

Large Spurious Cycle in Global Static Analyses and Its Algorithmic Mitigation

Hakjoo Oh
pronto@ropas.snu.ac.kr

School of Computer Science and Engineering
Seoul National University
Korea

Dec 14, 2009
Asian Symposium on Programming Language and Systems

Goal

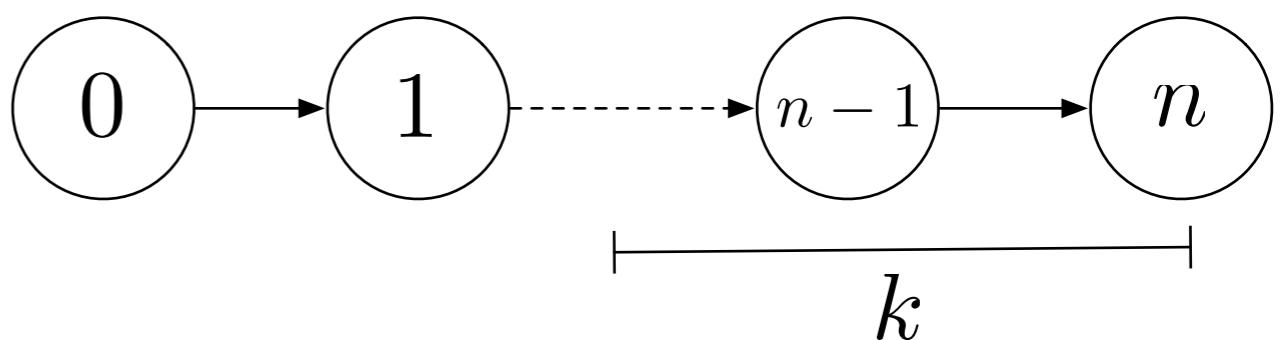
A performance problem is identified and solved.

time ↓ *precision* ↑

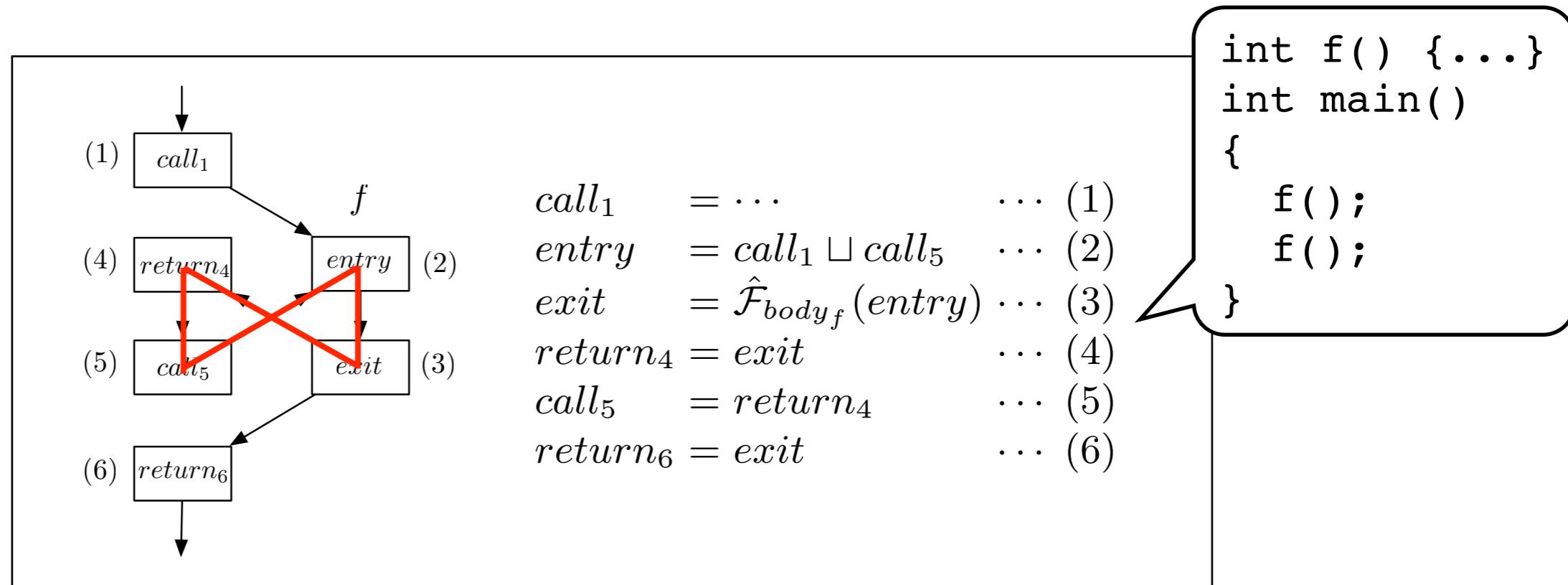
$$\text{Normal}_k \longrightarrow \text{RSS}_k$$

An extension of the classical call-strings approach

Conventional context-sensitive analysis, distinguishing the last k call-sites to each procedure (k -limiting).

