# Quant I – Fall 2013 Controlling for a Variable: X: Education, Y: Income and Z: Father's Education

use "GSS7212\_R3.DTA", clear

. tab realinc if sex == 1
\*note: limiting to males

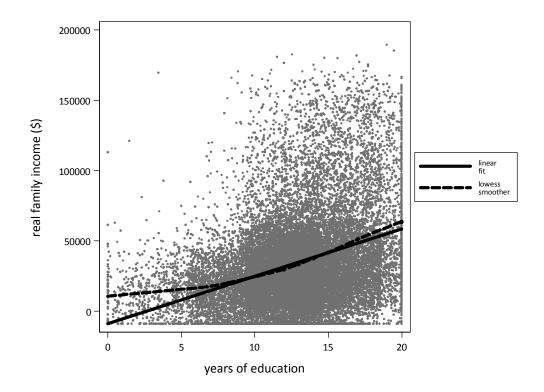
family income in constant \$	   Freq.	Percent	Cum.
245	12	0.05	0.05
259	14	0.06	0.11
267.75	8	0.03	0.15
284.25	13	0.06	0.20
301.9	17	0.07	0.28
312.85	16	0.07	0.35
333	7	0.03	0.38
345	19	0.08	0.46
363	8	0.03	0.49
382	8	0.03	0.53
393	5	0.02	0.55
418	3	0.01	0.56
444	1	0.00	0.57
		•••	
91587	62	0.27	92.47
92858	65	0.28	92.76
93210	44	0.19	92.95
94738	59	0.26	93.20
94853	181	0.79	93.99
99257	88	0.38	94.37
99956	139	0.60	94.97
99988	79	0.34	95.32
102084	58	0.25	95.57
109355	21	0.09	95.66
110160	81	0.35	96.01
110895	68	0.30	96.31
115841	71	0.31	96.61
119606.1	64	0.28	96.89
128141	37	0.16	97.05
128434.6	154	0.67	97.72
137237.8	121	0.53	98.25
141038	95	0.41	98.66
143778	19	0.08	98.74
144502.7	127	0.55	99.29
146153.7	66	0.29	99.58
155140	76	0.33	99.91
162607	21	0.09	100.00
Total	   23,042	100.00	
IOCAL	240 رد ک	100.00	

# . table educ [pw=wtssall] if sex == 1,c(mean realinc)

highest year of school	
completed	   mean(realinc)
	<b> </b>
0	11249.46173
1	15717.5519
2	19277.20657
3	13516.19767
4	14818.9965
5	17199.89956
6	15509.03308
7	19051.1232
8	21364.94477
9	21832.42802
10	24811.19666
11	27352.98068
12	32599.01844
13	35594.14105
14	39814.4767
15	38056.38513
16	52124.11244
17	52730.12397
18	59423.68176
19	66262.5068
20	66179.29469
dk	21622.38492
na	35446.62074
iia	33440.020/4

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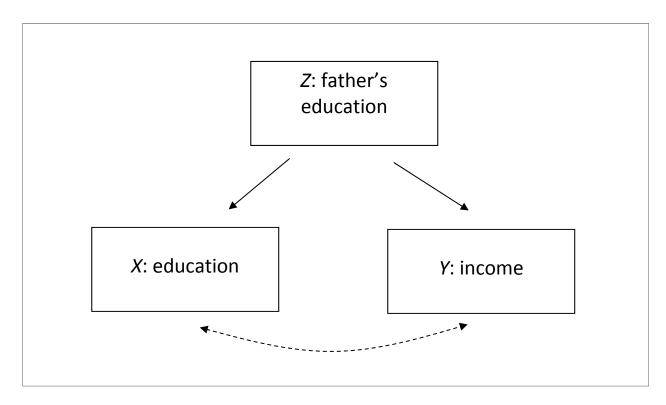
twoway (scatter realinc educ, msize(tiny) mc(gs7) jitter(20)) (lfit realinc
educ, lw(thick) lc(black)) (lowess realinc educ, lc(black) lp(dash) lw(thick))
if sex==1, legend(pos(3) order(2 3) label(2 "linear" "fit") label(3 "lowess"
 "smoother") cols(1) size(vsmall)) ytitle("real family income (\$)")
xtitle("years of education")



. reg realinc educ if sex==1

Source	SS	df		MS		Number of obs F( 1, 23007)	= 23009 = 3795.81
Model   Residual    Total	2.9652e+12 1.7973e+13 2.0938e+13	23007	781	52e+12 187009  031756		Prob > F R-squared Adj R-squared Root MSE	= 0.0000 = 0.1416
realinc	Coef.	Std.	Err.	t	P> t	 [95% Conf.	Interval]
educ   _cons	3379.168 -9003.901	54.84 732.8		61.61 -12.29	0.000 0.000	3271.663 -10440.25	3486.673 -7567.55

