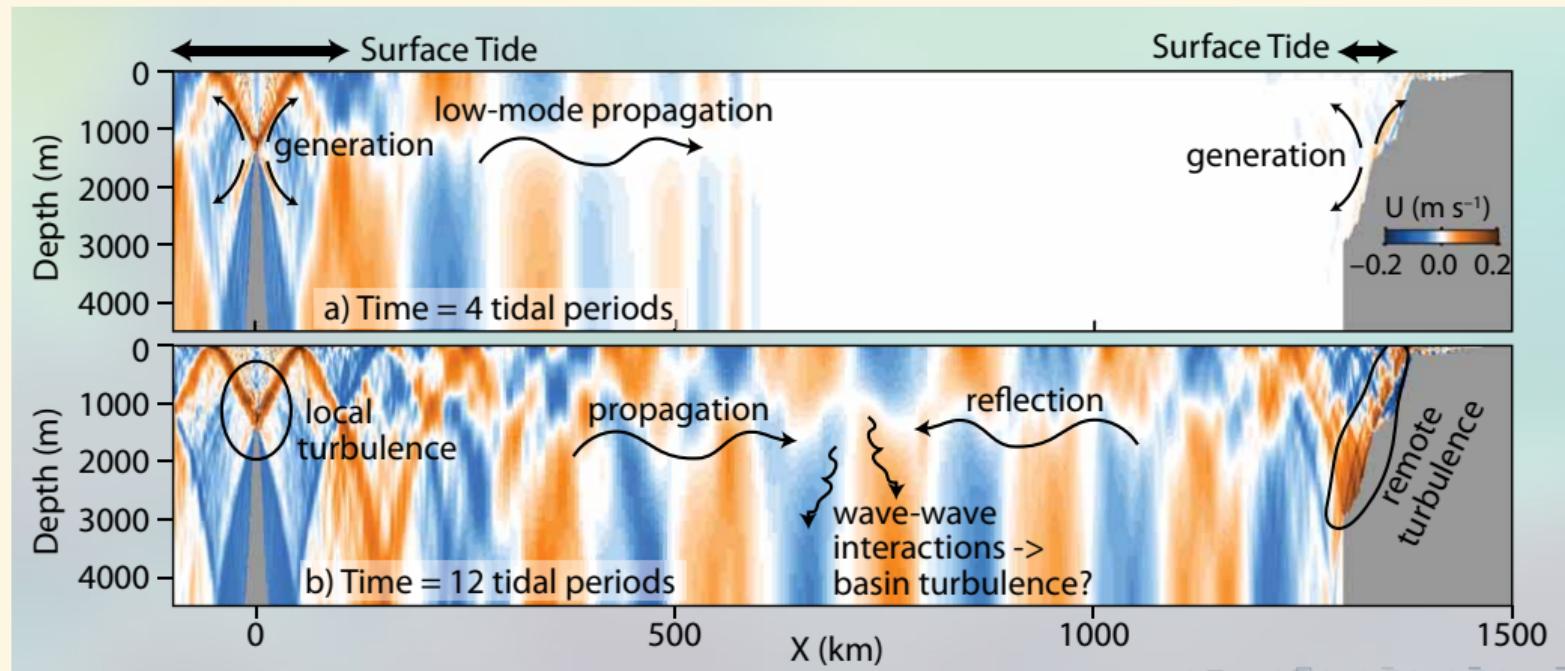


Tasmania internal tide experiment: Preliminary modeling

Jody Klymak

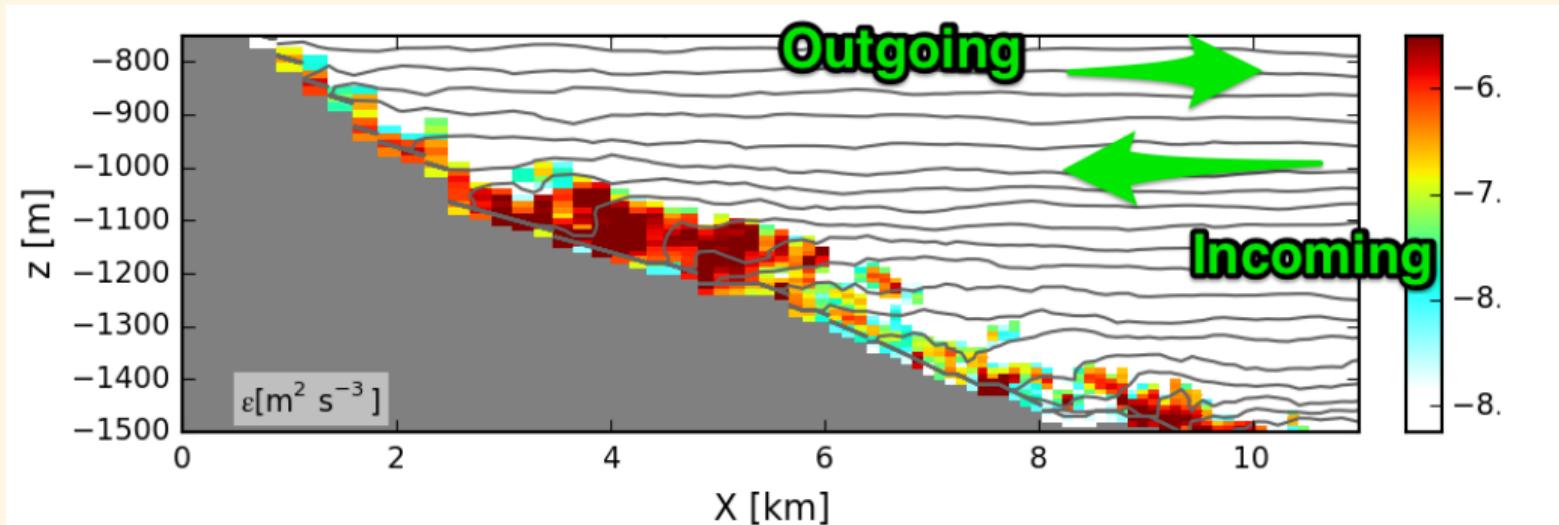
University of Victoria

June 26, 2015



Experiment Goal

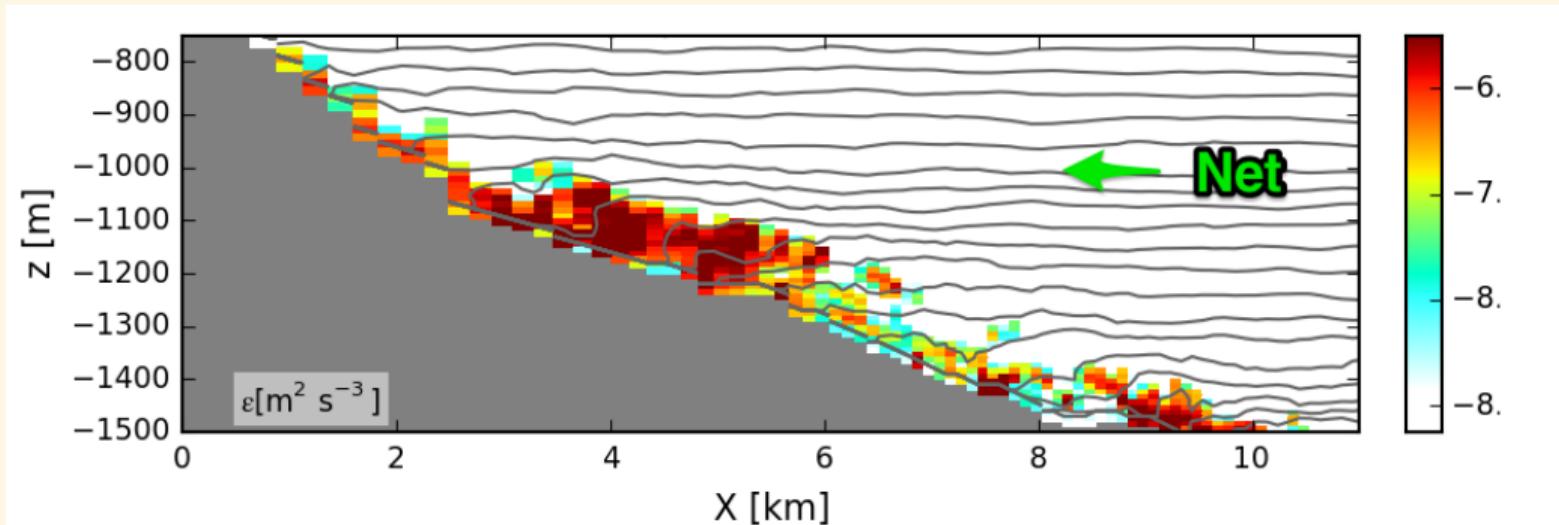
Turbulence due to continental slope



- Parameterize dissipation, $D = F_{in} - F_{out}$ as function of F_{in} (not trivial).
- But more basic: how to disentangle F_{in} from F_{net} ?

