

EE5175 -Image Signal Processing

Lab-2

Occlusion detection

import libraries

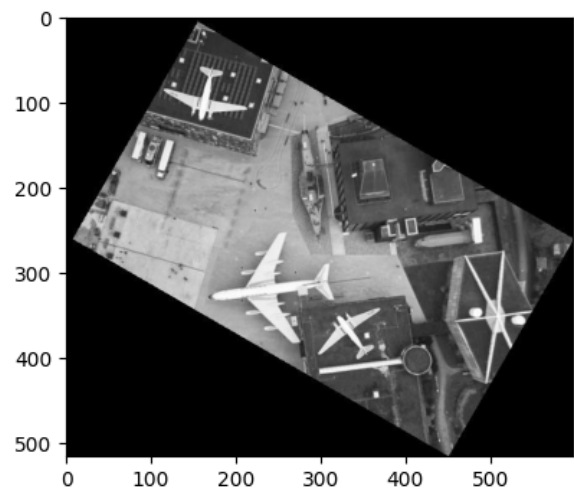
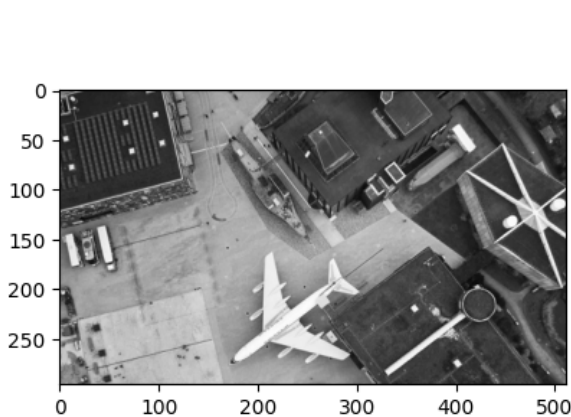
```
In [1]: import numpy as np
import matplotlib.pyplot as plt
from skimage.io import imread
import os
import math as m
```

read image

```
In [2]: img_1 = imread('./IMG1.png')
img_2 = imread('./IMG2.png')
```

plot images

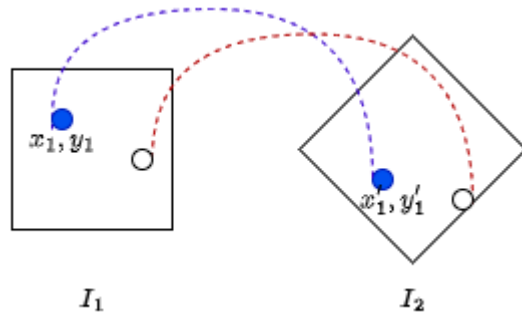
```
In [3]: plt.figure(figsize=(10,10))
plt.subplot(1,2,1)
plt.imshow(img_1 , 'gray')
plt.subplot(1,2,2)
plt.imshow(img_2 , 'gray')
plt.show()
```



points given

```
In [4]: points_1 = np.array([[29, 124], [157, 372]])
points_2 = np.array([[93, 248], [328, 399]])
```

matrix formation



$$x'_i = \frac{ax_i + by_i + c}{h}$$

$$y'_i = \frac{-bx_i + ay_i + d}{h}$$

$$A_i \bar{h} = 0$$

$$A_i = \begin{bmatrix} x_i & y_i & 1 & 0 & -x'_i \\ y_i & -x_i & 0 & 1 & -y'_i \end{bmatrix}$$

