

Contents

1	Introduction	1
2	The Interpreter	1
2.1	Getting started	1
2.2	Getting along	1
2.3	The Editor	2
2.4	Preferences and Help	2
3	Persistence	2
3.1	Starting and Ending a Session	2
3.2	External Relation Format	3
3.3	Working with CSV Files	4
4	Expressions	6
4.1	Grammar	6
4.2	Keywords	9
4.3	Informal Semantics	9

1 Introduction

This manual describes how to use the Rasmus system. It also describes how to obtain persistence, i.e. how to save results between sessions. Finally, it describes what Rasmus expressions look like, and what they mean.

2 The Interpreter

The purpose of the Rasmus interpreter is to evaluate expressions typed by the user. This chapter describes the RASMUS interpreter.

2.1 Getting started

To start RASMUS execute the `rasmus` file. This opens a graphical user interface (GUI) window similar to the one shown in figure 2.1.

In the following we describe how to evaluate RASMUS expressions in the interpreter. Next we walk through the features that are available in the GUI.

2.2 Getting along

On the left side of the main window there is a *Read-Eval-Print-Loop* (REPL) interpreter where RASMUS expressions can be typed and evaluated. The left side will be referred to as the *interpreter*. On the right side we see a list of names and values. The names are the variables that currently exist in the global scope and the values are the corresponding values. If a variable's value is *Relation* then it is possible to inspect that relation by double clicking the variable name. This will pop up a new window similar to the one in figure 2.2.

Typing in expressions in the interpreter and pressing return makes the interpreter evaluate the expression. Suppose you have typed in the following expression:

```
x := 1+2+3+4+5+6+
      7+8+9+10
```

Your RASMUS window will now look as in figure 2.2. Note that due to the last “+” on the first line the interpreter was still waiting for input. Had the “+” been omitted the first line would have been evaluated before the second line could be typed in the interpreter. Furthermore, observe that a new name appeared in the environment list on the right. This happened because a new variable, `x`, has been defined.

If you type an illegal expression, the RASMUS interpreter will do its best to diagnose the error and provide a useful error message, such that you can correct the error. What constitutes a legal expression is further described in Chapter 4.

To close the RASMUS system go to `File` and `Quit`.

2.3 The Editor

Often we want to produce more complicated pieces of code rather than simple expressions. To accomodate this the RASMUS system contains a development environment as well. To open a new file in the editor go to **File** and then click **New**. This opens an editor where RASMUS code can be written. Note that there is simple syntax highlighting and intellisense (i.e. a red lines appear under invalid expressions). Once you have written your code you can send it to the interpreter by either going to **File** and click **Run**, or by using the shortcut Ctrl+R.

The code you type can be saved in RASMUS code files by using **File**, **Save**. As a side note, RASMUS code files have the extension “.rm” . If you want to load previously written RASMUS code files you have to use the **File** menu in the main window followed by clicking **Open** and locating the file on your system.

2.4 Preferences and Help

It is possible to do some configuration of your RASMUS system, such as changing font types and colors. Going to **Edit** and **Preferences** opens a dialog where you can change these visual features. An important setting is the **Environment Path**. This is the directory where all relations are stored and also where they are automatically loaded from when RASMUS is started. It is recommended that you use the **Environment Path** as workspace but you remember to export relations to other places as well. Further information on how relations are stored and retrieved can be found in section 3.

In the **Help** menu you can find a tutorial on RASMUS and the RASMUS manual (this document).

3 Persistence

One of the primary differences between an ordinary programming language and a database language is that the latter works on persistent data, i.e., we want to be able to start a session with the data we had when we ended the last session. We discuss this further in section 3.1. Another difference is that a database should be able to deal with huge amounts of external data. In particular, a database language is required to include a specification of how external data can be read by the system. This is the subject of section 3.2 and section 3.3.

3.1 Starting and Ending a Session

As described in the beginning, RASMUS is started executing the **rasmus** file.

initial_window.png

Figure 1: The initial RASMUS window

When starting a session, RASMUS reads the `Environment Path` as set in `Edit`, `Preferences` and establishes the relations represented by the directory. These relations are the files in that directory with the “rdb” file extension.