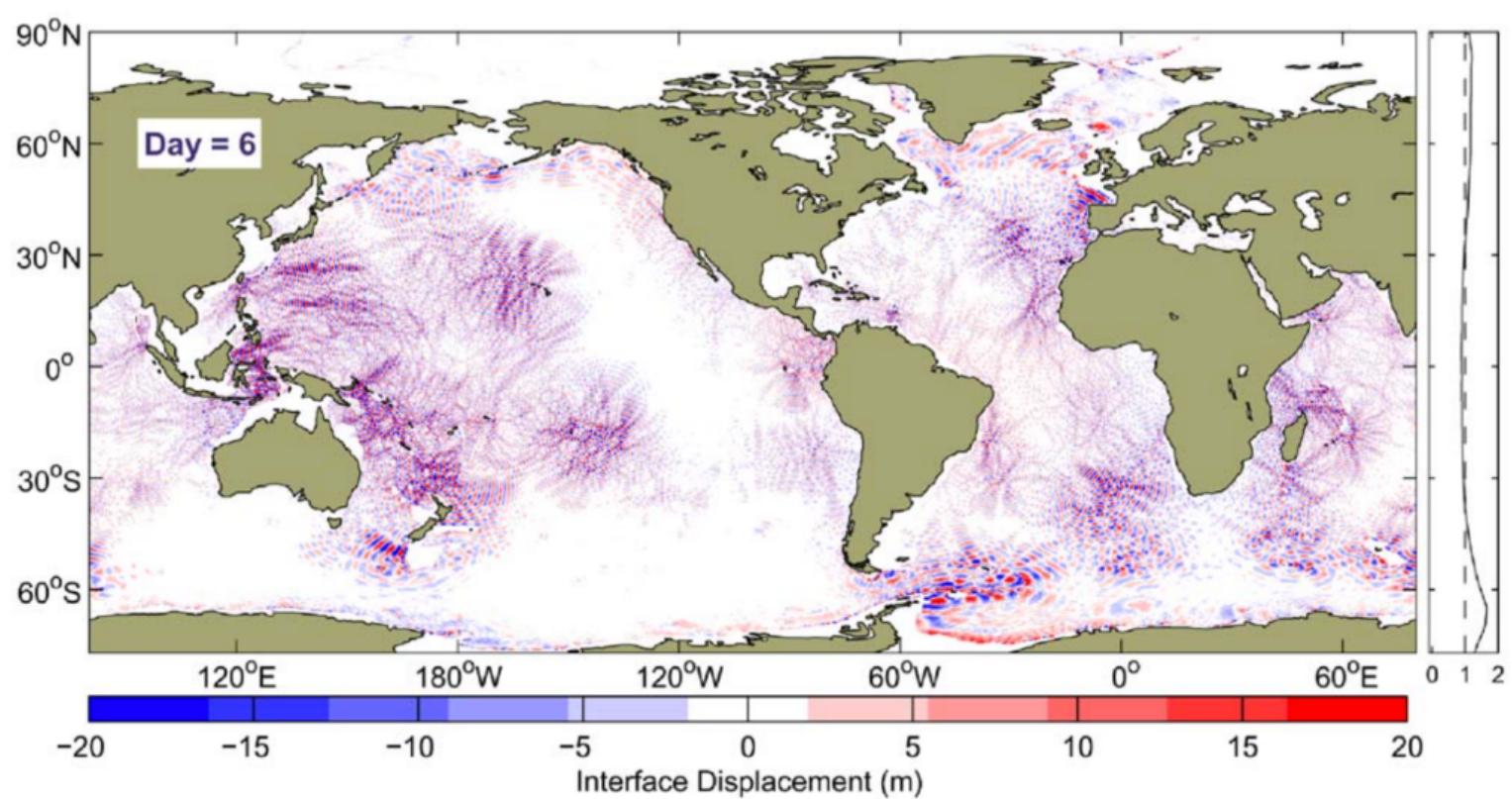
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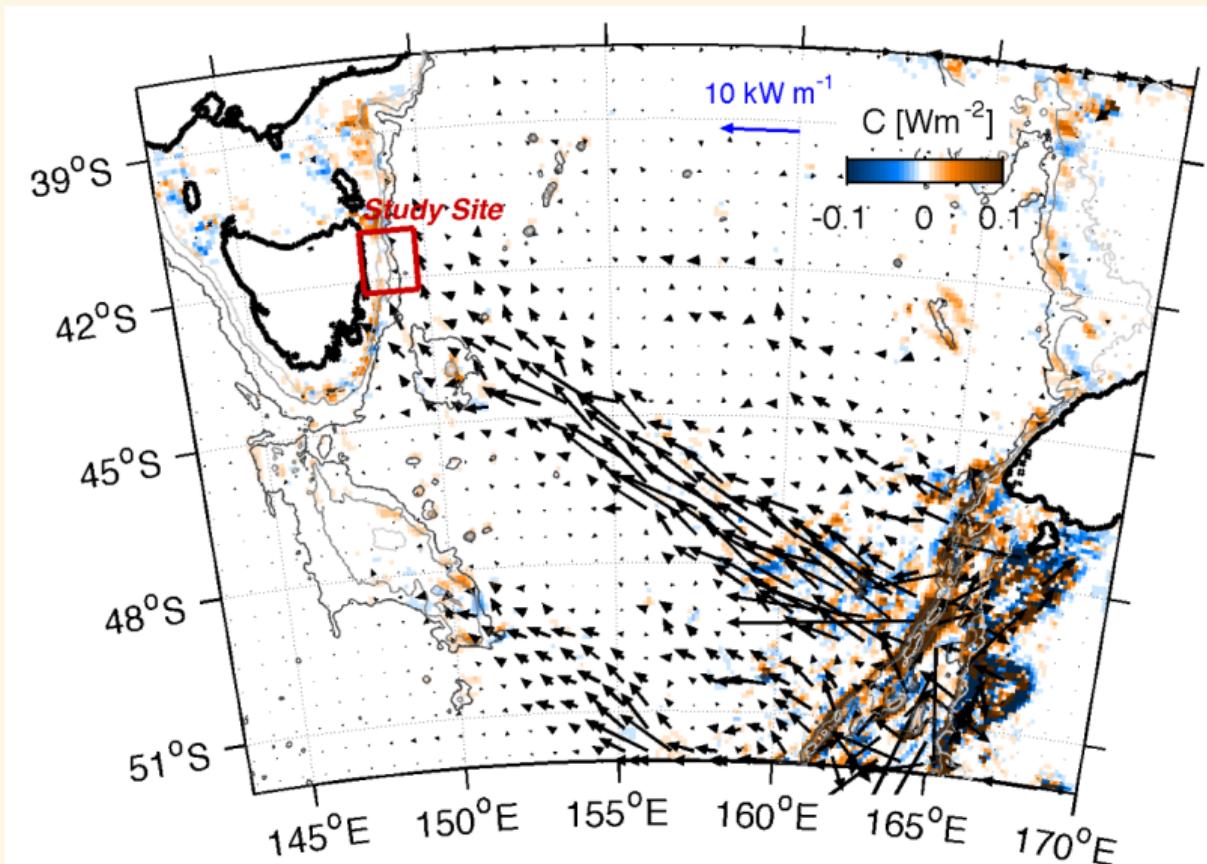
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TTide: Tasmania Internal Tide Experiment

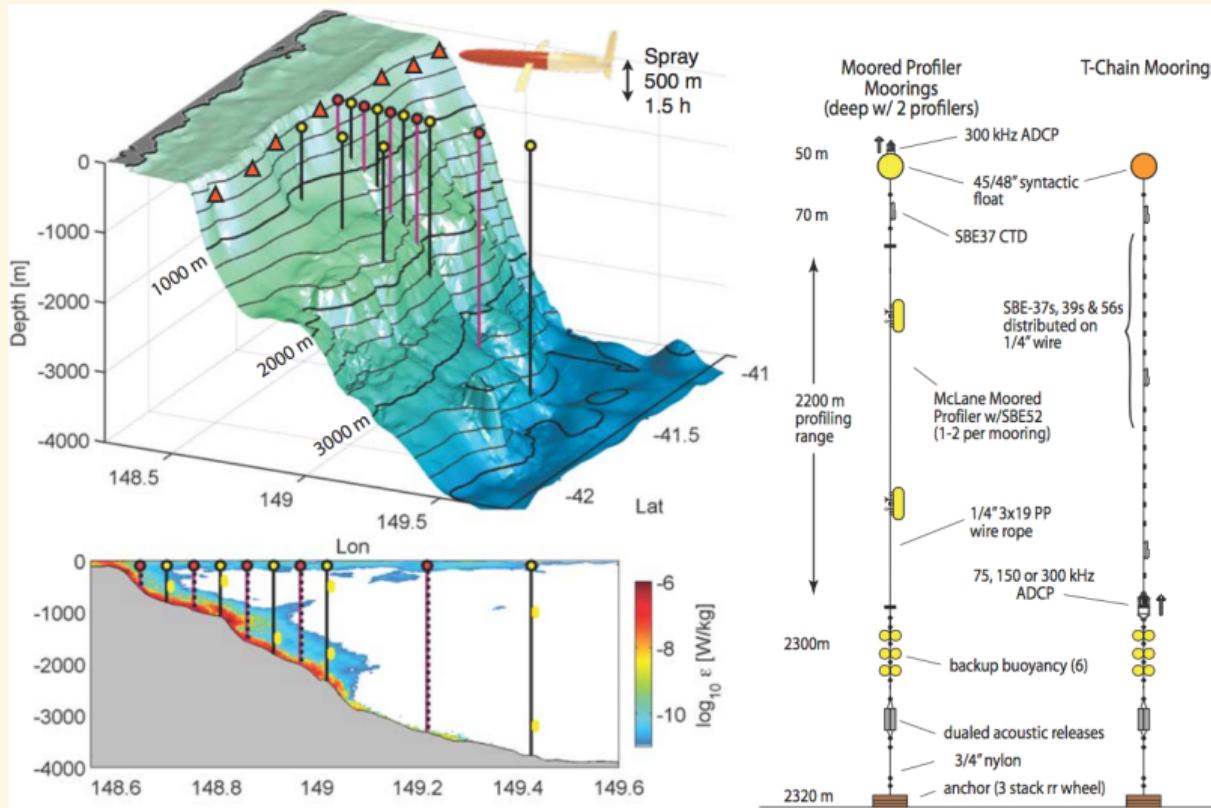


Simmons et al 2004

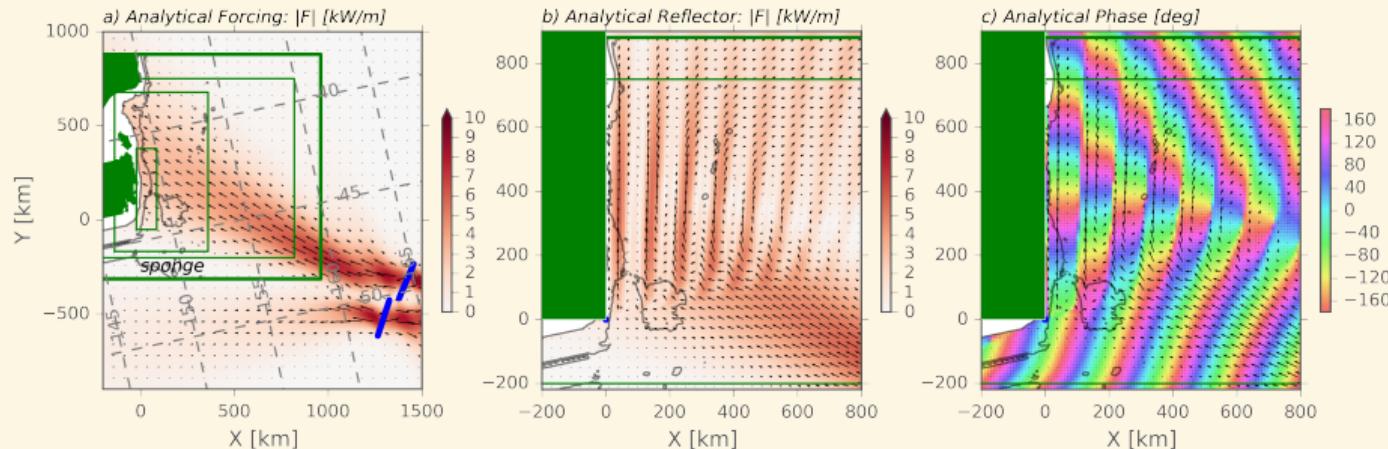
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TTide: Tasmania Internal Tide Experiment