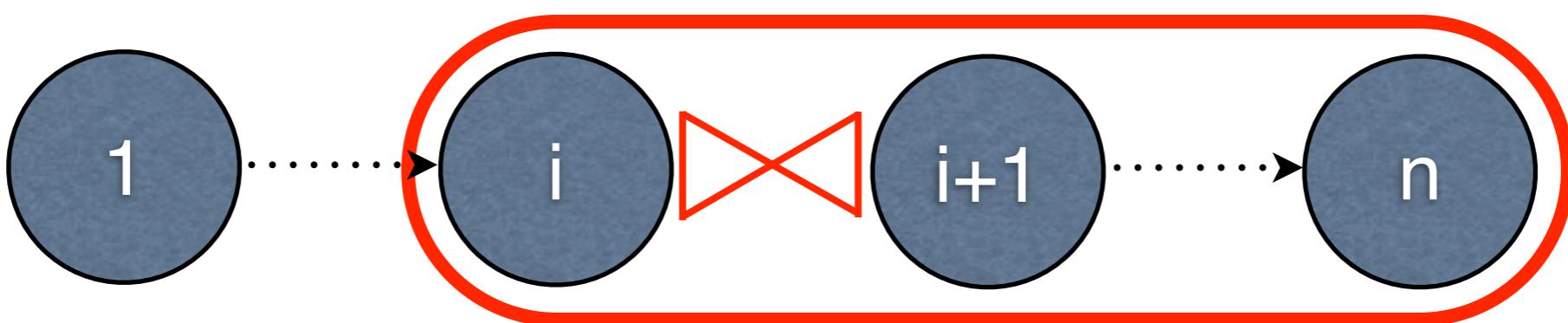


Spurious Cycle in Static Analysis

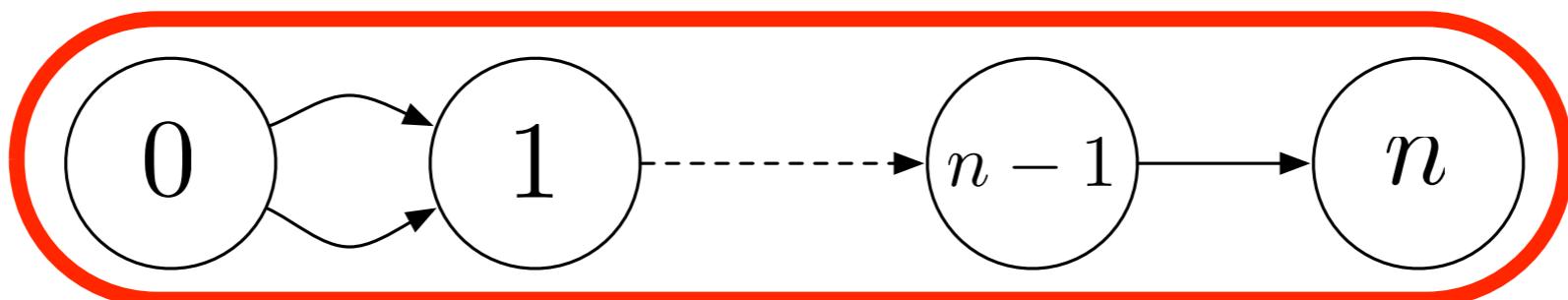


- Spurious cycles degrade both precision and time
 - Spurious information flows
 - Fake cyclic dependence cycle

Easy To Be Large

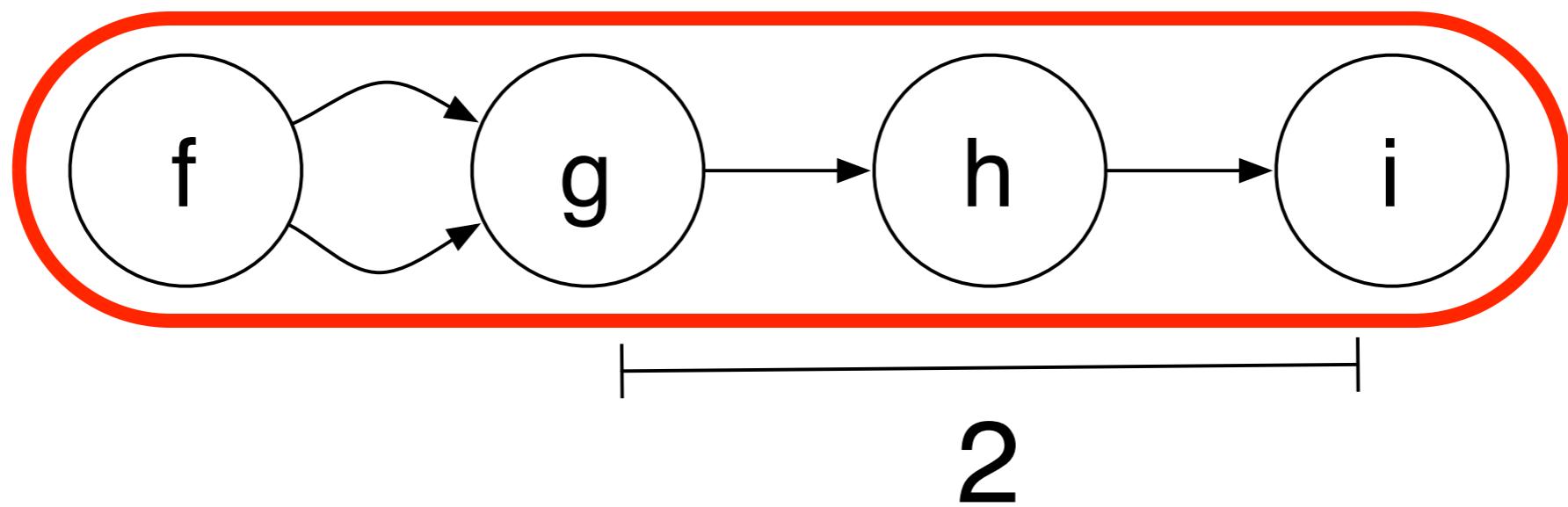
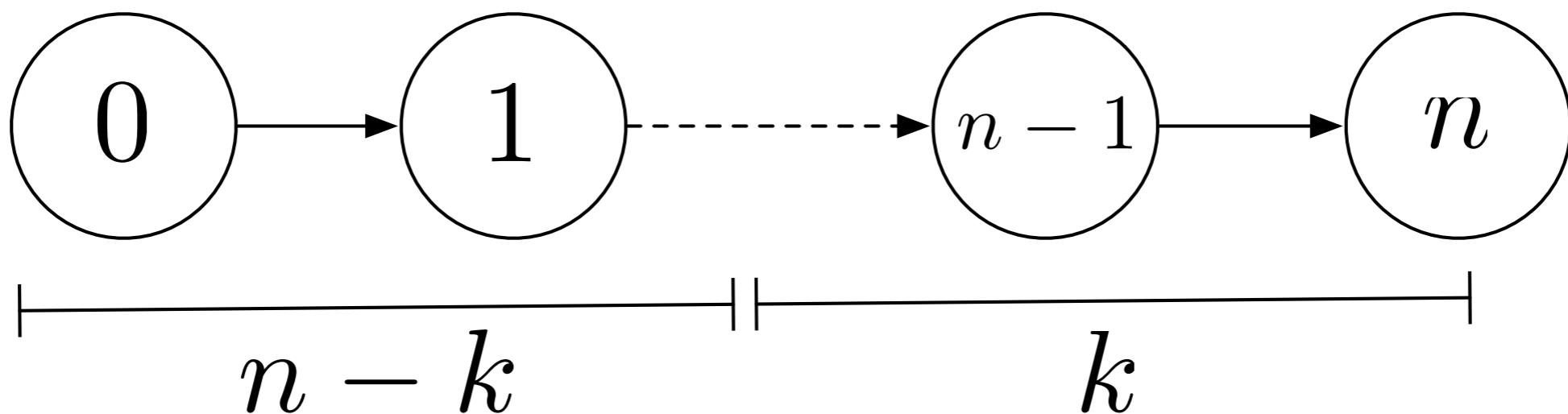