As an example, suppose we have started RASMUS with the `Environment Path` pointing to a directory where there is a relation called `children`. After starting up the relation `children` is loaded and can be seen in the environment (figure 3.1).

Double clicking the `children` relation in the environment list brings up the *relation view* (figure 2.2). If you want to export a relation from the RASMUS system, go to `File` in the relation view and click `Export CSV`. This brings up a dialog where you can decide where to save the file on your disk.

It is also possible to save (copy) relations under a different name by clicking the `Save as global` item in the `File` menu.

If you want to save the result of an earlier evaluated expression, you must reevaluate it and assign it to a variable using the RASMUS assignment syntax in the interpreter. Remember that the expression is listed somewhere in the interpreter’s history, and using the up and down arrow keys on your keyboard you go through the history of evaluated expressions.

Deleting a relation from the environment is achieved through the `File` menu in the main window and clicking `Delete relation`. This brings up a dialog asking for the name of the relation to delete. Suppose we had made a copy of the `children` relation by the name of `youngpeople` and we wanted to delete it. Going through the two steps would bring us to the dialog seen in figure ???. Clicking “Ok” removes `YoungPeople` from the environment and it deletes the corresponding relation file in the `Environment Path`.

Note that a relation is irretrievably lost when it is deleted.

3.2 External Relation Format

Sometimes data is produced by other programs or have been collected by people over time and the question naturally arises: how can such data be read into a relation *automatically*? For this purpose, we describe the *external relation format*. This is the format in which relations are kept in the directories. So, obviously, if we can transform data to this format (automatically), then this data can be read into the system.

A relation in external format looks as illustrated in figure ??. Here, `<type>` can be either T, I, or B, representing the three atomic types TEXT, INTEGER and BOOLEAN.

relation_view.png

Figure 2: Inspecting the relation `Kampe`

Inspecting the relation `Kampe`. Note that the relation cannot be modified here, that is only possible through interaction with the RASMUS interpreter. It is however possible to sort the tuples by clicking on the header. Note that it is a stable sort, so you can sort the tuples breaking ties properly.

first_exp.png

Figure 3: The first RASMUS expression.

The external format of the `children` relation would be as depicted in figure ??.

Relations are stored in external format as ordinary text files. The text file is named after the relation name, by adding an extension of `.rdb`. So our example relation was stored in a file `children.rdb` with the exact contents of figure ?. This file can be loaded into RASMUS by storing it in the `Environment Path`.

3.3 Working with CSV Files

Today much data is stored in CSV (Comma Separated Value) files, and RASMUS is capable of reading and writing relations from and to CSV files. Here we describe how RASMUS interprets a CSV file when it is loaded.

A CSV file consists of zero or more lines. Each line contains the same number of fields separated by commas (,). A field may be enclosed by quotes ("<content>"). Let m be the number of fields and n be the number of rows, then the content of the first field of the first row is $f_{1,1}$, and the content of the very last field is $f_{n,m}$.

When reading a CSV file RASMUS tries to guess the type of each attribute in the tuples of the relation. This is done by guessing the type of each attribute in turn. The type of the first attribute is inferred based on the content of the fields $f_{2,1}, f_{3,1}, \dots, f_{n,1}$. In general the j th attribute's type is guessed based on the contents of $f_{2,j}, f_{3,j}, \dots, f_{n,j}$. The type of an attribute is guessed as follows. If all the fields contain an integer, the type is INT. If all the fields contain either `true` or `false`, the type is BOOLEAN. Otherwise the type is TEXT.

Note the first line of fields have been ignored. This is because it might be the names of the attributes (also known as the *header* of the column). If all fields $f_{i,j}$ for $1 \leq i \leq n$ and $1 \leq j \leq m$ are textual fields, then the first row is interpreted as values rather than as the names of the attributes. In this case the names of the columns are `column0`, `column1`, etc. Otherwise the field $f_{1,j}$ for $1 \leq j \leq m$ is interpreted as the name of column j .

A relation in CSV format looks as illustrated in figure ??.

The CSV file of the `children` relation would be as depicted in figure ??.

