

# SC310005 Artificial Intelligence

## Lecture 12: Time Series

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# Reference:

1. <https://medium.com/@kasperjuunge/yfinance-10-ways-to-get-stock-data-with-python-6677f49e8282>
2. <https://www.accaglobal.com/gb/en/student/exam-support-resources/fundamentals-exams-study-resources/f5/technical-articles/time-series.html>
3. <https://www.analyticsvidhya.com/blog/2021/10/a-comprehensive-guide-to-time-series-analysis/>
4. <https://towardsdatascience.com/stationarity-in-time-series-analysis-90c94f27322>
5. <https://wellintel.com/nonstationarity-the-importance-of-hydrologic-observations-and-data-to-water-management/>
6. <https://www.linkedin.com/pulse/power-time-series-analysis-stock-prediction-heri-kaniugu>



# Time Series

*['tīm 'sir-(.)ēz]*

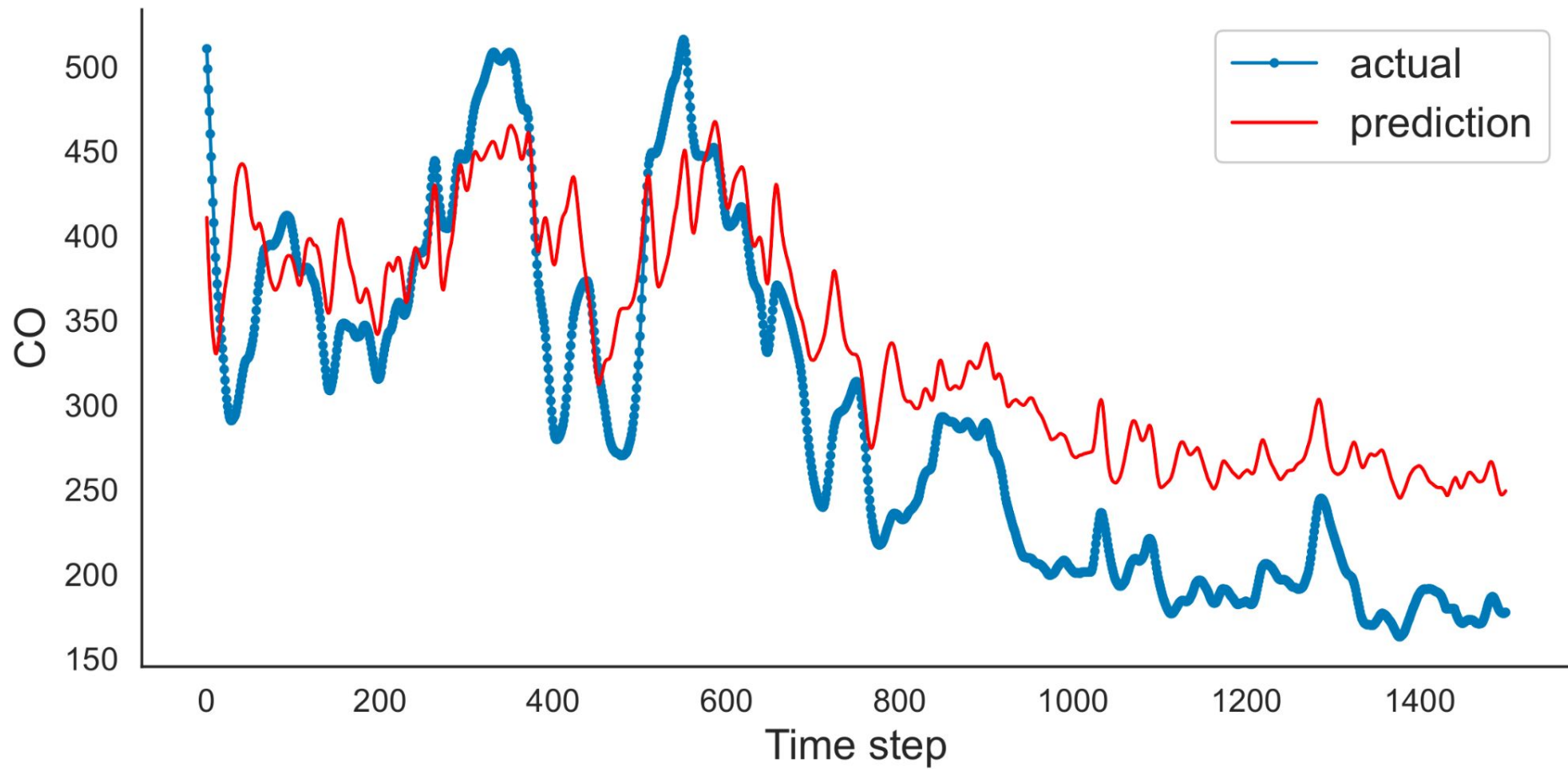
A sequence of data points that occur in successive order over some period of time.

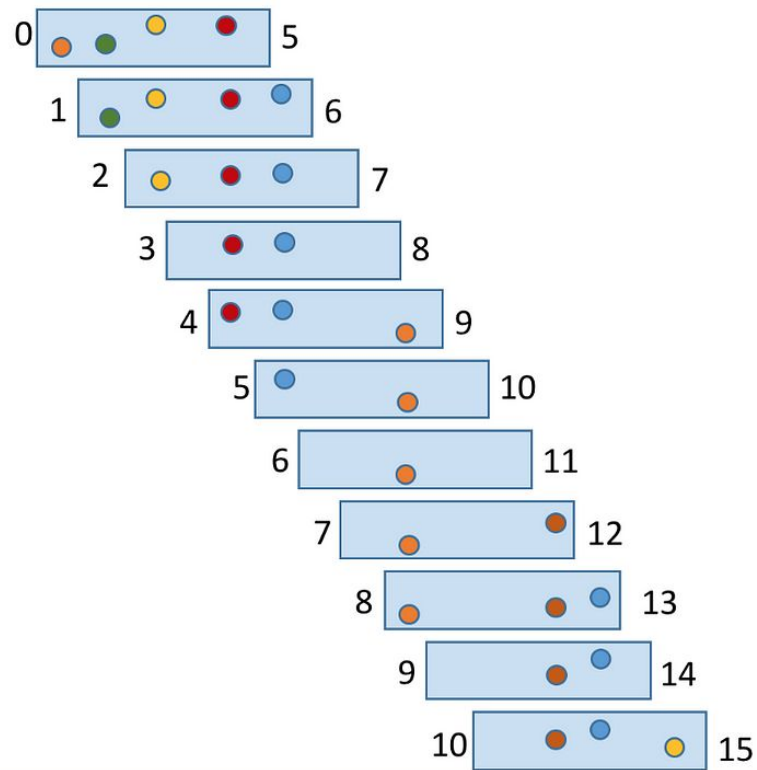
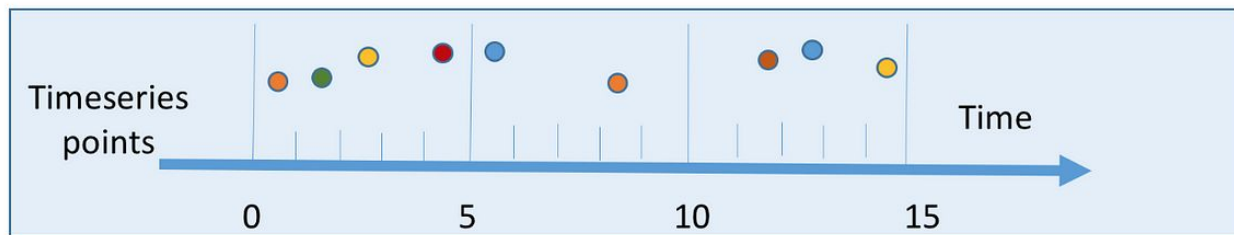
# What Is Time Series Analysis?

**Time Series Analysis (TSA)** is a way of studying the characteristics of the response variable concerning time as the independent variable.

To estimate the target variable in predicting or forecasting, use the time variable as the reference point.

TSA represents a series of time-based orders, it would be Years, Months, Weeks, Days, Hours, Minutes, and Seconds.





# How to Analyze Time Series?

To perform the time series analysis, we have to follow the following steps:

- Collecting the data and cleaning it
- Preparing Visualization with respect to time vs key feature
- Observing the **stationarity** of the series
- Developing charts to understand its nature.
- Model building – AR, MA, ARMA and ARIMA
- Extracting insights from prediction

# Significance of Time Series

TSA is the backbone for prediction and forecasting analysis, specific to time-based problem statements.

- Analyzing the historical dataset and its patterns
- Understanding and matching the current situation with patterns derived from the previous stage.
- Understanding the factor or factors influencing certain variable(s) in different periods.



