An assessment of racial disparities in pretrial decision-making using misclassification models

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Problem setting

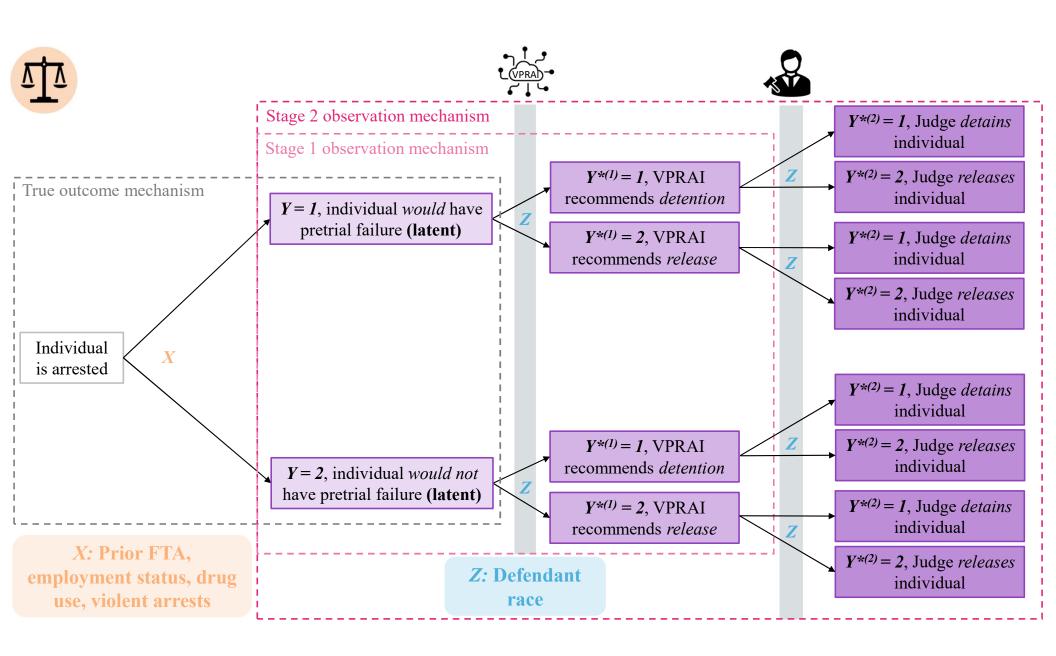


Pretrial failure:

Reoffending before trial or failing to appear for trial



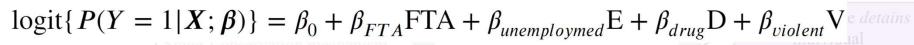
- Goal: Study algorithmic bias in pretrial risk assessment.
 - Pretrial risk assessment algorithms provide an evaluation of the likelihood of "pretrial failure".
 - Used by judges at arraignment to determine whether to release or detain defendants pending trial.
 - What are risk factors for pretrial failure? Are judges and risk assessments accurate? Are they biased?
- Method: Develop misclassification modeling approach, incorporating the "two stage" nature of this system.