Large Spurious Cycles



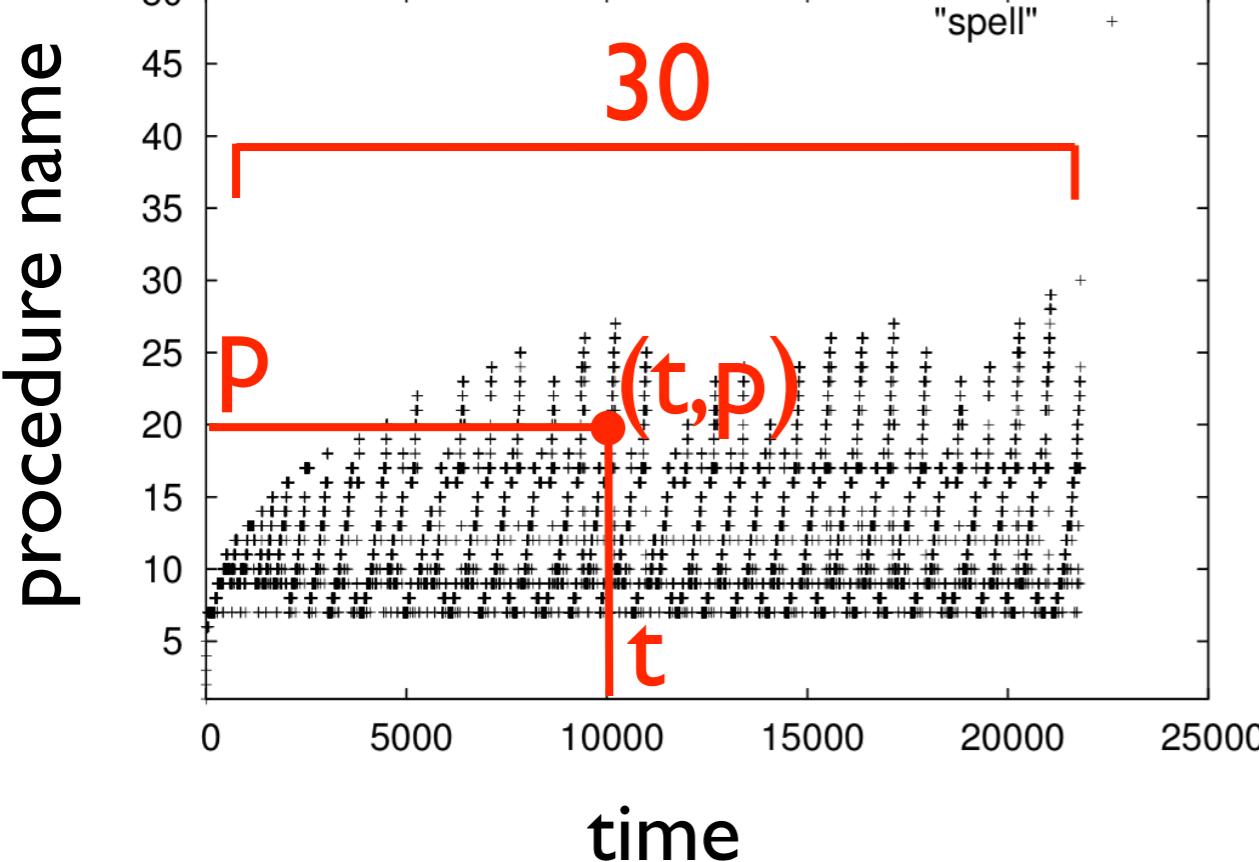
Program	Basic-blocks in the largest cycle
spell-1.0	751/782(95%)
gzip-1.2.4a	5,988/6,271(95%)
sed-4.0.8	14,559/14,976(97%)
tar-1.13	10,194/10,800(94%)
wget-1.9	15,249/16,544(92%)
bison-1.875	12,558/18,110(69%)
proftpd-1.3.1	35,386/41,062(86%)
apache-2.2.2	71,719/95,179(75%)

