

# Strictly Convex Pairs

Time limit: 3000 ms

Memory limit: 256 MB

There is a polygon with  $N$  vertices in standard 2-D Cartesian coordinates. The polygon is **strictly convex**. That is, the polygon is convex, and there are no three collinear vertices (i.e. lying in the same straight line).

There are  $M$  other distinct points which are located strictly inside or outside the polygon (not on polygon edges). Andy wants to pick two different points  $a$  and  $b$  from those  $M$  points so that he can connect  $a$  and  $b$  with a straight **line segment** without intersecting or touching the polygon. Andy is curious about how many different unordered pairs of points  $a$  and  $b$  he can pick. Can you help Andy to count that?

Note: An unordered pair  $(a, b)$  is the same as the pair  $(b, a)$ .

## Standard input

The first line of the input contains two integers,  $N$  and  $M$ .

The next  $N$  lines describe the convex polygon. Each line contains two integers indicating  $x$ -coordinate and  $y$ -coordinate of one vertex. The vertices are given in counter-clockwise order.

The next  $M$  lines describe points that Andy can pick. Each line contains two integers indicating  $x$ -coordinate and  $y$ -coordinate of one point.

## Standard output

Print one integer representing the number of pairs.

## Constraints and notes

- $3 \leq N \leq 2 \times 10^5$
- $2 \leq M \leq 2 \times 10^5$
- $-10^9 \leq x\text{-coordinate}, y\text{-coordinate} \leq 10^9$
- The polygon is strictly convex.
- All  $M$  points are distinct and not located on any polygon edges.

Input	Output	Explanation
<pre>4 6 4 0 0 4 -4 0 0 -4 5 0 1 0 -1 0 3 3 4 -2 4 4</pre>	<pre>5</pre>	<p>The five pairs that can be picked are:</p> <ul style="list-style-type: none"><li>• point (5, 0) and point (3, 3)</li><li>• point (5, 0) and point (4, -2)</li><li>• point (5, 0) and point (4, 4)</li><li>• point (1, 0) and point (-1, 0)</li><li>• point (3, 3) and point (4, 4)</li></ul>