# Components of Time Series Analysis

Let's look at the various components of Time Series Analysis:

- **Trend:** In which there is no fixed interval and any divergence within the given dataset is a continuous timeline. The trend would be Negative or Positive or Null Trend
- **Seasonality:** In which regular or fixed interval shifts within the dataset in a continuous timeline. Would be bell curve or saw tooth
- **Cyclical:** In which there is no fixed interval, uncertainty in movement and its pattern
- **Irregularity:** Unexpected situations/events/scenarios and spikes in a short time span.

# What Are the Limitations of Time Series Analysis?

Time series has the below-mentioned limitations; we have to take care of those during our data analysis.

- Similar to other models, the missing values are not supported by TSA
- The data points must be linear in their relationship.
- Data transformations are mandatory, so they are a little expensive.
- Models mostly work on Uni-variate data.

# Data Types of Time Series

Let's discuss the time series' data types and their influence. While discussing TS data types, there are two major types – stationary and non-stationary.

- **Stationary:** A dataset should follow the below thumb rules without having Trend, Seasonality, Cyclical, and Irregularity components of the time series.
  - The mean value of them should be completely constant in the data during the analysis.
  - The variance should be constant with respect to the time-frame
  - Covariance measures the relationship between two variables.
- **Non- Stationary:** If either the mean-variance or covariance is changing with respect to time, the dataset is called non-stationary.



Trend



Seasonality



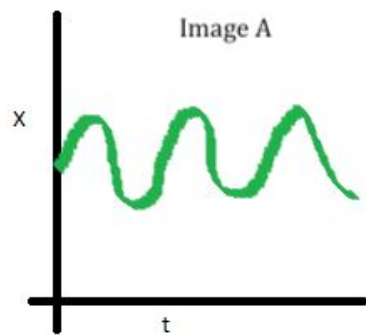
Irregularity



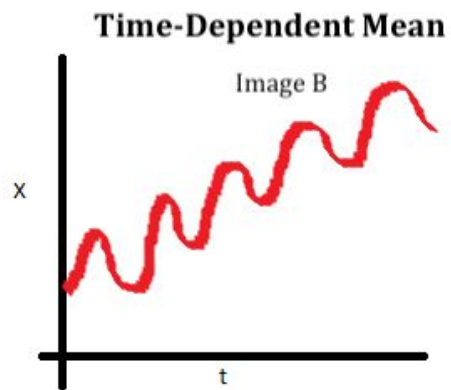
Cyclic



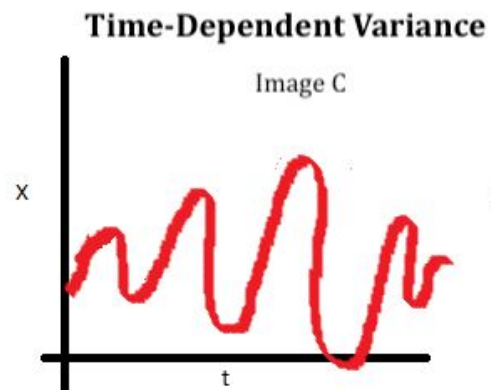
## The Principles of Stationarity



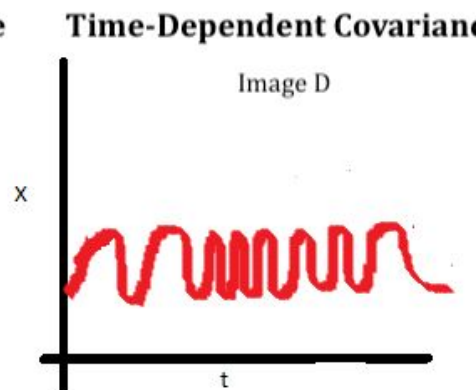
Stationary series



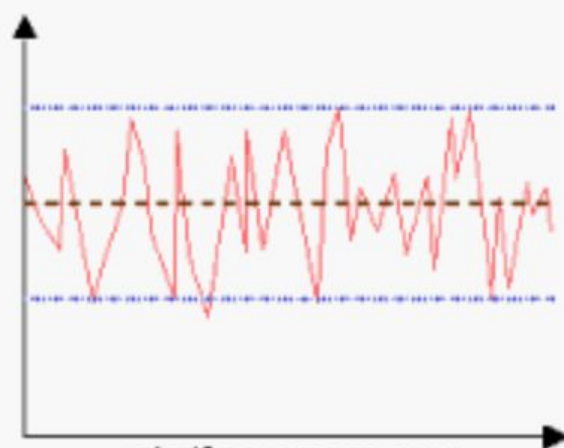
Non-Stationary series



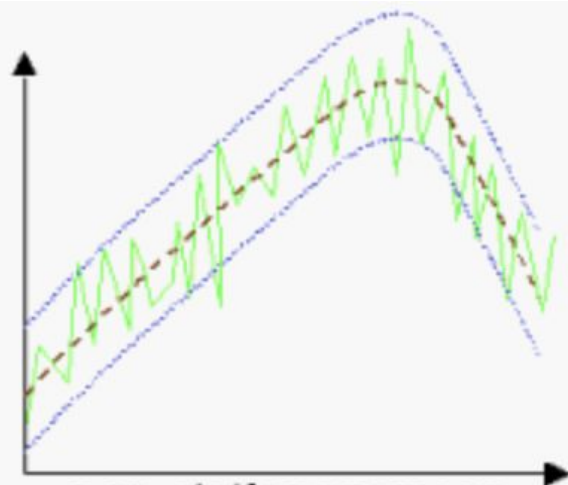
Non-Stationary series



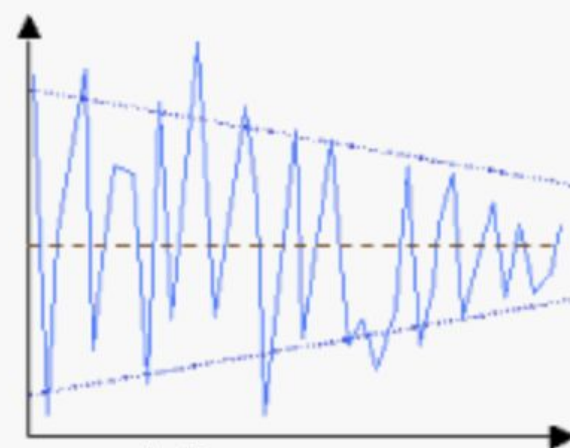
Non-Stationary series



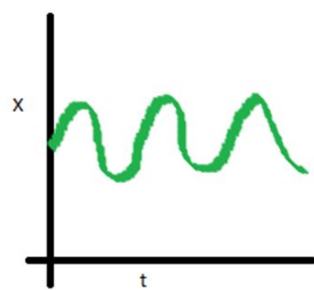
**stationary mean  
stationary variance**



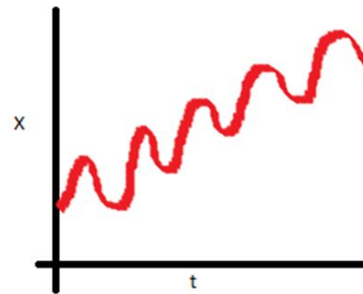
**non-stationary mean  
stationary variance**



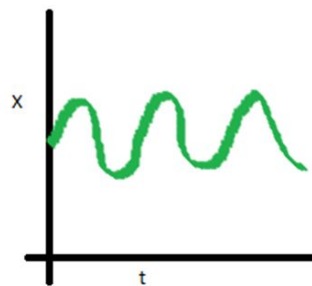
**stationary mean  
non-stationary variance**