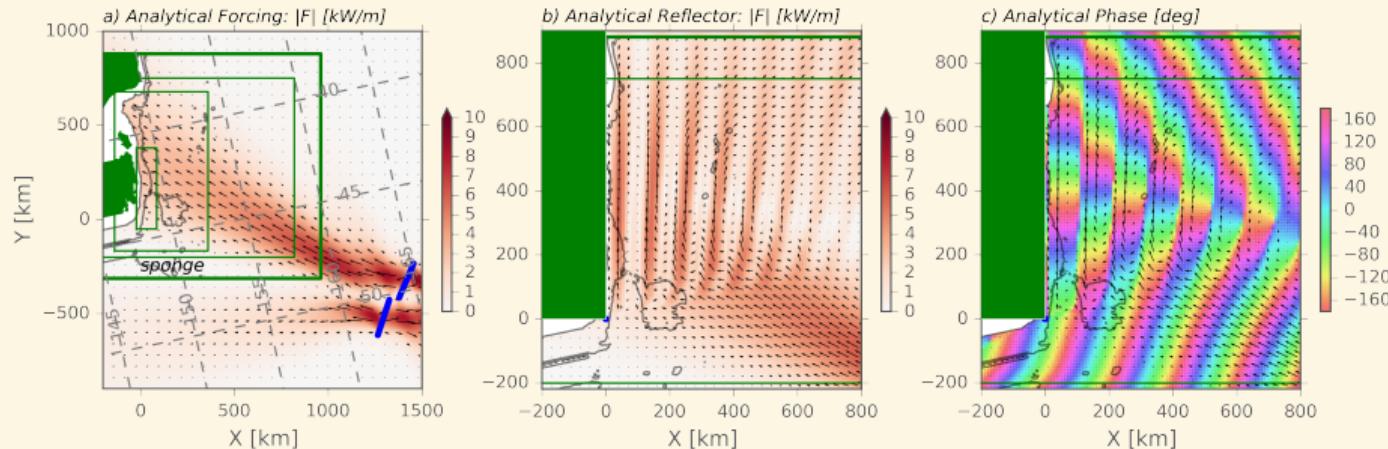


Setup



- MITgcm (hydrostatic, Klymak and Legg 2010 dissipation)
- Analytical M_2 , mode-1, forcing meant to represent Macquarie Ridge
- Central region 1 km x 1 km, telescope around this.
- sponge forcing and absorbers

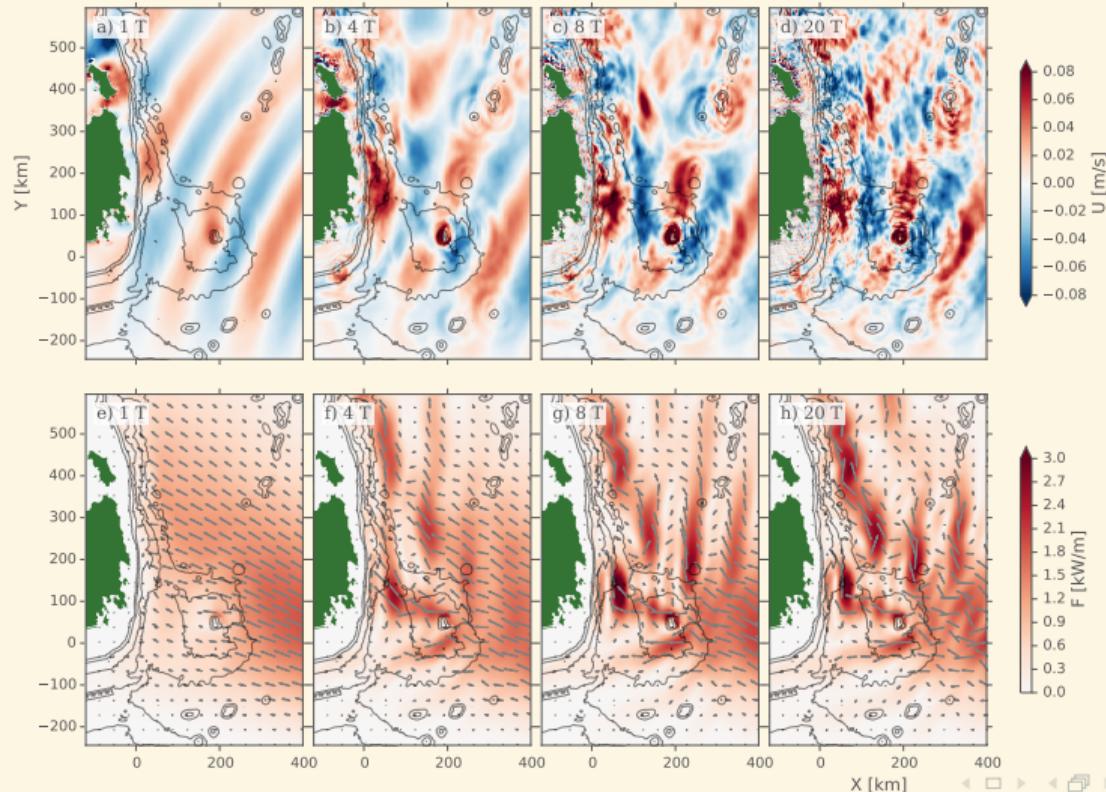
Simple Response?



- Standing wave cross-slope ($k_x = \cos(30)k_r$)
 - ▶ beam at about 30 degrees to wall.
 - ▶ 180 degree phase reversal at 50 km, 150 km, 250 km etc.
- Propagating wave along-slope ($k_y = \sin(30)k_r$)
- Slight curvature due to the spherical spreading of the incoming wave.

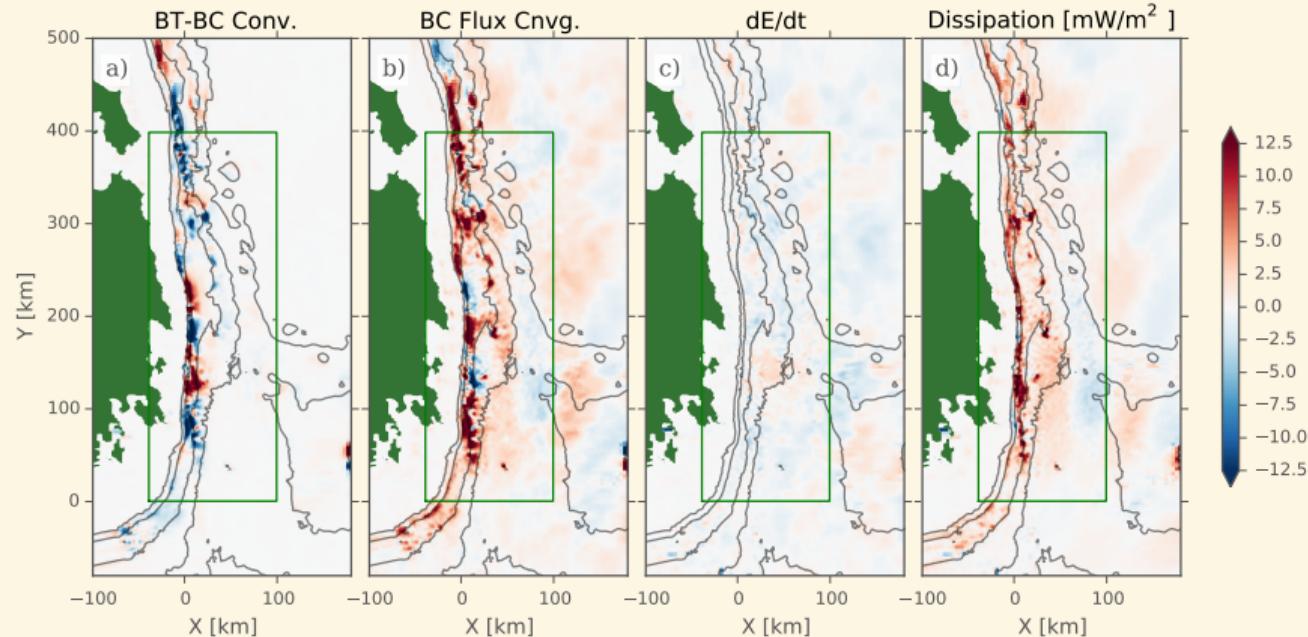
Response

MITgcm; realistic bathymetry

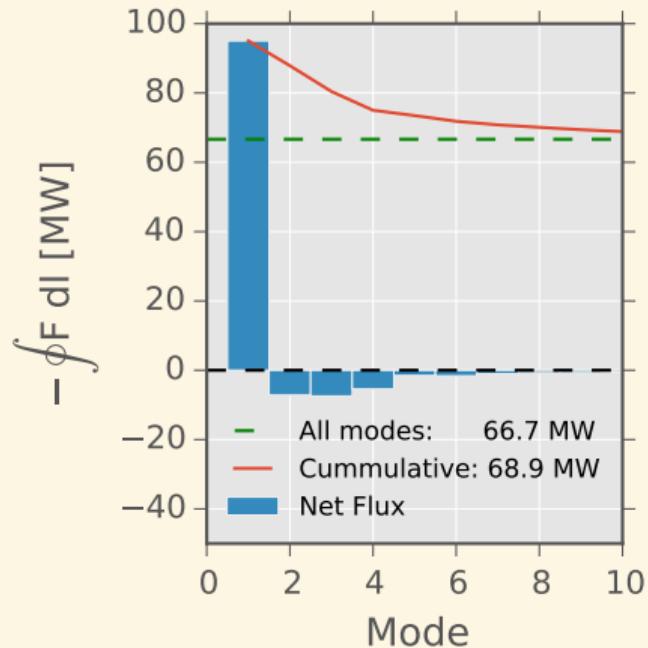
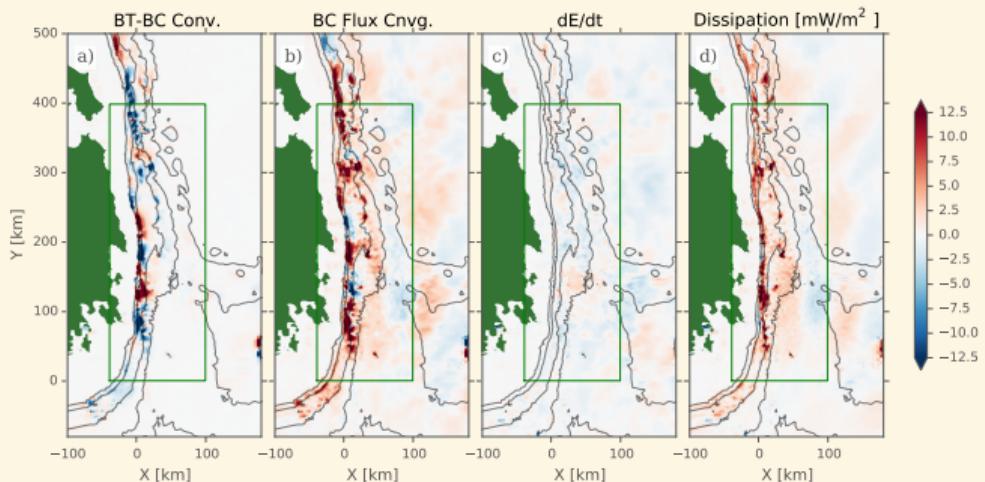


