## B.Comp. Dissertation

## Event-Driven Visual-Tactile Learning for Robots

Ву

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Project No: H226080 Advisor: Dr. Harold Soh

Deliverables:

Report: 1 Volume

#### Abstract

In this work, we contribute an event-driven visual-tactile perception system, built on spiking neural networks. Our perception system is trained, and tested end-to-end on novel multi-modal event-based data for two sensor modalities: (1) Tactile data, from our biologically-inspired fingertip tactile sensor, NeuTouch and (2) visual data, from the Prophesee camera. We evaluate our system on two robotic tasks: container classification, and slip detection. On both tasks, we observe good classification accuracies relative to standard deep learning methods. Our system can be run on neuromorphic hardware, making this a crucial first step towards enabling power-efficient, intelligent robots.

Keywords:

Spiking Neural Networks, Multi-modal Machine Learning

Implementation Software and Hardware:

Python 3, PyTorch

# **Table of Contents**

Title			
Abstract			ii
1	<b>Int</b> r 1.1	roduction  Research Outline	<b>1</b> 2
	1.2	Individual Contributions	3
2	Bac	kground	5
	2.1	The Generations of Neural Networks	5
	2.2	A Spiking Neuron Model	6
	2.3	Motivating Spiking Neural Networks	7
		2.3.1 Information Encoding	7
		2.3.2 Biological Plausibility	8
		2.3.3 Neuromorphic Hardware	9
	2.4	Training Spiking Neural Networks	9
		2.4.1 Non-gradient based methods	10
		2.4.2 Gradient-based methods	11
		2.4.3 Future Research Areas	12
3	Eve	ent-driven Visual-Tactile Sensing and Learning for Robots	13
	3.1	Related Work	14
	3.2	Visual-Tactile Spiking Neural Network (VT-SNN)	14
	3.3	Robot and Sensors Setup	14
	3.4	Container & Weight Classification	14
	3.5	Rotational Slippage Classification	14
	3.6	Gains on Neuromorphic Hardware	14
	3.7	Conclusion	14
	3.8	Future work	14
4	Rei	nforcement learning in Spiking Neural Networks	15
		4.0.1 The Cartpole Environment	15
		4.0.2 Training a Simple ANN agent	15
		4.0.3 Training a SNN agent	16
		4.0.4 The ImageCartpole Environment	18
	4.1	Future Work	19
Re	efere	nces	21

## Chapter 1

# Introduction

Human beings are blessed with innate abilities to integrate sensory information from different stimuli. Our sense of smell, hearing, touch, vision, and taste each contribute to how we perceive and act in the world. Consider the scenario of fetching a carton of soy-milk from the fridge; humans use vision to locate the carton, and are also able to infer from grasping the object, the amount of soy-milk the carton contains. These actions (and inferences) are performed robustly using a power-efficient neural substrate — compared to popular deep learning approaches for using multiple sensor modalities in artificial systems, human brains require far less energy (Li, Chen, Becchi, & Zong, 2016).

In this work, we take crucial steps towards efficient visual-tactile perception for robotic systems. We gain inspiration from biological systems, which are asynchronous and event-driven. In contrast to resource-hungry deep learning methods, event-driven perception offers an alternative approach that promises power-efficiency and low-latency — features that are ideal for real-time mobile robots. However, event-driven systems remain under-developed relative to standard synchronous perception methods (Pfeiffer & Pfeil, 2018).

We make multiple contributions that advance event-driven visual-tactile perception. First, to enable richer tactile sensing, we use the NeuTouch fingertip sensor. Compared to existing commercially-available tactile sensors, NeuTouch's neuromorphic design enables scaling to larger number of taxels while retaining low latencies.

Next, we investigate multi-modal (visual-tactile) learning using the NeuTouch and the

Prophesee event-based camera. Specifically, we develop a visual-tactile spiking neural network (VT-SNN) that incorporates both sensory modalities for supervised-learning tasks. Different from conventional deep artificial neural network (ANN) models, SNNs process discrete spikes asynchronously, and thus, are arguably better suited to the event data generated by our neuromorphic sensors. In addition, SNNs can be used on efficient low-power neuromorphic chips such as the Intel Loihi (Davies et al., 2018).

