Next Greater Element

Using indexes and traversing from L->R

```
TC: O(N)
SC: O(N)
vector<int> nextGreaterElement(vector<int> data) {
   stack<int> s;
   vector<result> res;
    for (int i = 0; i < data.size(); i++) {</pre>
        int curr = data[i];
        res.push_back(-1);
       while (!s.empty() && data[s.top()] < curr) {</pre>
           int idx = s.pop();
           res[idx] = curr;
       }
       s.push(i);
    }
    return res;
Data 2 3 4 2 3
index 0 1 2 3 4
     0 1 2 3 4
     0 1 2 2,3 2,4
     3 4 -1 3 -1
```

```
In [ ]:
```

In []:

Thinking in Recursion

- a function that calls itself is a recusive function
- recursion uses stack memory
- recursive functions have notion of a base or terminating condition
- 1. Factorial
- 2. https://leetcode.com/problems/reverse-string/)
- 3. https://leetcode.com/problems/power-of-two/ (https://leetcode.com/problems/power-of-two/)
- $\textbf{4.} \ \underline{\text{https://leetcode.com/problems/decode-string/} \ \underline{\text{(https://leetcode.com/problems/decode-string/)}} \\ \textbf{2.} \ \underline{\text{https://leetcode.com/problems/decode-string/}} \\ \textbf{3.} \ \underline{\text{https://leetcode.com/problems/decode-string/}} \\ \textbf{3.} \ \underline{\text{https://leetcode.com/problems/decode-string/}} \\ \textbf{4.} \ \underline{\text{https://leetcode.com/probl$
- $\textbf{5.}\ \underline{\text{https://leetcode.com/problems/count-good-numbers/}}\ (\underline{\text{https://leetcode.com/problems/count-good-numbers/}})$

```
In [6]: def f1():
            print("f1")
        def f2():
            f1()
            print("f2")
        f2()
        f1
        f2
In [ ]:
In [8]: def printer(n):
            print("n =", n)
            printer( n-1 )
        printer(5)
        # printer(5)
                  printer(4)
        #
                      printer(3)
        #
                          printer(2)
                              printer(1)
        #
                                  printer(0)
        #
                                      printer(-1)
        n = 5
        n = 4
        n = 3
        n = 2
        n = 1
        n = 0
        n = -1
        n = -2
        n = -3
        n = -4
        n = -5
        n = -6
        n = -7
        n = -8
        n = -9
        n = -10
        n = -11
        n = -12
        n = -13
In [9]: def printer(n):
            if n <= 0:
                return
            print("n =", n)
            printer( n-1 )
        printer(5)
        # printer(5)
        #
                  printer(4)
                      printer(3)
                          printer(2)
        #
        #
                              printer(1)
                                  printer(0) X
         ->[] -> [] -> [][][]X
        n = 5
        n = 4
        n = 3
        n = 2
        n = 1
```

```
In [10]: # TC: O(n)
          # SC: O(n)
          def printer(n):
              if n <= 0:
                  return
              printer( n-1 )
              print("n =", n)
              return
          printer(5)
          # printer(5)
                    printer(4)
                        printer(3)
          #
          #
                            printer(2)
          #
                                 printer(1)
          #
                                     printer(0) X
          #
          Stack
          (16, n=1)
(16, n=2)
         (16, n=3)
(16, n=4)
(16, n=5)
          printer(5)
          printer(4)
          printer(3)
          printer(0)
          n = 1
          n = 2
          n = 3
          n = 4
          n = 5
In [11]: # TC: O(n)
          # SC: O(1)
          def printer(n):
              while n > 0:
                  print("n =",n)
                  n -= 1
          printer(5)
          n = 5
          n = 4
          n = 3
          n = 2
          n = 1
 In [ ]:
```

Sum of first n numbers

```
In [12]: def sum_n(n):
    if n <= 0:
        return 0

    return n + sum_n(n-1)

sum_n(4)
# sum_n(4)
# return 4 + sum_n(3)
# return 3 + sum_n(2)
# return 2 + sum_n(1)
# return 1 + sum_n(0)</pre>
```

Factorial in recursive manner

Out[12]: 10

```
In []:
```

Question

https://leetcode.com/problems/reverse-string/ (https://leetcode.com/problems/reverse-string/)

```
In [ ]: class Solution:
            def reverseStrUtil(self, s: List[str], i: int, j:int) -> None:
               if i >= j:
                   return
               temp = s[i]
               s[i] = s[j]
s[j] = temp
                self.reverseStr(s, i+1, j-1)
            def reverseString(self, s: List[str]) -> None:
                self.reverseStrUtil(s, 0 , len(s) - 1)
In [19]:
        def reverseStrUtil(s, i: int) -> None:
            if i >= len(s)//2:
               return
            temp = s[i]
            s[i] = s[len(s) - i - 1]
            s[len(s) -i -1] = temp
            reverseStrUtil(s, i+1)
        def reverseString(s) -> None:
            reverseStrUtil(s, 0)
        s = list("abcd")
        print(s)
        reverseString(s)
        print(s)
        ['a', 'b', 'c', 'd']
['d', 'c', 'b', 'a']
In [ ]:
In [ ]:
In [25]: def my_pow(x,y):
            res = 1
            i = 0
           while(i < y):
    res *= x</pre>
               i += 1
            return res
        print(pow(2, 10))
        print(my_pow(2,10))
        1024
        1024
In [27]: print(my_pow(2,1000))
```

