

Action Recognition & Categories via Spatial-Temporal Features

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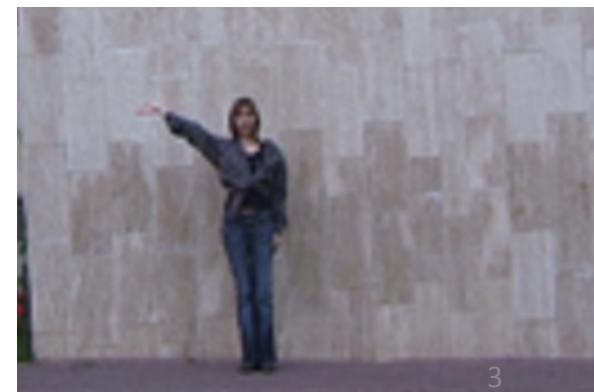
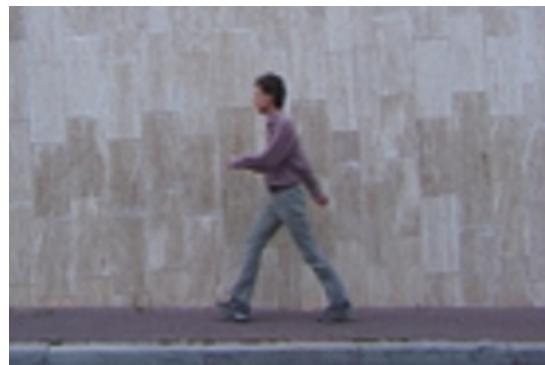
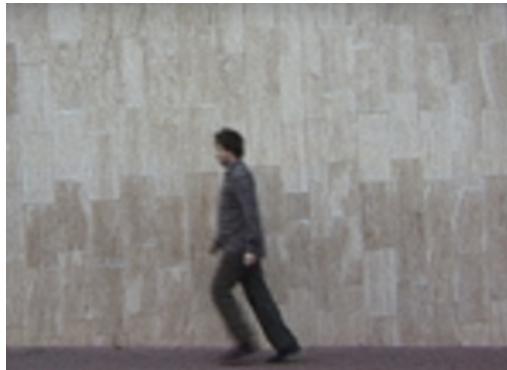
2014/4/9

Outline

- Introduction
- Frameworks
 - Feature extraction and description
 - Action Classification
- Multiple actions categories
- Experiments
- Reference

Introduction

- Motivation: How detection and recognition behavior from video sequences ?



Introduction

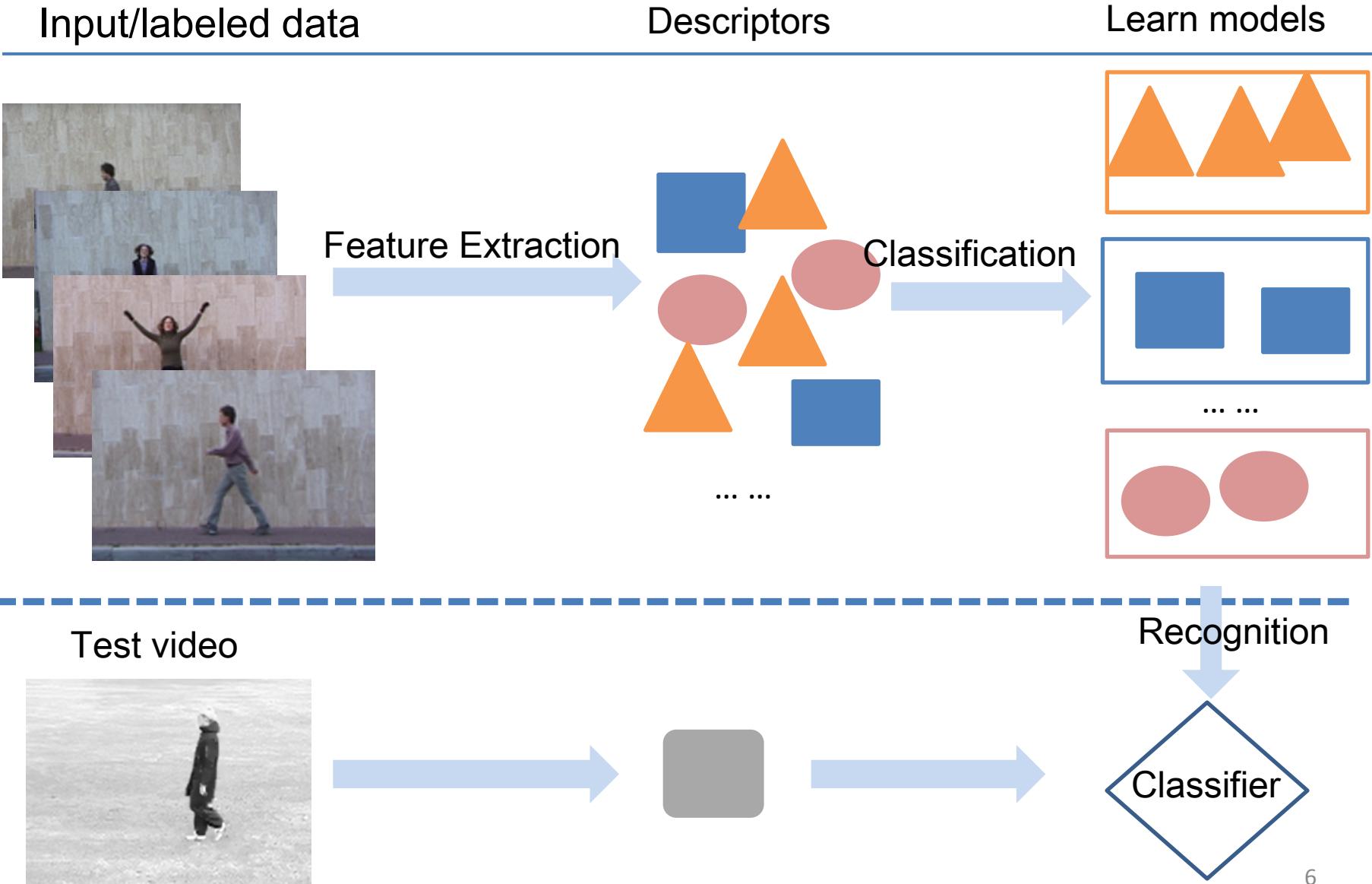
- Motivation: How recognize and localize multiple actions in long and complex video sequences containing multiple motions ?