Our experiments center on two robot tasks: object classification and (rotational) slip detection. In the former, we tasked the robot to determine the type of container being handled and amount of liquid held within. The containers were opaque with differing stiffness, and hence, both visual and tactile sensing are relevant for accurate classification. We show that relatively small differences in weight ( $\approx 30 \text{g}$  across 20 object-weight classes) can be distinguished by our prototype sensors and spiking models. Likewise, the slip detection experiment indicates rotational slip can be accurately detected within 0.08s (visual-tactile spikes processed every  $\approx 1 \text{ms}$ ). In both experiments, SNNs achieved competitive (and sometimes superior) performance relative to ANNs with similar architecture.

The work presents an exciting opportunity to enable power-efficient intelligent robots. Presented with labeled data, an event-driven perception network can be trained end-to-end, and used on neuromorphic chips as robotic controllers.

## 1.1 Research Outline

In chapter 2, we first provide a comprehensive study on SNNs. We discuss why and when we should use spiking neural networks, and how to train them. Crucially, we draw similarities between spiking neural networks and recurrent neural networks, a recently discovered property that enables the end-to-end training of these networks using gradient-based methods.

In chapter 3, we contribute an event-driven visual-tactile spiking-neural network (VT-SNN), which enables fast perception on two event-based sensors: the NeuTouch (W. W. Lee et al., 2019), and the Prophesee event camera. Here, we detail the experimental setups for the robotic tasks: object classification and slippage detection. We discuss our experimental results, and

demonstrate that spiking neural networks achieve competitive (and sometimes superior) performance over deep learning methods, and in addition having the unique property of early classification.

This thesis was originally an exploratory project on spiking neural networks. In the duration of this research, several different research directions have been explored. In the chapters that follow, we discuss research directions we have taken that were later abandoned.

In chapter 4, we evaluate the feasibility of spiking neural networks as agents in a reinforcement learning setting. Reinforcement learning environments are often temporal in nature, due to the interdependence between states and actions in the environment. We hypothesised that spiking neural agents were well suited in many reinforcement learning settings.

## 1.2 Individual Contributions

The event-driven visual-tactile perception system is a joint work between our group, the Collaborative Learning & Adaptive Robots (CLeAR) group, and the TEE research group.

The TEE research group contributed the novel NeuTouch tactile sensor, which was used to collect data for the tactile modality. The CLeAR group contributed: (1) a visual-tactile spiking neural network (VT-SNN) that leverages multiple event sensor modalities, (2) systematic experiments demonstrating the effectiveness of our event-driven perception system on object classification and slip detection, with comparisons to conventional ANN methods, and (3) visual-tactile event sensor datasets comprising more than 50 different object classes across the experiments, including RGB images and proprioceptive data from the robot.

Among the contributions of the CLeAR group, my individual contributions include the experimentation (training and evaluation) of the VT-SNN models, as well as some guidance on the ANN models. I am also looking into running these models on neuromorphic hardware, to quantify the performance and power gains of using the spiking models. During the research process, I also maintained the code repository at high-quality. Model training was designed to be reproducible, and parameter searches could be done efficiently across multiple GPUs. Different experimental runs could also be plotted, and their results aggregated for later analyses.

All work in subsequent chapters () are my own.

# Chapter 2

# Background

This chapter provides background knowledge about spiking neural networks. It reviews the differences between deep neural networks, and spiking neural networks (2.1). It introduces the basics of spiking neural networks (2.2), and its benefits (2.3). Finally, we discuss how to train spiking neural networks (2.4), and give some future directions.

## 2.1 The Generations of Neural Networks

Neural network models can be classified into three generations, according to their computational units: perceptrons, non-linear units, and spiking neurons (Maass, 1997).

Perceptrons can be composed to produce a variety of models, including Boltzmann machines and Hopfield networks. Non-linear units are currently the most widely used computational unit, responsible for the explosion of progress in machine learning research, in particular, the success of deep learning. These units traditionally apply differentiable, non-linear activation functions such across a weighted sum of input values.