Response

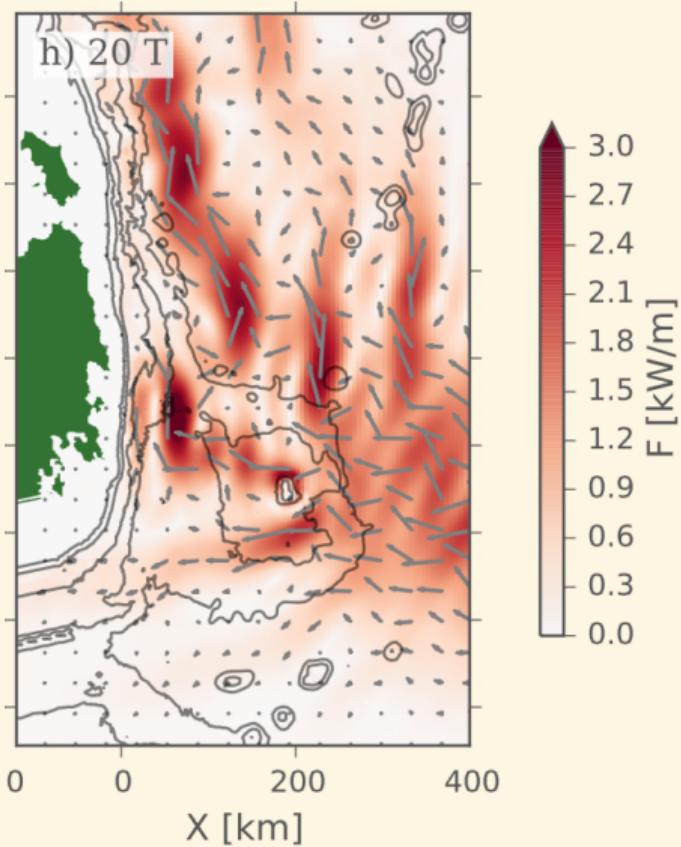
Energy Budget (Depth-integrated; tidally averaged)



Net Energy Budget

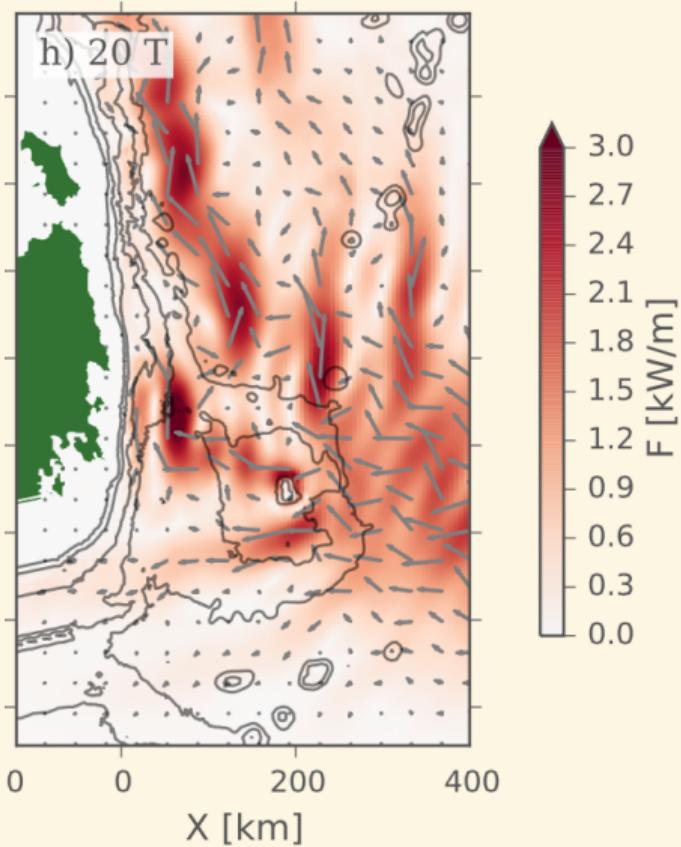


Points



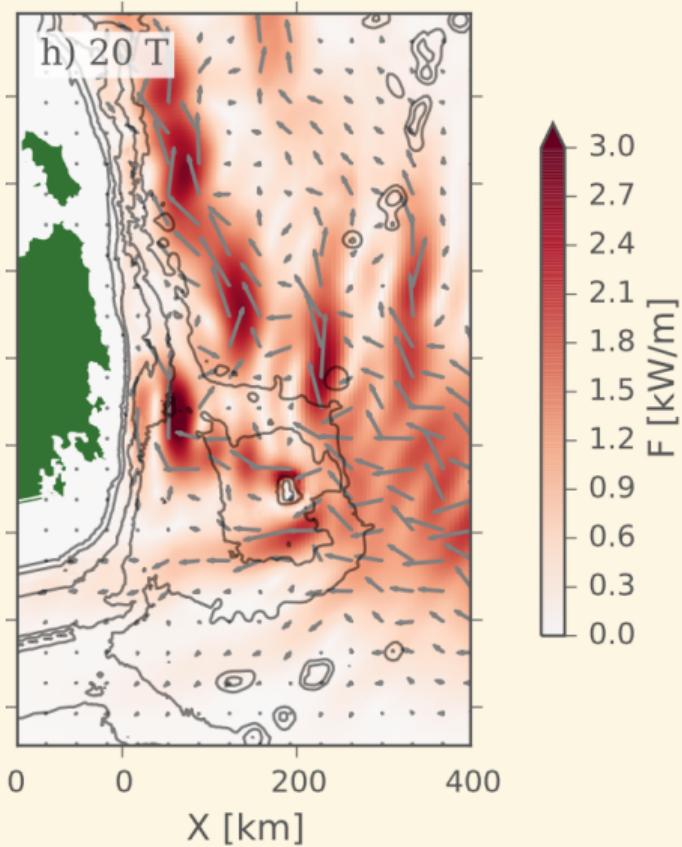
- Tasman Rise diffracts incoming energy
 - ▶ Localized energy: hard to do plane-wave fits
 - ▶ We don't *know* what the incoming flux is
- Reflectivity is somewhat less than 2-D reflectivity estimates
- There is a strong super-inertial BT/BC slope wave that redistributes energy along shelf.

Points



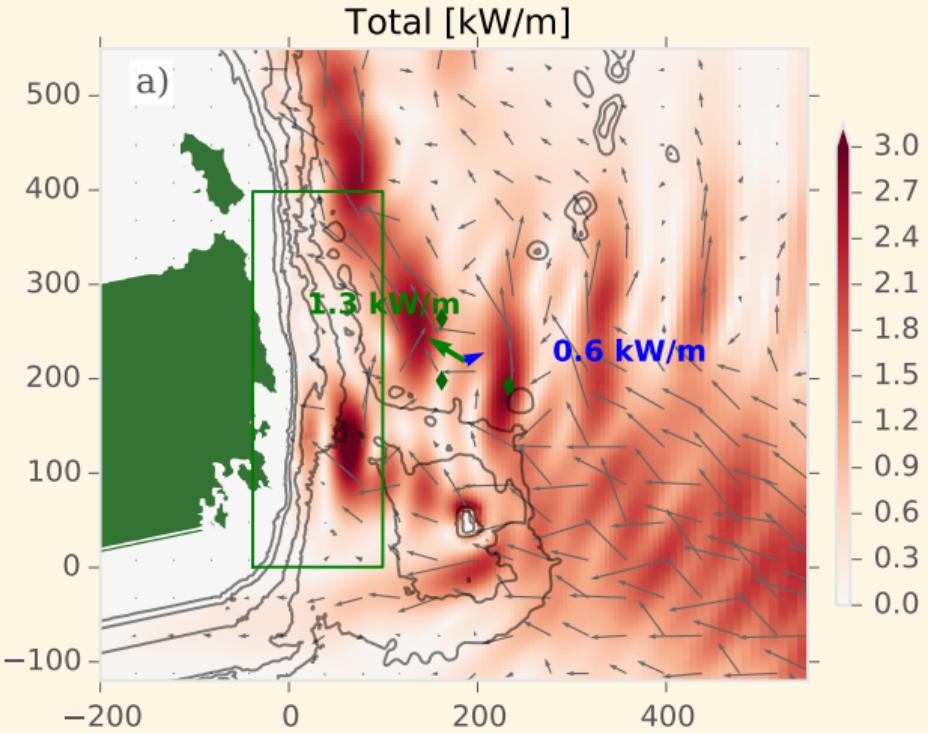
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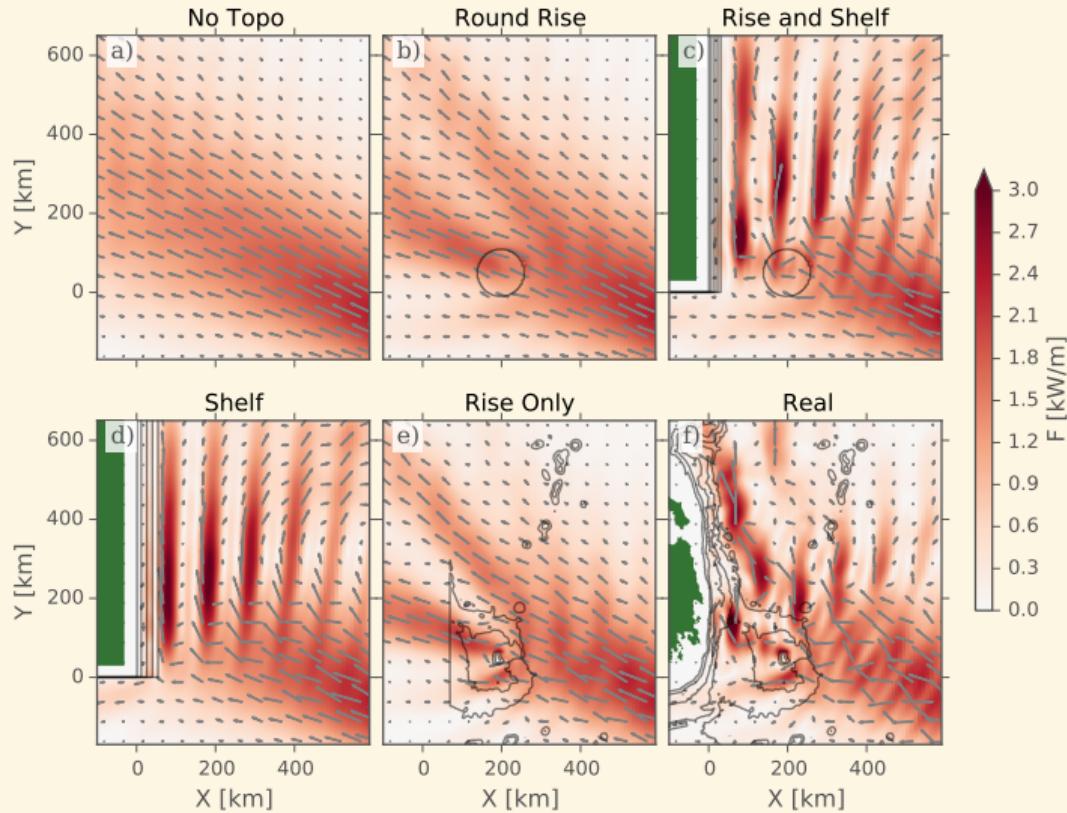
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Two-waves: mooring

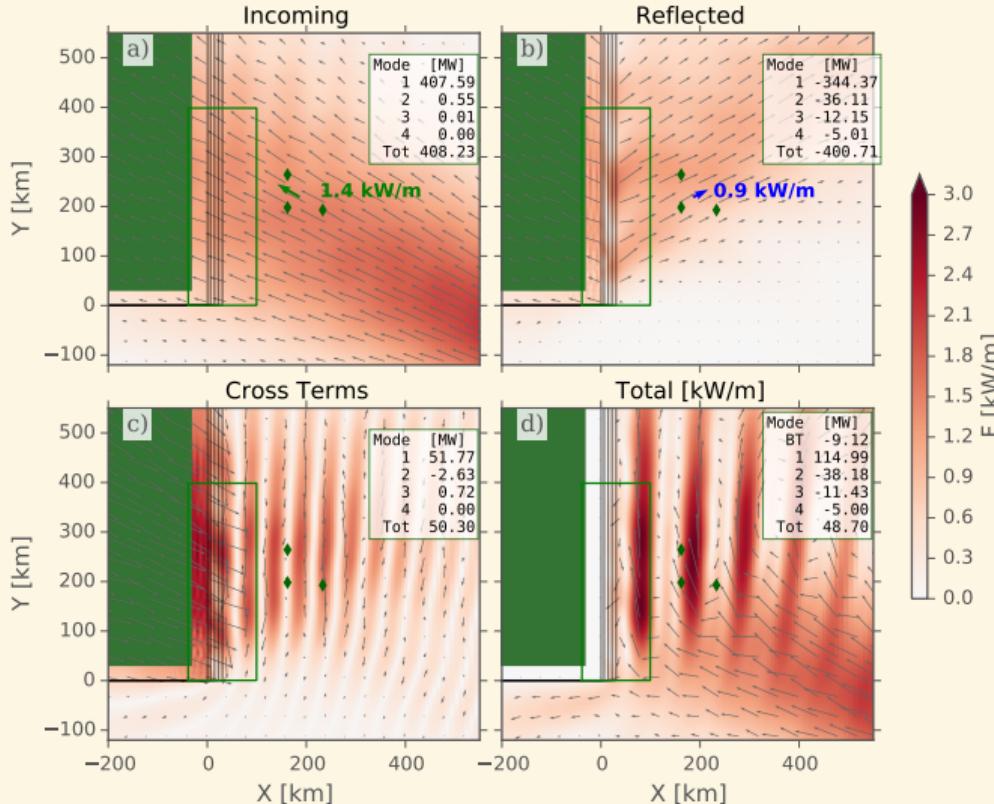


- Two-wave plane fit
- $F_{in} = 1.3 \text{ kW/m}$, $F_{out} = 0.6 \text{ kW/m}$
- $D > 0.5F_{in}!$
- Do we believe this (hint: no, below we will show $D \approx 0.25F_{in}$).

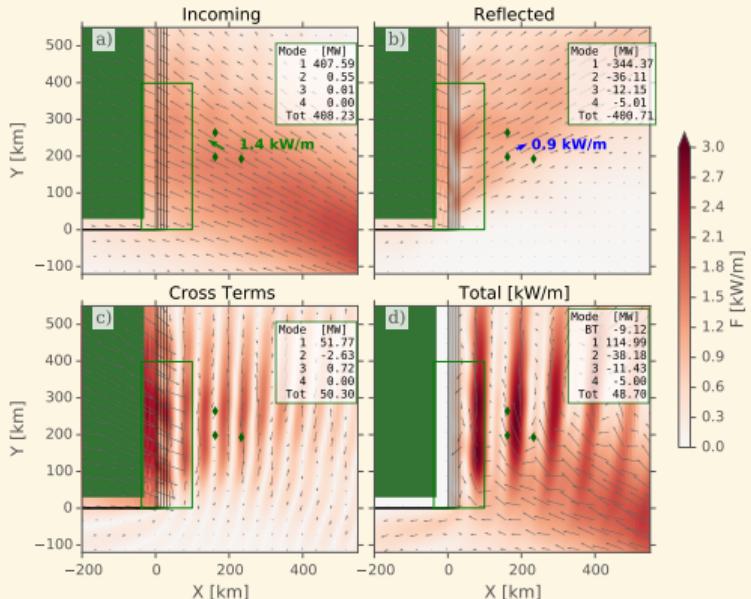
Incoming versus outgoing: Simplified Geometries



Incoming versus outgoing: Simple Shelf



Incoming vs Outgoing



$$u_1^t(x, y) = u_1^i + u_1^r$$

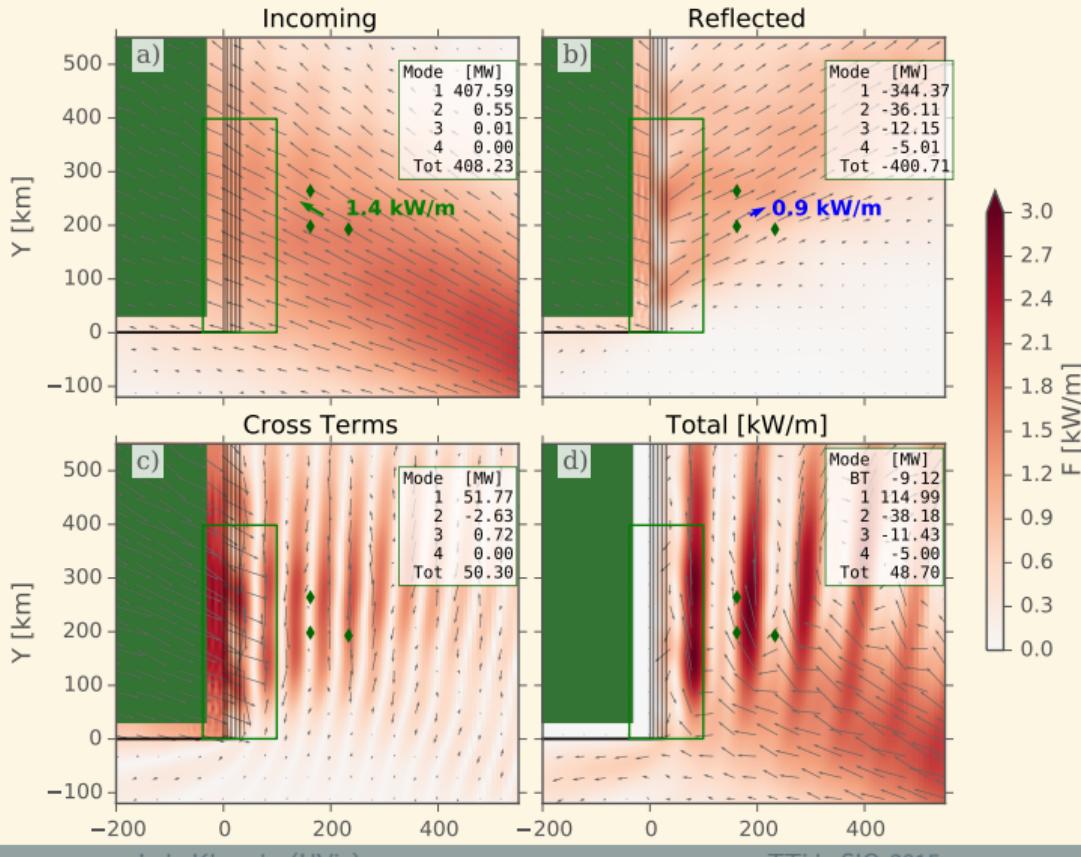
$$v_1^t(x, y) = v_1^i + v_1^r$$

$$p_1^t(x, y) = p_1^i + p_1^r$$

$$P_{u1}^t = \overbrace{u_1^i p_1^i}^{\text{Incoming}} + \overbrace{u_1^r p_1^r}^{\text{Reflected}} + \overbrace{u_1^i p_1^r + u_1^r p_1^i}^{\text{Cross Terms}}$$

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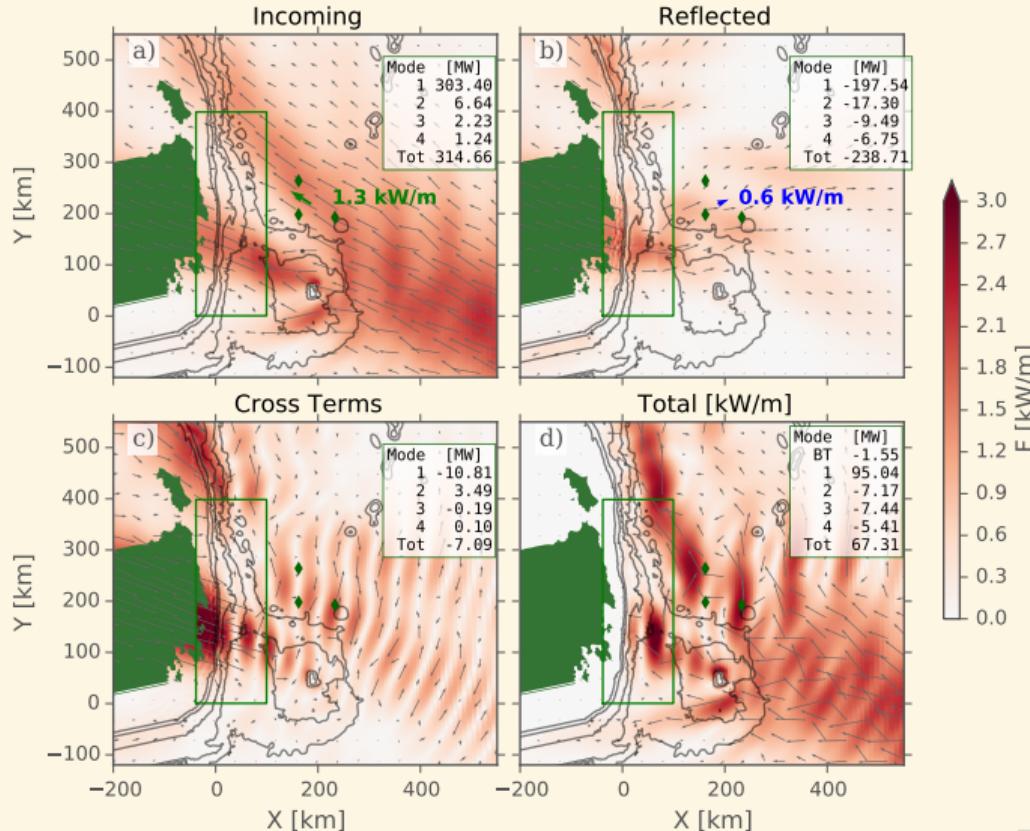
Incoming vs Outgoing: Simple shelf