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Frameworks



Feature Extraction

- Interest point detection
 - Response function:

$$R = (I * g * h_{ev})^2 + (I * g * h_{od})^2$$

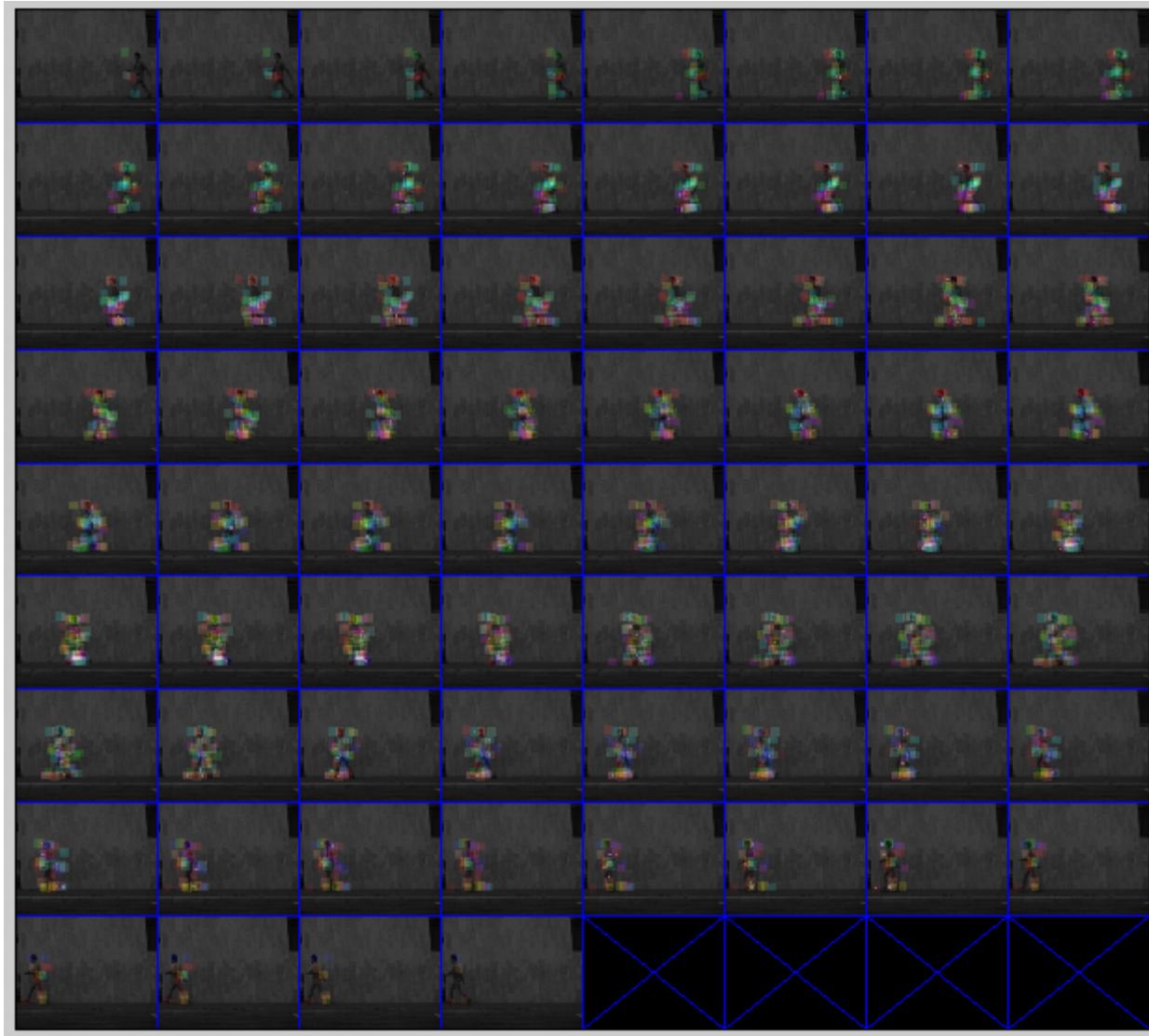
where $g(x, y; \sigma)$ is the 2D Gaussian smoothing kernel. And h_{ev} and h_{od} are a quadrature pair of 1D Gabor filters applied temporally.

$$h_{od}(t; \tau, \omega) = -\sin(2\pi t\omega)e^{-t^2/\tau^2}$$
$$h_{ev}(t; \tau, \omega) = -\cos(2\pi t\omega)e^{-t^2/\tau^2}$$

Using $\omega = 4/\tau$. the tuning parameters σ and τ are corresponding roughly to the spatial and temporal scale of the detector.