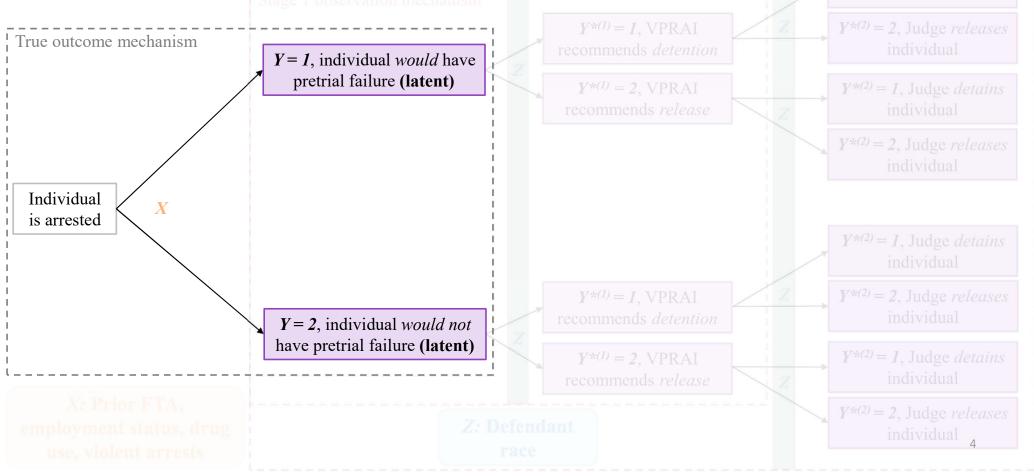


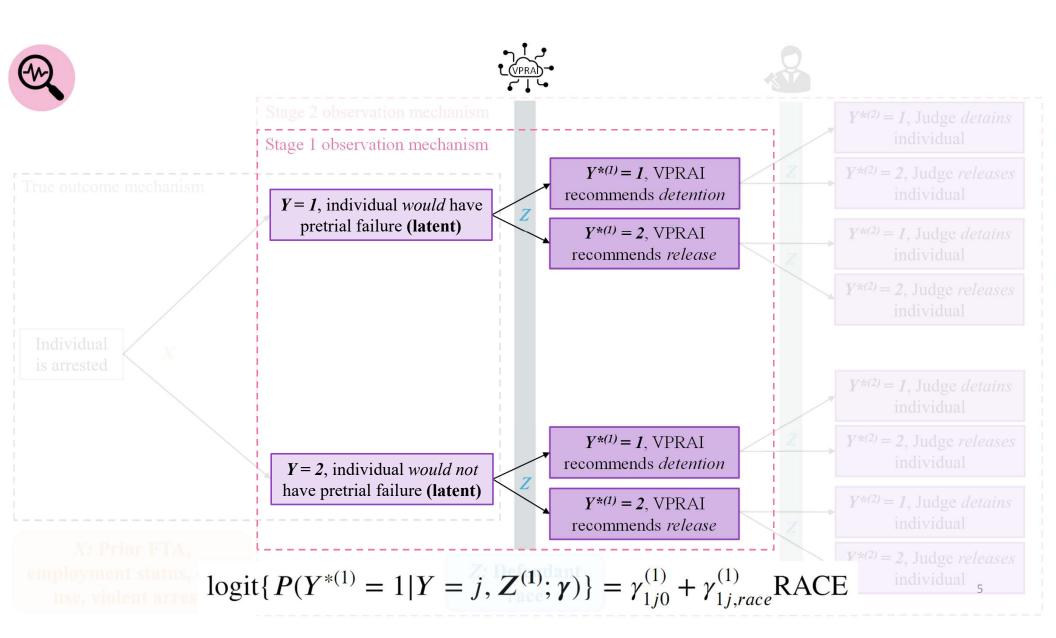






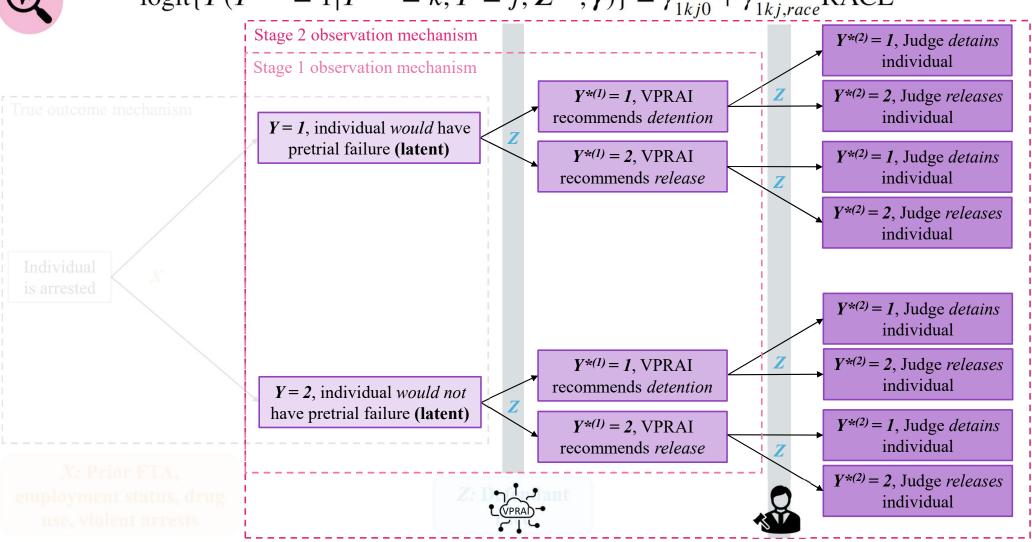








logit{
$$P(Y^{*(2)} = 1 | Y^{*(1)} = k, Y = j, Z^{(2)}; \gamma)$$
} = $\gamma_{1kj0}^{(2)} + \gamma_{1kj,race}^{(2)}$ RACE



Primary interest: Estimating β

Secondary interest: Estimating γ

True outcome mechanism:

$$logit\{P(Y = 1 | X; \boldsymbol{\beta})\} = \boldsymbol{\beta}_0 + \boldsymbol{\beta}_{FTA}FTA + \boldsymbol{\beta}_{unemploymed}E + \boldsymbol{\beta}_{drug}D + \boldsymbol{\beta}_{violent}V$$

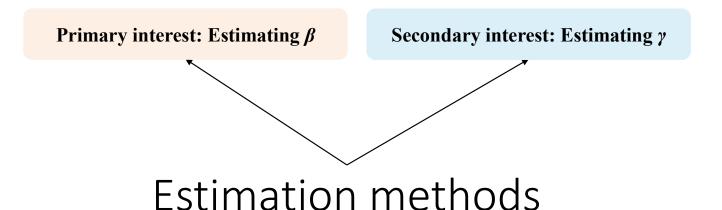
Stage 1 (VPRAI) observation mechanism:

logit{
$$P(Y^{*(1)} = 1 | Y = j, Z^{(1)}; \gamma)$$
} = $\gamma_{1j0}^{(1)} + \gamma_{1j,race}^{(1)}$ RACE

Stage 2 (Judge) observation mechanism:

logit{
$$P(Y^{*(2)} = 1 | Y^{*(1)} = k, Y = j, Z^{(2)}; \gamma)$$