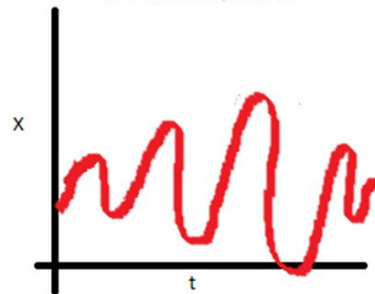
Stationary series



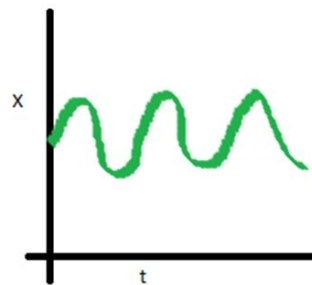
Non-Stationary series



Stationary series



Non-Stationary series

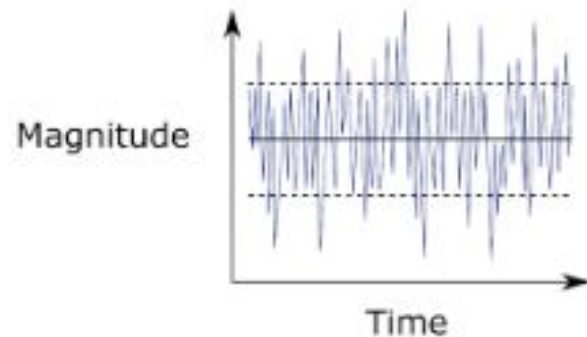


Stationary series

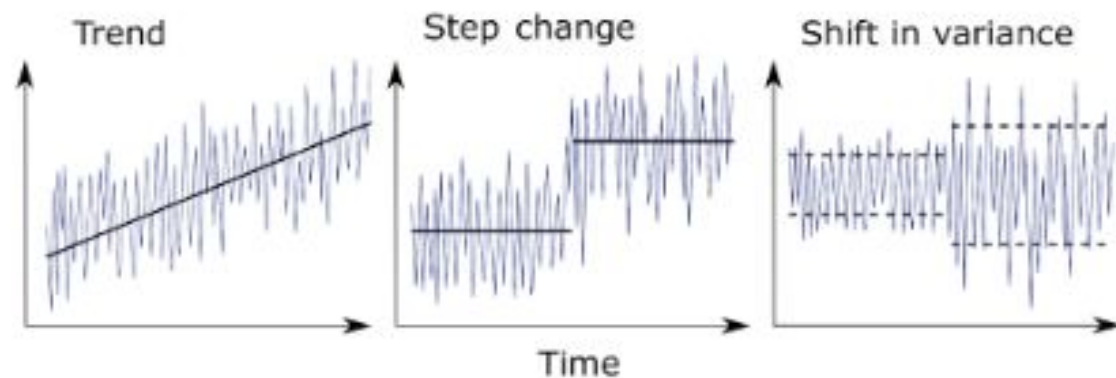


Non-Stationary series

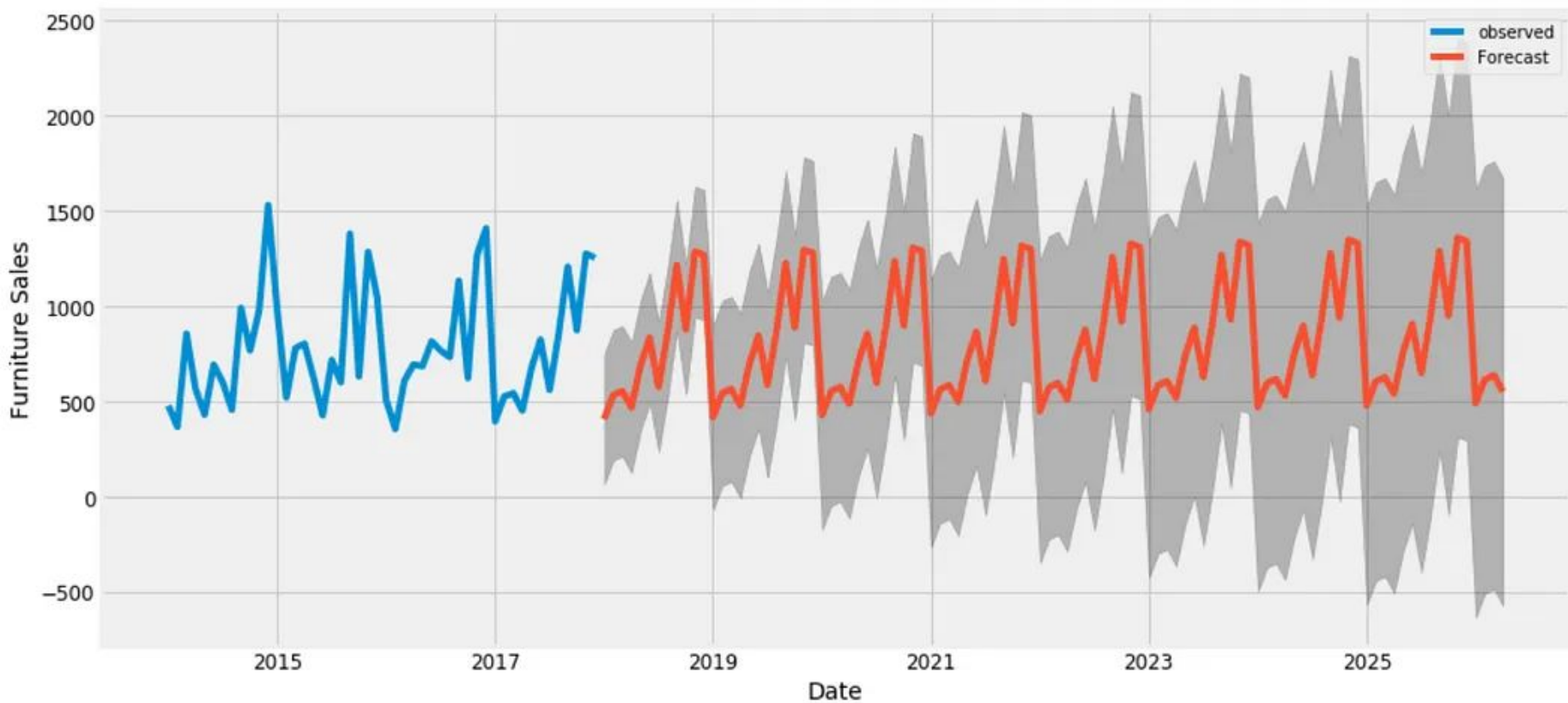
(a) Stationary



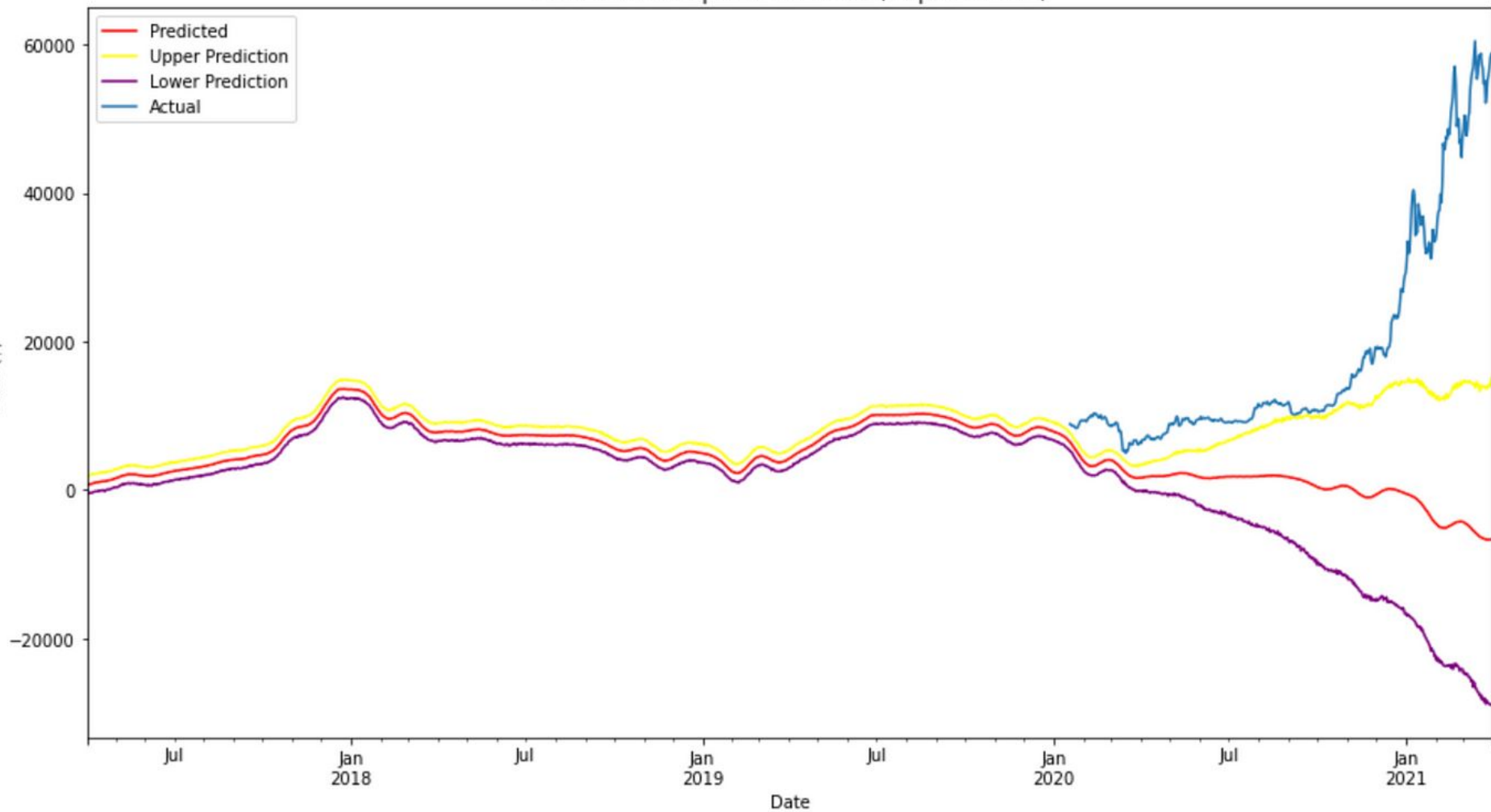
(b) Nonstationary

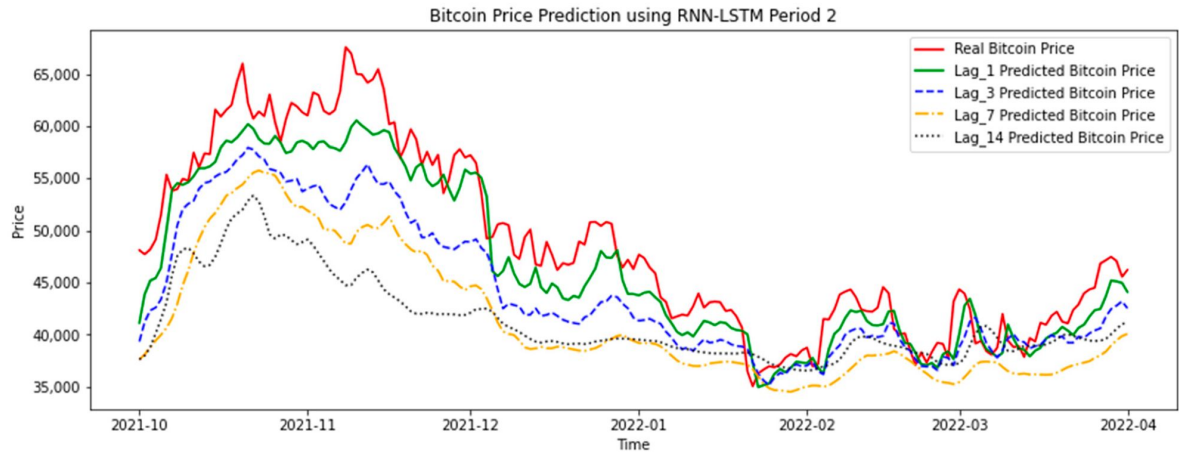
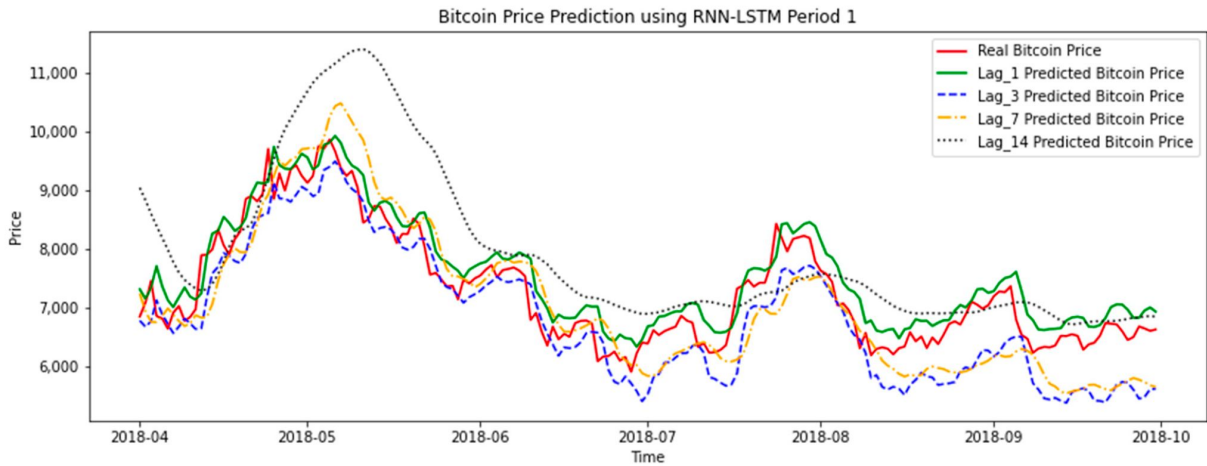




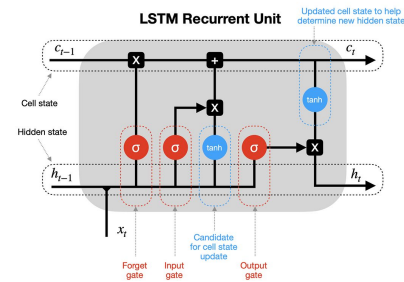


Predicted and Expected BTC Price (Prophet Predict)



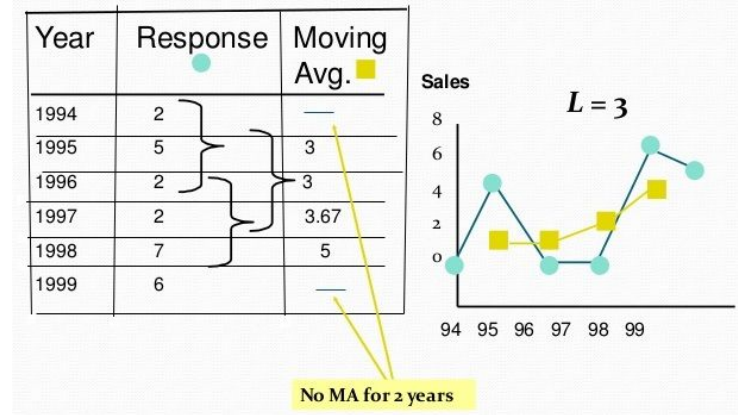


# LONG SHORT-TERM MEMORY NEURAL NETWORKS



# Moving Average

The moving average (MA) is a simple technical analysis tool that smooths out price data by creating a constantly updated average price. The average is taken over a specific period of time, like 10 days, 20 minutes, 30 weeks, or any time period the trader chooses.



Month	Sales (\$000)	Three-month moving total (\$000)	Three-month moving average (\$000)	Seasonal variation (\$000)
January	125			
February	145	456=(125+145+186)	$(456 \div 3) = 152$	
March	186	462=(145+186+131)	$(462 \div 3) = 154$	
April	131	468=(186+131+151)	$(468 \div 3) = 156$	
May	151	474	158	
June	192	480	160	
July	137	486	162	
August	157	492	164	