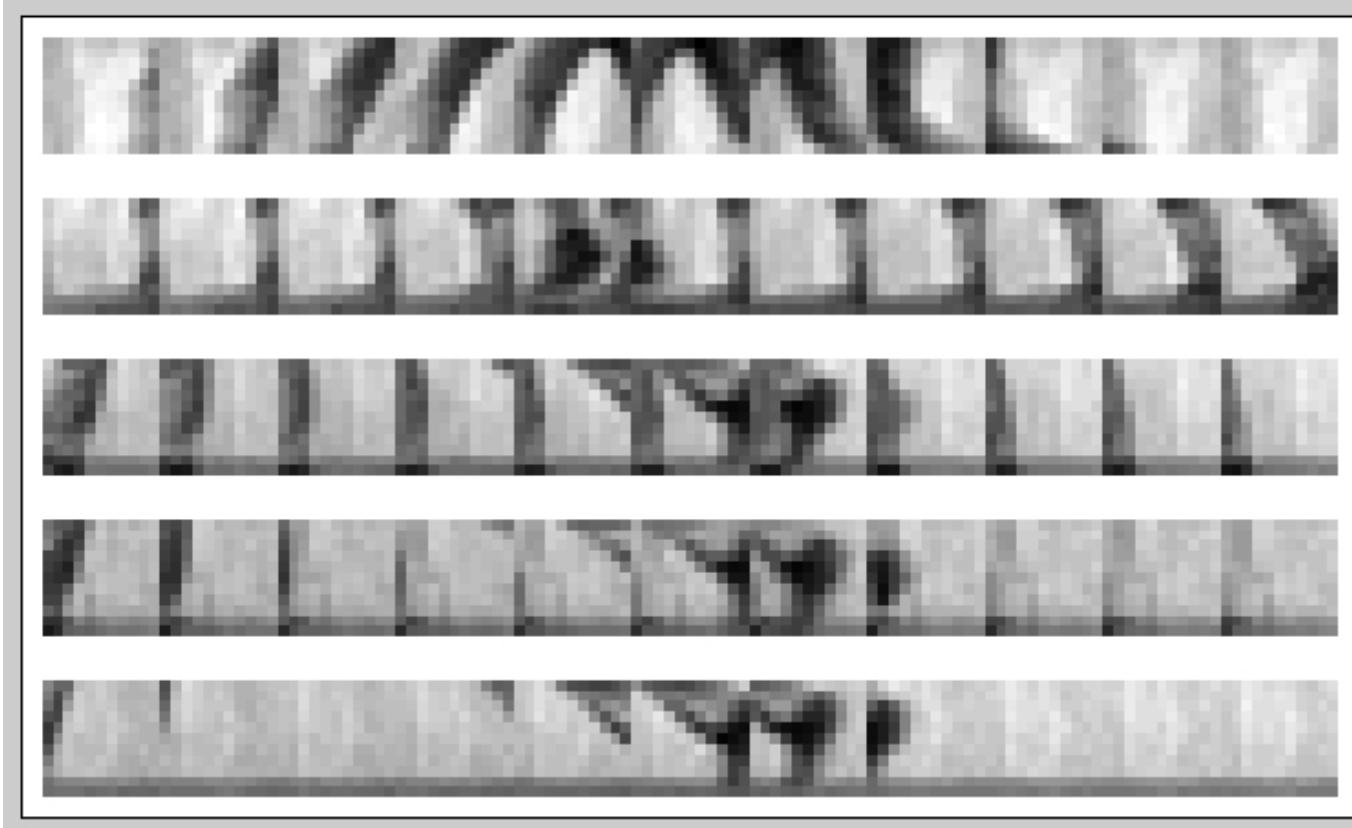
- A Cuboid
 - A cuboid is extracted which contains the spatio-temporally windowed pixel values.
 - $\text{Size}(x, y, t) : (2\lceil 3\sigma \rceil + 1, 2\lceil 3\sigma \rceil + 1, 2\lceil 3\tau \rceil + 1)$

Interest Points visualization



Type: Walk
 $\sigma = 1.5$
 $\tau = 1.5$

The Cuboid visualization

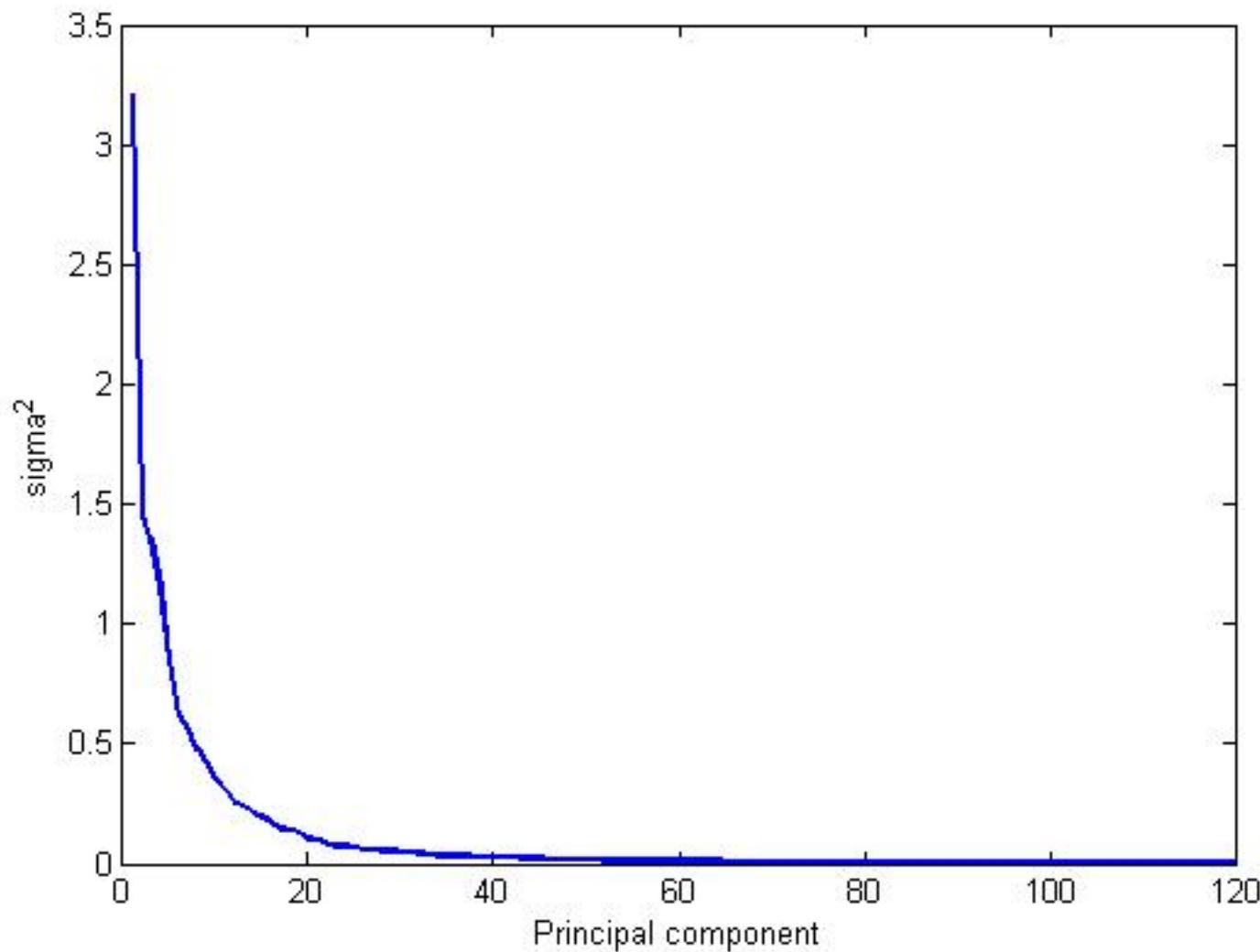


Type: Walk
 $\sigma = 1.5$
 $\tau = 1.5$

Feature Extraction(cont.)

