
 - **Noise** in the data set
 - The result needs to **generalize** to have predictive or explanatory value



Data Types

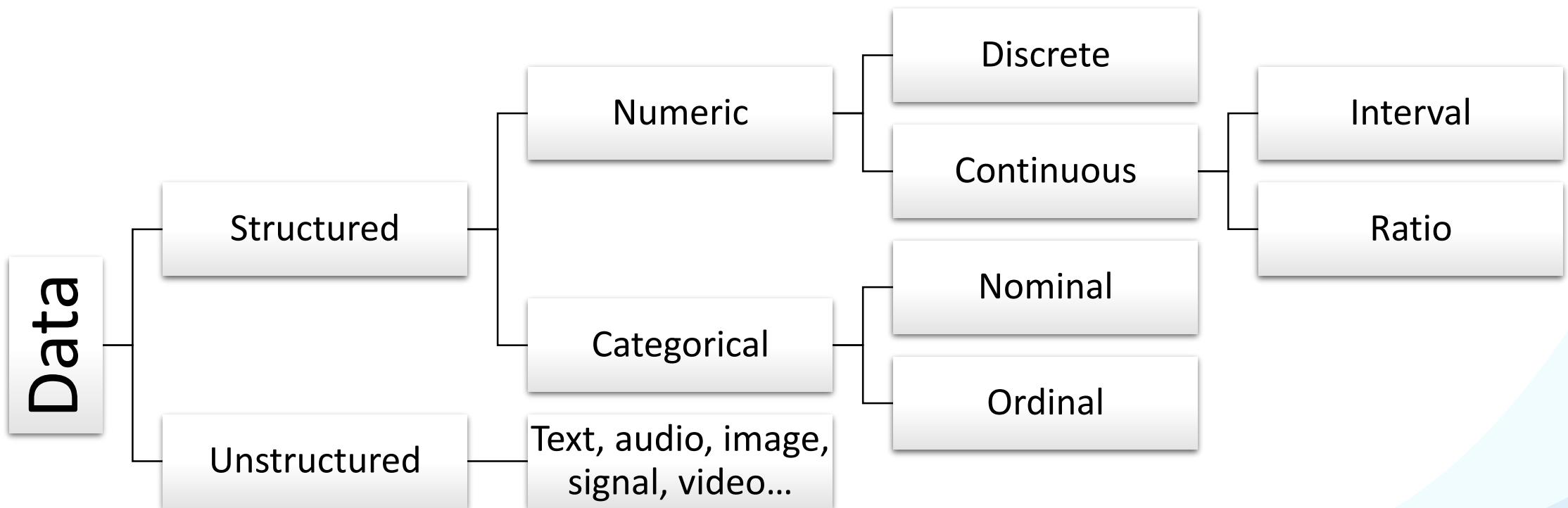
Tabular Data

Feature values can have various types - knowing these data types is essential for correct data analysis and data processing!

instances	features				bestseller
	price	calories	vegetarian	spicy	
	12.99	800	Yes	No	Yes
	9.99	600	Yes	Yes	No
	14.99	1000	No	Yes	No
	11.99	700	No	No	Yes
	8.99	500	Yes	No	No

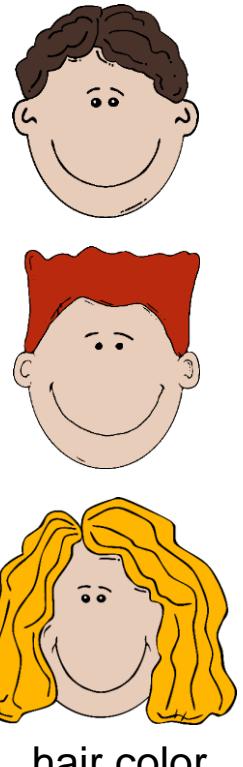
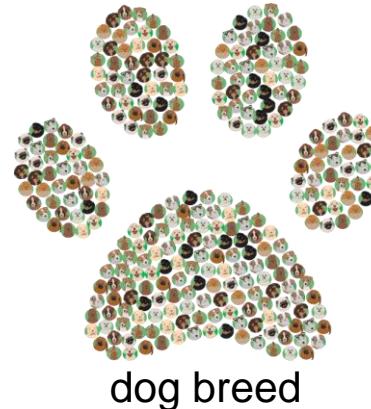
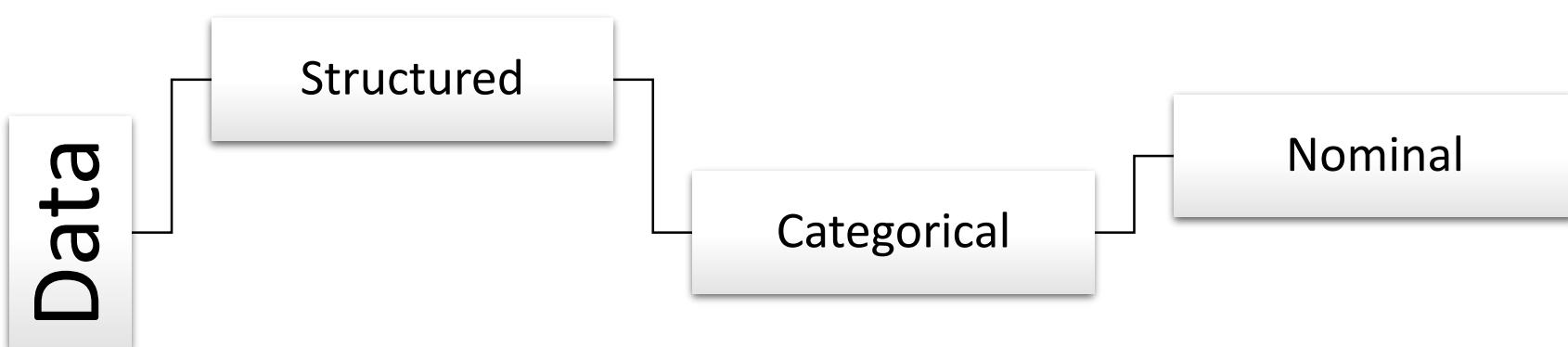
Data Types Overview

Feature values can have various types - knowing these **data types** is essential for correct data analysis and data processing!



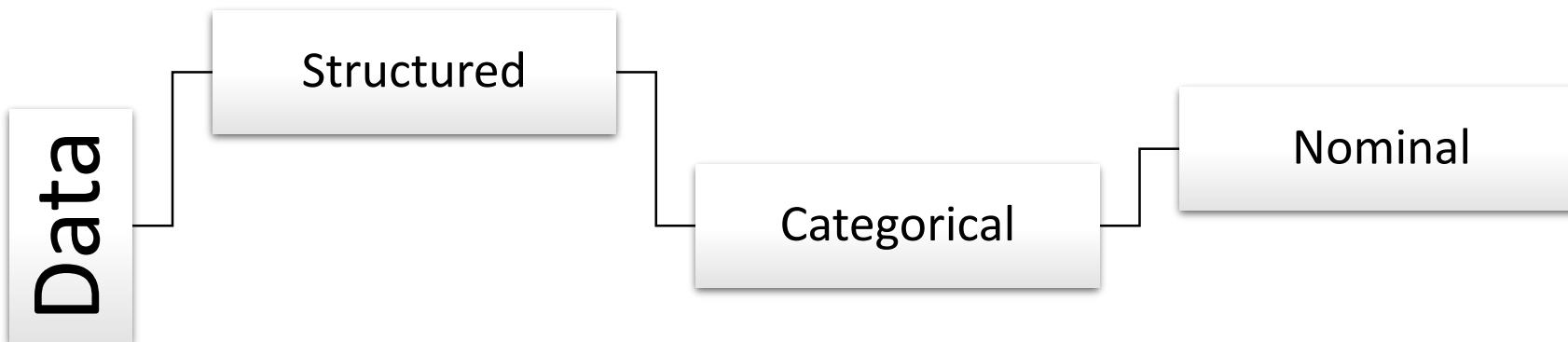
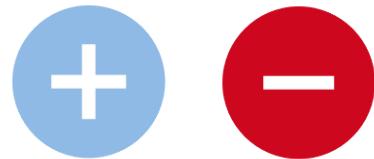
Data Types - Nominal

- Represents category, code or state
- Ordering of the values has no meaning
(e.g., blonde hair is not better than brown hair)



Data Types - Binary

- Special case of nominal: Binary
- Only two categories (often 0 and 1)
- Symmetric: both values are equal (subjectively or frequency based)
- Asymmetric: one value is normal/default, the other exception



Data Types - Ordinal

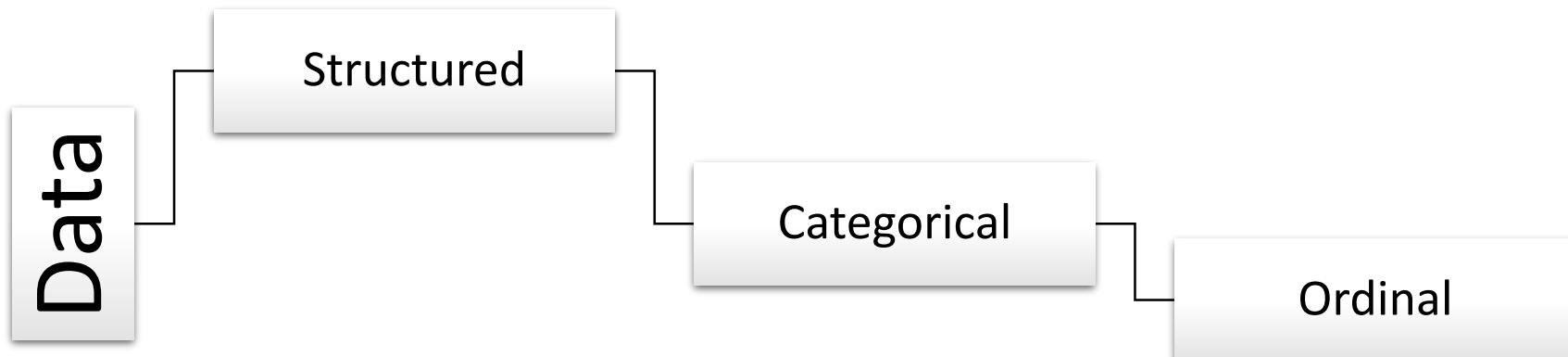


grades



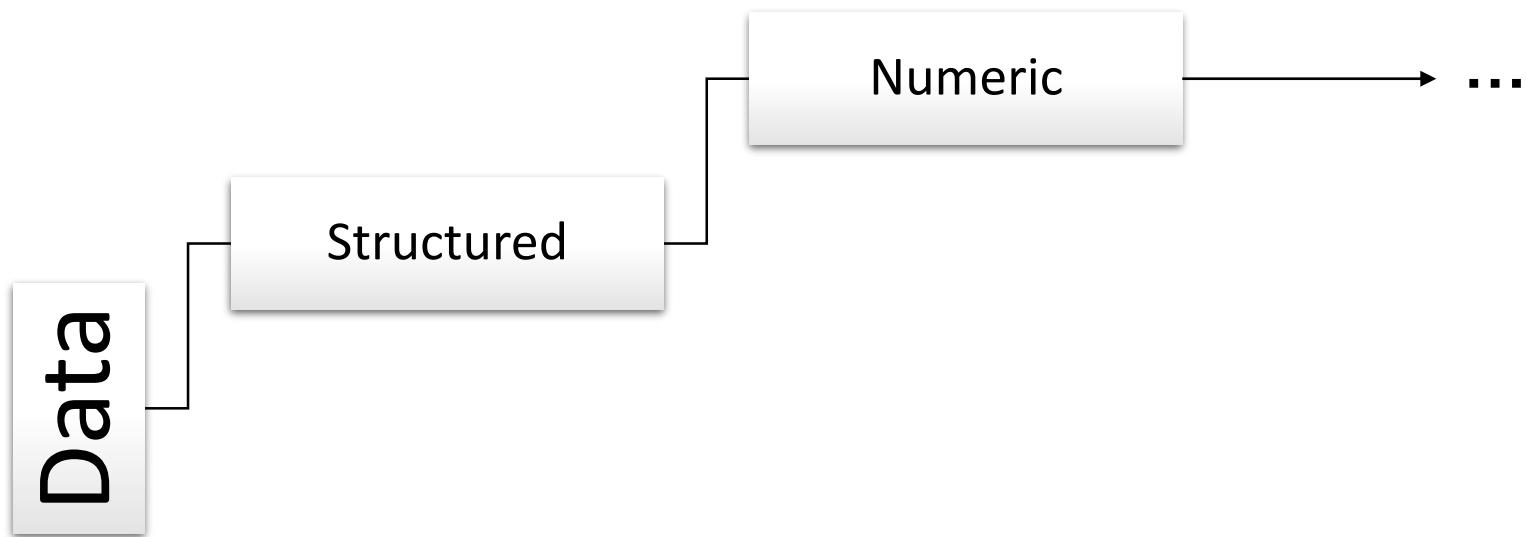
customer satisfaction

- Values have a meaningful order
 - high, medium, low
 - excellent, good, satisfactory, poor
 - lightning fast, quick, slow
 - strongly agree, agree, indifferent, disagree, strongly disagree
- The difference between successive values cannot be quantified



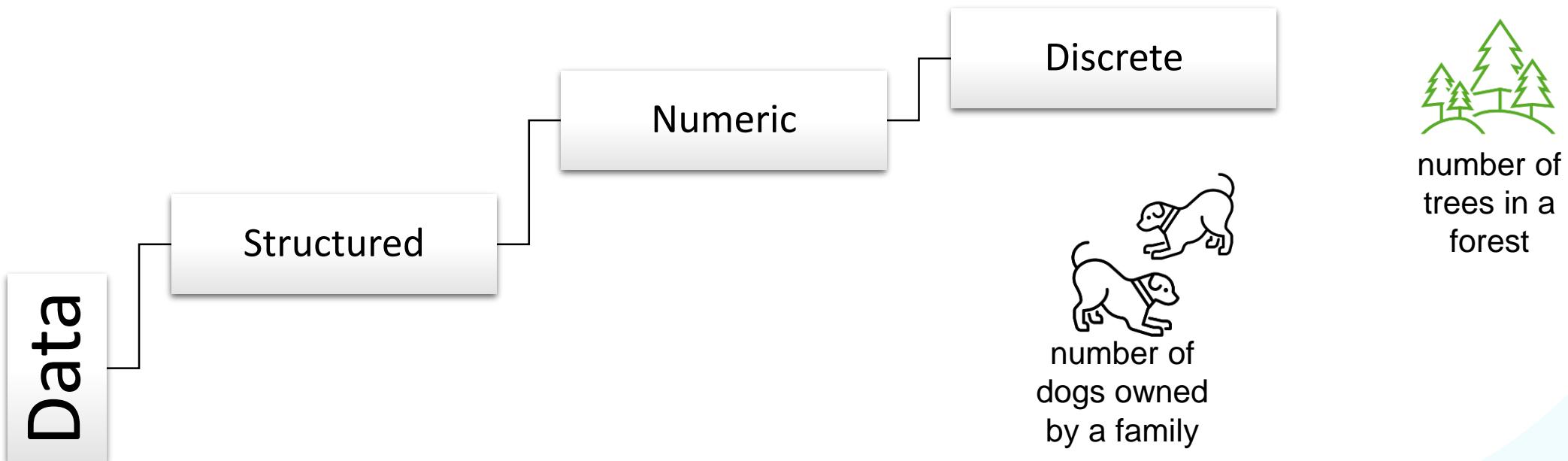
Data Types - Numeric

- Measurable quantities
- Differences can be quantified
- Mean, median, mode, variance, etc. can be computed



Data Types – Discrete

- Numeric
- Can be counted



Data Types - Interval

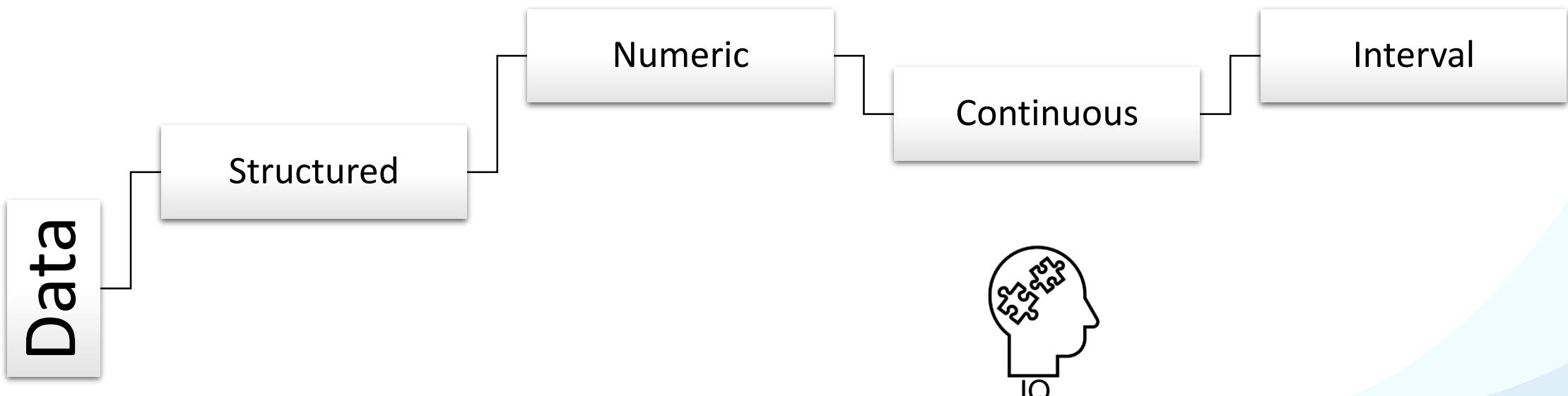
- Scale of equal-sized units with quantifiable difference between the units
- A zero may not exist, values may go negative



coordinates

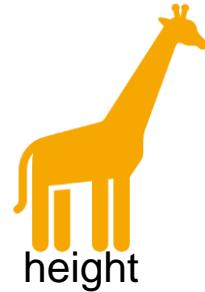
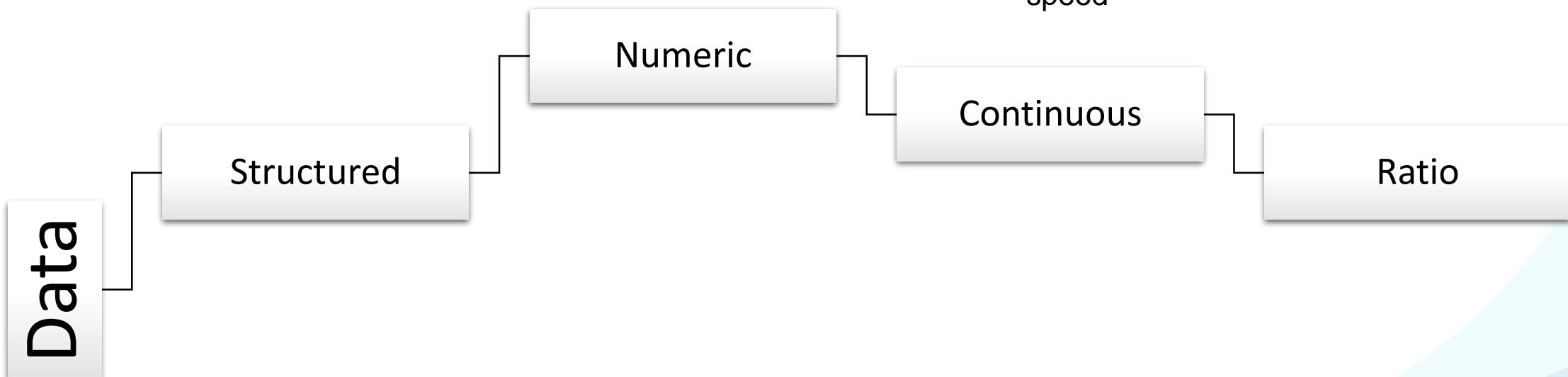


temperature
(Celsius, Fahrenheit)

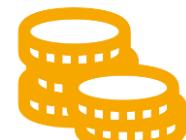


Data Types - Ratio

- Multiples/ratios can be identified (e.g., three times as heavy, four times as fast, etc.)
- The scale ends at zero (0 kg, 0 km/h, 0 Kelvin)



temperature
(Kelvin)



monetary
values

Data Types - Unstructured

- Text, audio, video, etc.
- Can be turned into structural data
- Examples: multiset of words or n-grams to describe a text, or pixel information for images



Data

Unstructured

Text, audio, image,
signal, video...

Data Types - Unstructured

- Extremely prevalent in Big Data
- Huge opportunity for novel transformation/extraction approaches
 - e.g. NLP
- Misnomer, as data may be structured, just not to an appreciable degree under the current viewpoint

Data

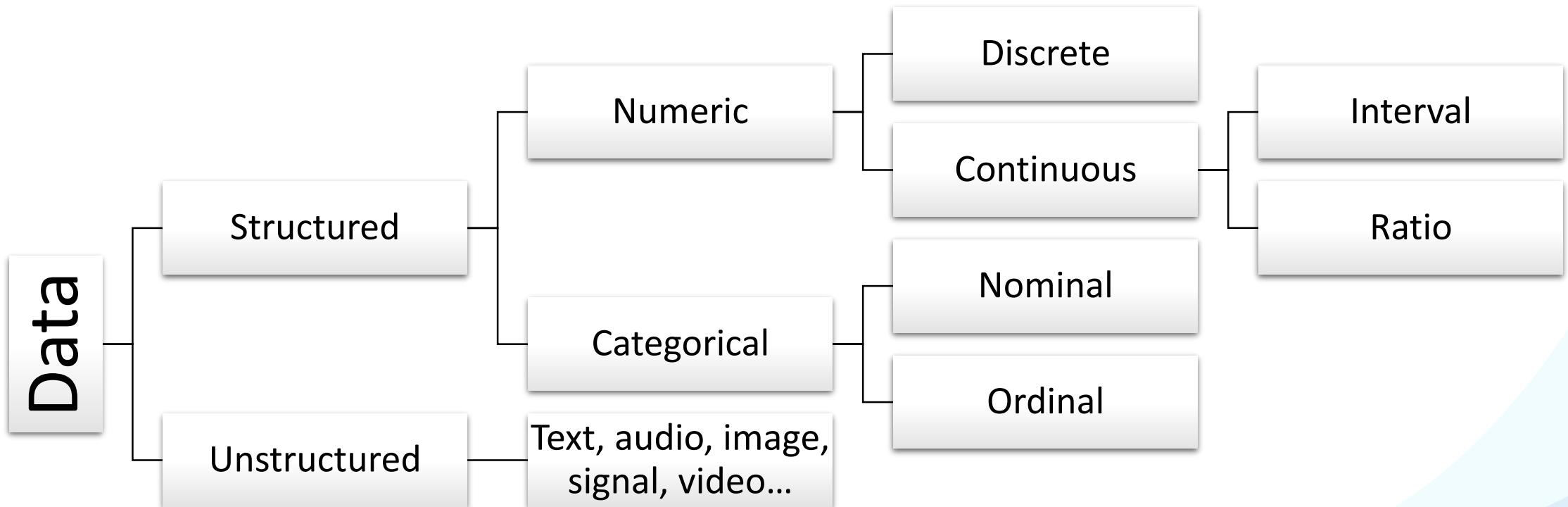
Unstructured

Text, audio, image,
signal, video...



Data Types Overview

- Data types are essential for correct data analysis and data processing!