There are two reasons second-generation computational units have seen so much success. First, the computational power of these units is greater than that of first-generation neural networks. Networks built with second-generation computational units with one hidden layer are universal approximators for any continuous function with a compact domain and range (Cybenko, 1989). Second, networks built with these units are trainable with well-

researched gradient-based methods, such as backpropagation.

The third generation of neural networks use computational units called spiking neurons. Much like our biological neurons, spiking neurons are connected to each other at synapses, receiving incoming signals at the dendrites and sending spikes to other neurons via the axon. Each computational unit stores some state: in particular, it stores its membrane potential at any point in time. Rather than fire at each propagation cycle, these computational units fire only when their individual membrane potentials crosses its firing threshold. A simple spiking neuron model is given in ??.

From this section onwards, we shall term second-generation neural networks Artificial Neural Networks (ANNs), and third-generation neural networks Spiking Neural Networks (SNNs).

## 2.2 A Spiking Neuron Model

In spiking neural networks, neurons exchange information via spikes, and the information received depends on:

Firing frequencies The relative timing of pre and post-synaptic spikes, and neuronal firing patterns

**Identity of synapses used** Which neurons are connected, whether their synapses are inhibitory or excitatory, and synaptic strength

Each neuron has a corresponding model that encapsulates its state: the current membrane potential. As with the mammalian brain, incoming spikes increase the value of membrane potential. The membrane potential eventually decays to resting potential in the absence of spikes. These dynamics are often captured via first-order differential equations. Here we define the Spike Response Model (SRM), a simple but widely-used model describing the momentary value of a neuron i.

We define for presynaptic neuron j,  $\epsilon_{ij}(t) = u_i(t) - u_{\text{rest}}$ . For a few input spikes, the

membrane potential responds roughly linearly to the input spikes:

$$u_i t = \sum_j \sum_f \epsilon_{ij} (t - t_j^{(f)}) + u_{\text{rest}}$$
(2.1)

SRM describes the membrane potential of neuron i as:

$$u_i t = \eta(t - \hat{t_i}) + \sum_j \sum_f \epsilon_{ij} (t - t_j^{(f)}) + u_{\text{rest}}$$
(2.2)

where  $\hat{t}_i$  is the last firing time of neuron i.

We refer to moment when a given neuron emits an action potential as the firing time of that neuron. We denote the firing times of neuron i by  $t_i^{(f)}$  where f = 1, 2, ... is the label of the spike. Then we formally denote the spike train of a neuron i as the sequence of firing times:

$$S_i(t) = \sum_f \delta\left(t - t_i^{(f)}\right) \tag{2.3}$$

where  $\delta(x)$  is the Dirac-delta function with  $\delta(x) = 0$  for  $x \neq 0$  and  $\int_{-\infty}^{\infty} \delta(x) dx = 1$ . Spikes are thus reduced to points in time.

## 2.3 Motivating Spiking Neural Networks

Since second-generation neural networks have excellent performance, why bother with spiking neural networks? In this section, we motivate spiking neural networks from various perspectives.

#### 2.3.1 Information Encoding

To directly compare ANNs and SNNs, one can consider the real-valued outputs of ANNs to be the firing rate of a spiking neuron in steady state. In fact, such rate coding has been used to explain computational processes in the brain (Pfeiffer & Pfeil, 2018). Spiking neuron models encode information beyond the average firing rate: these models also utilize the relative timing between spikes (Gütig, 2014), or spike phases (in-phase or out-of-phase). These time-dependent codes are termed temporal codes, and play an important role in biology. First, research has shown that different actions are taken based on single spikes (Stemmler, 1996). Second, relying

on the average firing rate would greatly increase the latency of the brain, and our brain often requires decision-making long before several spikes are accumulated. It has also been successfully demonstrated that temporal coding achieves competitive empirical performance on classification tasks for both generated datasets, as well as image datasets like MNIST and CIFAR (Comsa et al., 2019).