- Cuboid to a feature vector
 - Gaussian smoothing (at different scale, σ)
 - Calculate **the brightness gradient** (G_x, G_y, G_t) at each spatio-temporal location (x, y, t)
 - string out vector
- Dimensionality reduction: PCA
 - Random subsample cuboids from all data
 - Calculate the first k principal components by **PCA**. (setting $k = 100$)
 - Project the centralized feature vectors into the new basis. ($N \times k$)
 - (PCA-SIFT descriptor)

Principal components are descending sorted by the corresponding variances.

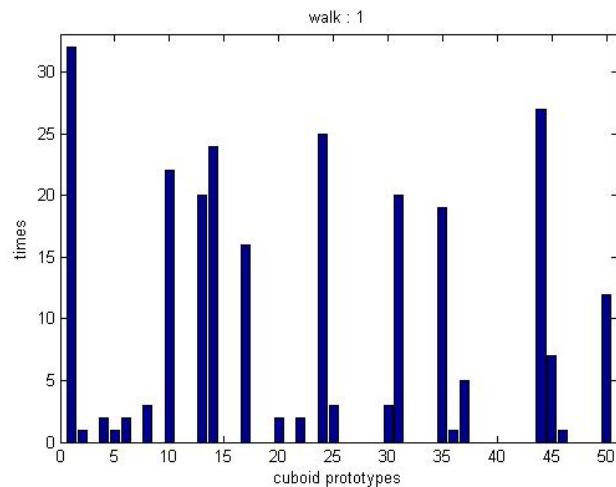


Feature Description

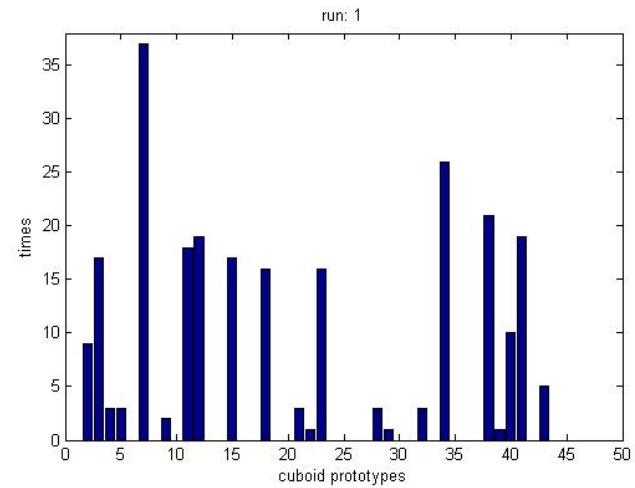
- Cuboid Prototype
 - Create a library of cuboid prototype by clustering the cuboids descriptors.
 - Using **K-means** and Euclidean distance, setting k=50
- Behavior Descriptor
 - Use a **histogram** of the cuboid types as the behavior descriptor.
 - Distance between histograms: **chi-squared** distance

$$d_{\chi^2}(x, y) = \sum_i \frac{(x_i - y_i)^2}{2(x_i + y_i)}$$

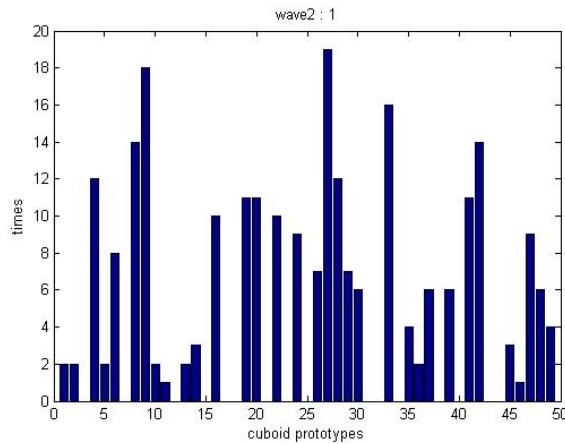
Histogram Descriptor Samples:



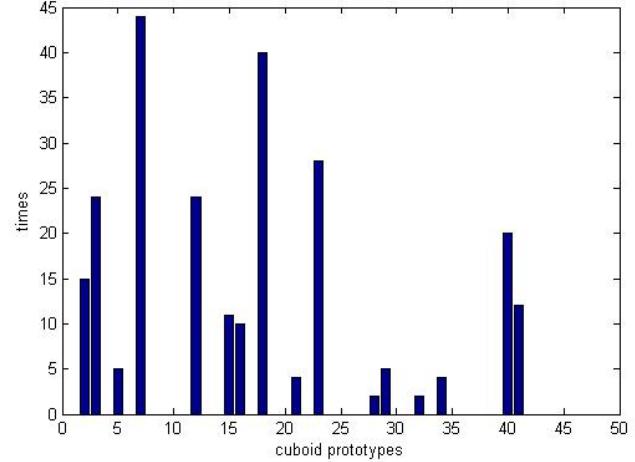
a) Walk



b) Run



c) wave2



d) jump

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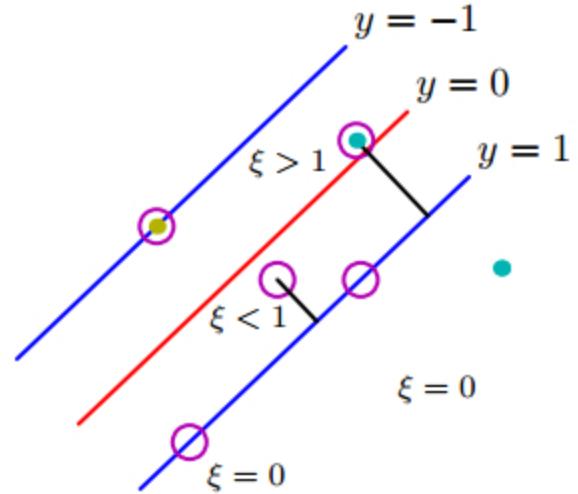
Classification

- Simplest method: 1-NN
 - Find nearest neighbors based on chi-squared distance.
- Support Vector Machine
 - Use Norm2 SVM (least square SVM)
 - Use chi-squared Kernel
$$K_{\chi^2-RBF}(x, x') = \exp(-\rho(1 - d_{\chi^2}(x, x')))$$
 - Multiclass SVM: one-versus-the-rest
 - appropriate scale
 - Imbalance: Positive class: +1; negative class: -1/(K-1)