Conclusion

- Data can be **unstructured** (e.g., text) but turned into e.g., vectors
- Most techniques are based on **tabular data** (especially the basic ones)
- The **data type** is vital for the correct data processing and analysis

price	calories	vegetarian	spicy	bestseller
12.99	800	Yes	No	Yes
9.99	600	Yes	Yes	No
14.99	1000	No	Yes	No
11.99	700	No	No	Yes
8.99	500	Yes	No	No

Descriptive Statistics Repetition

Individual Features - Continuous

x
1.5
2.7
3.1
4.2
5.5
6.9
7.6
8.1
9.3
10.0

Count = 10
Number of instances

Usually denoted
by N in this course

Individual Features - Continuous

x	Count = 10
1.5	Number of instances
2.7	Cardinality = 10
3.1	Number of unique values
4.2	
5.5	
6.9	
7.6	
8.1	
9.3	
10.0	

Individual Features - Continuous

x	Count = 10
1.5	Number of instances
2.7	Cardinality = 10
3.1	Number of unique values
4.2	Min = 1.5
5.5	Minimum value
6.9	
7.6	
8.1	
9.3	
10.0	

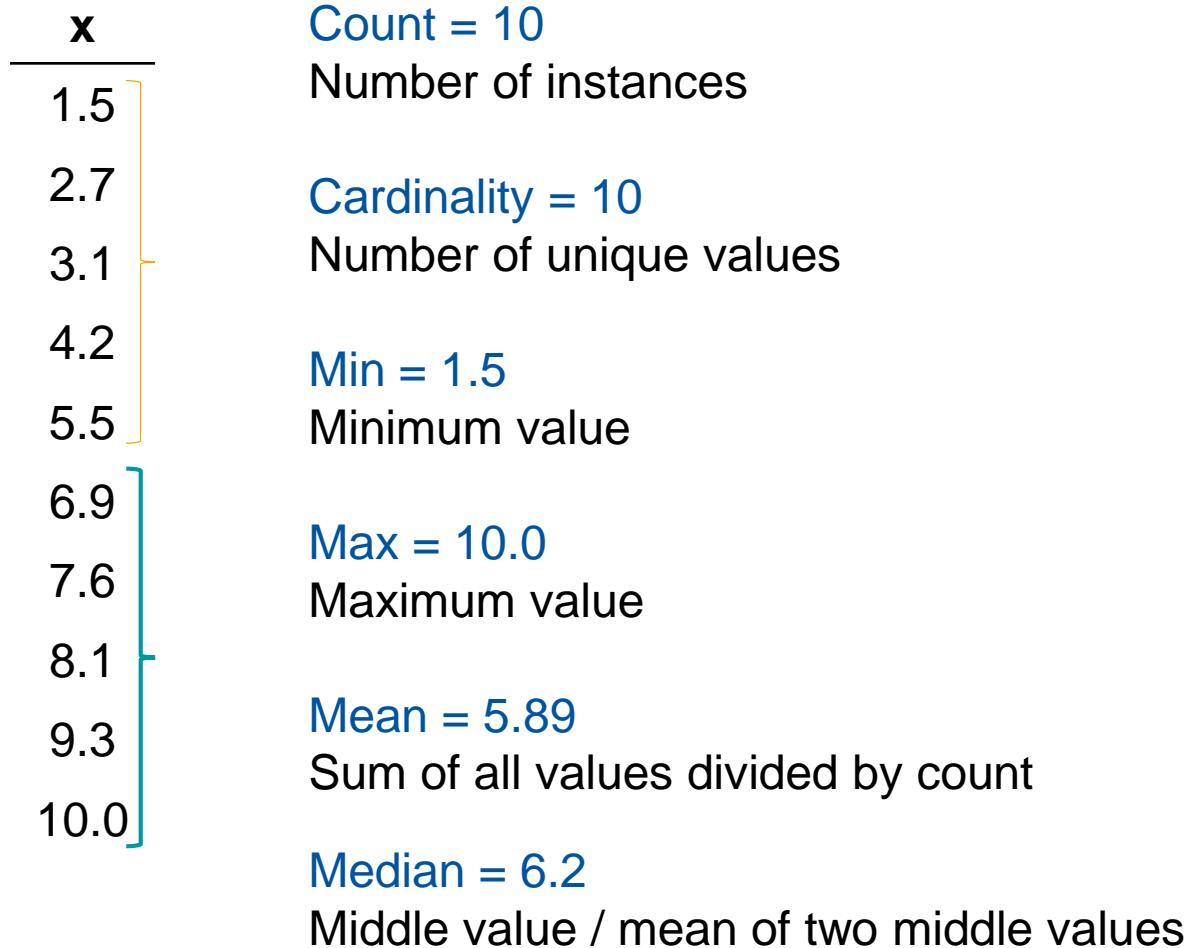
Individual Features - Continuous

x	Count = 10
1.5	Number of instances
2.7	Cardinality = 10
3.1	Number of unique values
4.2	Min = 1.5
5.5	Minimum value
6.9	Max = 10.0
7.6	Maximum value
8.1	
9.3	
10.0	

Individual Features - Continuous

x	Count = 10
1.5	Number of instances
2.7	Cardinality = 10
3.1	Number of unique values
4.2	Min = 1.5
5.5	Minimum value
6.9	Max = 10.0
7.6	Maximum value
8.1	$\bar{x} = \frac{\sum_{n=1}^N x_n}{N}$
9.3	Mean = 5.89
10.0	Sum of all values divided by count

Individual Features - Continuous



Individual Features - Continuous

x	Count = 10	
1.5	Number of instances	
2.7	Cardinality = 10	
3.1	Number of unique values	
4.2	Min = 1.5	
5.5	Minimum value	
6.9	Max = 10.0	
7.6	Maximum value	
8.1		
9.3	Mean = 5.89	
10.0	Sum of all values divided by count	
	Median = 6.2	
	Middle value / mean of two middle values	

$$var(x) = \frac{\sum_{n=1}^N (x_n - \bar{x})^2}{N-1}$$

Variance ≈ 8.621

Average squared distance of each value from the mean

Individual Features - Continuous

x	Count = 10 Number of instances	Variance ≈ 8.621 Average squared distance of each value from the mean
1.5	Cardinality = 10 Number of unique values	Standard deviation ≈ 2.936 How spread out the data is (the square root of the variance)
2.7	Min = 1.5 Minimum value	
3.1	Max = 10.0 Maximum value	
4.2	Mean = 5.89 Sum of all values divided by count	
5.5		
6.9		
7.6		
8.1		
9.3		
10.0	Median = 6.2 Middle value / mean of two middle values	$std(x) = \sqrt{var(x)}$

Individual Features - Continuous

x	Count = 10 Number of instances	Variance ≈ 8.621 Average squared distance of each value from the mean
10 th → 1.5	Cardinality = 10 Number of unique values	Standard deviation ≈ 2.936 How spread out the data is (the square root of the variance)
25 th → 2.7	Min = 1.5 Minimum value	p^{th} percentile Value at or below (or strictly below) which p percent of the instances are located
3.1	Max = 10.0 Maximum value	10 th percentile = 1.5 First quartile (Q_1)
4.2	Mean = 5.89 Sum of all values divided by count	25 th percentile = 3.1 Second quartile (Q_2)
50 th → 5.5	Median = 6.2 Middle value / mean of two middle values	50 th percentile = 5.5 75 th percentile = 8.1 100 th percentile = 10 Third quartile (Q_3)
6.9		
7.6		
8.1		
9.3		
100 th → 10.0		

Individual Features - Categorical

x	Count = 10
	Number of instances
A	
B	
A	
C	
B	
B	
C	
A	
C	
B	

Individual Features - Categorical

x	Count = 10
A	Number of instances
B	Cardinality = 3
A	Number of unique values
C	
B	
B	
C	
A	
C	
B	

Individual Features - Categorical

$\frac{x}{A}$	Count = 10 Number of instances
B	Cardinality = 3 Number of unique values
C	Mode = B Value that appears most frequently
B	
C	
A	
C	
B	

Multiple Features - Covariance

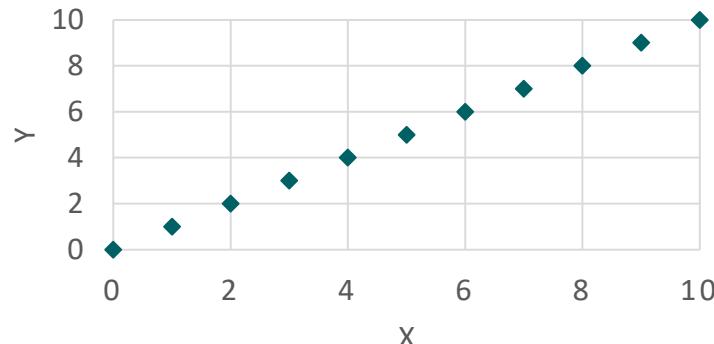
x	y
1.5	4.2
2.7	4.9
3.1	7.1
4.2	9.8
5.5	12.3
6.9	14.7
7.6	16.5
8.1	18.2
9.3	20.9
10.0	22.6

$$Cov(x, y) = \frac{1}{N-1} \sum_{n=1}^N ((x_n - \bar{x}) \cdot (y_n - \bar{y}))$$

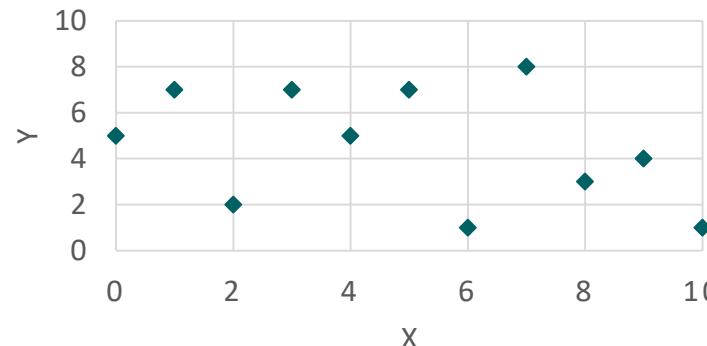
$$\text{Cov}(x,y) \approx 19.134$$

+ & + \Rightarrow +
+ & - \Rightarrow -
- & + \Rightarrow -
- & - \Rightarrow +

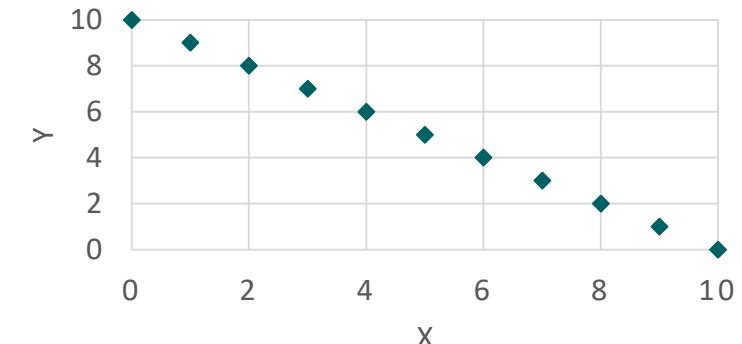
Multiple Features – Correlation



maximal positive correlation



no correlation



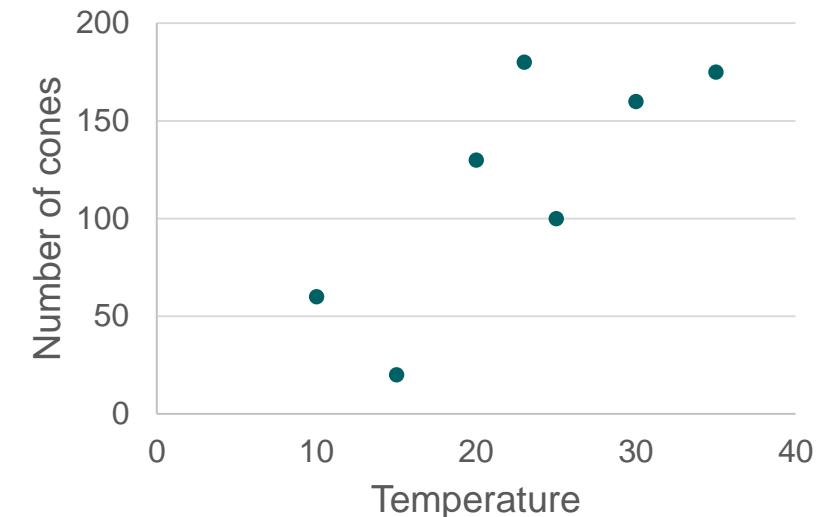
maximal negative correlation

$$\text{Corr}(x, y) = \frac{\text{Cov}(x, y)}{\sqrt{\text{Var}(x)} \cdot \sqrt{\text{Var}(y)}}$$

Between -1 and 1
 > 0: positive correlation
 < 0: negative correlation
 ≈ 0: independent

Multiple Features – Correlation (Example)

Temperature (°C)	Number of cones
10	60
15	10
20	185
23	150
25	150
30	200
35	175



$$\text{Corr}(x, y) = \frac{\text{Cov}(x,y)}{\sqrt{\text{Var}(x)} \cdot \sqrt{\text{Var}(y)}} = \frac{419.88}{8.54 \cdot 63.69} = 0.77$$

Temperature

Number of cones

Strong positive correlation

Multiple Features – Correlation Matrix

Features a, b, \dots, z

$$\begin{matrix} & \textcolor{blue}{a} & \textcolor{blue}{b} & & \textcolor{blue}{z} \\ \textcolor{blue}{a} & \left[\begin{matrix} \text{Corr}(a, a) & \text{Corr}(a, b) & \dots & \text{Corr}(a, z) \\ \text{Corr}(b, a) & \text{Corr}(b, b) & \dots & \text{Corr}(b, z) \\ \dots & \dots & \dots & \dots \\ \text{Corr}(z, a) & \text{Corr}(z, b) & \dots & \text{Corr}(z, z) \end{matrix} \right] \end{matrix}$$

Multiple Features – Correlation Matrix

Features a, b, \dots, z

	a	b	\dots	z
a	1.0	0.90	\dots	0.35
b	0.90	1.0	\dots	0.30
\dots	\dots	\dots	\dots	\dots
z	0.35	0.30	\dots	1.0

What can we say about this distribution?

x	y
55.3846	97.1795
51.5385	96.0256
46.1538	94.4872
42.8205	91.4103
40.7692	88.3333
38.7179	84.8718
35.641	79.8718
33.0769	77.5641
28.9744	74.4872
26.1538	71.4103
...	...

$Count = 142$

$Mean(x) = 54.2633$

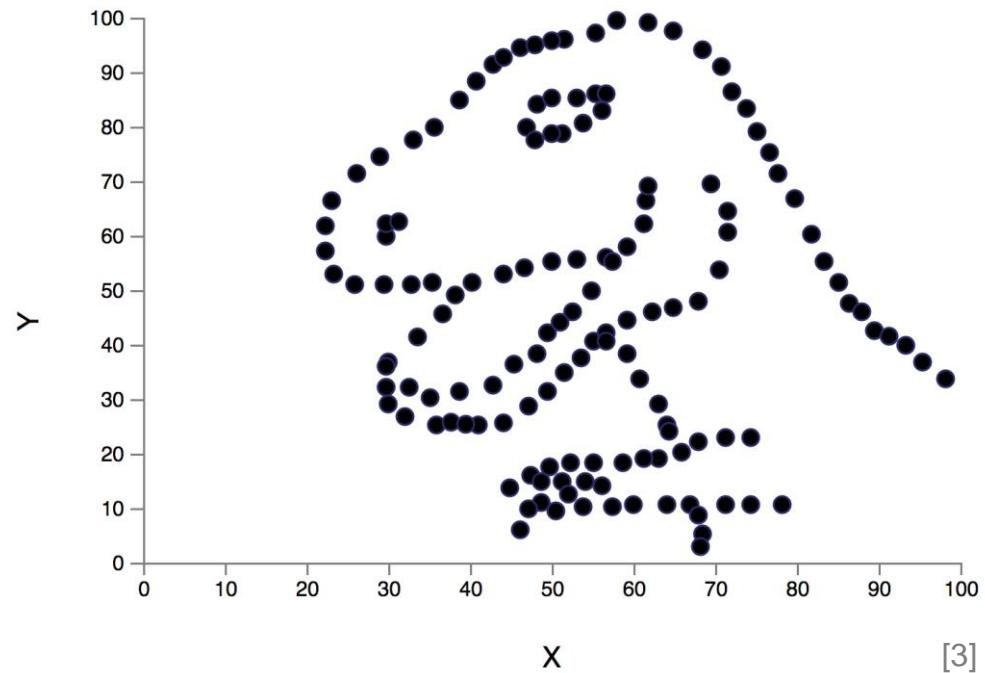
$Std(x) = 16.7651$

$Mean(y) = 47.8323$

$Std(y) = 26.9354$

$Corr(x, y) = -0.0645$

Datasaurus



$Count = 142$

$Mean(x) = 54.2633$

$Std(x) = 16.7651$

$Mean(y) = 47.8323$

$Std(y) = 26.9354$

$Corr(x, y) = -0.0645$

Anscombe's Quartet

Dataset 1		Dataset 2		Dataset 3		Dataset 4	
x	y	x	y	x	y	x	y
10.0	8.04	10.0	9.14	10.0	7.46	8.0	6.58
8.0	6.95	8.0	8.14	8.0	6.77	8.0	5.76
13.0	7.58	13.0	8.74	13.0	12.74	8.0	7.71
9.0	8.81	9.0	8.77	9.0	7.11	8.0	8.84
11.0	8.33	11.0	9.26	11.0	7.81	8.0	8.47
14.0	9.96	14.0	8.10	14.0	8.84	8.0	7.04
6.0	7.24	6.0	6.13	6.0	6.08	8.0	5.25
4.0	4.26	4.0	3.10	4.0	5.39	19.0	12.50
12.0	10.84	12.0	9.13	12.0	8.15	8.0	5.56
7.0	4.82	7.0	7.26	7.0	6.42	8.0	7.91
5.0	5.68	5.0	4.74	5.0	5.73	8.0	6.89

[4]

$$\text{Mean}(x) = 9$$

$$\text{Var}(x) = 11$$

$$\text{Mean}(y) = 7.5$$

$$\text{Var}(y) = 4.125$$

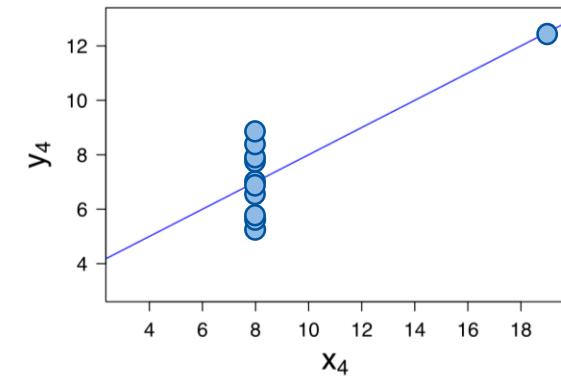
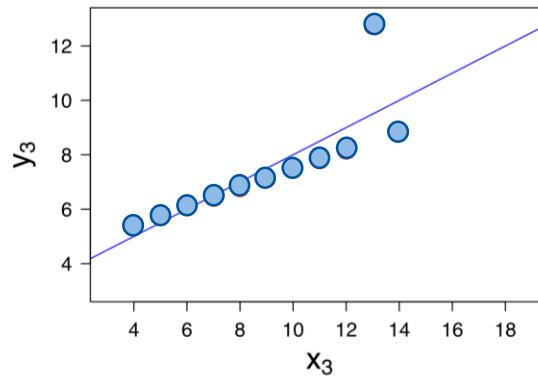
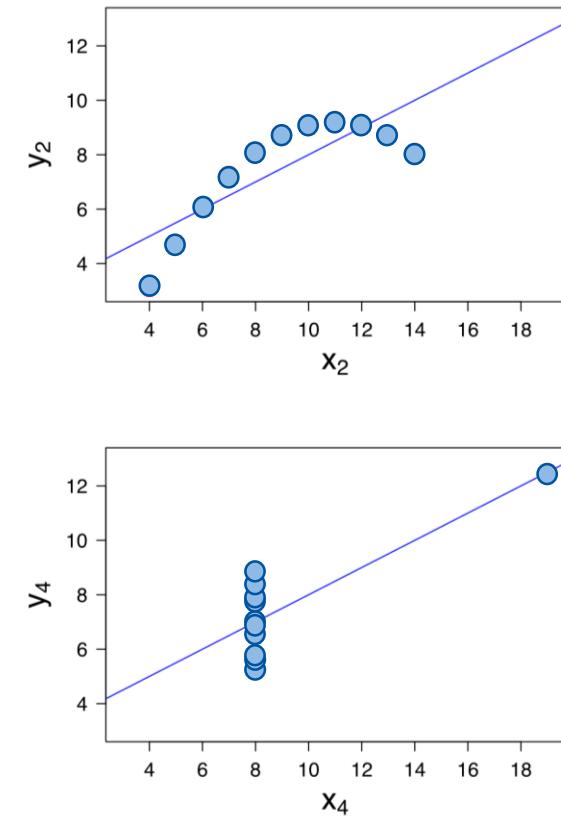
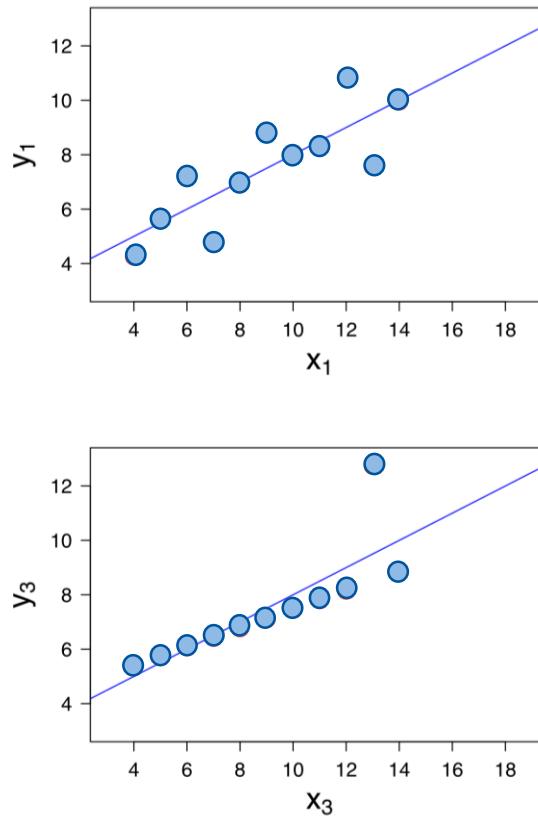
$$\text{Corr}(x, y) = 0.816$$

$$\text{Linear regression line: } y = \frac{1}{2}x + 3$$

Anscombe's Quartet

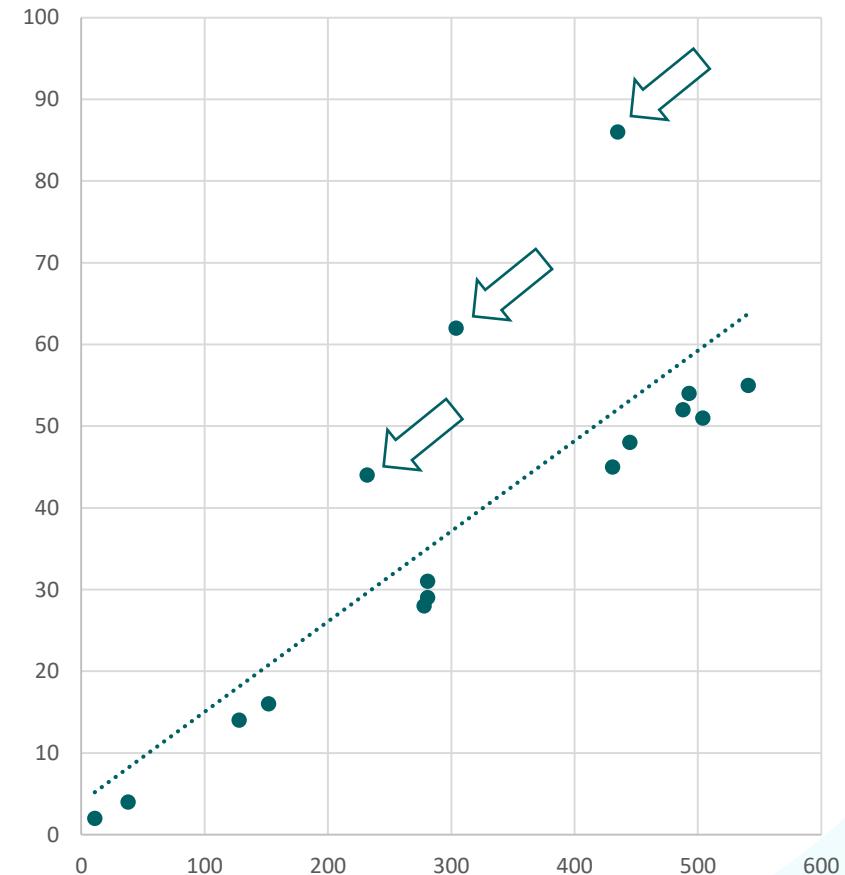
Dataset 1		Dataset 2		Dataset 3		Dataset 4	
x	y	x	y	x	y	x	y
10.0	8.04	10.0	9.14	10.0	7.46	8.0	6.58
8.0	6.95	8.0	8.14	8.0	6.77	8.0	5.76
13.0	7.58	13.0	8.74	13.0	12.74	8.0	7.71
9.0	8.81	9.0	8.77	9.0	7.11	8.0	8.84
11.0	8.33	11.0	9.26	11.0	7.81	8.0	8.47
14.0	9.96	14.0	8.10	14.0	8.84	8.0	7.04
6.0	7.24	6.0	6.13	6.0	6.08	8.0	5.25
4.0	4.26	4.0	3.10	4.0	5.39	19.0	12.50
12.0	10.84	12.0	9.13	12.0	8.15	8.0	5.56
7.0	4.82	7.0	7.26	7.0	6.42	8.0	7.91
5.0	5.68	5.0	4.74	5.0	5.73	8.0	6.89