Increasing k Does Not Help

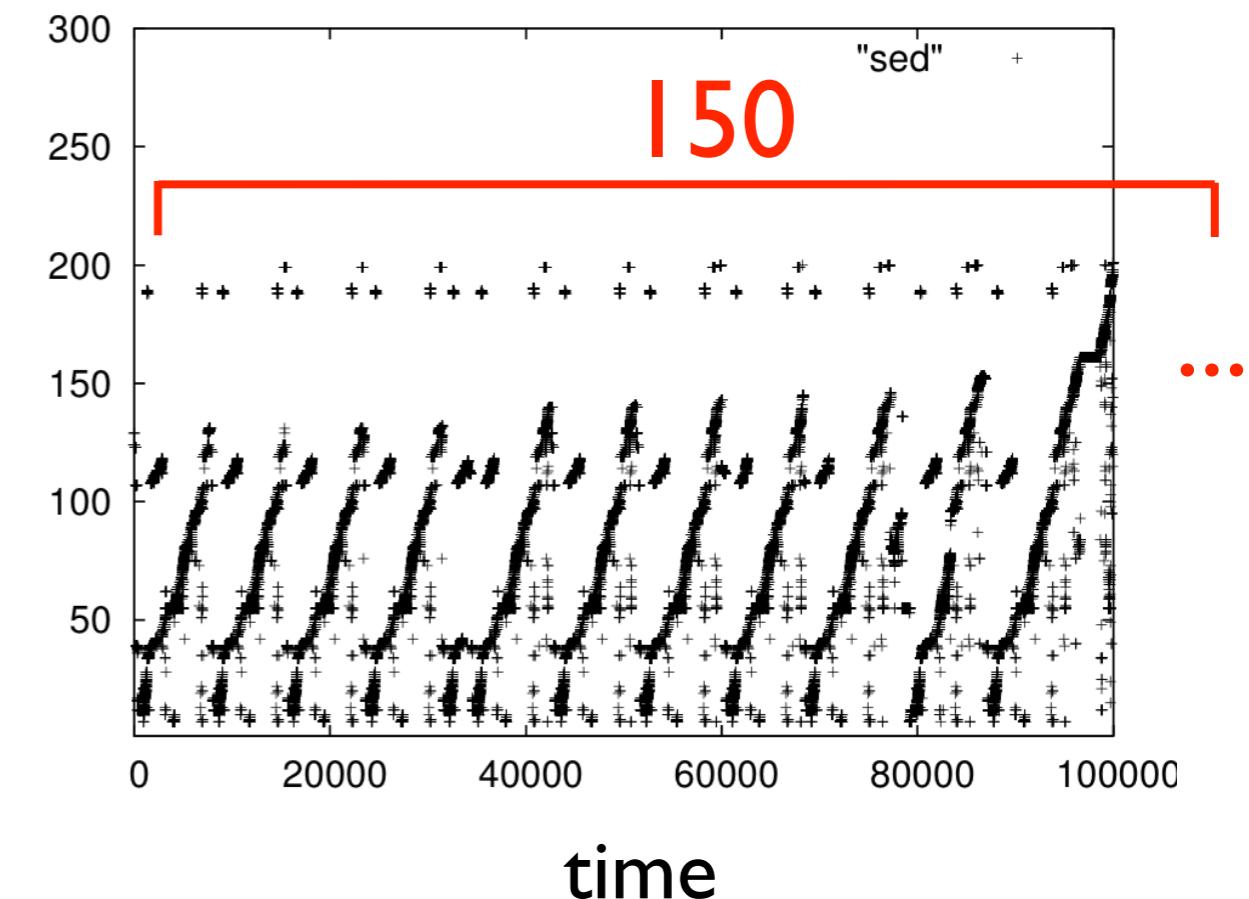


Performance Problems due to Large Spurious Cycle

spell-1.0



sed-4.0.8

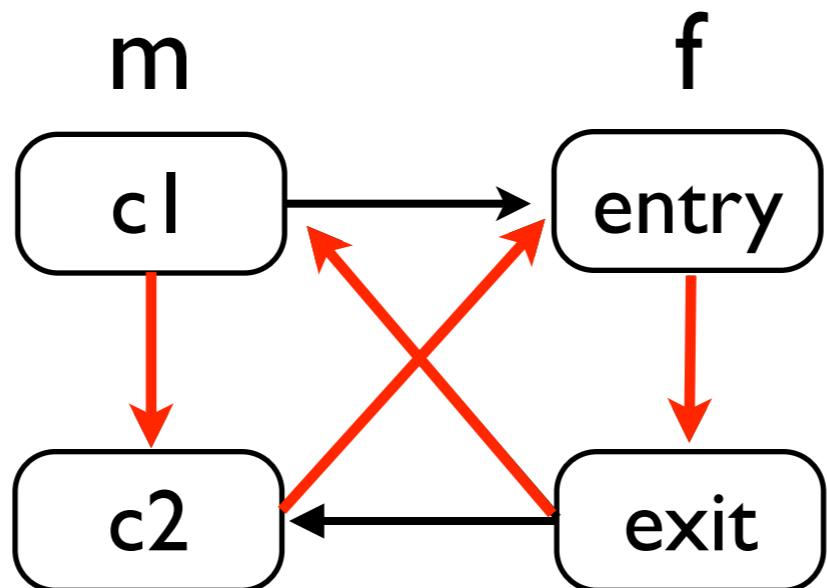


Plan

$$\text{Normal}_0 \rightarrow \text{RSS}_0$$

- In the paper,
 - Generalization for $k > 0$
 - Details on algorithm, correctness, and precision

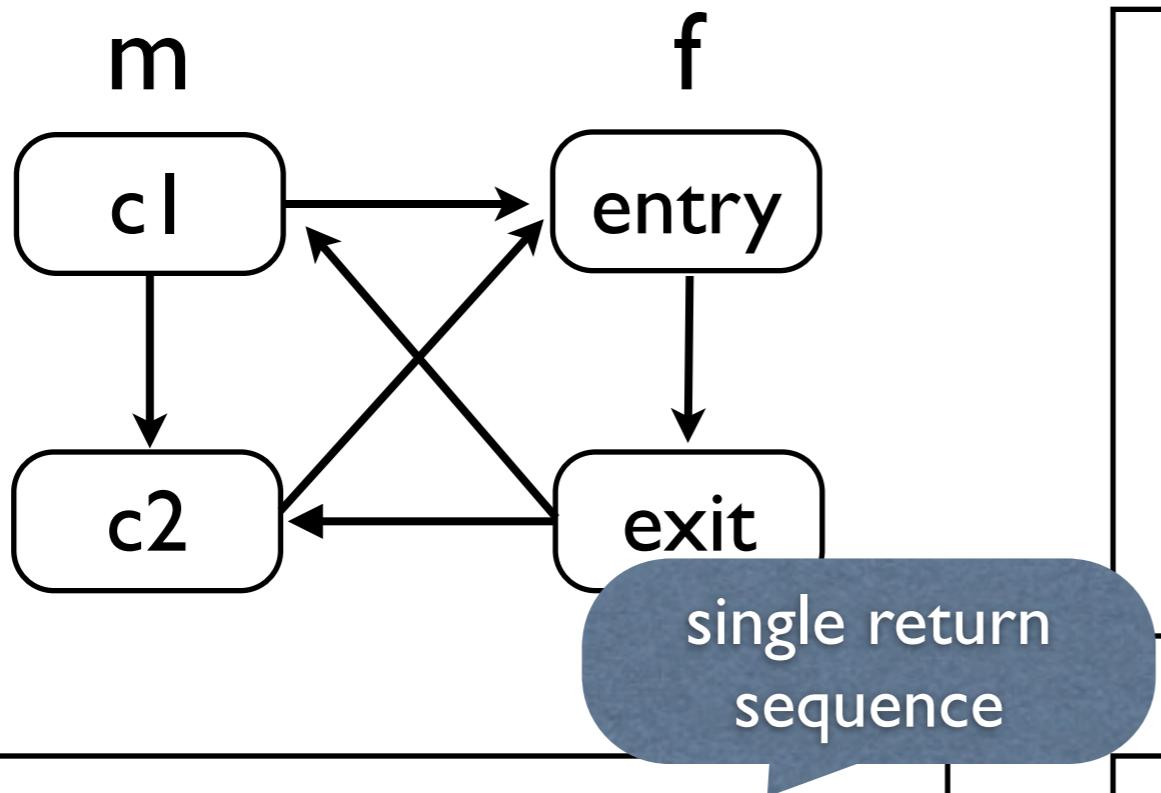
Worklist-based Normalo Algorithm



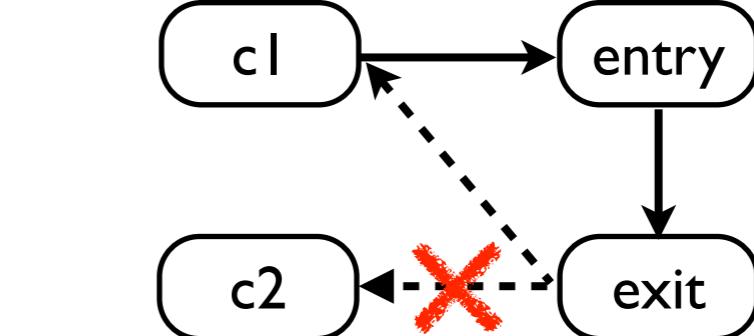
... → c2 → entry → exit → c1 → c2 → ...