A Brief Intro. to SVM

The two-class classification problem: minimize

$$C \sum_{n=1}^N \xi_n + \frac{1}{2} \|w\|^2$$



subject to

$$t_n(w^T \phi(x) + b) \geq 1 - \xi_n, n = 1 \dots, N$$

where $t_n \in \{-1, 1\}$, $\xi_n \geq 0$ are slack variables. Using Lagrange multipliers, we obtain the dual Lagrangian,

$$\tilde{L}(a) = \sum_{n=1}^N a_n - \frac{1}{2} \sum_{n=1}^N \sum_{m=1}^M a_n a_m t_n t_m k(x_n, x_m)$$

subject to $0 \leq a_n \leq C$ (box constraints) and $\sum_{n=1}^N a_n t_n = 0$

Optimization methods:

- 1) Quadratic Programming(QP): Chunking(Vapnik, 1982, Burges, 1998)
- 2) Sequential minimal optimization, or SMO (Platt, 1999)

A Brief Intro. to LS-SVM

The classification problem becomes minimizing

$$C \sum_{n=1}^N e_n^2 + \frac{1}{2} \|w\|^2$$

- Lost the sparseness

Define the Lagrangian, and Lagrangian multipliers α_n can be either positive or negative due to KKT conditions. The solution now can be written as the set of linear equation,

$$\left[\begin{array}{ccc|c} I & 0 & 0 & -Z^T \\ 0 & 0 & 0 & -Y^T \\ 0 & 0 & \gamma I & -I \\ \hline Z & Y & I & 0 \end{array} \right] \begin{bmatrix} w \\ b \\ e \\ \alpha \end{bmatrix} = \begin{bmatrix} 0 \\ 0 \\ 0 \\ \vec{1} \end{bmatrix} \quad (19)$$

where $Z = [\phi(x_1)^T y_1; \dots; \phi(x_N)^T y_N]$, $Y = [y_1; \dots; y_N]$, $\vec{1} = [1; \dots; 1]$, $e = [e_1; \dots; e_N]$, $\alpha = [\alpha_1; \dots; \alpha_N]$. The solution is also given by

$$\left[\begin{array}{c|c} 0 & -Y^T \\ \hline Y & ZZ^T + \gamma^{-1} I \end{array} \right] \begin{bmatrix} b \\ \alpha \end{bmatrix} = \begin{bmatrix} 0 \\ \vec{1} \end{bmatrix}. \quad (20)$$

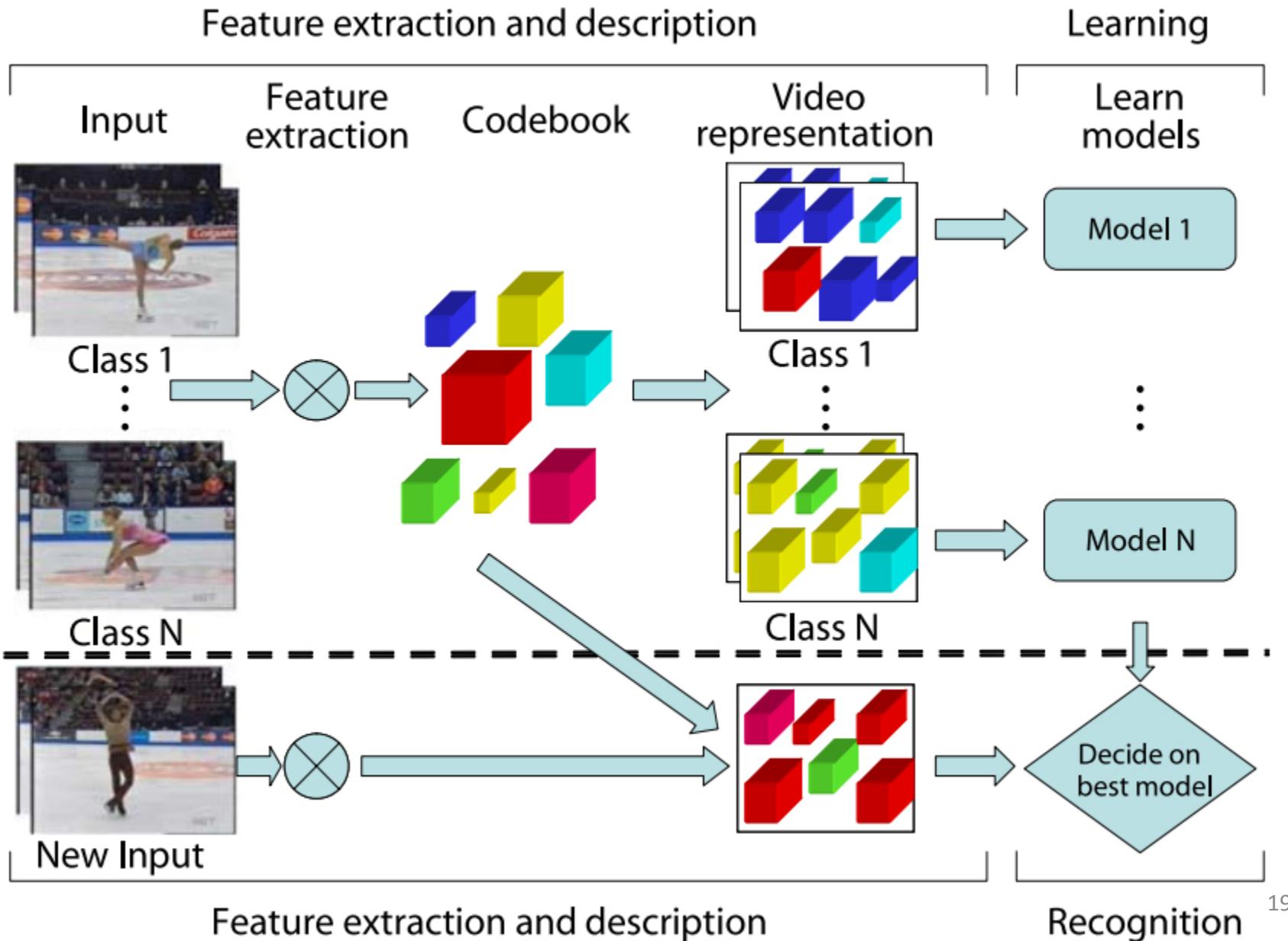
Mercer's condition can be applied again to the matrix $\Omega = ZZ^T$ where

$$\begin{aligned} \Omega_{kl} &= y_k y_l \phi(x_k)^T \phi(x_l) \\ &= y_k y_l \psi(x_k, x_l). \end{aligned} \quad (21)$$