[4]



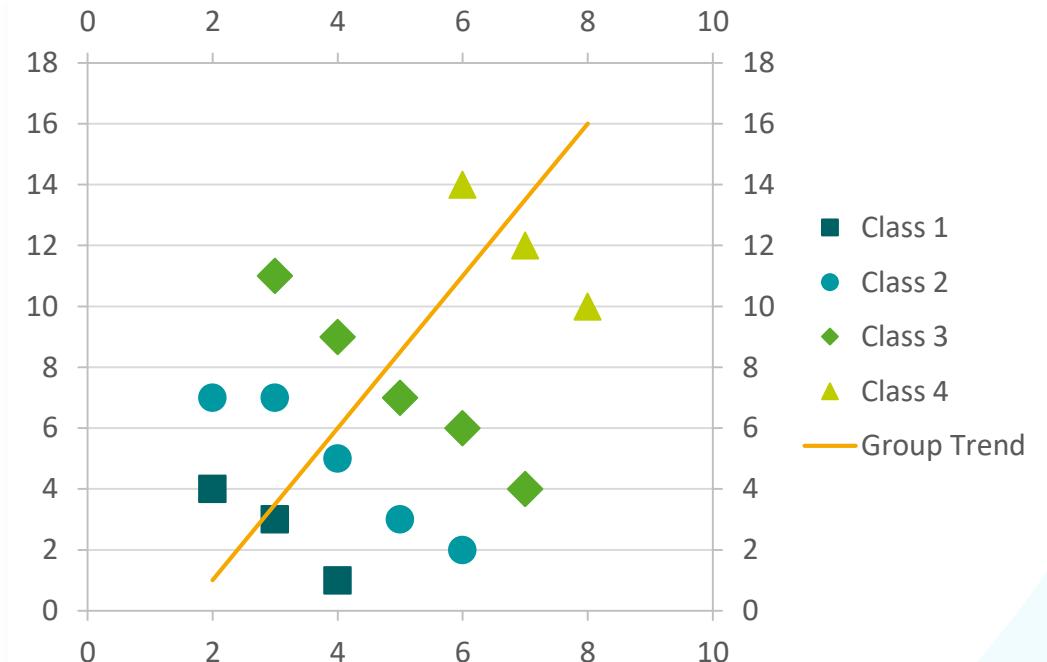
Outliers

- Outlier: an observation that lies an abnormal distance away from other values
- Can have a significant impact on measures such as mean, variance or standard deviation
- It is important to identify and deal with outliers before performing any analysis
→ visualize and explore our data first!



Simpson's Paradox

A trend appears in several different groups of data but **disappears or reverses** when these groups are combined.



Simpson's Paradox

	All		Men		Women	
	Applicants	Admitted	Applicants	Admitted	Applicants	Admitted
Total	12,763	41%	8,442	44%	4,321	35%

Aggregated

Department	All		Men		Women	
	Applicants	Admitted	Applicants	Admitted	Applicants	Admitted
A	933	64%	825	62%	108	82%
B	585	63%	560	63%	25	68%
C	918	35%	325	37%	593	34%
D	792	34%	417	33%	375	35%
E	584	25%	191	28%	393	24%
F	714	6%	373	6%	341	7%
Total	4526	39%	2691	45%	1835	30%

Legend:

greater percentage of successful applicants than the other gender

greater number of applicants than the other gender

bold - the two 'most applied for' departments for each gender

By department (six largest)

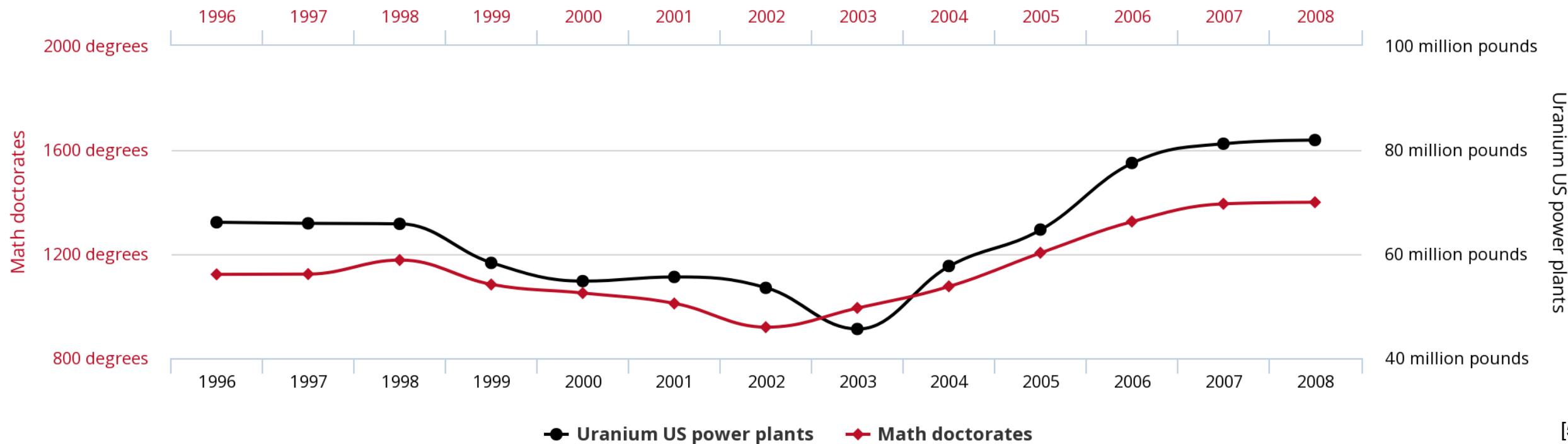
UC Berkeley admission data, 1973

Spurious Correlations

Math doctorates awarded

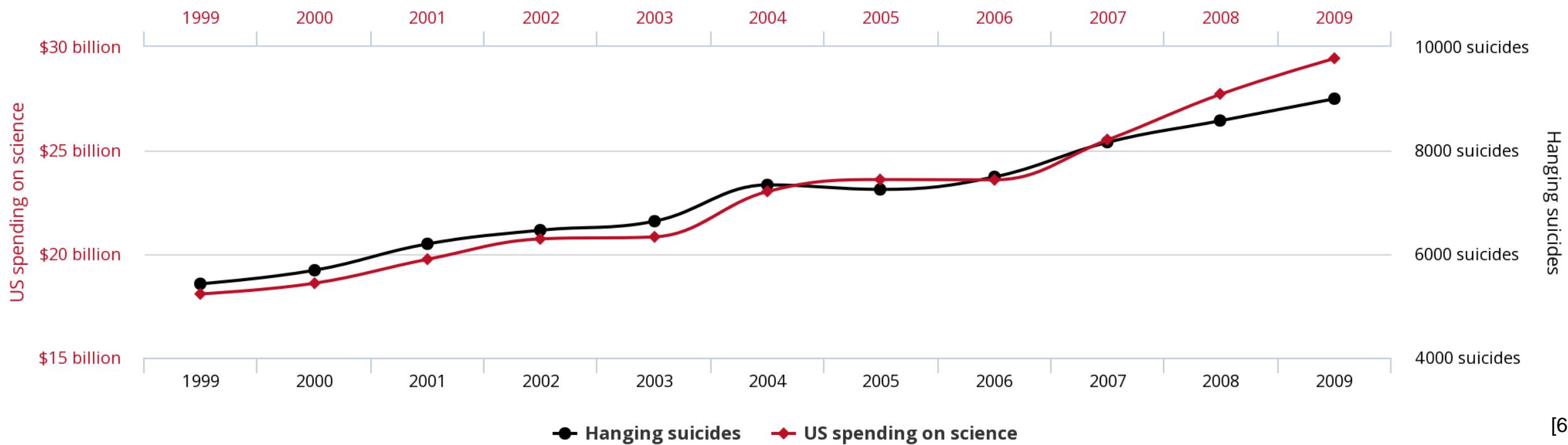
correlates with

Uranium stored at US nuclear power plants



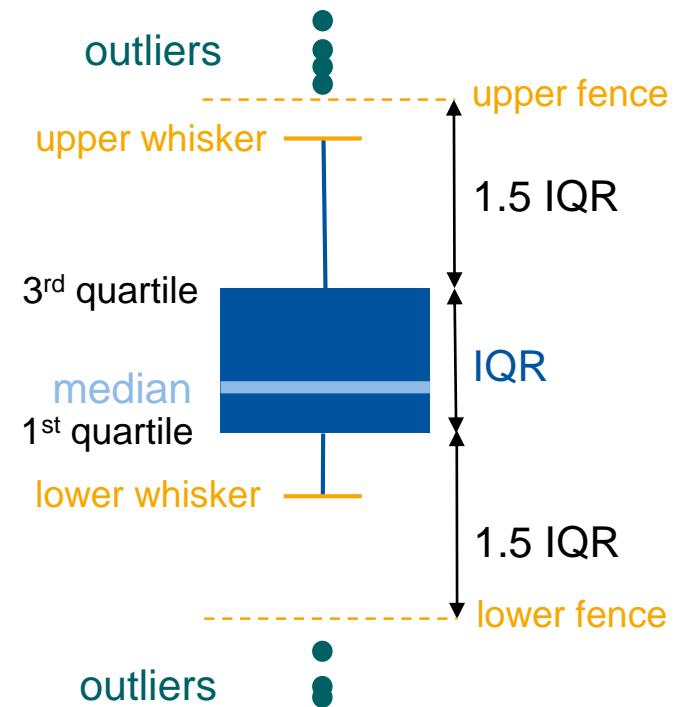
Spurious Correlations

US spending on science, space, and technology
correlates with
Suicides by hanging, strangulation and suffocation



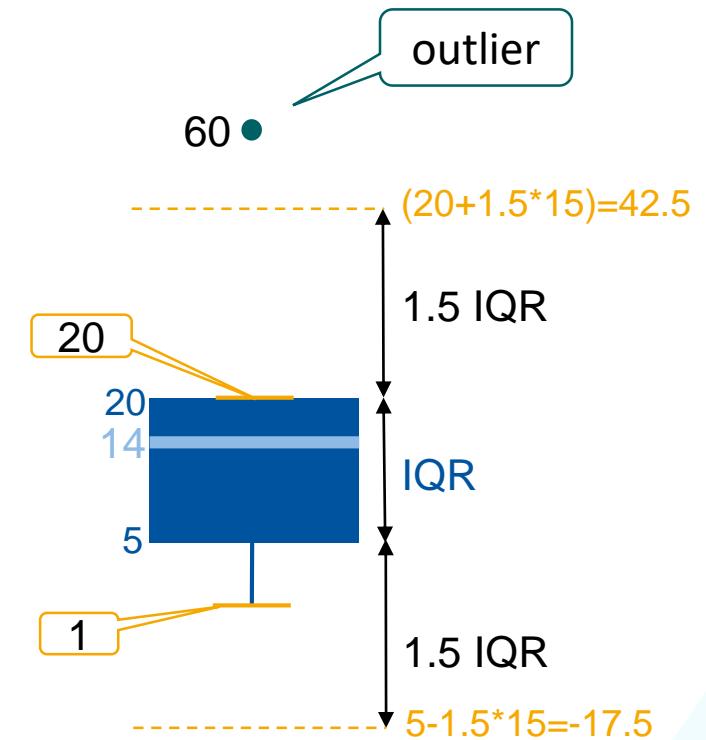
Box Plot

- Median value (middle), depicted by bar
- IQR – Interquartile Range (covers 50% of middle instances), depicted by box
- Upper fence – 3^{rd} quartile + 1.5 IQR
Upper whisker – maximal value below upper fence
- Lower fence – 1st quartile - 1.5 IQR
Lower whisker – minimal value above lower fence
- Outliers – drawn separately



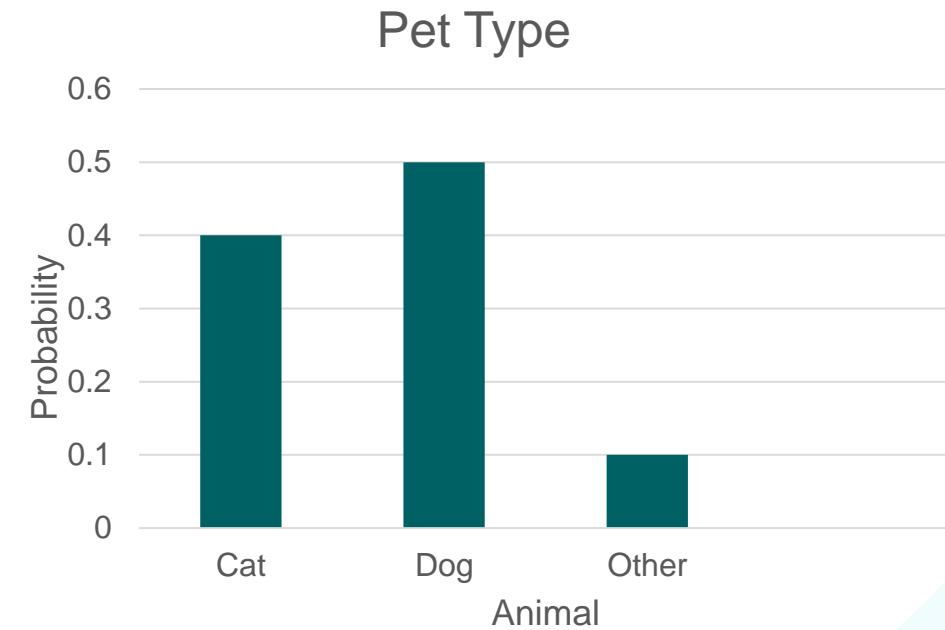
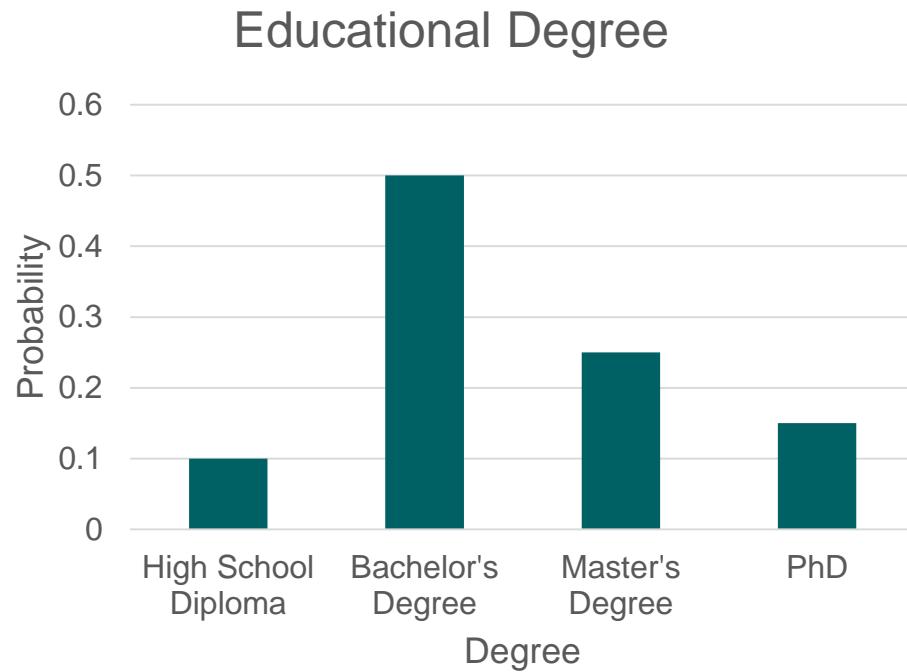
Box Plot - Example

Index	x	
		• Median: 14
1	1	• 1 st quartile: 5
2	3	$x_n \text{ with } n = \lceil \frac{25}{100} \cdot 11 \rceil = \lceil 2.75 \rceil = 3$
3	5	
4	7	• 3 rd quartile: 20
5	10	$x_n \text{ with } n = \lceil \frac{75}{100} \cdot 11 \rceil = \lceil 8.25 \rceil = 9$
6	14	
7	15	• IQR: $20 - 5 = 15$
8	17	
9	20	• Upper whisker: maximal value below $20 + 1.5 \cdot 15 = 42.5 \rightarrow 20$
10	20	• Lower whisker: minimal value above $5 - 1.5 \cdot 15 = -17.5 \rightarrow 1$
11	60	



Histograms - Visualizations of Distributions

Categorical features



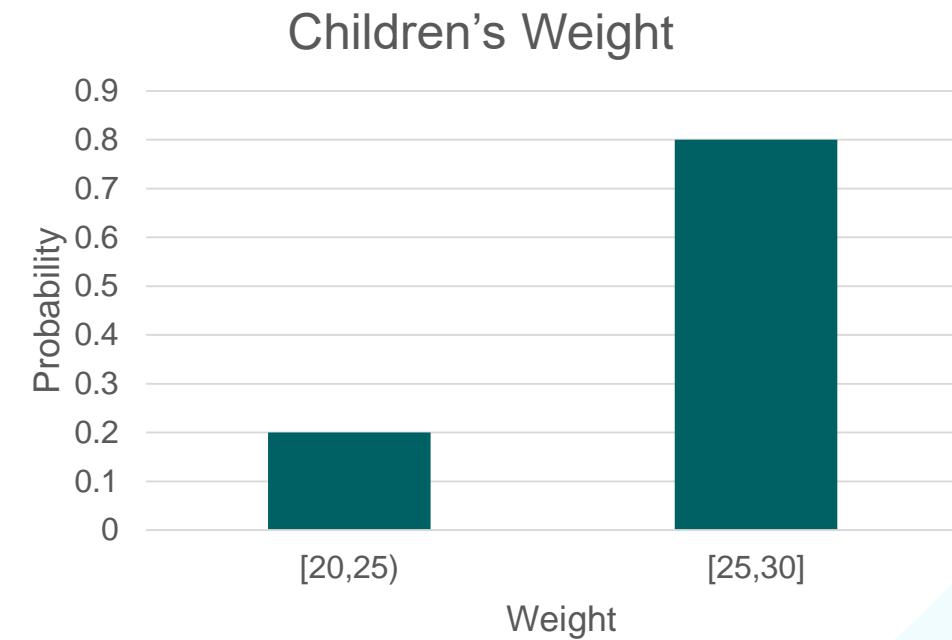
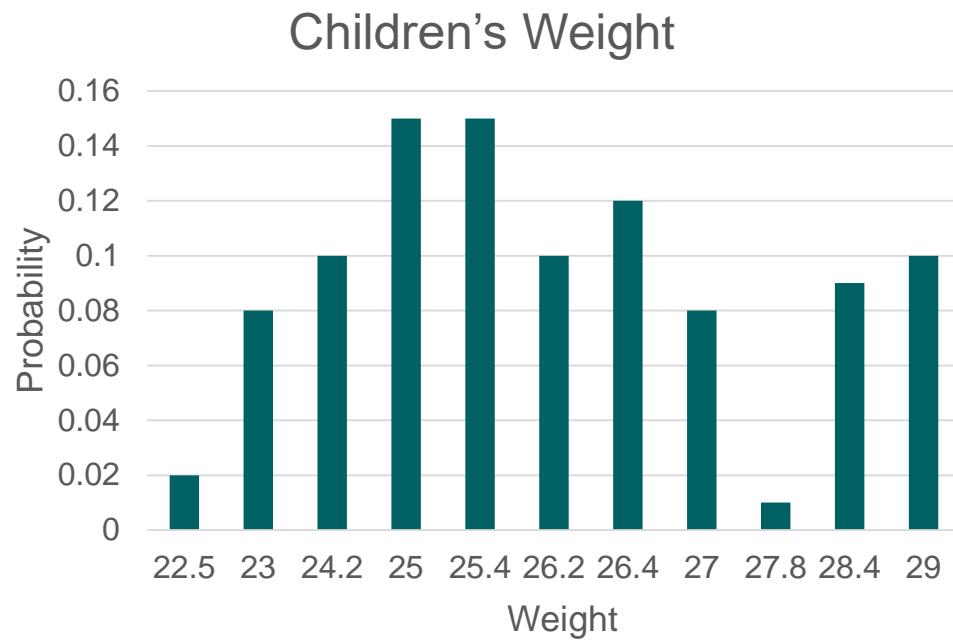
Histograms - Visualizations of Distributions

Continuous features



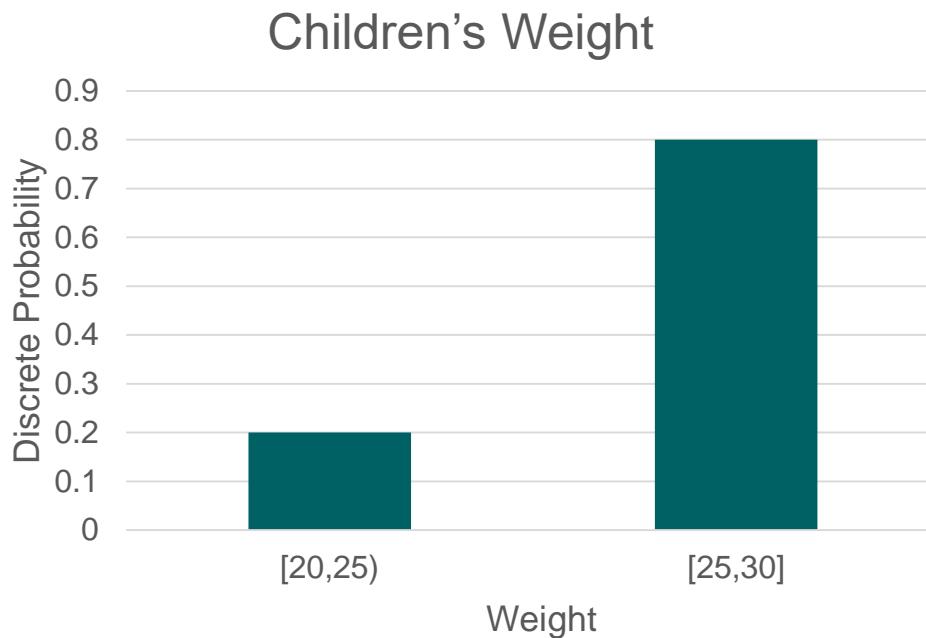
Histograms - Visualizations of Distributions

Continuous features

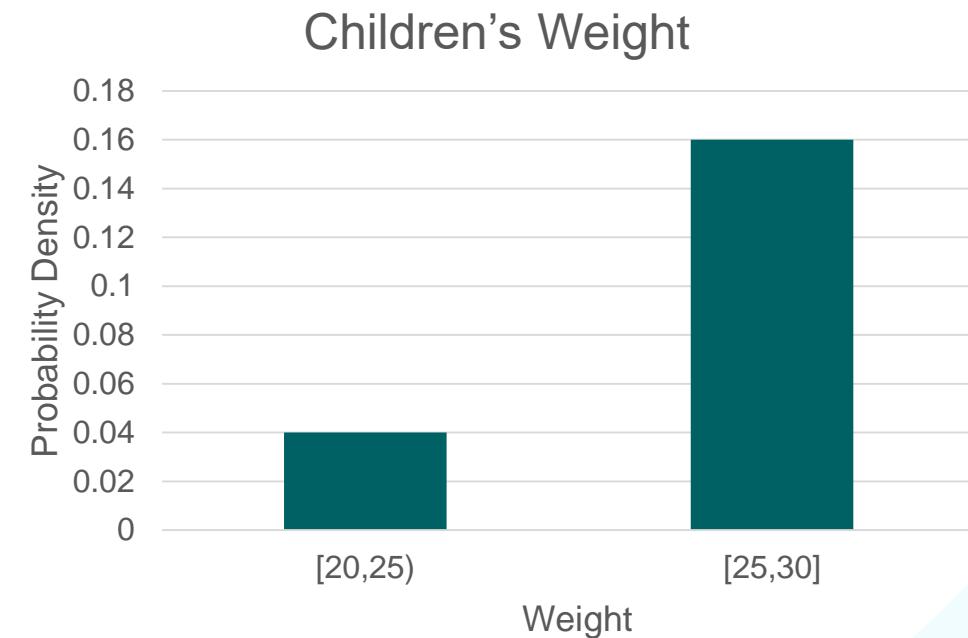


Histograms – Watch out for Normalization!