} = $\gamma_{1kj0}^{(2)} + \gamma_{1kj,race}^{(2)}$ RACE





- Proposed EM algorithm
- Bayesian methods (MCMC)



Complete data log-likelihood

 Y (true pretrial failure status) is a latent variable, but let's pretend we know it:

$$\ell_{complete}(\beta, \gamma; X, Z^{(1)}, Z^{(2)}) = \sum_{i=1}^{N} \left[\sum_{j=1}^{2} y_{ij} \log\{P(Y_i = j | X_i)\} \right]^{\text{True outcome mechanism}}$$

$$\text{Stage 1 (VPRAI)}$$

$$\text{observation mechanism} + \left[\sum_{j=1}^{2} \sum_{k=1}^{2} y_{ij} y_{ik}^{*(1)} \log\{P(Y_i^{*(1)} = k | Y_i = j, Z^{(1)})\} \right]$$

$$\text{Stage 2 (Judge)}$$

$$\text{observation mechanism} + \left[\sum_{j=1}^{2} \sum_{k=1}^{2} \sum_{\ell=1}^{2} y_{ij} y_{ik}^{*(1)} y_{i\ell}^{*(2)} \log\{P(Y_i^{*(2)} = \ell | P(Y_i^{*(1)} = k, Y_i = j, Z^{(1)})\}] \right]$$