Outline

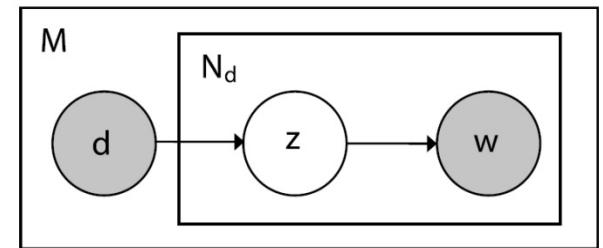
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Multi-actions categories Framework



Multi-actions categories scheme

- Feature Extraction: Cuboid descriptor(PCA-SIFT)
- Build vocabulary(**codebook**):
 - by clustering using k-means and Euclidean distance, $k = 1000$
- Label each codeword (w_i) with a topic/category (z_k)
 - Assign each interest point (training) to a codeword
 - By maximizing the posterior $P(z_k | w_i)$
- Assign detected interest points a topic
 - By assign each point to a codeword
- Topic Localization
 - how many action categories are significantly in a single sequence?
 - k-means to the spatial position of space-times patches.
 - Each word votes for its assigned action within its cluster.



- Topic Localization(cont.)
 - how many action categories are significantly in a single sequence?
 - Tuning parameters.

```
% how many action categories ?
categ_idx = [];
k = 0;
for j=1:ntype
    if type_prob(j)>0.5 || ...
        (type_prob(j)>0.4 && type_cnts(j) > 5) || ...
        (type_prob(j)>0.3 && type_cnts(j) > 14) || ...
        (type_prob(j)>0.2 && type_cnts(j) > 13) || ...
        (type_prob(j)>0.1 && type_cnts(j) > 15)
        categ_idx = [categ_idx,j];
        k = k + 1;
    end
end
```

- We call this method **Voting**.

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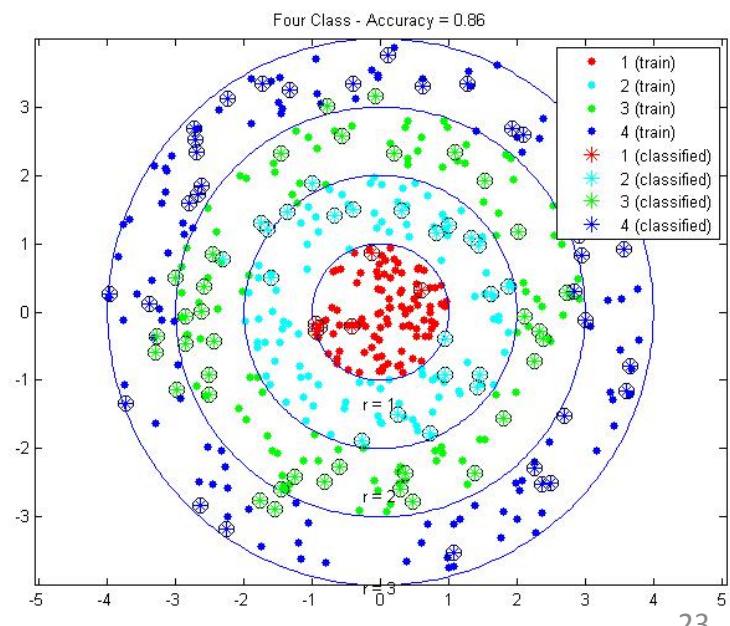
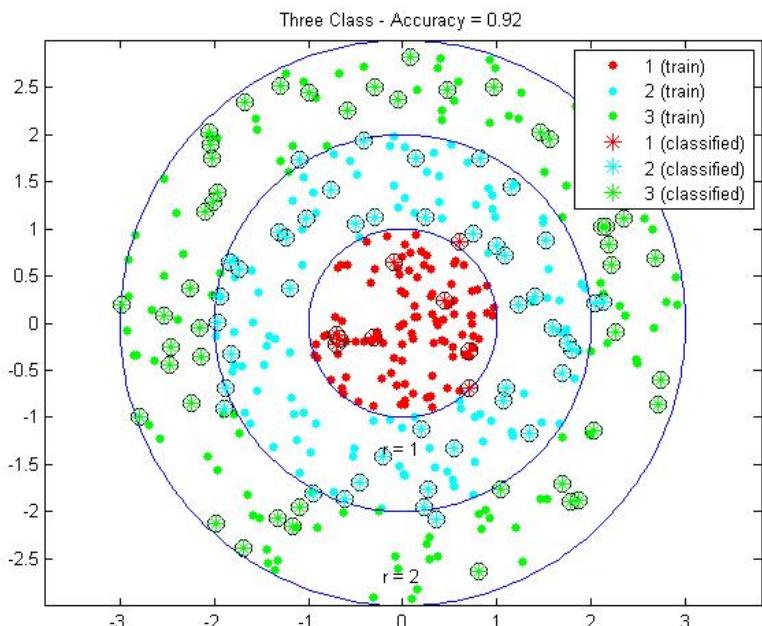
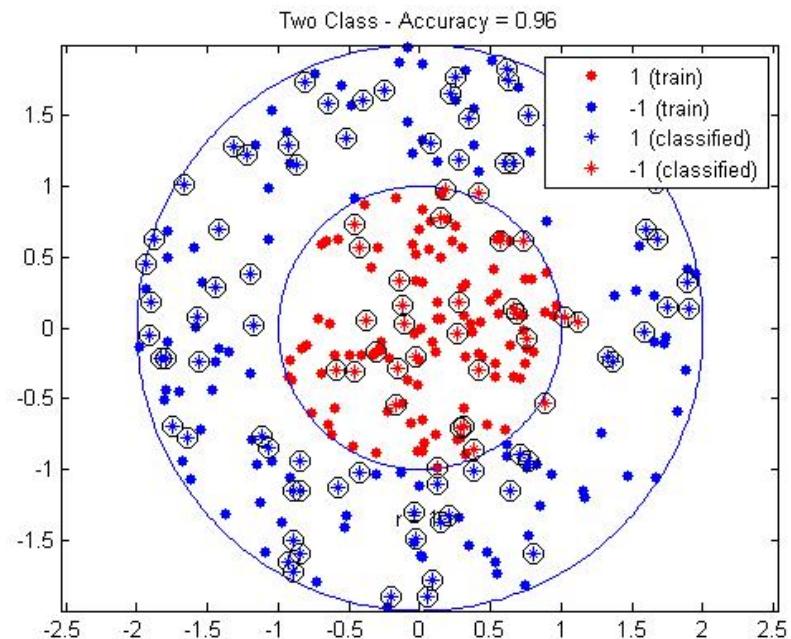
SVM Classifier on Toy dataset

