

Assignment-2

18301150

- a) Design an equivalent left recursion free and left factored grammar of the following grammar G_1 . The set of non terminals is $\{E, P\}$ and the set of terminals is $\{a, '(', ')', ','\}$.

Context-free Grammar G_1 :

$$P \rightarrow (E) | a$$

$$E \rightarrow E, P | P$$

- b) Construct FIRST and FOLLOW sets for the non-terminals of the resulting grammar.
- c) Construct LL(1) parse table for the resulting grammar.
- d) Validate the following syntax through predictive parsing using the constructed parse table. $(a, (a, (a, a)))$

18301150

a) Given, Non terminal set is $\{E, P\}$
 terminal set is $\{ 'a', '(', ',', ') ' \}$
 Context free Grammar G
 $P \rightarrow (E) \mid a$
 $E \rightarrow E, P \mid P$

So, left factor grammar,

$$P \rightarrow (E) \mid a$$

$$E \rightarrow PE'$$

$$E' \rightarrow ,PE' \mid \epsilon$$

left recursion tree,

$$E \rightarrow E.P \mid P$$

So, $A \rightarrow A\alpha \mid \beta$, to

$$A \rightarrow \beta A'$$

$$A' \rightarrow \alpha A' \mid \epsilon$$

here, $\alpha = ,P$

$$\beta = P$$

So, $E \rightarrow PE'$

$$E' \rightarrow ,PE' \mid \epsilon$$

b) for First FIRST,

$$\text{First}(P) \rightarrow \{ (, a \}$$

$$\text{First}(E) \rightarrow \{ (, a \}$$

$$\text{First}(E') \rightarrow \{ ,, E \}$$

for FOLLOW,

$$\text{Follow}(P) \rightarrow \{ \$, ,,) \}$$

$$\text{Follow}(E) \rightarrow \{) \}$$

$$\text{Follow}(E') \rightarrow \{) \}$$

c) for $P \rightarrow (E)$

$$\text{First}((E)) \rightarrow \{ (\}$$

for $P \rightarrow a$

$$\text{First}(a) \rightarrow \{ a \}$$

for, $E \rightarrow PE'$

$$\text{First}(PE') \rightarrow \{ (, a \}$$

for, $E' \rightarrow PE'$

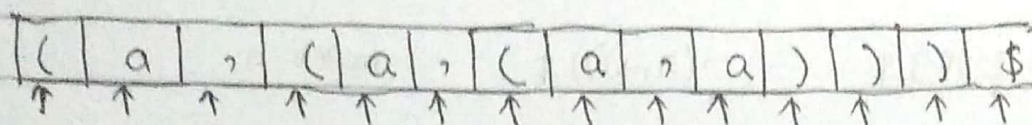
for, $E' \rightarrow PE'$

$$\text{First}(, PE') \rightarrow \{ ,, \}$$

	<u>a</u>	<u>(</u>	<u>,</u>	<u>)</u>	<u>\$</u>
P	$P \rightarrow a$	$P \rightarrow (E)$			
E					
E'				$E' \rightarrow PE'$	$E' \rightarrow E$

LL(1) parse table

d) Given, $(a, (a, (a, a)))$



Head	Stack	Input	Action
	P \$	(a, (a, (a, a))) \$	
	(E) \$	(a, (a, (a, a))) \$	$P \rightarrow (E)$
(E) \$	a, (a, (a, a))) \$	match (
(PE') \$	a, (a, (a, a))) \$	$E \rightarrow PE'$
(aE') \$	a, (a, (a, a))) \$	$P \rightarrow a$
(a	E') \$, (a, (a, a))) \$	match a
(a	,PE') \$, (a, (a, a))) \$	$E' \rightarrow PE'$
(a,	PE') \$	(a, (a, a))) \$	match
(a,	(E)E') \$	(a, (a, a))) \$	$P \rightarrow (E)$
(a,(E)E') \$	a, (a, a))) \$	match (
(a,(PE')E') \$	a, (a, a))) \$	$E \rightarrow PE'$
(a,(aE')E') \$	a, (a, a))) \$	$P \rightarrow a$

<u>Head</u>	<u>Stack</u>	<u>Input</u>	<u>Action</u>
(a, (a	\uparrow $E'F' \$$	\uparrow , (a, a))) \$	match a
(a, (a	\uparrow , PE')E') \$	\uparrow , (a, a))) \$	$F' \rightarrow , PE'$
(a, (a,	\uparrow PE')E') \$	\uparrow (a, a))) \$	match ,
(a, (a,	\uparrow (E)E')E') \$	\uparrow (a, a))) \$	$P \rightarrow (E)$
(a, (a, (\uparrow E)E')E') \$	\uparrow a, a))) \$	match c
(a, (a, (\uparrow PE')E')E') \$	\uparrow a, a))) \$	$E \rightarrow PE'$
(a, (a, (\uparrow a E')E')E') \$	\uparrow a, a))) \$	$P \rightarrow a$
(a, (a, (a	\uparrow E')E')E') \$	\uparrow , a))) \$	match a
(a, (a, (a	\uparrow , PE')E')E') \$	\uparrow , a))) \$	$E' \rightarrow , PE'$
(a, (a, (a,	\uparrow PE')E')E') \$	\uparrow a))) \$	match ,
(a, (a, (a,	\uparrow a E')E')E') \$	\uparrow a))) \$	$P \rightarrow a$
(a, (a, (a,	\uparrow E')E')E') \$	\uparrow))) \$	match a
(a, (a, (a,	\uparrow E)E')E') \$	\uparrow))) \$	$E' \rightarrow E$
(a, (a, (a,	\uparrow)E')E') \$	\uparrow))) \$	E vanished

18361150

<u>Head</u>	<u>Stack</u>	<u>Input</u>	<u>Action</u>
$(a, (a, (a, a))$	$E') E') \$$ ↑	$)) \$$ ↑	match)
$(a, (a, (a, a))$	$\epsilon) E') \$$ ↑	$)) \$$ ↑	$E \rightarrow \epsilon$
$(a, (a, (a, a))$	$) E') \$$ ↑	$)) \$$ ↑	ϵ vanished
$(a, (a, (a, a))$	$E') \$$ ↑	$) \$$	match)
$(a, (a, (a, a))$	$\epsilon) \$$ ↑	$) \$$ ↑	$E' \rightarrow \epsilon$
$(a, (a, (a, a))$	$) \$$ ↑	$) \$$ ↑	ϵ vanished
$(a, (a, (a, a)))$	$\$$	$\$$	match)

Therefore, the given syntax is valid