## 2.3.2 Biological Plausibility

A faction of the machine learning and neurobiology community strives for emulation of the biological brain. There are several incompatibilities between ANNs and the current state of neurobiology that are not easily reconciliated.

First, neurons in ANNs communicate via continuous-valued activations. This is contrary to neurobiological research, which shows that communication between biological neurons communicate by broadcasting spike trains: trains of action potentials to downstream neurons. The spikes are to a first-order approximation of uniform amplitude, unlike the continuous-valued activations of ANNs.

Second, backpropagation as a learning procedure also presents incompatibilities with the biological brain (Tavanaei, Ghodrati, Kheradpisheh, Masquelier, & Maida, 2019). Consider the chain rule in backpropagation:

$$\delta_j^{\mu} = g'\left(a_j^{\mu}\right) \sum_k w_{kj} \delta_k^{\mu} \tag{2.4}$$

 $\delta_j^{\mu}$  and  $\delta_k^{\mu}$  denote the partial derivatives of the cost function for input pattern  $\mu$  with respect to the net input to some arbitrary unit j or k. Unit j projects feed-forward connections to the set of units indexed by k.  $g(\cdot)$  is the activation function applied to the net input of unit j, denoted  $a_j^{\mu}$ ,  $w_{kj}$  are the feedforward weights projecting from unit j to the set of units indexed by k.

The chain rule formulation presents two problems. First, the gradients  $g'(\cdot)$  requires derivatives, but  $g(\cdot)$  in spiking neurons is represented by sum of Dirac delta functions, for which derivatives do not exist. Second, the expression  $\sum_k w_{kj} \delta_k^{\mu}$  uses feedforward weights in a feed-

back fashion. This mean that backpropagation is only possible in the presence of symmetric feedback weights, but these do not exist in the brain. In addition, during backpropagation the error assignment for each neuron is computed using non-local information.

#### 2.3.3 Neuromorphic Hardware

In a traditional Von Neumann architecture, the logic core operates on data fetched sequentially from memory. In contrast, in neuromorphic chips both computation and memory are distributed across computational units that are connected via synapses. The neuronal architecture and parameters hence play a key role in information representation and define the computations that are performed.

It has also been observed that spike-trains in the mammalian brain are often sparse in time, suggesting that timing and relative timings of spikes encode large amounts of information. Neuromorphic chips implement this same sparse, low-precision communication protocol between neurons on the chip, and by offering the same asynchronous, event-based parallelism paradigm that the brain uses, are able to perform certain workloads with much less power than Von Neumann chips.

These integrated circuits are typically programmed with spiking neural networks. Examples of such chips include IBM's TrueNorth (Merolla et al., 2014) and Intel's Loihi (Davies et al., 2018). Because spiking neural networks have not yet been successfully trained on many tasks, neuromorphic chips has seen little practical use. These chips have only recently been successfully used in robotic navigation (Tang, Shah, & Michmizos, 2019), and solving graph problems by manual construction of the network graph (Severa, Parekh, Carlson, James, & Aimone, 2016).

## 2.4 Training Spiking Neural Networks

As explained in subsection 2.3.3, it is desirable to train spiking neural networks to perform arbitrary tasks, utilizing power-efficient neuromorphic chips that break the Von Neumann bottleneck. We classify the training strategies by their usage of gradients, and discuss certain optimization techniques.

## 2.4.1 Non-gradient based methods

Spiking neurons communicate via spikes, hence, unlike ANNs, gradients are non-existent. In addition, backpropagation is not biologically plausible (see subsection 2.3.2). This motivates the use of plasticity-based methods and evolutionary strategies for training SNNs.

One category of learning rules used in SNNs are local learning rules. These rules include Hebbian learning (neurons that fire together wire together), and its extension: the spike-timing-dependent-plasticity rule (STDP). Inspired by experiments in neuroscience, central to these learning rules is the theme that neuron spike ordering and their relative timings encode information. STDP adjusts the strength of connections between neurons using the relative timing of a neuron's output and its input potentials (hence, spike-timing dependent).