Accuracy:

2 class: 0.9600

3 class: 0.9200

4 class: 0.8600



Experiment 1: Weizmann dataset

- Dataset Setup
 - Weizmann human action dataset [1]
 - Contains 90 low-resolution (180x144,50fps) video sequences showing 9 different people, each performing 10 actions (bend, jack, jump, pjump, run, side, skip, walk, wave1, wave2)



wave1



walk



wave2



side



jack



jump



run



bend

Result: Weizmann by 1NN

- $\sigma = 1.2, \tau = 1.2,$
- $\text{maxn(interest points)} = 200$
- Kpca = 100
- Divide into 9 subset
- Leave-one-out test
- Repeat: 5 times
- Overall accuracy: **0.7933**

bend	1.0	.00	.00	.00	.00	.00	.00	.00	.00
jack	.00	1.0	.00	.00	.00	.00	.00	.00	.00
jump	.00	.00	.71	.00	.04	.00	.24	.00	.00
pjump	.00	.00	.00	1.0	.00	.00	.00	.00	.00
run	.00	.00	.00	.00	.67	.02	.31	.00	.00
side	.00	.00	.02	.00	.04	.87	.02	.04	.00
skip	.00	.00	.33	.00	.29	.00	.29	.09	.00
walk	.00	.00	.04	.00	.00	.04	.11	.80	.00
wave1	.00	.00	.00	.00	.00	.00	.00	.87	.13
wave2	.02	.02	.00	.00	.00	.00	.00	.22	.73



Result: Weizmann by LS-SVM

bend	1.0	.00	.00	.00	.00	.00	.00	.00	.00	.00
jack	.00	1.0	.00	.00	.00	.00	.00	.00	.00	.00
jump	.00	.00	.67	.00	.00	.11	.22	.00	.00	.00
pjump	.00	.00	.00	.89	.00	.11	.00	.00	.00	.00
run	.00	.11	.00	.00	.44	.00	.22	.22	.00	.00
side	.00	.00	.00	.00	.00	.78	.11	.11	.00	.00
skip	.00	.00	.11	.00	.33	.11	.44	.00	.00	.00
walk	.00	.00	.00	.00	.11	.11	.11	.67	.00	.00
wave1	.00	.00	.00	.00	.00	.00	.00	.89	.11	.00
wave2	.00	.00	.00	.00	.00	.00	.00	.11	.89	.00

Linear:
0.7467

bend	.78	.00	.00	.00	.00	.00	.00	.00	.22	.00
jack	.00	.89	.00	.00	.00	.00	.00	.00	.11	.00
jump	.00	.00	.56	.00	.00	.00	.44	.00	.00	.00
pjump	.00	.00	.00	.89	.00	.00	.00	.00	.11	.00
run	.00	.00	.00	.00	.67	.00	.33	.00	.00	.00
side	.00	.00	.00	.00	.00	.78	.00	.11	.11	.00
skip	.00	.00	.22	.00	.00	.00	.56	.11	.11	.00
walk	.00	.00	.00	.00	.00	.00	.00	.78	.22	.00
wave1	.00	.00	.00	.00	.00	.00	.00	.00	1.0	.00
wave2	.00	.00	.00	.00	.00	.00	.00	.00	.33	.67

Polynomial:
0.7556

bend	.00	.00	.00	.00	.11	.22	.00	.22	.44	.00
jack	.00	.00	.00	.00	.11	.22	.00	.22	.44	.00
jump	.00	.00	.00	.00	.11	.22	.00	.22	.44	.00
pjump	.00	.00	.00	.00	.11	.22	.00	.22	.44	.00
run	.00	.00	.00	.00	.11	.22	.00	.22	.44	.00
side	.00	.00	.00	.00	.11	.22	.00	.22	.44	.00
skip	.00	.00	.00	.00	.11	.22	.00	.22	.44	.00
walk	.00	.00	.00	.00	.11	.22	.00	.22	.44	.00
wave1	.00	.00	.00	.00	.11	.22	.00	.22	.44	.00
wave2	.00	.00	.00	.00	.11	.22	.00	.22	.44	.00

RBF:
0.1000

bend	.67	.11	.00	.00	.00	.00	.00	.11	.11	.00
jack	.67	.00	.00	.00	.00	.00	.00	.00	.22	.11
jump	.67	.00	.11	.11	.00	.00	.00	.00	.11	.00
pjump	.67	.00	.11	.00	.00	.00	.00	.00	.22	.00
run	.67	.00	.00	.00	.00	.00	.00	.11	.00	.22
side	.67	.11	.00	.00	.00	.11	.00	.11	.00	.00
skip	.67	.00	.00	.00	.00	.00	.00	.11	.11	.11
walk	.78	.11	.00	.00	.00	.00	.00	.00	.00	.11
wave1	.78	.00	.00	.00	.11	.00	.00	.00	.11	.00
wave2	.67	.00	.11	.00	.00	.00	.00	.00	.11	.11

Chi-squared:
0.1022

Result: Weizmann by Voting

- $\sigma = 1.2$, $\tau = 1.2$,
`maxn(interest points) = 200`
- `Kpca = 100`
- `ncodeword = 1000`
- Divide into 9 subset
- Leave-one-out test
- Repeat: 5 times
- Overall accuracy: **0.7333**

bend	1.0	.00	.00	.00	.00	.00	.00	.00	.00
jack	.00	1.0	.00	.00	.00	.00	.00	.00	.00
jump	.00	.00	.56	.00	.00	.00	.33	.11	.00
pjump	.00	.00	.00	1.0	.00	.00	.00	.00	.00
run	.00	.00	.11	.00	.67	.00	.22	.00	.00
side	.00	.00	.00	.00	.00	1.0	.00	.00	.00
skip	.00	.00	.67	.00	.22	.00	.11	.00	.00
walk	.00	.00	.00	.00	.00	.00	.00	1.0	.00
wave1	.11	.00	.00	.00	.00	.00	.00	.00	.89
wave2	.00	.00	.00	.00	.00	.00	.00	.00	1.0