September	198	498	166	
October	143	504	168	
November	163	510	170	
December	204			

# Exponential Smoothing

Exponential smoothing is a broadly accurate forecasting method for short-term forecasts. The technique assigns larger weights to more recent observations while assigning exponentially decreasing weights as the observations get increasingly distant. This method produces slightly unreliable long-term forecasts.

$$F = \alpha A + (1 - \alpha)B$$

*Key:*

*F: forecast, A: actual sales data, B: forecast sales from previous periods,  $\alpha$ : the smoothing constant that is set as a value between 0.1 and 1.0.*

Year	Actual Demand ( $A_t$ )	Forecast Demand ( $F_t$ )
1	310	310
2	365	310
3	395	332
4	415	357
5	450	380
6	465	408
7		431

$$\alpha = 0.4$$

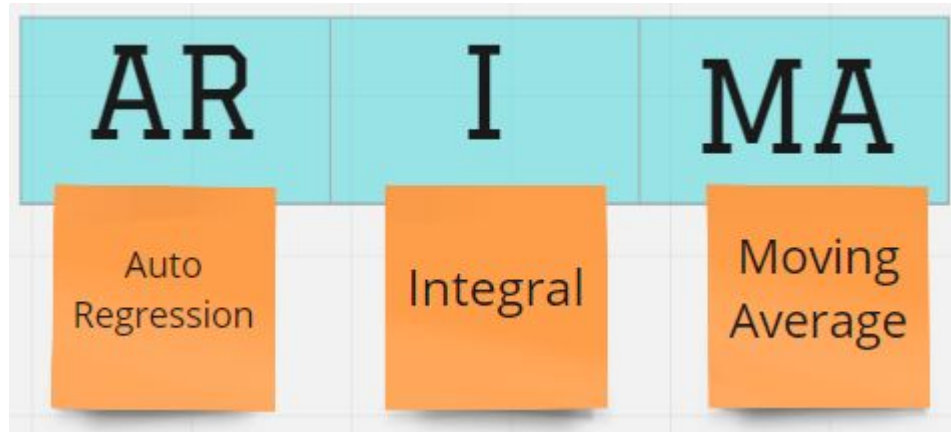
$$F_{t+1} = \alpha A_t + (1 - \alpha) F_t$$
$$= (1 - \alpha) = 1 - 0.4$$
$$\searrow 0.6$$

$$\rightarrow 0.4(310) + 0.6(310)$$
$$\rightarrow 0.4(365) + 0.6(310)$$
$$\rightarrow 0.4(395) + 0.6(332)$$
$$\rightarrow 0.4(415) + 0.6(357)$$
$$\rightarrow 0.4(450) + 0.6(380)$$
$$\rightarrow 0.4(465) + 0.6(408)$$



# ARIMA

An autoregressive integrated moving average (ARIMA) model is a statistical analysis model that leverages time series data to forecast future trends.





# ARIMA models family

When to use each component?

