



Informatics

Adaptor Signature Based Atomic Swaps Between Bitcoin and a Mimblewimble Based Cryptocurrency

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Abstract

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Introduction

Mimblewimble The Mimblewimble protocol was introduced in 2016 by an anonymous entity named Jedusor, Tom Elvis [Jed16]. The author's name, as well as the protocols name, are references to the Harry Potter franchise. ¹ In Harry Potter, Mimblewimble is a tongue-typing curse which reflects the goal of the protocol's design, which is improving the user's privacy. Later, Andrew Poelstra took up the ideas from the original writing and published his understanding of the protocol in his paper [Poe16]. The protocol gained increasing interest in the community and was implemented in the Grin ² and Beam ³ Cryptocurrencies, which both launched in early 2019. In the same year, two papers were published, which successfully defined and proved security properties for Mimblewimble [FOS19, BCL⁺19].

Compared to Bitcoin, there are some differences in Mimblewimble:

- Use of Pedersen commitments instead of plaintext transaction values
- No addresses. Coin ownership is given by the knowledge of the opening of the coins Pedersen commitment.
- Spend outputs are purged from the ledger such that only unspent transaction outputs remain.
- No scripting features.

By utilizing Pedersen commitments in the transactions, we hide the amounts transferred in a transaction, improving the systems user privacy, but also requiring additional range proofs, attesting to the fact that actual amounts transferred are in between a valid range.

¹https://harrypotter.fandom.com/wiki/Tongue-Tying_Curse

²<https://grin.mw/>

³<https://beam.mw/>

Not having any addresses enables transaction merging and transaction cut through, which we will explain in section 3.3.3. However, this comes with the consequence that building transactions require active interaction between the sender and receiver, which is different than in constructions more similar to Bitcoin, where a sender can transfer funds to any address without requiring active participation by the receiver.

Through transaction merging and cut-through and some further protocol features, which we will see later in this section, we gain the third mentioned property of being able to delete transaction outputs from the Blockchain, which have already been spent before. This ongoing purging in the Blockchain makes it particularly space-efficient as the space required by the ledger only grows in the number of UTXOs, in contrast to Bitcoin, in which space requirement increases with the number of overall mined transactions. Saving space is especially relevant for Cryptocurrencies employing confidential transactions because the size of the range proofs attached to outputs can be significant. Another advantage of this property is that new nodes joining the system do not have to verify the whole history of the Blockchain to validate the current state, making it much easier to join the network.

Another limitation of Mimblewimble- based Cryptocurrencies is that at least the current construction does not allow scripts, such as they are available in Bitcoin or similar systems. Transaction validity is given solely by a single valid signature plus the balancedness of inputs and outputs. This shortcoming makes it challenging to realize concepts such as multi signatures or conditional transactions which are required for Atomic Swap protocols. However, as we will see in 3.4 there are ways we can still construct the necessary transactions by merely relying on cryptographic primitives [FOS19].

CHAPTER 2

Motivation & Objectives

TODO

Preliminaries

3.1 General Notation and Definitions

Notation We first define the general notation used in the following chapters to formalize procedures and protocols. Let \mathcal{G} denote a cyclic group of prime order p and \mathbb{Z}_p the ring of integers modulo p . \mathbb{Z}_p^* is $\mathbb{Z}_p \setminus \{0\}$. \mathbb{G}, \mathbb{H} are adjacent generators in \mathcal{G} , whereas adjacent means the discrete logarithm of \mathbb{H} in regards to \mathbb{G} is not known. Exponentiation stands for repeated application of the group operation.

Definition 3.1. Hard Relation Given a language $L_R := \{A \mid \exists a \text{ s.t. } (A, a) \in R\}$ then the relation R is considered hard if the following three properties hold: [San20]

1. $\text{GenR}1^n$ is a *PPT* sampling algorithm which outputs a statement/witness of the form $(A, a) \in R$.
2. Relation R is poly-time decidable.
3. For all *PPT* adversaries \mathcal{A} the probability of finding a given A is negligible.