- Discrete probability distribution over intervals
- Normalized over population
- Sums to 1 [over discrete intervals]
- Continuous probability density over values
- Normalized over population **and** bin width
- Integrates to 1 [over continuous range]



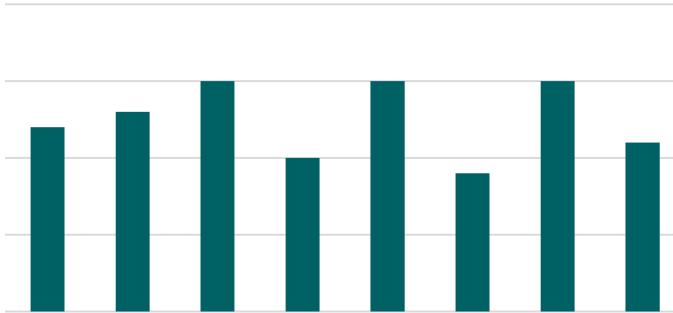
“probability that a child’s weight is between 20 to 25 or between 25 to 30”



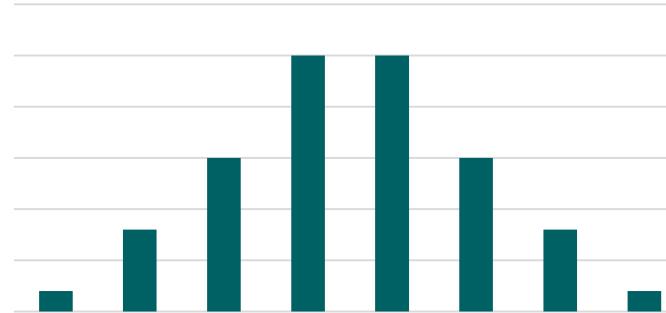
“probability of a child’s weight over the reals”

Different Types of Histograms

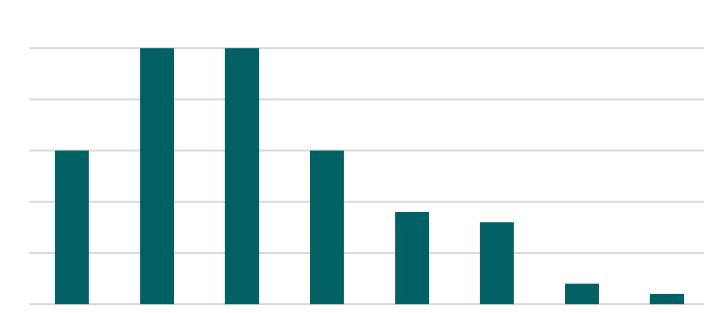
Uniform



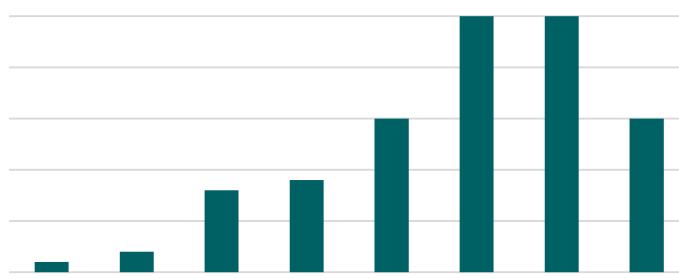
Normal (unimodal)



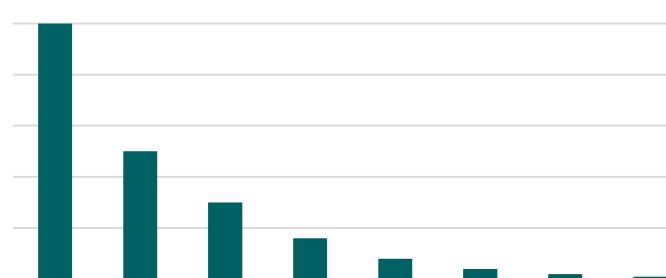
Normal (skewed right)



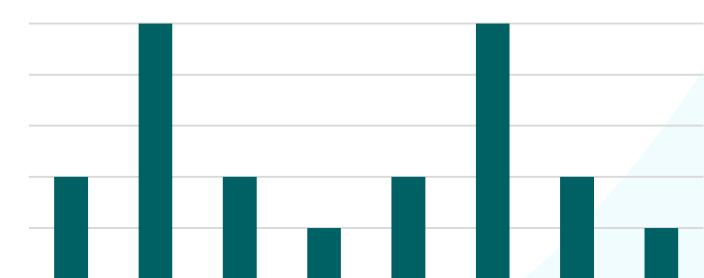
Normal (skewed left)



Exponential

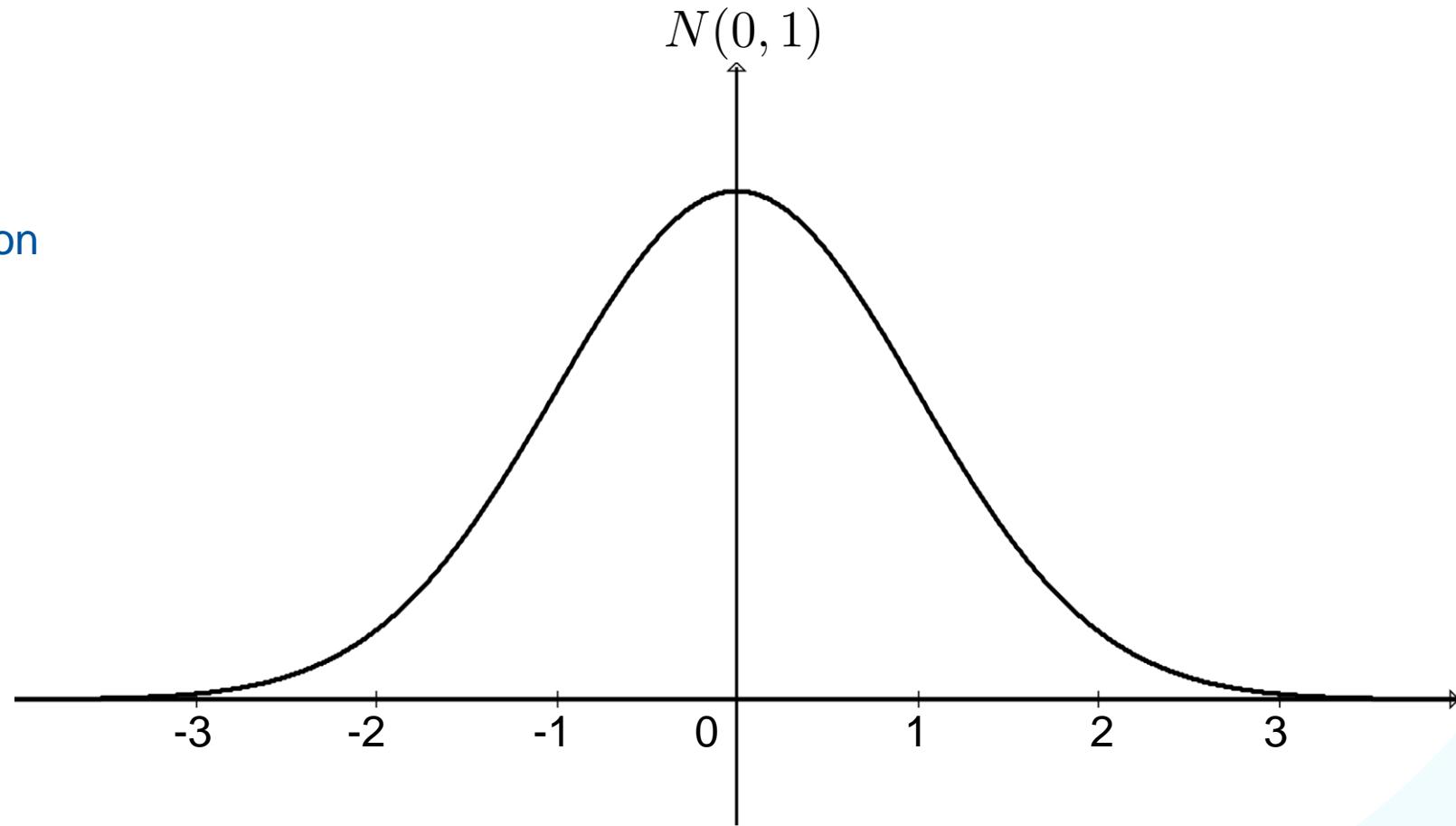


Multimodal



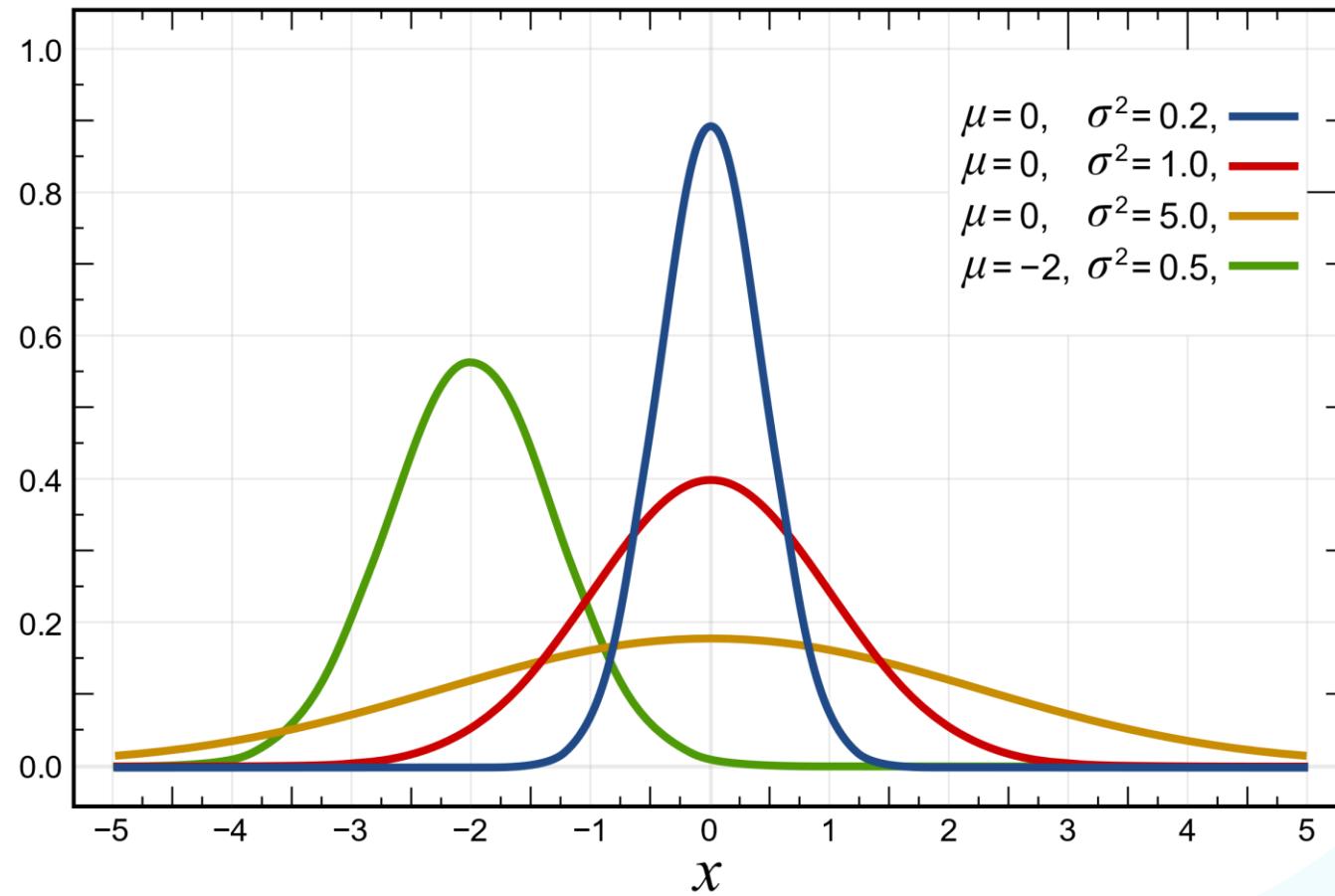
Normal (Gaussian) Distribution

- $N(\mu, \sigma^2)$
- μ - mean
- σ - standard deviation



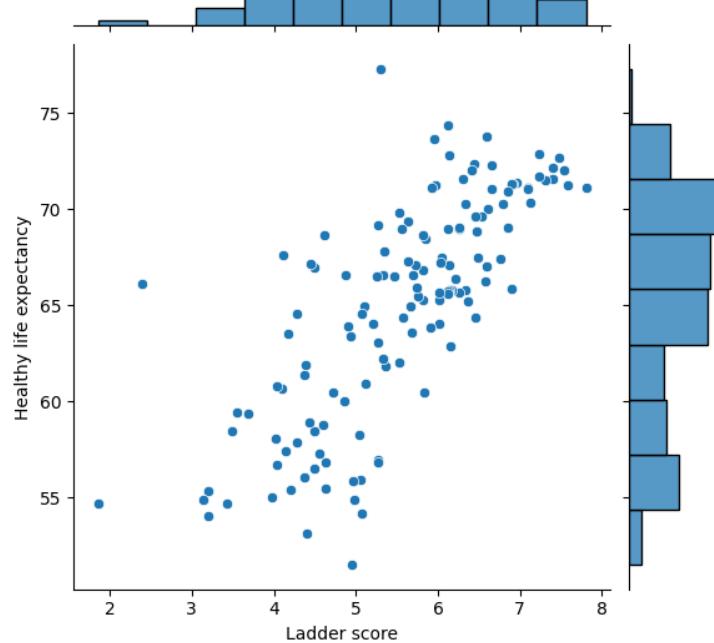
Normal (Gaussian) Distribution

- $N(\mu, \sigma^2)$
- μ - mean
- σ - standard deviation

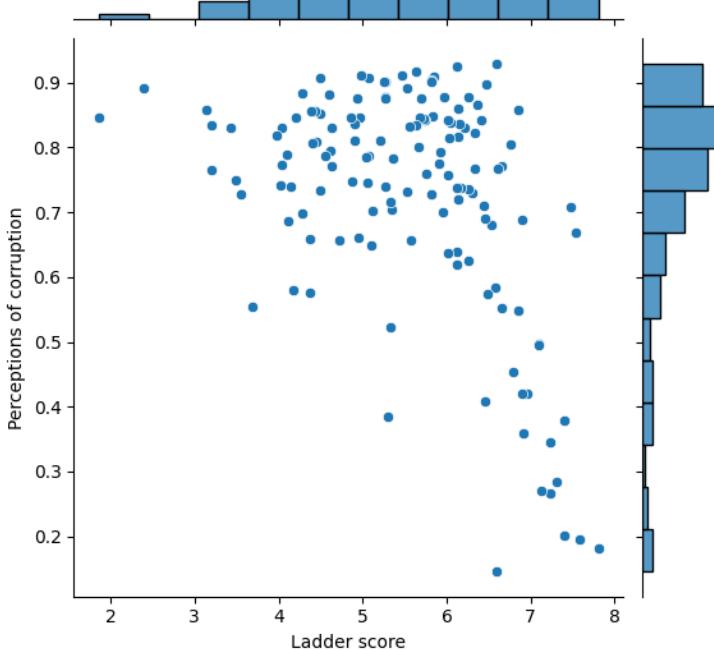


Scatter Plot - Correlation

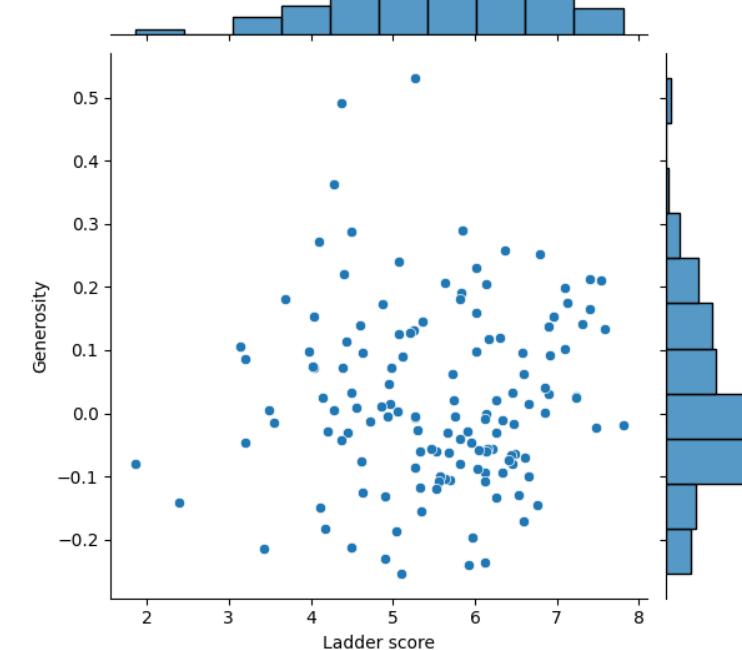
World Happiness Report 2023 [3]



