

1. Which of the following is true about policy gradient methods? (Select all that apply)

1 / 1 point

- ☒ If we have access to the true value function v_π , we can perform unbiased stochastic gradient updates using the result from the Policy Gradient Theorem.

✓ Correct

Correct. We derived this stochastic update by multiplying and dividing by $\pi(A|S)$.

- ☐ Policy gradient methods use generalized policy iteration to learn policies directly.

- ☒ Policy gradient methods do gradient ascent on the policy objective.

✓ Correct

Correct. Policy gradient methods maximize the policy objective, and hence perform gradient ascent.

- ☒ The policy gradient theorem provides a form for the policy gradient that does not contain the gradient of the state distribution μ , which is hard to estimate.

✓ Correct

Correct.

2. Which of the following statements about parameterized policies are true? (Select all that apply)

1 / 1 point

- ☒ The probability of selecting any action must be greater than or equal to zero.

**Correct****Correct! This is one of the conditions for a valid probability distribution.**

The policy must be approximated using linear function approximation.



The function used for representing the policy must be a softmax function.



For each state, the sum of all the action probabilities must equal to one.

**Correct****Correct! This condition is necessary for the function to be a valid probability distribution.**

3. Assume you're given the following preferences $h_1 = 44$, $h_2 = 42$, and $h_3 = 38$, corresponding to three different actions (a_1, a_2, a_3), respectively. Under a softmax policy, what is the probability of choosing a_2 , rounded to three decimal numbers?

1 / 1 point



0.42



0.879



0.119



0.002

**Correct****Correct!**

4. Which of the following is true about softmax policy? (Select all that apply)

1 / 1 point

☒ It can be parameterized by any function approximator as long as it can output scalar values for each available action, to form a softmax policy.

✓ Correct

Correct. It can use any function approximation from deep artificial neural networks to simple linear features.

☐ Similar to epsilon-greedy policy, softmax policy cannot approach a deterministic policy.

☒ It is used to represent a policy in discrete action spaces.

✓ Correct

Correct!

☐ It cannot represent an optimal policy that is stochastic, because it reaches a deterministic policy as one action preference dominates others.

5. What are the differences between using softmax policy over action-values and using softmax policy over action-preferences? (Select all that apply)

☒ When using softmax policy over action-values, assuming a tabular representation, the policy will converge to the optimal policy regardless of whether the optimal policy is stochastic or deterministic.

✗ This should not be selected

Incorrect. The action-value estimates would converge to the true values which would differ by a finite amount, and each action would have fixed probabilities other than 0 or 1. Softmax policy over action-values is unlikely to be the optimal policy and may never be deterministic.

- ☒ **When using softmax policy over action-preferences, assuming a tabular representation, the policy will converge to the optimal policy regardless of whether the optimal policy is stochastic or deterministic.**

 **Correct**

Correct. Action-preferences does not approach specific values like action-values do. They can be driven to produce a stochastic policy or deterministic policy.

- ☐ **When using softmax policy over action-values, even if the optimal policy is deterministic, the policy may never approach a deterministic policy.**

6. **What is the following objective, and in which task formulation?**

1 / 1 point

$$r(\pi) = \sum_s \mu(s) \sum_a \pi(a|s, \theta) \sum_{s', r} p(s', r|s, a) r$$

- ☐ Discounted return objective, continuing task
- ☐ Undiscounted return objective, episodic task
- ☒ **Average reward objective, continuing task**
- ☐ Average reward objective, episodic task

 **Correct**

Correct.

7. The following equation is the outcome of the policy gradient theorem. Which of the following is true about the policy gradient theorem? (Select all that apply)

1 / 1 point

$$\nabla r(\pi) = \sum_s \mu(s) \sum_a \nabla \pi(a|s, \theta) q_\pi(s, a)$$

- ☒ This expression can be converted into:

$$\mathbb{E}_\pi [\sum_a \nabla \pi(a|S, \theta) q_\pi(S, a)]$$

In discrete action space, by approximating q_π we could also use this gradient to update the policy.

✓ Correct

Correct. The expression contains sum over actions, which can be computed for discrete actions. In the textbook, this is also called the all-actions method.

- ☒ The true action value q_π can be approximated in many ways, for example using TD algorithms.

✓ Correct

Correct.

- ☒ We do not need to compute the gradient of the state distribution μ .

Correct



Correct.

- ☒ This expression can be converted into the following expectation over π :

$$\mathbb{E}_{\pi} [\nabla \ln \pi(A|S, \theta) q_{\pi}(S, A)]$$



Correct

Correct. In fact, this expression is normally used to perform stochastic gradient updates.

8. Which of the following statements is true? (Select all that apply)

1 / 1 point



TD methods do not have a role when estimating the policy directly.



To update the actor in Actor-Critic, we can use TD error in place of q_{π} in the Policy Gradient Theorem.



Correct

Correct. This is equivalent to using one-step state value and subtracting a current state value baseline.



The Actor-Critic algorithm consists of two parts: a parameterized policy — the actor — and a value function — the critic.



Correct

Correct.

- ☒ Subtracting a baseline in the policy gradient update tends to reduce the variance of the update, which results in faster learning.

✓ Correct
Correct.

9. We usually want the critic to update at a faster rate than the actor.

1 / 1 point

- ☒ True
☐ False

✓ Correct
Correct!

10. Consider the following state features and parameters θ for three different actions (red, green, and blue):

1 / 1 point

$$\begin{bmatrix} 45 \\ 73 \\ 21 \end{bmatrix} \} a_0$$

$$\mathbf{X}(s) = \begin{bmatrix} 0.1 \\ 0.3 \\ 0.6 \end{bmatrix} \quad \boldsymbol{\theta} = \begin{bmatrix} 120 \\ 120 \\ -10 \\ -100 \\ 200 \\ -25 \end{bmatrix}$$

$\left. \begin{matrix} 120 \\ 120 \\ -10 \end{matrix} \right\} a_1$
 $\left. \begin{matrix} -100 \\ 200 \\ -25 \end{matrix} \right\} a_2$

Compute the action preferences for each of the three different actions using linear function approximation and stacked features for the action preferences.

What is the action preference of a_2 (blue)?

- ☒ 35
- ☐ 39
- ☐ 42

 37

✓ **Correct**
Correct.

11. Which of the following statements are true about the Actor-Critic algorithm with softmax policies? (Choose all that apply)

1 / 1 point

☐ The preferences must be approximated using linear function approximation.

☐ The actor and the critic share the same set of parameters.

☒ The learning rate parameter of the actor and the critic can be different.

✓ **Correct**

Correct! In practice, it is preferable to have a slower learning rate for the actor so that the critic can accurately critique the policy.

☒ Since the policy is written as a function of the current state, it is like having a different softmax distribution for each state.

✓ **Correct**
Correct!

12. Which of the following is an advantage of Gaussian policy parameterization over discretizing the action space? (Select all that apply)

0 / 1 point

☒ Even if the true action set is discrete, but very large, it might be better to treat them as a continuous range.

✓ Correct
Correct.

☒ There might not be a straightforward way to choose a discrete set of actions.

✓ Correct
Correct! Selecting a discrete set of actions that results in good performance is problem dependent. Maybe we need hundreds of actions. Maybe it is state dependent!

☒ Continuous actions also allow learning to generalize over actions.

✓ Correct
Correct.

☒ Gaussian policies are differentiable, whereas policies over discretized actions are not.

✗ This should not be selected
Incorrect. Consider the softmax policy, which is a policy over discrete actions and differentiable.