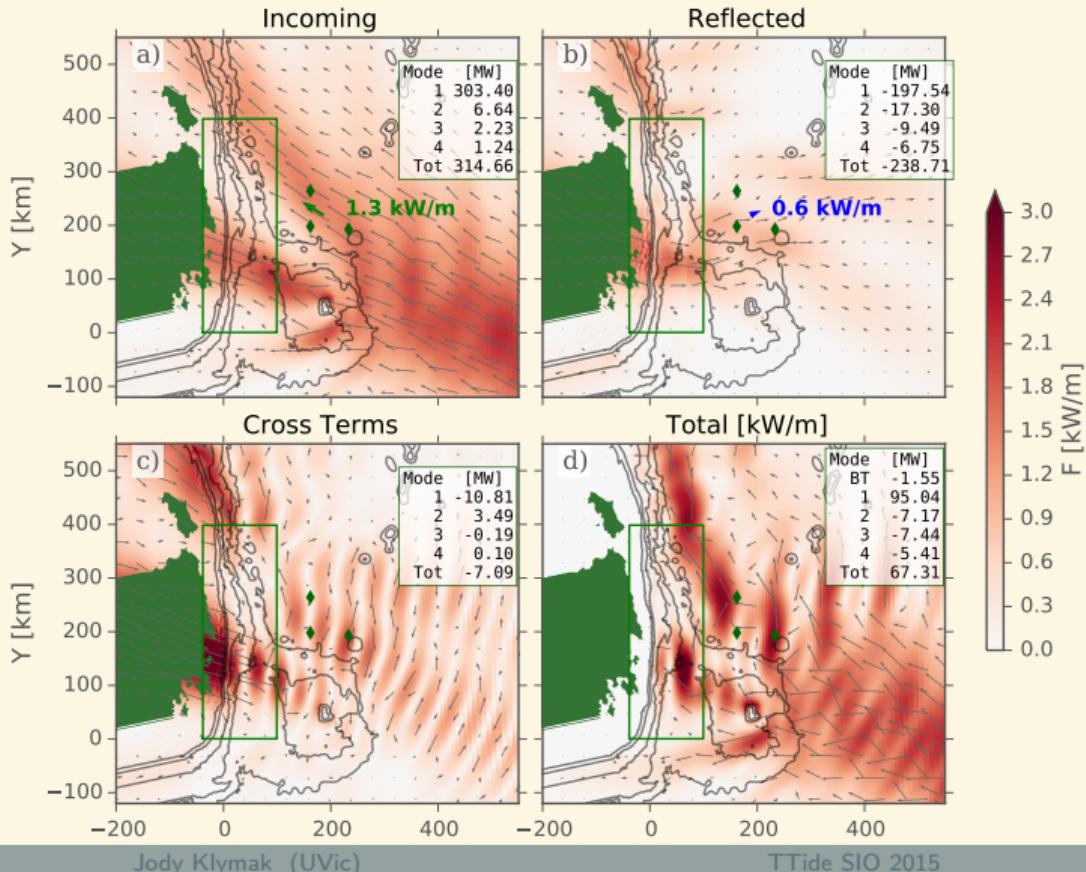
- In: +408 MW
- Cross: + 50 MW
- Out: -400 MW
- Diss: 50 MW = 11%

(Note: slight energy imbalance – 58 vs 50 MW – because “Incoming” energy fluxes are inaccurate over shelf.)

Incoming vs Outgoing: Realistic



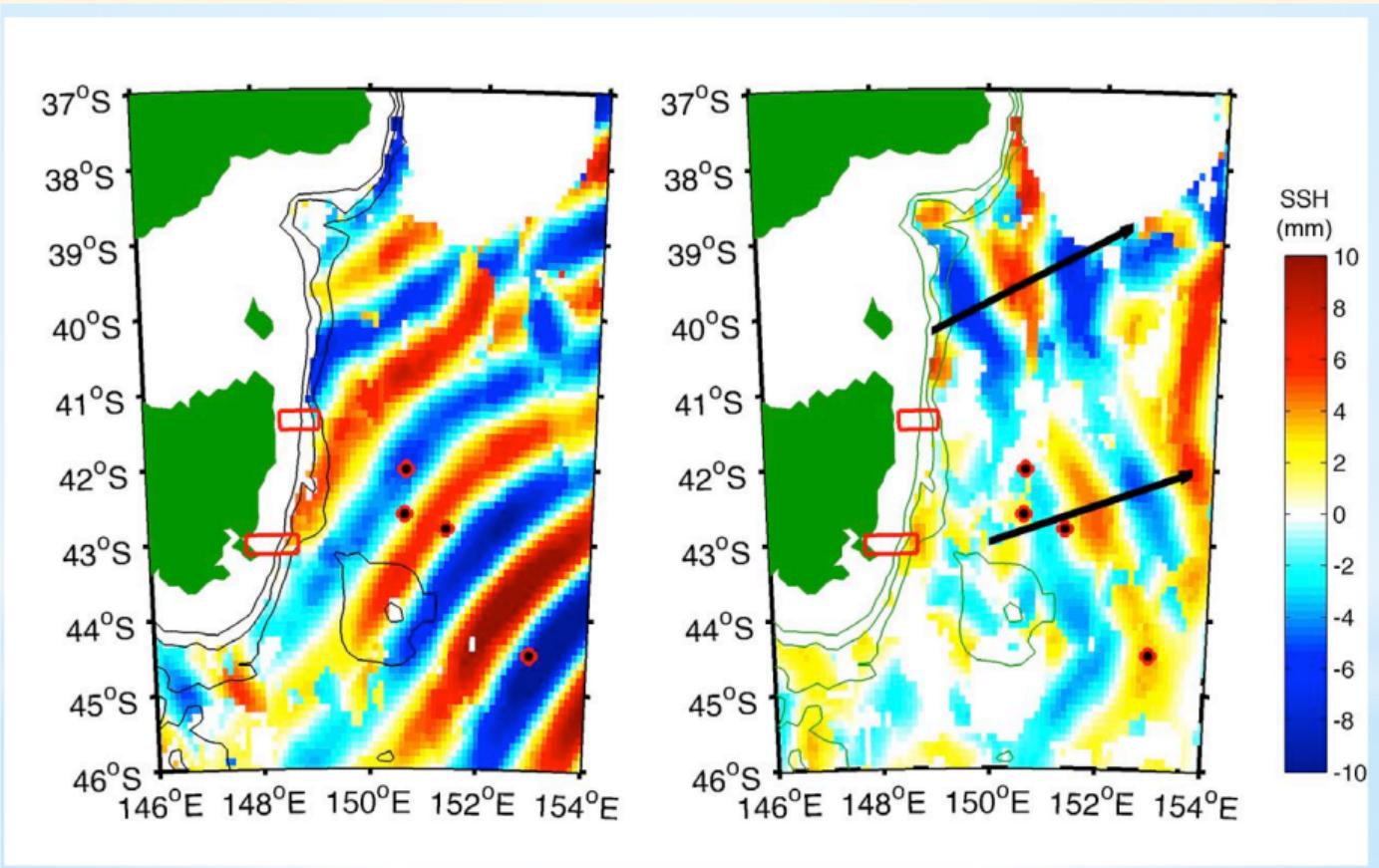
Incoming vs Outgoing: Realistic



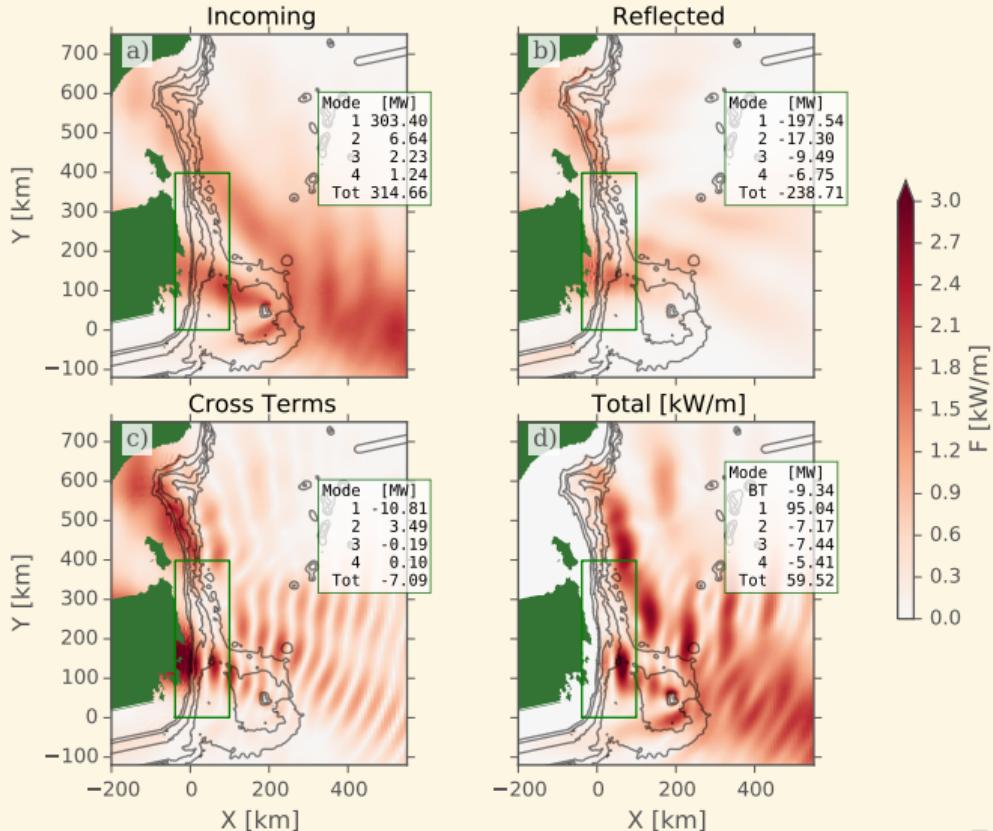
- In: +314 MW (vs +408 MW w/o Tasman Rise)
- Cross: - 7 MW
- Out: -238 MW
- Diss: 67 MW = 22% (vs 40% if we assumed Tasman Rise didn't matter)

(Note: slight energy imbalance – 69 vs 67 MW – because “Incoming” energy fluxes are inaccurate over shelf.)