NOTE: All the notations used here are as used in the class

```
In [5]: def matrix_form(points_1, points_2):
        num_of_corr = len(points_1)

        mat_ = np.zeros((2*num_of_corr, 5))
        for i in range(num_of_corr):
            x, y = points_1[i]
            x_dash, y_dash = points_2[i]
            mat_[2*i] = [x, y, 1, 0, -x_dash]
            mat_[2*i+1] = [y, -x, 0, 1, -y_dash]
        # print(mat_)
        return mat_
```

homography matrix from SVD

https://en.wikipedia.org/wiki/Singular_value_decomposition

<https://math.stackexchange.com/questions/3509039/calculate-homography-with-and-without-svd>

```
In [6]: def homography_matrix(matrix_):
        u, s, v_transpose = np.linalg.svd(matrix_) #svd of the form decreasing order
        a, b, c, d, h = v_transpose[-1] # required elements to form the matrix in the
        H = np.array([[a, b, c], [-b, a, d], [0, 0, h]]).reshape(3,3) # reshaping it to
        return H
```

Bilinear Interpolation

```
In [7]: def bilinear_interpolation(source , x , y ):
        '''
        input params : source = source image
```

```

        x = x coordinate
        y = y coordinate

    ...

    output : returns a target image

xx = source.shape[0]    # shape of the input image
yy = source.shape[1]

x_dash = m.floor(x)     # floor value of the coordinate (x ' and y' as mentioned)
y_dash = m.floor(y)

a = x - x_dash          # finding a and b i.e difference between actual and the floor value
b = y - y_dash

if x_dash >= 0 and y_dash >= 0 and x_dash <= xx-2 and y_dash <= yy-2: ##formula
    target_img = (1-a)*(1-b)*source[x_dash,y_dash]+ (1-a)*b*source[x_dash,y_dash+1]
else:
    target_img = 0       # without using this condition , zeros wouldn't be created

return target_img

```

Image after Homography

```

In [8]: def get_image(source_image, H):
        x, y = np.shape(source_image)
        H_inverse = np.linalg.inv(H)
        target_image = np.zeros((x, y))

        for xt in range(x):
            for yt in range(y):
                vec = np.array([xt, yt, 1]) #making all the coordinates to homography (
                # req = inverse_h * given (H_inv = (3*3) homogeneous coord of vec(3*1))
                temp = H_inverse@vec
                xs = temp[0]/temp[-1]
                ys = temp[1]/temp[-1]
                #normalizing after dividing and using the x and y in bilinear transformation
                val = bilinear_interpolation(source_image, xs, ys)
                target_image[xt, yt] = val

        return target_image

```

```

In [9]: A = matrix_form(points_2, points_1) # corresponding points in 2 and same in 1
        H = homography_matrix(A) # finding matrix H
        new_image = get_image(img_2, H) # new image

```

```

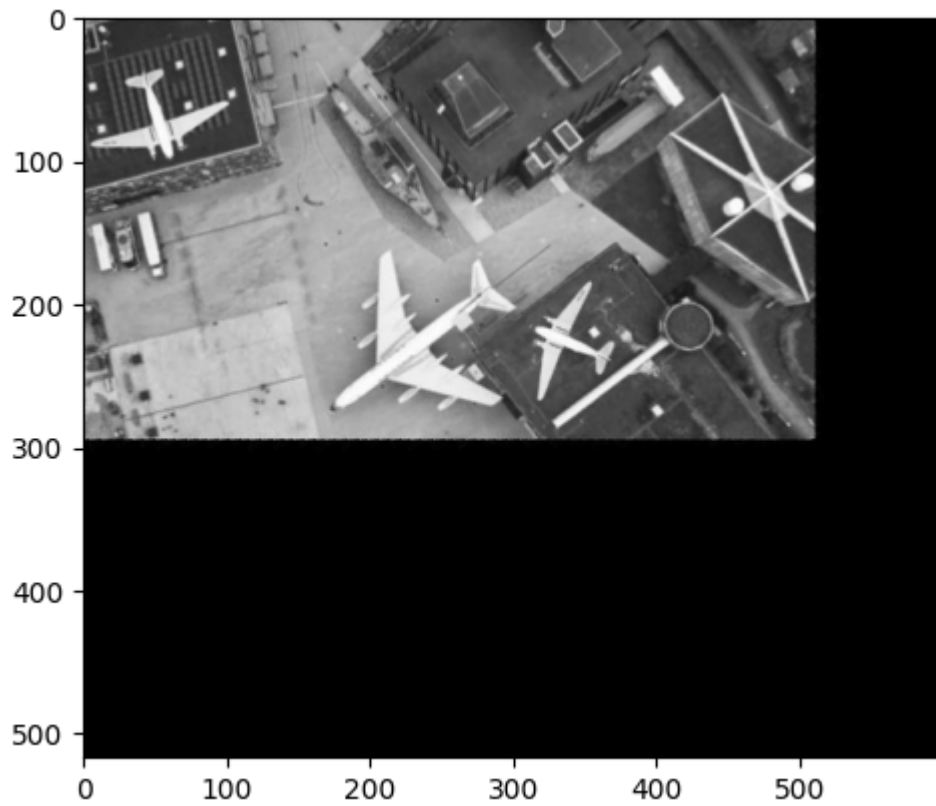
In [10]: plt.imshow(new_image, 'gray')

