

21/04/2023

Q1 Find the middle of the linked list.

i/p  $\rightarrow$  (10)  $\rightarrow$  (20)  $\rightarrow$  (30)  $\rightarrow$  (40)  $\rightarrow$  x

O/p  $\rightarrow$  20 / 30

depending on the question

i/p  $\rightarrow$  (10)  $\rightarrow$  (20)  $\rightarrow$  (30)  $\rightarrow$  (40)  $\rightarrow$  (50)  $\rightarrow$  x

O/p  $\rightarrow$  30

length = even, middle =  $\frac{n}{2}$  node

length = odd, middle =  $\left(\frac{n+1}{2}\right)$  node

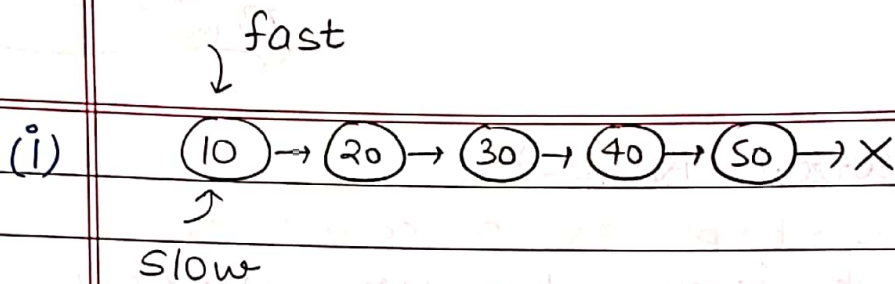
The above is one of the solution which has  
time complexity =  $O(n)$   $\rightarrow$  Not in single traversal

Tortoise algorithm

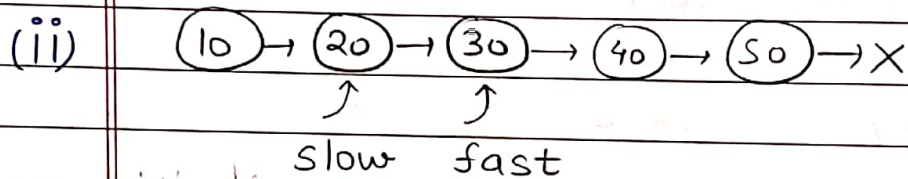
$\downarrow$  head

(10)  $\rightarrow$  (20)  $\rightarrow$  (30)  $\rightarrow$  (40)  $\rightarrow$  (50)  $\rightarrow$  x

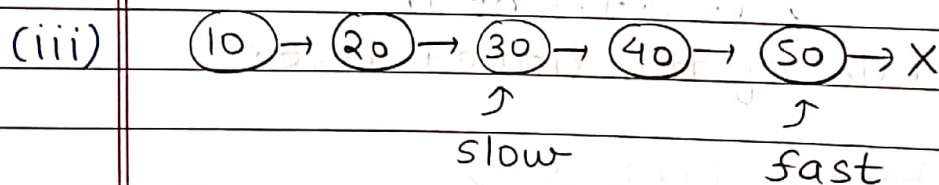
- 1) Initially slow and fast at the head.
- 2) Slow pointer moves one step whereas fast moves 2 steps



fast moves 2 steps  
slow moves 1 step.



fast moves 2 steps  
slow moves 1 step



Now fast can't move 2 steps and hence slow won't move forward & hence slow will be the middle node.

Time complexity =  $O(n/2) = O(n)$  → Single pass

Code

```

Node * getMiddle (Node * & head) {
    // Empty linked list
    if (head == NULL) {
        return head;
    }
    if (head->next == NULL) { // Single node in linked list
        return head;
    }
  
```

// Creation of pointers

Node \* slow = head;

Node \* fast = head;

// slow and fast both are valid

while (slow != NULL & fast != NULL) {

fast = fast → next; // move 1 step

if (fast != NULL) {

// Total → 2 steps fast = fast → next; // move 1 step

slow = slow → next; // move 1 step

}

}

return slow; // middle node

}

Note → If the question says  $\frac{n}{2}$  is the middle in case of even length,

Initialize fast = head → next

The slow and fast pointer approach will be expected from us in the interview.