cycle

Observation

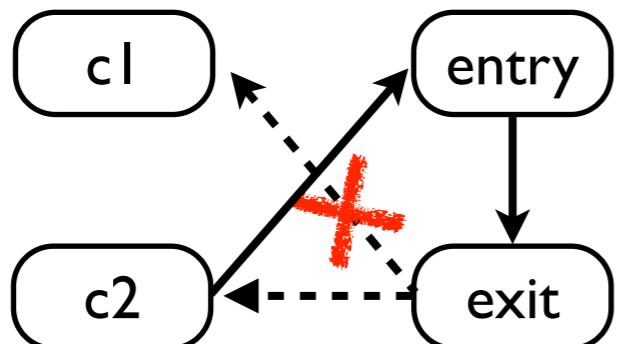


... → c1 → entry → exit ...

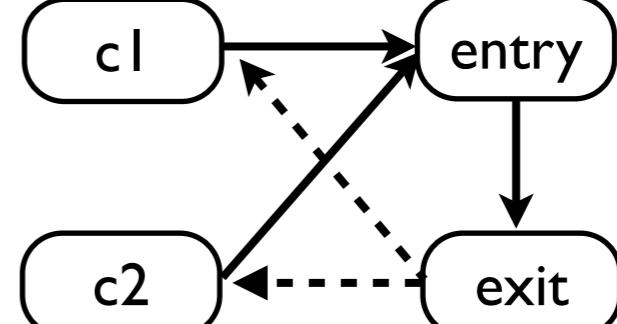


multiple return sequence

... → c2 → entry → exit ...

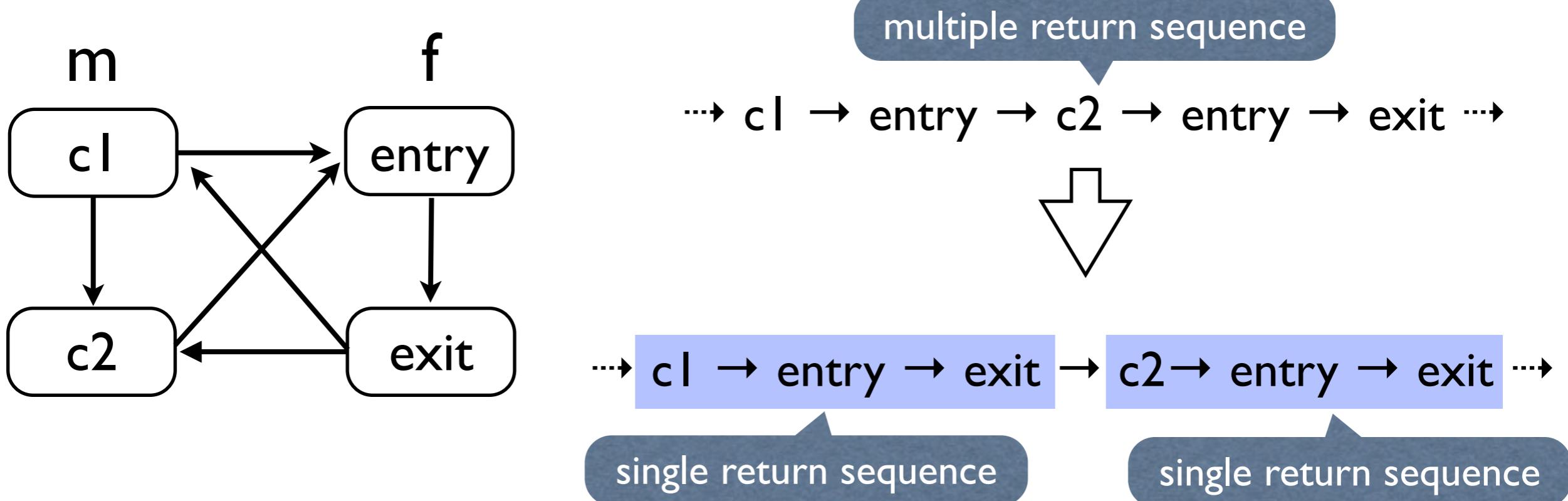


... → c1 → entry → c2
→ entry → exit ...