In machine learning terminology, the weights of the synapses are adjusted according to fixed rules for each training example. Each synapse is given a weight  $0 \le w \le w_{\text{max}}$ , characterizing its strength, and its change depends on the exact moments  $t_{pre}$  of pre-synaptic spikes and  $t_{post}$  of post-synaptic spikes (Sboev, Vlasov, Rybka, & Serenko, 2018):

$$\Delta w = \begin{cases} -\alpha \lambda \cdot \exp\left(-\frac{t_{\text{pre}} - t_{\text{post}}}{\tau_{-}}\right), & \text{if } t_{\text{pre}} - t_{\text{post}} > 0\\ \lambda \cdot \exp\left(-\frac{t_{\text{post}} - t_{\text{pre}}}{\tau_{+}}\right), & \text{if } t_{\text{pre}} - t_{\text{post}} < 0 \end{cases}$$
(2.5)

where  $\tau_{+}$  and  $\tau_{-}$  are time constants.  $\tau_{+} = 16.8ms$  and  $\tau_{-} = 33.7ms$  are reasonable approximations obtained experimentally.

There are several libraries like BindsNET (Hazan et al., 2018) that simulate SNNs on Von Neumann computers implementing these rules. Recent attempts have been made to combine Reinforcement Learning and STDP: both in solving RL problems (Hazan et al., 2018), and using the reinforcement learning framework to train SNN (Bing et al., 2019; C. Lee, Panda, Srinivasan, & Roy, 2018). However, SNNs trained using the STDP learning rule have yet to achieve comparable performance compared to ANNs on relatively simple datasets like MNIST (Tavanaei et al., 2019).

#### 2.4.2 Gradient-based methods

Performance is important for practical applications, and gradient-based training methods such as backpropagation has shown competitive performance. It is thus desirable to train spiking neural networks with these gradient-based methods.

There are several problems with spike-compatible gradient-based methods. First, most of these methods cannot train neurons in the hidden layers: they can only train neurons at the final layer, that receive the desired target output pattern (Urbanczik & Senn, 2009; J. Lee, Delbruck, & Pfeiffer, 2016). Second, the discontinuous, binary nature of spiking output needs to be addressed. For example, SpikeProp approximates the membrane threshold function at a local area with a linear function, introducing gradients and computing the exact formulae for error backpropagation for synaptic weights and spike times (Bohte, Kok, & Poutré, 2000). Others have modified the threshold function with a gate function (Huh & Sejnowski, 2018), used the alpha transfer function to derive gradient update rules (Comsa et al., 2019), and approximate the dirac-delta spikes with a probability density function (Shrestha & Orchard, 2018).

Another approach is converting trained ANN models into SNNs (Rueckauer, Lungu, Hu, & Pfeiffer, 2016). Common ANN layers such as softmax, batch normalization and max-pooling layers have their corresponding spiking counterparts.

Equilibrium Propagation was recently proposed to solve the neurobiological incompatibilities of backpropagation (Scellier & Bengio, 2017). Because the gradients are defined only in terms of local perturbations, the synaptic updates correspond to the standard form of STDP. The propagated signal encodes the gradients of a well-defined objective function on energy-based models, where the goal is to minimize the energy of the model. To resolve the issue of communication using binary-valued signals, step-size annealing was used to train spiking neural networks with Equilibrium Propagation (O'Connor, Gavves, & Welling, 2019).

## 2.4.3 Future Research Areas

A nascent area is local learning on neuromorphic chips. Thus far spiking neural networks are simulated and trained before deployment on a neuromorphic chip. In Intel's Loihi chip, each core contains a learning engine that can update synaptic weights using the 4-bit microcode-programmed learning rules that are associated with that synapse. This opens up areas for online learning.

## Chapter 3

# Event-driven Visual-Tactile Sensing and Learning for Robots

In the introduction, we have alluded to VT-SNN, an event-driven visual-tactile perception system using spiking neural networks. This chapter describes the work done on that project. In section 3.1, we discuss the prior art for visual-tactile systems. In section 3.2, we discuss model architecture and model training. In section 3.3, we detail the robot hardware setup used across our experiments. Next, we discuss our experimental methods and results for our two robotics tasks: container classification (section 3.4), and slippage detection (section 3.5). We run the trained models on the Intel Loihi in section 3.6 to quantify the gains in power-efficiency and inference speeds. Finally, we conclude our work (section 3.7), and provide future research directions (section 3.8).