Q2 Reverse the linked list in k groups.

i/p → (10) → (20) → (30) → (40) → (50) → (60) → X, k=3

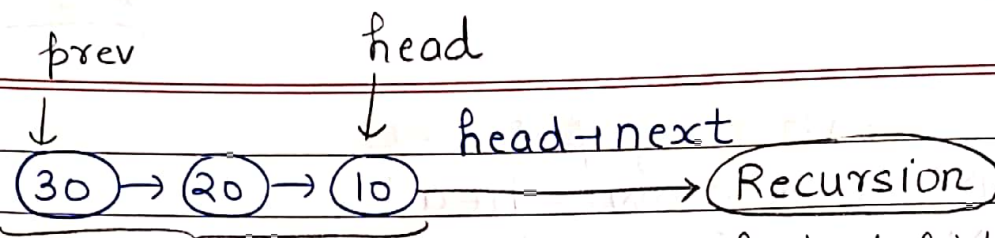
o/p → (30) → (20) → (10) → (60) → (50) → (40) → X

For the above test case, we can simply reverse first k nodes & then recursion will handle

(10) → (20) → (30) → (40) → (50) → (60) → X k=3

Reverse these 3 nodes





Simply reverse a linked list

Simply return prev which is the new head of the linked list

Code

```
Node * reverseKNodes (Node* & head, int k)
{
```

```
    // Empty linked list case
```

```
    if (head == NULL) {
```

```
        return head;
```

```
    }
```

```
    // Invalid case
```

```
    int len = getLength (head);
```

```
    if (k > len) {
```

```
        return head;
```

```
    }
```

```
    // Step-1 ⇒ Reverse first k nodes
```

```
    Node * prev = NULL;
```

```
    Node * curr = head;
```

```
    int count = 0;
```

```
    while (count < k) {
```

Reverse  
steps

```
        Node * forward = curr->next;
```

```
        curr->next = prev;
```

```
        prev = curr;
```

```
        curr = forward;
```

```
        count++; // To keep track of k nodes
```

```
    }
```

```
    // Step-2 Recursion
```

```
    if (forward != NULL) { // Still have nodes to reverse
```

Connection step

```

    head → next = reverseKNodes (forward, k);
  }
  // New head
  return prev;
}

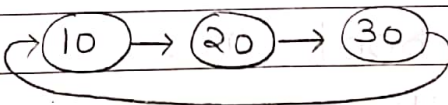
```

head of further LL. ←

Steps which we followed

- 1) Reverse first k nodes.
- 2) Find answer of recursion.
- 3) Connection step  $\Rightarrow$  head  $\rightarrow$  next = ans of recursion.
- 4) Return new head i.e. prev.

Q3 Input linked list is circular or not.

i/p  $\rightarrow$  

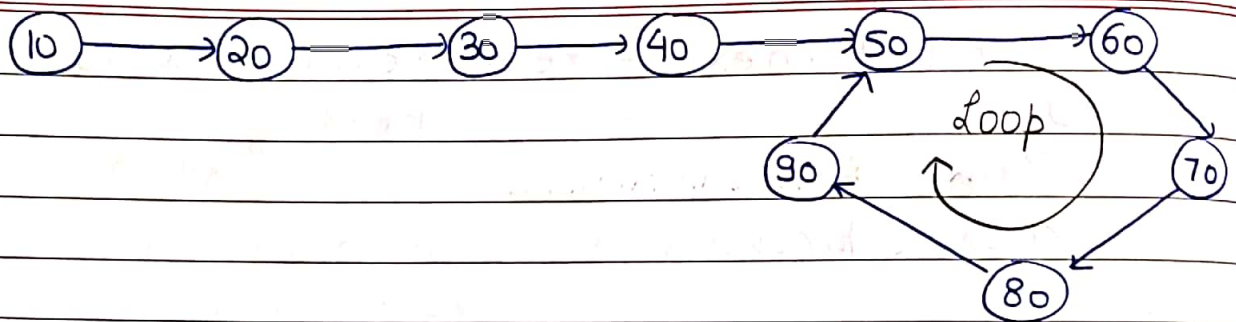
o/p  $\rightarrow$  True

- 1) Store head in temp.
- 2) Now start from head  $\rightarrow$  next and traverse until we get the same node. If we get NULL, then return false else if we get the same node again, then simply return true.

Q4 Detection and deletion of loop in the linked list.

- \* Check loop is present or not.
- \* Starting point of loop
- \* Remove loop.





\* Finding loop is present or not.

### Approach - 1

This approach is via the map like marking a node visited once traversed and if while adding entry in map, we come across a node that is already visited then loop is present else not present.

```
map < Node* , bool > m ;
m [temp] = true ;
```

### Approach - 2

Floyd's cycle detection algorithm. Here we will be playing with slow and fast pointers.

If at some point of time,  $slow == fast$  then loop is present else if fast becomes NULL, then loop is not present.