Definition 3.2. Signature Scheme A valid Signature Scheme must provide three procedures:

$$\Phi = (\text{Gen}(1^n), \text{Sign}(sk, m), \text{Verf}(pk, \sigma, m))$$

$\text{Gen}(1^n)$ takes as input a security parameter 1^n and outputs a keypair (sk, pk) , consisting of a secret key sk and a public key pk , whereas the secret key has to be kept private and the public key is shared with other parties. sk can be used together with a message m to call the $\text{Sign}(sk, m)$ procedure to create a signature σ over the message m . Parties knowing pk can then test the validity of the signature by calling $\text{Verf}(pk, \sigma, m)$ with the same message m . The procedure will only output 1 if the message was indeed signed

with the correct secret key sk of pk and therefore proves the possession of sk by the signer. A valid signature scheme have to fullfill two security properties

- **Correctness:** For all messages m and valid keypairs (sk, pk) the following must hold $\text{Verf}(pk, \text{Sign}(sk, m), m) = 1$
- **Unforgability:** Note that there are different levels of Unforgability: [GMR88]
 - **Universal Forgery:** The ability to forge signatures for any message.
 - **Selective Forgery:** The ability to fogre signatures for messages of the adversary's choice.
 - **Existential Forgery:** The ability to forge a valid signature / message pair not previously known to the adversary.

Definition 3.3. Cryptographic Hash Function A cryptographic hash function h is defined as $h(\text{Inp}) \rightarrow \{0, 1\}^n$ for some fixed number n and some input Inp . A secure hashing function has to fullfill the following security properties: [AKDB11]

- **Collision-Resistance (CR):** Collision-Resistance means that it is computationally infeasible to find two inputs Inp_1 and Inp_2 such that $h(\text{Inp}_1) := h(\text{Inp}_2)$ with $\text{Inp}_1 \neq \text{Inp}_2$.
- **Pre-image Resistance (Pre):** In a hash function h that fulfills Pre-image Resistance it is infeasible to recover the original input Inp from its hash output $h(\text{Inp})$. If this security property is achieved, the hash function is said to be non-invertible.
- **2nd Pre-image Resistance (Sec):** This property is similar to Collision-Resistance and is sometimes referred to as *Weak Collision-Resistance*. Given such a hash function h and an input Inp , it should be infeasible to find a different input Inp' such that $\text{Inp} \neq \text{Inp}'$ and $h(\text{Inp}) = h(\text{Inp}')$.

Definition 3.4. Commitment Scheme [BBB⁺18] A cryptographic Commitment is defined by a pair of functions ($\text{Commit}(1^n)$, $\text{Commit}(\text{Inp}, r)$). **Setup** is the setup procedure, it takes as input a security parameter 1^n and outputs public parameters PP . Depending on PP we define a input space \mathcal{I}_{PP} , a randomness space \mathcal{R}_{PP} and a commitment space \mathcal{C}_{PP} .

The function **Commit** takes an arbitrary input $\text{Inp} \in \mathcal{I}_{PP}$, and a random value $r \in \mathcal{R}_{PP}$ and generates an output $\text{Com} \in \mathcal{C}_{PP}$.

Secure commitments must fullfill the *Binding* and *Hiding* security properties:

- **Binding:** If a Commitment Scheme is binding it must hold that for all *PPT* adversaries \mathcal{A} given a valid input $\text{Inp} \in \mathcal{I}_{PP}$ and randomness $r \in \mathcal{R}_{PP}$ the probability of finding a $\text{Inp}' \neq \text{Inp}$ and a r' with $\text{Commit}(\text{Inp}, r) = \text{Commit}(\text{Inp}', r')$ is negligible.

- *Hiding*: For a *PPT* adversary \mathcal{A} , commitment inputs $Inp \in \mathcal{I}_{PP}$, $r \in \mathcal{R}_{PP}$ and a commitment output $Com := \text{Commit}(Inp, r)$ the probability of the adversary choosing the correct input $\{Inp, Inp'\}$ must not be higher than $\frac{1}{2} + \text{negl}(P)$.

