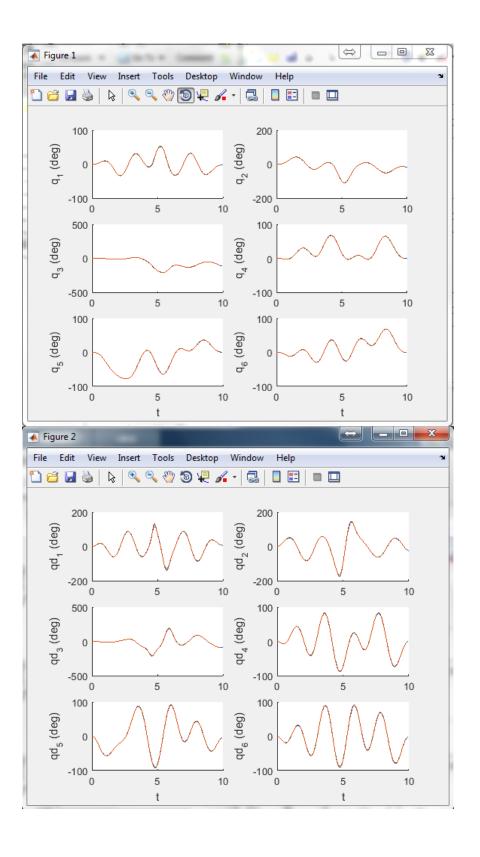
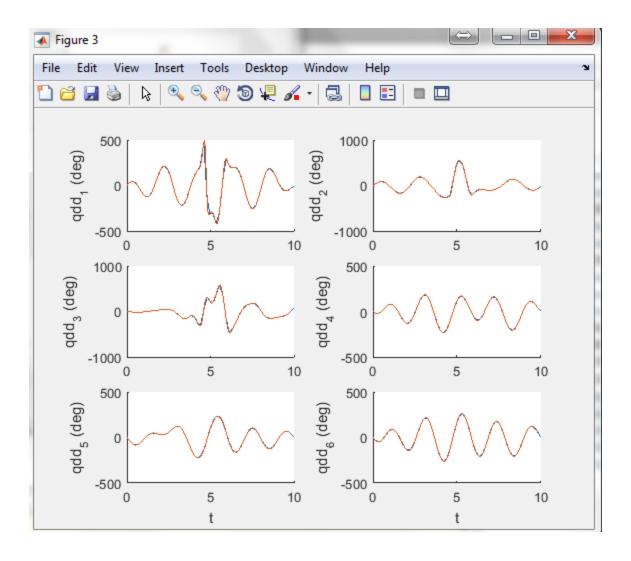
Problem 1

```
clear all
clc;
%% Problem 1(a)
% School Linux
%run ~/Desktop/rvctools/startup rvc.m
% Personal laptop
%run C:\Users\Dustan\Desktop\rvctools\startup rvc.m
%define the robotics toolbox Puma 560 arm
mdl puma560;
%set the Coulomb friction terms to zero to help with numerical simulation
p560 = p560.nofriction;
%load the torque profile and open the simulink model
load puma560 torque profile.mat
out = sim('sl puma hw6.slx');
%On my Computer
q = out.get('q sim');
qd = out.get('qd sim');
qdd = out.get('qdd sim');
t sim = out.get('t sim');
%% Problem 1(b)
D(q) *qdd + C(q,qd) *qd + G(q) = Tau
q0 = [0; 0; 0; 0; 0; 0];
qd0 = [0; 0; 0; 0; 0; 0];
qdd0 = p560.accel(q0, qd0, torque(1,:));
% D0 = p560.inertia(q0.'); %inertia matrix
% C0 = p560.coriolis(q0.',qd0.'); %coriolis matrix
% G0 = p560.gravload(q0.').';
[t,x] = ode45(@p560 dyn eqns, [0, 10], [q0, qd0], [], p560, torque, time);
q \text{ ode45} = x(:,1:6);
qd ode45 = x(:,7:12);
for i = 1:length(t)
    qdd ode 45(i,:) = p560.accel(q ode 45(i,:),qd ode 45(i,:),...
        interp1(time, torque, t(i)));
end
%% Problem 1(c) Make Plots
figure(1)
for i = 1:6,
    subplot(3,2,i)
    hold on
    plot(t sim, q(:,i)*180/pi)
    plot(t,q_ode45(:,i)*180/pi)
    if i == 6 || i == 5,
        xlabel('t')
    end
    ylabel(strcat('q ',num2str(i),' (deg)'))
```

```
end
```

```
figure(2)
for i = 1:6,
    subplot(3,2,i)
    hold on
    plot(t sim, qd(:,i)*180/pi)
    plot(t,qd ode45(:,i)*180/pi)
    if i == 6 || i == 5,
        xlabel('t')
    ylabel(strcat('qd ',num2str(i),' (deg)'))
end
figure(3)
for i = 1:6,
    subplot(3,2,i)
    hold on
    plot(t_sim,qdd(:,i)*180/pi)
    plot(t,qdd ode45(:,i)*180/pi)
    if i == 6 || i == 5,
        xlabel('t')
    ylabel(strcat('qdd_',num2str(i),' (deg)'))
end
% The ode45 simulation gave the same output as the simulink simulation with
% a little bit higher fidelity.