### Code

```
bool checkLoop (Node* & head) {
    // Empty linked list case
    if (head == NULL) {
```

```
return false;
```

```
}
```

```
// 2 pointer approach
```

```
Node * slow = head;
```

```
Node * fast = head;
```

```
// If fast becomes NULL, not circular
```

```
while (fast != NULL) {
```

```
    fast = fast -> next;
```

```
    if (fast != NULL) {
```

```
        fast = fast -> next;
```

```
        slow = slow -> next;
```

```
    } // Loop is present
```

```
    if (slow == fast) { return true; }
```

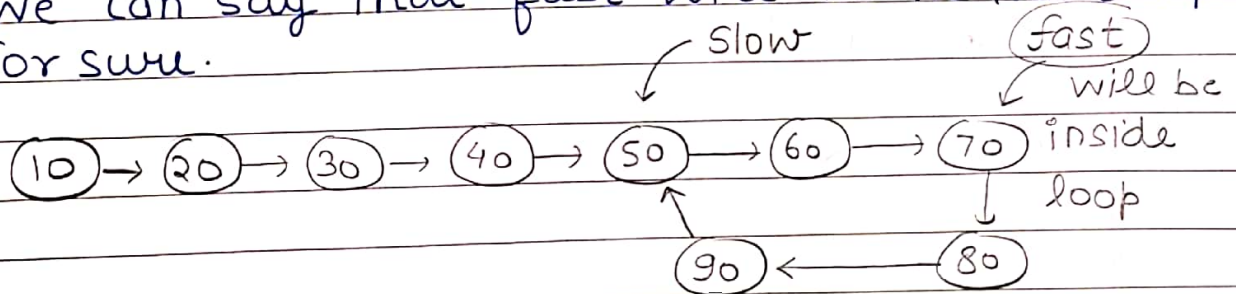
```
}
```

```
return false; // Loop not present
```

```
}
```

Why the algorithm is working?

When slow is at the starting point of loop, we can say that fast will be in the loop for sure.



Anticlockwise sense  $\Rightarrow$  distance is of 4 nodes, then 3 nodes and then 2 nodes, 1 nodes and 0 nodes and hence this algo is working.

\* Find the starting point in the loop.

1) Apply Floyd's cycle detection algorithm.

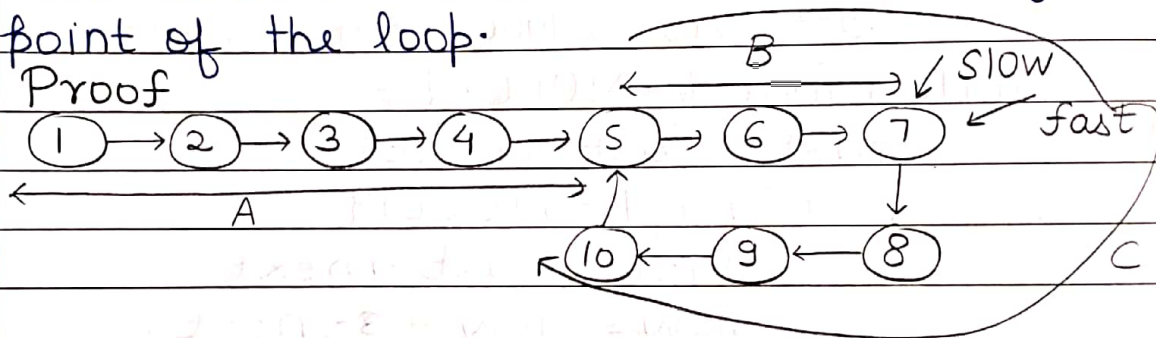
Here slow and fast are at same position.



2) Now move slow to head by doing  
slow = head.

3) Now move both slow and fast by one step each. Now here when slow and fast meet each other, this is the starting point of the loop.

Proof



Distance travelled by fast pointer =  
 $2 \times$  Distance travelled by slow pointer

$$A + xC + B = 2 \times (A + yC + B)$$

$\hookrightarrow$  no. of cycle

$$A + xC + B = 2A + 2yC + 2B$$

$$(x - 2y)C = A + B$$

$$\text{Let } x - 2y = K$$

$$A + B = KC$$

$\hookrightarrow$  some no. of cycles

$A + B \rightarrow$  1 cycle, 2 cycle ... but at the end we reach at starting point of the loop.

slow = head  $\Rightarrow$  Distance travelled will be A and fast travels same distance and hence this algorithm is working.



Code

```
Node * findStart (Node * & head) {  
    // Empty LL  
    if (head == NULL) {  
        return head;  
    }  
    Node * slow = head;  
    Node * fast = head;  
    while (fast != NULL) {  
        fast = fast -> next;  
        if (fast != NULL) {  
            fast = fast -> next;  
            slow = slow -> next;  
        }  
        // When we found loop, so simply make  
        if (slow == fast) {          slow to head.  
            slow = head;  
            break;  
        }  
        // Again run loop until slow & fast meet  
        while (slow != fast) {      again.  
            slow = slow -> next;  
            fast = fast -> next;  
        }  
        return slow;  
    }  
}
```

\* Delete loop in the linked list

We just have to make the next of the previous of starting node as NULL and the loop is removed.

```
Node * prev = fast; ← modifications
while (slow != fast) { prev = fast;
    slow = slow → next;
    fast = fast → next;
}
```

// Removal step

```
prev → next = NULL;
```