```

```

Out[10]: <matplotlib.image.AxesImage at 0x22b7f6a5e10>

```



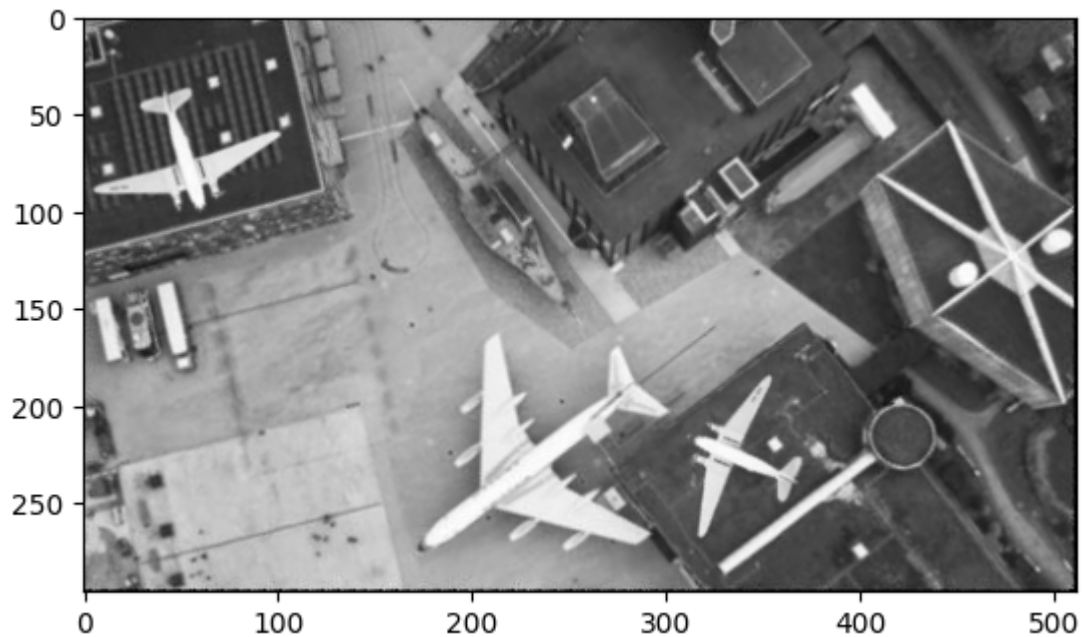
```
In [11]: x1,y1 = img_1.shape
```

```
In [12]: img2_crop = new_image[:x1,:y1]
```