Estimation: EM algorithm

Expectation Step

Maximization Step

$$w_{ij} = P(Y_i = j | Y_i^{*(2)}, Y_i^{*(1)}, X, Z^{(1)}, Z^{(2)})$$

$$Q = \sum_{i=1}^{N} \left[\sum_{j=1}^{2} w_{ij} \log \{ P(Y_i = j | X_i) \} \right]$$

$$+ \sum_{j=1}^{2} \sum_{k=1}^{2} w_{ij} y_{ik}^{*(1)} \log \{ P(Y_i^{*(1)} = k | Y_i = j, Z^{(1)}) \}$$

$$+ \sum_{j=1}^{2} \sum_{k=1}^{2} \sum_{\ell=2}^{2} w_{ij} y_{ik}^{*(1)} y_{i\ell}^{*(2)} \log \{ P(Y_i^{*(2)} = \ell | Y_i^{*(1)} = k, Y_i = j, Z^{(1)}) \}$$

"Fill in" the latent outcome:

Given the parameters and other data, compute the probability of pretrial failure for each subject.

Update estimates:

Replace the *y* terms in the likelihood with the E-step weights and then maximize.



Estimation: EM algorithm

Expectation Step

Maximization Step

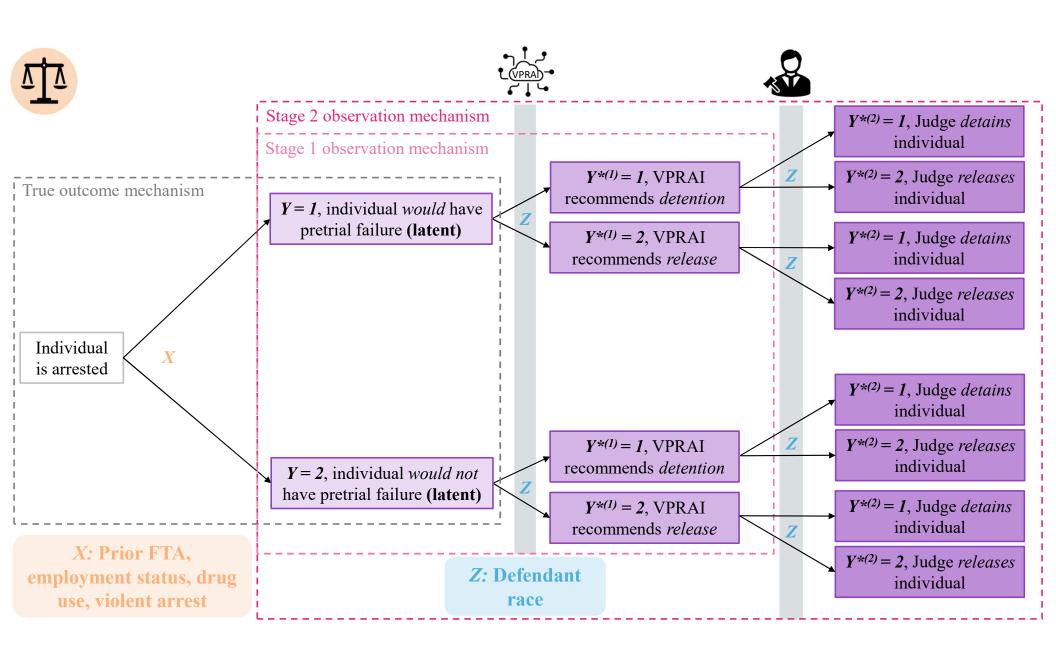
$$w_{ij} = P(Y_i = j | Y_i^{*(2)}, Y_i^{*(1)}, X, Z^{(1)}, Z^{(2)})$$

$$\begin{split} Q &= \sum_{i=1}^{N} \left[\sum_{j=1}^{2} w_{ij} \log\{P(Y_i = j | X_i)\} \right. \\ &+ \sum_{j=1}^{2} \sum_{k=1}^{2} w_{ij} y_{ik}^{*(1)} \log\{P(Y_i^{*(1)} = k | Y_i = j, Z^{(1)}) \right. \\ &+ \sum_{j=1}^{2} \sum_{k=1}^{2} \sum_{\ell=2}^{2} w_{ij} y_{ik}^{*(1)} y_{i\ell}^{*(2)} \log\{P(Y_i^{*(2)} = \ell | Y_i^{*(1)} = k, Y_i = j, Z^{(1)}) \right] \end{split}$$