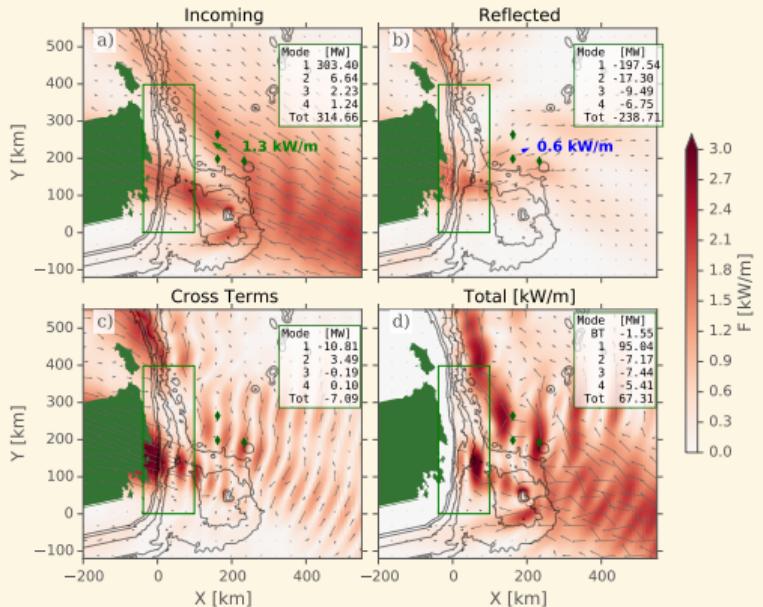
Diffraction: Altimeter estimates



Diffraction: Model



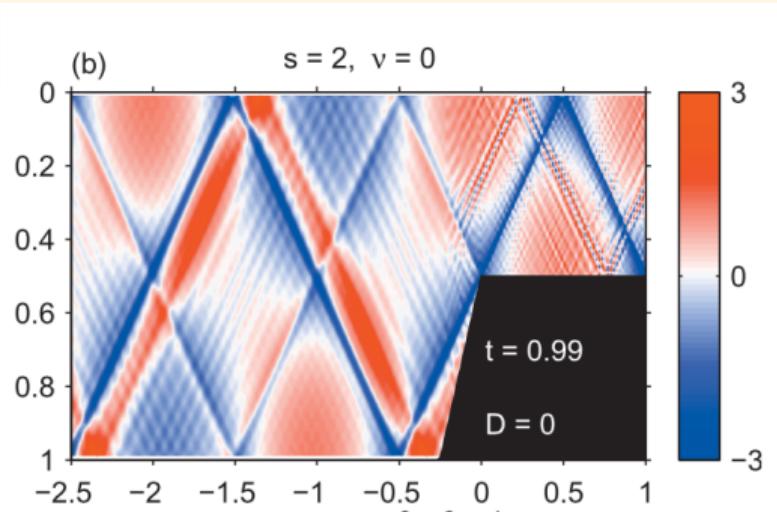
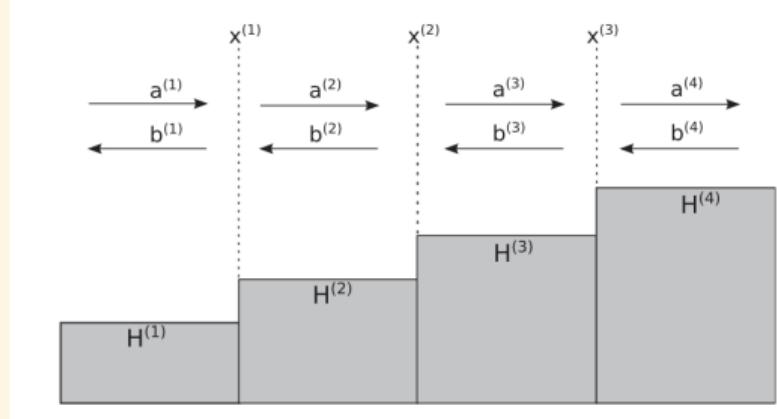
Incoming versus outgoing: Realistic



- Mooring: $(1.3 - 0.6)/1.3 \text{ [kW m}^{-1}\text{]} = 53\%$
- Model Mode 1 only: $(303 - 207)/303 \text{ [MW]} = 30\%$
- Model Total: $69/315 \text{ [MW]} = 22\%$

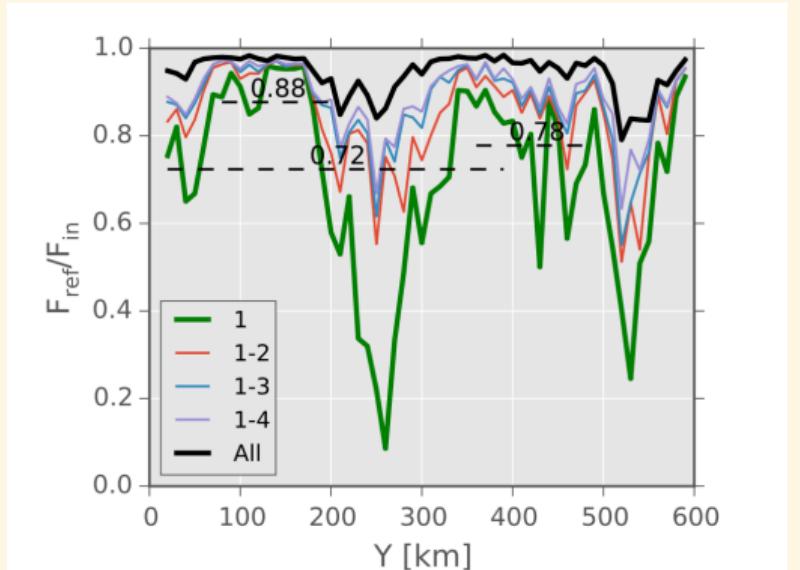
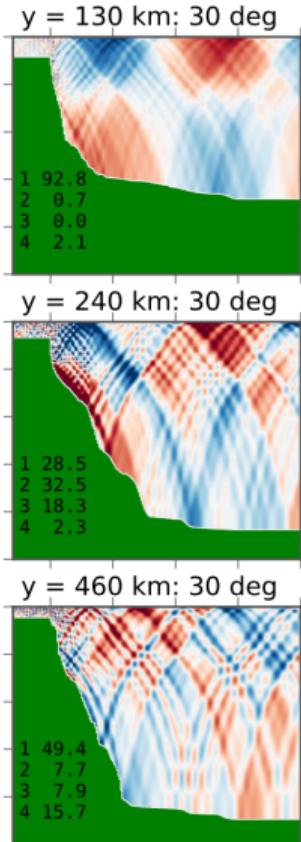
Linear Model?

Kelly et al 2010



- Can calculate linear response to mode-1 forcing
- 2-D slices
- Can accommodate angular incidence.

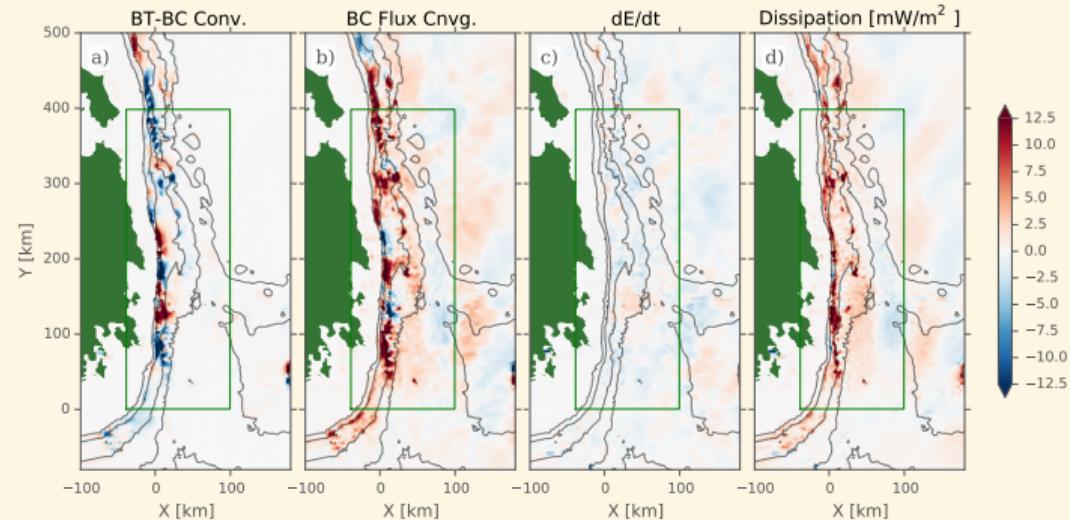
Linear Model?



