## **Assignment-1**

A polynomial is composed of different terms where each of them holds a 'coefficient' and an 'exponent'. Ex.: Polynomial  $\mathbf{p}(\mathbf{x}) = 3\mathbf{x}^5 + 2\mathbf{x}^4 + 5\mathbf{x}^2 + 2\mathbf{x} + 7$ . Each term of the polynomial contains a 'coefficient' and 'variable with exponent'. In the above polynomial, '3' is the 'coefficient' of ' $\mathbf{x}^5$  '. If any term has no coefficient then it means the coefficient is '1'. 'X' is a variable with a different 'exponent'. If any term does not have a variable the exponent of that variable is '0', i.e. ' $\mathbf{x}^0$  '. Thus P(x) can be represented as [(3,5) (2,4) (5,2) (2,1) (7,0)]

Write a program in C or C++ program to multiply two polynomials

Ex.: 
$$p1(x) = 3x^5 + 2x^4 + 5x^2 + 2x + 7$$
 and  $p2(x) = 2x^5 + x^4 + 3x^2$ . The resulting polynomial  $P(x) = p1(x) * p2(x)$  
$$P(x) = 6x^{10} + 7x^9 + 2x^8 + 19x^7 + 15x^6 + 16x^5 + 22x^4 + 6x^3 + 21x^2$$

## **Test Cases**

- 1) p1(x) = [(7,10) (12,6) (4,2)] and p2(x) = [(5,9) (4,5) (13,1)]Resulting polynomial P(x) = [(35,19) (88,15) (159,11) (172,7) (52,3)]
- 2) p1(x) = [(3,54) (5,44) (5,34)] and p2(x) = [(10,8) (5,6) (13,4)]Resulting polynomial P(x) = [(30,62) (15,60) (39,58) (50,52) (25,50) (65,48) (50,42) (25,40) (65,38)]
- 3)  $\mathbf{p1(x)} = [(6,99) (1,88) (4,77) (7,7)]$  and  $\mathbf{p2(x)} = [(8,6) (4,3) (-10,2)]$ Resulting polynomial  $\mathbf{P(x)} = [(48,105)(24,102)(-60,101)(8,94)(4,91)(-10,90)(32,83)(16,80)(-40,79)(56,13)(28,10)(-70,9)]$
- 4)  $\mathbf{p1(x)} = [ (6.9) (-1.6) (4.3) (-7.0) ]$  and  $\mathbf{p2(x)} = [ (10.7) (5.5) (-1.3) ]$ Resulting polynomial  $\mathbf{P(x)} = [ (60.16)(30.14)(-6.12)(-10.13)(-5.11)(40.10)(1.9)(20.8)(-4.6)(-70.7)(-35.5)(7.3) ]$