Definition 3.5. Homomorphic Commitment If a Commitment Scheme as defined in 3.4 is homomorphic then the following must hold

$$\text{Commit}(Inp_1, r_1) + \text{Commit}(Inp_2, r_2) = \text{Commit}(Inp_1 + Inp_2, r_1 + r_2)$$

Definition 3.6. Pedersen Commitment A Pedersen Commitment is an instantiation of a Homomorphic Commitment Scheme as defined in 3.5:

$$\mathcal{C} := \mathcal{G}$$

of order p .

$$\mathcal{I}, \mathcal{R} := \mathbb{Z}_p$$

the procedures (Setup, Commit) are then instantiated as:

$$\text{Commit}(1^n) := \mathbb{G}, \mathbb{H} \leftarrow \mathcal{G}$$

$$\text{Commit}(Inp, r) := \mathbb{G}^r \mathbb{H}^{Inp}$$

3.2 Bitcoin

3.2.1 Bitcoin Transaction Protocol

3.2.2 Bitcoin Scaling and Layer Two Solutions

3.3 Privacy-enhancing Cryptocurrencies

3.3.1 Zero Knowledge Proofs

3.3.2 Range Proofs

3.3.3 Mimblewimble

In this section we will outline the fundamental properties of the protocols employed in Mimblewimble which are relevant for the thesis and particularly the construction of the Atomic Swap protocol defined in 5.

Transaction Structure

- For two adjacent elliptic curve generators \mathbb{G} and \mathbb{H} a coin in Mimblewimble is of the form $\mathbb{C} := \mathbb{G}^v + \mathbb{H}^r$, π . \mathbb{C} is a so called Pedersen Commitment [Ped91] to the value v with blinding factor r . π is a range proof attesting to the fact that v is in a valid range in zero-knowledge.

- As already pointed out, there are now addresses in Mimblewimble. Ownership of a coin is equivalent to the knowledge of its opening, so the blinding factor takes the role of the secret key.
- A transaction consists of $\mathbb{C}_{inp} := (\mathbb{C}_1, \dots, \mathbb{C}_n)$ input coins and $\mathbb{C}_{out} := (\mathbb{C}'_1, \dots, \mathbb{C}'_n)$ output coins.

A transaction is considered valid iff $\sum v'_i - \sum v_i = 0$ so the sum of all input values has to be 0. (Not taking transaction fees into account)

From that we can derive the following equation:

$$\sum \mathbb{C}_{out} - \sum \mathbb{C}_{inp} := \sum \mathbb{H}^{v'_i} + \mathbb{G}^{r'_i} - \sum \mathbb{H}^{v_i} + \mathbb{G}^{r_i}$$

So if we assume that a transaction is valid then we are left with the following so called excess value:

$$\mathbb{E} := \mathbb{G}(\sum r'_i - \sum r_i)$$

Knowledge of the opening of all coins and the validity of the transaction implies knowledge of \mathbb{E} . Directly revealing the opening to \mathbb{E} would leak too much information, an adversary knowing the openings for input coins and all but one output coin, could easily calculate the unknown opening given \mathbb{E} . Therefore knowledge of \mathbb{E} instead is proven by providing a valid signature for \mathbb{E} as public key. Coinbase transactions (transactions creating new money as part of a miners reward) additionally include the newly minted money as supply s in the excess equation:

$$\mathbb{E} := \mathbb{G}(\sum r'_i - \sum r_i) - \mathbb{H}^s$$

Finally a Mimblewimble transaction is of form:

$$tx := (s, \mathbb{C}_{inp}, \mathbb{C}_{out}, K) \text{ with } K := (\{\pi\}, \{\mathbb{E}\}, \{\sigma\})$$

where s is the transaction supply amount, \mathbb{C}_{inp} is the list of input coins, \mathbb{C}_{out} is the list of output coins and K is the transaction Kernel. The Kernel consists of $\{\pi\}$ which is a list of all output coin range proofs, $\{\mathbb{E}\}$ a list of excess values and finally $\{\sigma\}$ a list of signatures [FOS19].

