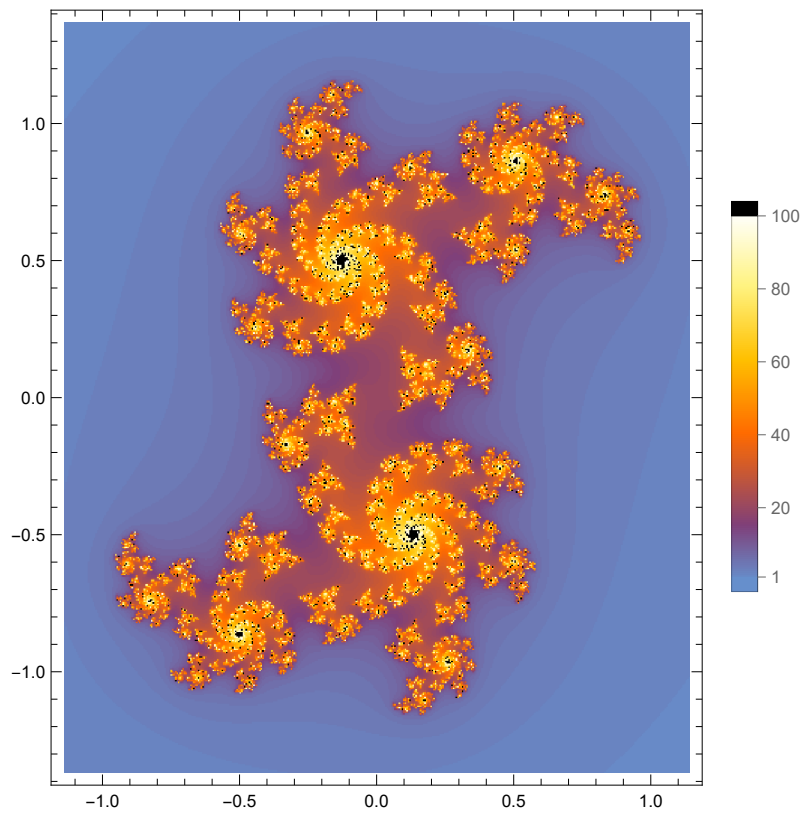


In[*]:= sequences = {{👉, 👈}, {👉, 👈, 👉, 👈}, {👈, 👈, 👉}, {👈, 👈}};

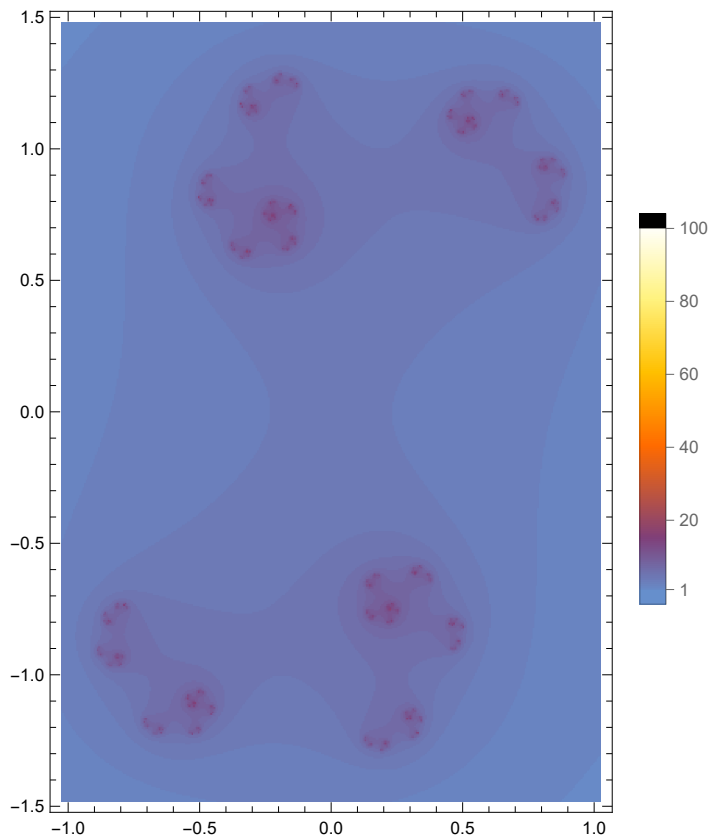
In[*]:= JuliaSetPlot[0.365 - 0.37 I, PlotLegends -> Automatic]
|绘制朱莉娅集合 |... |绘图的图例 |自动