Looking through figure ??, we see RASMUS can infer that the type of the **Age** column is INT, since all values except the first value in that column are integers.

persistence_startup.png

Figure 4: Starting up.

4 Expressions

In this chapter, we define the set of RASMUS expressions. We do this in several steps. First, we give a grammar from which expressions must be generated. Afterwards, we give an informal semantics of RASMUS expressions. In connection with this semantics, we restrict the set of expressions further by adding type constraints.

4.1 Grammar

In the following, we define some notation:

- $\mathbf{Category}^*$ is a sequence of **Category**
- $\mathbf{Category}^+$ is a nonempty sequence of **Category**
- $\mathbf{Category}^{*\lambda}$ is a comma separated sequence of **Category**
- $\mathbf{Category}^{+\lambda}$ is a nonempty comma separated sequence of **Category**
- $\mathbf{Category}^\circ$ is either 0 or 1 of **Category**

In the following, a grammar for RASMUS expressions is presented.

```
Exp ::= AtomConst |
      RelConst |
      StandardConst |
      tup ( NameExp*λ ) |
      rel ( Exp ) |
      func ( NameType*λ ) -> ( Type )
      Exp
      end |
      Name |
      Name := Exp |
      # |
      @ ( Exp ) |
      not Exp |
      Exp and Exp |
      Exp or Exp |
      - Exp |
      Exp + Exp |
      Exp - Exp |
      Exp * Exp |
      Exp / Exp |
      Exp mod Exp |
      Exp ++ Exp |
      Exp ; Exp |
      | Exp | |
```

```

Exp << Exp |
Exp . Name |
Exp \ Name |
has ( Exp , Name ) |
Exp ProjSym Name+λ |
Exp ? ( Exp ) |
Exp [ RenamePair+λ ] |
! ( Exp+λ ) Restricto : Exp |
!< ( Exp+λ ) Restricto : Exp |
!> ( Exp+λ ) Restricto : Exp |
max ( Exp , Name ) |
min ( Exp , Name ) |
count ( Exp , Name ) |
add ( Exp , Name ) |
mult ( Exp , Name ) |
substr ( Exp, Exp, Exp ) |
sin ( Exp ) |
cos ( Exp ) |
tan ( Exp ) |
asin ( Exp ) |
acos ( Exp ) |
atan ( Exp ) |
atan2 ( Exp, Exp ) |
round ( Exp ) |
ceil ( Exp ) |
floor ( Exp ) |
sqrt ( Exp ) |
pow ( Exp, Exp ) |
Exp = Exp |
Exp <> Exp |
Exp < Exp |
Exp > Exp |
Exp <= Exp |
Exp >= Exp |
Exp ~ Exp |
if Guards fi |
(+ NameValue* in Exp +) |
Exp ( Exp*λ ) |
( Exp ) |

```

AtomConst ::= BoolConst | IntConst | FloatConst | TextConst

BoolConst ::= true | false

IntConst	$::= \text{Digit}^+$
Digit	$::= 0 \mid 1 \mid 2 \mid 3 \mid 4 \mid 5 \mid 6 \mid 7 \mid 8 \mid 9$
FloatConst	$::= \text{Digit}^+ \cdot \text{Digit}^+ \text{Exponent}^\circ$
Exponent	$::= e \text{Sign}^\circ \text{Digit}^+$
Sign	$::= + \mid -$
TextConst	$::= " \text{Ascii}^* "$
Ascii	$::= \text{Letter} \mid \text{Digit} \mid \text{SpecialChar}$
Letter	$::= a \mid b \mid \dots \mid z \mid A \mid B \mid \dots \mid Z$
SpecialChar	$::= ! \mid @ \mid \# \mid \$ \mid \% \mid \wedge \mid \& \mid * \mid (\mid) \mid - \mid$ $_ \mid + \mid = \mid \mid \backslash \mid \sim \mid ' \mid \{ \mid \} \mid [\mid] \mid$ $; \mid : \mid ' \mid " \mid , \mid . \mid < \mid > \mid ? \mid /$
NameType	$::= \text{Name} : \text{Type}$
Name	$::= \text{Letter} \text{AlphaNum}^*$
AlphaNum	$::= \text{Letter} \mid \text{Digit}$
Type	$::= \text{Bool} \mid \text{Int} \mid \text{Float} \mid \text{Text} \mid$ $\text{Tup} \mid \text{Rel} \mid \text{Func} \mid \text{Any}$
StandardConst	$::= ?\text{-Bool} \mid ?\text{-Int} \mid ?\text{-Float} \mid ?\text{-Text}$
RelConst	$::= \text{zero} \mid \text{one}$
NameExp	$::= \text{Name} : \text{Exp}$
ProjSym	$::= + \mid -$
RenamePair	$::= \text{Name} <- \text{Name}$
Restrict	$::= \text{Name}^{+\lambda}$
Guards	$::= \text{Exp} \rightarrow \text{Exp} \text{Choice}^\circ$
Choice	$::= \& \text{Guards}$

```

NameValue      ::= val Name = Exp

IsType         ::= is-Bool ( Exp ) |
                  is-Int  ( Exp ) |
                  is-Float ( Exp ) |
                  is-Text ( Exp ) |
                  is-Tup  ( Exp ) |
                  is-Rel  ( Exp ) |
                  is-Func ( Exp ) |
                  is-Any  ( Exp ) |
                  is-Bool ( Exp , Name ) |
                  is-Int  ( Exp , Name ) |
                  is-Text ( Exp , Name )