Transaction Merging

An essential property of the Mimblewimble protocol is that two transactions can easily be merged into one, which is essentially a non-interactive version of the CoinJoin protocol on Bitcoin [Max13] Assume we have the following two transactions:

$$tx_0 := (s_0, \mathbb{C}_{inp}^0, \mathbb{C}_{out}^0, (\{\pi_0\}, \{\mathbb{E}_0\}, \{\sigma_0\}))$$

$$tx_1 := (s_1, \mathbb{C}_{inp}^1, \mathbb{C}_{out}^1, (\{\pi_1\}, \{\mathbb{E}_1\}, \{\sigma_1\}))$$

Then we can build a single merged transaction:

$$tx_m := (s_0 + s_1, \mathbb{C}_{inp}^0 \parallel \mathbb{C}_{inp}^1, \mathbb{C}_{out}^0 \parallel \mathbb{C}_{out}^1, (\{\pi_0\} \parallel \{\pi_1\}), \{\mathbb{E}_0\} \parallel \{\mathbb{E}_1\}, \{\sigma_0\} \parallel \{\sigma_1\})$$

We can easily deduce that if tx_0 and tx_1 are valid, it follows that tx_m also has to be valid: If tx_0 and tx_1 are valid that means $\mathbb{C}_{inp}^0 - \mathbb{C}_{out}^0 - \mathbb{H}^{s_0} := \mathbb{E}_0$, $\{\pi_0\}$ contains valid range proofs for the outputs \mathbb{C}_{out}^0 and $\{\sigma_0\}$ contains a valid signature to $\mathbb{E}_0 - \mathbb{H}^{s_0}$ as public key, the same must hold for tx_1 .

By the rules of arithmetic it then must also hold that

$$\mathbb{C}_{inp}^0 \parallel \mathbb{C}_{inp}^1 - \mathbb{C}_{out}^0 \parallel \mathbb{C}_{out}^1 - \mathbb{H}^{s_0 + s_1} := \mathbb{E}_0 + \mathbb{E}_1, \{\pi_0\} \parallel \{\pi_1\}$$

must contain valid range proofs for the output coins and $\{\sigma_0\} \parallel \{\sigma_1\}$ must contain valid signatures to the respective Excess points, which makes tx_m a valid transaction.

Subset Problem

A subtle problem arises with the way transactions are merged in Mimblewimble. From the shown construction, it is possible to reconstruct the original separate transactions from the merged one, which can be a privacy issue. Given a set of inputs, outputs, and kernels, a subset of these will recombine to reconstruct one of the valid transaction which were aggregated since Kernel Excess values are not combined. (which would invalidate the signatures and therefore break the security of the system) This problem has been mitigated in Cryptocurrencies implementing the protocol by including an additional variable in the Kernel, called offset value. The offset is randomly chosen and needs to be added back to the Excess values to verify the sum of the commitments to zero.

$$\sum \mathbb{C}_{out} - \sum \mathbb{C}_{inp} - \mathbb{H}^s := \mathbb{E} + o$$

Every time two transactions are merged, the offset values are combined into a single value. If offsets are picked truly randomly, and the possible range of values is broad enough, the probability of recovering the uncombined offsets from a merged one becomes negligible, making it infeasible to recover original transactions from a merged one [Poe16].

Cut Through

From the way transactions are merged together, we can now learn how to purge spent outputs securely. Let's assume \mathbb{C}_i appears as an output in tx_0 and as an input in tx_1 , which are being merged. Remembering the equation for transaction balancedness, $\mathbb{C}_{inp} - \mathbb{C}_{out} := \mathbb{E}$ if \mathbb{C}_i appears both in the inputs and outputs, and we erase it on both sides, the equation will still hold. Therefore every time a transaction spends an output, it can be virtually forgotten to improve transaction unlinkability as well as yielding saving space.

The Ledger

The ledger of the Mimblewimble protocol itself is a transaction of the already discussed form. Initially, the ledger starts empty, and transactions are added and aggregated recursively.

- Only transactions in which input coins are contained in the output coins of the ledger will be valid.
- The supply of the ledger is the sum of the supplies of all transactions added so far. Therefore we can easily read the total circulating supply from the ledger state.
- Due to cut through, the input coin list of the ledger is always empty, and the output list is the set of UTXOs.