 $1071508607186267320948425049060001810561404811705533607443750388370351051124936122493198378815695858127594672917553146825187145\\2856923140435984577574698574803934567774824230985421074605062371141877954182153046474983581941267398767559165543946077062914571\\196477686542167660429831652624386837205668069376$

what is (x to the power y) % z?

```
In [46]: # TC: O(n)
           # SC: O(1)
           def my_pow(x, y, z):
               res = 1
               i = 0
               while(i < y):</pre>
                    res *= x
                    i += 1
               return res%z
           print(my_pow(2,1000000, 20))
           16
 In [ ]:
           Modulo Arithmetic
           (x*y)\%z = (x\%z * y\%z)\%z // why ?? -> int overflow
 In [ ]:
               2^5 = 2^2 * 2^2 * 2^1
               2^10 = 2^5 * 2^5
               2^21 = 2^10 * 2^10 * 2^1
               (x^y *x^z) = (x ^ (y+z))
               pow(2, 21)
In [39]: # TC: O(Log n)
           # SC: O(log n)
           def my_pow(x,y):
               if y ==0:
                    return 1
               if y == 1:
                    return x
               if y%2 == 0:
                    r = my_pow(x, y//2)
                    return r * r
                    r = my_pow(x, y//2)
                    return r * r * x
           print(my_pow(2,10))
           print(my_pow(2,11))
           print(my_pow(2,1000000))
           1024
           2048
           31403784291767137807931479533574241316141949252646322704610310518726715434463264155347328283288444762629663913610121194240251
           52391755510927579220303167443634444817606652173925000462615745612852501910786888559853823959109102819047524378271693221421142\\
           1239270034563950381235350250311913322903570226372145672473702885218372967386543992665597857777244114711353422981871296063602311913322903570226372145672473702885218372967386543992665597857777244114711353422981871296063602311913322903570226372145672473702885218372967386543992665597857777244114711353422981871296063602311913322903570226372145672473702885218372967386543992665597857777244114711353422981871296063602311913322903570226372145672473702885218372967386543992665597857777244114711353422981871296063602311913322903570226372145672473702885218372967386543992665597857777244114711353422981871296063602311913322903570226372145672473702885218372967386543992665597857772441147113534229818712960636023119130119130119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110119110111911011911011911011911011911019110119110119110
           90496908356938824373503748136802379014732234896458593630309175937966148659079272356756206251296994270163564782160224336729043
           26316628619102324598113841300603753775993390952276982455476518137898587713078425308571330225253178917068683209419560529835520\\
```

```
In [ ]: my_pow(3, 21)
                    my_pow(3, 10)
                        my_pow(3, 5)
                            my_pow(3, 2)
                                my_pow(3, 1)
        my_pow(3, 32)
                    my_pow(3, 16)
                        my_pow(3, 8)
                            my_pow(3, 4)
                                my_pow(3, 2)
                                    my_pow(3, 1)
In [ ]:
```

```
In [44]: # TC: O(Log n)
           # SC: O(Log n)
           def my_pow(x,y,z):
               if y ==0:
                    return 1
               if y == 1:
                    return x%z
               if y%2 == 0:
                    r = my_pow(x, y//2, z)
return (r%z * r%z)%z
                    r = my_pow(x, y//2, z)
return (r%z * r%z * x%z)%z
           # print(my_pow(2,10))
           # print(my pow(2,11))
           print(my_pow(2,1000000, 20))
```

```
In [ ]:
```

In []:

16

Binary Number

```
symbols \rightarrow 0, 1 = 2
    size 1 -> 2
    size 2 -> 4
    size 3 -> 8
    (2<sup>size</sup>)
Octal
```

```
symbols \rightarrow 0..7 = 8
size 1-> 8
size 2-> 64
(8<sup>size</sup>)
```

Question

https://leetcode.com/problems/count-good-numbers/description/ (https://leetcode.com/problems/count-good-numbers/description/)

```
Size=2
              0 1
              Size=3
              0 1 2
              Size=4
              0 1 2 3
              0-> 0 2 4 6 8 = 5
              1 \rightarrow 2 \ 3 \ 5 \ 7 = 4
              number is of size n
              n = 1 even indexes = 1 odd indexes = 0, 5
              n = 2 even indexes = 1 odd indexes = 1, 5*4
              n = 3 even indexes = 2 odd indexes = 1, 5*4*5
              n = 4 even indexes = 2 odd indexes = 2, 5*4*5*4
              count of even positions = (n+1)/2
              count of odd positions = n/2
              combinations for even position = (5 ^ (n+1)/2)
              combinations for odd position = (4 ^ (n)/2)
              total = even Comb * odd Comb
                   = (5 ^ (n+1)/2 ) * (4 ^ (n)/2)
In [45]: (2**31 > (10**9 + 7))
Out[45]: True
 In [ ]:
          https://leetcode.com/problems/power-of-two/ (https://leetcode.com/problems/power-of-two/)
          https://leetcode.com/problems/decode-string/ (https://leetcode.com/problems/decode-string/)
```

In []: