

Optimal Gaze Control Through Reinforcement Learning

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Background

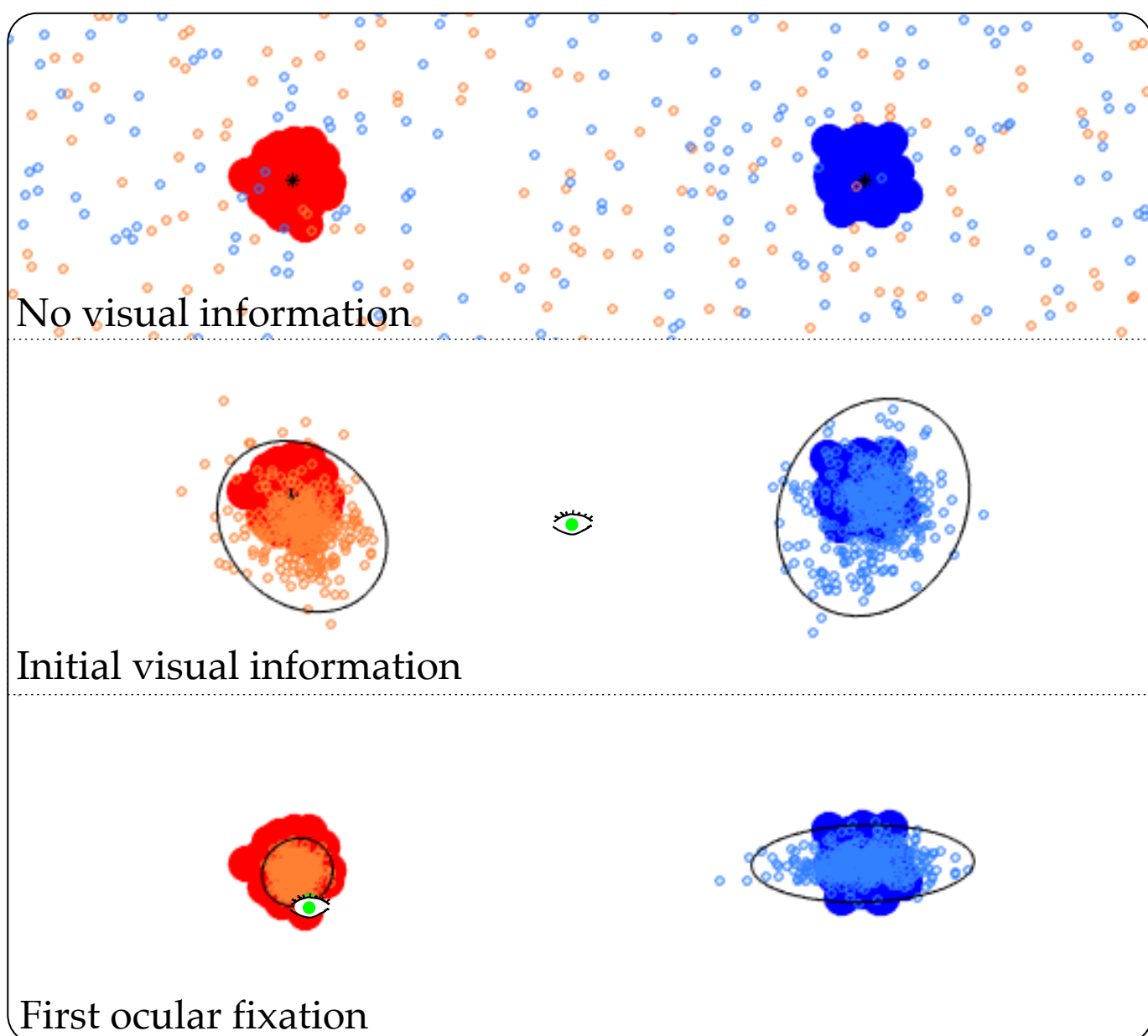
- Biological systems achieve near optimal decisions whilst exposed to noisy sensory and motor systems
- Human ocular fixations aid current task activity
- Acuity exists only in a central location of the eye, the fovea
- We investigate how optimal gaze behaviour can be learned from positive and negative feedback to increase performance on a relevant task

Context

- We assume optimal behaviour directs gaze in the direction which maximises reward
- The hypothesis is tested in an experiment similar to a visual perception task
- Two objects of different reward values are presented
- Reward is only given when the agent correctly grasps at the object's location
- The agent is allowed to grasp either object but is only allowed one visual fixation

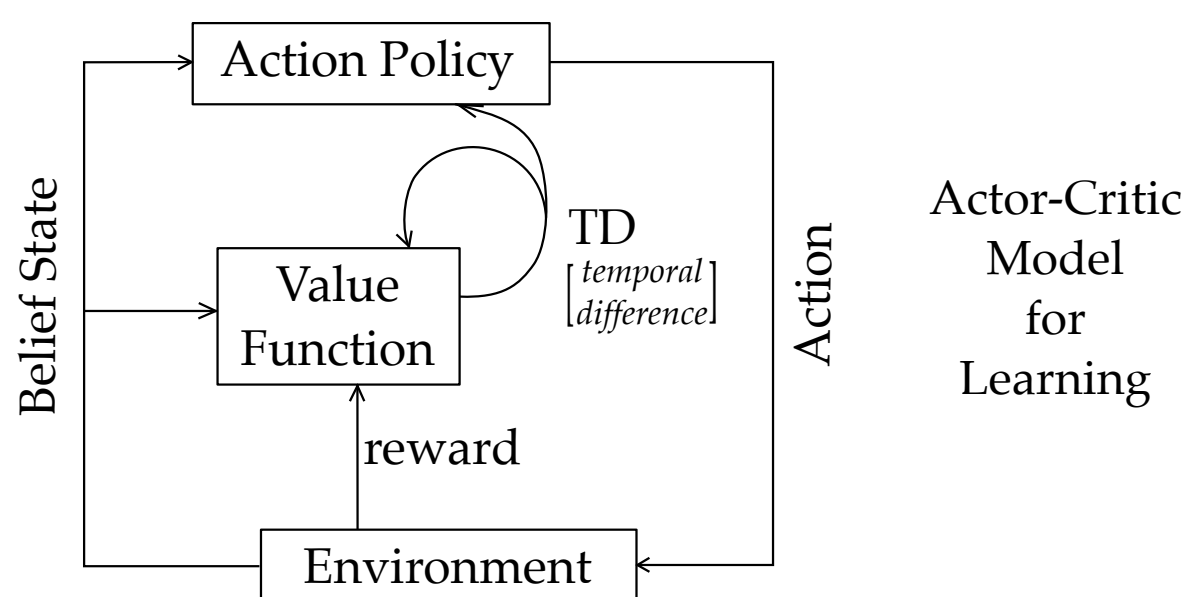
Representing Uncertainty

- A particle filter covers possible object locations (belief state)
- The spread of particles represents the level of uncertainty
- The real object locations (red and blue) are unknown to the agent



