```
ln[ \circ ] := \mathbf{m} = 0.44;
         g = 9.8;
         k1 = 0.0123;
         k2 = 0.0144;
         \omega 0 = 15;
         \omega = \{0, 0, \omega 0 - t\};
         r[t_{-}] := \{x[t], y[t], z[t]\};
         v = r'[t];
         G = \{0, 0, -mg\};
         fg = -k1 Norm[v] v;
                    模
         fM = k2 \omega \times v;
         eqns := m \partial_{\{t,2\}} r[t] == G + fg + fM;
         sol = NDSolveValue[
                  数值解的值
             \{\mathsf{eqns},\, \mathsf{r}[0] = \{0,\,0,\,0\},\, \mathsf{r}'[0] = \{24,\,16,\,8.5\}\},\, \{\mathsf{x}[\mathsf{t}],\,\mathsf{y}[\mathsf{t}],\,\mathsf{z}[\mathsf{t}]\},\, \{\mathsf{t},\,0,\,30\}]
         ParametricPlot3D[sol, {t, 0, 20}, PlotRange → 300]
         绘制三维参数图
                                                          绘制范围
Out[ • ]=
                                                       Domain: {{0., 30.}}
          {InterpolatingFunction ☐ 由
                                                                            [t],
                                                       Output: scalar
                                                       Domain: {{0., 30.}}
           InterpolatingFunction
                                                                            [t],
                                                       Output: scalar
                                                       Domain: {{0., 30.}}
           InterpolatingFunction
                                                                            [t]
                                                       Output: scalar
Out[ • ]=
                                  -200
                                            200
                          0
              200
                                                             -200
                                                                -200
```

200

$$\frac{1-r\cos[\theta]}{\left(1+r^2+\left(-\frac{1}{2}+z\right)^2-2\,r\cos[\theta]\right)^{-3/2}}+\frac{1-r\cos[\theta]}{\left(1+r^2+\left(\frac{1}{2}+z\right)^2-2\,r\cos[\theta]\right)^{-3/2}},\;\{\theta,\,\theta,\,2\,\pi\}\right],$$

NIntegrate 
$$\left[\frac{\left(-\frac{1}{2}+z\right) \, \text{Cos}\left[\theta\right]}{\left(1+r^2+\left(-\frac{1}{2}+z\right)^2-2 \, r \, \text{Cos}\left[\theta\right]\right)^{-3/2}} + \frac{\left(\frac{1}{2}+z\right) \, \text{Cos}\left[\theta\right]}{\left(1+r^2+\left(\frac{1}{2}+z\right)^2-2 \, r \, \text{Cos}\left[\theta\right]\right)^{-3/2}},\right]$$

$$\{\theta, 0, 2\pi\}$$
 $\}$ ,  $\{z, -2, 2\}$ ,  $\{r, -2, 2\}$ 

••• NIntegrate: 在以 {{0, 6.28319}} 为界的区域内,对于所有采样点,计算被积函数

$$\left(1+r^2+\left(\frac{1}{2}+z\right)^2-2\,r\,\mathsf{Cos}[\theta]\right)^{3/2}(1-r\,\mathsf{Cos}[\theta])+\left(1+r^2+\left(\frac{1}{2}+z\right)^2-2\,r\,\mathsf{Cos}[\theta]\right)^{3/2}(1-r\,\mathsf{Cos}[\theta])$$
得到非数值.

••• NIntegrate: 在以 {{0, 6.28319}} 为界的区域内,对于所有采样点,计算被积函数

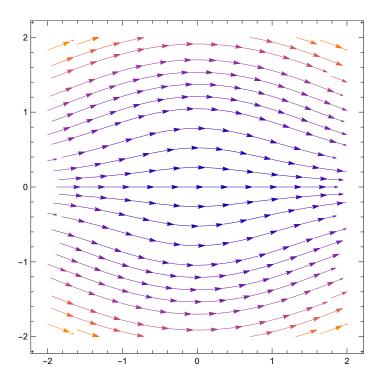
$$\left(1+r^2+\left(\frac{1}{2}+z\right)^2-2\,r\,\text{Cos}[\theta]\right)^{3/2}(1-r\,\text{Cos}[\theta])+\left(1+r^2+\left(\frac{1}{2}+z\right)^2-2\,r\,\text{Cos}[\theta]\right)^{3/2}(1-r\,\text{Cos}[\theta])\,\text{@All Parks and Parks are properties for the properties of the prop$$

••• NIntegrate: 在以 {{0, 6.28319}} 为界的区域内,对于所有采样点,计算被积函数

$$\left(-\frac{1}{2} + z\right) \cos[\theta] \left(1 + r^2 + \left(-\frac{1}{2} + z\right)^2 - 2 r \cos[\theta]\right)^{3/2} + \left(\frac{1}{2} + z\right) \cos[\theta] \left(1 + r^2 + \left(\frac{1}{2} + z\right)^2 - 2 r \cos[\theta]\right)^{3/2}$$
得到非数值.