This work has been submitted to ROS 2020.

- 3.1 Related Work
- 3.2 Visual-Tactile Spiking Neural Network (VT-SNN)
- 3.3 Robot and Sensors Setup
- 3.4 Container & Weight Classification
- 3.5 Rotational Slippage Classification
- 3.6 Gains on Neuromorphic Hardware
- 3.7 Conclusion
- 3.8 Future work

# Chapter 4

# Reinforcement learning in Spiking

# Neural Networks

#### 4.0.1 The Cartpole Environment

We use the Cartpole-v0 environment, a popular environment provided by OpenAI. The official description is as follows (OpenAI, 2019):

A pole is attached by an un-actuated joint to a cart, which moves along a frictionless track. The system is controlled by applying a force of +1 or -1 to the cart. The pendulum starts upright, and the goal is to prevent it from falling over. A reward of +1 is provided for every time-step that the pole remains upright. The episode ends when the pole is more than 15 degrees from vertical, or the cart moves more than 2.4 units from the center.

CartPole-v0 defines "solving" as getting average reward of 195.0 over 100 consecutive trials.

#### 4.0.2 Training a Simple ANN agent

First, we attempt to solve the problem with a simple MLP ANN agent that takes in the four observations, and outputs as logits the probability of each action. The action is then sampled

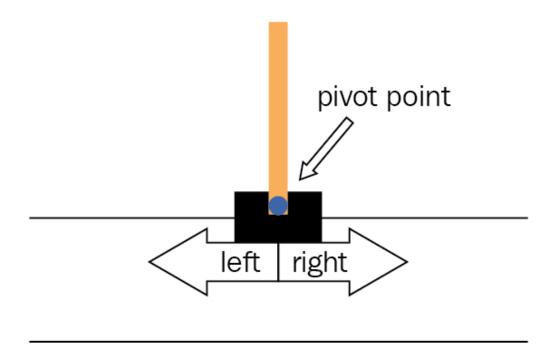


Figure 4.1: The OpenAI CartPole environment

from a 2-outcome categorical distribution with the logits as the outcome probabilities. We do this so we can compare the performance of the policies, learnt under the same conditions (learning rule, environment parameters etc.).

Since SLAYER uses PyTorch, we implement vanilla policy gradients in PyTorch to train the MLP agent. We use Sacred (Klaus Greff, Aaron Klein, Martin Chovanec, Frank Hutter, & Jürgen Schmidhuber, 2017) to log and ensure reproducibility of our experiments.<sup>1</sup>

Experiments show that the ANN model learns to solve the environment quickly when trained with VPG, as shown in Figure 4.2. The agent obtains an average episodic return of 200, "solving" the environment at 2000 time-steps.

## 4.0.3 Training a SNN agent

Similarly, we attempt to train the SLAYER model to solve the CartPole-v0. Each SLAYER layer takes in a spike train as input and produces a spike train as output. The objective function

<sup>&</sup>lt;sup>1</sup>This repository is hosted on Github at https://github.com/jethrokuan/snnrl/. The repository is private, request access as required.

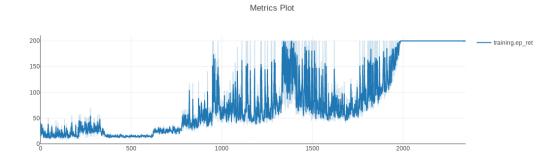


Figure 4.2: Plot of average episode returns over time-steps for a simple MLP agent.

for supervised learning tasks such as classification is defined in the paper, and is similar to cross-entropy (Shrestha & Orchard, 2018).

Since the input to the Slayer model are spike trains, we require an encoder mapping the environment observations into the fixed-length spike trains that SLAYER accepts, as shown in Figure 4.3.