Positive correlation

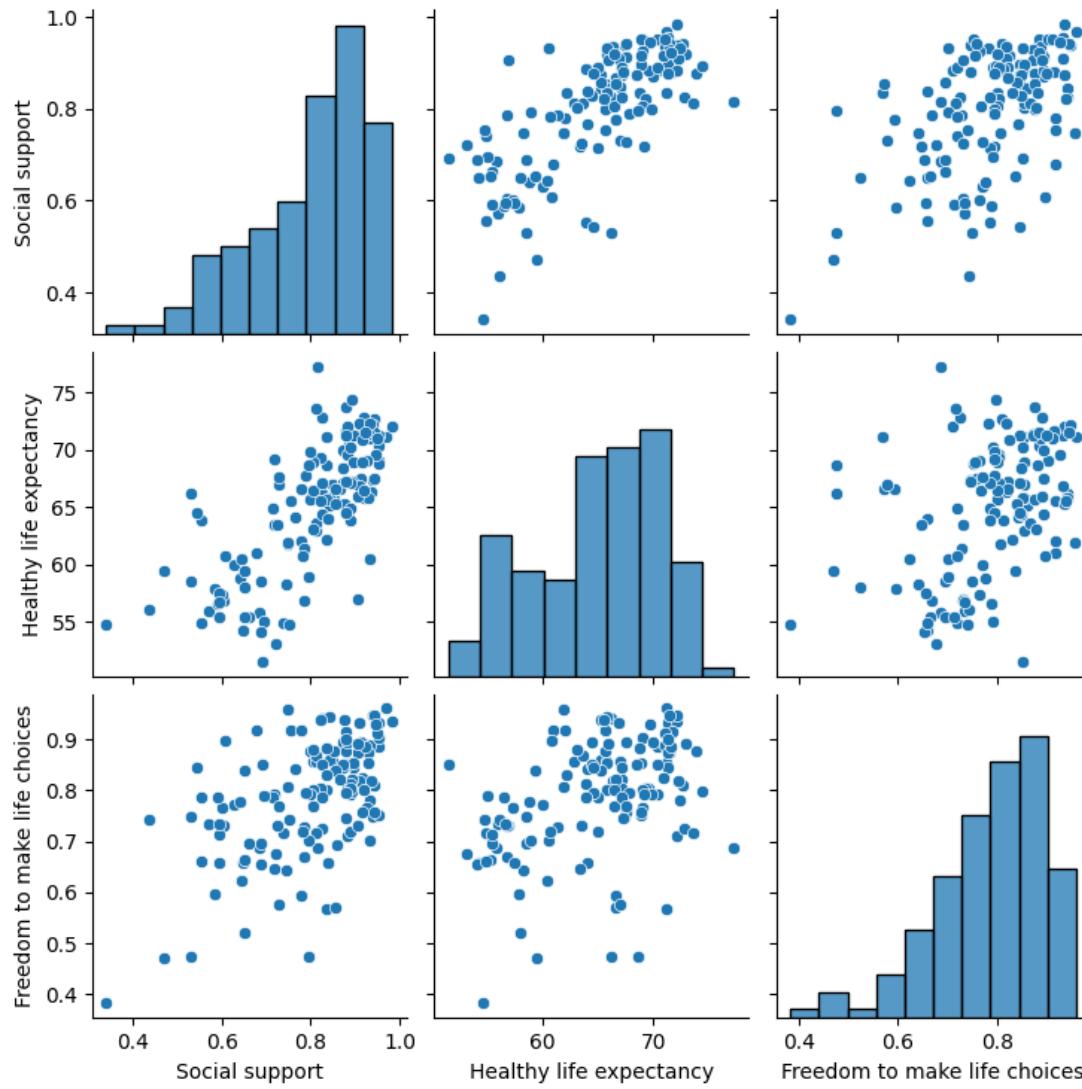


Negative correlation



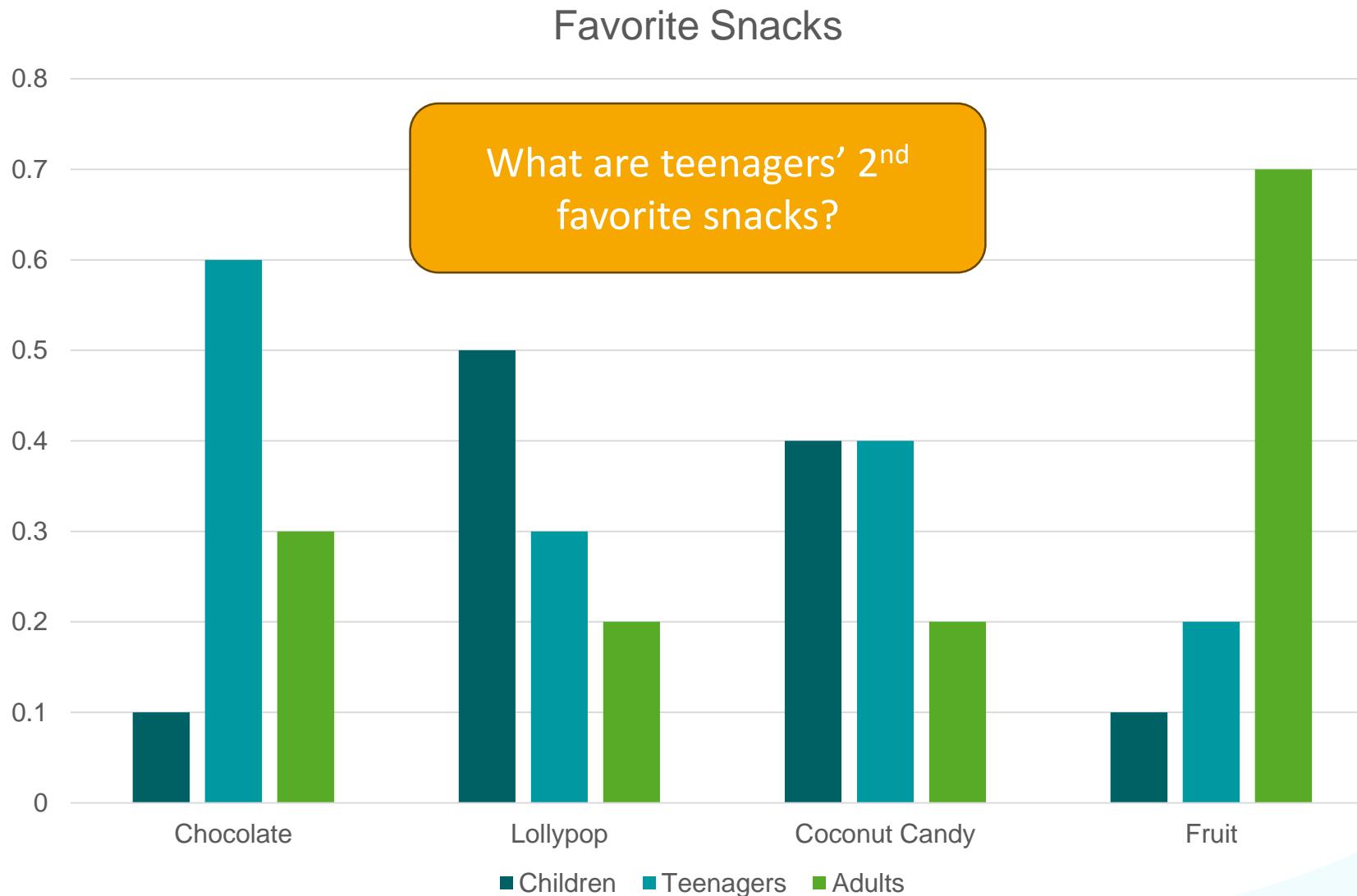
No correlation

Scatter Plot Matrix

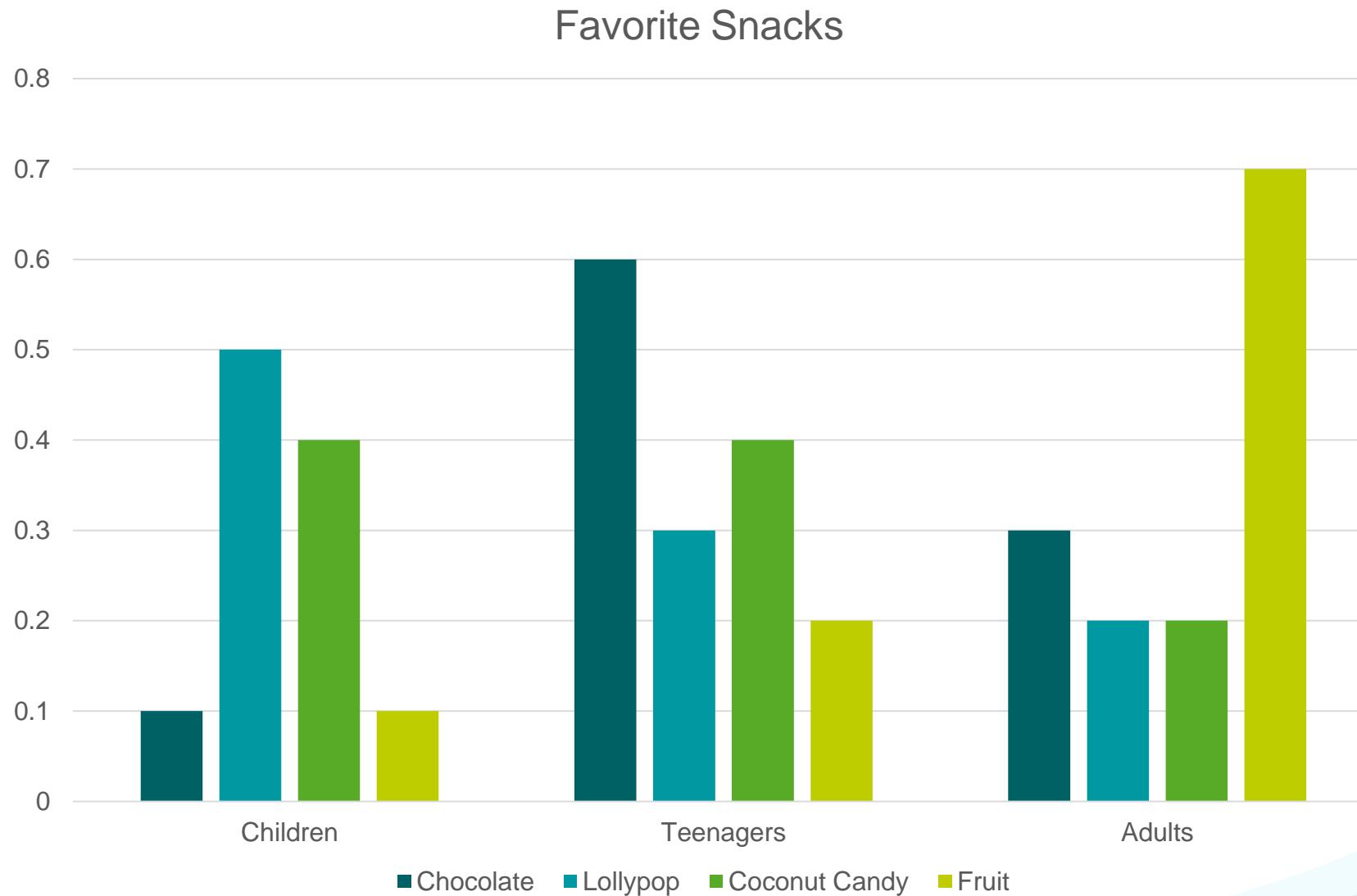


World Happiness Report 2023

Faceting: Collection of Bar Plots

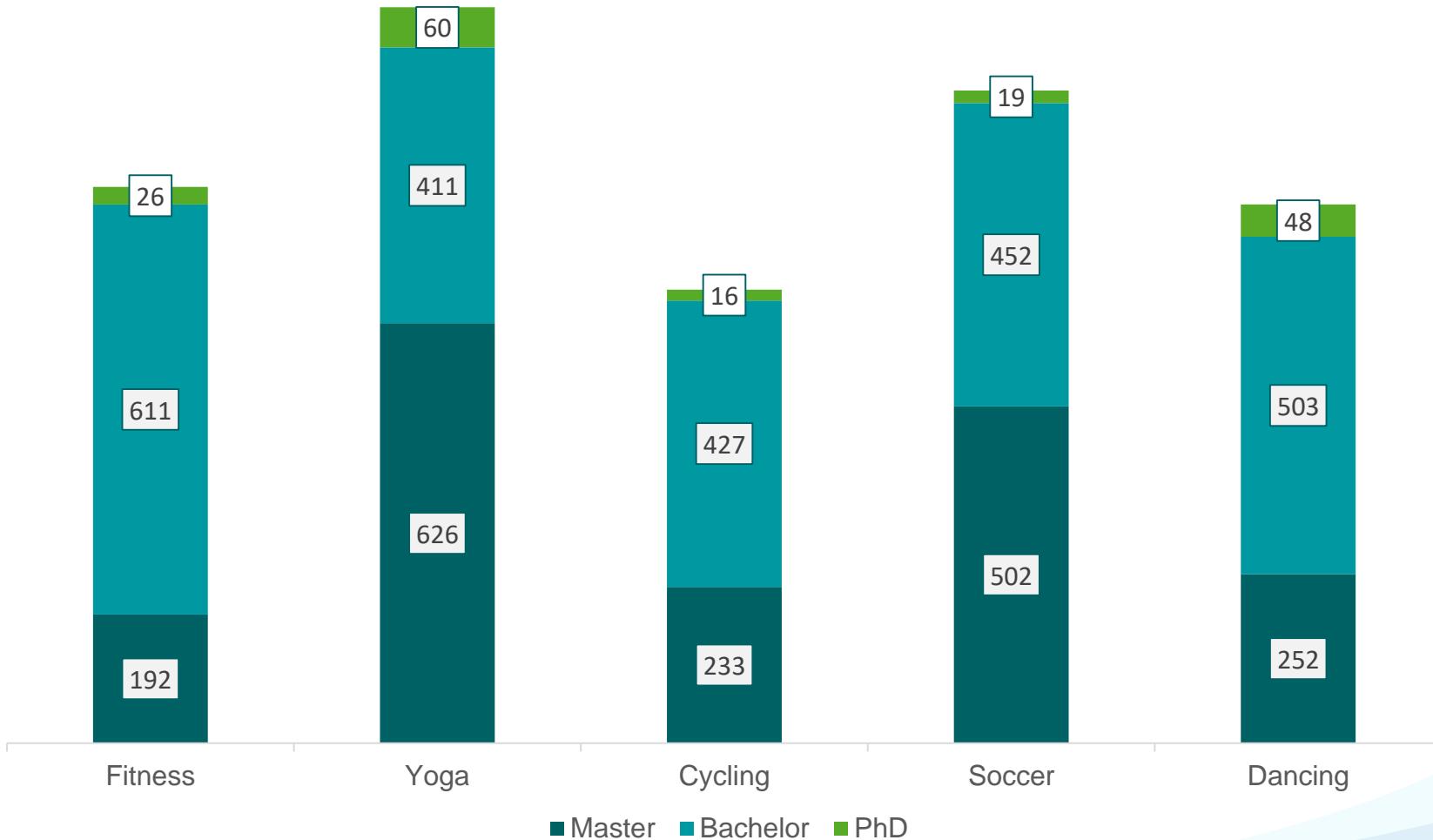


Faceting: Change of Focus



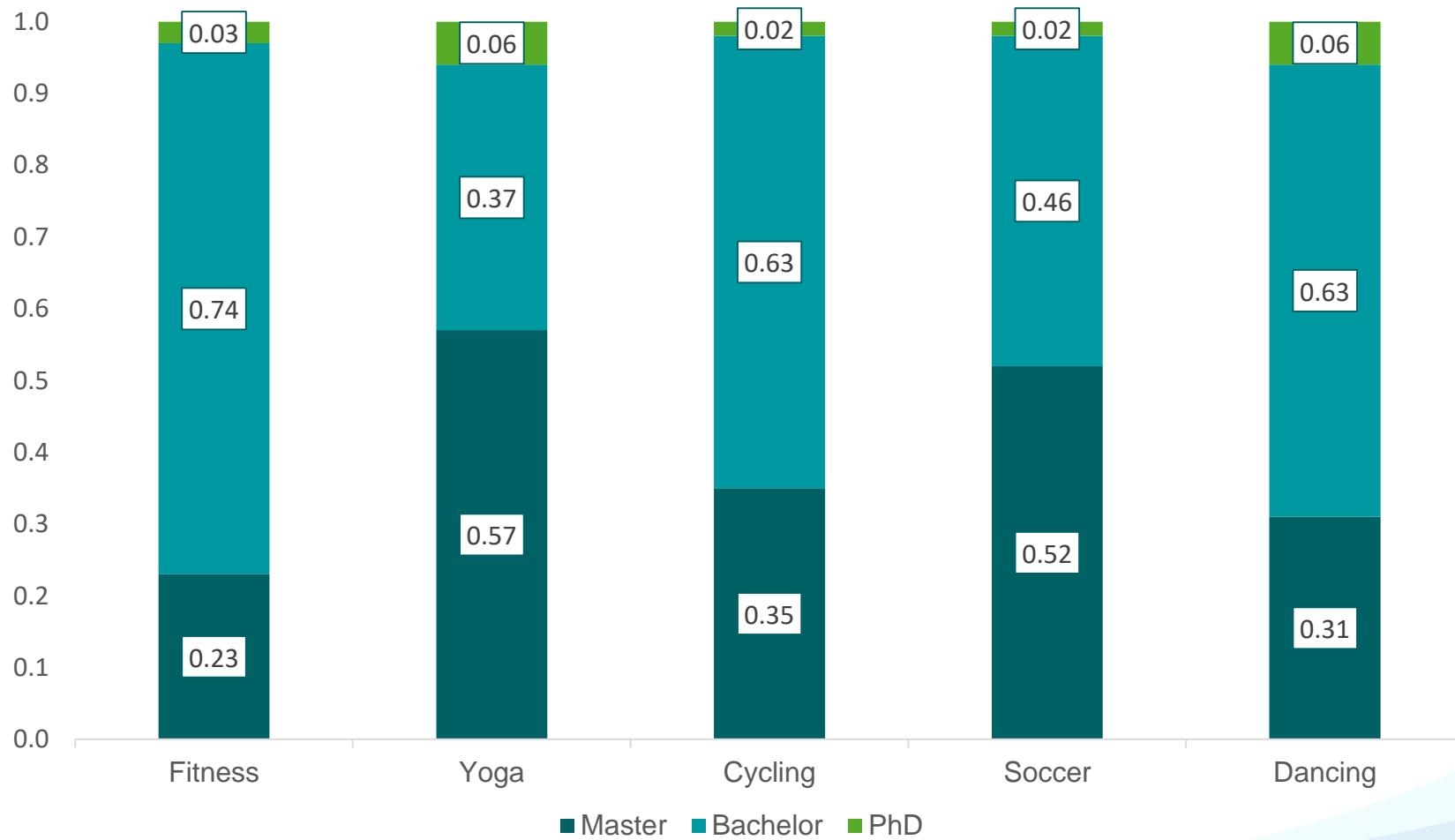
Stacked Bar Plots

University Sports Class Participation

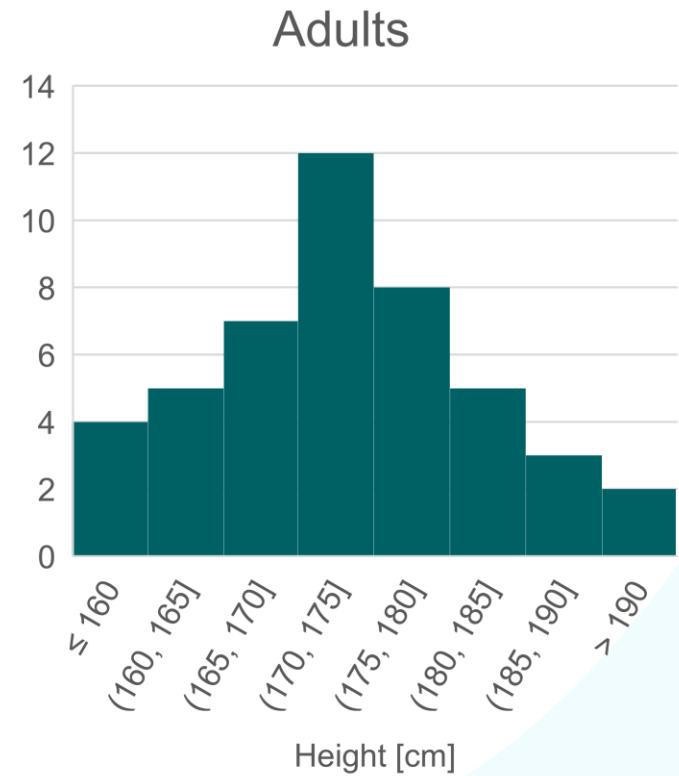
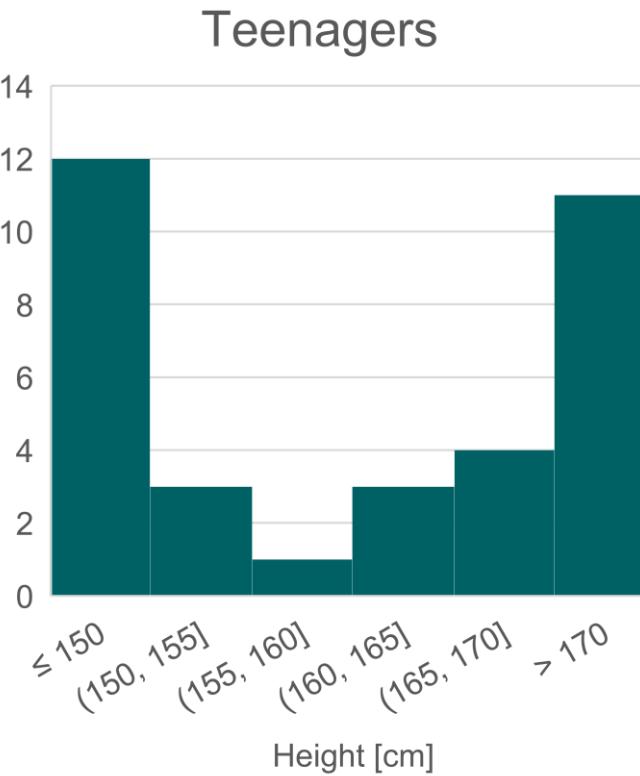
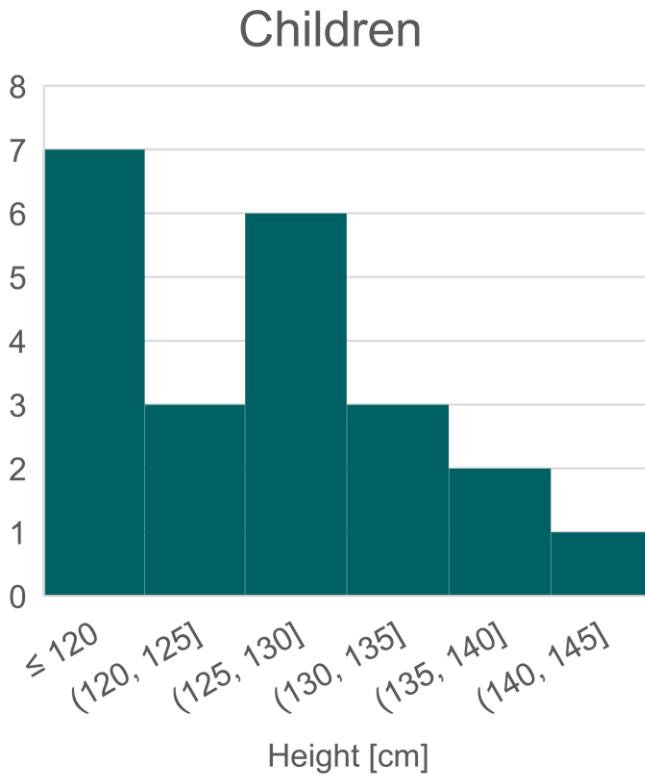