## A POTENTIAL CONFOUND



. tab paeduc if sex==1

highest year school completed, father	Freq.	Percent	Cum.
0	526	2.88	2.88
1	55	0.30	3.18
2	159	0.87	4.05
3	519	2.84	6.90
4	494	2.71	9.61
5	449	2.46	12.07
6	1,031	5.65	17.72
7	512	2.81	20.52
8	2,632	14.42	34.94
9	616	3.38	38.32
10	834	4.57	42.89
11	523	2.87	45.75
12	5,057	27.71	73.46
13	505	2.77	76.23
14	1,134	6.21	82.44
15	214	1.17	83.62
16	1,762	9.65	93.27
17	191	1.05	94.32
18	465	2.55	96.87
19	152	0.83	97.70
20	420	2.30	100.00
Total	18,250	100.00	

. pwcorr educ realinc paeduc if sex==1

	•	realinc	•
	1.0000	1.0000	
paeduc	0.4788	0.2045	1.0000

#### \*recode paeduc:

- . recode paeduc (0/8=1) (9/11=2) (12=3) (13/15=4) (16=5) (17/20=6), gen(paeduc\_rec) (40061 differences between paeduc and paeduc\_rec)
- . label def paeduc\_rec 1 "8th gr or less" 2 "HS dropout" 3 "HS dip" 4 "some coll" 5 "BA" 6 "post grad"
- . label values paeduc\_rec paeduc\_rec
- . tab paeduc\_rec

RECODE of paeduc (highest year school completed, father)	Freq.	Percent	Cum.
8th gr or less HS dropout HS dip some coll BA post grad	14,276 4,481 11,212 4,007 3,651 2,546	35.54 11.15 27.91 9.97 9.09 6.34	35.54 46.69 74.60 84.57 93.66 100.00
Total	40,173	100.00	

#### CONTROLLING FOR Z: FEWEST ASSUMPTIONS

- no linearity
- different xy relationship for different values of z

twoway (scatter realinc educ, jitter(20) msize(tiny) mc(gs7)) (lowess realinc
educ, lw(thick) lc(black)) if paeduc\_rec==1 & sex==1, title("Father's
Education:" "8th grade or less") aspect(1) legend(off) ytitle("real family
income (\$)") xtitle(education)

graph save "paeduc1.gph", replace

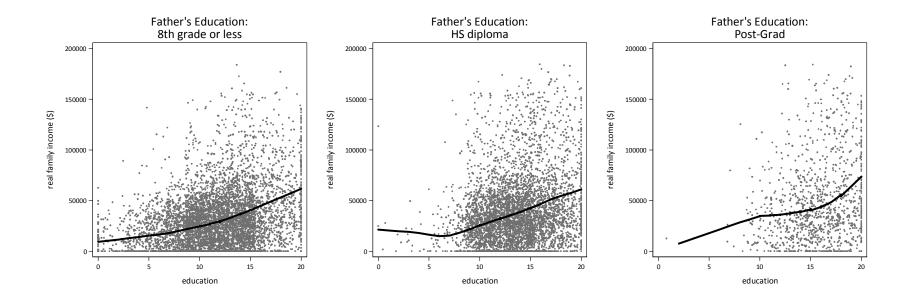
twoway (scatter realinc educ, jitter(20) msize(tiny) mc(gs7)) (lowess realinc
educ, lw(thick) lc(black)) if paeduc\_rec==3 & sex==1, title("Father's
Education:" "HS diploma") aspect(1) legend(off) ytitle("real family income
(\$)") xtitle(education)

graph save "paeduc3.gph", replace

twoway (scatter realinc educ, jitter(20) msize(tiny) mc(gs7)) (lowess realinc
educ, lw(thick) lc(black)) if paeduc\_rec==6 & sex==1, title("Father's
Education:" "Post-Grad") aspect(1) legend(off) ytitle("real family income
(\$)") xtitle(education)

graph save "paeduc5.gph", replace

graph combine "paeduc1.gph" "paeduc3.gph" "paeduc6.gph", colfirst ycommon xcommon rows(1) ysize(4) xsize(10)



# CONTROLLING FOR Z: MORE ASSUMPTIONS, BUT NOT TYPICAL APPROACH

 $realincome = \beta_{0J} + \beta_{1J}(educyears) + u, J = 1,...6$ 

- linearity xy (linear) relationship varies with different values of z
- . by paeduc\_rec, sort: reg realinc educ if sex==1
- -> paeduc\_rec = 8th gr or less