```

4.2 Keywords

A **Name** cannot be one of the *keywords* listed in the following:

add	and	any	Bool	count	end
false	fi	func	Func	has	if
in	Int	max	min	mod	mult
not	one	or	rel	Rel	Text
true	tup	Tup	unset	val	zero

4.3 Informal Semantics

We divide this section up into several subsections depending on the type of the expressions being discussed. Some operations involve more than one type, but are only discussed once. We try to place such operations under the main type involved.

First, we describe the *atomic* values: booleans, integers, floats, and text.

Booleans

The constants **true** and **false** along with the operations **not**, **and**, and **or** have the standard interpretations. They require boolean arguments and they return a boolean value.

Values of the same type can be compared and the result of a comparison is a boolean.

Any two values can be compared using **=** or **<>**. Values of type **Bool**, **Int**, **Text**, **Tup**, and **Rel** can also be compared using **<**, **>**, **<=**, and **>=**. In following, we list the results of comparing types using the test **<**. The remaining test have the obvious complementary interpretation.

Bool **x**<**y** is true iff **x** is **false** and **y** is **true**.

Int/Float **x**<**y** is true iff **x** is an integer/float less than **y**.

Text $x < y$ is true iff x is a genuine prefix of y .

Tup $x < y$ is true iff the set of names in x is strictly contained in the set of names in y . In addition, the intersection of names in x and y should have the same associated values.

Rel $x < y$ is true iff the set of tuples in x is strictly contained in the set of tuples in y . An error occurs if the schemas of x and y are different.

The comparison $x \sim y$ on texts holds true if x occurs as a subtext of y .

Integers

The integer constants along with the operations $+$, $-$, $*$, $/$, and `mod` have the standard interpretations. Only `Int` values in the range -2147483647 to 2147483647 are available. A system error will occur if operations evaluate to values outside that range.

The operations listed above require integer arguments and they return an integer value. We point out that the value of x/y is the integer part of x divided by y and $x \bmod y$ is the remainder of the same operation.

The expression $-i$ gives the same value as $0-i$.

Floats

The floats constants along with the operations $+$, $-$, $*$, $/$, and `mod` have the standard interpretations. Operations on combinations of floats and integers will give floats.

The expression $-i$ gives the same value as $0-i$.

Text

A **Text** is a sequence of characters. A constant text is written as a sequence of characters surrounded by double quotes, i.e., like `"Rasmus"`.

- $t1++t2$ denotes the concatenation of the texts $t1$ and $t2$.
- $t(i..j)$ denotes the subsequence from t starting with the i th character and ending with the $(j-1)$ th character, where i and j are integers. A character sequence of length n is numbered from 0 to $n-1$.
- $|t|$ denotes the length of the text t . For example, any text t is equal to $t(0..|t|)$.