- Model: 70% reflected in mode-1
- Linear Calc: $\approx 80\%$
- Some three-dimensionality

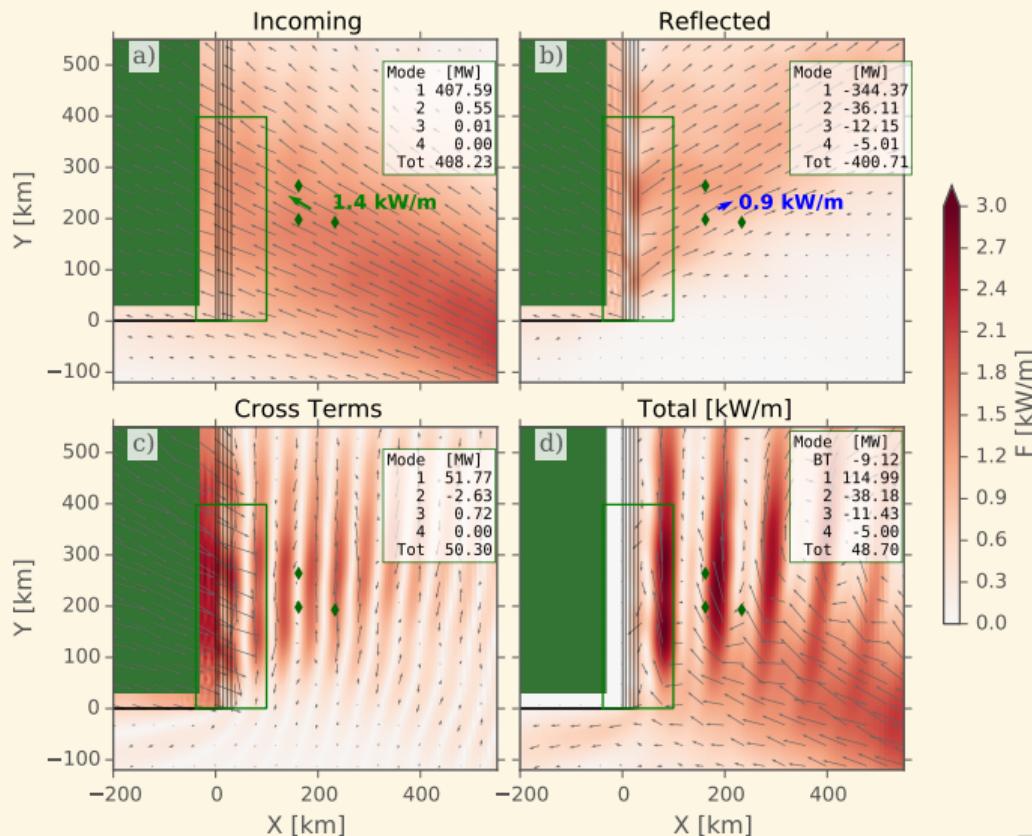
Slope Wave

Vertically integrated energy budget



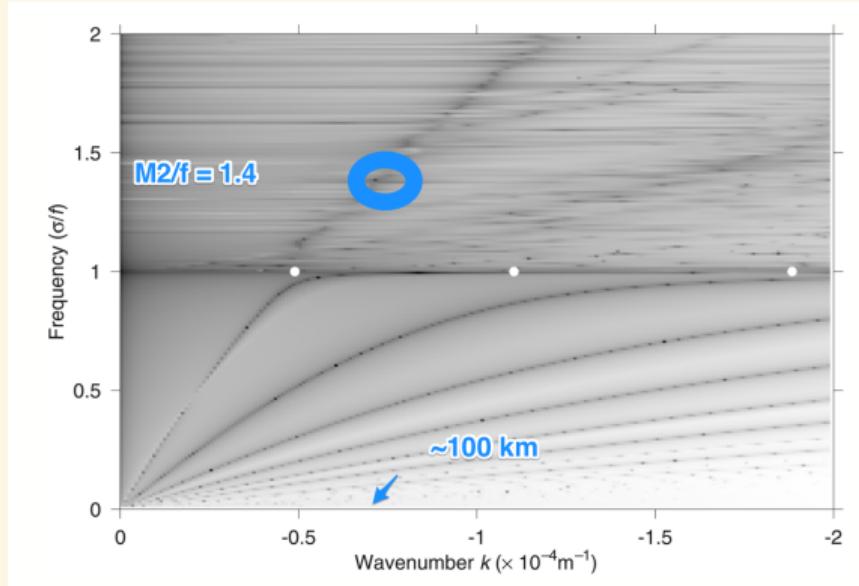
- Alternating BT/BC conversion.
- $\lambda \approx 100 \text{ km}$

Slope Wave



Slope Wave

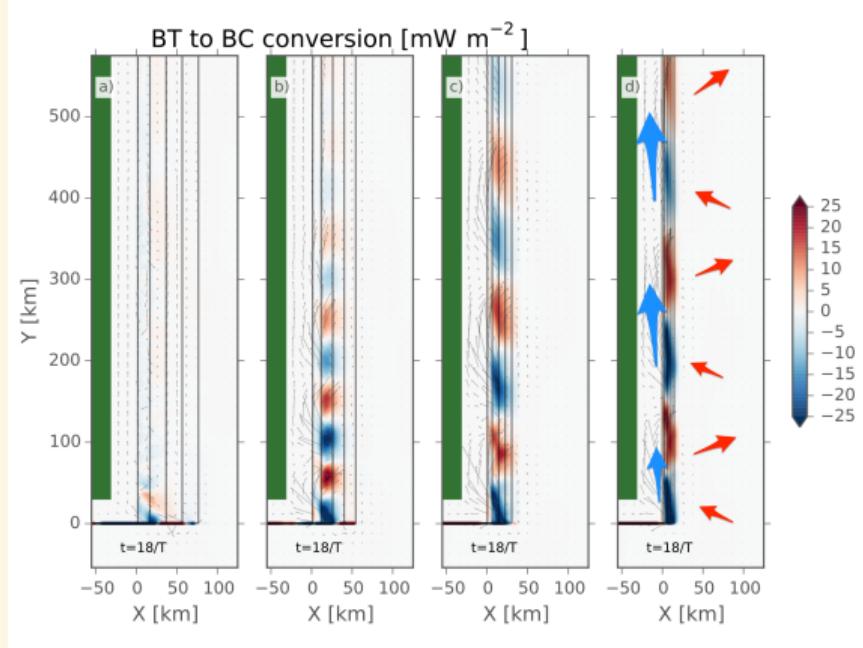
Dale et. al. 2001: Super-inertial shelf waves



- Not freely-propagating (forced)
- “Near-resonant” waves depend on shelf geometry.

Slope Wave

Dale et. al. 2001: Super-inertial shelf waves



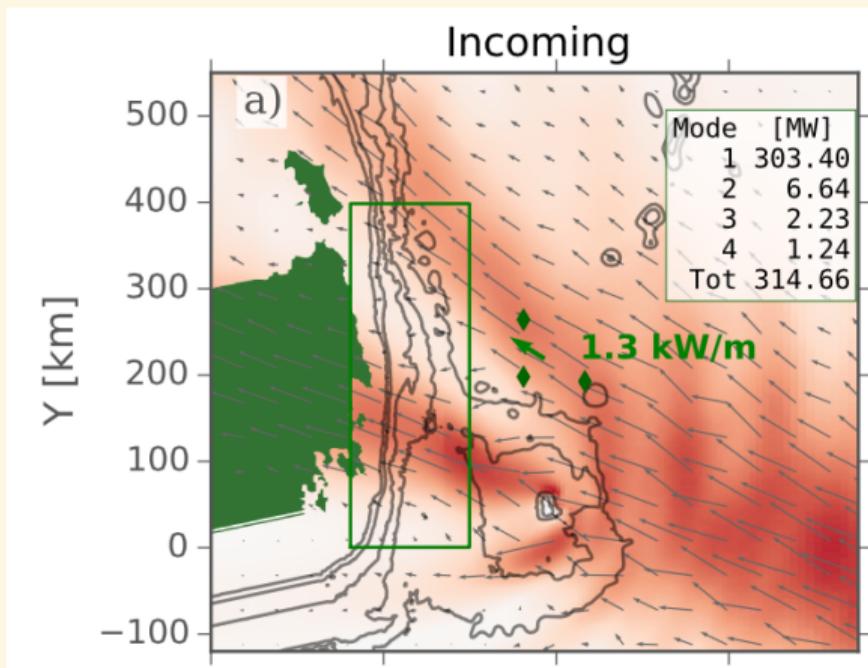
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Summary

What have we learned about internal tide?

- ➊ Significant diffraction around Tasman Rise.
- ➋ Two-dimensional model captures some of the reflection.
- ➌ Super-inertial slope waves redistribute energy along slope.

Complex incoming field and complex reflection implies difficult to quantify reflection experimentally.

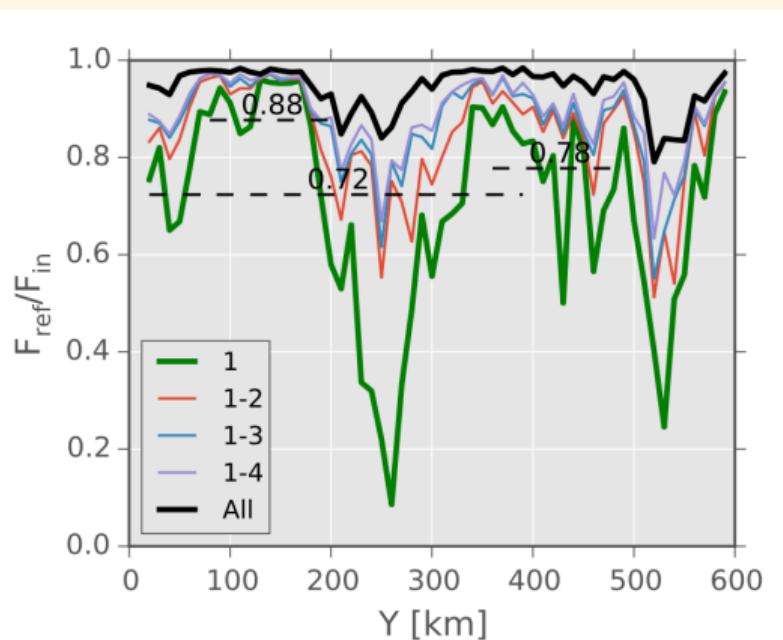


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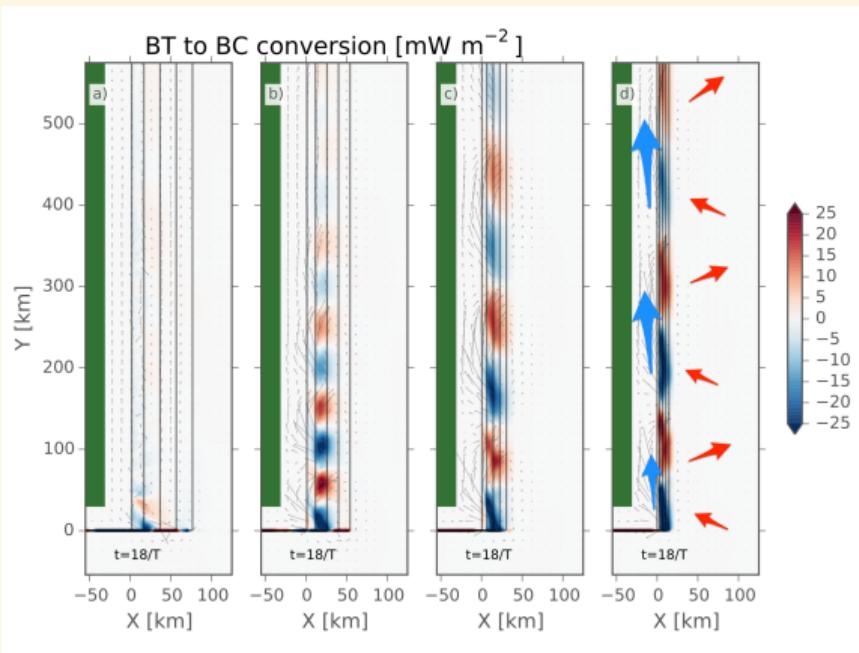


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