Apply the label switching correction

Estimates of β

Estimates of y









Y = 1, individual would have

 $Y^{*(1)} = 1$. VPRAI

Goal: Investigate (1) risk factors for pretrial failure and (2) the **accuracy** of both the VPRAI recommendations and judge decisions.

- Data from all admitted persons in Prince William County, VA between Jan. 2016 and Dec. 2019
 - 1,990 observations in the dataset.
- 13.0% received a "detain" VPRAI recommendation, but 52.2% defendants were detained by the court ahead of their trial.

 $Y^{*(2)} = 2$. Judge releases

 $Y^{*(2)} = 2$. Judge releases



True outcome mechanism:

$$logit\{P(Y = 1 | X; \beta)\} = \beta_0 + \beta_{FTA}FTA + \beta_{unemploymed}E + \beta_{drug}D + \beta_{violent}V$$

	EM Algorithm		Naïve Analysis	
	Est.	SE	Est.	SE
β_{FTA}	1.22	0.22	1.02	0.13
$\beta_{\text{unemployed}}$	0.73	0.06	0.67	0.15
β_{drug}	1.97	0.13	1.74	0.17
$\beta_{violent}$	0.28	0.02	0.26	0.03

Association between risk factors and pretrial failure is generally attenuated when misclassification in the VPRAI and judge decisions is *not* accounted for.



Stage 1 (VPRAI) observation mechanism:

$$\text{logit}\{P(Y^{*(1)}=1|Y=j,\boldsymbol{Z^{(1)}};\boldsymbol{\gamma})\} = \gamma_{1j0}^{(1)} + \gamma_{1j,race}^{(1)} \text{RACE}$$

	Estimated VPRAI Specificity P(Release Would not have pretrial failure)	Estimated VPRAI Sensitivity P(Detain Would have pretrial failure)
White defendant	100%	49.3%
Black defendant	99.3%	86.0%



Stage 2 (Judge) observation mechanism:

$$\operatorname{logit}\{P(Y^{*(2)}=1|Y^{*(1)}=k,Y=j,\boldsymbol{Z^{(2)}};\boldsymbol{\gamma})\} = \gamma_{1kj0}^{(2)} + \gamma_{1kj,race}^{(2)} \operatorname{RACE}$$

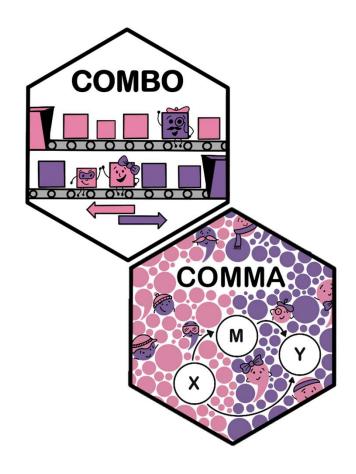
	Estimated Judge Specificity P(Release Would not have pretrial failure)	Estimated Judge Sensitivity P(Detain Would have pretrial failure)
White defendant	60.3%	76.8%
Black defendant	48.6%	88.8%

Key takeaways

- Developed new methods for handling misclassified sequential and dependent binary outcome variables.
- Used these methods to estimate misclassification rates when algorithms and judges predict pretrial failure risk.

Software

- Estimation methods for misclassified outcomes are available in the COMBO R Package on CRAN.
 - Correcting Misclassified Binary Outcomes
- Estimation methods for misclassified mediators are in the COMMA R Package on CRAN.
 - Correcting Misclassified Mediation Analysis



Thank you!

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