S

Seasonal

recurring pattern or variation  
in the data at fixed intervals

AR

Auto-Regressive

current value of the time series  
influenced by its past values

I

Integrated

to make the time series stationary when  
there is a trend or seasonality

MA

Moving Average

current value of the time series  
influenced by its past residuals

X

eXogenous variables

there are external factors  
that impact the time series

**yahoo!**  
**finance**

# Disclaimer



The topic of "stock prediction" discussed here is intended for **academic purposes only, focusing on time series analysis**.

It is not intended to provide commercial advice or encourage students to engage in trading.

The techniques presented are for **educational use** and should not be used for making real-world investment decisions.

Trading and investing involve risks, and individuals should seek professional financial advice before making any investment decisions based on the concepts discussed here.

Kao (Feb 16, 2024)



✓  
0s

```
[27] 1 # Fetch Apple stock data from Yahoo Finance
      2 apple_data = yf.download('AAPL', start='2010-01-01', end='2022-01-01', progress=False)
      3 apple_data.head()
```

	Open	High	Low	Close	Adj Close	Volume
Date						
2010-01-04	7.622500	7.660714	7.585000	7.643214	6.470740	493729600
2010-01-05	7.664286	7.699643	7.616071	7.656429	6.481928	601904800
2010-01-06	7.656429	7.686786	7.526786	7.534643	6.378825	552160000
2010-01-07	7.562500	7.571429	7.466071	7.520714	6.367033	477131200
2010-01-08	7.510714	7.571429	7.466429	7.570714	6.409363	447610800



Next steps:

 [View recommended plots](#)

# Understanding the data -

In finance stocks, **Open, High, Low, Close, Adjusted Close, and Volume** are commonly used terms to describe different aspects of a stock's performance on a particular day or over a certain period of time.

Here's what each term means:

**Open:** The opening price of a stock is the price at which it starts trading for the day. This is usually based on the closing price from the previous day, but can also be affected by after-hours trading or news events that occur before the market opens.

# Understanding the data -

In finance stocks, Open, High, Low, Close, Adjusted Close, and Volume are commonly used terms to describe different aspects of a stock's performance on a particular day or over a certain period of time.

Here's what each term means:

**High:** The high price of a stock is the highest price that it reached during the trading day. This can be an important indicator of the stock's performance, as it shows how high investors were willing to bid for the stock.

# Understanding the data -

In finance stocks, Open, High, Low, Close, Adjusted Close, and Volume are commonly used terms to describe different aspects of a stock's performance on a particular day or over a certain period of time.

Here's what each term means:

**Low:** The low price of a stock is the lowest price that it reached during the trading day. This can be an important indicator of the stock's performance, as it shows how low investors were willing to bid for the stock.

# Understanding the data -

In finance stocks, Open, High, Low, Close, Adjusted Close, and Volume are commonly used terms to describe different aspects of a stock's performance on a particular day or over a certain period of time.

Here's what each term means:

**Close:** The closing price of a stock is the price at which it ends trading for the day. This is usually based on the last trade of the day, but can also be affected by after-hours trading or news events that occur after the market closes.



# Understanding the data -

In finance stocks, Open, High, Low, Close, Adjusted Close, and Volume are commonly used terms to describe different aspects of a stock's performance on a particular day or over a certain period of time.

Here's what each term means:

**Adjusted Close:** The adjusted close price of a stock takes into account any corporate actions that might affect the stock's value, such as stock splits or dividend payments. This is important because it allows investors to track the actual performance of the stock, rather than just the price movements.

# Understanding the data -

In finance stocks, Open, High, Low, Close, Adjusted Close, and Volume are commonly used terms to describe different aspects of a stock's performance on a particular day or over a certain period of time.

Here's what each term means:

**Volume:** The volume of a stock is the number of shares that were traded during the trading day. This can be an important indicator of the stock's liquidity, as it shows how many shares were available for investors to buy or sell. High volume can also indicate increased investor interest in the stock.

# Model Evaluation: Mean Squared Error (MSE)

MSE measures the average squared difference between the predicted and actual values, giving higher weight to large errors. MAE, on the other hand, measures the average absolute difference between the predicted and actual values, giving equal weight to all errors.

$$\text{MSE} = \frac{1}{n} \sum_{i=1}^n (Y_i - \hat{Y}_i)^2$$

The equation is annotated with blue boxes and labels: "Mean" is above the fraction  $\frac{1}{n}$ ; "Error" is above the difference  $(Y_i - \hat{Y}_i)$ ; "Squared" is above the exponent  $^2$ ; a large blue box encloses the entire summation term  $\frac{1}{n} \sum_{i=1}^n$ ; and a smaller blue box encloses the squared error term  $(Y_i - \hat{Y}_i)^2$ .

# (Optional) Financial Markets

Following are some of the major stock markets and their market capitalizations:

STOCK EXCHANGE	SYMBOL	CITY	MARKET CAP 2019 (\$B)
New York Stock Exchange	NYSE	New York City	22,923
Nasdaq	NASDAQ	New York City	10,857
Japan Exchange Group	JPX	Tokyo	5,679
Shanghai Stock Exchange	SSE	Shanghai	4,026
Hong Kong Stock Exchange	SEHK	Hong Kong	3,936
London Stock Exchange	LSE	London	3,767
Shenzhen Stock Exchange	SZSE	Shenzhen	2,504
TMX Group	TSX	Toronto	2,095
Bombay Stock Exchange	BSE	Mumbai	2,056
Australian Securities Exchange	ASX	Sydney	1,328
Ho Chi Minh Stock Exchange	HSX	Ho Chi Minh	128
Pakistan Stock Exchange	PSX	Karachi	54

# (Optional) Market Indexes

MARKET INDEX	SYMBOL	Description	
<b>Dow Jones Industrial Average</b>	DJIA	or Dow, is an index that tracks the 30 largest, publicly owned companies trading on the New York Stock Exchange**	NYSE) and the NASDAQ.
<b>Nasdaq Composite</b>	IXIC	or Nasdaq, is an index of more than 3,000 stocks listed on the Nasdaq exchange.	
<b>Standard &amp; Poor's 500 Index</b>	GSPC	or S&P 500, is an index of the 500 largest U.S. publicly traded companies. The index is widely regarded as the best gauge of large-cap U.S. equities. S&P500 is the <b>market benchmark</b> .	
<b>CBOE Volatility Index10</b>	VIX	is a real-time market index that represents the market's expectation of 30-day forward-looking volatility and is derived from the price inputs of the S&P500 index options. It is also known by "Fear Gauge" or "Fear Index."	
<b>Financial Times Stock Exchange 100 Share Index</b>	FTSE	or <i>Footsie</i> , is the dominant index, containing 100 of the top blue chips on the London Stock Exchange.	
<b>Nikkei Index</b>	N225	is composed of Japan's top 225 blue-chip companies traded on the Tokyo Stock Exchange.	
<b>Hang Seng Index</b>	HSI	is an index of the largest companies that trade on the Hong Kong Exchange.	
<b>Sensex</b>	BSESB	also known as the S&P BSE Sensex index, is the benchmark index comprising of 30 of the largest and most actively-traded stocks on the Bombay Stock Exchange.	
<b>Karachi Stock Exchange</b>	KSE-100	consists of 100 companies representing about 90 percent of market capitalization of the Pakistan Stock Exchange.	

# (Optional) Financial Instruments

SECURITY	Description
<b>Stocks</b>	an ownership position in a publicly-traded corporation
<b>Bonds</b>	a creditor relationship with a governmental body or a corporation
<b>Derivative (Options)</b>	or rights to ownership – also called underlying financial instrument

# (Optional) Investment Instruments

INSTRUMENT	Description
<b>Mutual Funds</b>	A mutual fund is a company that pools money from many investors and invests in securities such as stocks, bonds, and short-term debt (bonds). The combined holdings of the mutual fund are known as its <i>portfolio</i> .
<b>Exchange-Traded Funds (ETF)</b>	are in many ways similar to mutual funds, however, they are listed on exchanges and ETF shares trade throughout the day just like ordinary stock.
<b>Index and Sector Funds</b>	is similar to an ETF, except the index fund portfolio consists of securities listed on a particular market index (such as Nasdaq or S&P500).
<b>Hedge Funds</b>	have very aggressive portfolios and are very high-risk. Hedge-funds are tailored to high-end investor.
<b>Real Estate Investment Trusts (REITs)</b>	allow individuals to invest in large-scale, income-producing real estate.
<b>Certificate of Deposit (CD)</b>	is a savings account that holds a fixed amount of money for a fixed period of time, and are considered to be one of the safest savings option.