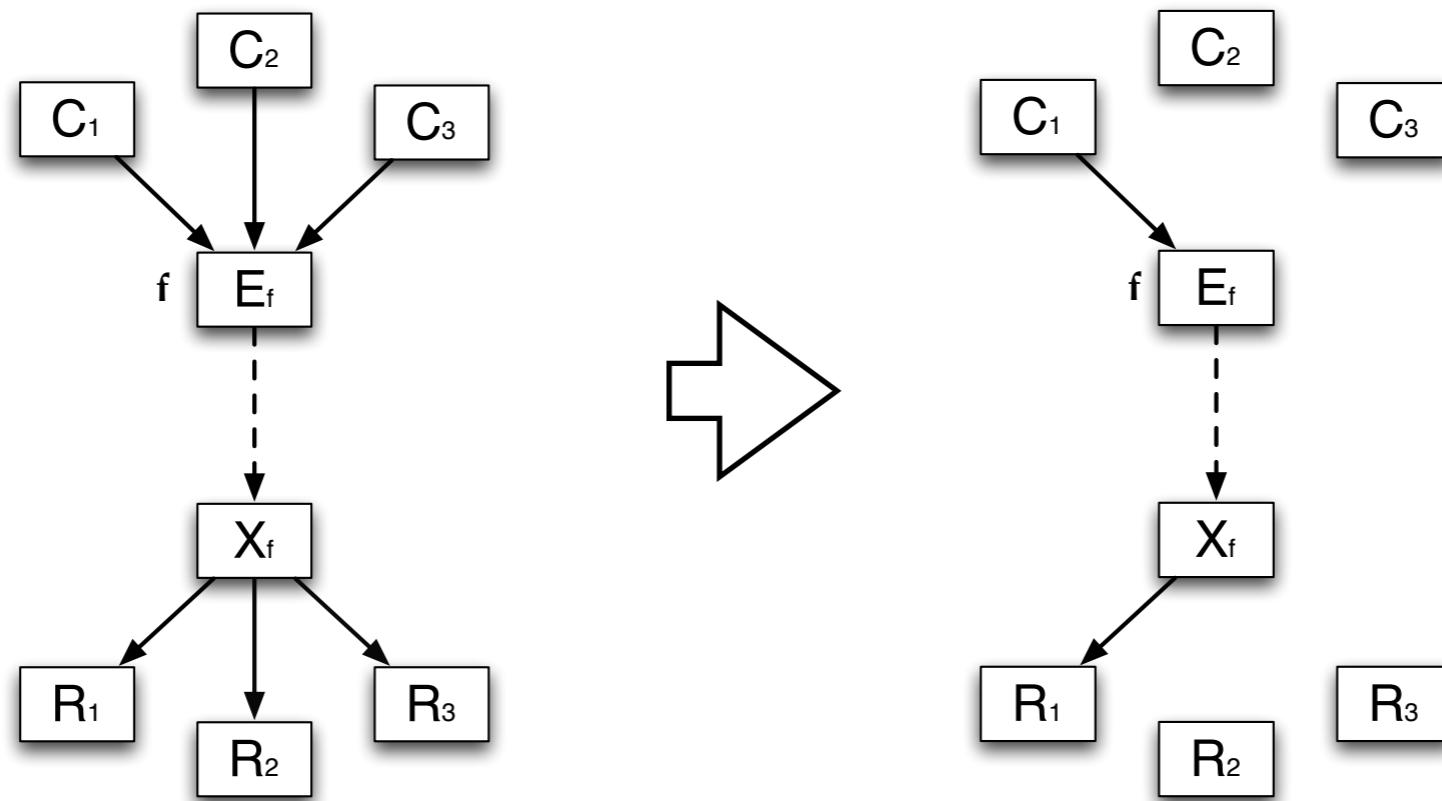


Basic Idea

- I. Change M.R.S. into S.R.S
2. Enforce single return to the last called site



One-call-per-procedure

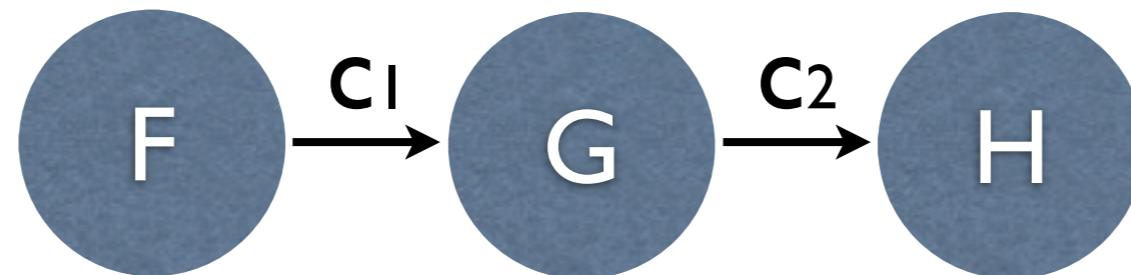


- A procedure is analyzed exclusively for its one particular call-site.
 - Each called procedure is locked.
 - The other call-sites wait until the lock is released.

Controlling Worklist

Prioritize a callee procedure over its call-sites

For example,



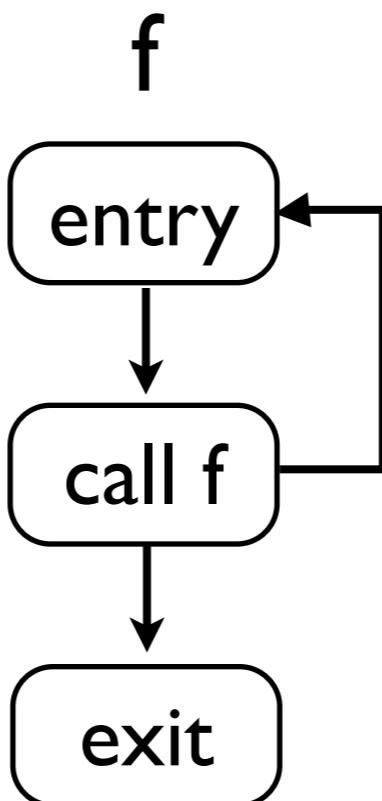
$$W = \{c_2, n_H\}$$

$$W = \{c_1, n_H\}$$

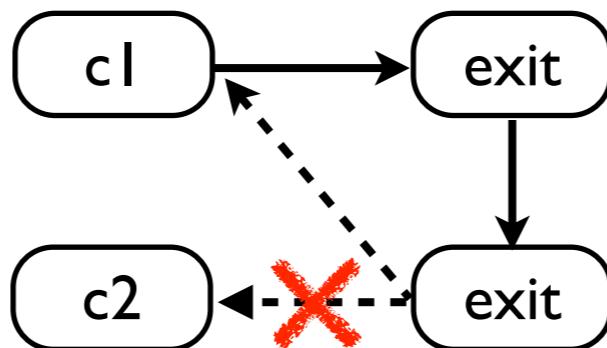
select n_H first

Recursion Handling

- Recursive procedures are handled in the same way as the normal algorithm.
- We cannot finish analyzing a recursive procedure without considering other calls in it.



Correctness



- The result is not a fixpoint of the given equation system.
- But still a sound approximation of the program semantics.

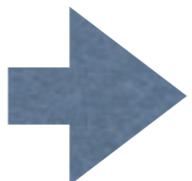
Summary

$\delta \in \text{Context} = \Delta$
 $w \in \text{Work} = \text{Node} \times \Delta$
 $\mathcal{W} \in \text{Worklist} = 2^{\text{Work}}$
 $\mathcal{N} \in \text{Node} \times \Delta \rightarrow 2^{\text{Node} \times \Delta}$
 $\text{State} = \Delta \rightarrow \text{Mem}$
 $\mathcal{T} \in \text{Table} = \text{Node} \rightarrow \text{State}$
 $\hat{\mathcal{F}} \in \text{Node} \rightarrow \text{Mem} \rightarrow \text{Mem}$

FixpointIterate (\mathcal{W}, \mathcal{T}) =

repeat

$(n, \delta) := \text{choose}(\mathcal{W})$
 $m := \hat{\mathcal{F}} n (\mathcal{T}(n)(\delta))$



for all $(n', \delta') \in \mathcal{N}(n, \delta)$ **do**
if $m \not\subseteq \mathcal{T}(n')(\delta')$
 $\mathcal{W} := \mathcal{W} \cup \{(n', \delta')\}$
 $\mathcal{T}(n')(\delta') := \mathcal{T}(n')(\delta') \sqcup m$
until $\mathcal{W} = \emptyset$