Transaction Building

As already pointed out, building transactions in Mimblewimble is an interactive process between the sender and receiver of funds. Jedusor, Tom Elvis originally envisioned the following two-step process to build a transaction: [Jed16]

Assume Alice wants to transfer coins of value p to Bob.

1. Alice first selects input coins \mathbb{C}_{inp} of total value $v \geq p$ that she controls. She then creates change coin outputs \mathbb{C}_{out}^A (could be multiple) of total value $v - p$ and then sends \mathbb{C}_{inp} , \mathbb{C}_{out}^A , a valid range proofs for \mathbb{C}_{out}^A , plus the opening $(-p, k)$ of $\sum \mathbb{C}_{out}^A - \sum \mathbb{C}_{inp}$ to Bob.
2. Bob creates himself additional output coins \mathbb{C}_{out}^B plus range proofs of total value p with keys (k'_i) and computes a signature σ with the combined secret key $k + \sum k'_i$ and finalizes the transaction as

$$tx := (0, \mathbb{C}_{inp}, \mathbb{C}_{out}^A \parallel \mathbb{C}_{out}^B, (\pi, \mathbb{E} := \sum \mathbb{C}_{out}^A + \sum \mathbb{C}_{out}^B - \sum \mathbb{C}_{inp}, \sigma))$$

and publishes it to the network.

Figure ?? depicts the original transaction flow.

This protocol however turned out to be vulnerable. The receiver can spend the change coins \mathbb{C}_{out}^A by reverting the transaction. Doing this would give the sender his coins back, however as the sender might not have the keys for his spent outputs anymore, the coins could then be lost.

In detail this reverting transaction would look like:

$$tx_{rv} := (0, \mathbb{C}_{out}^A \parallel \mathbb{C}_{out}^B, \mathbb{C}_{inp}, (\pi_{rv}, \mathbb{E}_{rv}, \sigma_{rv}))$$

Again remembering the construction of the Excess value of this construction would look like this:

$$\mathbb{E}_{rv} := \sum \mathbb{C}_{out}^A \parallel \mathbb{C}_{out}^B - \mathbb{C}_{inp}$$

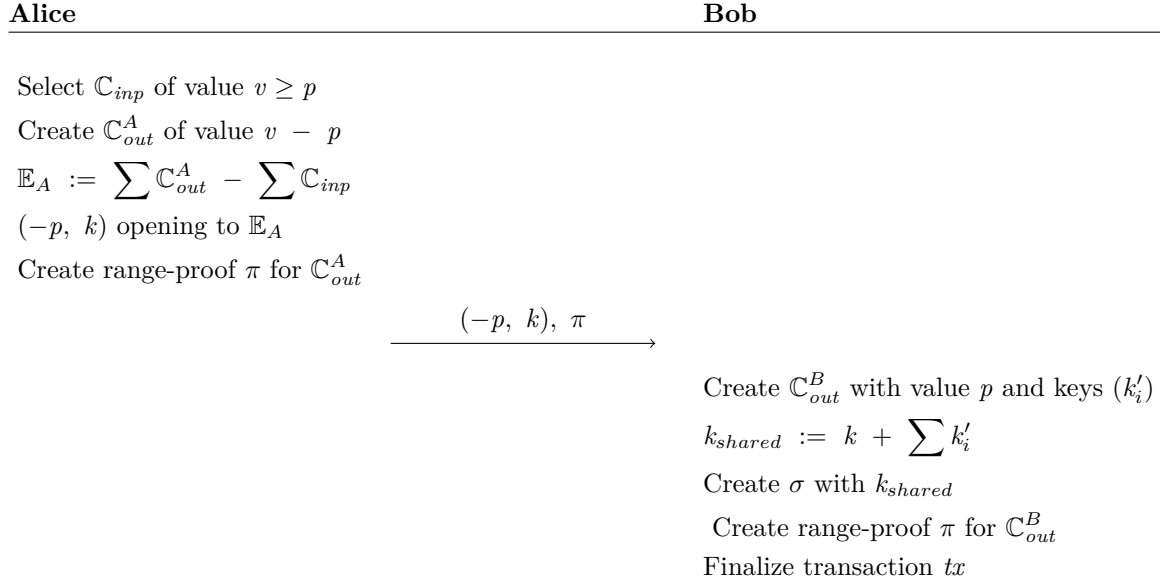


Figure 3.1: Original transaction building process

The key k originally sent by Alice to Bob is a valid opening to $\sum \mathbb{C}_{inp} - \sum \mathbb{C}_{out}^A$. With the inverse of this key k_{inv} we get the opening to $\sum \mathbb{C}_{out}^A - \mathbb{C}_{inp}$. Now all Bob has to do is add his keys $\sum k'_i$ to get:

$$k_{rv} := -k + \sum k'_i$$

which is the opening to \mathbb{E}_{rv} . Furthermore obtaining a valid range proofs is trivial, as it once was a valid output the ledger will contain a valid proof for this coin already. This means Bob spends the newly created outputs and sends them back to the original input coins, chosen by Alice. It might at first seem unclear why Bob would do that. An example situation could be if Alice pays Bob for some good which Bob is selling. Alice decides to pay in advance, but then Bob discovers that he is already out of stock of the good that Alice ordered. To return the funds to Alice, he reverses the transaction instead of participating in another interactive process to build a new transaction with new outputs. If Alice already deleted the keys to her initial coins, the funds are now lost. The problem was solved in the Grin Cryptocurrency by making the signing process itself a two-party process which will be explained in more detail in chapter 4.

Fuchsbaauer et al. [FOS19] proposed the following alternative way to build transactions which would not be vulnerable to this problem.

1. Alice constructs a full-fledged transaction tx_A spending her input coins \mathbb{C}_{inp} and

creates her change coins \mathbb{C}_{out}^A , plus a special output coin $\mathbb{C}_{out}^{sp} := \mathbb{H}^p + \mathbb{G}^{k_{sp}}$, where p is the desired value which should be transferred to Bob and k_{sp} is a randomly chosen key. She proceeds by sending tx_A as well as (p, k_{sp}) and the necessary range proofs to Bob.

2. Bob now creates a second transaction tx_B spending the special coin \mathbb{C}_{out}^{sp} to create an output only he controls \mathbb{C}_{out}^B and merges tx_A with tx_B into tx_m . He then broadcasts tx_m to the network. Note that when the two transactions are merged the intermediate special coin \mathbb{C}_{out}^{sp} will be both in the coin output and input list of the transaction and therefore will be discarded.

The only drawback of this approach is that we have two transaction kernels instead of just one because of the merging step, making the transaction slightly bigger.

3.4 Scriptless Scripts

3.5 Adaptor Signatures

3.5.1 Schnorr Signature Construction

3.5.2 ECDSA Signature Construction

Two Party Fixed Witness Adaptor Signatures

In this chapter, we will define a variant of the Adaptor Signature scheme as seen in 3.5, which is specifically tailored for the use in an Atomic Swap scenario in which (at least one side of the swap) uses a two-party protocol to generate transaction signatures. We will start by explaining the general two-party signature creation protocol as it currently implemented in the Grin Cryptocurrency. We reduce the generated signatures to the general case [Sch91] and thereby prove its security. From this protocol, we then derive the adapted variant, which allows hiding a fixed witness value in the signature, which can only be revealed by the other party after attaining the final signature. We then proof it's security by showing that all security definitions defined in [San20] hold. In chapter 5 we will then utilize this scheme to build the Atomic Swap protocol.

Definition 4.1. Two Party Signature Generation We first define a multiparty Signature Scheme wrt. to a hard relation R

$$\Phi_{MP} = (\text{Setup}, \text{genPtSig}, \text{vrfPtSig}, \text{finSig})$$

which allows us to distribute signature generation for a single public key between multiple parties owning parts of the key:

- **Setup** takes as input 1^n with n as the security parameter and randomly generates a key k together with additional randomness r as well as commitments to those. Participants are calling this algorithm once at the start of the protocol. Afterwards they collaborate to distribute commitments of their keys \mathbb{G}^k and \mathbb{G}^r with each other.
- **genPtSig** takes as input a to be signed message m , together with the key k_p and randomness r_p . Additionally commitments to the verifiers key and randomness

4. TWO PARTY FIXED WITNESS ADAPTOR SIGNATURES

\mathbb{G}^{k_V} and \mathbb{G}^{r_v} has to be provided. The procedure outputs a partial signature, which can be verified by participating parties.