function [xp] = p560 dyn eqns(t,x,bot,torque,time)
%UNTITLED3 Summary of this function goes here
% Detailed explanation goes here
Dq'' + Cq' + G = Tau
%bot.accel(q',q,Tau) = q''
%x1 = q
%x2 = q'
%xp = [x1'; x2'] = [q'; q'']
x1 = x(1:6);
x2 = x(7:12);
% D = bot.inertia(x1.');
% C = bot.coriolis(x1.', x2.');
% G = bot.gravload(x1.');
% G = G.';
xp = zeros(12,1);
xp(1:6) = x2;
Tau = interp1(time, torque, t);
%Tau = Tau.';
%xp(7:12) = D\setminus (-C*x2 - G + Tau);
xp(7:12) = bot.accel(x1.', x2.', Tau);
end
```





Problem 2

```
clear all
clc;
% School Linux
%run ~/Desktop/rvctools/startup_rvc.m
% Personal laptop
%run C:\Users\Dustan\Desktop\rvctools\startup_rvc.m
%Define Robot
L = 0.4; %link length
m = 1; %link mass
Izz = 0.01; %rotational inertia
grav = [0; 0; 9.81];
I = [Izz, 0, 0; 0, Izz, 0; 0, 0, Izz];

Lk1 = Link('revolute', 'offset', 0, 'd', 0, 'a', L, 'alpha', 0);
Lk2(1) = Link('revolute', 'offset', 0, 'd', 0, 'a', L, 'alpha', 0);
Lk2(2) = Link('revolute', 'offset', 0, 'd', 0, 'a', L, 'alpha', 0);
```

```
Lk3(1) = Link('revolute', 'offset', 0, 'd', 0, 'a', L, 'alpha', 0);
Lk3(2) = Link('revolute', 'offset', 0, 'd', 0, 'a', L, 'alpha', 0);
Lk3(3) = Link('revolute', 'offset', 0, 'd', 0, 'a', L, 'alpha', 0);
Lk3(1).m = m;
Lk3(1).I = I;
Lk3(1).r = [L/2, 0, 0];
Lk3(2).m = m;
Lk3(2).I = I;
Lk3(2).r = [L/2, 0, 0];
Lk3(3).m = m;
Lk3(3).I = I;
Lk3(3).r = [L/2, 0, 0];
bot1 = SerialLink(Lk1, 'name', '1_link');
bot2 = SerialLink(Lk2, 'name', '2 link');
bot3 = SerialLink(Lk3, 'name', '3 link');
bot = [bot1, bot2, bot3];
bot3.nofriction('all');
q = [pi/4; pi/4; pi/4];
qd = [pi/6; -pi/4; pi/3];
qdd = [-pi/6; pi/3; pi/6];
bot3.plot(q.')
view([0 90])
%Find w,alpha, and a
w_{iminus1} = [0; 0; 0]; %initial omega
al iminus1 = [0; 0; 0]; %inital alpha
ae iminus1 = [0; 0; 0]; %initial a e
z = [0; 0; 1];
w = zeros(3);
al = zeros(3);
ac = zeros(3);
for i = 1:3,
    T = bot(i).fkine(q(1:i));
    R 0 i = T(1:3,1:3)'; %rotation from frame 0 to i
    R iminus1 i = [...
        cos(q(i)) sin(q(i))
                                0;...
        -\sin(q(i))\cos(q(i))
                                0;...
                                1]; %rotation from frame i-1 to i
    w_i = R_iminus1_i*w_iminus1 + R_0_i*z_iminus1_0*qd(i);
    w(i,:) = w i.';
    al i = R iminus1 i*al iminus1 + R 0 i*z iminus1 0*qdd(i) +...
       cross(w i, R 0 i*z iminus1 0*qd(i));
    al(i,:) = al i.';
    ae i = R iminus1 i*ae iminus1 + cross(al i, [L; 0; 0]) + ...
       cross(w i,cross(w_i,[L;0;0]));
    ac i = R iminus1 i*ae iminus1 + cross(al i, [L/2;0;0]) +...
```

```
cross(w i,cross(w i,[L/2;0;0]));
    ac(i,:) = ac i';
    w iminus1 = \overline{w} i;
    \overline{al} iminus1 = \overline{al} i;
    ae iminus1 = ae i;
end
f_i_pl_1 = [0; 0; 0];
tau i pl 1 = [0; 0; 0];
j = 3;
while j>0,
    R i pl 1 i = [...]
        cos(q(j)) sin(q(j))
                                0;...
                                0;...
        -\sin(q(j))\cos(q(j))
                                  1].'; %rotation from frame i+1 to i
    f i = R i_pl_1_i*f_i_pl_1 + m*ac(j,:).' - m*grav;
    tau_i = R_i_pl_1_i*tau_i_pl_1 - cross(f_i,[L/2;0;0]) + \dots
        cross(R i pl 1 i*f i pl 1,[-L/2;0;0]) + I*al(j,:).' + ...
        cross(w(j,:).',I*w(j,:).');
    j = j - 1;
end
tau i
tau toolbox = bot3.rne(q.', qd.', qdd.')
```

%They don't match and I spent many hours on this. I'm excited to see the solution and learn what I messed up. Because I couldn't get them to match, I wasn't able to do part (c), but to do it I would implement what we learned in class about using Newton Euler to find D(q)