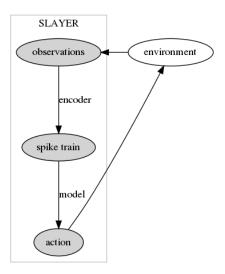


Figure 4.3: The SLAYER model requires an additional encoder to transform the observations into spike trains as input.

We encode the observations by modelling the observations as Poisson processes (Heeger, 2000). First, we convert each of the four observations into 2 non-negative observations: their absolute value, and their sign. A negative value has an observation value of 0, and a positive

value has observation value of 1. We divide time into short, discrete intervals  $\delta t$ , and generate a sequence of random numbers x[i] uniformly between 0 and 1. For each interval, if  $x[i] \leq r\delta t$ , generate a spike. We produce spike trains of 300 time-steps as input to the SLAYER model from the 8 observation values (scaled appropriately).

As shown in Figure 4.4, the SLAYER model fails to learn to solve the problem.

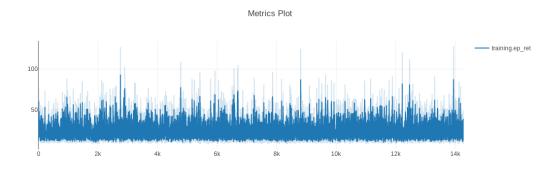


Figure 4.4: The SLAYER model with a Poisson encoder for the observations fails to learn to solve the problem.

The problem likely resides in way encoding is done. The domain of the value of some observations in the Cartpole environment is the range over all real numbers, and encoding values over the entire range of real numbers is tricky. There is no linear mapping, and changes in observation values may not result in changes of noticeable magnitude in the mapped value.

There has, however, been works on encoding images into spike trains. This is particularly common as many spiking neural architectures are evaluated on a converted MNIST image dataset. Hence, we move towards training spiking neural networks on image observations.

### 4.0.4 The ImageCartpole Environment

To bypass the encoding issue described earlier, we turn towards training agents on the pixels of the environment. We create a Cartpole environment such that the observation is the difference in pixels of the current frame and the previous frame. We term this modified environment ImageCartpole.

We train a simple CNN on this environment, using VPG. Training this agent takes signif-

icantly more time, as seen in Figure 4.5. However, the agent is still able to learn from the observations, suggesting that this environment is solvable by a SNN agent.

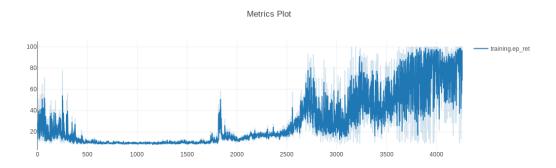


Figure 4.5: Plot of the average episode return of a CNN agent on the ImageCartpole environment over time.

At the time of submission, the SNN agent is unable to learn a good policy, but more engineering work is required before any conclusions can be made.

## 4.1 Future Work

It is hoped that the SLAYER model is able to learn to solve simple environments such as the Cartpole environment. Once it is established that gradient-based RL methods also work for training SLAYER, we would move on towards milestones 3 and 4. If we are unable to learn a good policy via existing reinforcement learning methods, some exploration into tweaking the learning rules or spiking neural architecture is warranted.

As a closing thought, the way the cartpole environment is currently being used also does not fully utilize the power of spiking neural networks. At each time-step, observations are converted to full spike trains. SNNs are often able to make predictions based on early spikes, albeit less reliable. This is not exploited in the current environment formulation, where a full spike train of fixed length is received before an action is taken.

In my idealized formulation of RL environment for SNNs, the following should be satisfied:

1. The action space should contain a no-op: in the case of the cartpole environment, this

is as simple as adding the action of not applying force to the cart, instead of choosing between left or right

2. At each observation, the observation should be spikes, rather than spike trains

The SNN agent receives spikes at each time-step, and after gaining enough confidence to take an action, it takes the action at that time-step. I hypothesize that SNN agents should be able to solve such environments, by exploiting the temporal information encoded in the relative timing between spikes (in this case, number of timesteps) and that each spiking neuron stores such temporal state, without the use of recurrent networks or replay buffers common in current ANN setups.

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