$\delta \in \text{Context} = \Delta$
 $w \in \text{Work} = \text{Node} \times \Delta$
 $\mathcal{W} \in \text{Worklist} = 2^{\text{Work}}$
 $\mathcal{N} \in \text{Node} \times \Delta \rightarrow 2^{\text{Node} \times \Delta}$
 $\text{State} = \Delta \rightarrow \text{Mem}$
 $\mathcal{T} \in \text{Table} = \text{Node} \rightarrow \text{State}$
 $\hat{\mathcal{F}} \in \text{Node} \rightarrow \text{Mem} \rightarrow \text{Mem}$
 $\text{ReturnSite} \in \text{ProcName} \rightarrow \text{Work}$

FixpointIterate (\mathcal{W}, \mathcal{T}) =

$\text{ReturnSite} := \emptyset$

repeat

$\mathcal{S} := \{(call_g^r, -) \in \mathcal{W} \mid (n_h, -) \in \mathcal{W} \wedge \text{reach}(g, h) \wedge \neg \text{recursive}(g)\}$

$(n, \delta) := \text{choose}(\mathcal{W} \setminus \mathcal{S})$

$m := \hat{\mathcal{F}} n (\mathcal{T}(n)(\delta))$

if $n = call_f^r \wedge \neg \text{recursive}(g)$ **then**

$\text{ReturnSite}(g) := (r, \delta)$

if $n = \text{exit}_g \wedge \neg \text{recursive}(g)$ **then**

$(r, \delta_r) := \text{ReturnSite}(g)$

if $m \not\subseteq \mathcal{T}(r)(\delta_r)$

$\mathcal{W} := \mathcal{W} \cup \{(r, \delta_r)\}$

$\mathcal{T}(r)(\delta_r) := \mathcal{T}(r)(\delta_r) \sqcup m$

else

for all $(n', \delta') \in \mathcal{N}(n, \delta)$ **do**

if $m \not\subseteq \mathcal{T}(n')(\delta')$

$\mathcal{W} := \mathcal{W} \cup \{(n', \delta')\}$

$\mathcal{T}(n')(\delta') := \mathcal{T}(n')(\delta') \sqcup m$

until $\mathcal{W} = \emptyset$

Control worklist

Recursion handling

Enforce single return



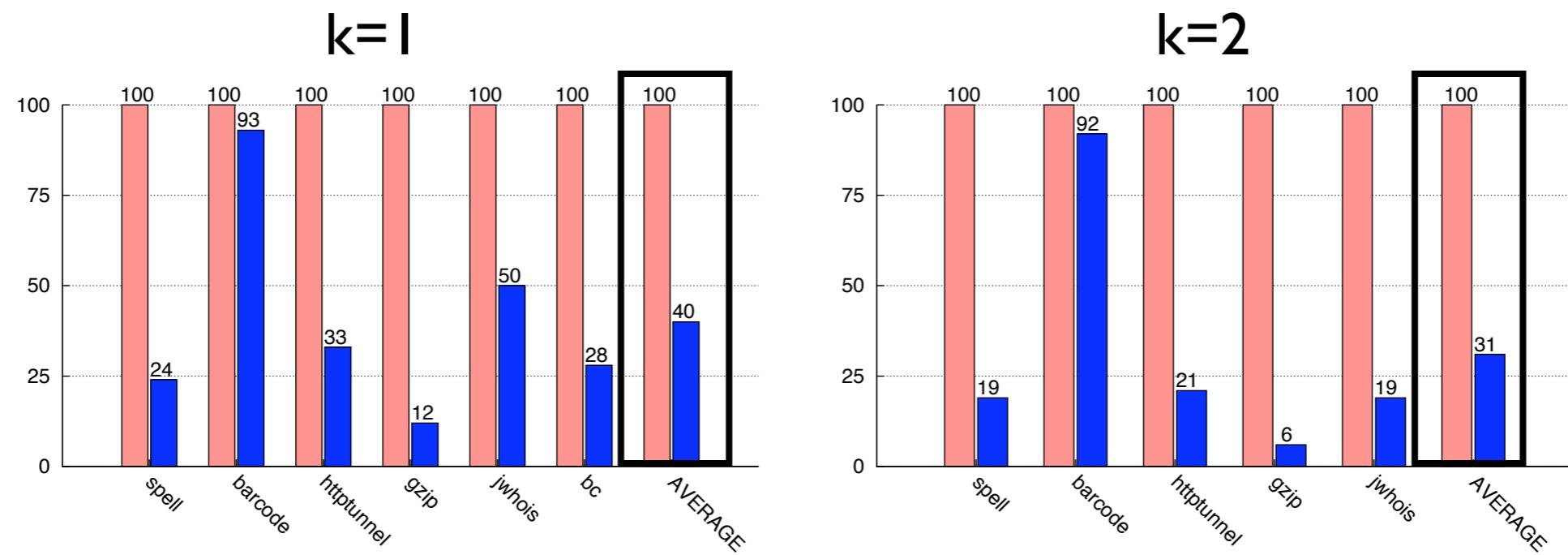
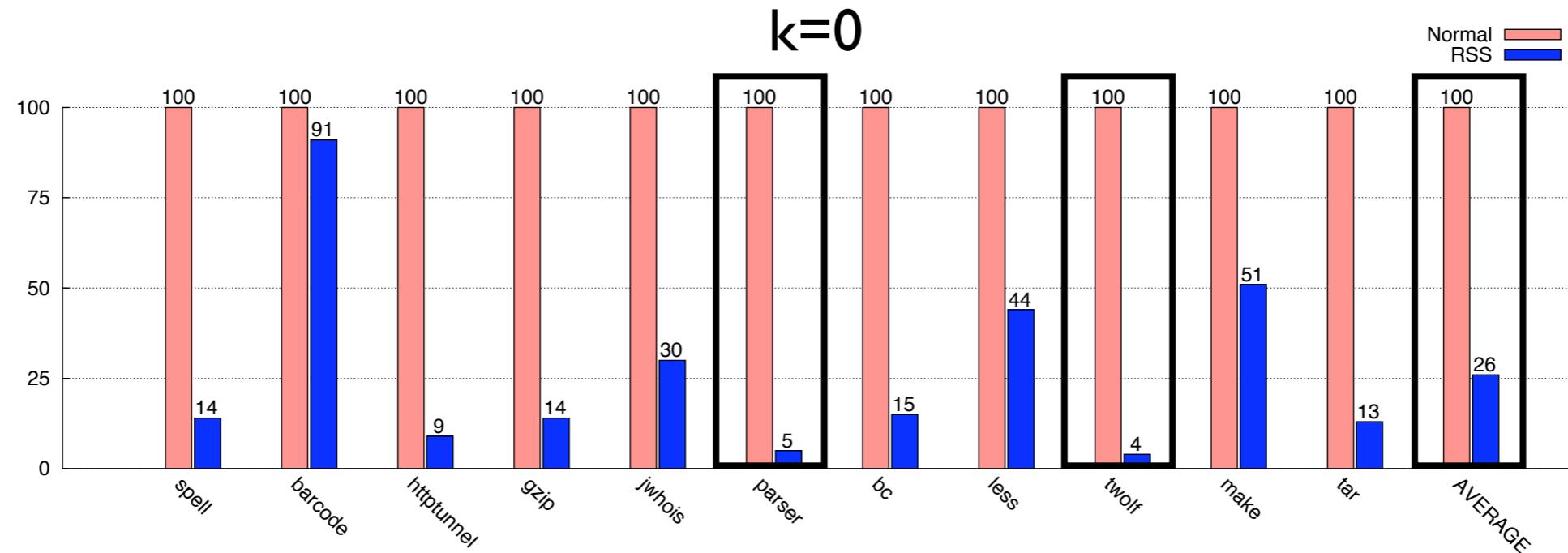
Experiments

