```
25/03/2023
                    generate Parantheses
                   We are given n' pour of farantheses, write a
                   function to generate all combinations of well
                   formed parantheses.
                   n=1 \rightarrow () 3 only 1 option
                   n=2 \rightarrow ((1), ()) 3 only 2 options
                   n=3 \rightarrow (((1)), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(1), ((1)(
                                                         5 options are there
                    We can observe that if we are having no then
                    total brackets are 2xn.
                                                                     n = 3
                                                                                          ( \rightarrow 3 \ ) 3 + 3 = 6 \ ] 2 \times 3 = 6
                                                                                       ) \rightarrow 3 \int
                   The above question is based on the include
                    and exclude pattern.
                                                                                                               2,2 close
                                    output -I
                                                                                                                                                      include close
                           include oper
                                               "(", 1, 2
include open
                                                                                                     include close
                                                                                                                                                        include close
include
                                                                                                      include
                                                    include
 Open
                                                                                                            open
                                                       close
                                                              "((()",0,1"()(",0,1
```

We can only including the closing bracket, if on left count of opening bracket > count of closing bracket. But this has an issue that we will have to count on the left & hence we need to think of some condition in terms of remaining brackets. In left part formulae will be open > close & then only we will be including the closed bracket but in right part close > open & hence we will be using the closing bracket. When close == open, we don't have to add closing bracket.

Code

Void solve (vector <string > & ans, int n, int open,
int close, string output) {

// Base case - Both brackets have finished

if (open = = 0 & & close = = 0) {

ans push back (output);

return;

3

// Include Opening bracket if they exist.

if (Open > 0) { Reduce count of Opening bracket

Output. push - back ( (()) > // Push opening bracket

Solve (ans, n, Open - 1, close, output),

// Backtracking - create original state

Output. p - back ();

3

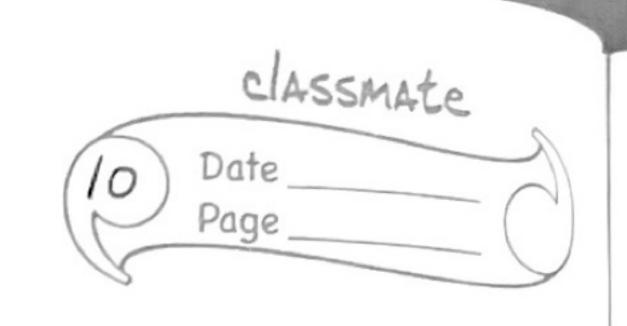
// Can we put closing bracket?

if (close > open) {

output. push\_back (')'); // Push closing bracket Solve (ans, n, open, close-1, output);

4) Reduced count of closing brackets

1/Backtracking Output · pob-back (); // Printing ans vector in main function In main () print the ans vector of strings. Note - Understanding the close > open condition 1) This close & open is of the remaining brackets. This is very important to understand On Left side Open < close (())) - invalid Voben == close (()) -no need to add bracket oben > close (() -) closing brocket can be added now left side Hright side remaining closing bracket = 1 (close > open remaining obening bracket = 0 Hence we need to add the closing bracket & that's why close > open condition needs to be mentioned. MASked a lot in D.E. Show & Arcesium Letter combination of phone number Given a string containing digits from 2-9 inclusive, return all possible letter combinations that number could represent. Return answer in any order.



```
2 - abc 6 - mno

3 - def 7 - pars mapping

4 - ghi 8 - tuv

5 - jkl 9 - wxyz
```

Bose cose BC BC BC BC BC BC BC BC

Hence 9 possible combinations are possible.

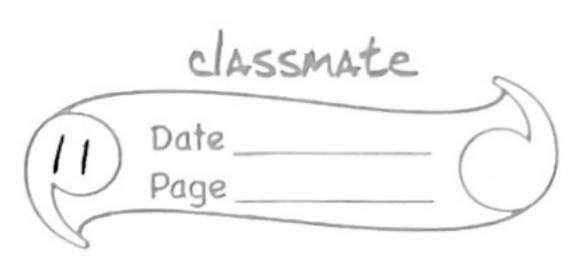
## Code

Void solve (vector <string) & ans, int index, string, output, string digits, vector <string) & mapping) {

Can be handled in main function

if (digits length () = = 0) // Empty digits string
return;

Base case



//Solve I case & then recursion handles it int digit = digits [index] - (0); used to convoct character to integer string value = mapping [digit] i // Storethe mapping 1/ Traverse the mapping for (int i=0 ji< value length () ji++){ charch = value [i]; // Store charof
mapping in ch. Output. push\_back (ch) i// Pushthat in O/p string. solve (ans, index+1, output, digits, mapping)
4 move forward in mapping // Backtracking output.pop\_back(); //3f we have used push back, then use pop-back also.