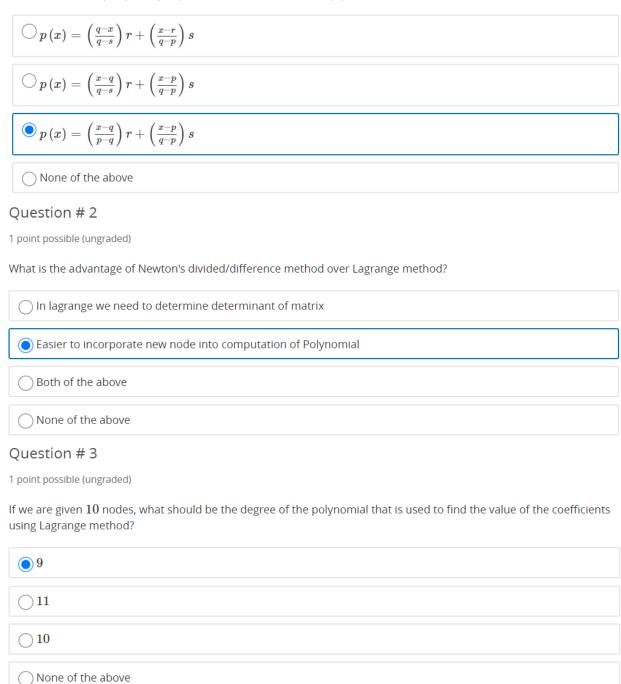
1 point possible (ungraded)

Given two points (p,r) and (q,s), the Lagrange polynomial $p\left(x\right)$ that passes through the points will be



1 point possible (ungraded)

Which of the following statements is true?	
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·····ar or the rollowing statements is a der
igcirc Suppose you are given n nodes, the polynomial will be of degree $n+1$.
igorup An n degree polynomial has $(n+1)$ coefficients.
We cannot add a new node easily after computation in Newton's method.
○ None of the above.
Question # 5
1 point possible (ungraded)
Suppose a lagrange polynomial $p\left(x\right)$ passes through the points $\left(2,1/8\right)$, $\left(3,1/18\right)$ and $\left(4,1/32\right)$. Determine $l_{0}\left(x\right)$.
$\bigcirc \frac{1}{2}(x-2)(x-3)$.
$\bigcirc -(x-2)(x-4).$
$\bigcirc \frac{1}{2}(x-3)(x-4).$
None of the above.
Question # 6
1 point possible (ungraded)
Suppose a lagrange polynomial $p\left(x ight)$ passes through the points $(2,4)$ and $(3,5)$. Determine $p\left(2.5 ight)$.
\bigcirc 6.0
\bigcirc 4.0
a 4.5
\bigcirc 5.0

1 point possible (ungraded)

Consider the function, f(x) and the nodes (2,3,4). What is the correct expression for error for this polynomial in terms of ξ ?

$$\bigcirc \frac{f^{(4)}\left(\xi\right)}{4!}(x-2)\left(x-3
ight)\left(x-4
ight)$$

$$\bigcirc \frac{f^{(2)}\left(\xi
ight)}{2!}(x-2)\left(x-3
ight)\left(x-4
ight)$$

$$\bullet \frac{f^{(3)}(\xi)}{3!}(x-2)(x-3)(x-4)$$

None of the above

Question #8

1 point possible (ungraded)

Suppose you have to find the interpolating polynomial using Newton's Divided/Difference method for the function, f(x), and passes through the points (-1,5), (0,1) and (1,1). What is the value of $f[x_0,x_1]$?

 \bigcirc 5.



2.

 \bigcirc -3.

Question	#	9
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1 point possible (ungraded)

Suppose you	u are using Newton's Divided/Difference method to find interpolating polynomia	al. If $f(x)$	=1/x then
$f[x_0,x_1]$ is			

 $\bigcirc -rac{1}{{{x_0}^2}{x_1}^2}$



 $\bigcirc \frac{1}{x_0^2 x_1^2}$

 $\bigcirc \frac{1}{x_0x_1}$

Question #10

1 point possible (ungraded)

Which of the following is the degree of the Hermite Interpolation polynomial for n+1 nodes?

 $\bigcirc 2n + 1$

 $\bigcirc 2n+2$

 $\bigcirc n+1$

○ None of the above

Question #11

1 point possible (ungraded)

How can we avoid the occurrence of Runge phenomenon?

More nodes at the ends of the interval.

More nodes at the middle of the interval.

☐ Increase the number of nodes.

None of the above.

1 point possible (ungraded)

What is the correct expression for taking equal angular points (heta) in the case of the Runge function?

$\bigcirc rac{(2j)\pi}{2(n+1)}$
$\bigodot \frac{(2j{+}1)\pi}{2(n{+}1)}$
$\bigcirc rac{(2j+2)\pi}{2(n+2)}$
None of the above
Question # 13
1 point possible (ungraded)
Which of the following statement is false?
For the runge function, most efficient choice is equally spaced nodes.
For the runge function, most efficient choice is Chebyshev nodes.
Both of the above.
None of the above.
Question # 14
1 point possible (ungraded)
Suppose you have a function and 3 nodes. What will be the degree of Hermite Interpolation polynomial passing through these nodes?
\bigcirc 2
\bigcirc 4
\bigcirc 3
None of the above

1 point possible (ungraded)

A function f(x) has values 0, 1, 0 at the nodes -1, 0, 1 respectively. The first derivative values are 1, 0, 1 respectively. What will be the expression of $l_1(x)$?

\bigcirc	$\frac{1}{2}x^2$	+	$\frac{1}{2}x$
\cup	$\frac{1}{2}u$	\top	$\frac{1}{2}u$

$$\bigcirc \frac{1}{2}x^2 - \frac{1}{2}x$$



None of the above

Question #16

1 point possible (ungraded)

A function f(x) has values 0, 1, 0 at the nodes -1, 0, 1 respectively. The first derivative values are 1, 0, 1 respectively. What will be the expression of $l_0(x)$?

$$\bigcirc \frac{1}{2}x^2 + \frac{1}{2}x$$

$$\bigcirc \ \tfrac{1}{2}x^2 - \tfrac{1}{2}x$$

$$\bigcirc 1-x^2$$

None of the above

Question #17

1 point possible (ungraded)

The bases of the Hermite Polynomial are

$$\bigcirc h_{k}^{\prime}\left(x\right) ,\widehat{h}_{k}\left(x\right)$$

$$\bigcirc \, l_{k} \left(x
ight), \, \widehat{l}_{\,k} \left(x
ight)$$

$$\bigcirc h_k(x), \widehat{h}_k(x)$$

O None of the above