- **vrfPtSig** takes as input the same message m , the verifiers key k_V and randomness r_v as well as the commitments provided by the prover \mathbb{G}^{k_P} and \mathbb{G}^{r_P} of the prover. The algorithm outputs 1 iff σ_{prt} is a valid signature on m with regards to k_V , r_v , \mathbb{G}^{k_P} , \mathbb{G}^{r_P} .
- **finSig** will take the partial signatures and commitments to keys and randomness of the participants and create a final composite signature.

<u>Gen(1^n)</u>	<u>genPtSig($m, k_P, r_P, \mathbb{G}^{k_V}, \mathbb{G}^{r_v}$)</u>
1: $k \leftarrow \mathbb{Z}_p^*$	1: $e := h(m \parallel \mathbb{G}^{k_P} + \mathbb{G}^{k_V} \parallel \mathbb{G}^{r_P} + \mathbb{G}^{r_v})$
2: $r \leftarrow \mathbb{Z}_p^*$	2: $\sigma_{prt} := k_P + e + r_P$
3: return ($k, r, \mathbb{G}^k, \mathbb{G}^r$)	3: return (σ_{prt})
 <u>vrfPtSig($m, k_V, r_v, \mathbb{G}^{k_P}, \mathbb{G}^{r_P}, \sigma_{prt}$)</u>	
1: $e := h(m \parallel \mathbb{G}^{k_P} + \mathbb{G}^{k_V} \parallel \mathbb{G}^{r_P} + \mathbb{G}^{r_v})$	
2: return $\mathbb{G}^{\sigma_{prt}} = \mathbb{G}^{k_P} + \mathbb{G}^{e * r_v}$	
 <u>finSig($\sigma_{prt}, \sigma'_{prt}, \mathbb{G}^{k_P}, \mathbb{G}^{k_V}, \mathbb{G}^{r_P}, r_P$)</u>	
1: return ($\sigma_{prt} + \sigma'_{prt}, \mathbb{G}^k + \mathbb{G}^{k'}, \mathbb{G}^r + \mathbb{G}^{r'}$)	
<u>aptPtSig(σ_{prt}, x)</u>	<u>extWit($\sigma_{fin}, \sigma_{prt}, \sigma'_{prt_apt}$)</u>
1: $\sigma_{prt_apt} := \sigma_{prt} + x$	1: $\sigma'_{prt} := \sigma_{fin} - \sigma_{prt}$
2: return ($\sigma_{prt_apt}, \mathbb{G}^x$)	2: $x := \sigma'_{prt_apt} - \sigma'_{prt}$
	3: return (x)
 <u>vrfAptSig($m, k, r, \mathbb{G}^{k'}, \mathbb{G}^{r'}, \mathbb{G}^x, \sigma'_{prt_apt}$)</u>	
1: $e := h(m \parallel \mathbb{G}^k + \mathbb{G}^{k'} \parallel \mathbb{G}^r + \mathbb{G}^{r'})$	
2: return $\mathbb{G}^{\sigma'_{prt_apt}} = \mathbb{G}^{k'} + \mathbb{G}^{e * r} + \mathbb{G}^x$	

Adaptor Signature Based Atomic Swaps Between Bitcoin and a Mimblewimble Based Cryptocurrency

5.0.1 Construction Bitcoin side

5.0.2 Construction Grin side

CHAPTER 6

Implementation

- 6.1 Implementation Bitcoin side
- 6.2 Implementation Grin side
- 6.3 Performance Evaluation

Implementation Security and Privacy Evaluation

7.1 Security Evaluation

7.2 Privacy Evaluation



Related and Future Work

- 8.1 Payment Channel Networks on Grin
- 8.2 Payment Channel Networks on Monero
- 8.3 Atomic Swaps With Related Cryptocurrencies
- 8.4 Tumbler Based Atomic Swaps

CHAPTER 9

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