$$\frac{dy}{dx} = x(y-7)^2 - 5,$$

Meeting Susy (December 2019)

$$y = \left[3 - \int_{-2}^{x} \sin t^2 \, dt\right]^{-1}$$

Nov 21 : 4:30pm   12 Nov

Nov 21 : 11:30am   12 Nov

$$x(6-7)^2 - 5 = -x - 5$$

Planner

• Majestic 2020 weekly

Dec 6: ~~9:30~~

Dec 9: 9:30am

Dec 16: 9:30am

Dec 20: 9:30am

• find a Friday [Easy Day] and go to the library & find a quiet spot and do my readings.

$$y = \frac{1}{5} + Ce \qquad y = \frac{1}{5} + e^{-7x + C}$$

-7x + C

learned.

You can know the material very well but your very stress and anxious during the exam, it could impact your memory or your ability to remember what you

Tell Stephanie why I need a calculator 😣

For example, if you have several different things due for a week. You know I should do it a couple of weeks before. You also be able to see what courses I need to work on for reading week & what courses I need to work on after reading week.

Assignment & test dates for each class in a different colour so you can see which class.

② Print out all of my Syllabi, write in my calendar all

$$\int \frac{dy}{y^2} = \int \sin(x^2) dx$$

$$\frac{dy}{y^2} = \sin(x^2)dx$$

$$\int_0^\infty \frac{1}{y^2} dy = \int_0^\infty \sin(x^2)dx$$

$$-\frac{1}{0^2}$$

$$M_y =$$

$$y - 6 = x + \frac{1}{6} + Ce^{6x}$$

$$-\frac{(4x^2y + 4xy^2)}{(x + y)^3} + Ce^{-t(t-1)}$$

$$y = \tan(x + C) - x - 8$$

$$(-\infty, \infty) \quad e^{-t(t-1)}$$

① Find out the order of chapters you should read, and then try to read the chapters before the lectures.

When you listen to a lecture for the first time, it hard to process and learn the material on the spot if it is new material, read the chapter before so I can learn & understand it, so when I listen to the lecture I can build on my knowledge

$$P(t) = \left(\frac{b}{a} + Ce^{-at}\right)^{-1}$$

Meeting with Ins Monday &