Stacked Bar Plots

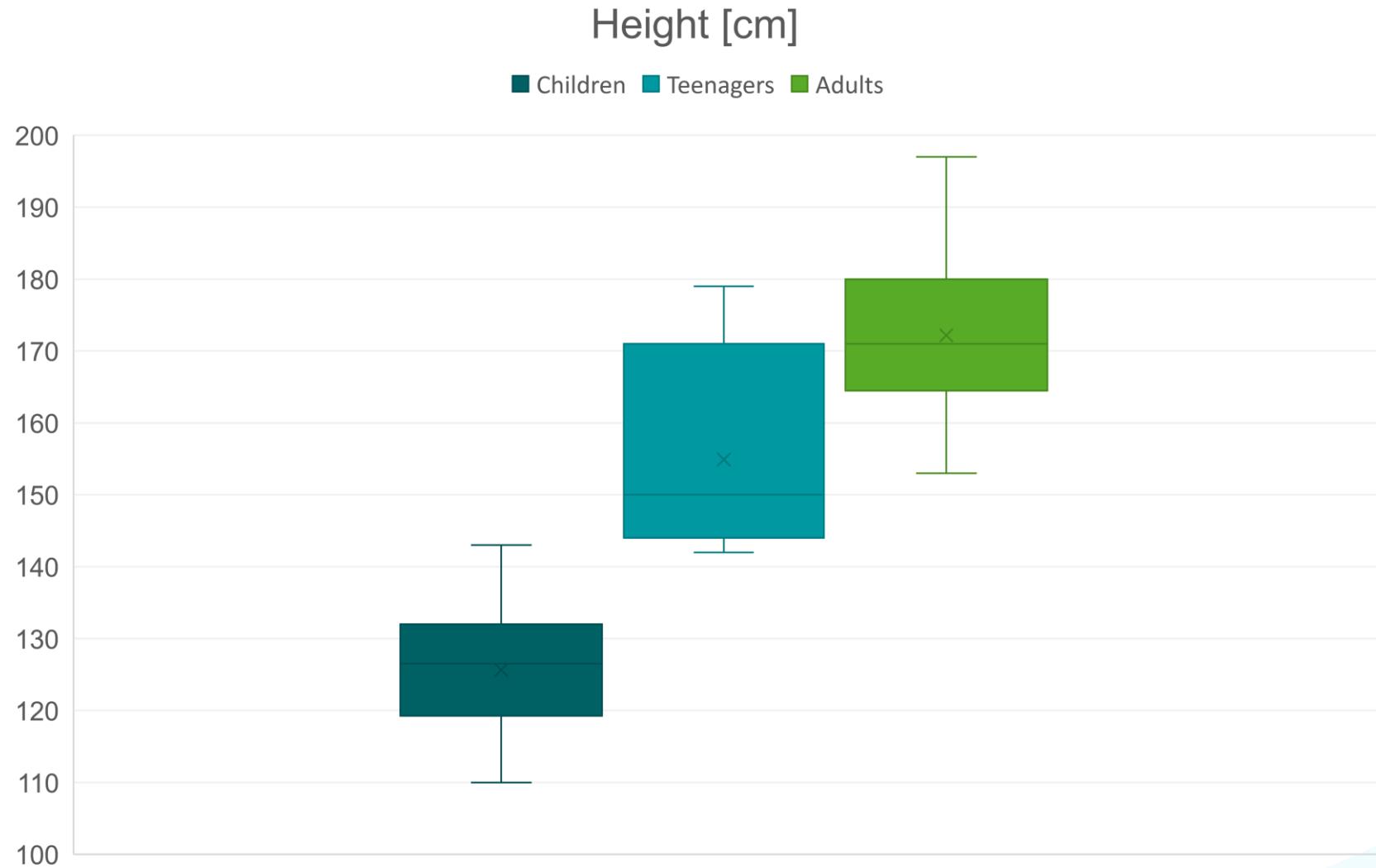
University Sports Class Participation



Collection of Histograms

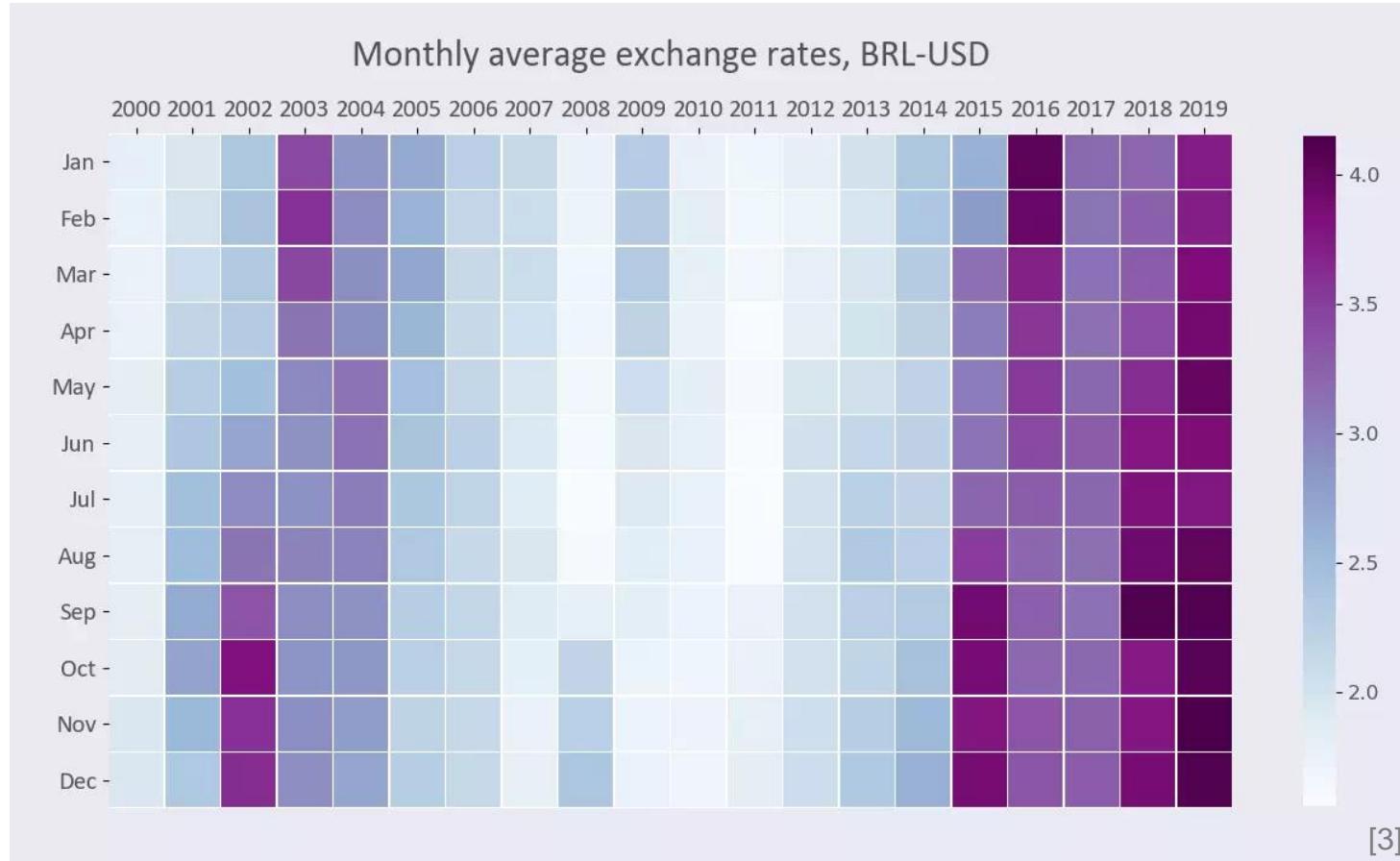


Collection of Box Plots



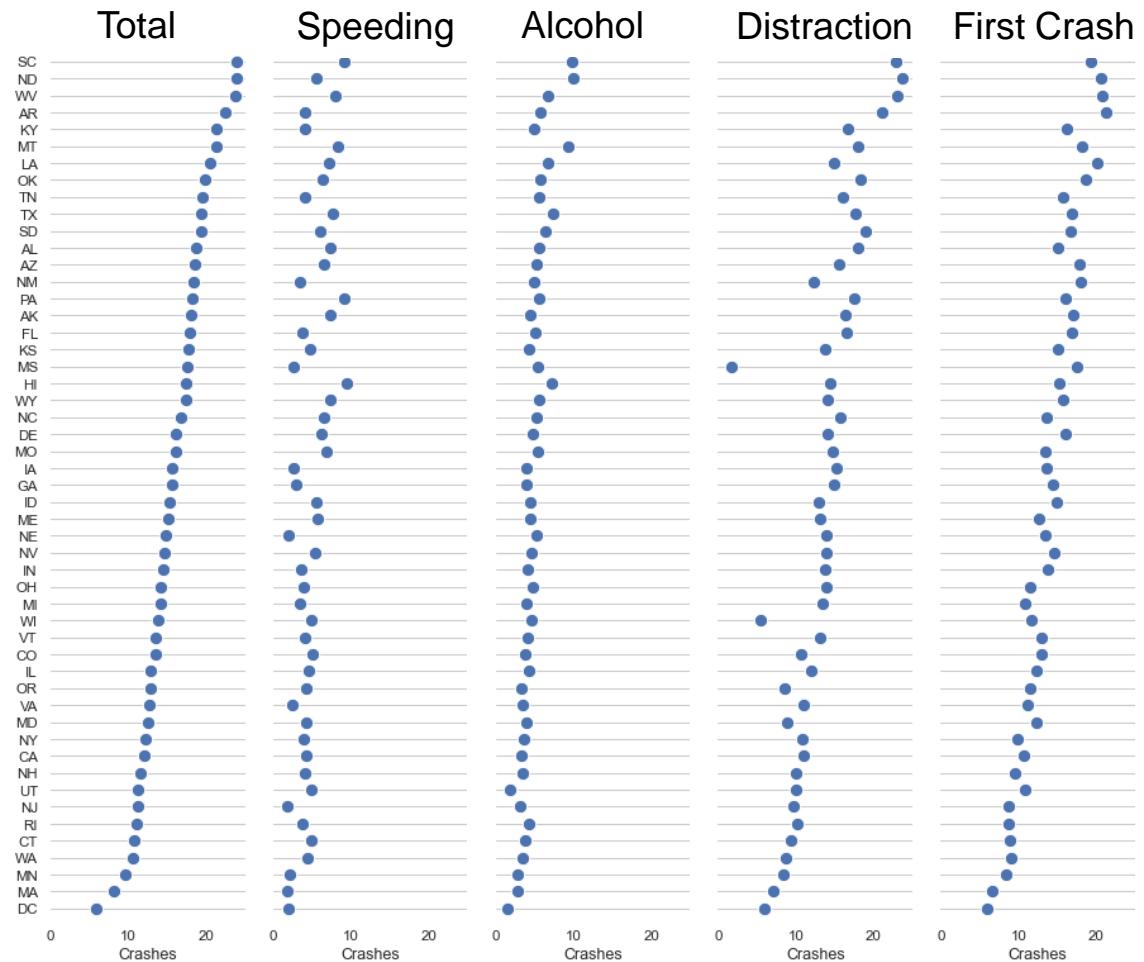
Advanced Visualizations - Examples

Heatmap



Advanced Visualizations - Examples

Dot Plot with Several Variables



Fatal Collisions per Billion Miles
Comparison of US States

Value of Good Visualizations

- Understanding and analyzing data more quickly and easily
- Communicating to others more effectively
- Identifying outliers, anomalies and other unexpected patterns in data
- Making clear decisions – identifying key insights

Feature Transformations

Dealing with Categorical Features

f_1	f_2	f_3	class
high	true	88	A
high	false	76	B
medium	false	32	B
low	true	89	C
high	true	21	C
medium	true	45	A

Categorical
descriptive
features (f_1, f_2)

Categorical
target feature

One-Hot Encoding

f₁	f₂	f₃	class
high	true	88	A
high	false	76	B
medium	false	32	B
low	true	89	C
high	true	21	C
medium	true	45	A

Standard one-hot encoding: introduce a 0/1 feature for every possible value

- high – (1,0,0)
- medium – (0,1,0)
- low – (0,0,1)

One-Hot Encoding: Standard

f_1 - high	f_1 - medium	f_1 - low	f_2	f_3	class
1	0	0	true	88	A
1	0	0	false	76	B
0	1	0	false	32	B
0	0	1	true	89	C
1	0	0	true	21	C
0	1	0	true	45	A

Standard one-hot encoding: introduce a 0/1 feature for every possible value

- high – (1,0,0)
- medium – (0,1,0)
- low – (0,0,1)

One-Hot Encoding: Common Variant

f_1 - dummy ₀	f_1 - dummy ₁	f_2	f_3	class
1	0	true	88	A
1	0	false	76	B
0	1	false	32	B
0	0	true	89	C
1	0	true	21	C
0	1	true	45	A

k-1 one-hot encoding:

- high – (1,0)
- medium – (0,1)
- low – (0,0)

+ preferable where co-linearity of features is problematic
- introduces asymmetry, e.g., see *low*

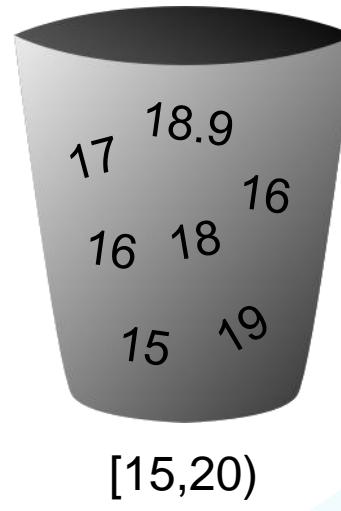
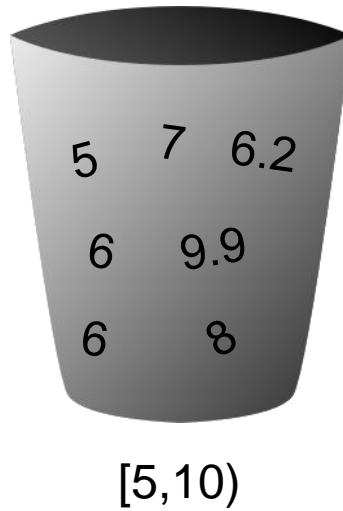
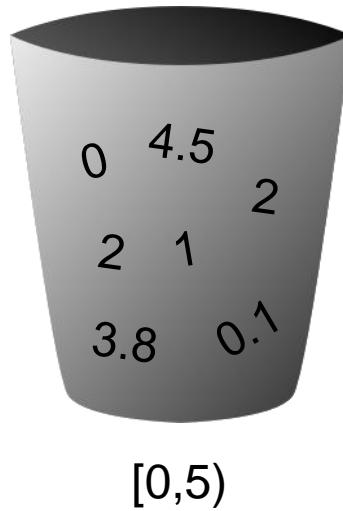
One-Hot Encoding – Special Cases

f_1 - high	f_1 - medium	f_1 - low	f_2	f_3	class
1	0	0	true	88	A
1	0	0	false	76	B
0	1	0	false	32	B
0	0	1	true	89	C
1	0	0	true	21	C
0	1	0	true	45	A

- **Binary values** (true, false) can be translated to a single numeric value (1, 0) [example of k-1 encoding]
- Note that categorical variables with a **clear order (ordinal)** may be translated to a single numeric value (e.g., excellent = 1.0, good = 0.7, average = 0.5, poor = 0.3, horrible = 0.0)

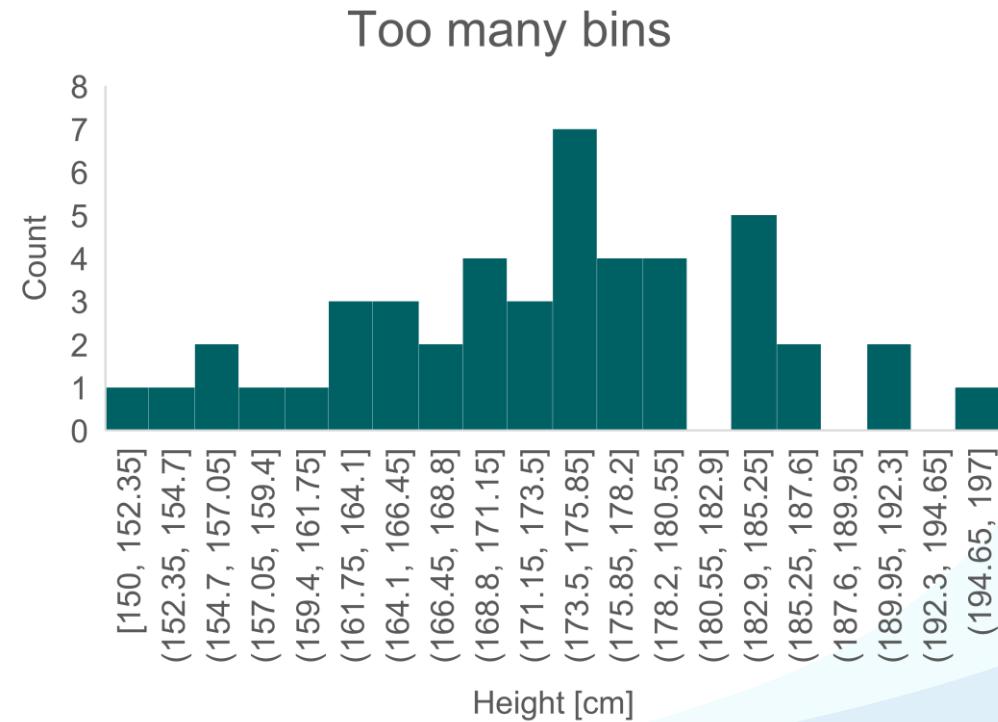
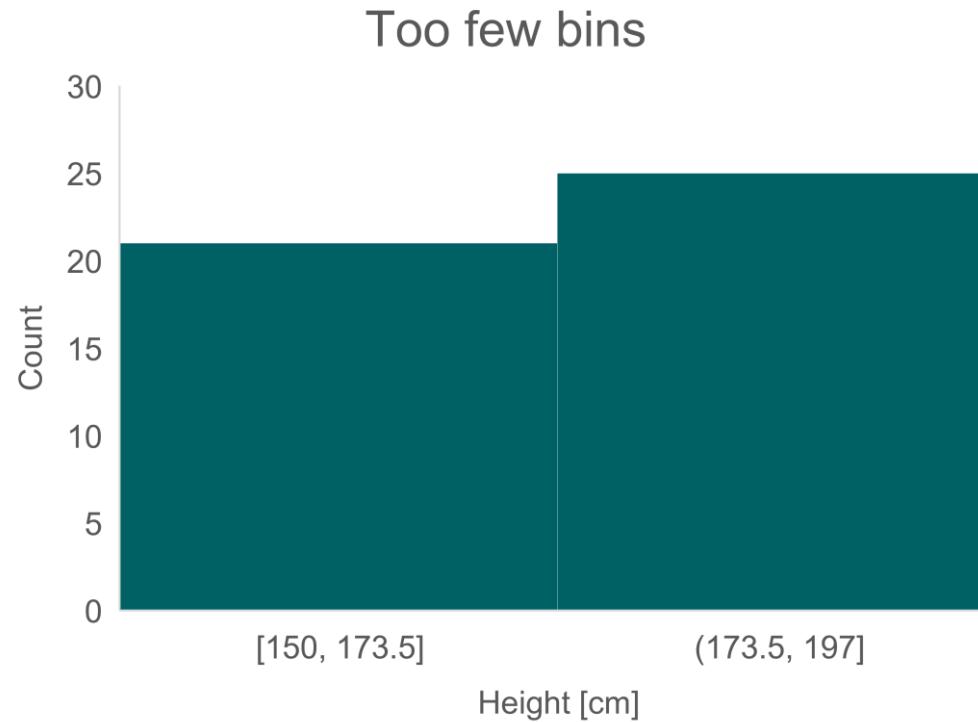
Dealing with Continuous Features - Binning

- Binning is used to transform **continuous** features **into** categorical
- A **bin** is a range, e.g., [0,5), [5,10), [10,15), [15,20)
- Choosing the right bins (their number and size) is crucial (e.g., to create meaningful **histograms**)



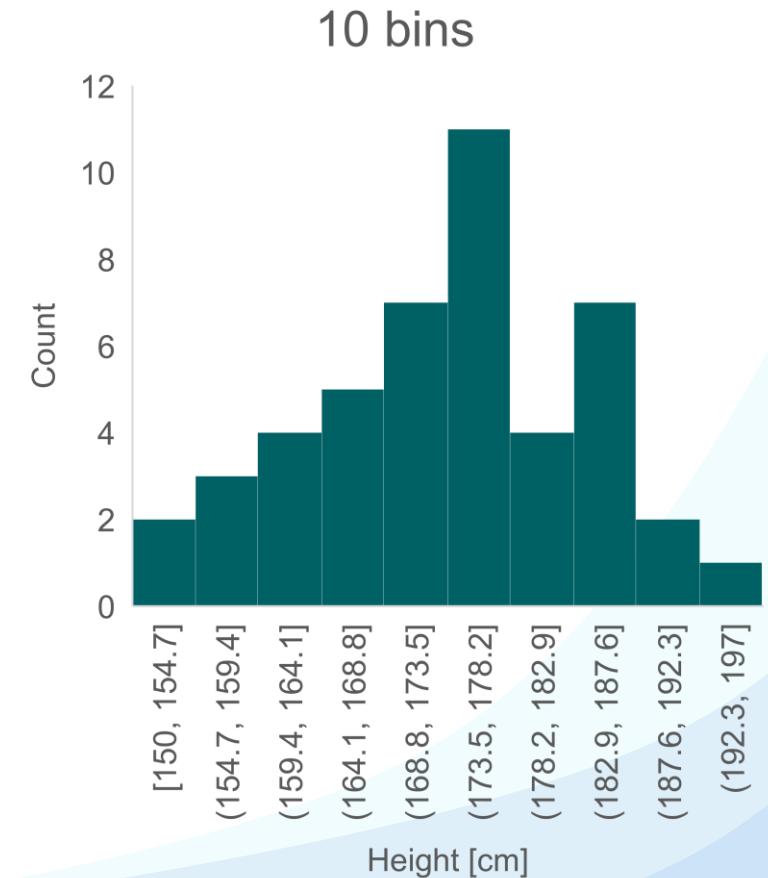
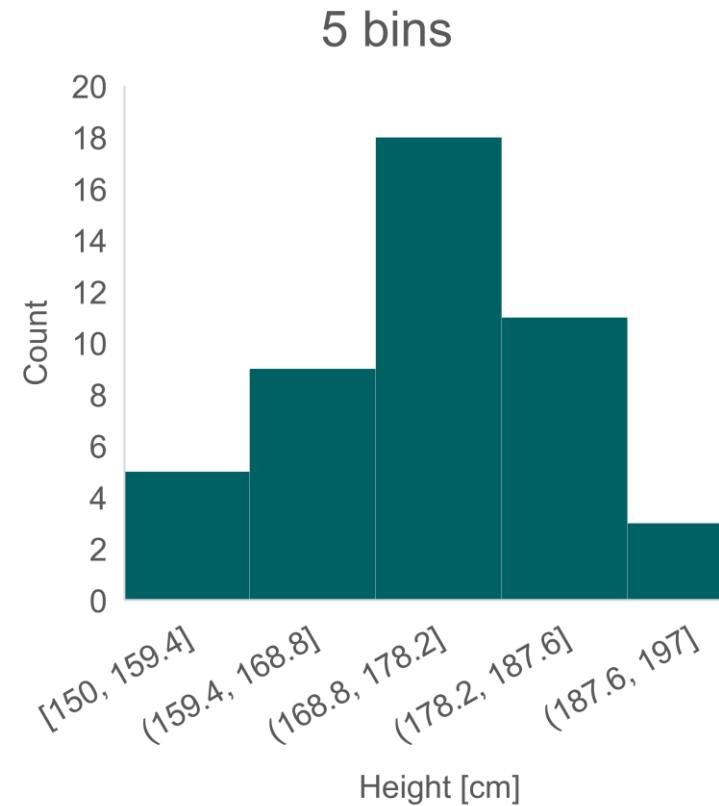
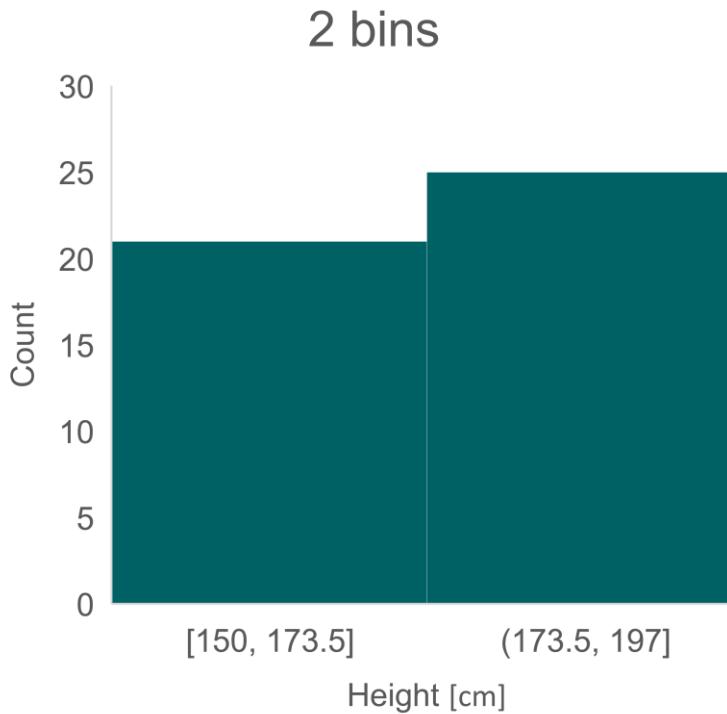
Binning – Number of Bins

- Too few bins may lead to the loss of information ([underfitting](#))
- Too many bins may lead to sparseness – bins that are empty or have just a few instances ([overfitting](#))



Equal Width Binning

Bins have a **fixed width**, but the number of items per bin may vary



Equal Width Binning - Example

Tree Age [years]	Tree Height [m]
9	26
51	96
47	61
77	118
64	91
2	6
48	60
13	31
9	11
29	86
90	107
80	88

Apply [equal width binning](#) to the feature **Tree Height** with a bin width of [29](#).
The lowest bin boundaries should coincide with the smallest value.

Equal Width Binning - Example

Tree Age [years]	Tree Height [m]
9	26
51	96
47	61
77	118
64	91
2	6
48	60
13	31
9	11
29	86
90	107
80	88

Apply equal width binning to the feature Tree Height with a bin width of 29.
The lowest bin boundaries should coincide with the smallest value.

1. Sort the data

Equal Width Binning - Example

Tree Age [years]	Tree Height [m]	Apply equal width binning to the feature Tree Height with a bin width of 29. The lowest bin boundaries should coincide with the smallest value.
2	6	
9	11	
9	26	1. Sort the data
13	31	
48	60	
47	61	
29	86	
80	88	
64	91	
51	96	
90	107	
77	118	

Equal Width Binning - Example

Tree Age [years]	Tree Height [m]	Apply equal width binning to the feature Tree Height with a bin width of 29. The lowest bin boundaries should coincide with the smallest value.
2	6	
9	11	
9	26	1. Sort the data
13	31	2. Distribute elements to bins
48	60	
47	61	
29	86	
80	88	
64	91	
51	96	
90	107	
77	118	

Equal Width Binning - Example

Tree Age [years]	Tree Height [m]
2	6
9	11
9	26
13	31
48	60
47	61
29	86
80	88
64	91
51	96
90	107
77	118

Apply equal width binning to the feature Tree Height with a bin width of 29. The lowest bin boundaries should coincide with the smallest value.