Standard values

The atomic types have *standard values*. These are written `?-Bool`, `?-Int`, and `?-Text`. These values are outside the ordering. This means, for example, that if i is not the standard value `?-Int`, then the expressions $i < ?-Int$, $i = ?-Int$, and $i > ?-Int$ will all evaluate to `?-Bool`. Similarly if we do arithmetic with `?-Int` the result will also be a `?-Int`.

Tuples

A tuple is a set of pairs, where each pair consists of an attribute name and an atomic value. If A_1, \dots, A_n are attribute names and v_1, \dots, v_n are atomic values, then a tuple can be specified as

$$\text{tup}(A_1:v_1, \dots, A_n:v_n)$$

We have the following operations on tuples.

- $t_1 \ll t_2$ denotes the tuple t_1 updated with the tuple t_2 . The expression $t_1 \ll t_2$ basically evaluates to the union of t_1 and t_2 except that whenever an attribute name appears in both t_1 and t_2 , only the attribute name and corresponding value from t_2 is used. If the same attribute name appears in both arguments, but the values are of different types, then an error occurs.
- $t.A$ denotes the value associated with the attribute name A in t . If A does not appear in t , then an error will occur.
- $t \setminus A$ denotes the tuple t except that the attribute name A and its associated value is left out. If A does not appear in t , then an error will occur.
- $\text{has}(t, A)$ denotes the boolean value **true** if the attribute name A appears in t . If not, then the value **false** is returned.

Relations

A relation is a set of tuples such that every tuple contains the same set of attribute names and such that for any two tuples, the values associated with identical attribute names are of the same type. This set of attribute names with their associated types is called the *schema* of the relation.

If t is a tuple, then $\text{rel}(t)$ is a relation with one tuple t .

There are the following operations on relations.

- $|r|$ denotes the length of the relation r , i.e., the number of tuples in r .
- $\text{has}(r, A)$ denotes the boolean value **true** if the attribute name A appears in the schema of r . If not, then the value **false** is returned.
- $r_1 + r_2$ denotes the union of the tuples in r_1 and r_2 . If r_1 and r_2 does not have the same schema, then an error will occur.
- $r_1 - r_2$ denotes the set difference of r_1 and r_2 , i.e., $r_1 - r_2$ is the set of tuples from r_1 which do not belong to r_2 . If r_1 and r_2 does not have the same schema, then an error will occur.
- $r_1 * r_2$ denotes the join of r_1 and r_2 . The attribute names appearing in both schemas are required to be of the same type. Otherwise an error will occur. The relation $r_1 * r_2$ consists of all the tuples t such that t restricted to the schema of r_1 belongs to r_1 and such that t restricted to the schema of r_2 belongs to r_2 .

- $r1 \mid + A1, \dots, An$ denotes the projection of r onto the attributes $A1, \dots, An$. These attributes have to belong to the schema of $r1$. The relation consists of all the tuples from $r1$ restricted to the attributes $A1, \dots, An$.
 $r1 \mid - A1, \dots, An$ denotes the projection of r onto the attributes in the schema of r *except* the attributes $A1, \dots, An$.
- $r? b$, where b is a boolean expression, contains the tuples t from r which make b true when the special symbol $\#$ is replaced with t .
- $r[A1 \leftarrow B1, \dots, An \leftarrow Bn]$ denotes a renaming of the attributes in r . The attribute names $A1, \dots, An$ are changed to $B1, \dots, Bn$, respectively. An error occurs if the attributes $A1, \dots, An$ do not belong to the schema of r . The Ai 's must be pairwise different. Also, the Bi 's must be pairwise different and no Bi is allowed to belong the schema of r minus $A1, \dots, An$.
- $!(r1, \dots, rn) \mid X: \text{exp}$ denotes a factor expression. The result of a factor expression is the union the evaluation of a family of expressions to be described in the following. These must all evaluate to relations with the same schema. Otherwise an error occurs.

