


Quasi-Convex Programming

Quasi-convex programming is a powerful optimization technique with diverse applications in electronic design automation. It enables solving complex problems by leveraging the properties of quasi-convex functions - a class of functions that generalize the well-known convex functions.

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Definitions and Properties

Quasi-Convex Functions

A function is quasi-convex if its sublevel sets are convex. This allows for more flexibility compared to traditional convex optimization.

Key Properties

Quasi-convex functions preserve many desirable properties of convex functions, such as local optimality implying global optimality.

Practical Significance

Quasi-convex formulations enable solving a wide range of non-convex problems in electronic design automation efficiently.



Optimization Problems

1 Constraint Formulations

Quasi-convex constraints can model a variety of non-convex requirements in electronic design.

2 Global Optimality

Quasi-convex optimization can often guarantee global optimality, unlike general non-convex programming.

3 Efficient Algorithms

Specialized algorithms have been developed to solve quasi-convex programs effectively.



Solving Quasi-Convex Programs

1

Bisection

Iterative algorithms that leverage the quasi-convexity of the objective function.

2

Outer Approximation

Constructing a sequence of convex relaxations to solve the original non-convex problem.

3

Geometric Programming

Transforming certain quasi-convex problems into an equivalent convex formulation.

Applications in EDA



Circuit Design

Quasi-convex optimization can be applied to analog circuit design, device sizing, and other circuit-level problems.



VLSI Design

Power optimization, yield maximization, and other VLSI design challenges can be formulated as quasi-convex programs.



PCB Layout

Quasi-convex techniques can be used for placement and routing optimization in printed circuit board (PCB) design.



EDA Tools

Quasi-convex programming is being increasingly integrated into modern electronic design automation (EDA) software tools.



Placement and Routing Optimization

1

Component Placement

Quasi-convex formulations can optimize the positioning of circuit components on a chip or PCB to minimize wiring length and congestion.

2

Wire Routing

Quasi-convex programming can be used to find optimal routes for interconnections between components, balancing constraints such as shortest path and minimum crosstalk.

3

Design Convergence

The iterative nature of quasi-convex optimization algorithms can help achieve convergence to high-quality, manufacturable design solutions.



Analog Circuit Design Optimization

Device Sizing

Quasi-convex programming can be used to optimally size transistors and other analog components to meet performance targets.

Biasing Circuits

Quasi-convex techniques can optimize the design of biasing networks to ensure stable and robust analog circuit operation.

Layout Synthesis

Quasi-convex formulations can guide the physical layout of analog circuits to enhance parameters like matching and parasitics.

Yield Optimization

Quasi-convex programming can be employed to maximize the manufacturing yield of analog integrated circuits.



Power Optimization in VLSI

Objective	Minimize power consumption
Constraints	Performance, area, and reliability requirements
Quasi-Convex Approach	Model power as a quasi-convex function of design parameters
Benefits	Global optimality, efficient algorithms, scalable solutions

Yield Optimization

Manufacturing Variability

Quasi-convex programming can model the impact of process variations on circuit performance and yield.

Robust Design

Quasi-convex optimization can generate designs that are less sensitive to manufacturing uncertainties, improving overall yield.

Statistical Modeling

Quasi-convex formulations can leverage statistical techniques to optimize for manufacturability and yield targets.



Future Directions

1 Emerging Applications

Expanding the use of quasi-convex programming to new domains in electronic design automation, such as RF circuit design and machine learning-based EDA.

2 Algorithmic Advances

Developing more efficient and scalable quasi-convex optimization algorithms to handle the increasing complexity of modern electronic designs.

3 Integration with EDA Tools

Seamlessly integrating quasi-convex programming techniques into mainstream electronic design automation software for broader industry adoption.