1. Sort the data
2. Distribute elements to bins:
 $6+29=35 \rightarrow [6,35)$

Equal Width Binning - Example

Tree Age [years]	Tree Height [m]
2	6
9	11
9	26
13	31
48	60
47	61
29	86
80	88
64	91
51	96
90	107
77	118

Apply equal width binning to the feature Tree Height with a bin width of 29. The lowest bin boundaries should coincide with the smallest value.

1. Sort the data
2. Distribute elements to bins:
 $6+29=35 \rightarrow [6,35)$
 $35+29=64 \rightarrow [35,64)$

Equal Width Binning - Example

Tree Age [years]	Tree Height [m]
2	6
9	11
9	26
13	31
48	60
47	61
29	86
80	88
64	91
51	96
90	107
77	118

Apply equal width binning to the feature Tree Height with a bin width of 29. The lowest bin boundaries should coincide with the smallest value.

1. Sort the data
2. Distribute elements to bins:
 $6+29=35 \rightarrow [6,35)$
 $35+29=64 \rightarrow [35,64)$
 $64+29=93 \rightarrow [64,93)$

Equal Width Binning - Example

Tree Age [years]	Tree Height [m]
2	6
9	11
9	26
13	31
48	60
47	61
29	86
80	88
64	91
51	96
90	107
77	118

Apply equal width binning to the feature Tree Height with a bin width of 29. The lowest bin boundaries should coincide with the smallest value.

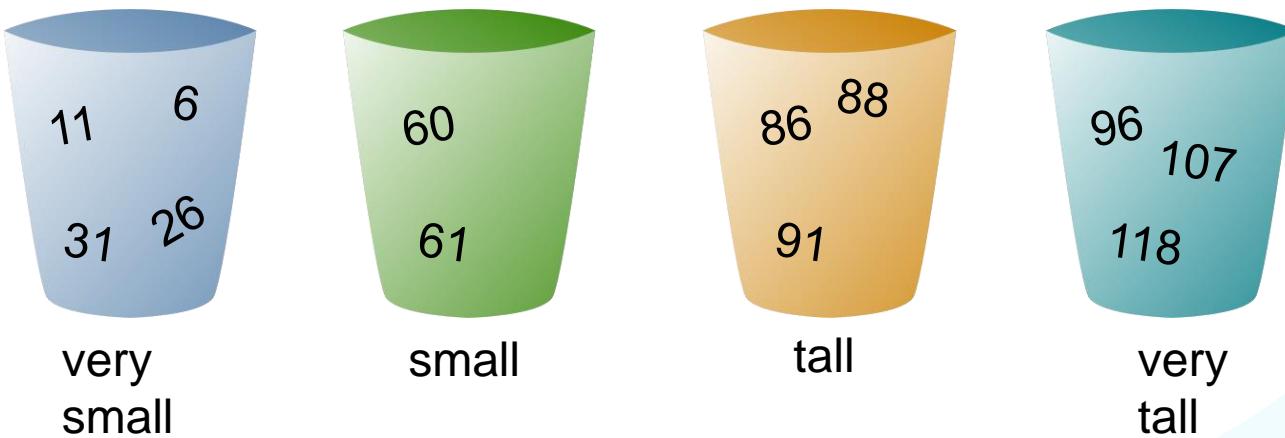
1. Sort the data
2. Distribute elements to bins:
 $6+29=35 \rightarrow [6,35)$
 $35+29=64 \rightarrow [35,64)$
 $64+29=93 \rightarrow [64,93)$
 $93+29=122 \rightarrow [93,122)$

Equal Width Binning - Example

Tree Age [years]	Tree Height [m]
2	6
9	11
9	26
13	31
48	60
47	61
29	86
80	88
64	91
51	96
90	107
77	118

Apply equal width binning to the feature Tree Height with a bin width of 29. The lowest bin boundaries should coincide with the smallest value.

1. Sort the data
2. Distribute elements to bins:

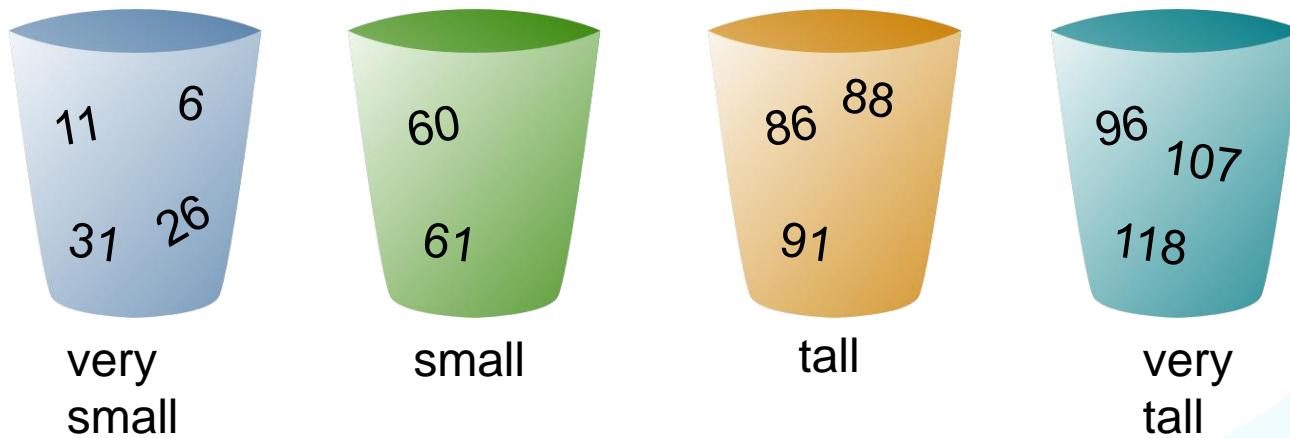


Equal Width Binning - Example

Tree Age [years]	Tree Height [m]
2	very small
9	very small
9	very small
13	very small
48	small
47	small
29	tall
80	tall
64	tall
51	very tall
90	very tall
77	very tall

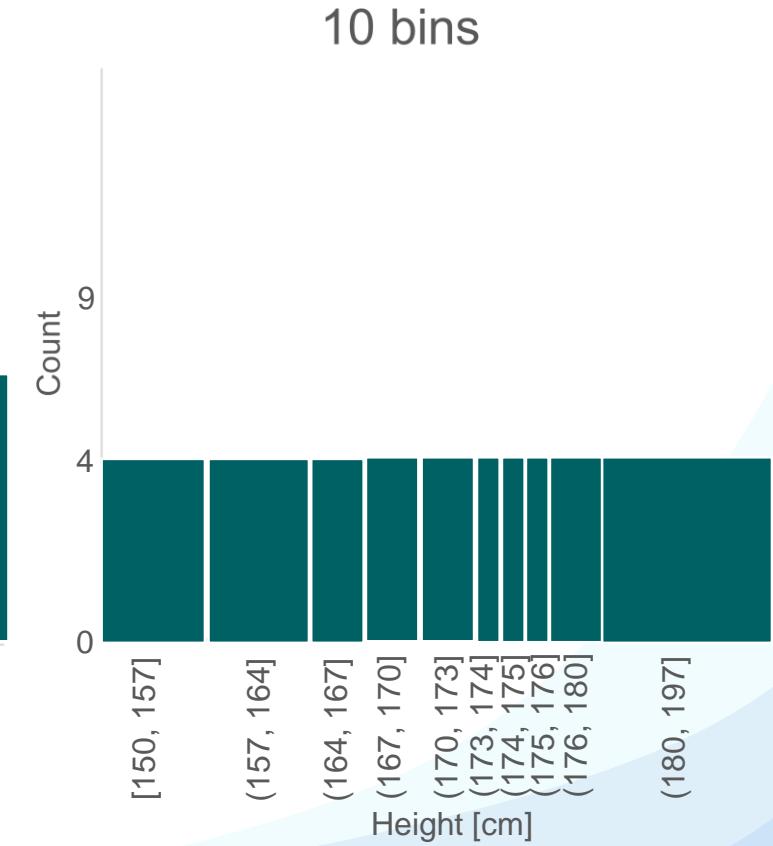
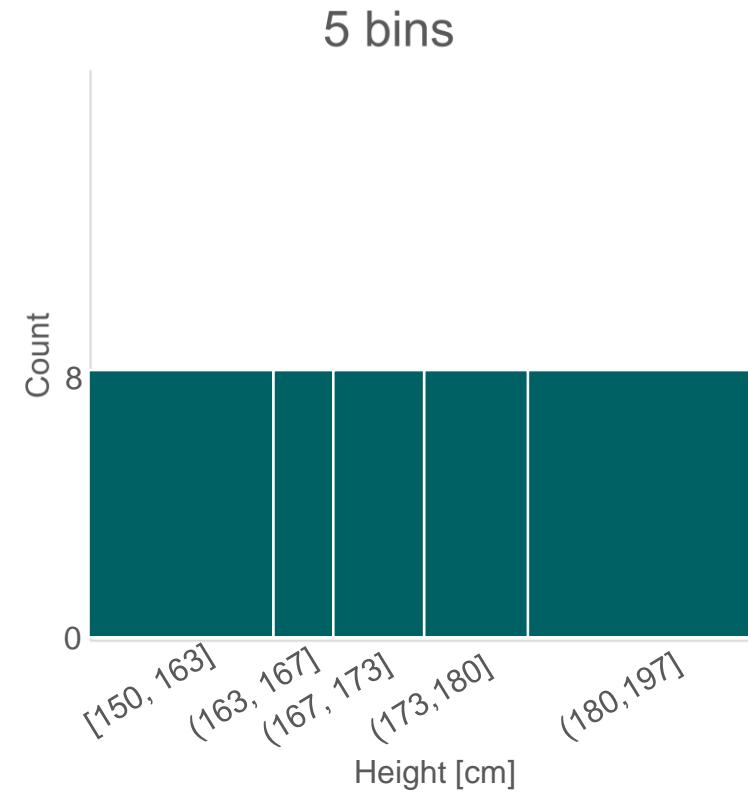
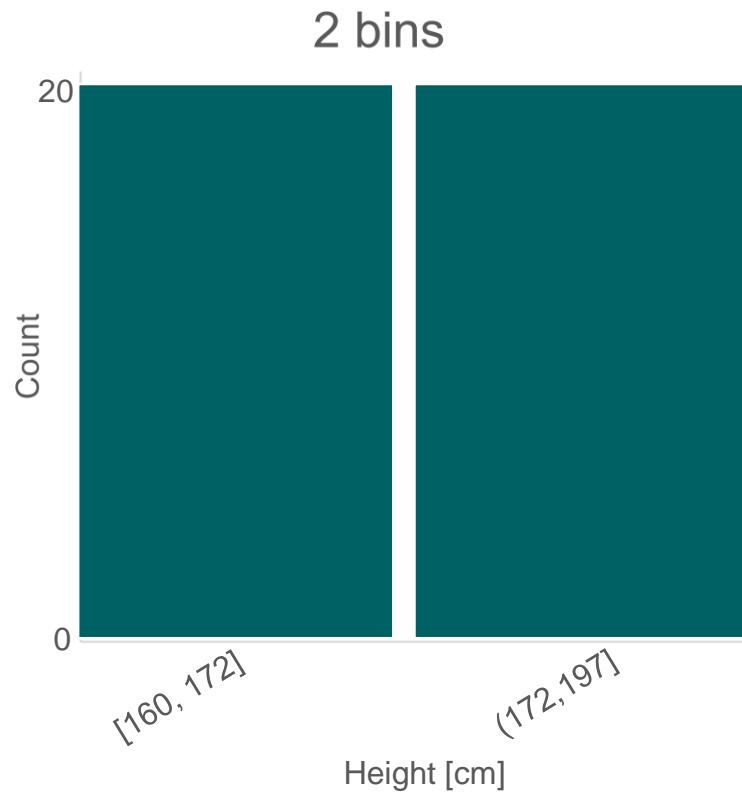
Apply [equal width binning](#) to the feature **Tree Height** with a bin width of [29](#). The lowest bin boundaries should coincide with the smallest value.

1. Sort the data
2. Distribute elements to bins:



Equal Frequency Binning

Bins vary in width, but the [numer of items per bin is fixed](#)



Equal Frequency Binning – Example

Tree Age [years]	Tree Height [m]
9	26
51	96
47	61
77	118
64	91
2	6
48	60
13	31
9	11
29	86
90	107
80	88

Apply [equal frequency binning](#) to the feature **Tree Age** with an element frequency of [4](#).

Equal Frequency Binning – Example

Tree Age [years]	Tree Height [m]
9	26
51	96
47	61
77	118
64	91
2	6
48	60
13	31
9	11
29	86
90	107
80	88

Apply [equal frequency binning](#) to the feature **Tree Age** with an element frequency of [4](#).

1. Sort the data

Equal Frequency Binning – Example

Tree Age [years]	Tree Height [m]
2	6
9	26
9	11
13	31
29	86
47	61
48	60
51	96
64	91
77	118
80	88
90	107

Apply [equal frequency binning](#) to the feature **Tree Age** with an element frequency of [4](#).

1. Sort the data

Equal Frequency Binning – Example

Tree Age [years]	Tree Height [m]	Apply equal frequency binning to the feature Tree Age with an element frequency of 4.
2	6	
9	26	
9	11	1. Sort the data
13	31	2. Distribute elements to bins
29	86	
47	61	
48	60	
51	96	
64	91	
77	118	
80	88	
90	107	

Equal Frequency Binning – Example

Tree Age [years]	Tree Height [m]	Apply equal frequency binning to the feature Tree Age with an element frequency of 4.
2	6	
9	26	
9	11	
13	31	
29	86	
47	61	1. Sort the data
48	60	2. Distribute elements to bins
51	96	
64	91	
77	118	
80	88	
90	107	

1. Sort the data

2. Distribute elements to bins

The diagram illustrates the process of equal frequency binning. On the left, a list of 12 sorted tree ages (2, 9, 9, 13, 29, 47, 48, 51, 64, 77, 80, 90) is shown. A teal arrow points from this list to three cylindrical bins. The first bin, labeled 'young', contains the values 2, 9, 9, and 13. The second bin, labeled 'medium', contains 29, 47, 48, and 51. The third bin, labeled 'old', contains 64, 77, 80, and 90. The bins are colored blue, green, and orange respectively, corresponding to the color-coded rows in the original table.

Equal Frequency Binning – Example

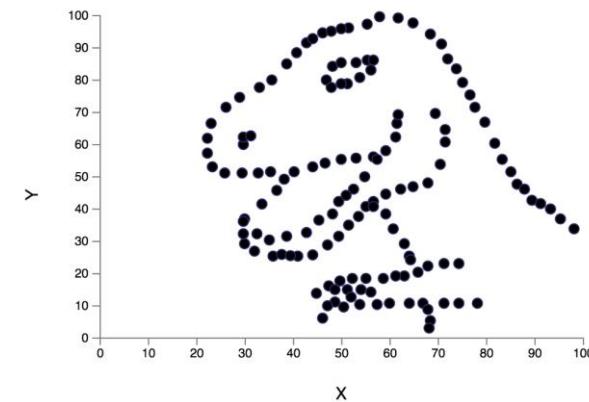
Tree Age [years]	Tree Height [m]	Apply equal frequency binning to the feature Tree Age with an element frequency of 4.
young	6	
young	26	
young	11	
young	31	
medium	86	1. Sort the data
medium	61	
medium	60	
medium	96	2. Distribute elements to bins
old	91	
old	118	
old	88	
old	107	

←

The diagram illustrates the result of equal frequency binning. It shows three colored cylinders representing bins: a blue cylinder labeled "young" containing the values 2, 9, 13, and 9; a green cylinder labeled "medium" containing the values 29, 47, 48, and 51; and an orange cylinder labeled "old" containing the values 64, 77, 80, and 90. A blue arrow points from the left side of the diagram towards the bins.

Key Points

- Raw data has no value, we need to extract information
- Not just known unknowns, also unknown unknowns
- Visual exploration is a vital first step
(initial understanding, spotting data quality problems, building trust, etc.)
 - Humans have pretty good visual pattern recognition abilities – use them!



How to Lie with Statistics

... or, how to avoid misleading information and visualizations.

“There are lies, damn lies, and statistics”

- Anonymous

Mark Twain?

Benjamin Disraeli?

How to Lie with Statistics

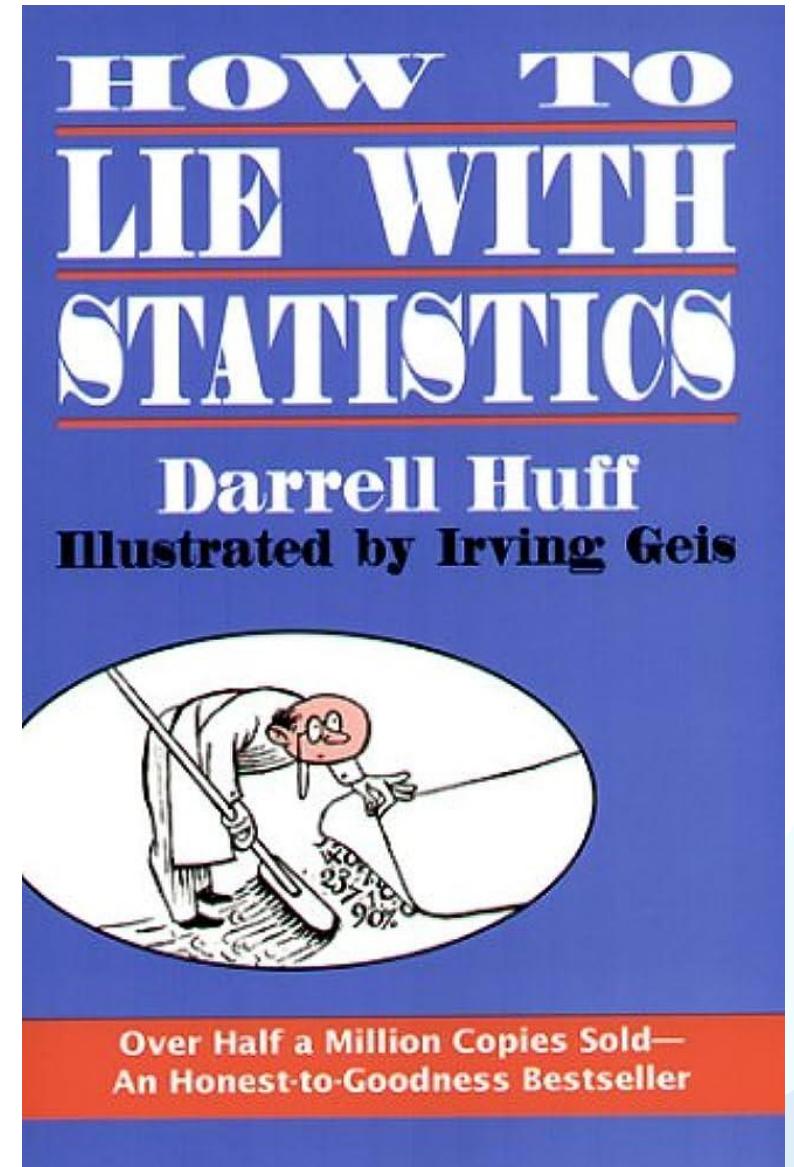
... or, how to avoid misleading information and visualizations.

- Design choice in presenting data and statistics have a huge impact!
- ...Even if what is shown is **technically true**

How to Lie with Statistics

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- Design choices in presenting data and statistics have a huge impact!
- ...Even if what is shown is **technically true**
- For an extreme example, search the case of **Sally Clark** (Discretion advised)



How to Lie with Statistics

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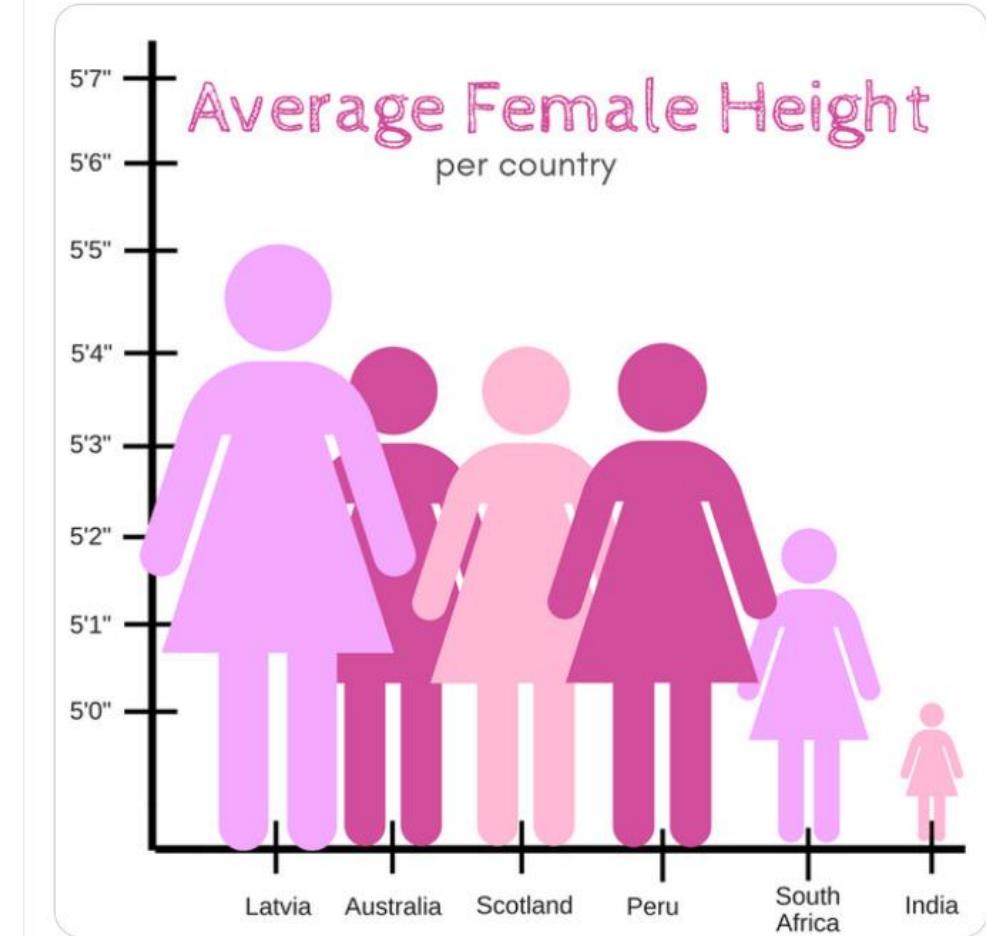
In some cases, rather than lying, the design is just **hilariously bad**.