The family of expressions is constructed by taking exp and substituting $\#, @ (1), \dots, @ (n)$ with different tuple and relation values. The values for $\#, @ (1), \dots, @ (n)$ are determined as follows. X must be a comma separated list of the attributes in the intersection of the schemas of the relations $r1$ through rn . The result of evaluating $(r1 \mid + X) + \dots + (rn \mid + X)$ is called the *base relation*. The symbol $\#$ is instantiated with the tuples in the base relation; one at a time. Now assume that $\#$ has been given a value, then $@ (i)$ is the relation $(\text{rel}(\#) * ri) \mid - X$. If $\mid X$ is not specified, then it is assumed to be all the common attributes of the ri 's.

If a list of attributes is specified (a restriction list), then X is this list. An error occurs if X is not contained in the intersection of the schemas of the n relational arguments.

- The variants $!<$ and $!>$ have the same semantics, except that the $\#$ tuples are processed in a non-decreasing respectively non-increasing order according to the attributes X .
- **zero** denotes the empty relation with the empty schema.
- **one** denotes the relation with the empty schema containing one tuple: the empty tuple.

Aggregation

The five operations **max**, **min**, **count**, **add**, and **mult** are very similar. They are all used like $\text{max}(r, A)$, where r is a relation and A an attribute name. They perform the action indicated by their name, e.g., $\text{max}(r, A)$ returns the maximal value in the A column of the relation r . An error occurs if the relation does not have an A column. The standard values are always ignored. If the A column

contains nothing but standard values, or if the relation is empty, then `max` and `min` returns the standard value, `count` and `add` returns 0, and `mult` returns 1.

Miscellaneous

- `if b1->exp1 & ...& bn->expn fi` is the *conditional expression*. The `bi`'s are boolean expression. This conditional expression is evaluated as follows. The boolean expressions are evaluated in order until one is found which gives `true`. If none of the boolean expressions evaluate to `true`, then the result is 0. If `bi` was the first expression evaluating to `true`, then the result of the conditional expressions is the result of evaluating `expi`.
- `(+ val x1=exp1 ...val xn=expn in exp +)` is a *block*. The expressions `exp1` through `expn` are evaluated in order and the results are named `x1` through `xn`, respectively. Then `exp` is evaluated and returned as the result of the block. Note that the values are named as soon as they are evaluated, so the names `x1` through `x(i - 1)` can be used in `expi`, and all the names can be used in `exp`.
- `exp1 ; exp2` is a *sequence* which evaluates first `exp1` and then `exp2`; the result is that of `exp2`.
- `n:=exp` is an *assignment*, which evaluates `exp` and assigns the result to the identifier `n`; the result is that of `exp`.
- `func (x1:T1,...,xn:Tn) -> (T) exp end` is a *function definition* and denotes a function. The names `x1` through `xn` are the *formal parameters* and `T, T1,...,Tn` are types; `T` is called the *result type*.
- `f(exp1,...,expn)` is a *function application*. The function `f` must be defined in the environment. The expressions `exp1` through `expn` are evaluated in order, and the values are bound to the formal parameters of the function definition. An error occurs if the number of expressions does not equal the number of formal parameters. An error also occurs if an expression evaluates to a value of type different from the one specified in the function definition. The body of the function definition is now evaluated and it can depend on the formal parameters. The result of the function application is the value of the function body unless this value is not of the type specified in the function definition (the result type).
- `(exp)` denotes whatever the expression `exp` denotes.
- `is-Bool(exp)` denotes `true` if `exp` evaluates to a boolean. Otherwise, it denotes `false`. The constructions `is-Int`, `is-Float`, `is-Text`, `is-Atom`, `is-Tup`, `is-Rel`, `is-Func`, and `is-Any` are defined similarly.

For the atomic types, there is an additional construction. If `exp` evaluates to a relation and `A` is an attribute name of that relation, then `is-Bool(exp,A)` denotes `true` if `A` is of type `Bool` and `false` otherwise.

If either `exp` does not evaluate to a relation or `exp` evaluates to a relation and `A` does not belong to the schema of that relation, then a runtime error occurs. The expressions `is-Int(exp,A)`, `is-Float(exp,A)` and `is-Text(exp,A)` have similar semantics.

- `unset name` unsets the contents of the variable `name`. If `name` is a relation the corresponding relation file is permanently deleted.

List of Figures

1	The initial RASMUS window	3
2	Inspecting the relation Kampe	4
3	The first RASMUS expression.	4
4	Starting up.	5