•	5.8475e+11 3.2279e+12	1 5931	5.847 5442	75e+11 234563		Number of obs = 5933 F( 1, 5931) = 1074.45 Prob > F = 0.0000 R-squared = 0.1534 Adj R-squared = 0.1532 Root MSE = 23329
realinc	Coef.	Std.	 Err. 	t	P> t	[95% Conf. Interval]
educ   _cons						2669.375 3008.974 -5055.276 -913.6974
-> paeduc_rec	= HS dropout					
Source	SS	df		MS		Number of obs = 1855 F( 1, 1853) = 296.18
Model	2.1853e+11	1	2.185	3e+11		Prob > F = 0.0000
Residual	1.3672e+12	1853	7378	353646		R-squared = 0.1378 Adj R-squared = 0.1373
Total	1.5858e+12	1854	8553	327518		Root MSE = 27163
realinc	Coef.	Std.	 Err.	t	P> t	[95% Conf. Interval]
educ   _cons	4122.759 -18406.75		-			3652.924 4592.593 -24708.61 -12104.89

## -> paeduc\_rec = HS dip

Model   Residual	SS 3.6785e+11 4.0156e+12 4.3834e+12	1 4689	3.6785e+11 856386400		Number of obs = 4691 F( 1, 4689) = 429.53 Prob > F = 0.0000 R-squared = 0.0839 Adj R-squared = 0.0837 Root MSE = 29264
realinc	Coef.	Std.	 Err. t	P> t	[95% Conf. Interval]
educ   _cons					3116.97 3768.271 -13300.82 -4201.997
-> paeduc_rec	= some coll				
Source			MS		Number of obs = 1729 F( 1, 1727) = 144.89
Residual	1.5135e+11 1.8039e+12	1727	1.0446e+09		Prob > F = 0.0000 R-squared = 0.0774
•	1.9553e+12				Adj R-squared = 0.0769 Root MSE = 32320
realinc	Coef.	Std.	Err. t	P> t	[95% Conf. Interval]
				0.000	3203.902 4451.24
_cons	-13570.78	4693.	648 -2.89	0.004	-22776.62 -4364.948
-> paeduc_rec		4693.	648 -2.89 	0.004	-22776.62 -4364.948 
-> paeduc_rec				0.004	Number of obs = 1615
-> paeduc_rec Source   	= BA	df 1 1613	MS  1.1590e+11 1.3043e+09		Number of obs = 1615 F( 1, 1613) = 88.86 Prob > F = 0.0000 R-squared = 0.0522
-> paeduc_rec Source   Model   Residual	= BA SS 	df  1 1613	MS  1.1590e+11 1.3043e+09		Number of obs = 1615 F( 1, 1613) = 88.86 Prob > F = 0.0000
-> paeduc_rec  Source    Model    Residual    Total	= BA  SS  1.1590e+11 2.1038e+12  2.2197e+12	df 1 1613  1614	MS  1.1590e+11 1.3043e+09  1.3753e+09	 P> t	Number of obs = 1615 F( 1, 1613) = 88.86 Prob > F = 0.0000 R-squared = 0.0522 Adj R-squared = 0.0516

## -> paeduc\_rec = post grad

Source	SS	df		MS		Number of obs		1121
Model   Residual   	1.3336e+11 1.5928e+12	1119 	1.423	55e+09		F( 1, 1119) Prob > F R-squared Adj R-squared Root MSE	= =	93.68 0.0000 0.0773 0.0764 37729
realinc	Coef.	Std.	Err.	t	P> t	[95% Conf.	In	terval]
educ   _cons	4242.855 -20521.43	438.3 7098.		9.68 -2.89	0.000 0.004	3382.767 -34450.23	_	102.942 592.638

### CONTROLLING FOR Z: TYPICAL APPROACH

$$realincome = \beta_0 + \beta_1(educyears) + \beta_2(paeduc) + u$$

- linearity
- xy (linear) relationship is constant across different values of z
   treat paeduc as interval-level variable

#### . reg realinc educ paeduc if sex==1

Source	SS	df	MS		Number of obs : F( 2, 16941) :	= 16944 = 1282.24
Model   Residual    Total	2.1429e+12 1.4156e+13 1.6299e+13	16941 83	715e+12 5615329  1995210		Prob > F R-squared Adj R-squared	= 0.0000 = 0.1315
realinc	Coef.	Std. Err.	t	P> t	[95% Conf.	Interval]
educ   paeduc   _cons	3259.935 301.6454 -9596.13	77.89661 57.71808 948.1955	41.85 5.23 -10.12	0.000 0.000 0.000	3107.25 188.512 -11454.69	3412.621 414.7789 -7737.568