## ✓ Week 12: Time Series: Stock Price Prediction

✓  
0s

```
[1] 1 # !pip install yfinance  
    2 # !pip install statsmodels  
    3 # !pip install pmdarima
```

✓  
0s

```
[2] 1 import warnings  
    2 warnings.filterwarnings("ignore")
```

✓  
1s

```
[3] 1 import yfinance as yf  
    2 import pandas as pd  
    3 from sklearn.model_selection import TimeSeriesSplit  
    4 from sklearn.metrics import mean_squared_error  
    5 import matplotlib.pyplot as plt  
    6  
    7 from statsmodels.tsa.arima.model import ARIMA  
    8 from statsmodels.tsa.holtwinters import ExponentialSmoothing
```



## ✓ Moving Average

0s



```
1 # Fetch Apple stock data from Yahoo Finance
2 apple_data = yf.download('AAPL', start='2010-01-01', end='2022-01-01', progress=False)
3 apple_data.head()
```

	Open	High	Low	Close	Adj Close	Volume
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2010-01-08	7.510714	7.571429	7.466429	7.570714	6.409363	447610800



Next steps:



[View recommended plots](#)

✓  
0s

```
[5] 1 # Select only the 'Close' column as our target variable  
2 apple_close = apple_data['Close']
```

✓  
0s

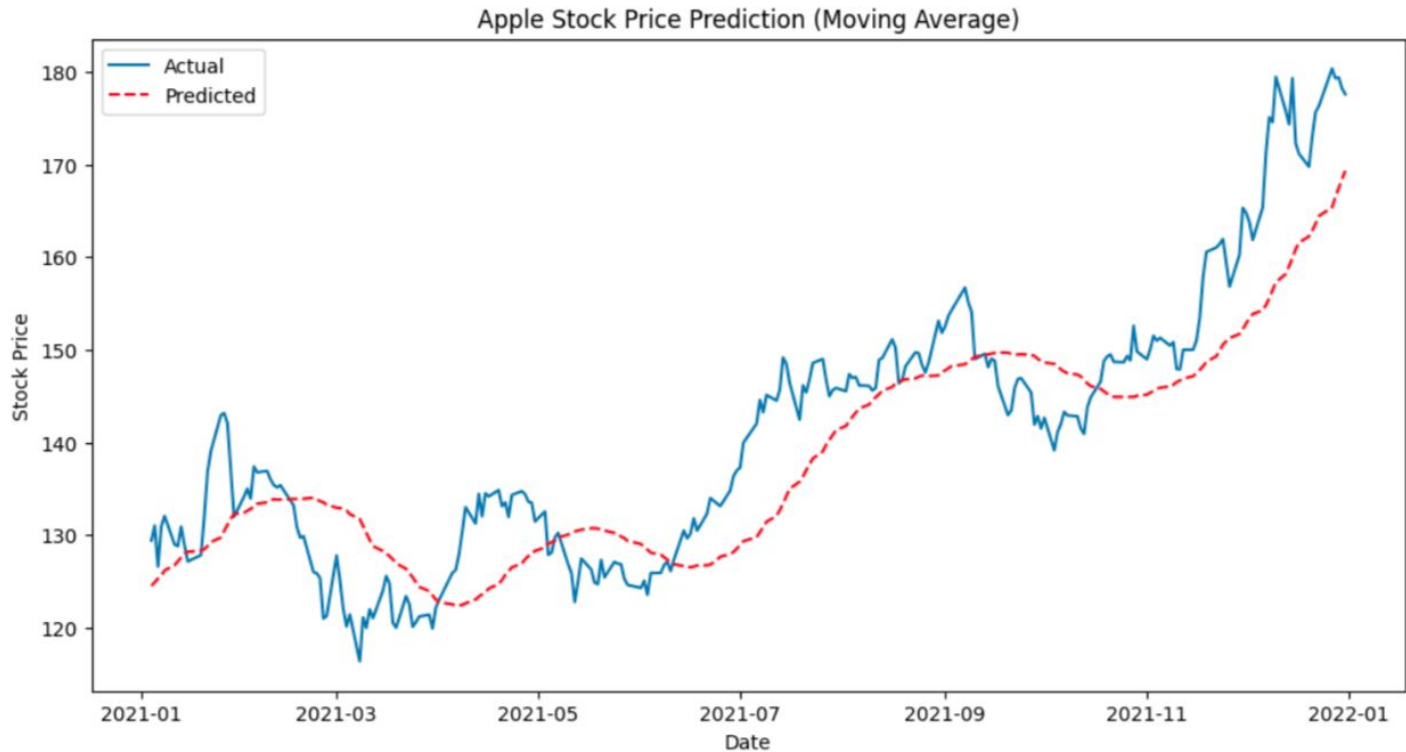
```
[6] 1 # Split data into train and test sets using date-based split  
2 train_end_date = '2021-01-01'  
3 train_data = apple_close[:train_end_date]  
4 test_data = apple_close[train_end_date:]
```

✓  
0s

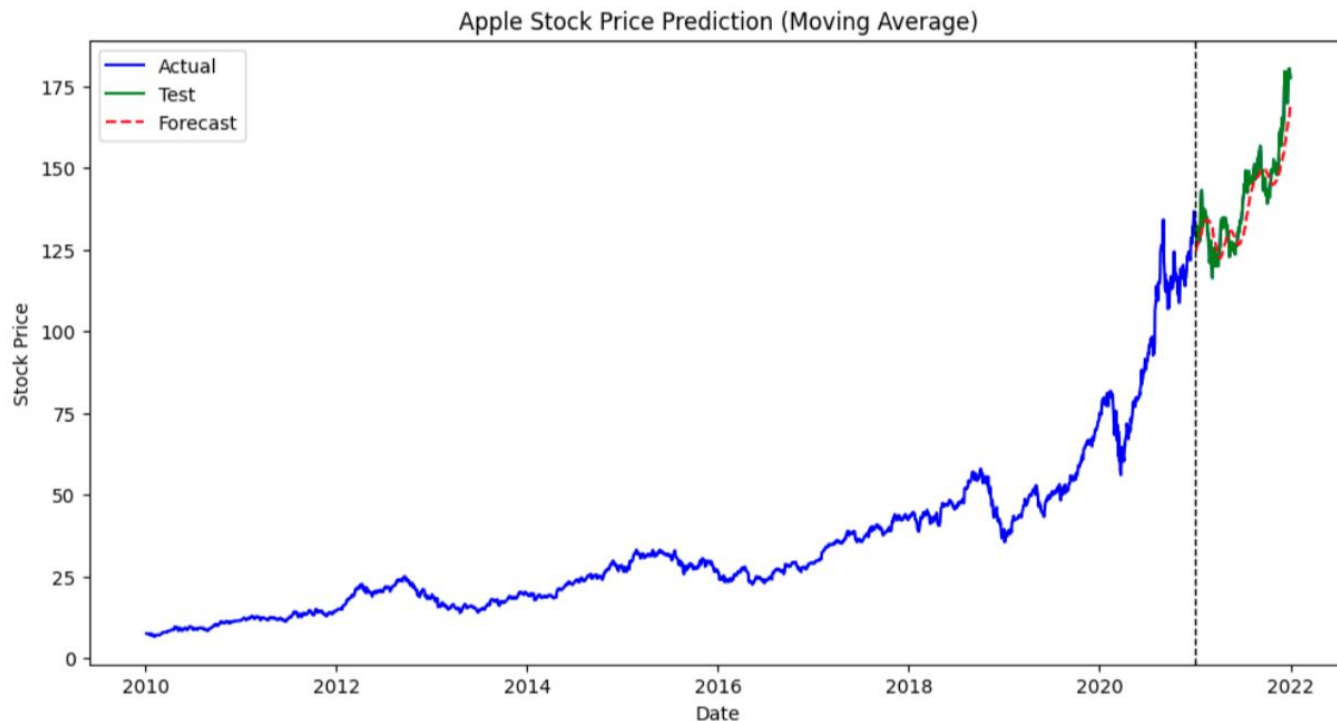
```
[7] 1 # Define a simple Moving Average model  
2 def moving_average_model(train_data, test_data, window_size):  
3     history = train_data.tolist()  
4     predictions = []  
5     for t in range(len(test_data)):  
6         # Calculate the rolling mean  
7         yhat = sum(history[-window_size:]) / window_size  
8         predictions.append(yhat)  
9         history.append(test_data[t])  
10    return predictions  
11  
12 # Evaluate the model  
13 window_size = 30  
14 predictions = moving_average_model(train_data, test_data, window_size)  
15 mse = mean_squared_error(test_data, predictions)  
16 print('Mean Squared Error (Moving Average):', mse)
```

Mean Squared Error (Moving Average): 54.59246045975243

```
✓ [8] 1 # Plot the actual vs. predicted values  
0s 2 plt.figure(figsize=(12, 6))  
3 plt.plot(test_data.index, test_data.values, label='Actual')  
4 plt.plot(test_data.index, predictions, color='red', linestyle='--', label='Predicted')  
5 plt.title('Apple Stock Price Prediction (Moving Average)')  
6 plt.xlabel('Date')  
7 plt.ylabel('Stock Price')  
8 plt.legend()  
9 plt.show()
```



```
✓ 0s [9] 1 # Plot the entire dataset with training, testing, and forecasted values
2 plt.figure(figsize=(12, 6))
3 plt.plot(apple_close.index, apple_close.values, label='Actual', color='blue')
4 plt.plot(test_data.index, test_data.values, label='Test', color='green')
5 plt.plot(test_data.index, predictions, color='red', linestyle='--', label='Forecast')
6 plt.axvline(x=pd.Timestamp(train_end_date), color='black', linestyle='--', linewidth=1) # Changed to use pd.Timestamp(train_end_date)
7 plt.title('Apple Stock Price Prediction (Moving Average)')
8 plt.xlabel('Date')
9 plt.ylabel('Stock Price')
10 plt.legend()
11 plt.show()
```