··· General: 在本次计算中, NIntegrate::inumr 的进一步输出将被抑制.

Out[ • ]=

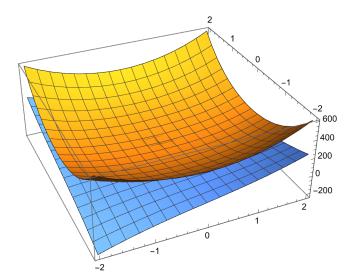


$$\frac{1 - r \cos [\theta]}{\left(1 + r^2 + \left(-\frac{1}{2} + z\right)^2 - 2 r \cos [\theta]\right)^{-3/2}} + \frac{1 - r \cos [\theta]}{\left(1 + r^2 + \left(\frac{1}{2} + z\right)^2 - 2 r \cos [\theta]\right)^{-3/2}}, \{\theta, 0, 2\pi\}\right],$$

NIntegrate 
$$\left[\frac{\left(-\frac{1}{2}+z\right)\,\text{Cos}\left[\theta\right]}{\left(1+r^2+\left(-\frac{1}{2}+z\right)^2-2\,r\,\text{Cos}\left[\theta\right]\right)^{-3/2}}+\frac{\left(\frac{1}{2}+z\right)\,\text{Cos}\left[\theta\right]}{\left(1+r^2+\left(\frac{1}{2}+z\right)^2-2\,r\,\text{Cos}\left[\theta\right]\right)^{-3/2}},\right]$$

$$\{\theta, 0, 2\pi\}$$
 $\}$ ,  $\{z, -2, 2\}$ ,  $\{r, -2, 2\}$ 

Out[ - ]=



## In[ • ]:= StreamPlot

Evaluate@
$$\left\{ \begin{array}{l} \text{NIntegrate} \left[ \frac{1-r\cos\left[\theta\right]}{\left(1+r^2+\left(-\frac{1}{2}+z\right)^2-2\,r\cos\left[\theta\right]\right)^{3/2}} + \frac{1-r\cos\left[\theta\right]}{\left(1+r^2+\left(\frac{1}{2}+z\right)^2-2\,r\cos\left[\theta\right]\right)^{3/2}} , \right] \right\}$$

$$\{\theta, \theta, 2\pi\}$$
], NIntegrate  $\left[\frac{\left(-\frac{1}{2}+z\right) \cos \left[\theta\right]}{\left(1+r^2+\left(-\frac{1}{2}+z\right)^2-2 r \cos \left[\theta\right]\right)^{3/2}}+\right]$ 

$$\frac{\left(\frac{1}{2}+z\right) \cos \left[\theta\right]}{\left(1+r^2+\left(\frac{1}{2}+z\right)^2-2 r \cos \left[\theta\right]\right)^{3/2}}, \{\theta, 0, 2 \pi\}\right], \{z, -2, 2\}, \{r, -2, 2\}\right]$$

••• NIntegrate: 在以 {{0, 6.28319}} 为界的区域内,对于所有采样点,计算被积函数

$$\frac{1 - r \cos[\theta]}{\left(1 + r^2 + \left(-\frac{1}{2} + z\right)^2 - 2 r \cos[\theta]\right)^{3/2}} + \frac{1 - r \cos[\theta]}{\left(1 + r^2 + \left(\frac{1}{2} + z\right)^2 - 2 r \cos[\theta]\right)^{3/2}}$$
得到非数值.

••• NIntegrate: 在以 {{0, 6.28319}} 为界的区域内,对于所有采样点,计算被积函数

$$\frac{\left(-\frac{1}{2}+z\right) \text{Cos}[\theta]}{\left(1+r^2+\left(-\frac{1}{2}+z\right)^2-2\,r\,\text{Cos}[\theta]\right)^{3/2}}+\frac{\left(\frac{1}{2}+z\right) \text{Cos}[\theta]}{\left(1+r^2+\left(\frac{1}{2}+z\right)^2-2\,r\,\text{Cos}[\theta]\right)^{3/2}}$$
得到非数值.

••• NIntegrate: 在以 {{0, 6.28319}} 为界的区域内,对于所有采样点,计算被积函数

••• General: 在本次计算中,NIntegrate::inumr 的进一步输出将被抑制.