Out[*]=




In[]:= **JuliaSetPlot[0.73251 - 0.414193 I, PlotLegends → Automatic]**
[绘制朱莉娅集合](#) [… 绘图的图例](#) [自动](#)

Out[]:=



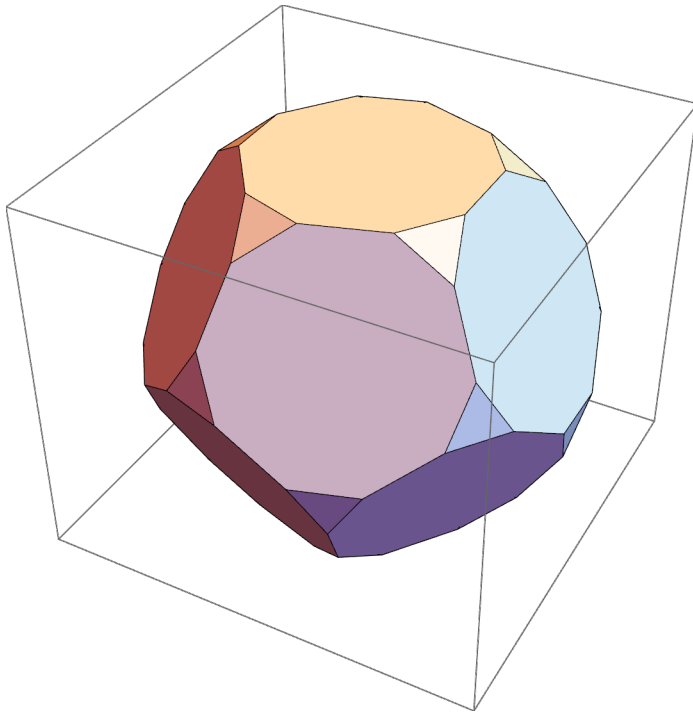
In[]:= **TruncatedPolyhedron[Dodecahedron[]]**
[截取多面体](#) [十二面体](#)

Out[]:=

Polyhedron[ Number of points: 60
 Number of faces: 32]



In[]:= **Graphics3D[TruncatedPolyhedron[Dodecahedron[]]]**
 [三维图形] [截取多面体] [十二面体]

Out[]:=



In[]:= **AugmentedPolyhedron[Dodecahedron[]]**
 [增广多面体] [十二面体]

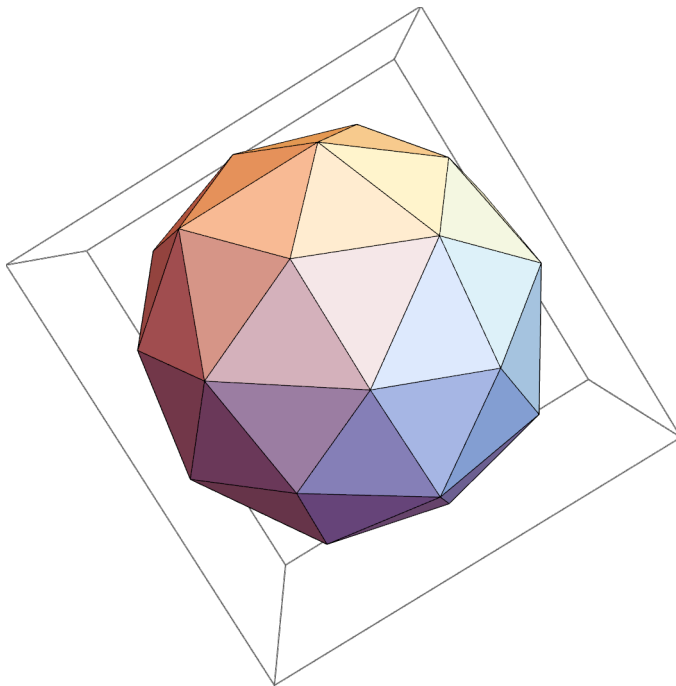
Out[]:=

Polyhedron[  Number of points: 32
 Number of faces: 60]

```
In[*]:= Graphics3D[AugmentedPolyhedron[Dodecahedron[]]]
```

三维图形 增广多面体 十二面体

Out[*]=



Piecewise

分段函数

$$(2x^2 + 2y^2 + z^2 - 1)^3 - \frac{1}{10}x^2z^3 - y^2z^3 = 0$$