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CONSTANT NPROCESSES
CONSTANT NGROUPS
CONSTANT NMESSAGES
CONSTANT CONFLICTR(_, _)
This algorithm works in an environment with crash-stop failures, but we do not model processes
failing. The set of all processes contains all correct ones.
LOCAL Processes \stackrel{\triangle}{=} 1 ... NPROCESSES
LOCAL Groups \stackrel{\triangle}{=} 1 ... NGROUPS
LOCAL ProcessesInGroup \stackrel{\Delta}{=} [g \in Groups \mapsto Processes]
LOCAL AllMessages \stackrel{\triangle}{=} CreateMessages(NMESSAGES, Groups, Processes)
LOCAL MessagesCombinations \stackrel{\Delta}{=} CreatePossibleMessages(AllMessages)
VARIABLES K, PreviousMsgs, Delivered, Votes, MemoryBuffer,
     QuasiReliable Channel, Atomic Broad cast Buffer
Initialize the instance for the Generic Multicast 2. The INITIAL_MESSAGES is a sequence,
partially ordered. The sequence elements are sets of messages, messages that commute can share
Algorithm \stackrel{\triangle}{=} INSTANCE Generic Multicast 2 WITH
    INITIAL\_MESSAGES \leftarrow [g \in Groups \mapsto
         PartiallyOrdered(
             MessagesCombinations[(g\%NMESSAGES) + 1], CONFLICTR)]
 Weak fairness is necessary.
Spec \triangleq Algorithm!SpecFair
If a correct process GM-Cast a message m to m.d , then some process in m.d eventually GM-
Deliver m .
We verify that all messages on the messages that will be sent, then we verify that exists a process
on the existent processes that did sent the message and eventually exists a process on m.d that
delivers the message.
Validity \triangleq
    \forall m \in AllMessages:
       m.o[1] \in Groups \land m.o[2] \in Processes
             \rightsquigarrow \exists g \in m.d:
                  \exists p \in ProcessesInGroup[g] : Algorithm! WasDelivered(g, p, m)
```

- MODULE Validity

EXTENDS Naturals, FiniteSets, Commons