-  is an industrialized static analyzer
 - interval-domain-based abstract interpreter
 - 11 open-source software packages

Normal_k vs. RSS_k
 Normal_k vs. RSS_{k+1}

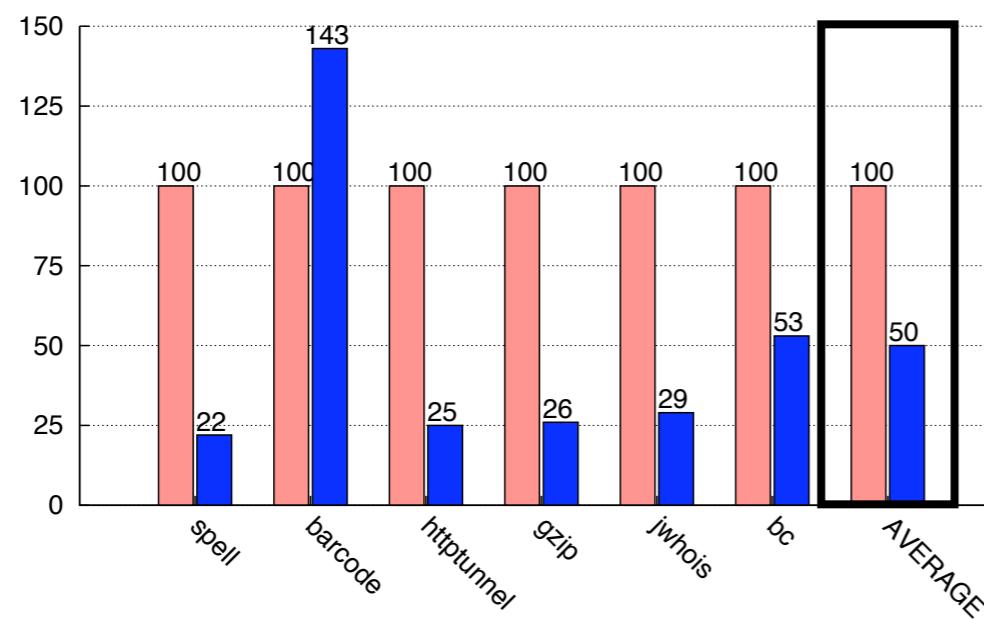
Program	LOC	#Basic-Blocks
spell-1.0	2,213	782
barcode-0.96	4,460	2,634
httptunnel-3.3	6,174	2,757
gzip-1.2.4a	7,327	6,271
jwhois-3.0.1	9,344	5,147
parser	10,900	9,298
bc-1.06	13,093	4,924
less-290	18,449	7,754
twolf	19,700	14,610
tar-1.13	20,258	10,800
make-3.76.1	27,304	11,061

Normal _{k} vs. RSS _{k}

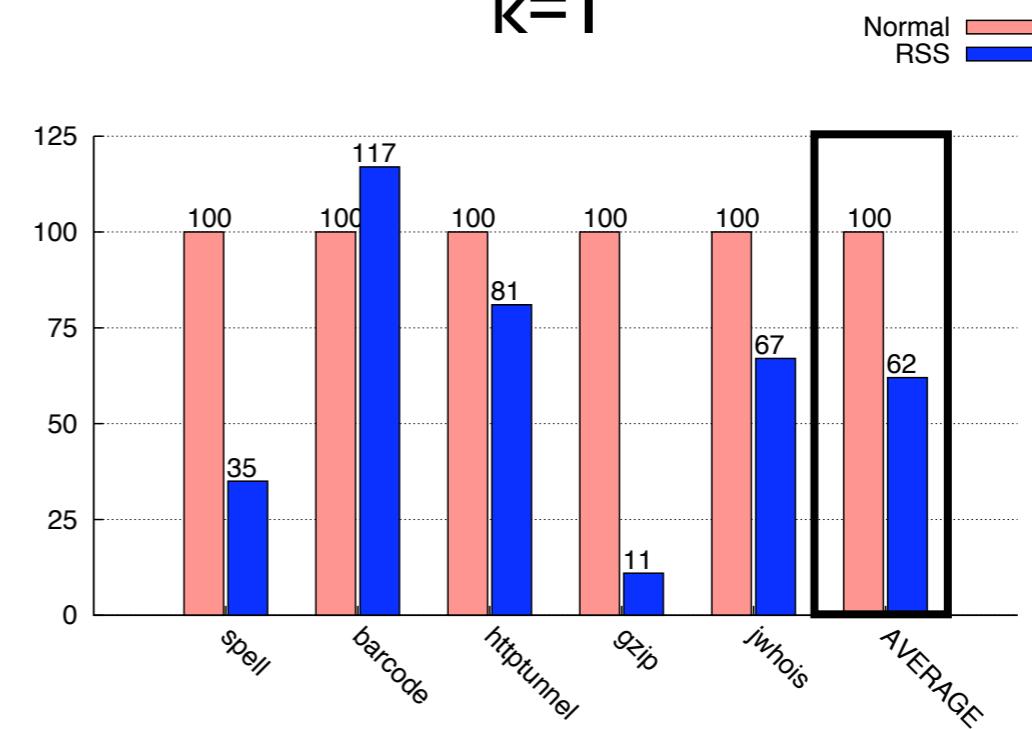


Normal_k vs. RSS_{k+1}

$k=0$



$k=1$



Conclusion

- One key reason why less accurate context-sensitivity makes the analysis very slow.
- A simple algorithm that mitigates the problem.



Thank you