SQL: Structured Query Language Grouping Queries

SQL SELECT statement has two more clauses to support grouping operations: ${\tt GROUP}$ BY and ${\tt HAVING}$ clauses.

GROUP BY Clause

The syntax of a GROUP BY clause is

```
GROUP BY <AttributeName>,...,<AttributeName>
```

The GROUP BY clause is added to the SELECT statement after the WHERE clause (or, if there is no WHERE clause, after the FROM clause.

GROUP BY clause causes the DBMS to separate the cartesian product of all tables referenced in the FROM clause into groups of tuples.

Each group of tuples $must\ agree\ on\ all\ values$ of attributes listed in the <code>GROUP</code> BY clause

Grouping operation is used to allow for computation and reporting of aggregate operations over groups in the SELECT statement.

Consider, for example the relational table

Student(FirstName, LastName, GPA, Class, Grade, School)

The following query

SELECT School, COUNT(*)
FROM Student
GROUP BY School;

will output the number of students enrolled in each school.

The following rules need to be observed concerning the content of the SELECT clause. If a GROUP BY clause appears in the SELECT statement, then the SELECT can contain only the following:

- Attributes that are listed in the GROUP BY clause.
- Aggregate operations on attributes not listed in the GROUP BY clause.
- COUNT(*)

HAVING Clause

GROUP BY clause transforms the cartesian product from a relation of tuples into a relation of groups of tuples.

HAVING clause to the groups is what WHERE clause to the individual tuples. It provides a condition, and filters out the groups that fail it.

The syntax of HAVING clause is:

HAVING <Condition>

Here, the condition is a boolean combination of conditions that involve:

- Attributes from the GROUP BY list
- Aggregate expressions over attributes **not** from the GROUP BY list.

For example

```
SELECT School, COUNT(*)
FROM Student
GROUP BY School
HAVING AVG(GPA) > 3.0;
```

returns the number of students enrolled in each school, which has average student GPA over 3.0.

Grouping and Aggregation in Relational Algebra

Relational Algebra includes a grouping and aggregation operation γ .

Let $R(A_1, \ldots, A_n)$ be a relation. Let L be a list B_1, \ldots, B_k where B_i is either:

- 1. one of the attributes $A_1, \ldots A_n$ (without repetition);
- 2. or an expression of the form $AGG(Exp)[\longrightarrow X]$, where Exp is an expression over the set $\{A_1,\ldots,A_n\}-\{B_1,\ldots,B_k\}$ of attribute names, and AGG is one of COUNT, MIN, MAX, SUM, AVG. The optional $\longrightarrow X$ part, similarly to the renaming operator ρ establishes an alias for the aggregate expression. As a special case, COUNT(*) is also allowed.

Let $L = B_1, \ldots, B_k, AGG_1(E_1) \to X_1, \ldots AGG_m(E_m) \to X_m$. The result of grouping and aggregation operation $\gamma_L(R)$ is defined below as follows:

$$\gamma_L(R) = \{t' | (\exists t \in R) ((\forall i \in 1 \dots k) (t'.B_i = t.B_i) \land \\ (\forall j \in 1 \dots m) t'.X_j = AGG_j(t^*[E_j]) \text{ over the set } \{t^*\} \subset R, \text{ such that } \pi_{B_1,\dots B_k}(t^*) = \pi_{B_1,\dots,B_k}(t')\}$$

Informally, the γ operator mimics the work of the GROUP BY clause of the SELECT statement, combined with the aggregation in the SELECT clause. The parameter L of the grouping operator represents the list of columns in the resulting relation. There are two types of columns - attributes from table R - these form the groupings, and the aggregates of other columns (expressions constructed from other columns).

```
\gamma_{B_1,\ldots,B_k,AGG_1(E_1)\to X_1,\ldots AGG_m(E_m)\to X_m}(R) is equivalent to
```

```
SELECT B1, ..., Bk, AGG1(E1) AS X1, ..., AGGm(Em) AS Xm FROM R GROUP BY B1, ..., Bk;
```

To remove some of the B_1, \ldots, B_k from the result, use projection.

The HAVING clause of the SQL SELECT statement is modeled via the selection operation applied to the result of the grouping an aggregation operation. In particular,

```
SELECT B1, ..., Bk, AGG1(E1) AS X1, ..., AGGm(Em) AS Xm FROM R GROUP BY B1, ..., Bk HAVING C;
```

is equivalent to $\sigma_C(\gamma_{B_1,\ldots,B_k,AGG_1(E_1)\to X_1,\ldots AGG_m(E_m)\to X_m}(R)).$