Sabah Ibrahim
@reina_sabah



As an Indian woman, I can confirm that too much of my time is spent hiding behind a rock praying the terrifying gang of international giant ladies and their Latvian general don't find me



10:58 PM · Aug 6, 2020

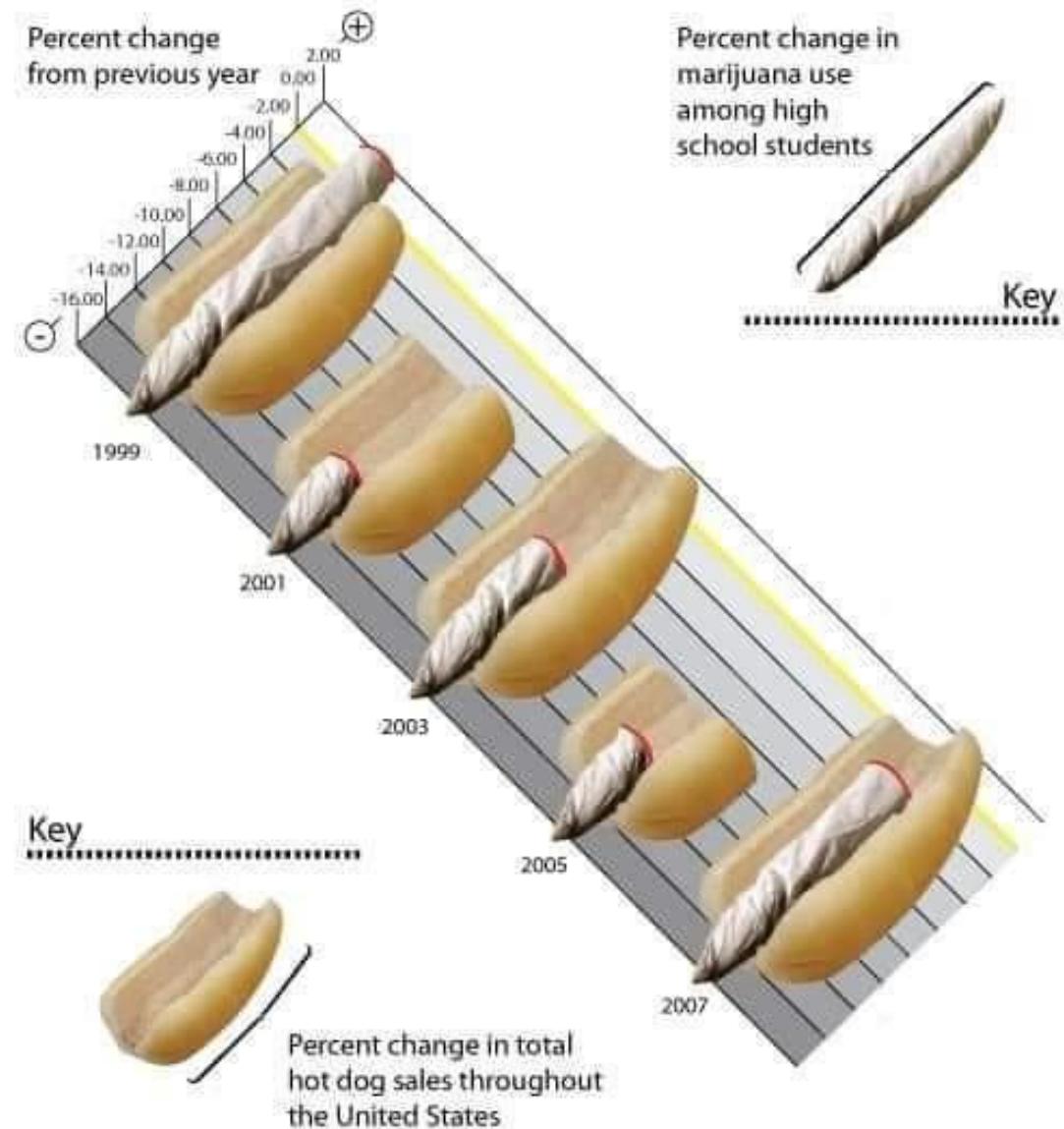


104.6K

How to Lie with Statistics

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In some cases, rather than lying, the design is just **hilariously bad**.



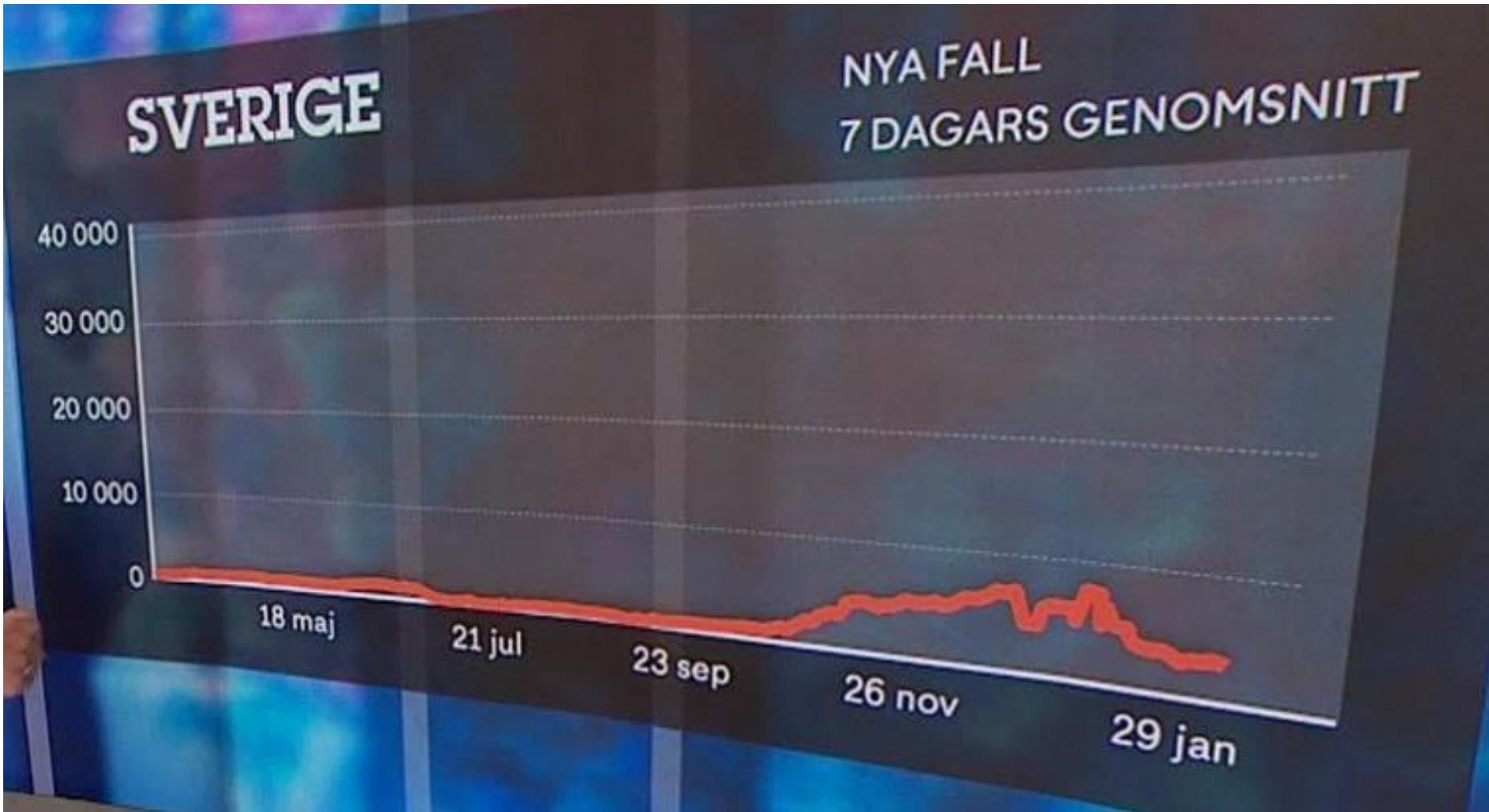
How to Lie with Statistics

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How to Lie with Statistics

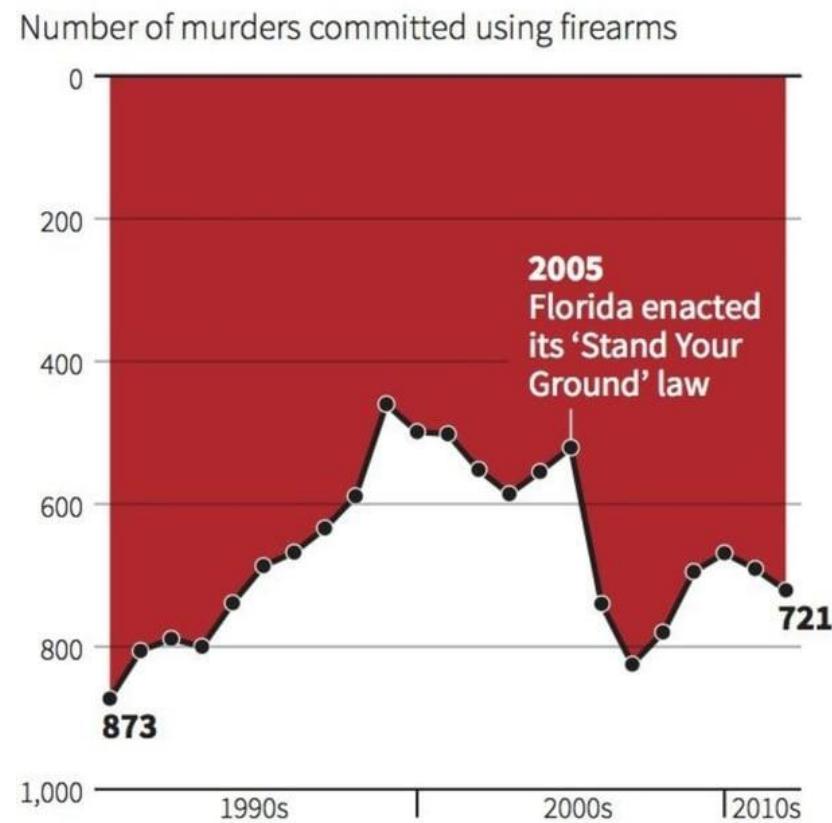
... or, how to avoid misleading information and visualizations.



How to Lie with Statistics

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Gun deaths in Florida



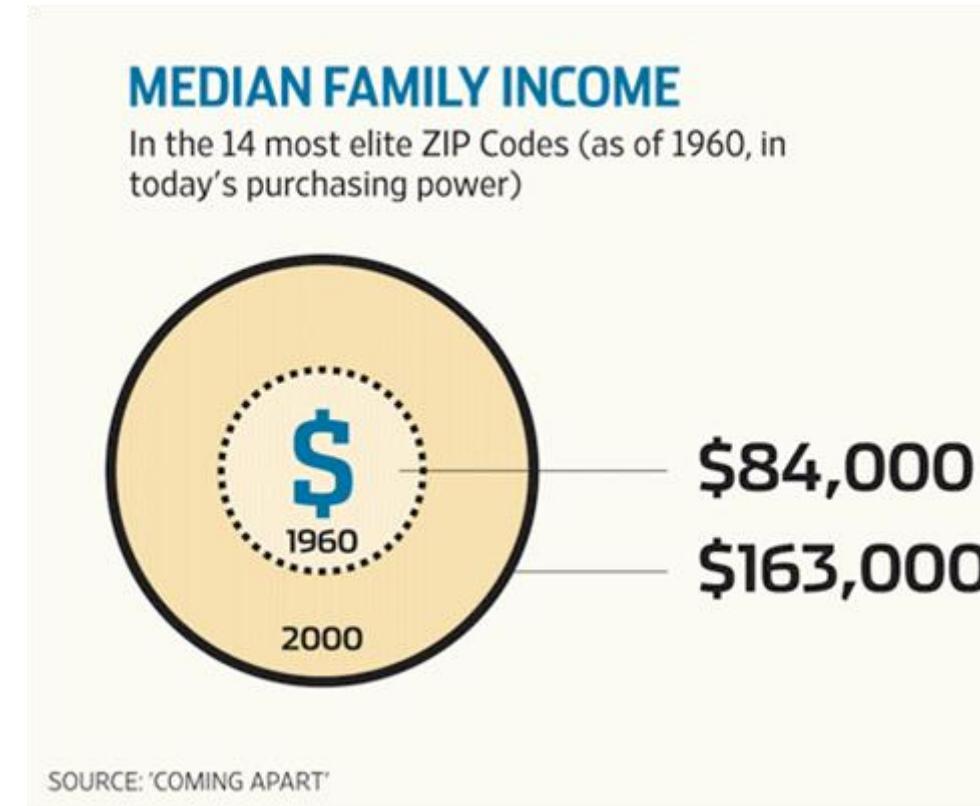
Source: Florida Department of Law Enforcement

C. Chan 16/02/2014

REUTERS

How to Lie with Statistics

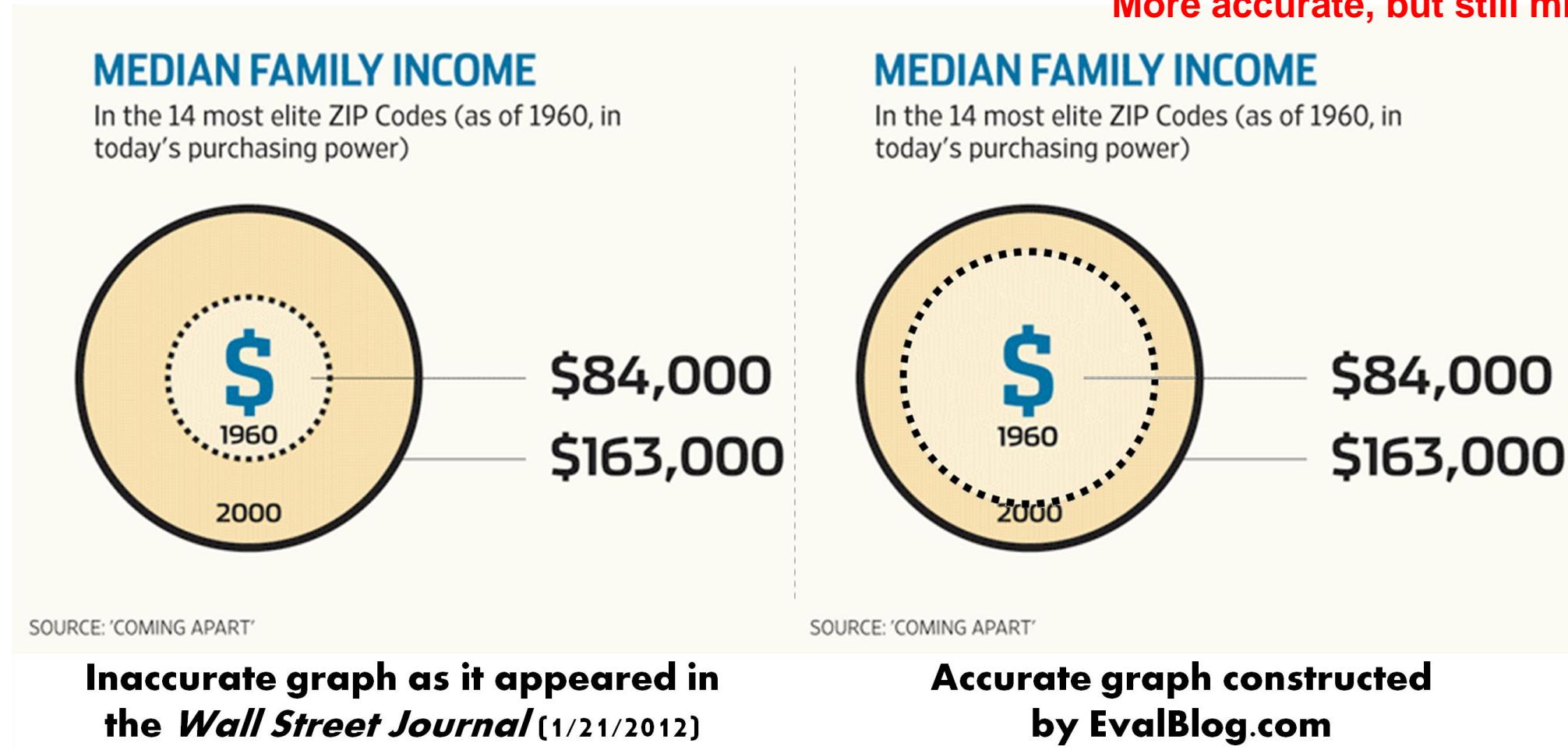
... or, how to avoid misleading information and visualizations.



The Wall Street Journal, 2012

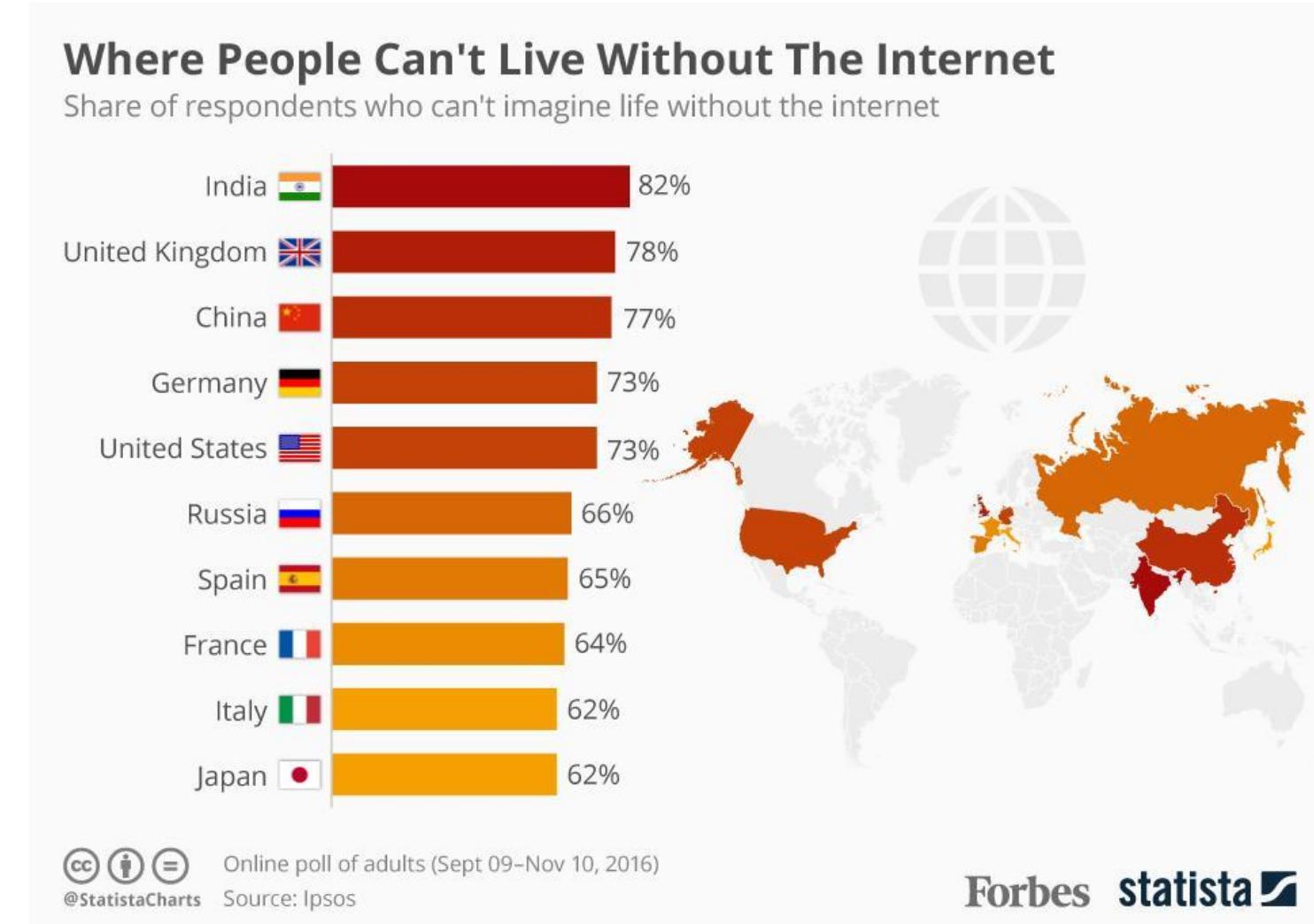
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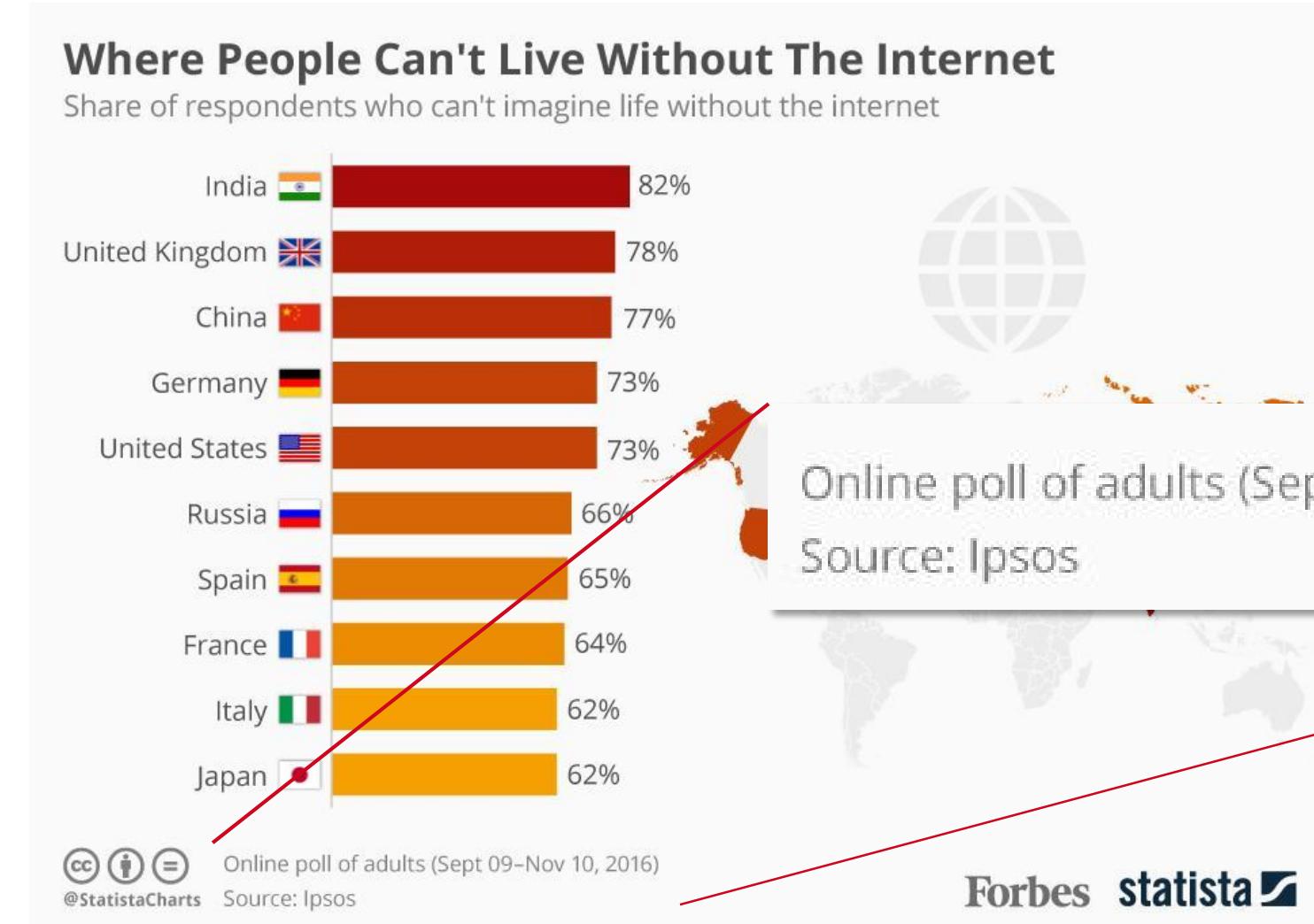
How to Lie with Statistics

... or, how to avoid misleading information and visualizations.



How to Lie with Statistics

... or, how to avoid misleading information and visualizations.



Wrap up

- Data is vital, but hard to manage!
- Obtaining insights is a looping process, not a one-off application of algorithms
- Various criticalities, such as noise and bias
- Visualization is always fundamental...
- ...and comes with its own challenges!

Next up: Decision Trees