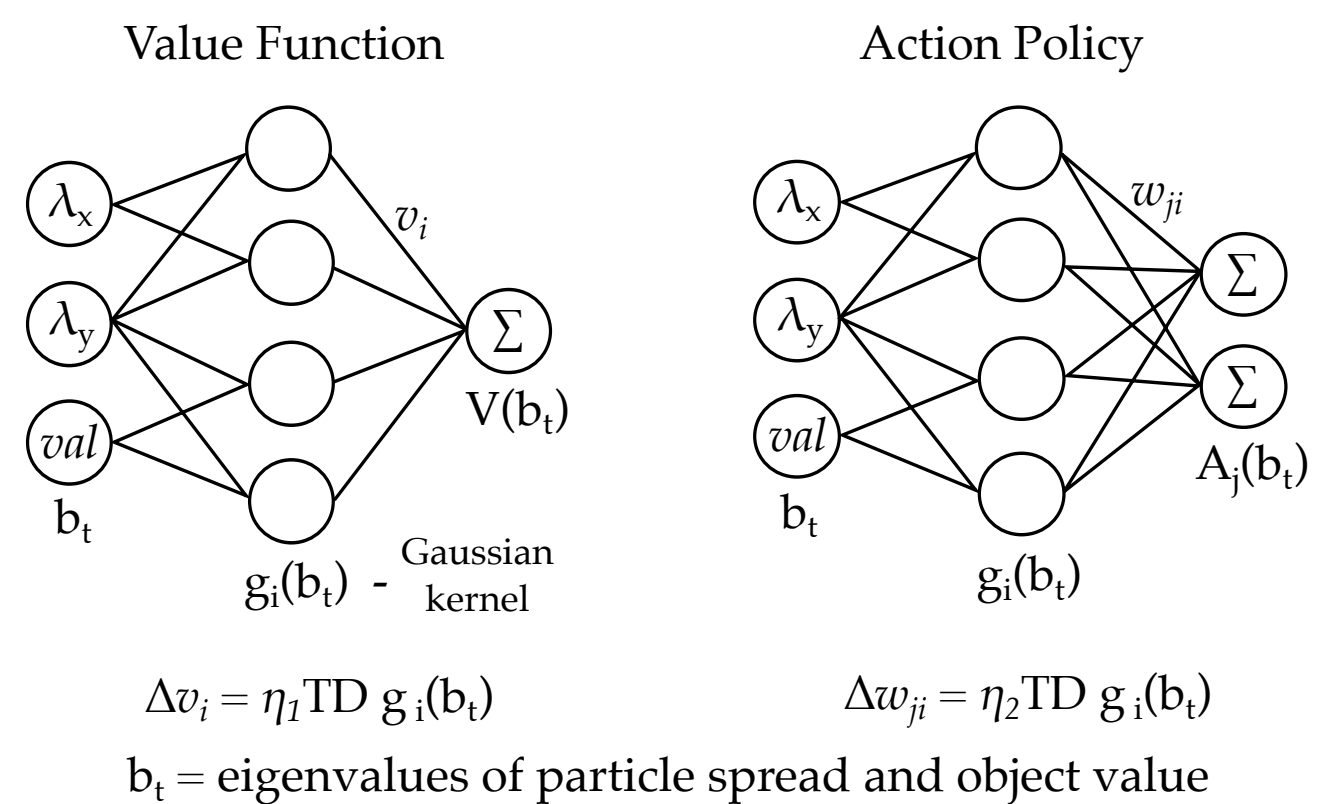
Reinforcement Learning

- Agent learns optimal behaviour using an actor-critic model



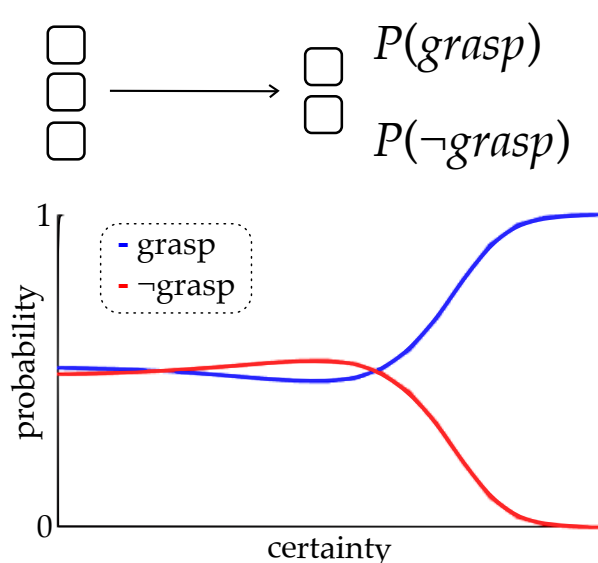
Neural Network Architecture

- Radial basis function networks are used to learn the value function and action policy from reward
- Value function returns expected reward for a belief state (b_t)
- Policy returns action probability for the same belief state (b_t)



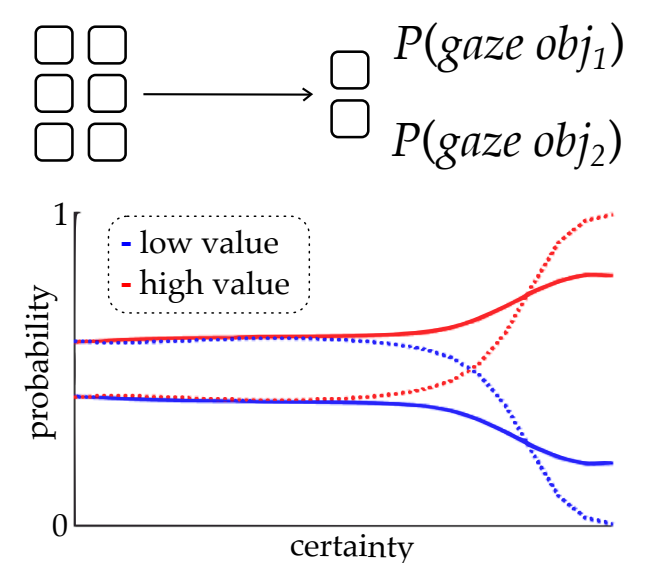
- Two pairs of networks are used, for grasp and gaze respectively