Experiments 2: KTH dataset

- Dataset setup:

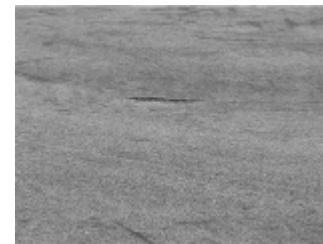
- KTH human action dataset [2]
 - Contains 6 types of human actions (walking, jogging, running, boxing, hand waving and hand clapping) preformed by 25 difference people in 4 different scenarios of outdoor and indoor environment with scale change.
 - Total 598 (160x140) video sequences



boxing



handclapping



jogging



handwaving



running



walking

Great thanks to xcy for downloading the dataset.
[2] <http://www.nada.kth.se/cvap/actions/>

Result: KTH dataset by 1NN

- $\sigma = 2$, $\tau = 2.5$,
- $\text{maxn}(\text{interest points}) = 300$
- $\text{Kpca} = 200$
- Divide into 25 subsets
- Leave-one-out test
- Repeat: 5 times
- Overall accuracy: **0.8179**

walking	.90	.08	.02	.01	.00	.00
jogging	.05	.67	.28	.00	.00	.00
running	.00	.23	.77	.00	.00	.00
boxing	.01	.00	.00	.84	.00	.15
handwaving	.00	.00	.00	.02	.91	.06
handclapping	.00	.00	.00	.16	.02	.82
walking						
jogging						
running						
boxing						
handwaving						
handclapping						

29

Result: KTH dataset by LS-SVM

walking	.87	.08	.02	.00	.00	.03
jogging	.12	.66	.21	.00	.00	.01
running	.03	.24	.73	.00	.00	.00
boxing	.01	.00	.00	.78	.00	.21
handwaving	.01	.00	.00	.01	.90	.08
handclapping	.00	.00	.00	.20	.03	.77

Linear

walking	.86	.12	.01	.00	.01	.00
jogging	.05	.55	.40	.00	.00	.00
running	.01	.21	.78	.00	.00	.00
boxing	.00	.00	.00	.86	.01	.13
handwaving	.00	.00	.04	.03	.90	.03
handclapping	.00	.00	.00	.12	.03	.85

Polynomial

walking	.04	.00	.04	.00	.92	.00
jogging	.04	.00	.04	.00	.92	.00
running	.04	.00	.04	.00	.92	.00
boxing	.04	.00	.04	.00	.92	.00
handwaving	.04	.01	.04	.00	.91	.00
handclapping	.03	.00	.04	.00	.93	.00

RBF

walking	.18	.22	.24	.16	.12	.08
jogging	.28	.16	.20	.14	.08	.14
running	.18	.22	.24	.08	.08	.20
boxing	.20	.17	.20	.15	.11	.16
handwaving	.21	.21	.13	.15	.08	.22
handclapping	.20	.18	.24	.14	.07	.16

Linear: **0.7844**
 Polynomial: **0.7996**
 RBF: **0.1656**
 Chi-squared: **0.1624**

Chi-squared

Result: KTH dataset by Norm1 SVM

	walking	jogging	running	boxing	handwaving	handclapping
walking	.77	.19	.01	.01	.00	.02
jogging	.10	.66	.24	.00	.00	.00
running	.03	.26	.71	.00	.00	.00
boxing	.00	.00	.00	.75	.01	.24
handwaving	.01	.00	.00	.05	.90	.04
handclapping	.00	.00	.00	.29	.04	.67

Linear

	walking	jogging	running	boxing	handwaving	handclapping
walking	.90	.10	.00	.00	.00	.00
jogging	.09	.63	.28	.00	.00	.00
running	.01	.25	.74	.00	.00	.00
boxing	.01	.00	.00	.85	.00	.14
handwaving	.00	.00	.00	.02	.95	.03
handclapping	.00	.00	.00	.14	.04	.82

Polynomial

	walking	jogging	running	boxing	handwaving	handclapping
walking	.68	.28	.04	.00	.00	.00
jogging	.65	.31	.04	.00	.00	.00
running	.62	.30	.08	.00	.00	.00
boxing	.69	.27	.04	.00	.00	.00
handwaving	.67	.24	.04	.00	.05	.00
handclapping	.68	.28	.04	.00	.00	.00

RBF

	walking	jogging	running	boxing	handwaving	handclapping
walking	.03	.03	.02	.45	.06	.41
jogging	.07	.13	.27	.23	.11	.19
running	.04	.10	.23	.29	.09	.25
boxing	.00	.00	.00	.37	.05	.58
handwaving	.07	.02	.00	.57	.03	.31
handclapping	.00	.00	.00	.33	.07	.60

Sigmoid

Linear: 0.7429
 Polynomial: 0.8146
 RBF: 0.1873
 Sigmoid: 0.2309

Result: KTH dataset by Voting

- $\sigma = 2$, $\tau = 2.5$,
 $\text{maxn}(\text{interest points}) = 300$
- Kpca = 200
- Ncodeword = 1000
- Divide into 25 subset
- Leave-one-out test
- Repeat: 5 times
- Overall accuracy: **0.9047**

walking	.97	.03	.00	.00	.00	.00
jogging	.10	.84	.06	.00	.00	.00
running	.02	.21	.77	.00	.00	.00
boxing	.01	.00	.00	.99	.00	.00
handwaving	.00	.00	.00	.07	.93	.00
handclapping	.00	.00	.00	.07	.00	.93
walking	.97	.03	.00	.00	.00	.00
jogging	.10	.84	.06	.00	.00	.00
running	.02	.21	.77	.00	.00	.00
boxing	.01	.00	.00	.99	.00	.00
handwaving	.00	.00	.00	.07	.93	.00
handclapping	.00	.00	.00	.07	.00	.93

Experiments 3: Multi-Actions

- Thanks to Lin**, liu*, wang**



Result by Voting Scheme

- Using the Weizmann dataset for training ($\sigma = 1.2$, $\tau = 1.2$)



Result by Voting Scheme(cont.)

- Using the KTH dataset for training($\sigma = 2$,
 $\tau = 2.5$)



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Any Question ?