## ✓ Exponential Smoothing

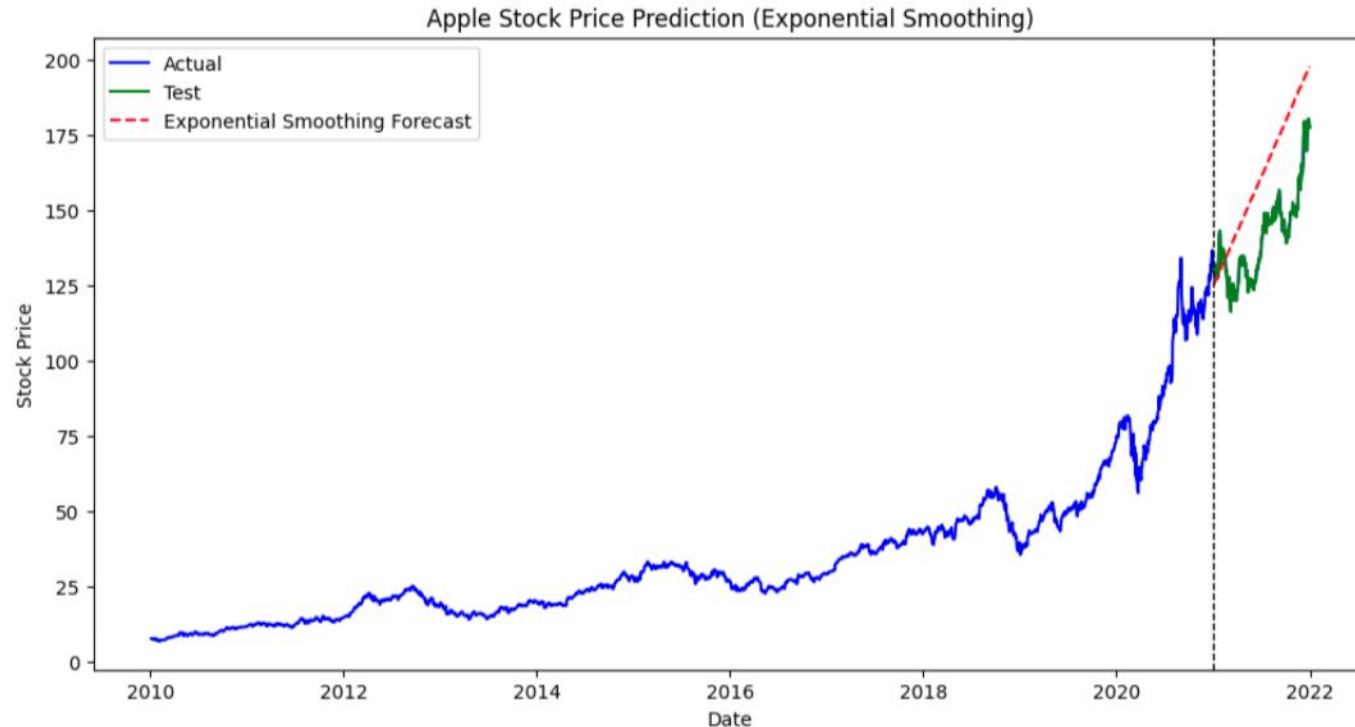
```
✓ [33] 1 # Fetch Apple stock data from Yahoo Finance
0s    2 apple_data = yf.download('AAPL', start='2010-01-01', end='2022-01-01', progress=False)
      3
      4 # Select only the 'Close' column as our target variable
      5 apple_close = apple_data['Close']
      6
      7 # Handle missing values by forward filling
      8 apple_close.fillna(method='ffill', inplace=True)
      9
     10 # Split data into train and test sets using date-based split
     11 train_end_date = '2021-01-01'
     12 train_data = apple_close[:train_end_date]
     13 test_data = apple_close[train_end_date:]
```

```
✓ [34] 1 # Exponential smoothing model
0s    2 def exponential_smoothing_model(train_data, test_data, smoothing_level=0.2):
      3     model = ExponentialSmoothing(train_data, trend='add', seasonal=None)
      4     model_fit = model.fit(smoothing_level=smoothing_level)
      5     predictions = model_fit.forecast(steps=len(test_data))
      6     return predictions
```

```
✓ [35] 1 # Evaluate the model
0s    2 smoothing_level = 0.01
      3 predictions = exponential_smoothing_model(train_data, test_data, smoothing_level)
      4 mse = mean_squared_error(test_data, predictions)
      5 print('Mean Squared Error (Exponential Smoothing):', mse)
```

Mean Squared Error (Exponential Smoothing): 571.444269293314

```
✓ [36] 1 # Plot the entire dataset with training, testing, and forecasted values
0s 2 plt.figure(figsize=(12, 6))
3 plt.plot(apple_close.index, apple_close.values, label='Actual', color='blue')
4 plt.plot(test_data.index, test_data.values, label='Test', color='green')
5 plt.plot(test_data.index, predictions, color='red', linestyle='--', label='Exponential Smoothing Forecast')
6 plt.axvline(x=pd.Timestamp(train_end_date), color='black', linestyle='--', linewidth=1) # Changed to use pd.Timestamp(train_end_date)
7 plt.title('Apple Stock Price Prediction (Exponential Smoothing)')
8 plt.xlabel('Date')
9 plt.ylabel('Stock Price')
10 plt.legend()
11 plt.show()
```

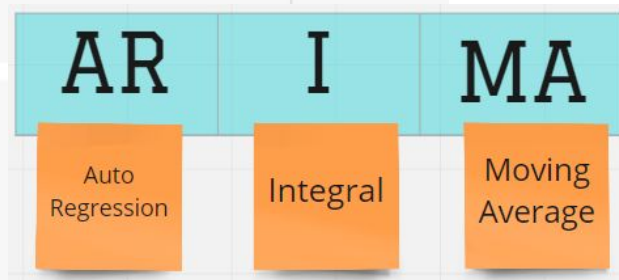




## ✓ ARIMA

```
✓ [37] 1 # Fetch Apple stock data from Yahoo Finance
0s      2 apple_data = yf.download('AAPL', start='2010-01-01', end='2022-01-01', progress=False)
      3
      4 # Select only the 'Close' column as our target variable
      5 apple_close = apple_data['Close']
      6
      7 # Split data into train and test sets using date-based split
      8 train_end_date = '2021-01-01'
      9 train_data = apple_close[:train_end_date]
     10 test_data = apple_close[train_end_date:]
```

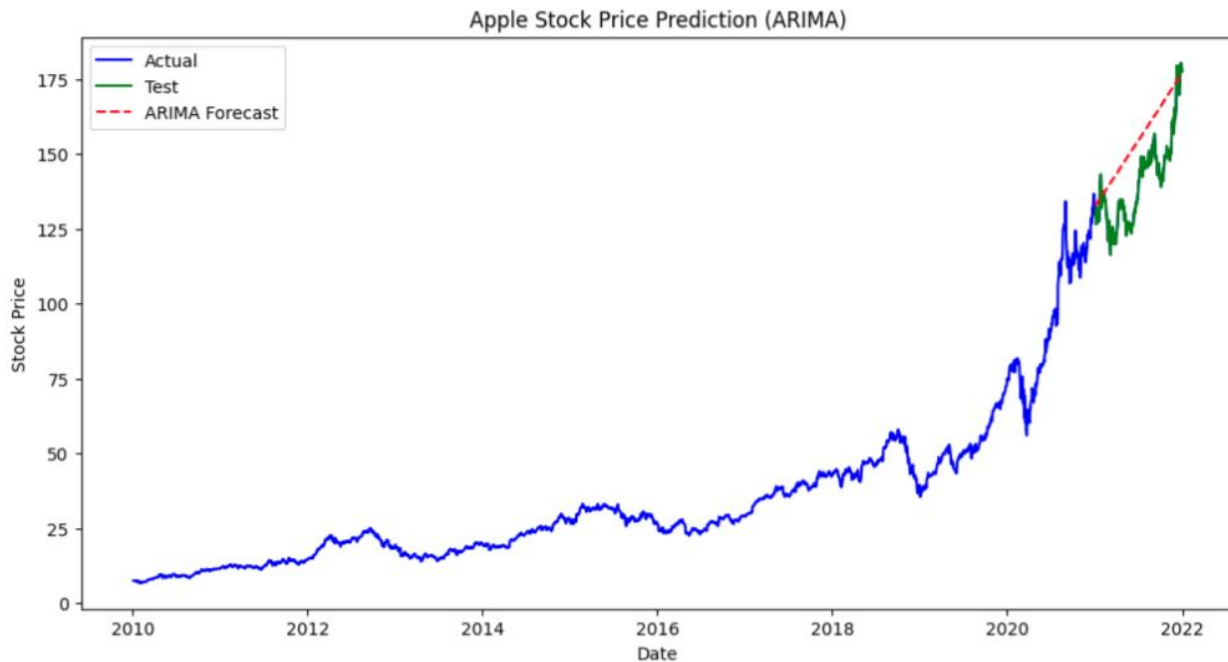
```
✓ [38] 1 # ARIMA model
2s      2 def fit_arima(train_data, order):
      3     model = ARIMA(train_data, order=order)
      4     fitted_model = model.fit()
      5     return fitted_model
      6
      7 # Evaluate the model
      8 def evaluate_model(model, test_data):
      9     predictions = model.forecast(steps=len(test_data))
     10     mse = mean_squared_error(test_data, predictions)
     11     return mse, predictions
     12
     13 # ARIMA
     14 order = (1, 2, 2)
     15 arima_model = fit_arima(train_data, order)
     16 arima_mse, arima_predictions = evaluate_model(arima_model, test_data)
     17
     18 print('Mean Squared Error (ARIMA):', arima_mse)
```