Grasp Policy



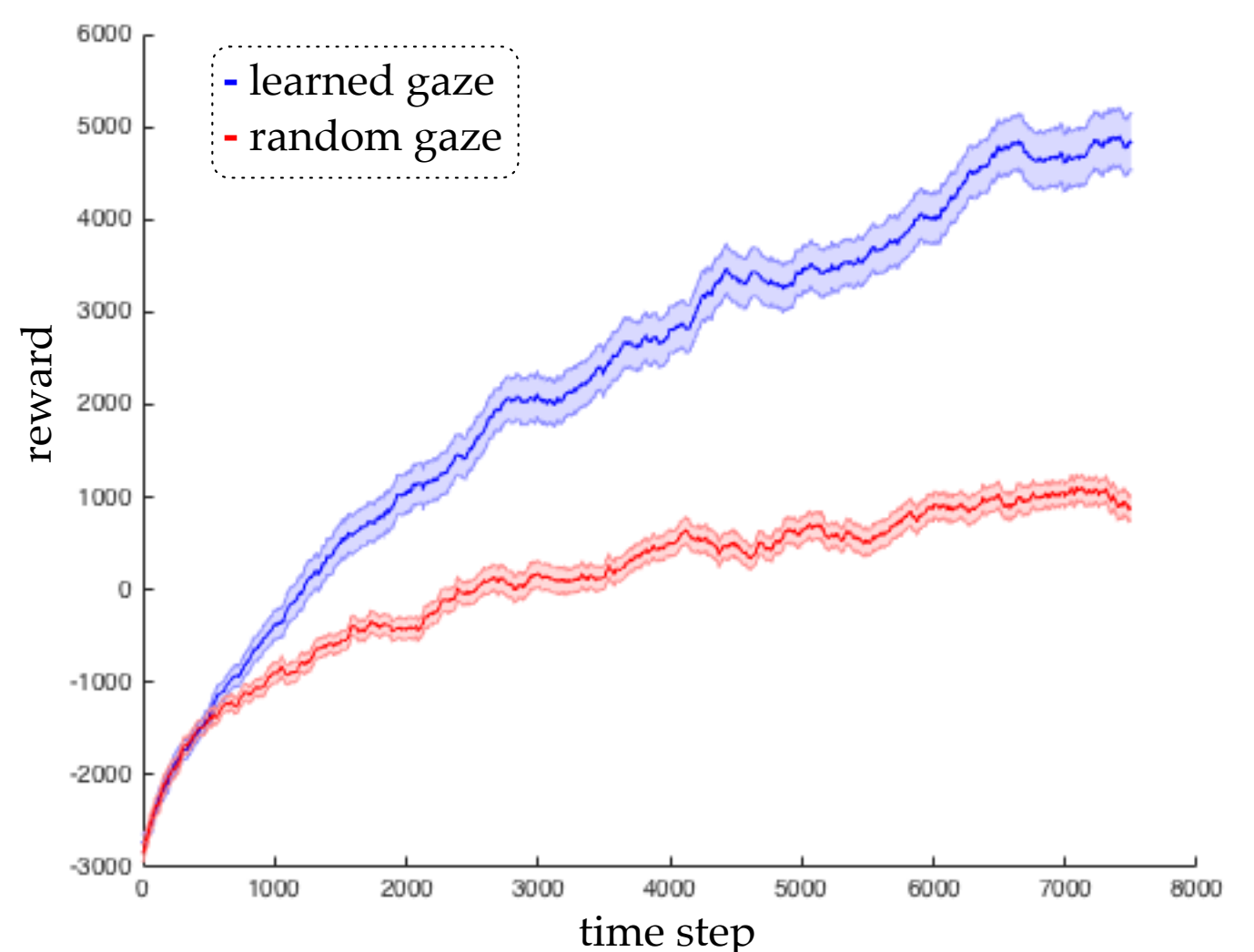
reward = from environment
TD = reward + $V(b_{t+1}) - V(b_t)$

Gaze Policy



reward = $\sum [P(grasp_{t+1}) - P(grasp_t)]$
TD = reward - $V(b_t)$

Results



References

- [1] Nunez-Varela, J. and Wyatt, J. L. (2013) 'Models of gaze control for manipulation tasks', ACM Transactions on Applied Perception, 10(4), pp. 1-22. doi: 10.1145/2536764.2536767.
- [2] Rao, R. P. N. (2010). Decision making under uncertainty: A neural model based on partially observable Markov decision processes. Frontiers in Computational Neuroscience, 4, . doi:10.3389/fncom.2010.00146