copped image

```
In [13]: plt.imshow(img2_crop,'gray')
```

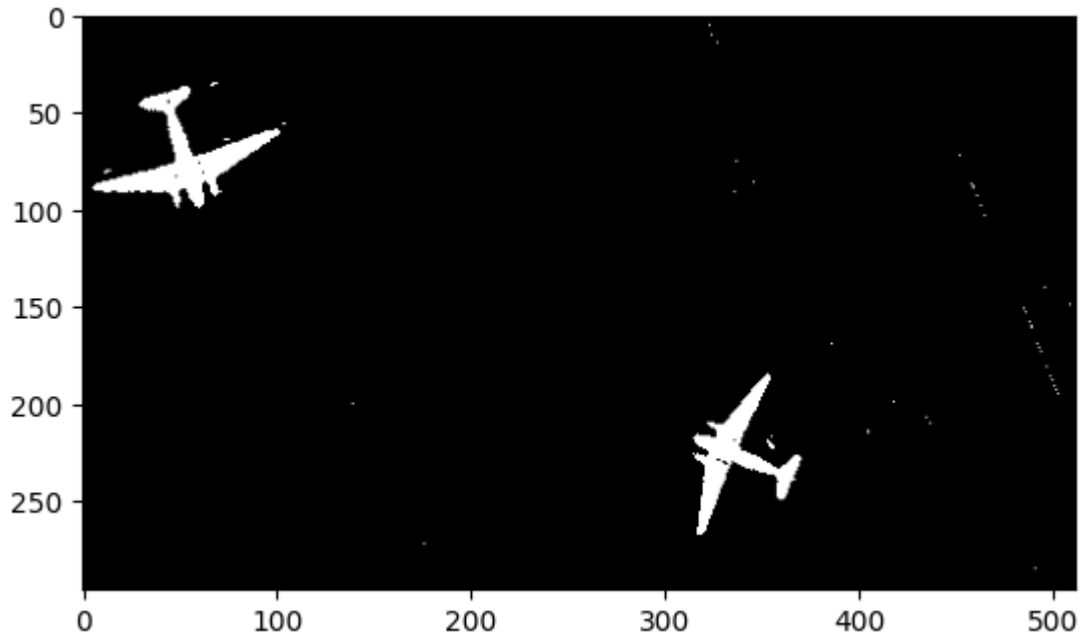
```
Out[13]: <matplotlib.image.AxesImage at 0x22b7f716e30>
```



subtracted image and applying threshold

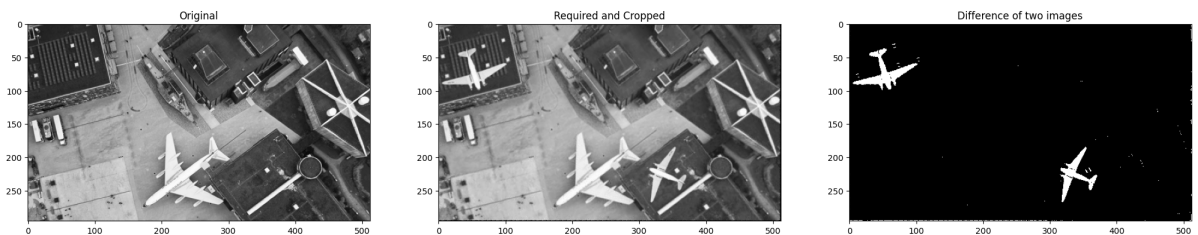
```
In [14]: plt.imshow(img2_crop - img_1>70 , cmap = 'gray')
```

```
Out[14]: <matplotlib.image.AxesImage at 0x22b7fc804f0>
```



final plot

```
In [16]: plt.figure(figsize=(25,18))
plt.subplot(1,3,1)
plt.imshow(img_1,cmap = 'gray')
plt.title('Original')
plt.subplot(1,3,2)
plt.imshow(img2_crop,cmap = 'gray')
plt.title('Required and Cropped')
plt.subplot(1,3,3)
plt.imshow(abs(img2_crop - img_1)>80 , cmap = 'gray')
plt.title('Difference of two images')
plt.show()
```



Learnings

- points 1 to points 2 if we do the homography , image moves out and not aligned to old one , so it must 2 to 1 always
- proper alignment of image points are needed , else it will result in different image and we cannot detect the difference

- can be called as a registration task (we are given the points)
- need to try this on SIFT and SURF to see if its able to given this (if given what is the error)