Mean Squared Error (ARIMA): 256.92254300338965

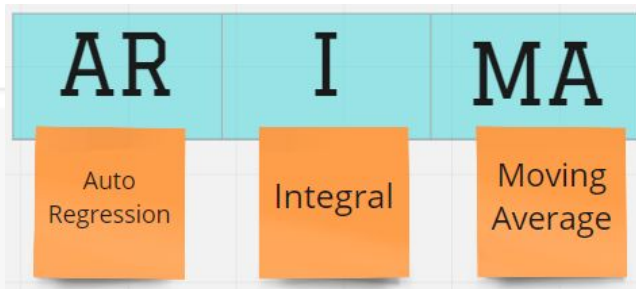
```
✓ [39] 1 # Forecast  
0s      2 forecast_steps = len(test_data)  
      3 forecast = arima_model.forecast(steps=forecast_steps)
```

```
✓ [40] 1 # Plot the entire dataset  
0s      2 plt.figure(figsize=(12, 6))  
      3 plt.plot(apple_close.index, apple_close.values, label='Actual', color='blue')  
      4 plt.plot(test_data.index, test_data.values, label='Test', color='green')  
      5 plt.plot(test_data.index, arima_predictions, color='red', linestyle='--', label='ARIMA Forecast')  
      6 plt.title('Apple Stock Price Prediction (ARIMA)')  
      7 plt.xlabel('Date')  
      8 plt.ylabel('Stock Price')  
      9 plt.legend()  
     10 plt.show()
```





## ✓ Search for best ARIMA order



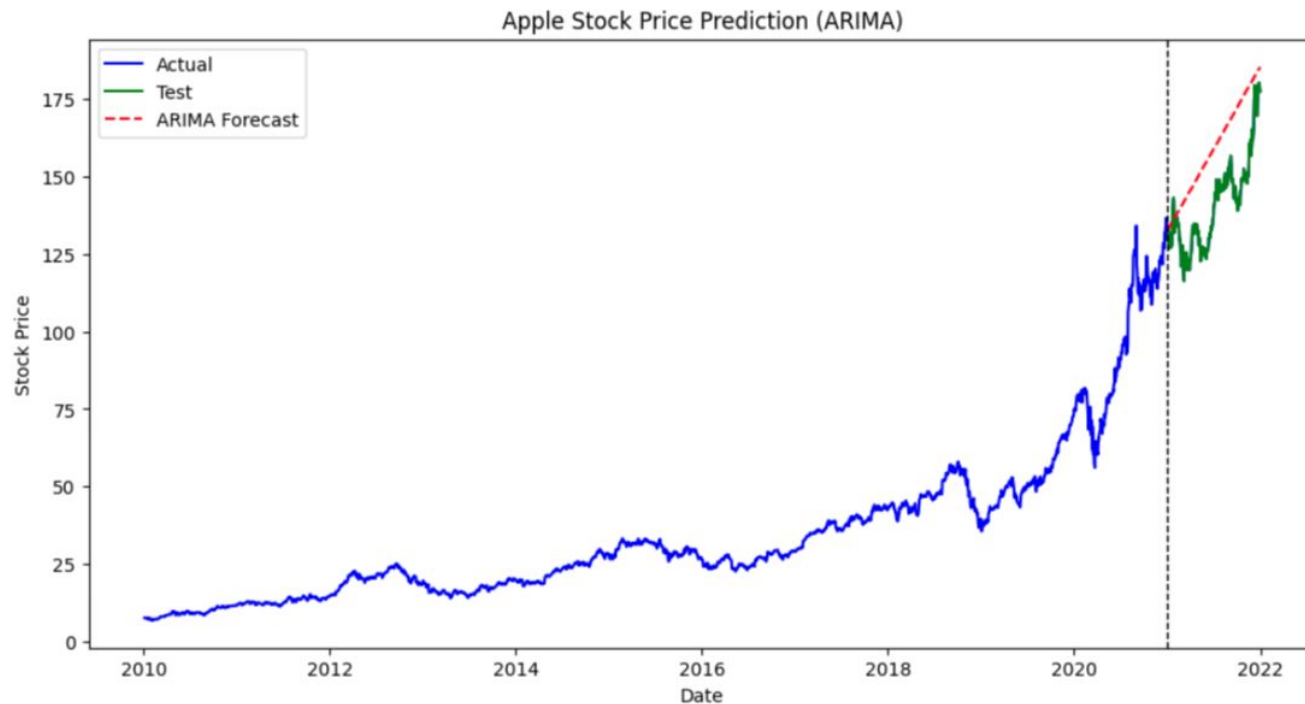
```
✓ [41] 1 # Grid search for best ARIMA order
38s 2
3 p_values = range(0, 3) # AR parameter
4 d_values = range(0, 3) # I(d) parameter
5 q_values = range(0, 3) # MA parameter
6
7 best_mse = float('inf')
8 best_order = None
9
10 for p in p_values:
11     for d in d_values:
12         for q in q_values:
13             order = (p, d, q)
14             try:
15                 arima_model = ARIMA(train_data, order=order)
16                 arima_model_fit = arima_model.fit()
17                 arima_predictions = arima_model_fit.forecast(steps=len(test_data))
18                 arima_mse = mean_squared_error(test_data, arima_predictions)
19                 if arima_mse < best_mse:
20                     best_mse = arima_mse
21                     best_order = order
22             except:
23                 continue
24
25 print('Best ARIMA Order:', best_order)
26 print('Best ARIMA MSE:', best_mse)
```

Best ARIMA Order: (1, 2, 2)  
Best ARIMA MSE: 256.92254300338965

```

✓ 08 [42] 1 # Plot the entire dataset with training, testing, and forecasted values
2 plt.figure(figsize=(12, 6))
3 plt.plot(apple_close.index, apple_close.values, label='Actual', color='blue')
4 plt.plot(test_data.index, test_data.values, label='Test', color='green')
5 plt.plot(test_data.index, arima_predictions, color='red', linestyle='--', label='ARIMA Forecast')
6 plt.axvline(x=pd.Timestamp(train_end_date), color='black', linestyle='--', linewidth=1) # Changed to use pd.Timestamp(train_end_date)
7 plt.title('Apple Stock Price Prediction (ARIMA)')
8 plt.xlabel('Date')
9 plt.ylabel('Stock Price')
10 plt.legend()
11 plt.show()

```



## ✓ Homework

```
✓ 1s [47] 1 import yfinance as yf
        2
        3 # Thai stock ticker symbols
        4 thai_tickers = 'PTT.BK' # ['AOT.BK', 'SCB.BK', 'PTT.BK', 'CPALL.BK', 'BDMS.BK']
        5
        6 # Download stock data
        7 thai_stock_data = yf.download(thai_tickers, start='2010-01-01', end='2022-01-01')
```

[\*\*\*\*\*100%\*\*\*\*\*] 1 of 1 completed

```
✓ 0s [48] 1 thai_stock_data.head()
```

	Open	High	Low	Close	Adj Close	Volume	
Date							
2010-01-04	24.600000	24.700001	24.100000	24.5	13.929267	40044000	
2010-01-05	24.799999	25.000000	24.299999	24.4	13.872417	69048000	
2010-01-06	24.500000	24.600000	24.299999	24.5	13.929267	29298000	
2010-01-07	24.700001	24.799999	24.400000	24.4	13.872417	48300000	
2010-01-08	24.400000	24.799999	24.400000	24.6	13.986121	41024000	

Next steps: [View recommended plots](#)

# Week 12: Assignment

## Time Series Analysis and Forecasting: Stock Price Prediction

Understanding time series analysis and forecasting is crucial for financial analysis and investment decision-making.

